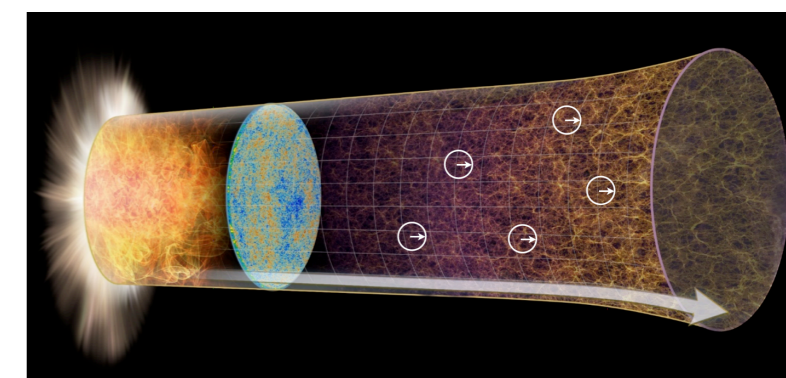
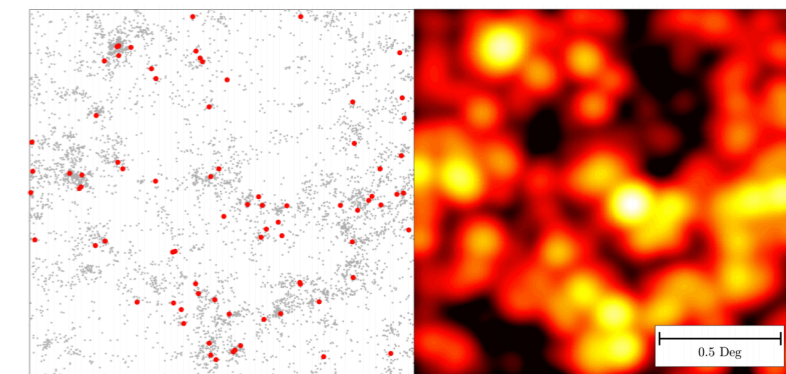
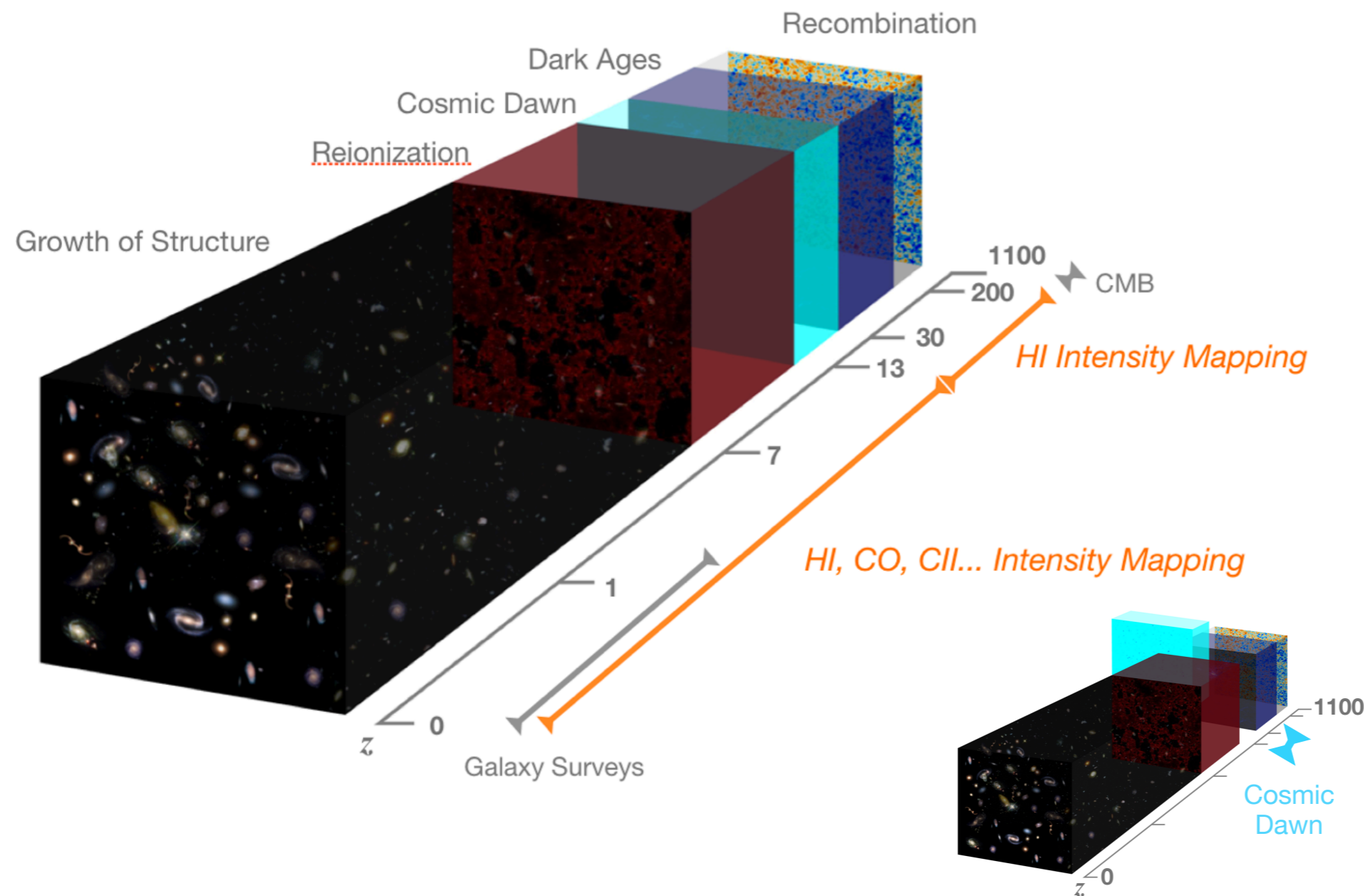


Beyond Λ CDM with Line-Intensity Mapping

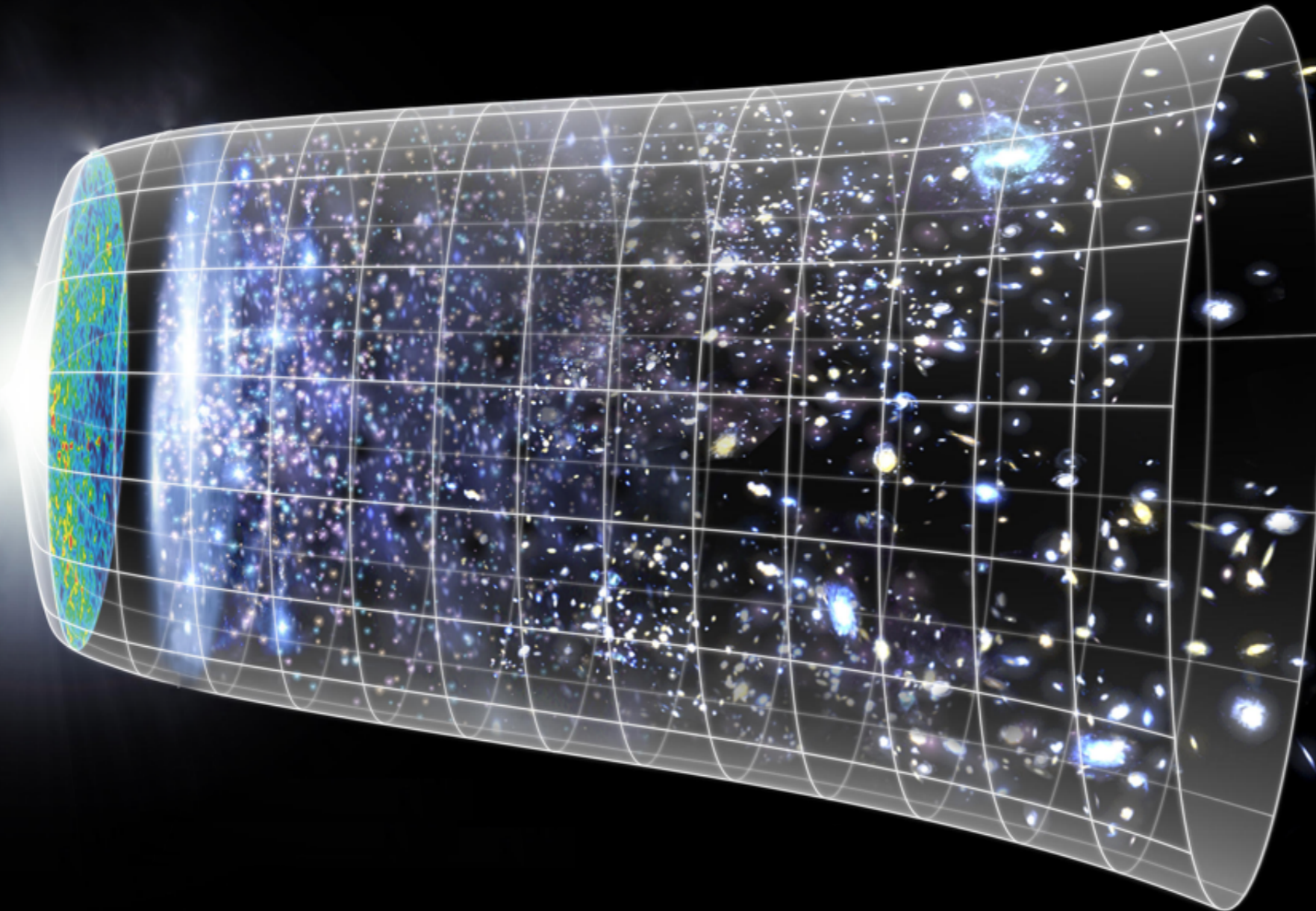
Ely D. Kovetz
Ben-Gurion University

King's College Seminar
June 23th, 2021



Collaborators: Y. Ali-Haïmoud, R. Barkana, J. L. Bernal, K. Boddy, P. Breysse, I. Cholis, C. Creque-Sarbinowski, H. Gil-Marin, V. Gluscevic, Lingyuan Ji, D. Kaplan, M. Kamionkowski, J. Muñoz, V. Poulin & D. Sarkar

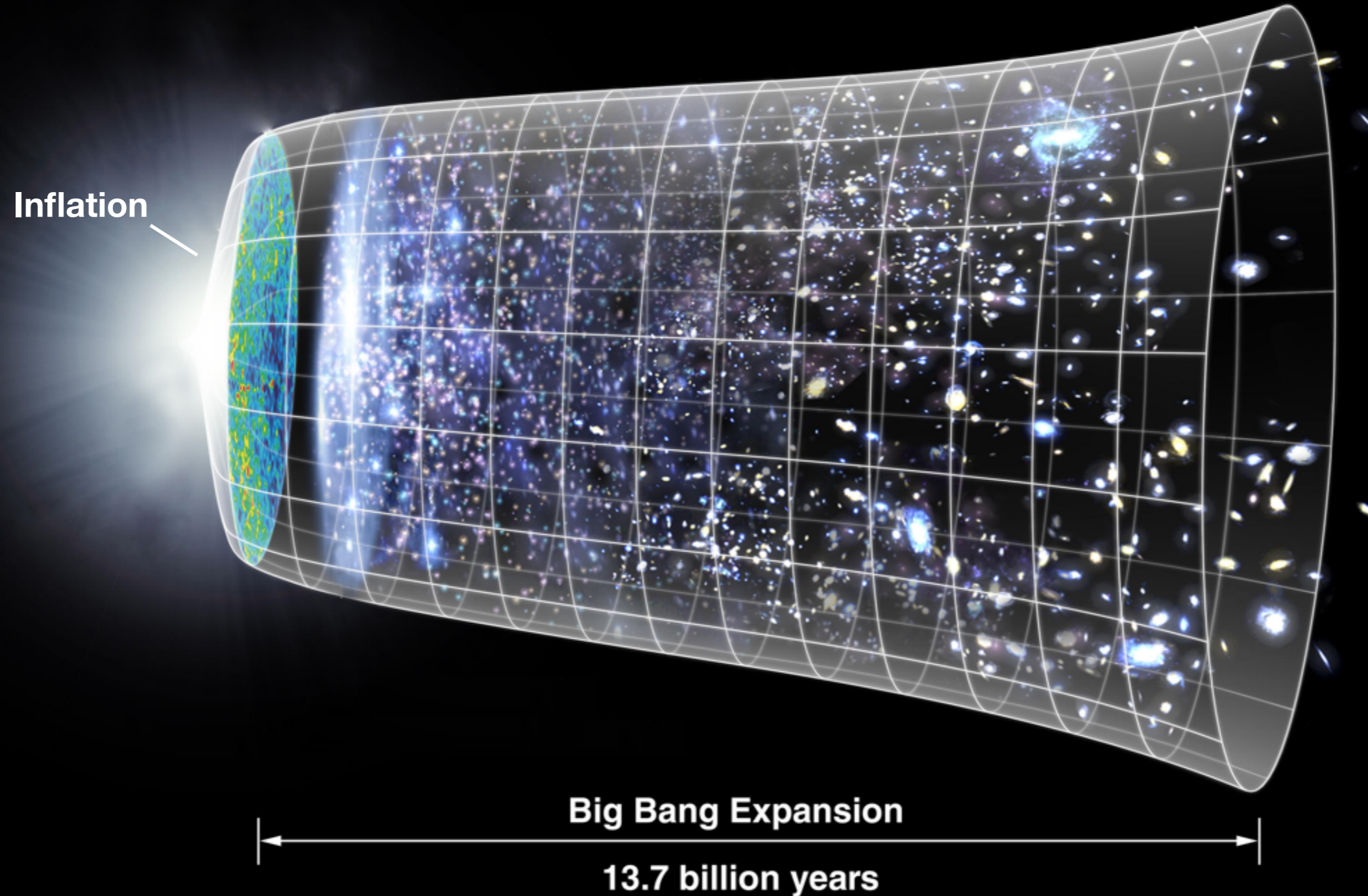
History of the Λ CDM Universe



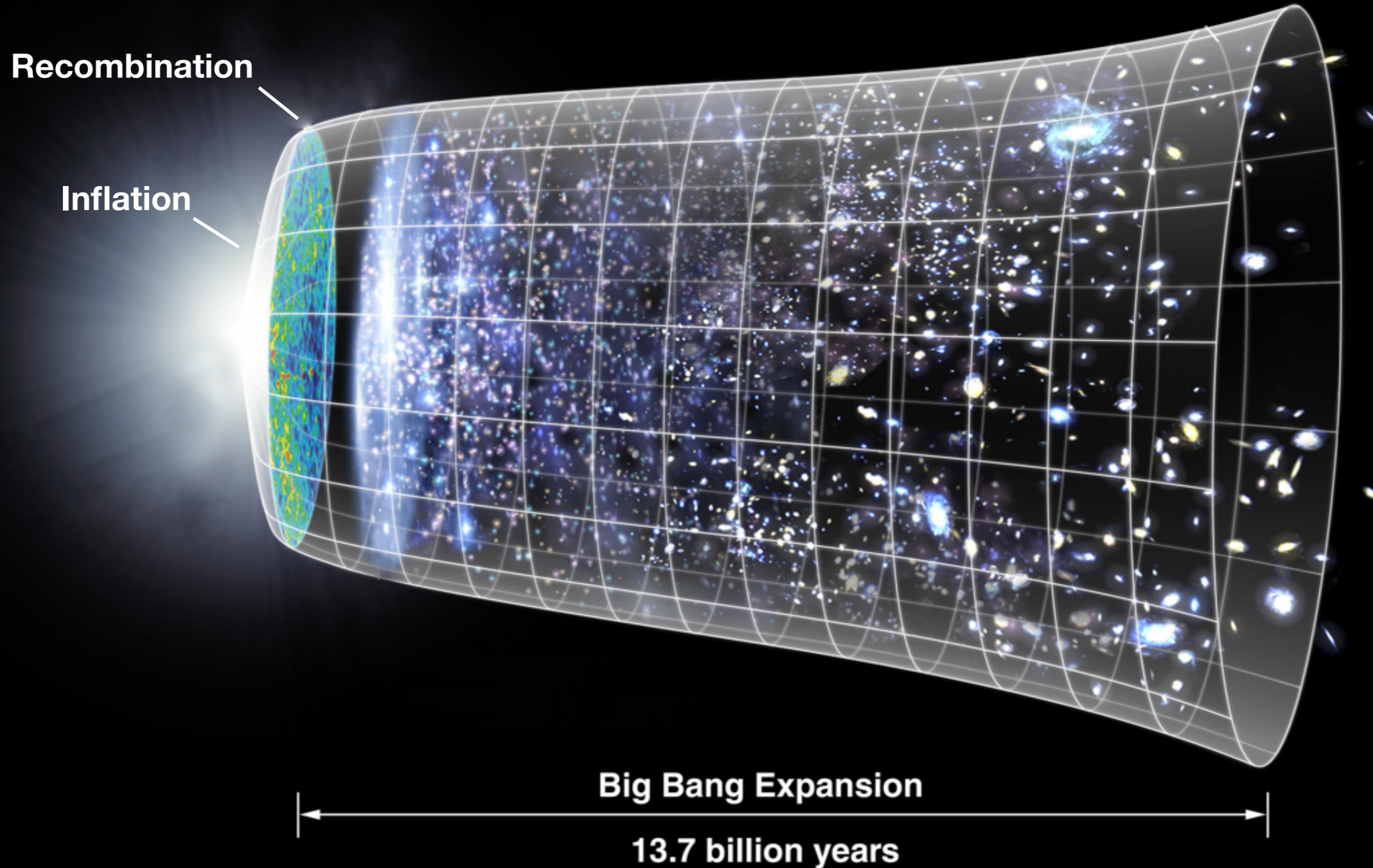
Big Bang Expansion

13.7 billion years

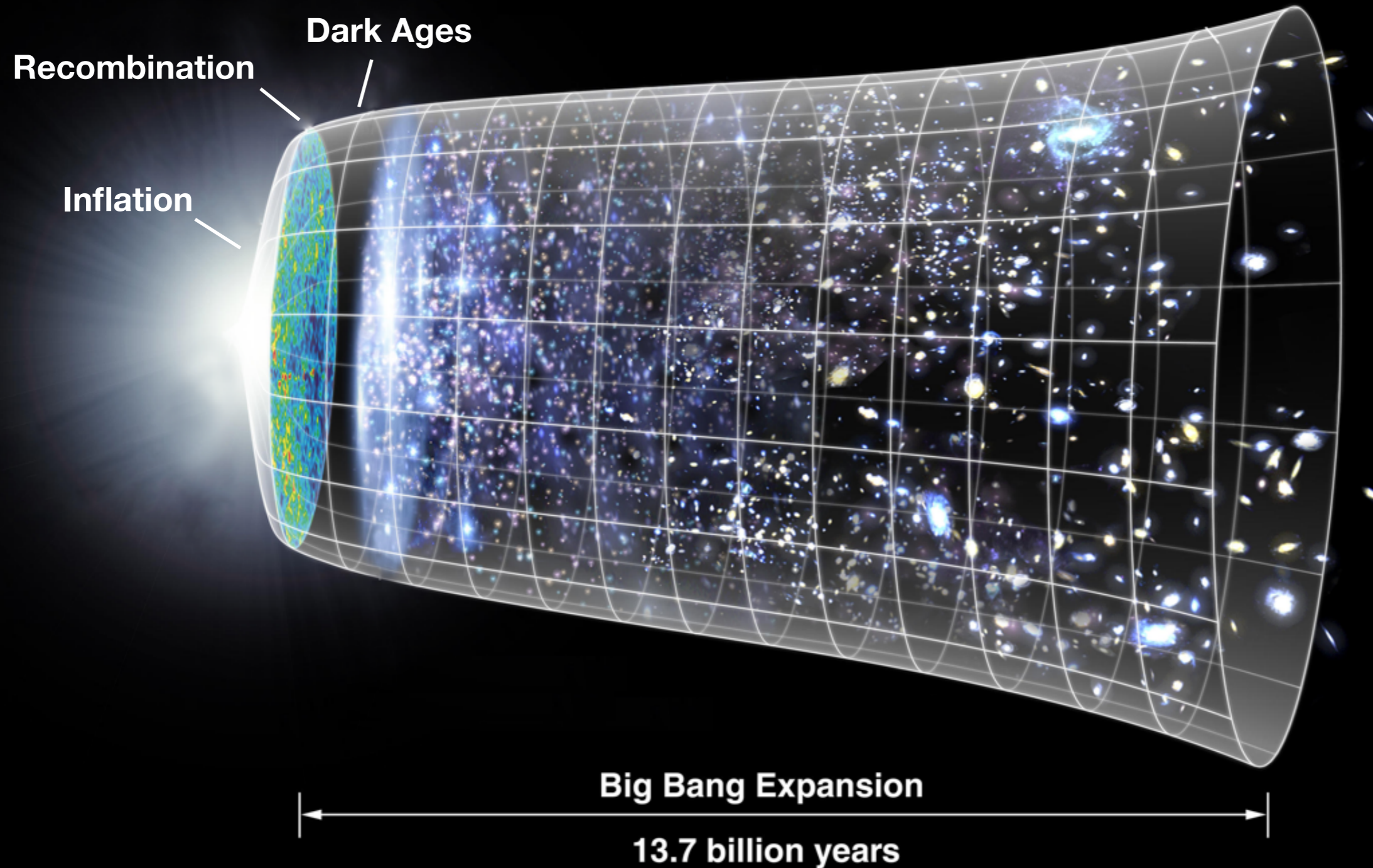
History of the Λ CDM Universe



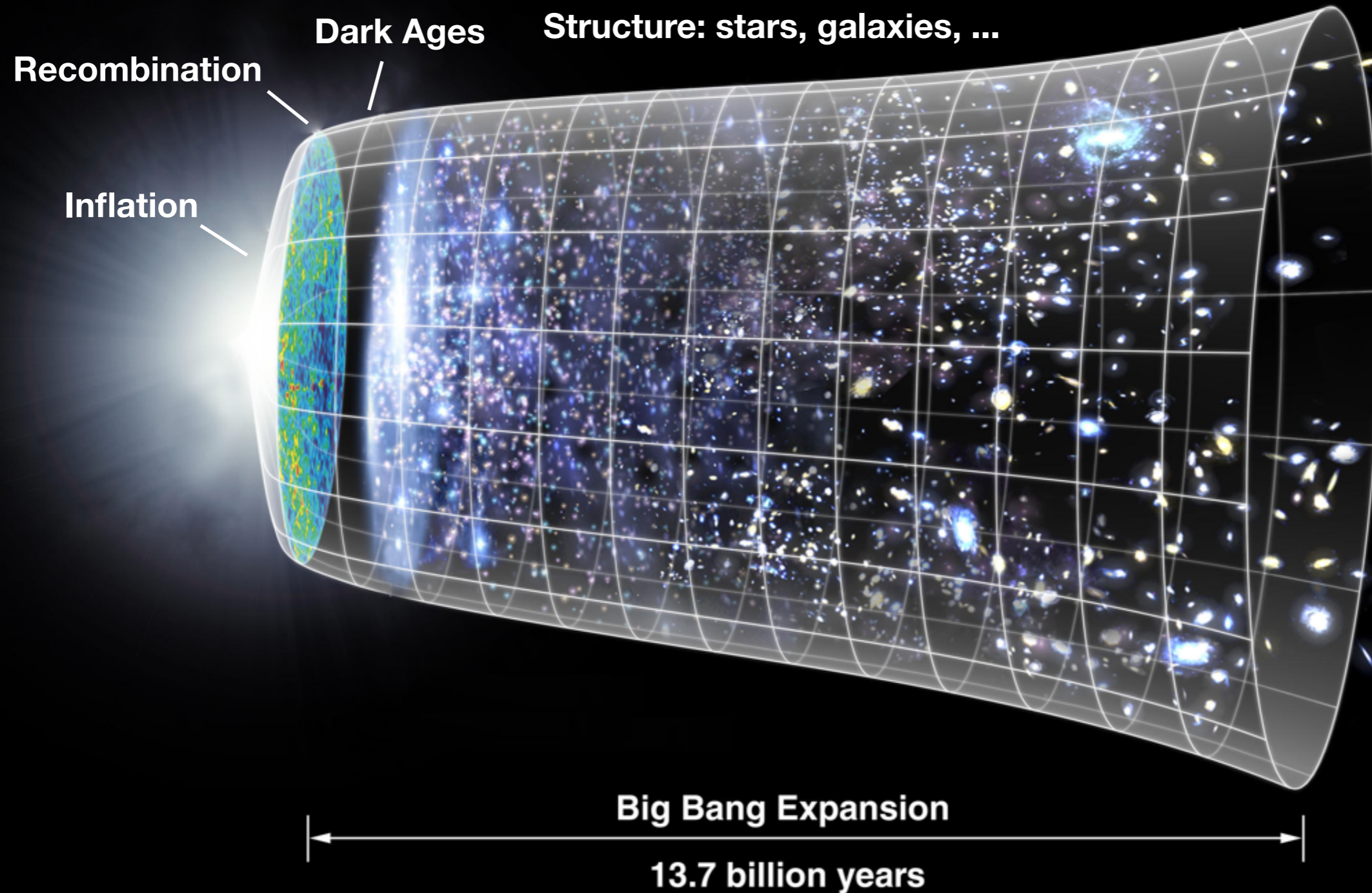
History of the Λ CDM Universe



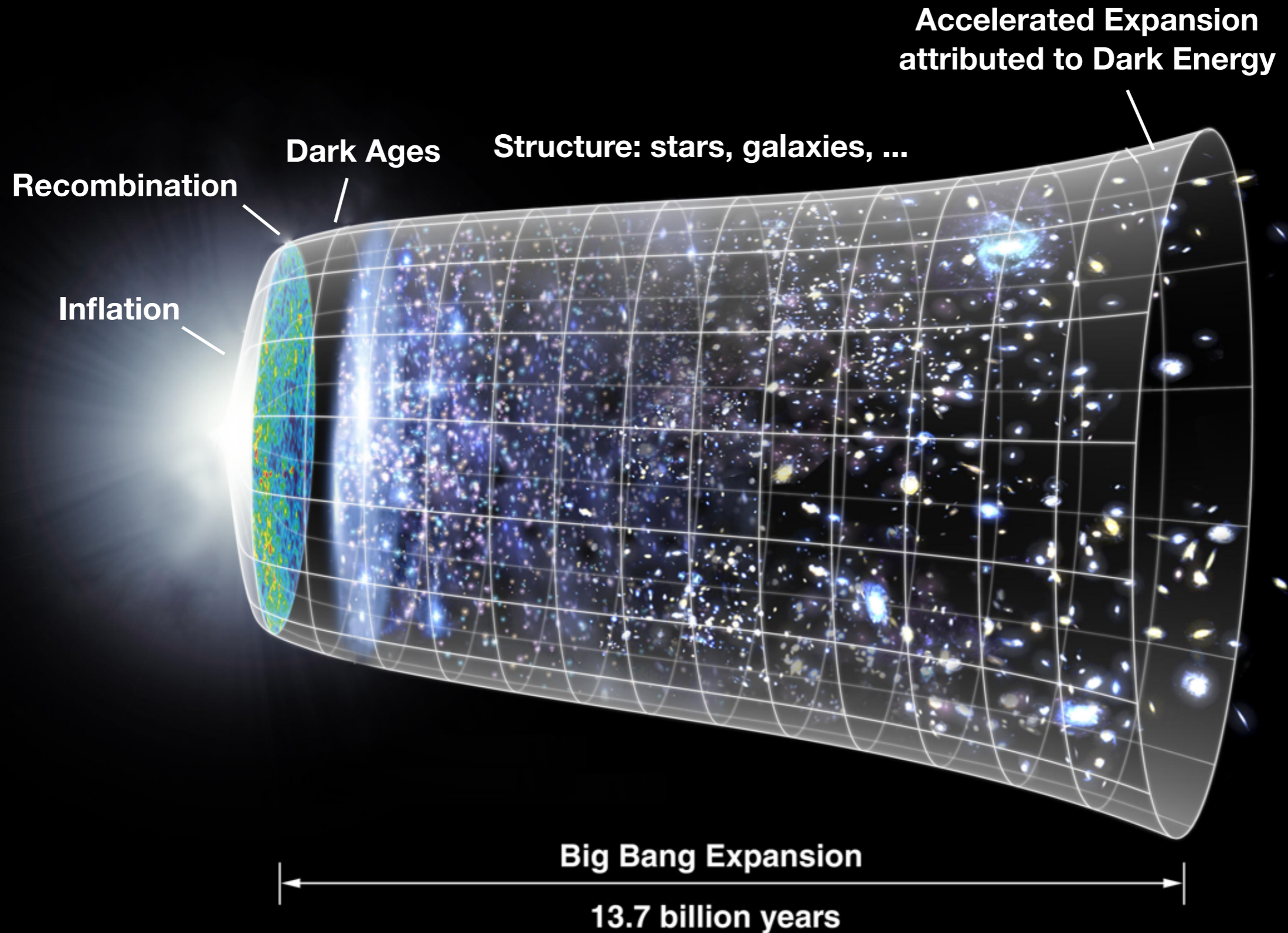
History of the Λ CDM Universe



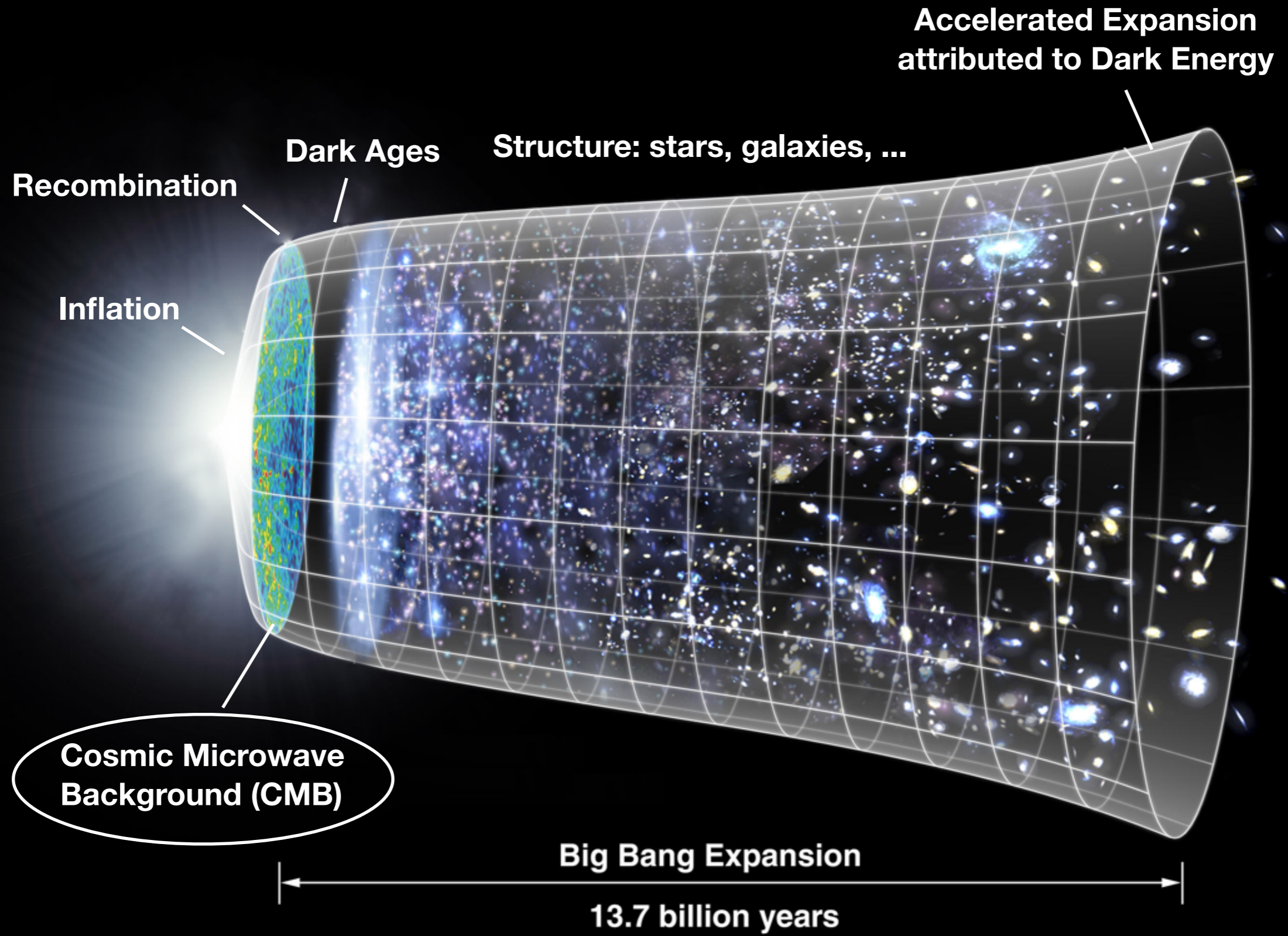
History of the Λ CDM Universe



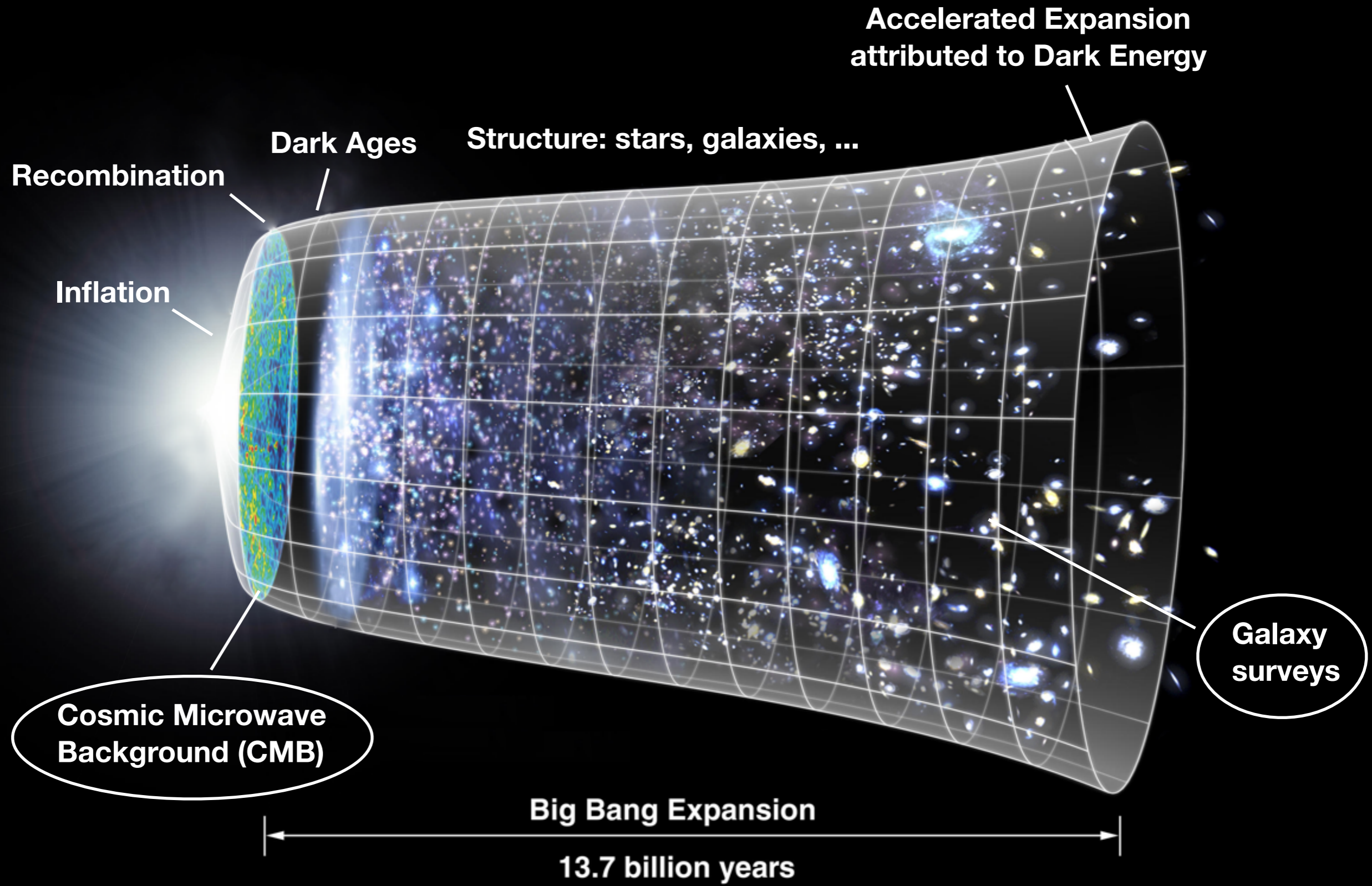
History of the Λ CDM Universe



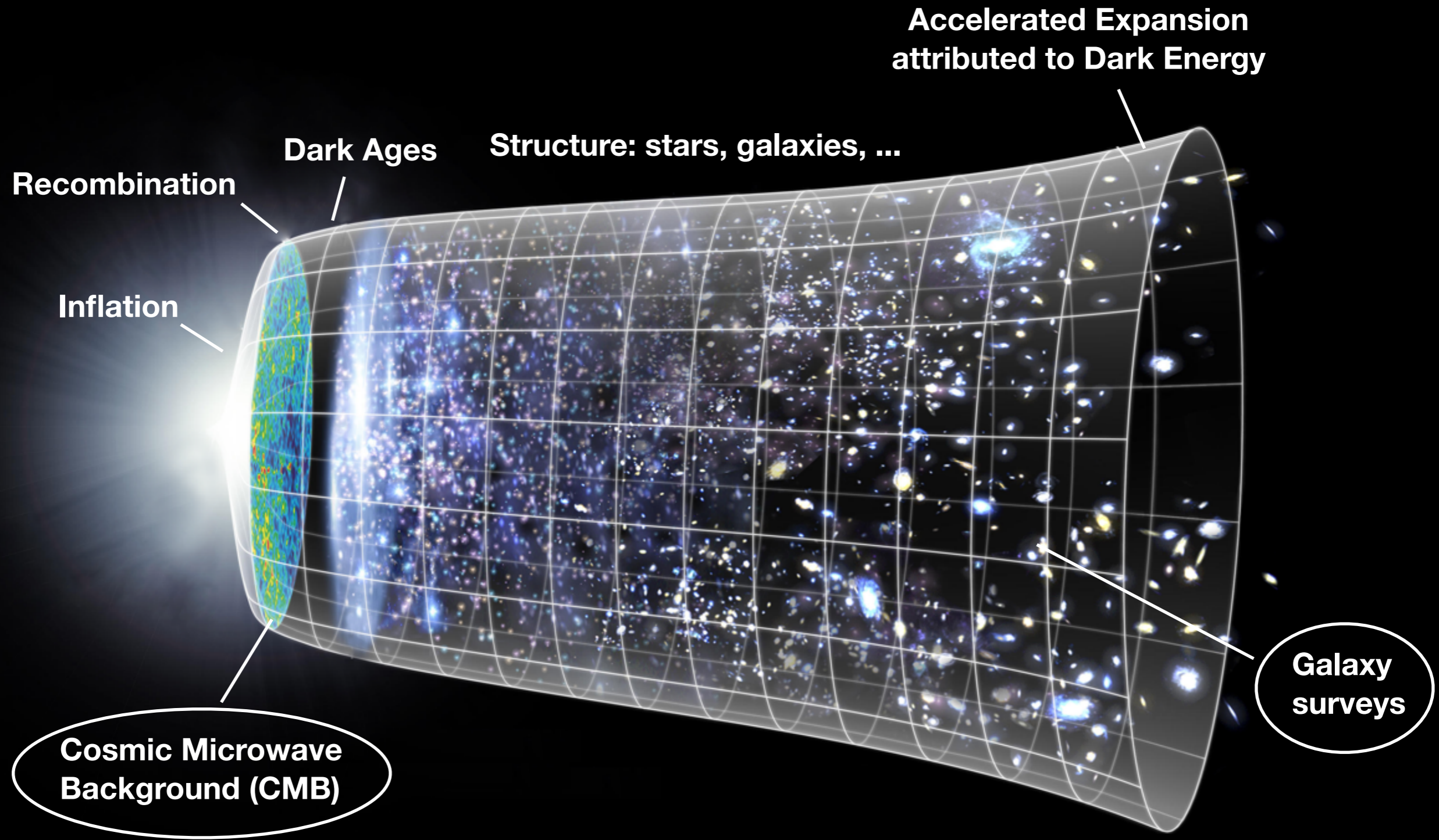
History of the Λ CDM Universe



History of the Λ CDM Universe



History of the Λ CDM Universe



Parameters (H_0 n_s A_s Ω_M Ω_b): measured to few percent uncertainty!

Core Questions in Cosmology

Core Questions in Cosmology

1

What is the nature of *dark matter*?

Core Questions in Cosmology

1

What is the nature of *dark matter*?

2

What makes up *dark energy*?

Core Questions in Cosmology

1

What is the nature of *dark matter*?

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What makes up *dark energy*?

3

What are the properties of *inflation*?

Core Questions in Cosmology

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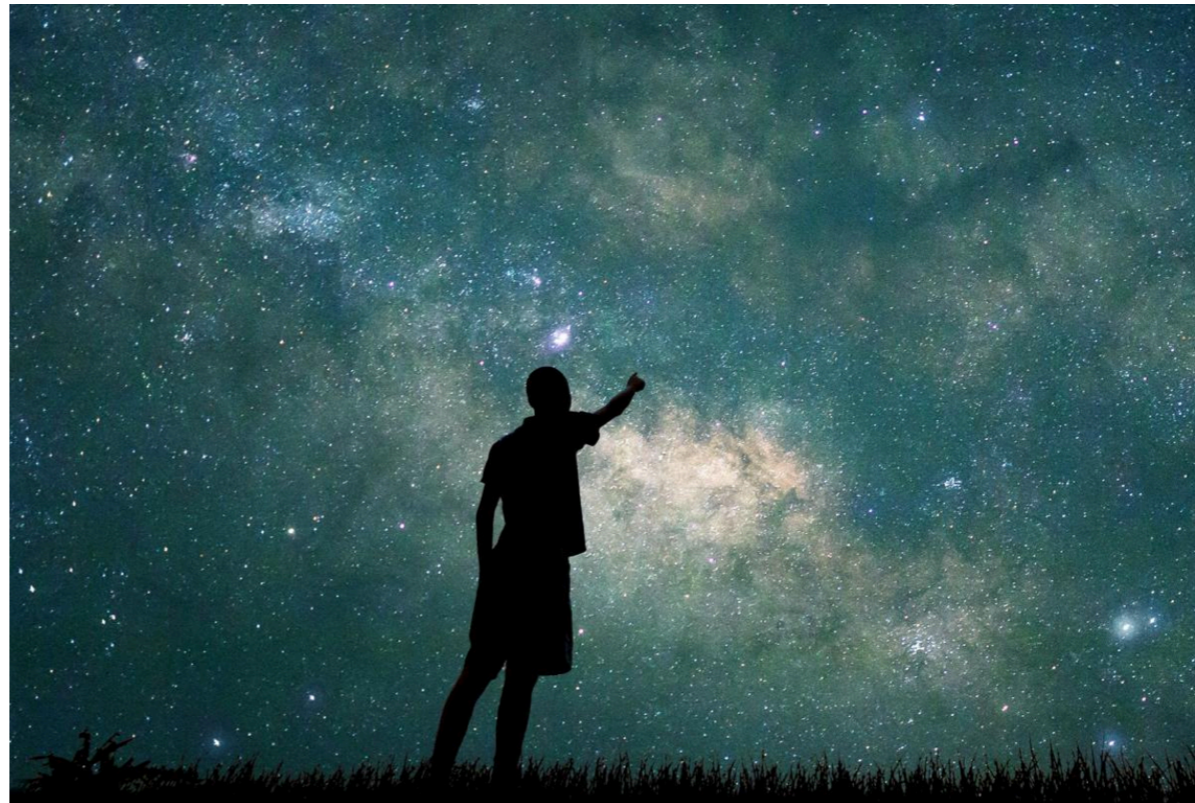
2

What makes up *dark energy*?

3

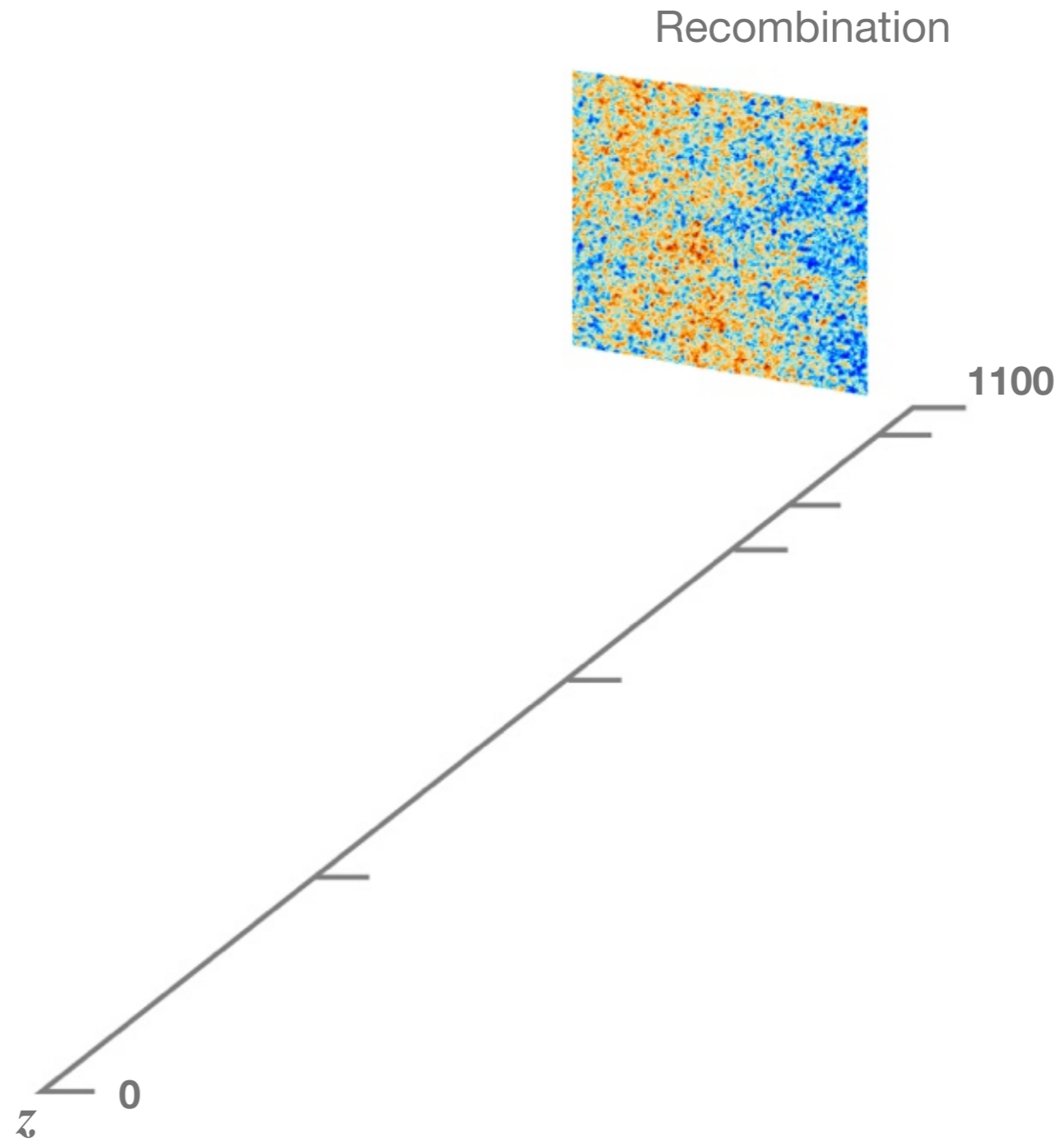
What are the properties of *inflation*?

Where will new information come from?

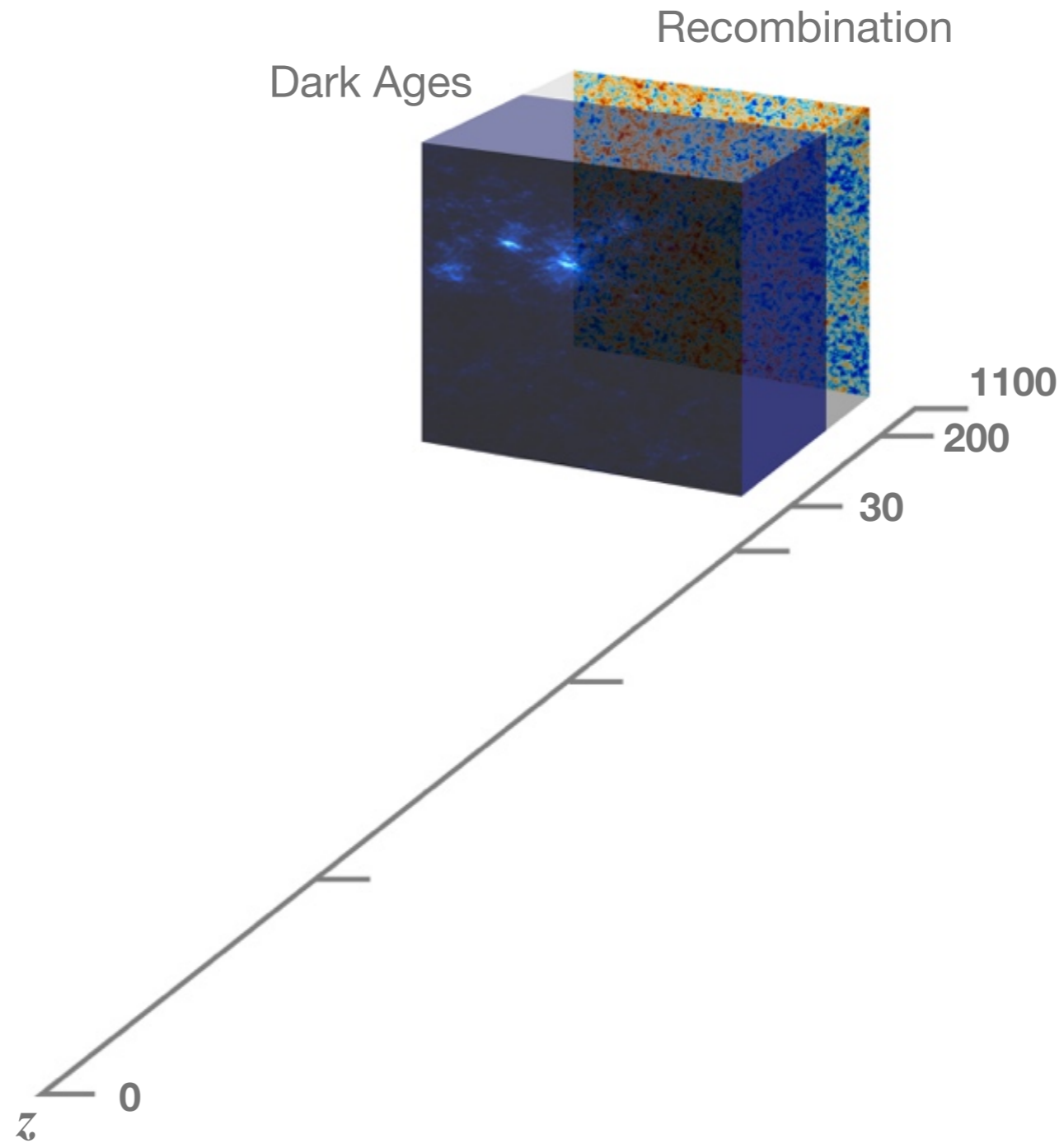


The Observable Universe: Key Historical Epochs

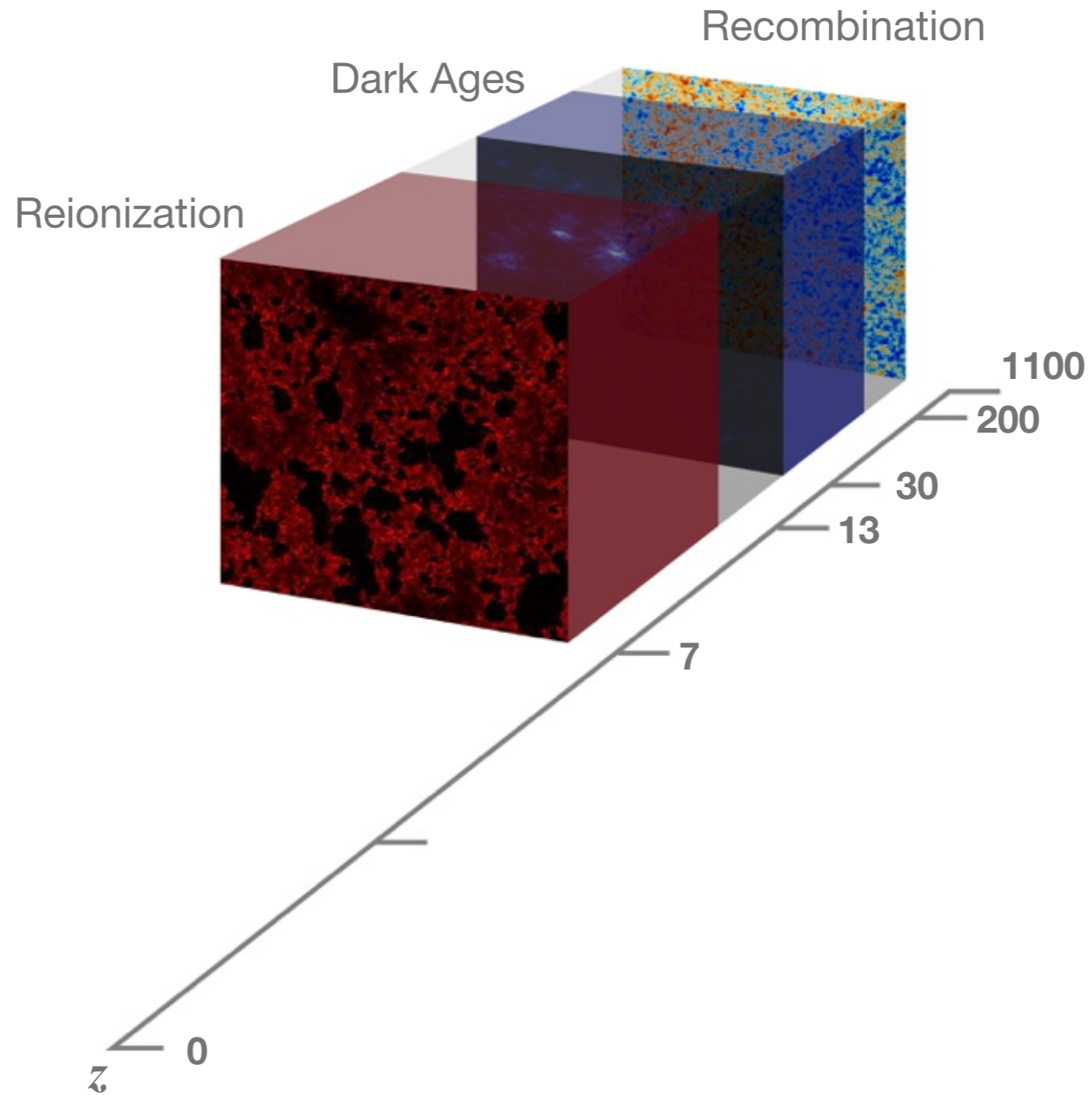
The Observable Universe: Key Historical Epochs



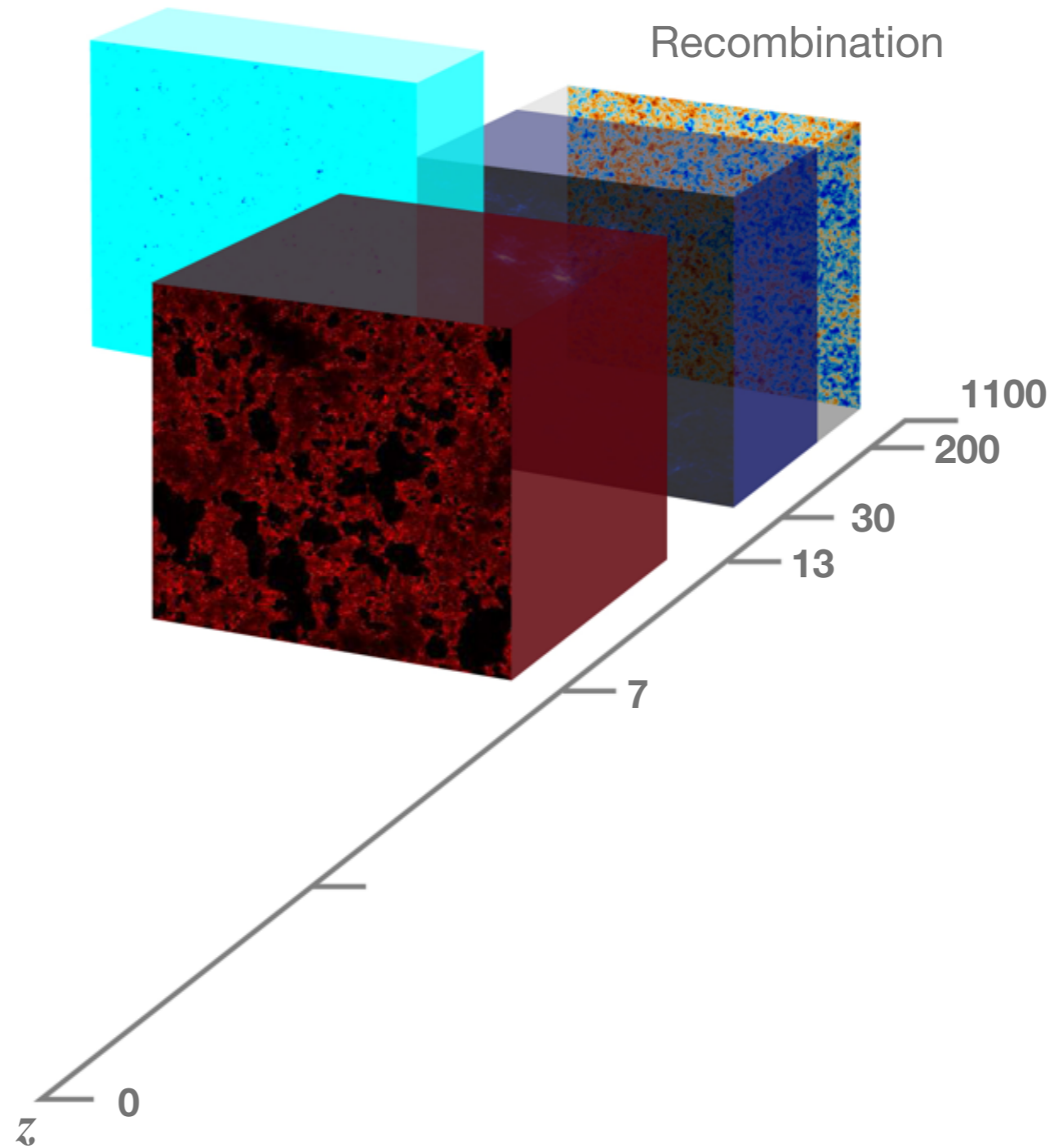
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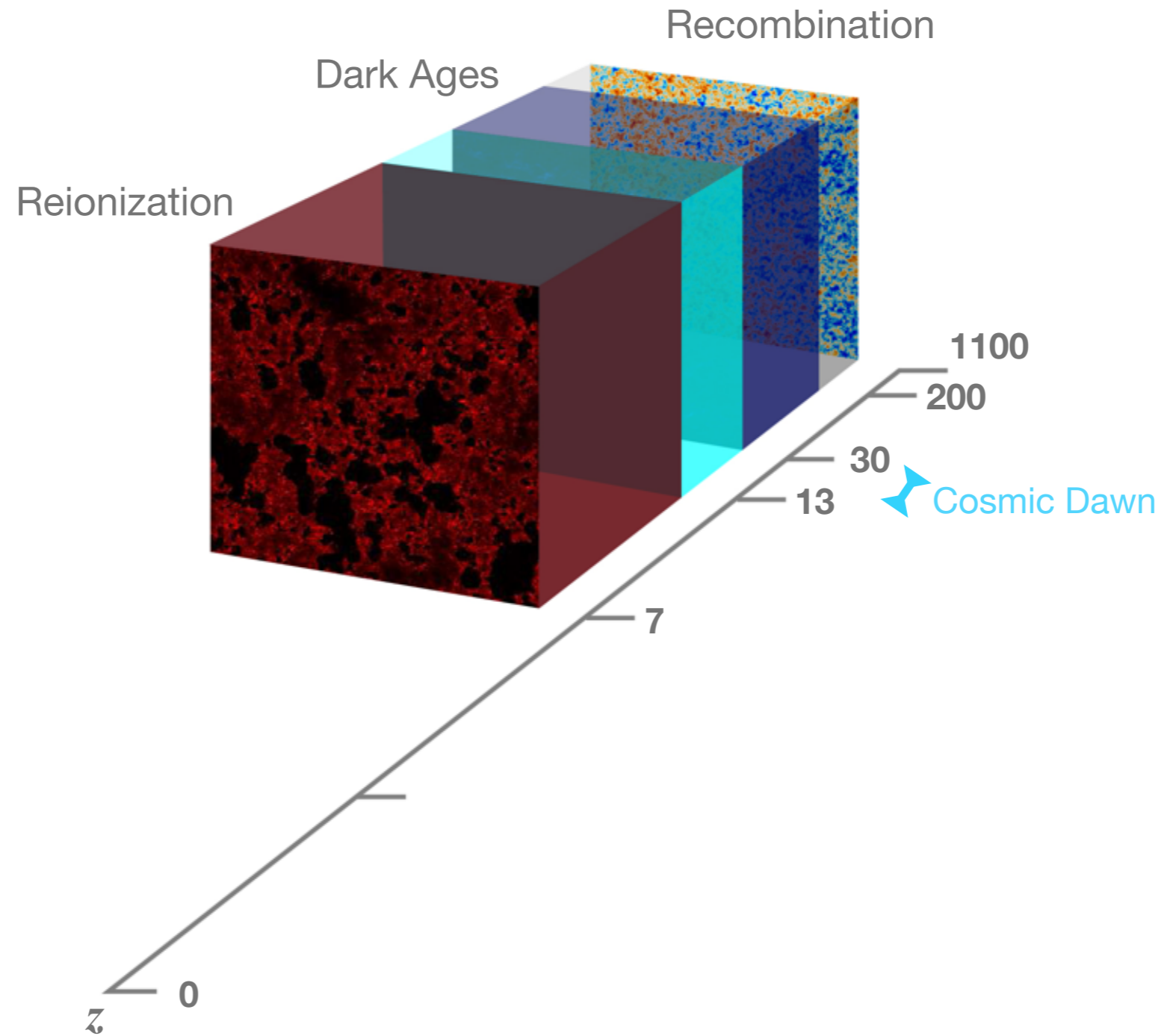
The Observable Universe: Key Historical Epochs



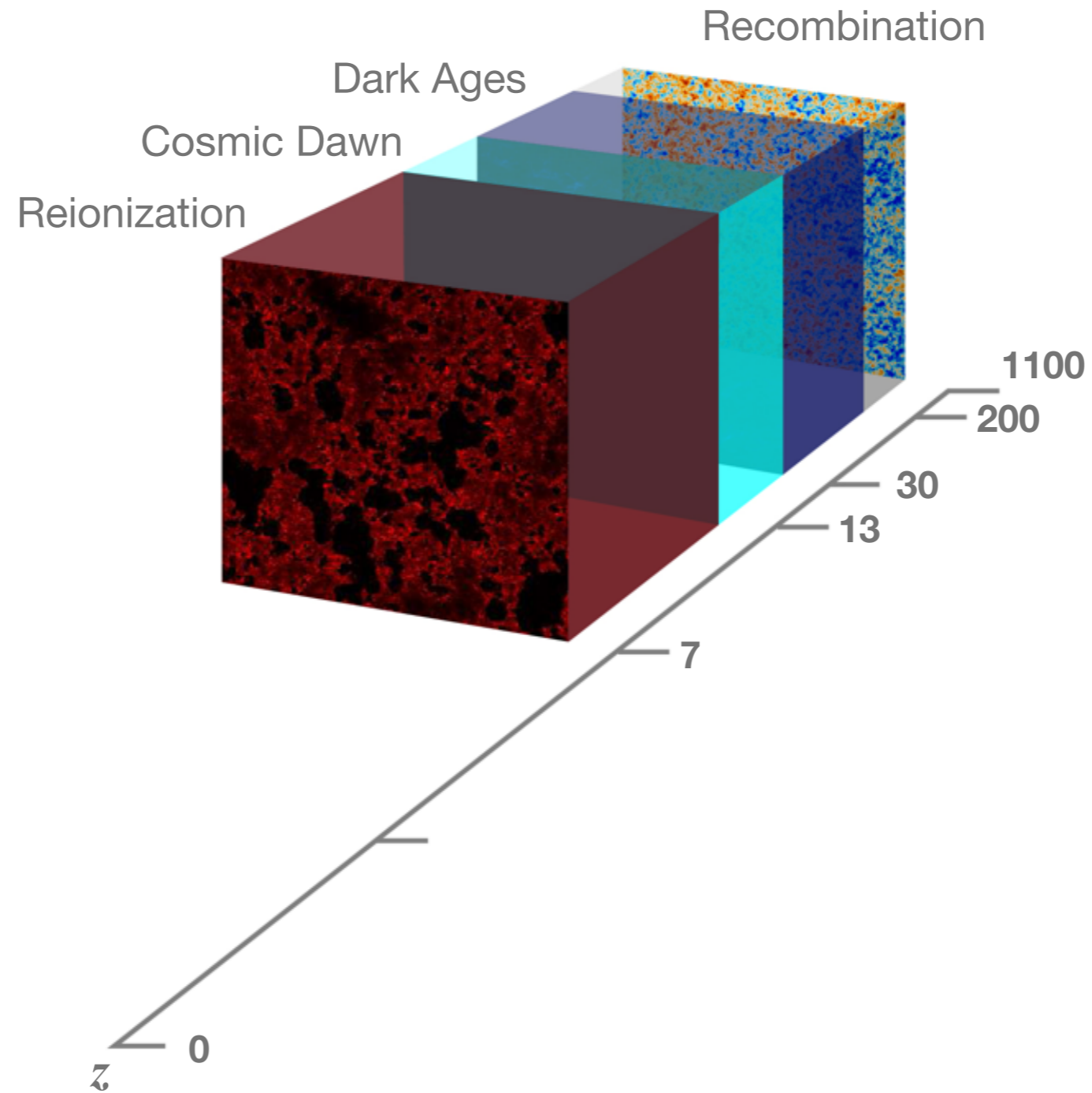
The Observable Universe: Key Historical Epochs



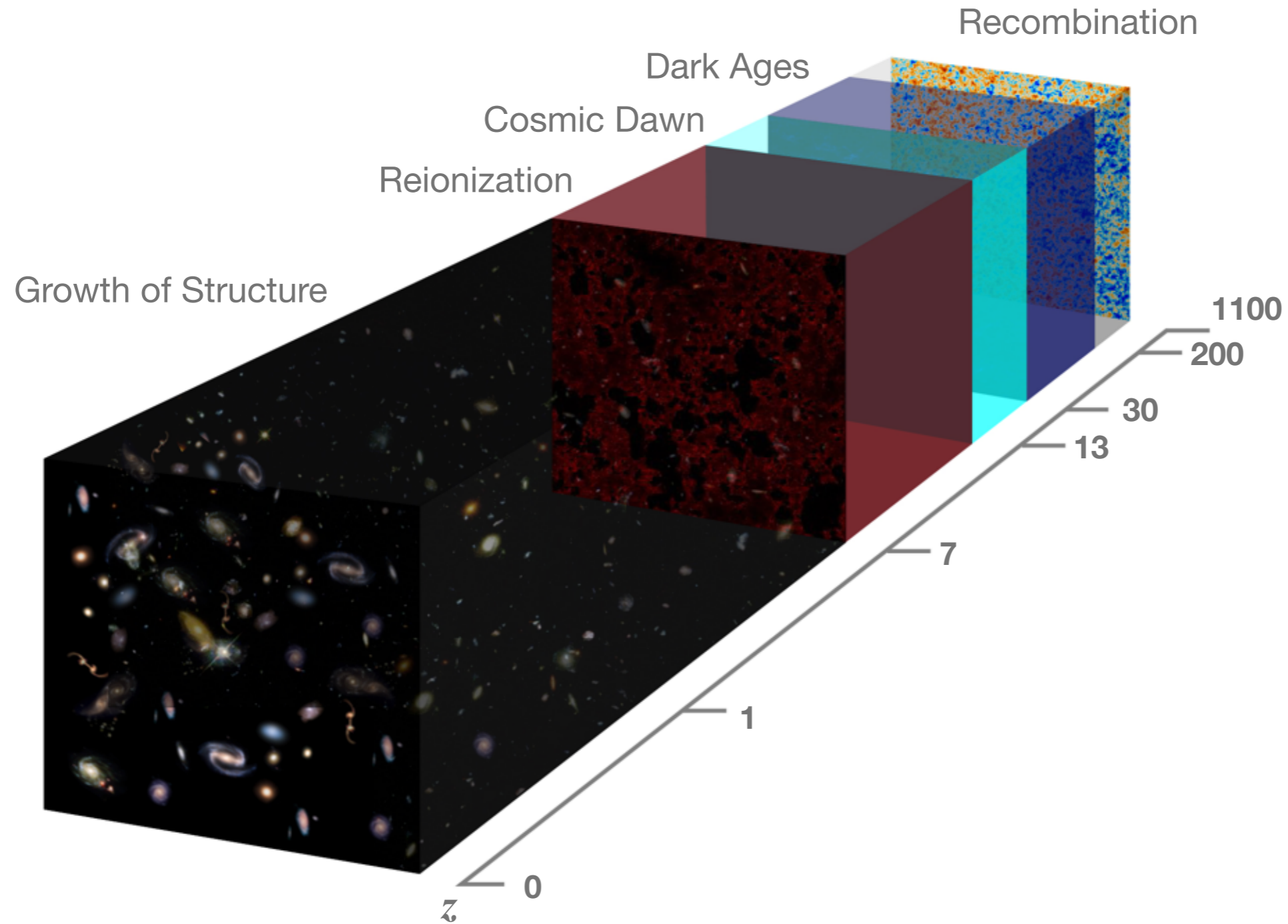
The Observable Universe: Key Historical Epochs



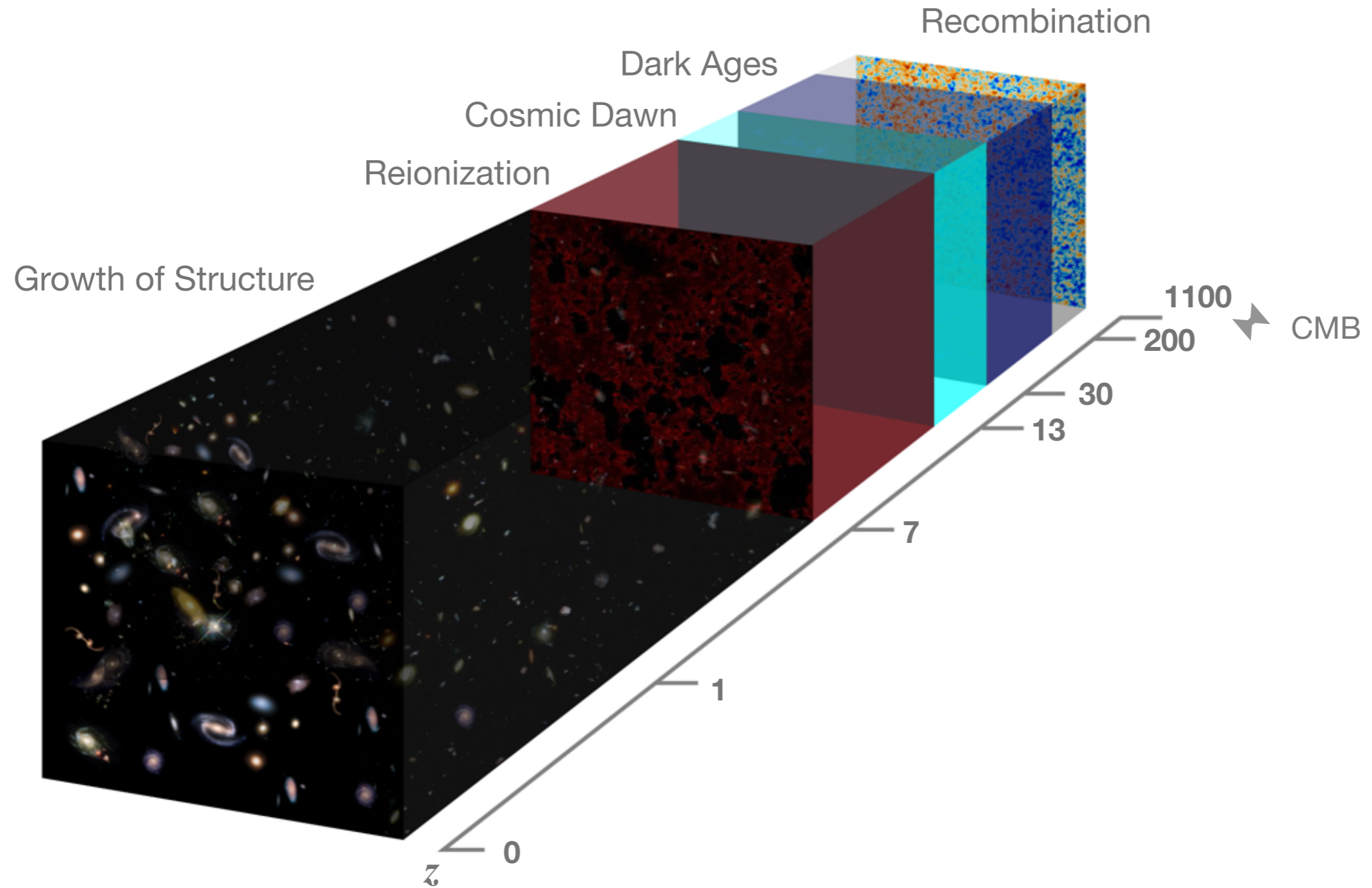
The Observable Universe: Key Historical Epochs



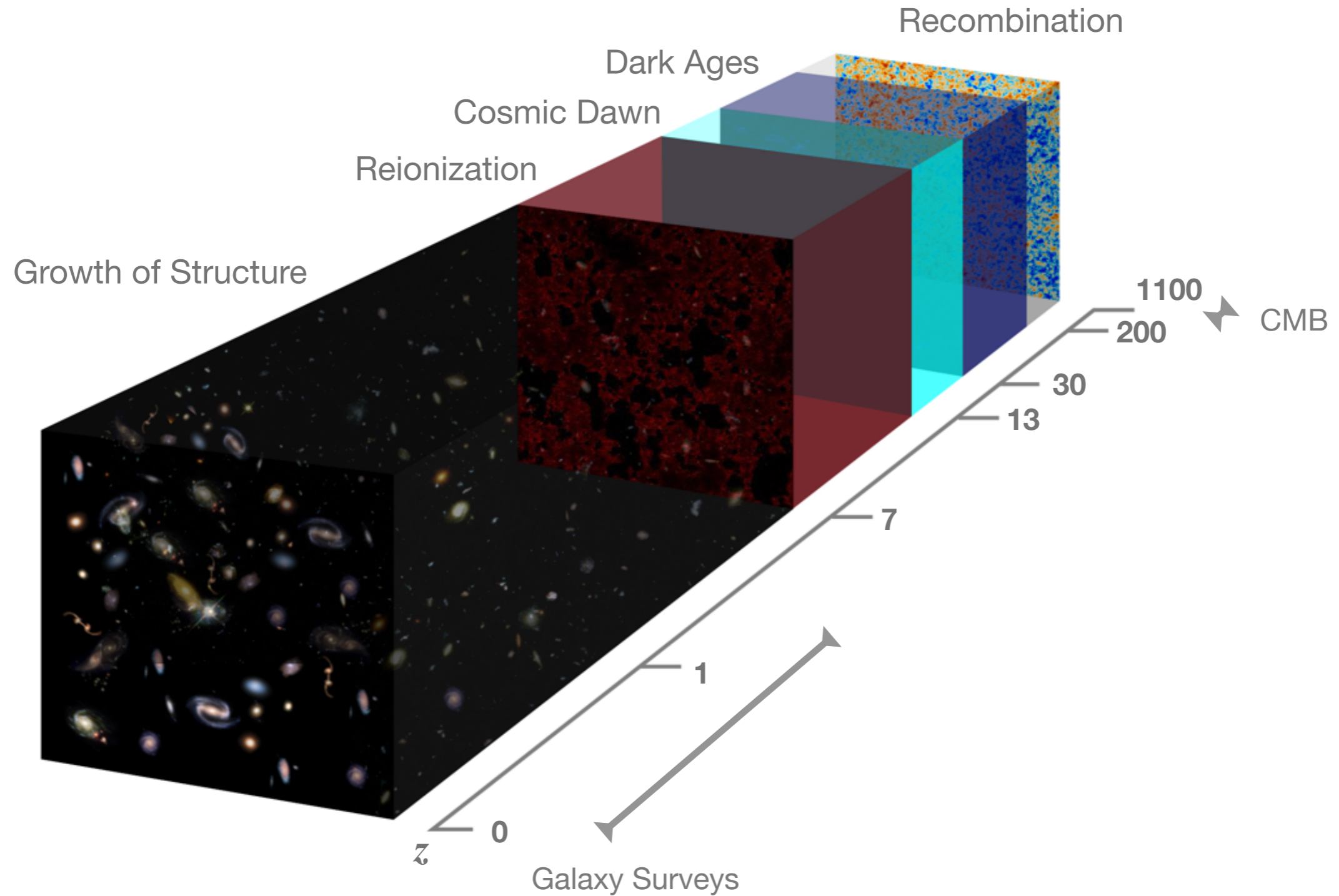
The Observable Universe: Key Historical Epochs



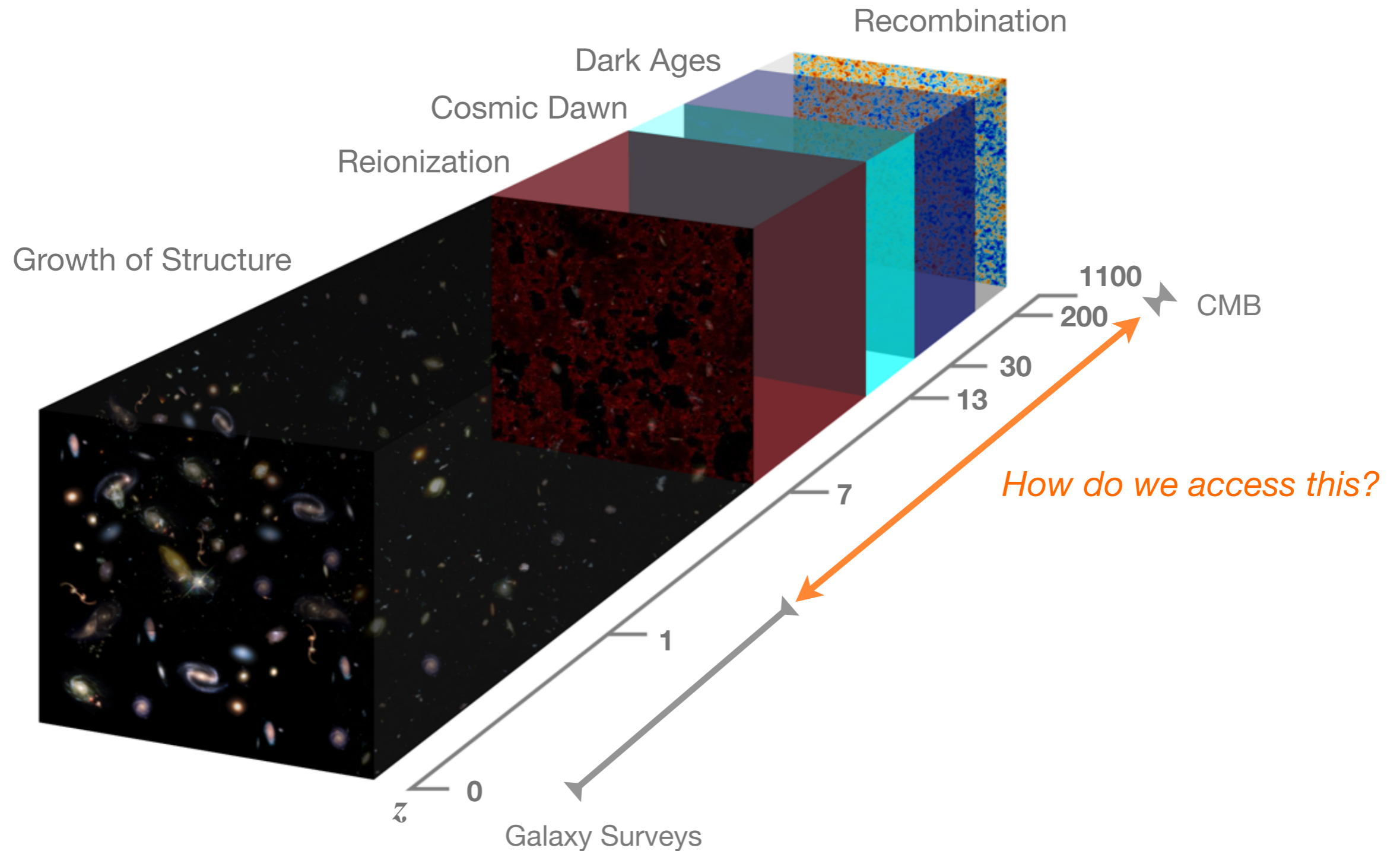
The Observable Universe: Key Historical Epochs



The Observable Universe: Key Historical Epochs



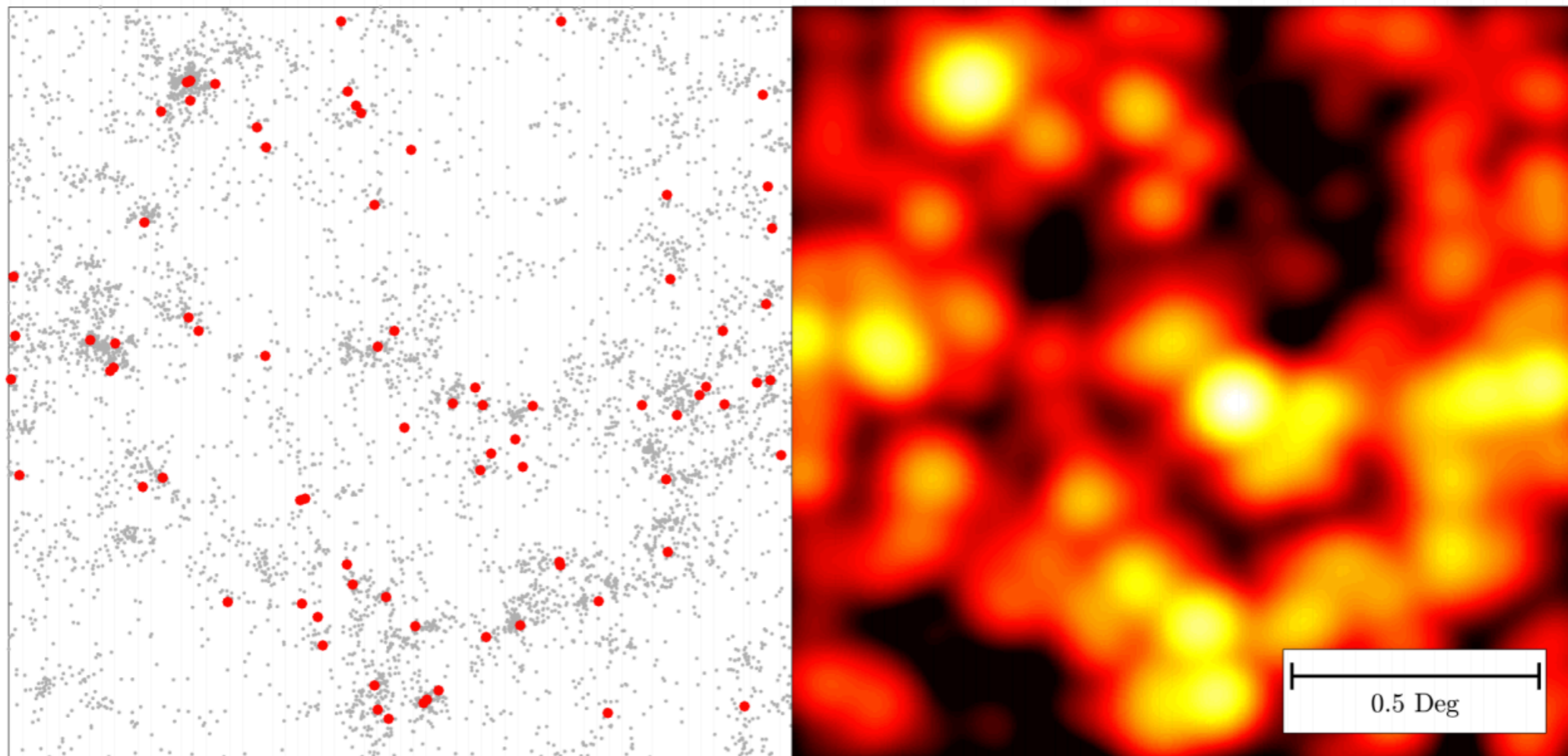
The Observable Universe: Key Historical Epochs



What is Line-Intensity Mapping?

What is Line-Intensity Mapping?

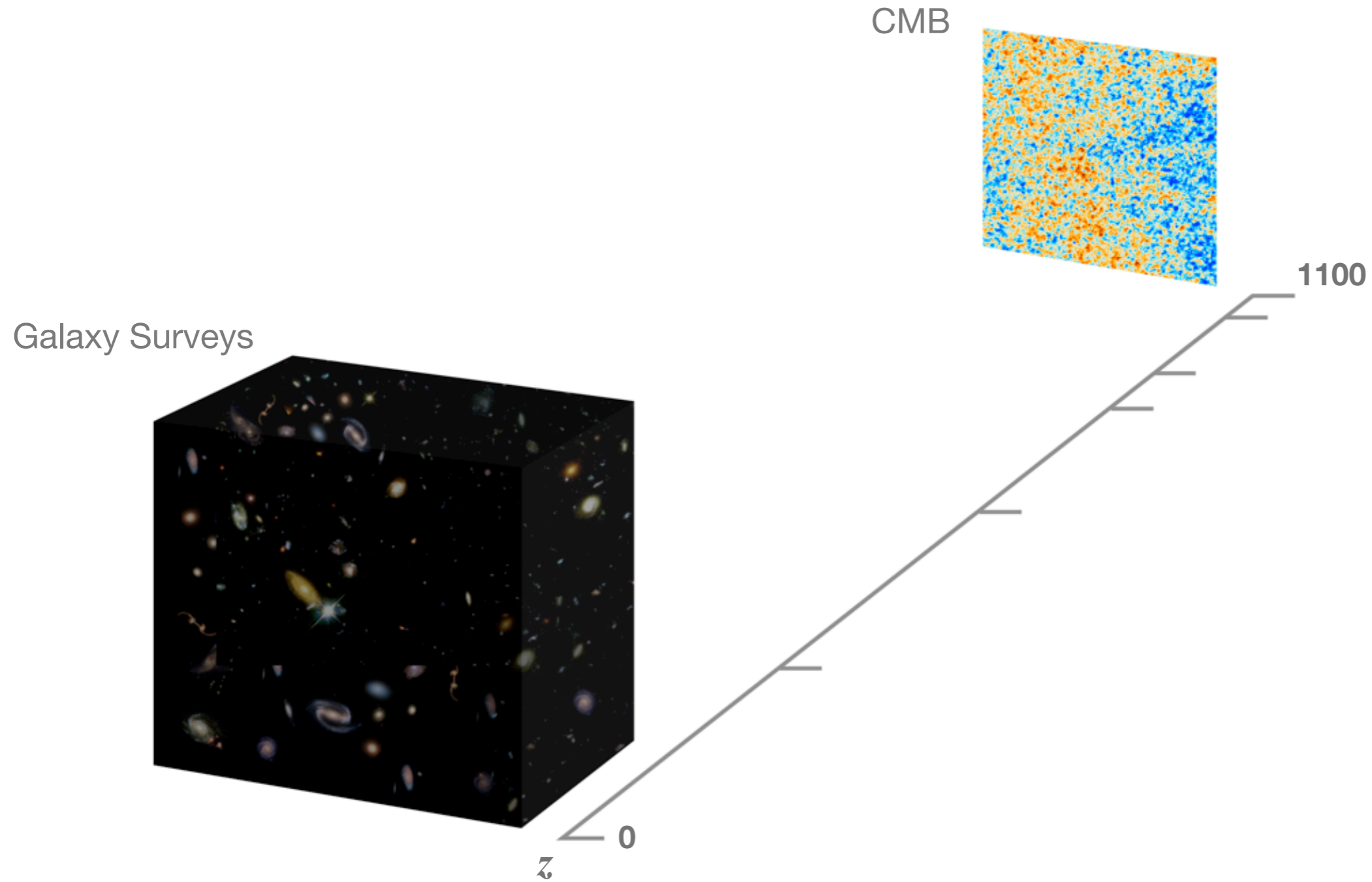
Intensity mapping: 3D mapping of the specific intensity due to line emission.



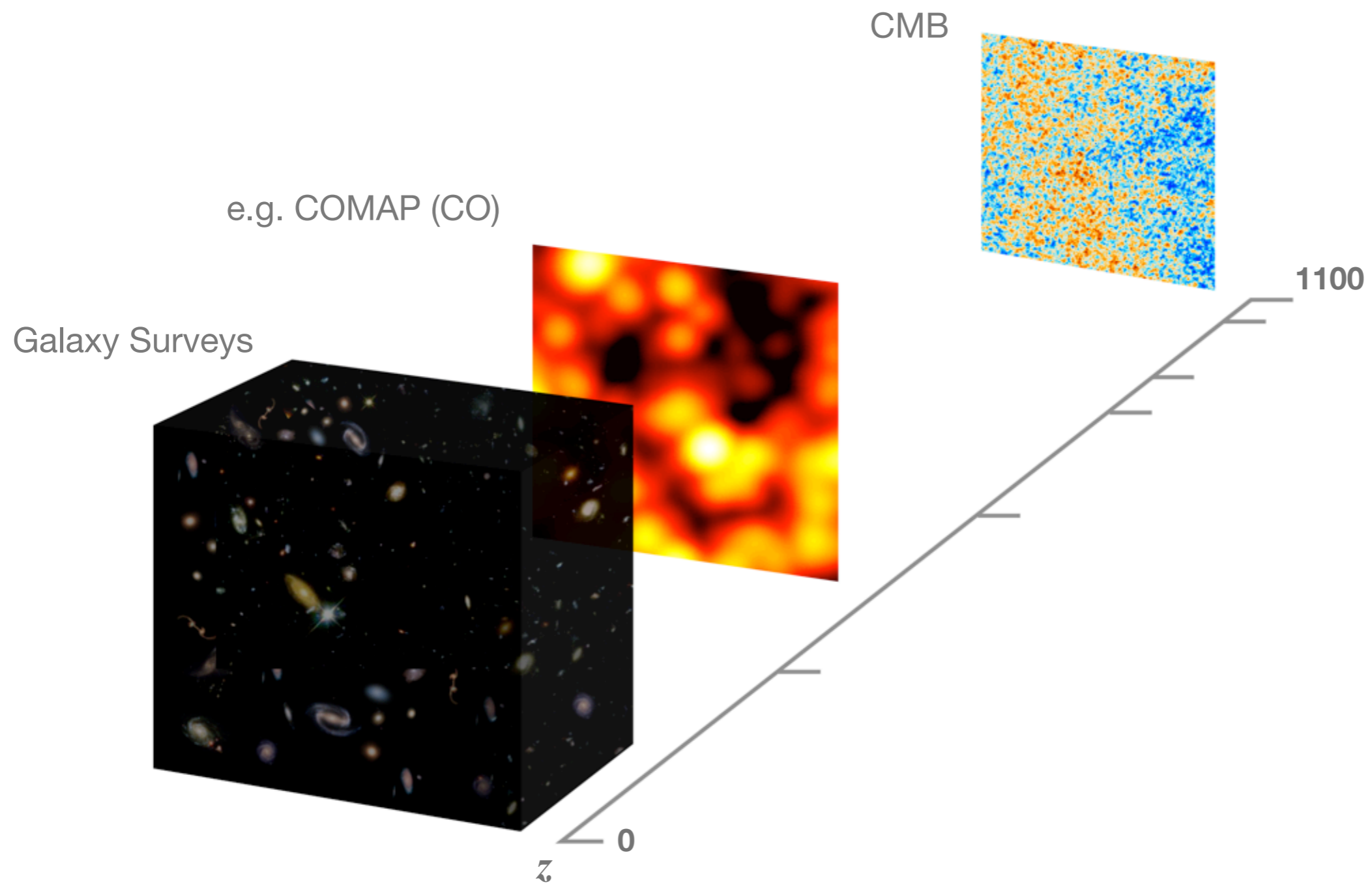
- Left: in ~4500 hours, VLA can detect ~1% of the total number of CO-emitting galaxies.
- Right: in ~1500 hours, COMAP will map CO intensity fluctuations throughout the field.

The Promise of Line-Intensity Mapping

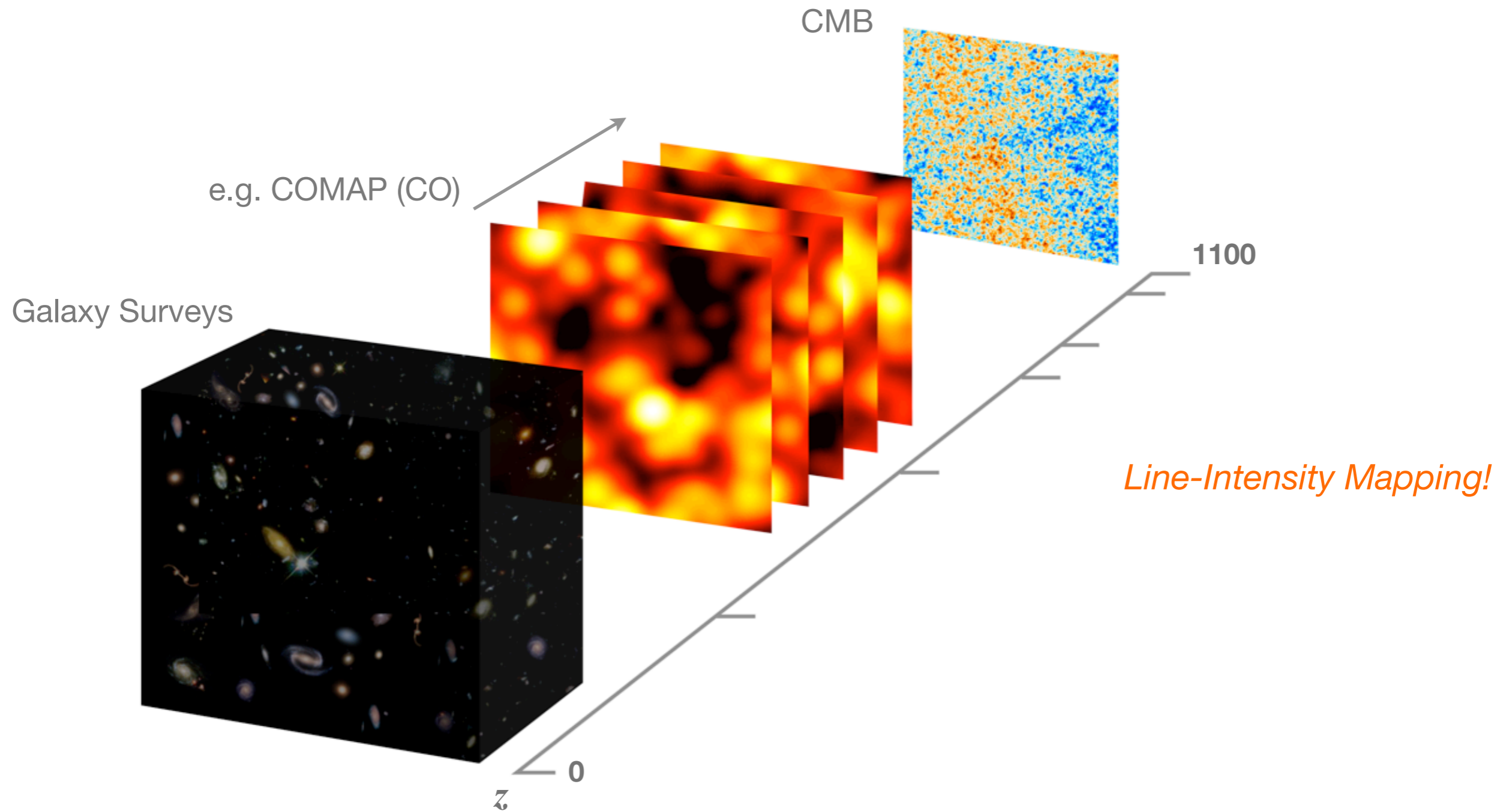
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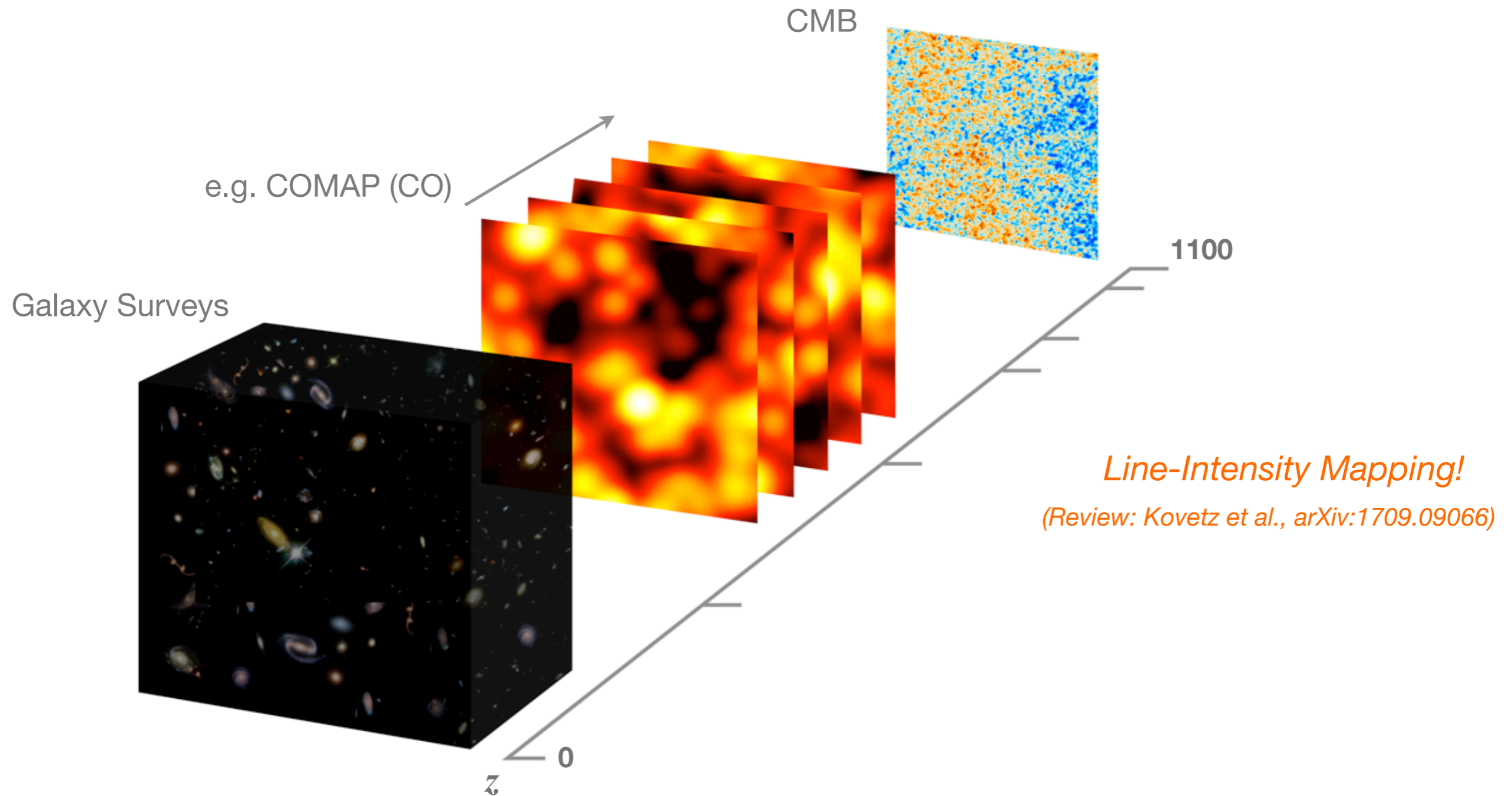
The Promise of Line-Intensity Mapping



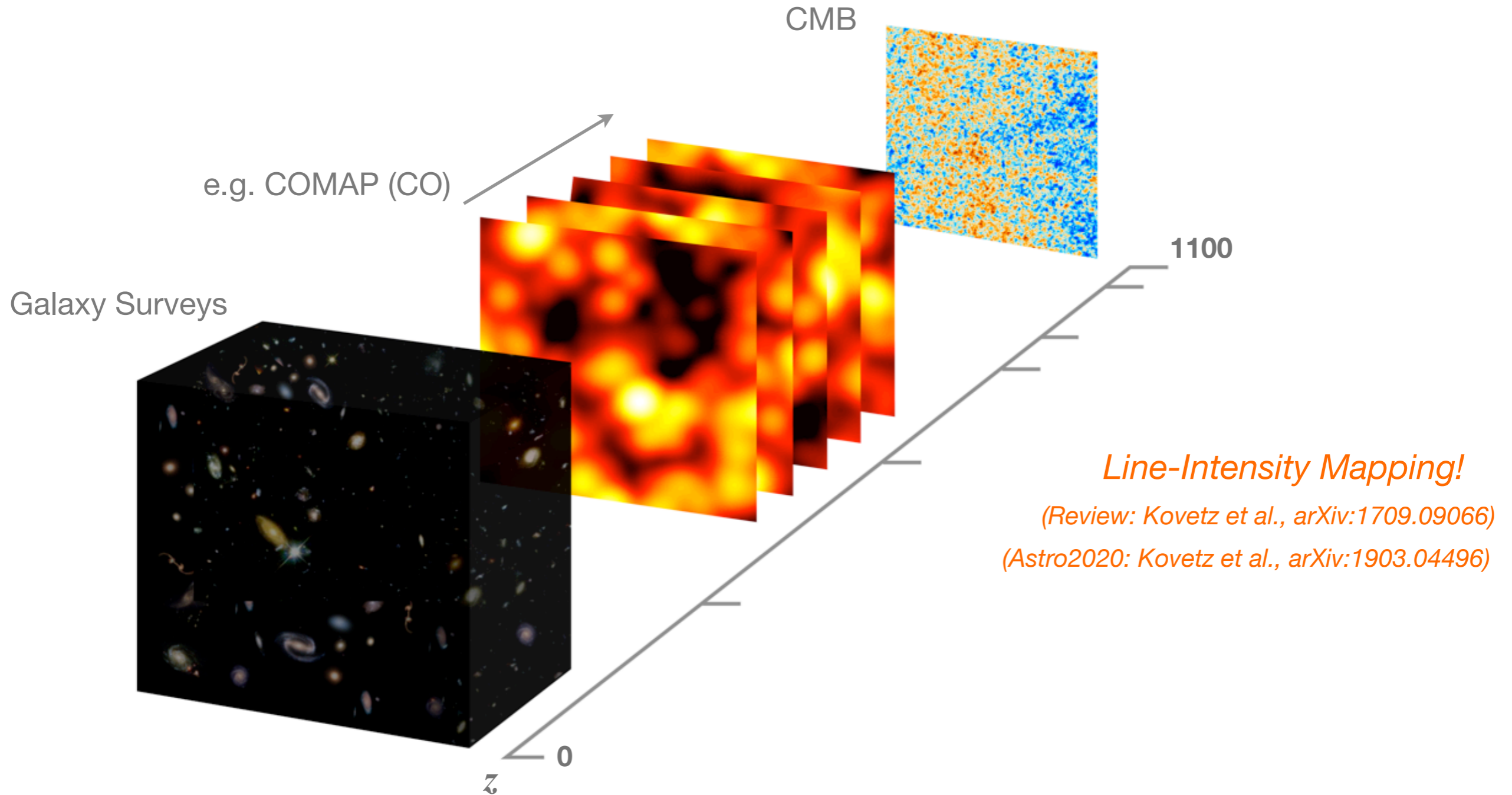
The Promise of Line-Intensity Mapping



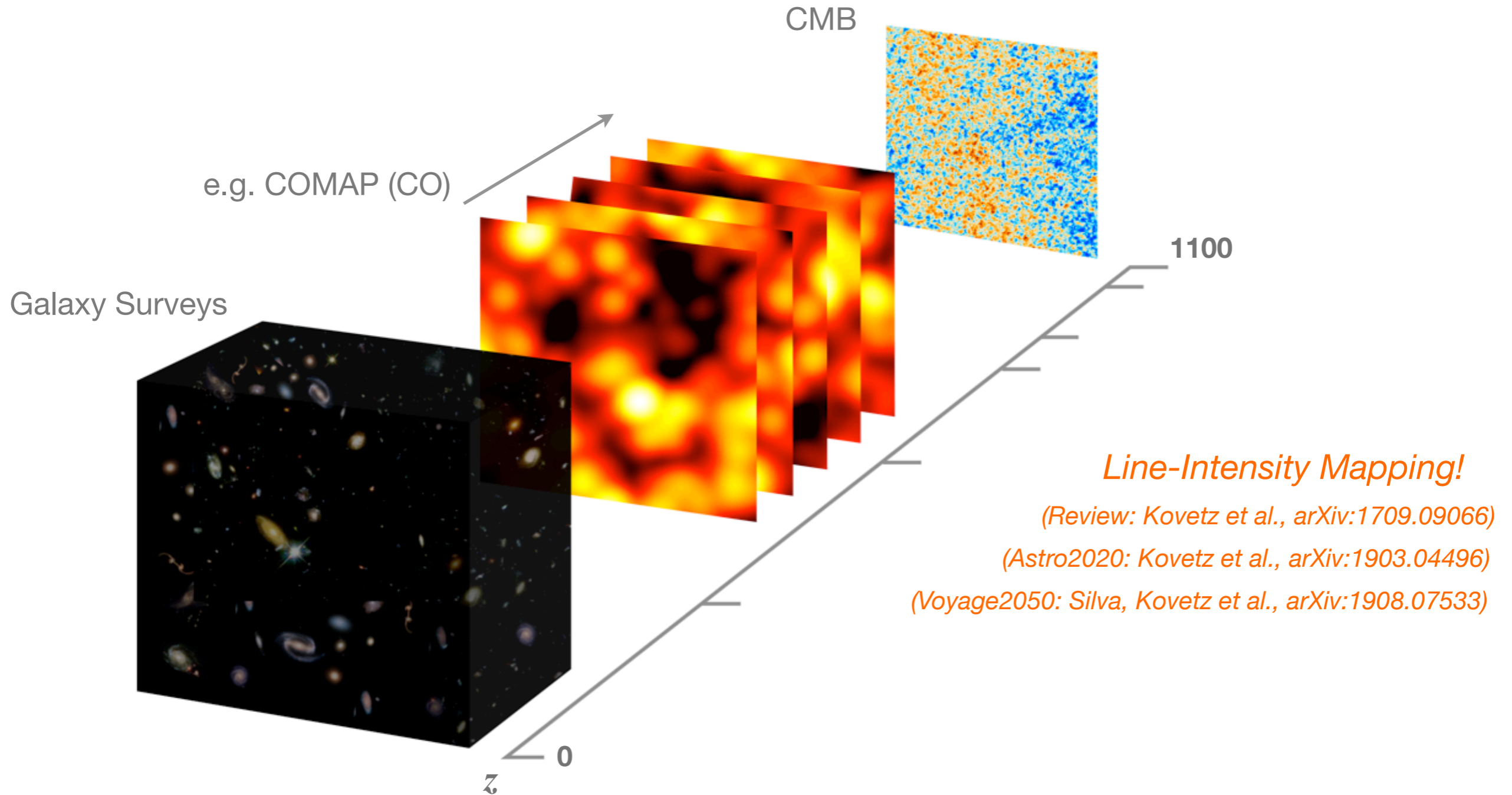
The Promise of Line-Intensity Mapping



The Promise of Line-Intensity Mapping



The Promise of Line-Intensity Mapping

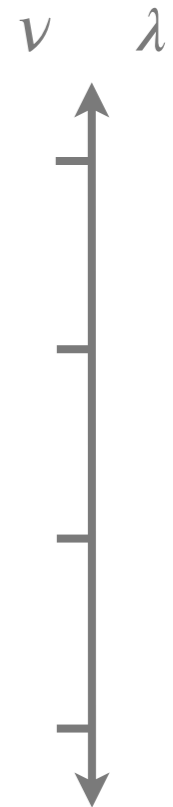


The Reach of Line-Intensity Mapping

Different epochs can be probed with multiple lines at different frequencies.

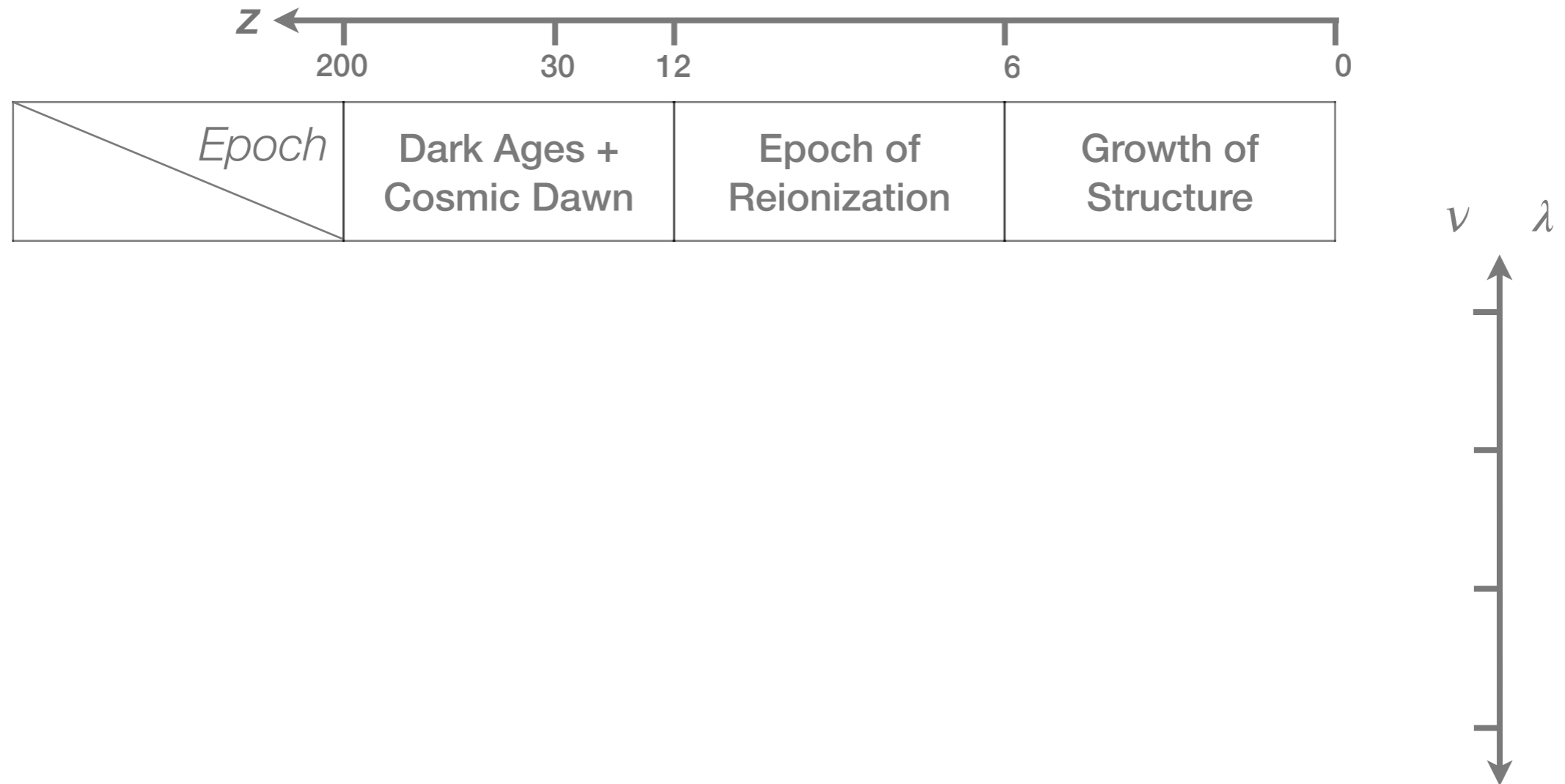
The Reach of Line-Intensity Mapping

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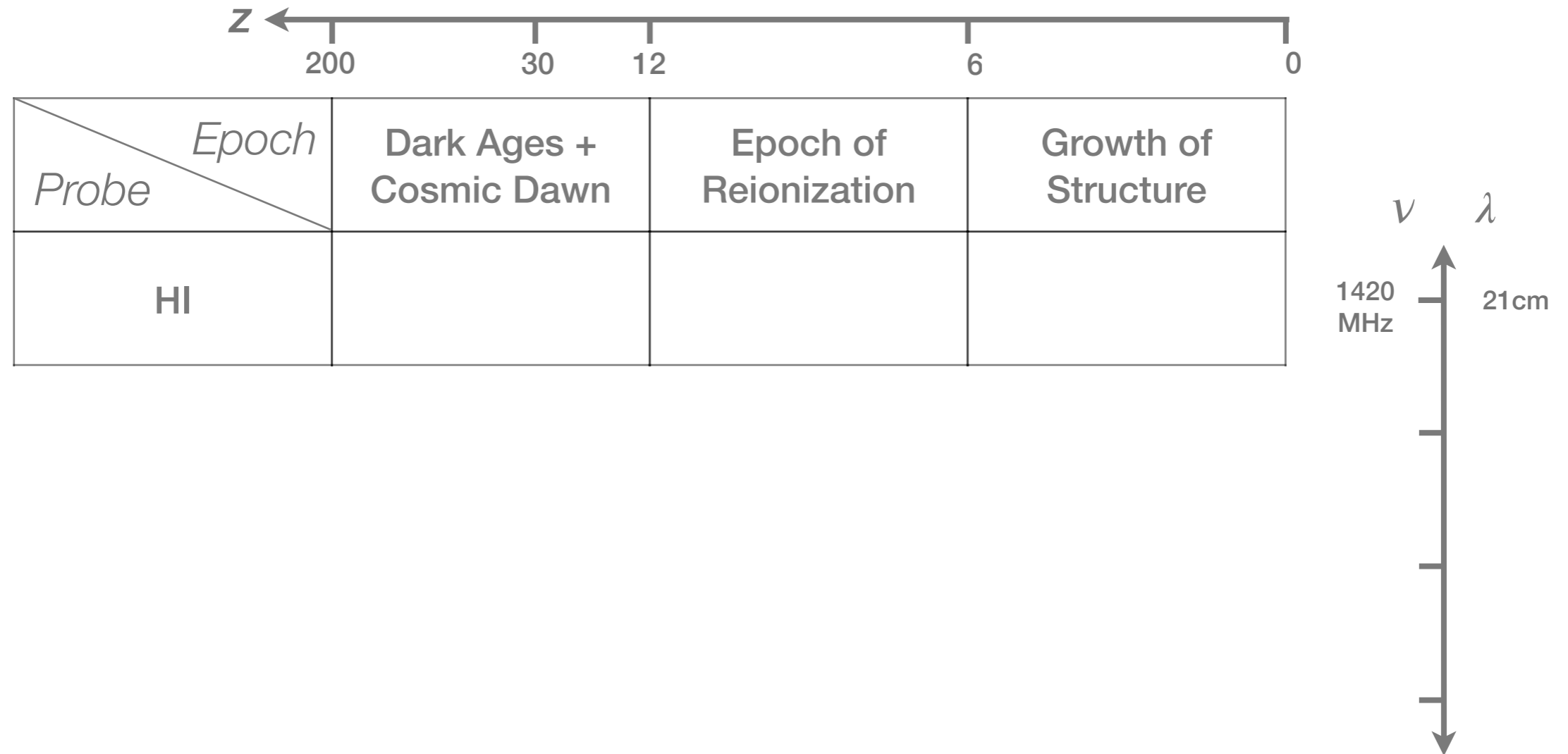
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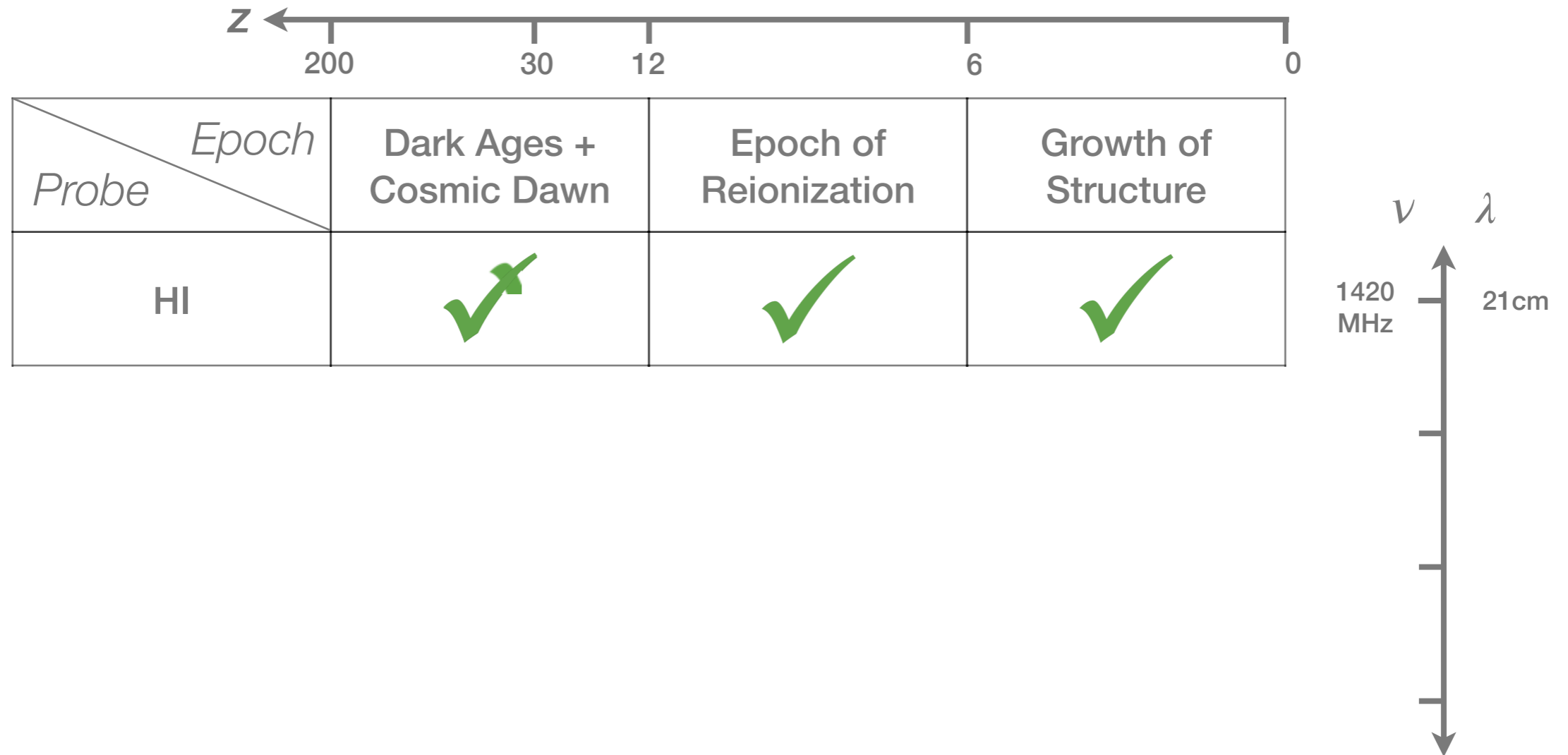
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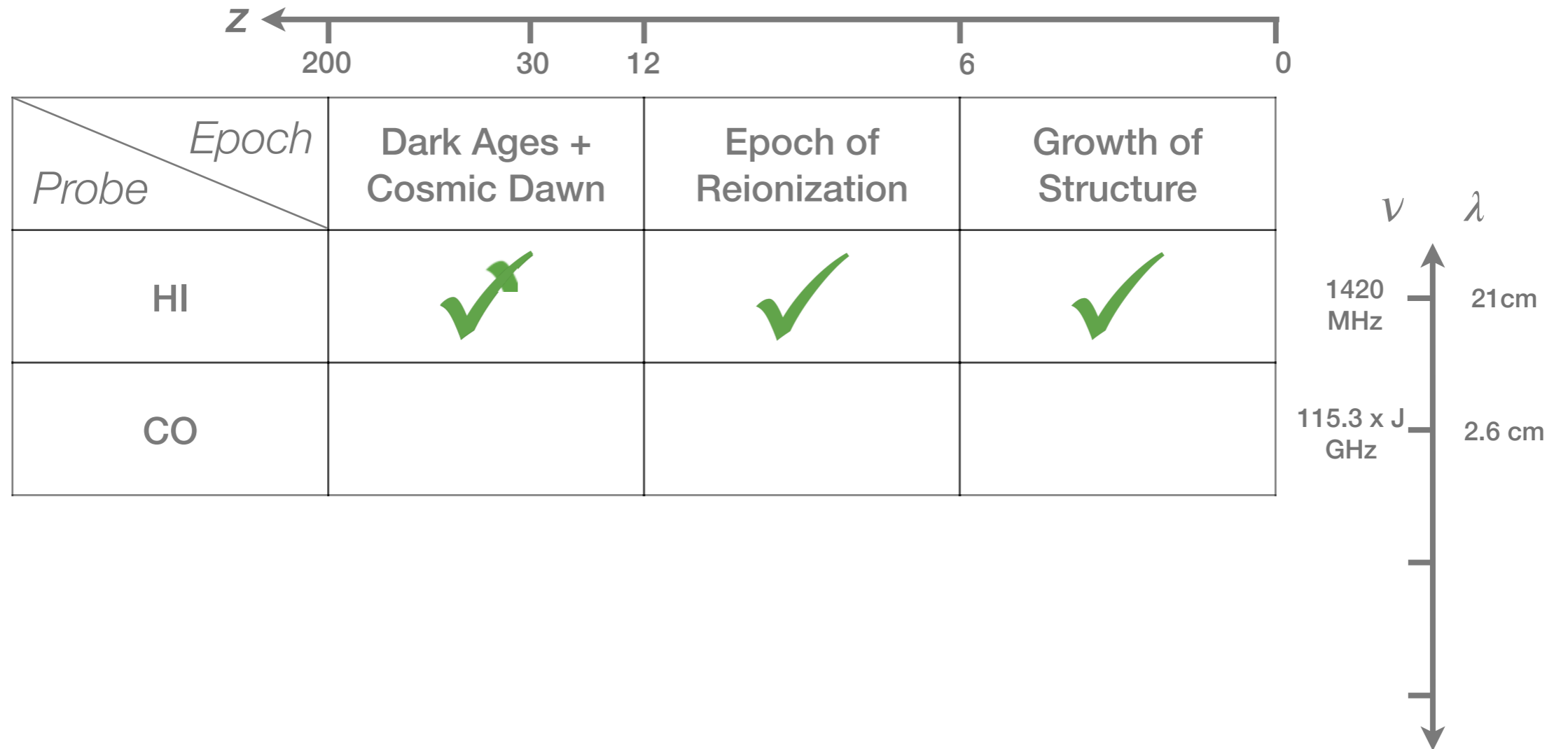
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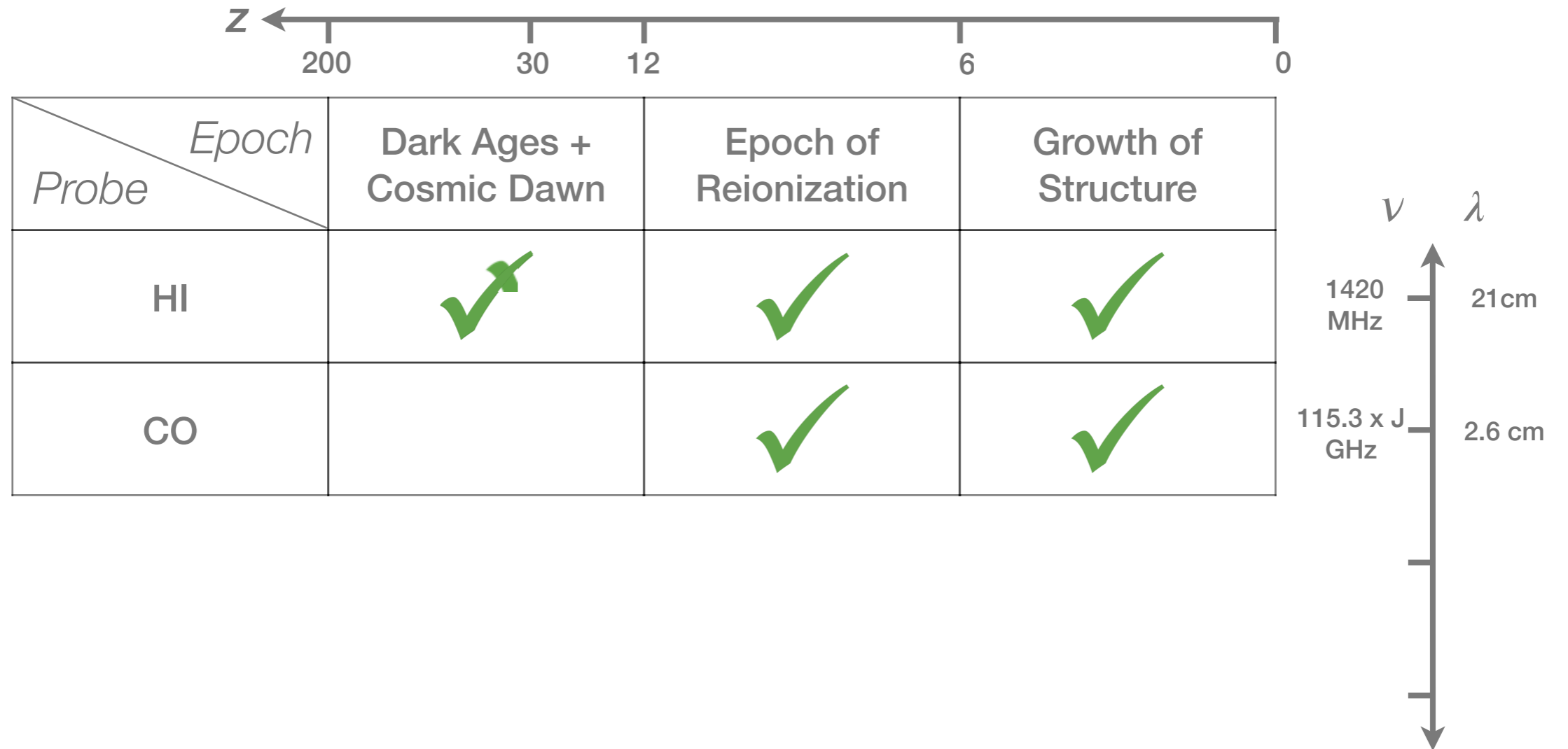
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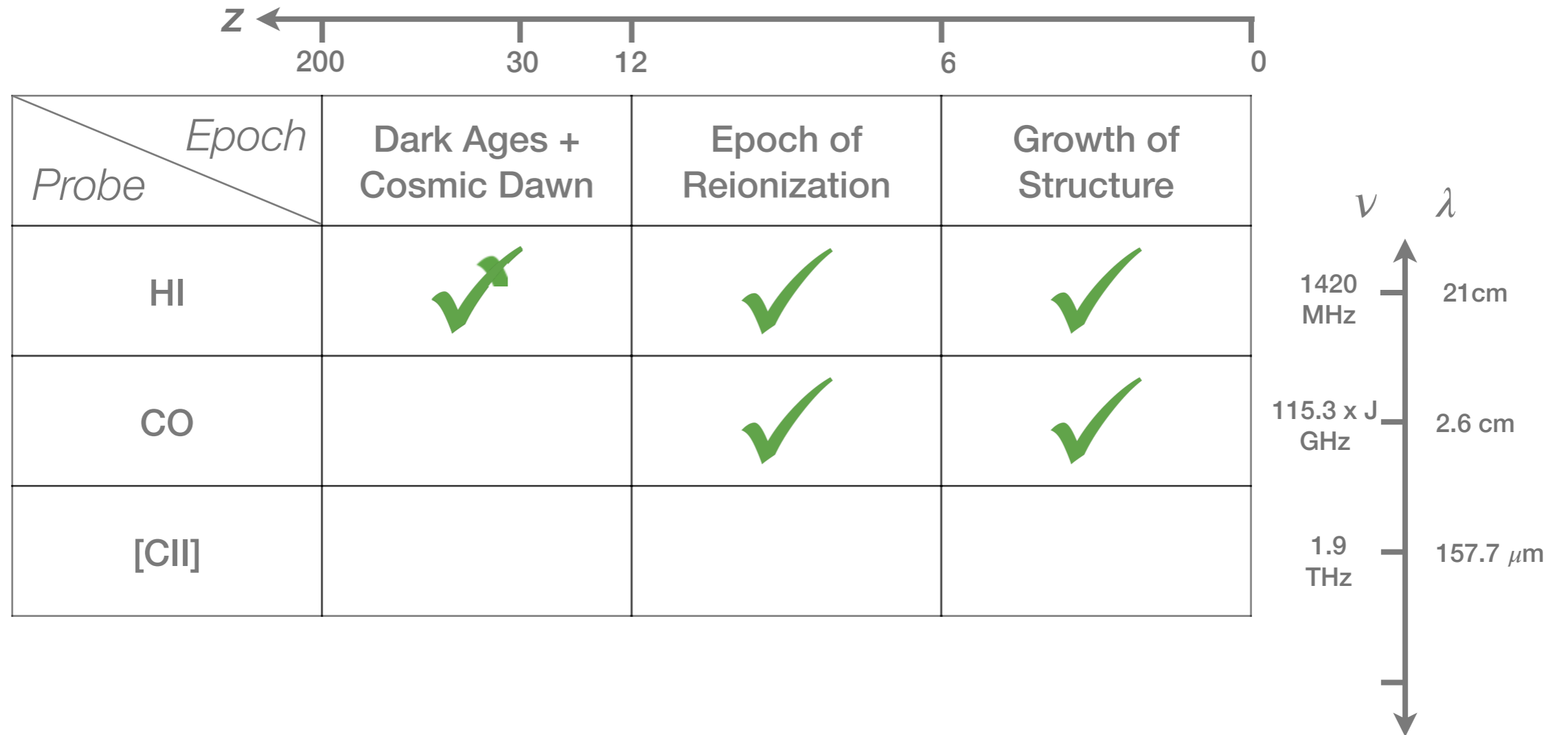
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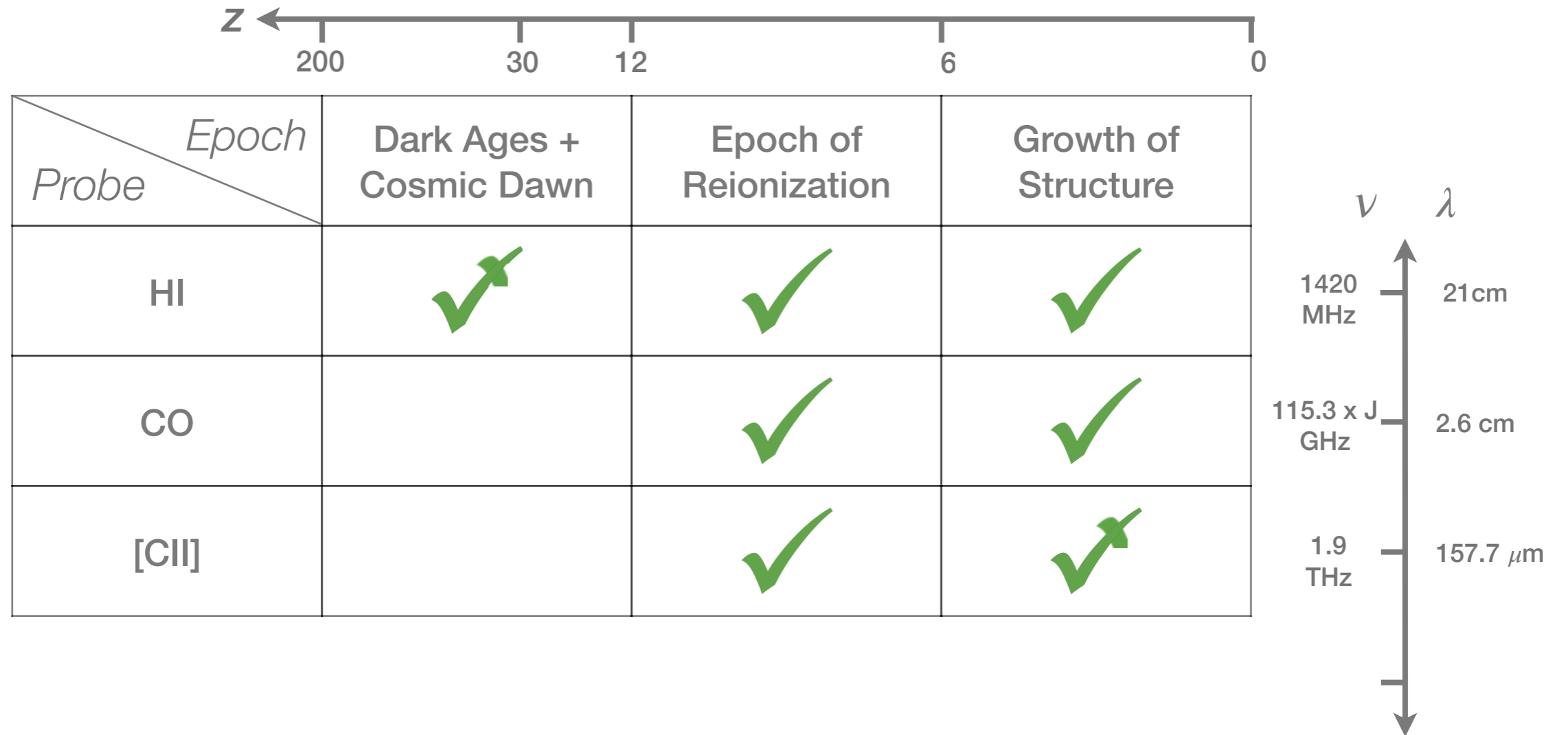
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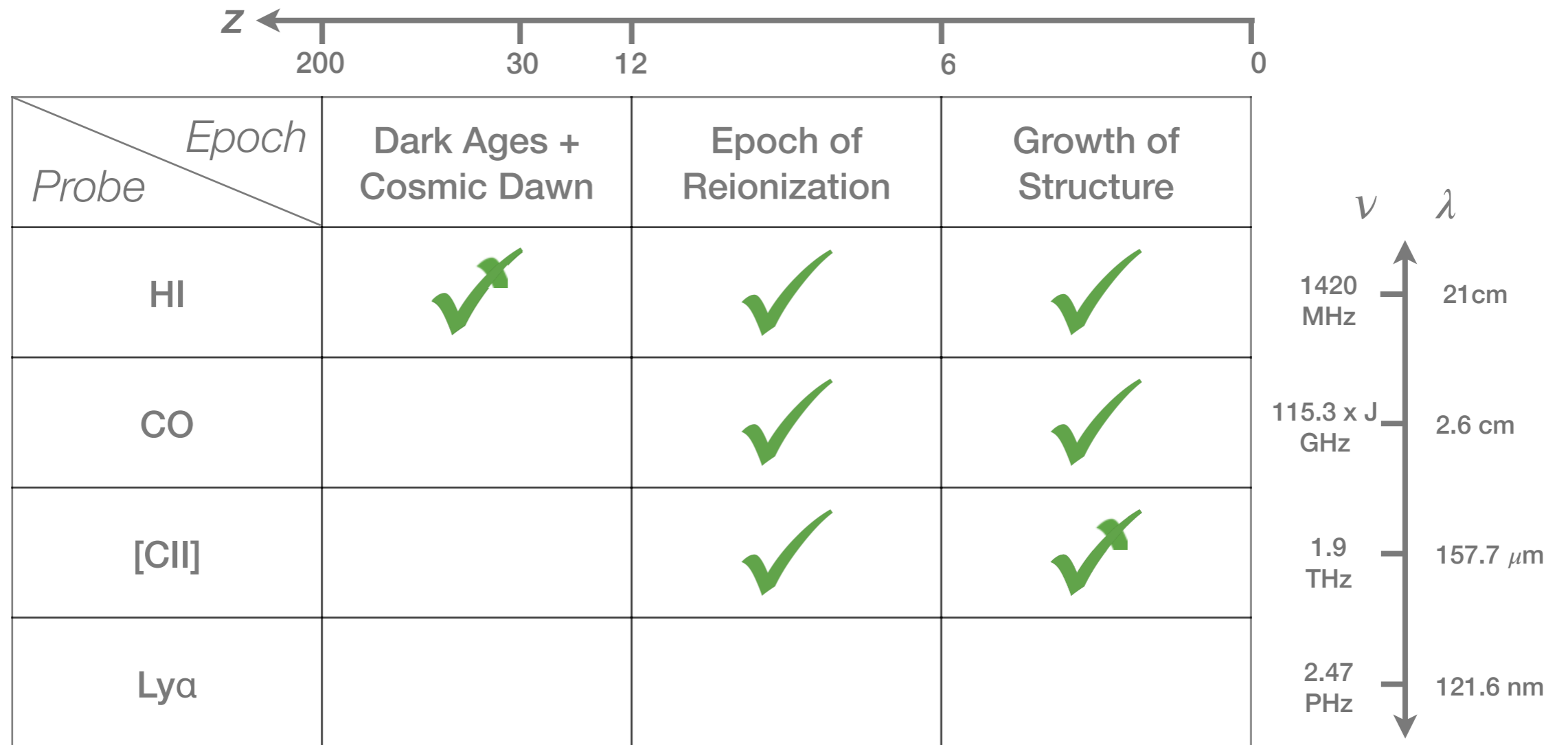
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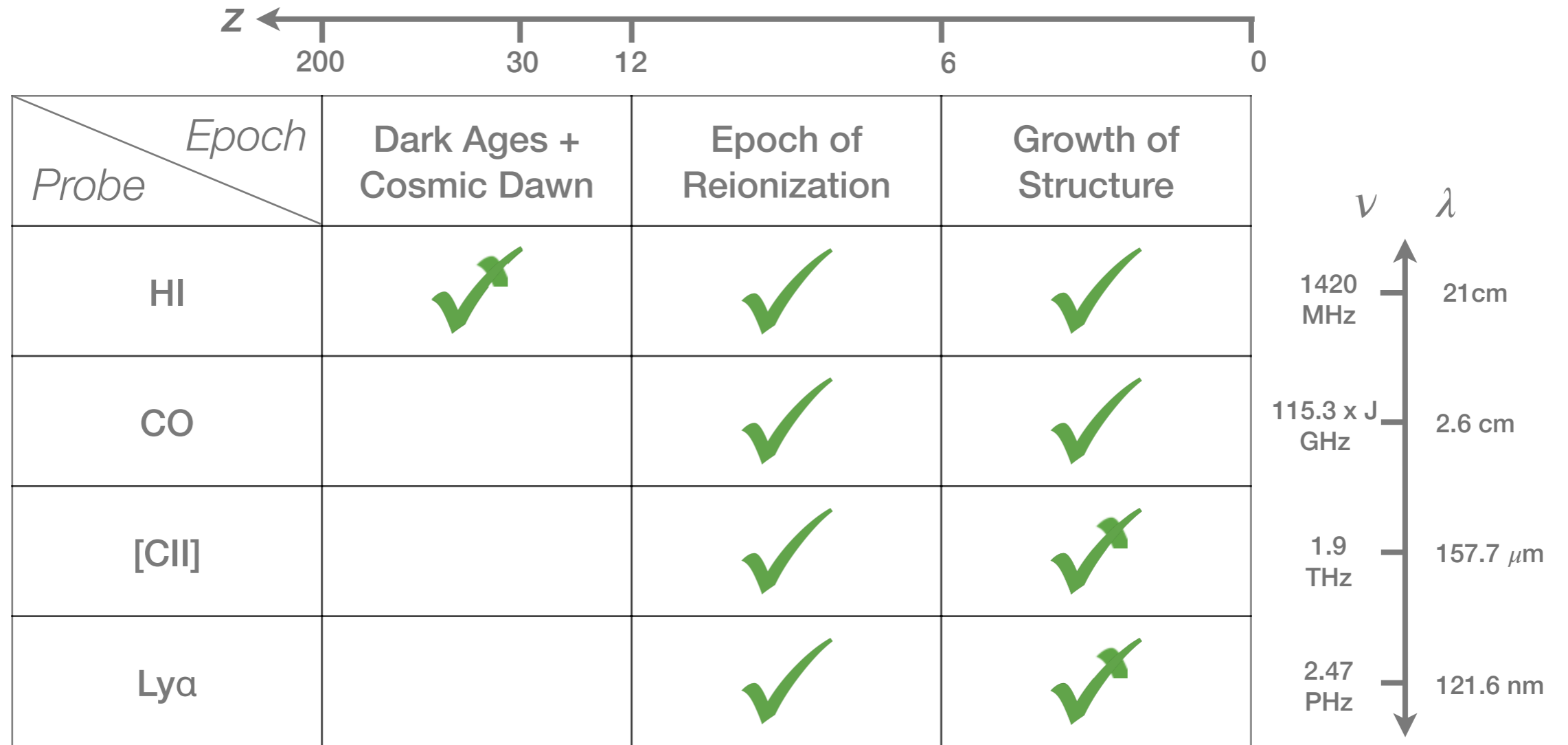
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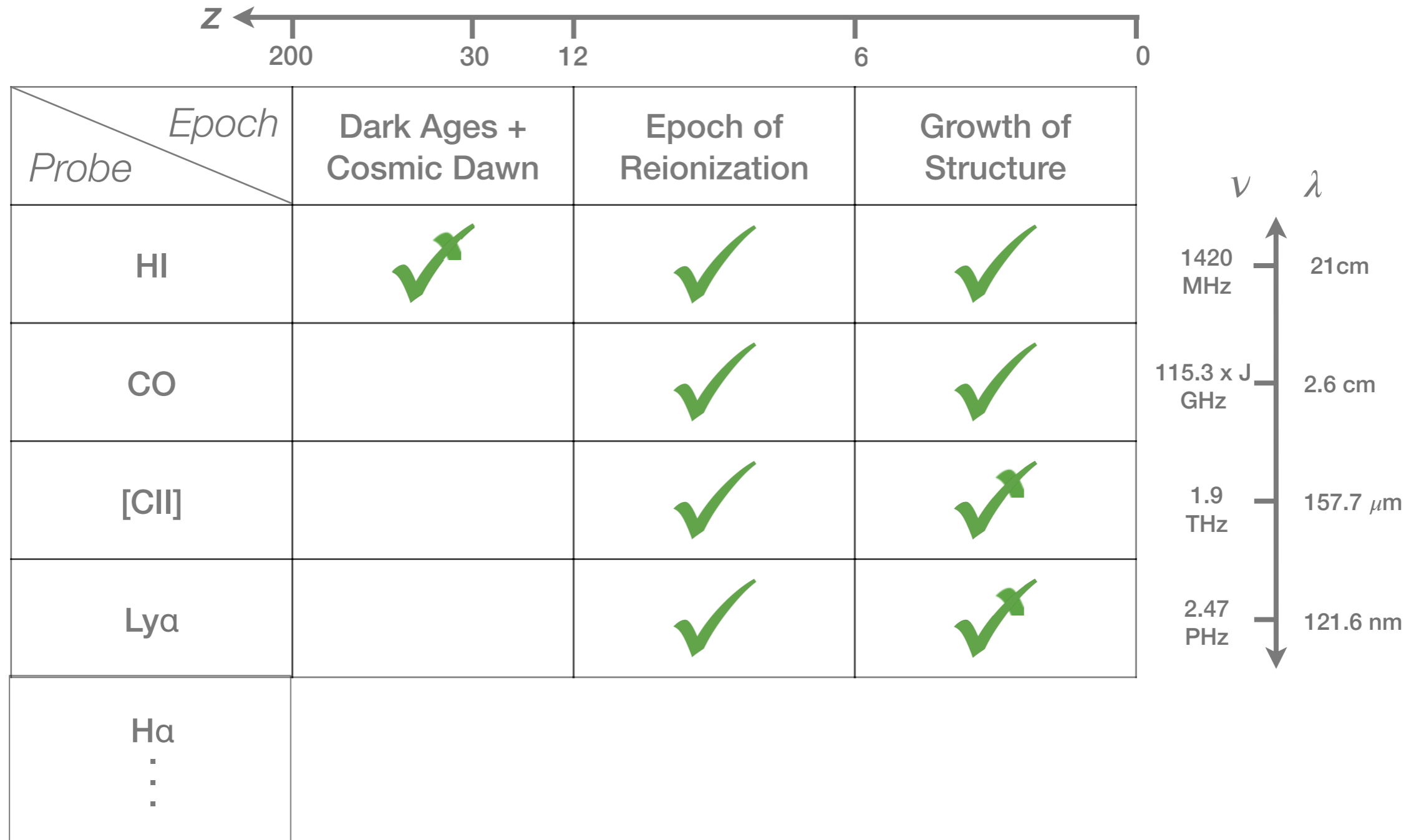
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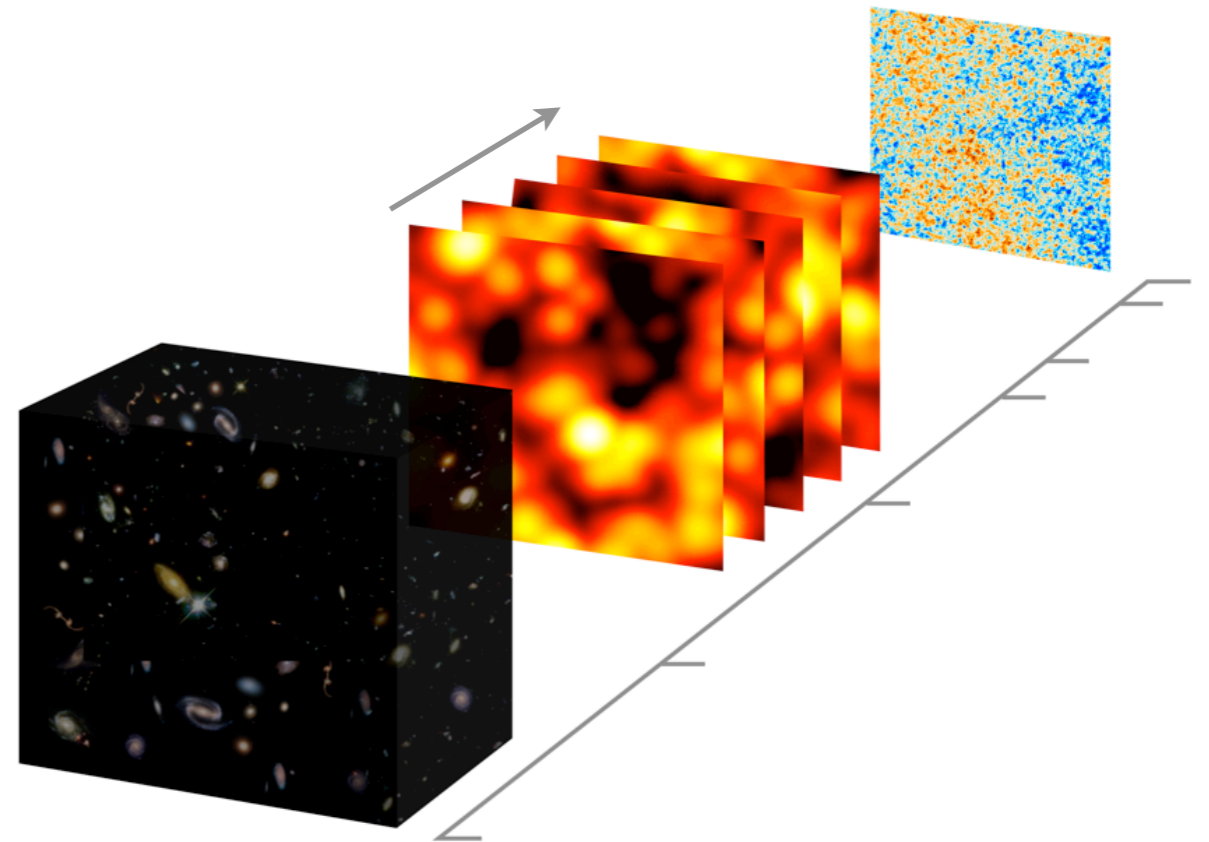
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Science Goals of Line-Intensity Mapping

Tests of Λ CDM Cosmology (and beyond):

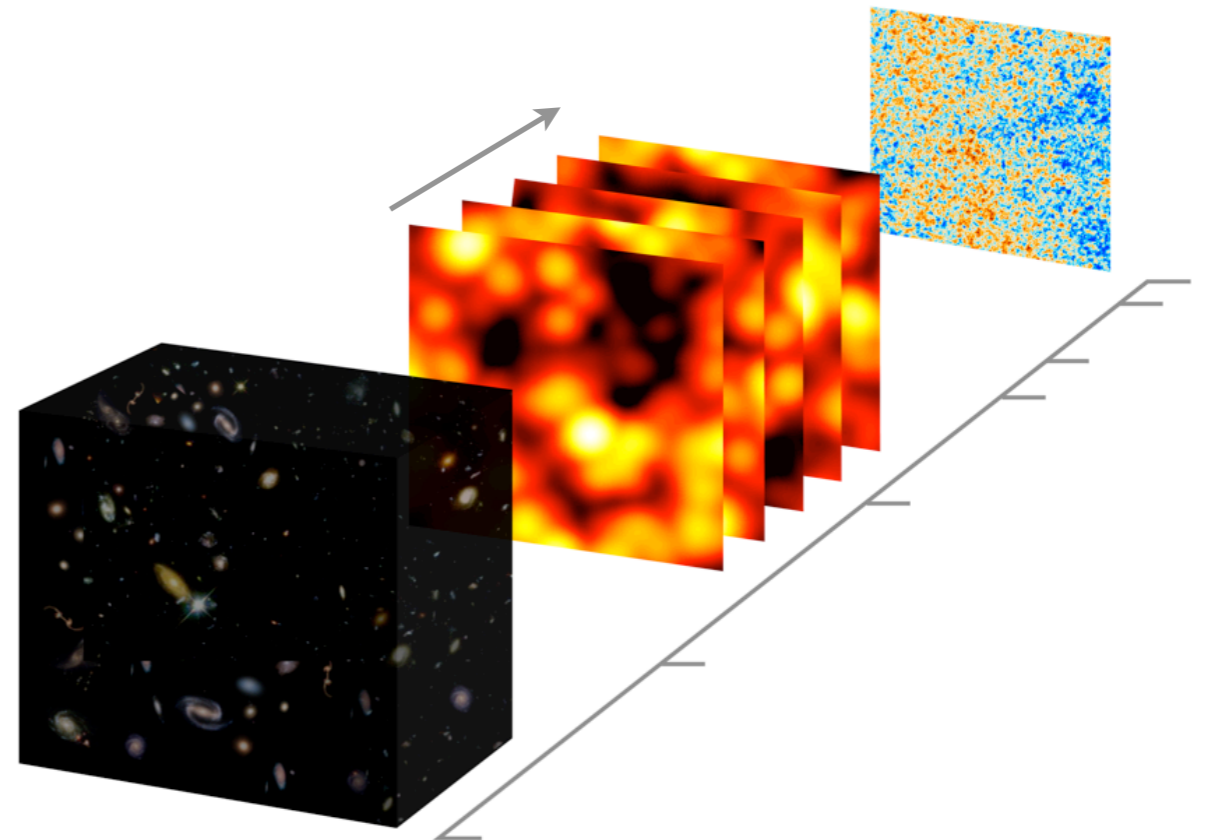


Science Goals of Line-Intensity Mapping

Tests of Λ CDM Cosmology (and beyond):

- Baryon acoustic oscillations (up to high redshift)
- Optical depth to reionization (improve CMB estimate)
- Neutrino masses (in synergy with galaxies, CMB)
- Inflation (running, primordial non-gaussianity, power spectrum oscillations)
- Dark energy (constrain equation of state)
- Dark matter (decaying, annihilating, interacting)
- Modified Gravity (Chameleon, Hordenski)

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Line-Intensity Mapping: Experimental Landscape

Line-Intensity Mapping: Experimental Landscape

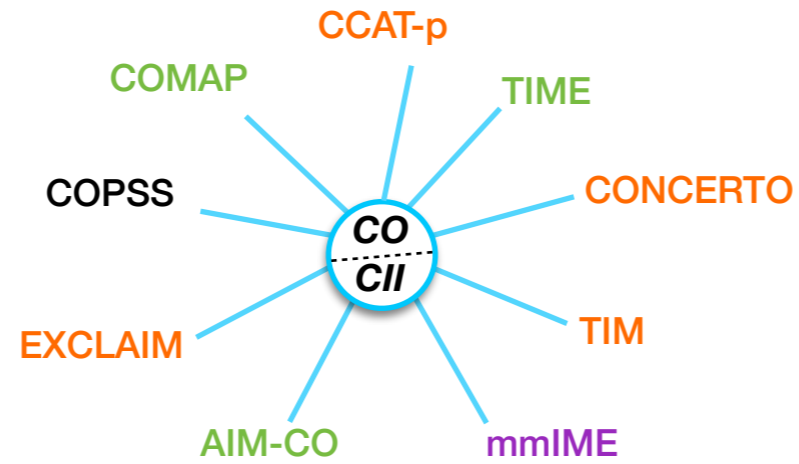
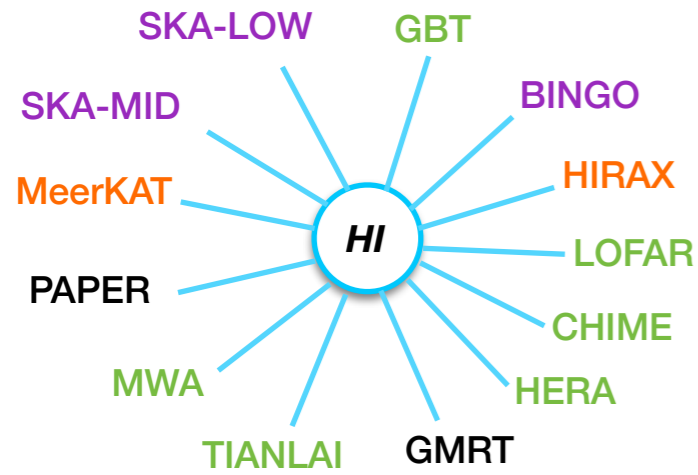
HI

Line-Intensity Mapping: Experimental Landscape



*(Astro2020: Kovetz et al.
arXiv:1903.04496)*

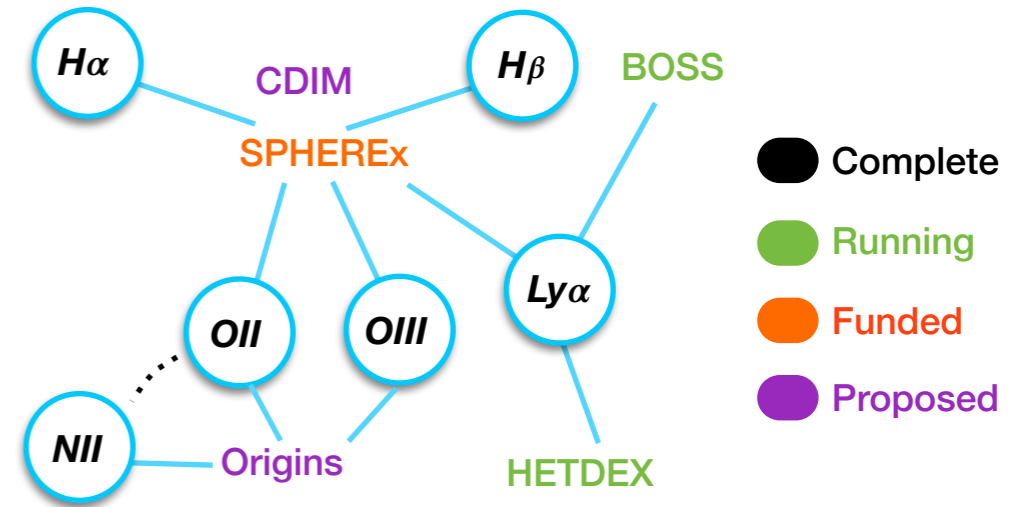
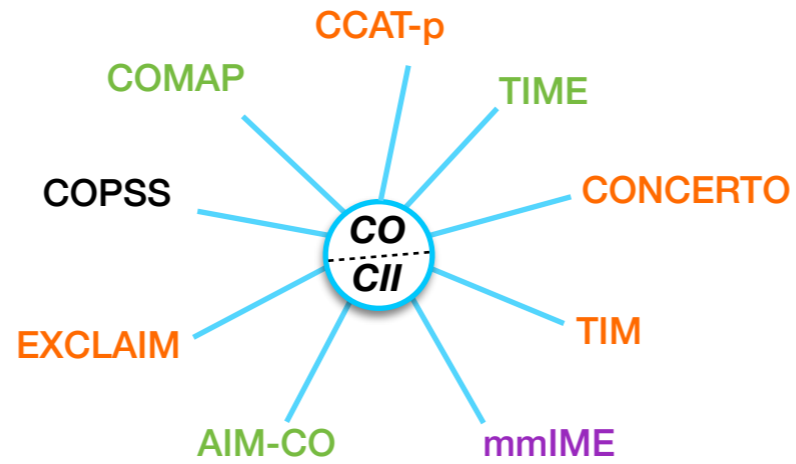
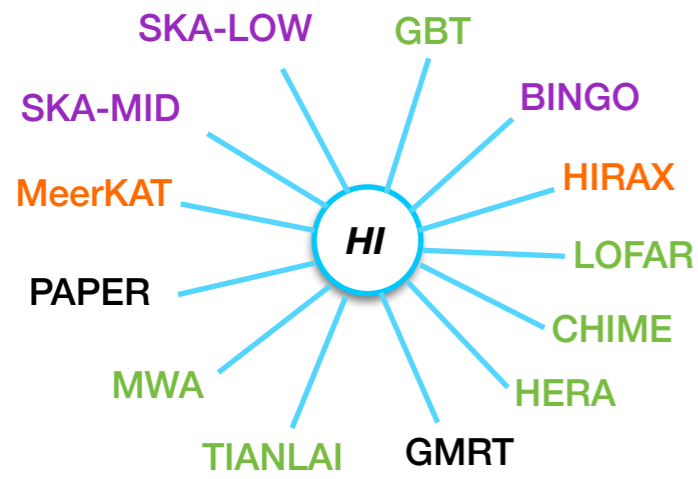
Line-Intensity Mapping: Experimental Landscape



- Complete
- Running
- Funded
- Proposed

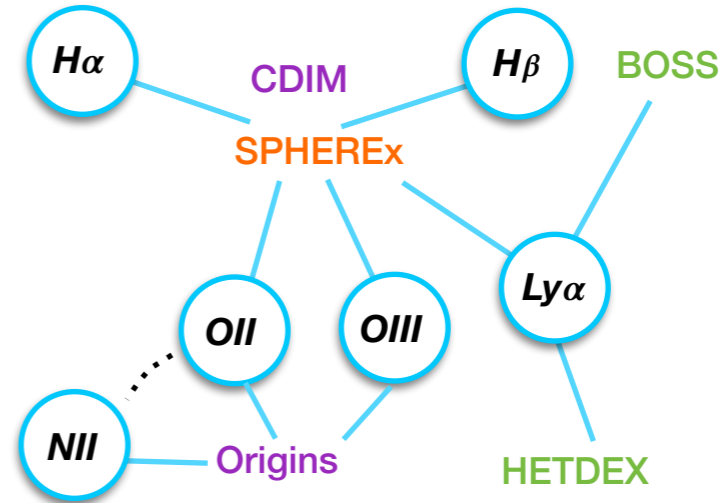
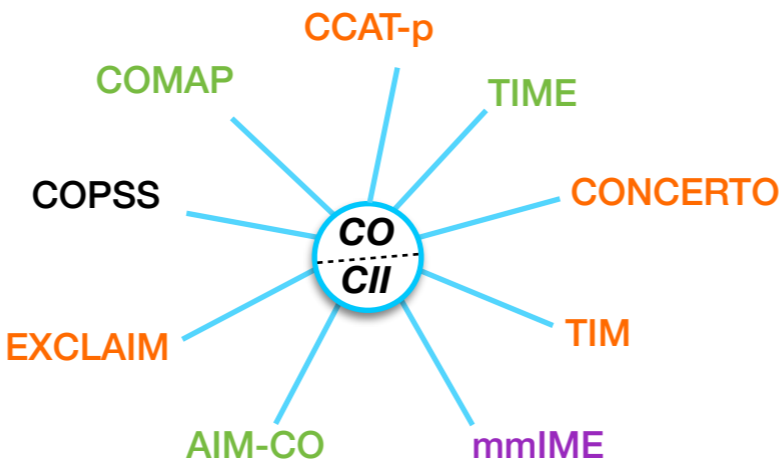
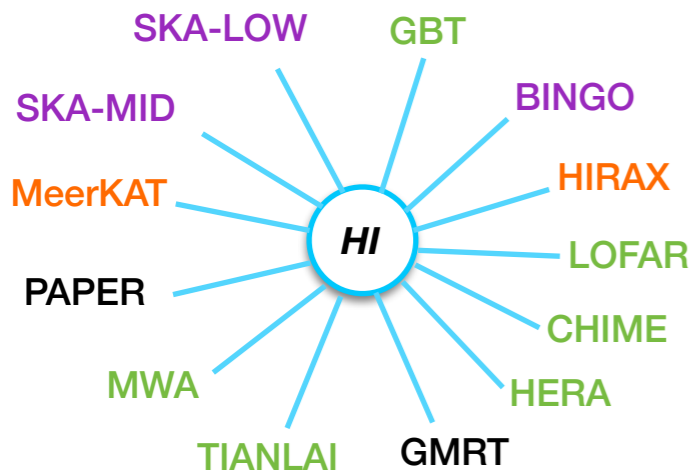
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Line-Intensity Mapping: Experimental Landscape



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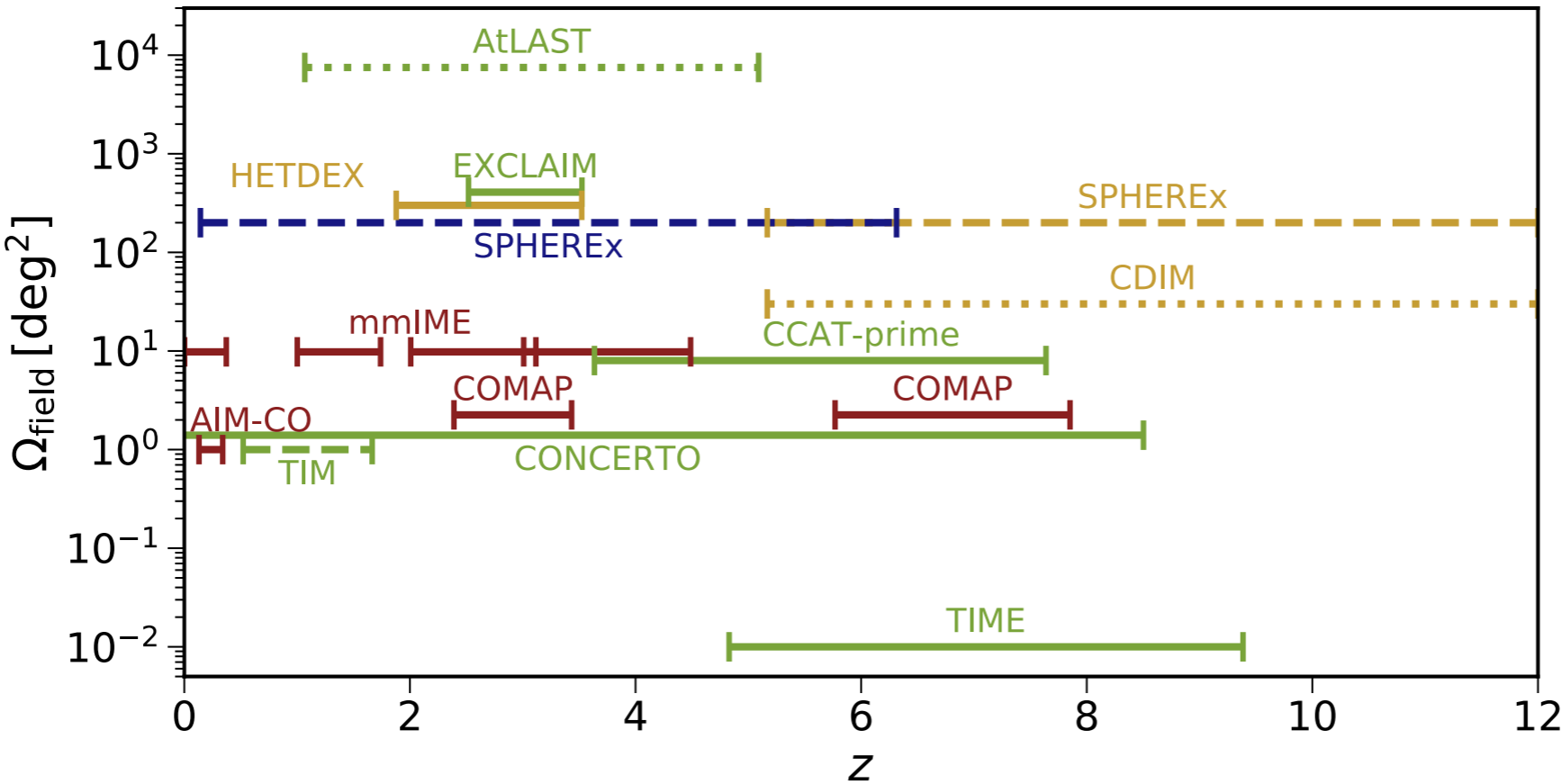
Line-Intensity Mapping: Experimental Landscape



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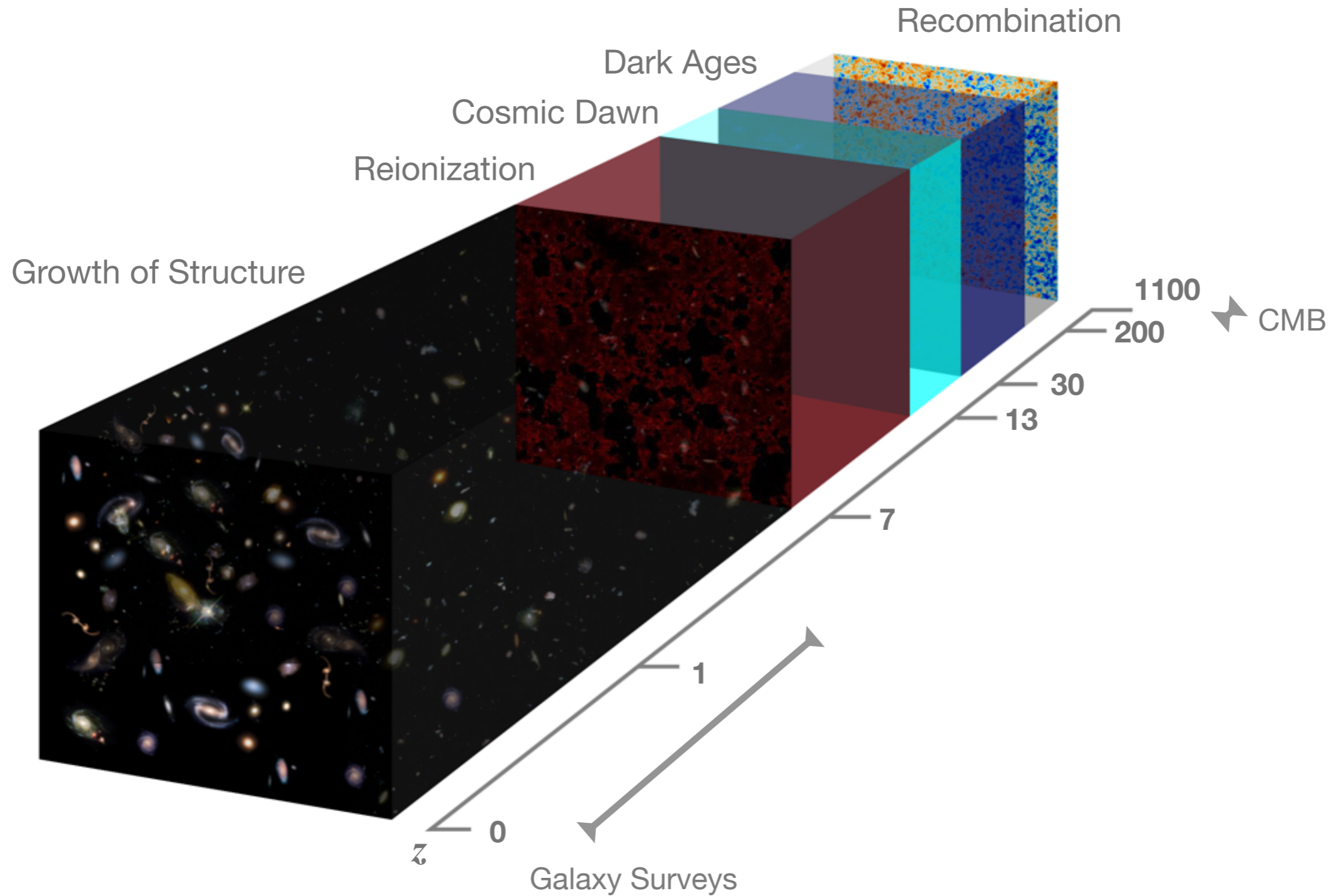
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■ CO	■ Ly α	— Running	⋯ Proposed
■ CII	■ H α	- - - Funded	

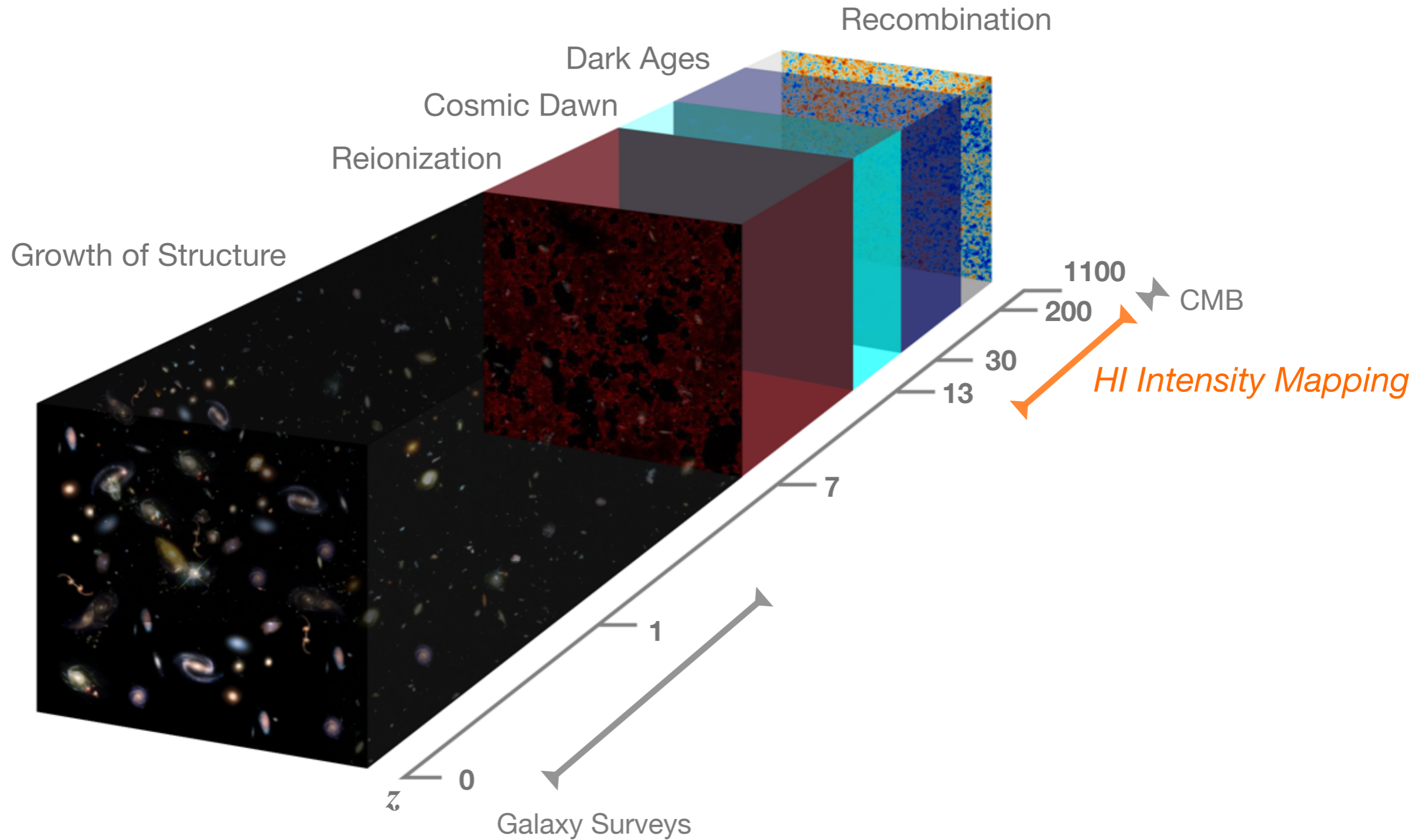


(Kovetz & Bernal, 2021:XXXXX)

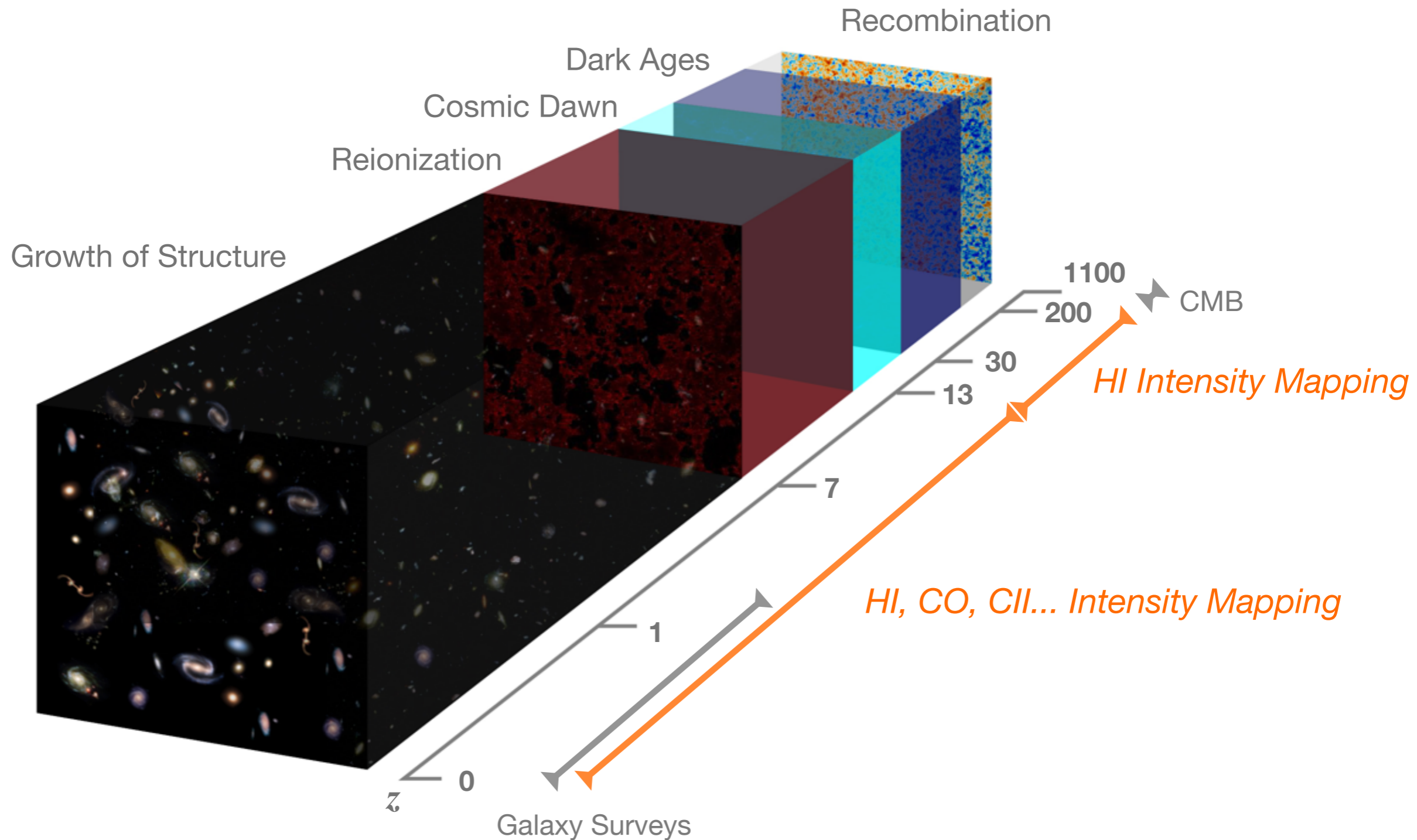
The Observable Universe: A Multi-Layer Detector!



The Observable Universe: A Multi-Layer Detector!



The Observable Universe: A Multi-Layer Detector!



Case Study 1: The EDGES 21 cm detection

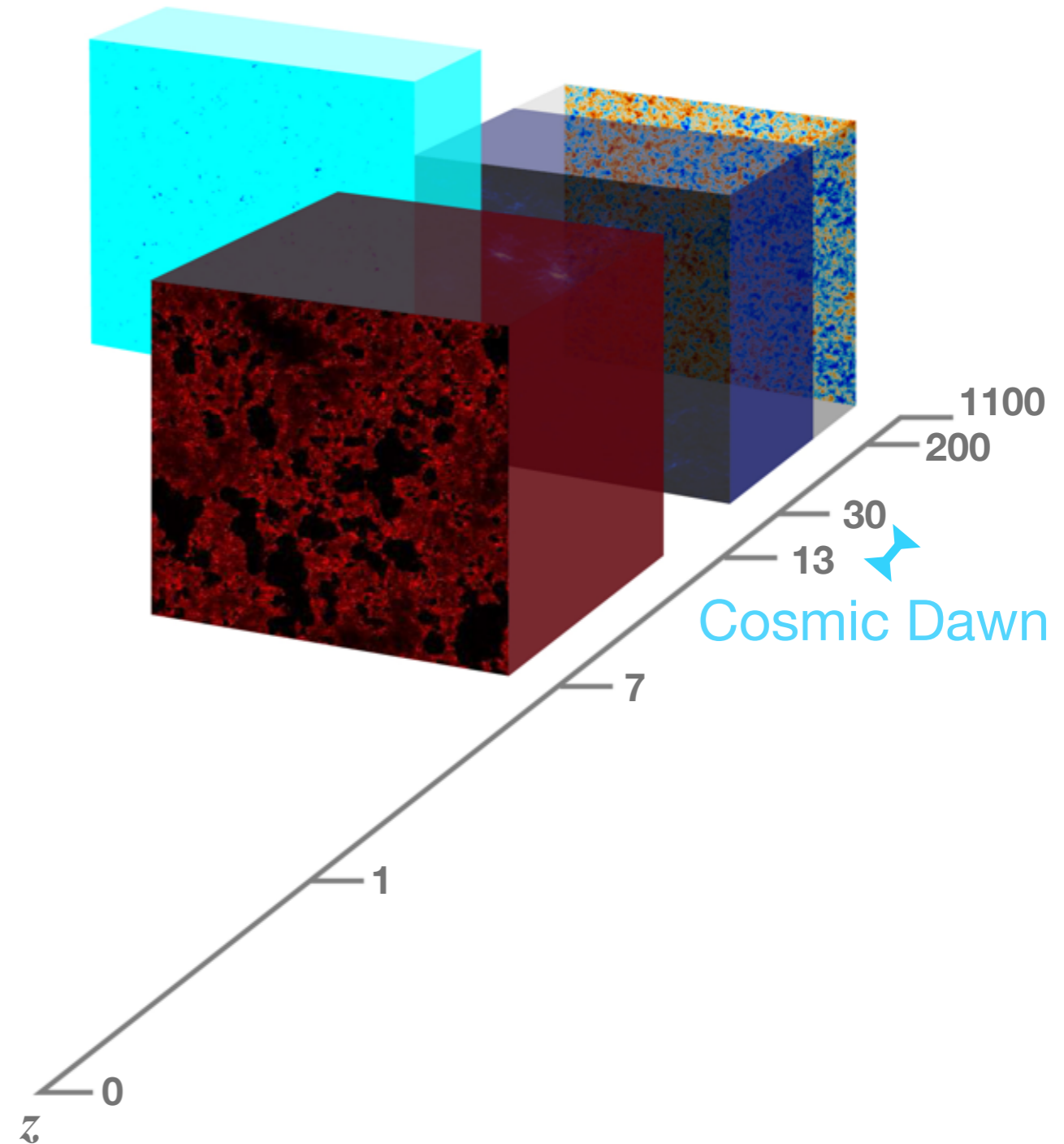
1

What is the nature of *dark matter*?

Case Study 1: The EDGES 21 cm detection

1

What is the nature of *dark matter*?



Case Study 1: The EDGES 21 cm detection

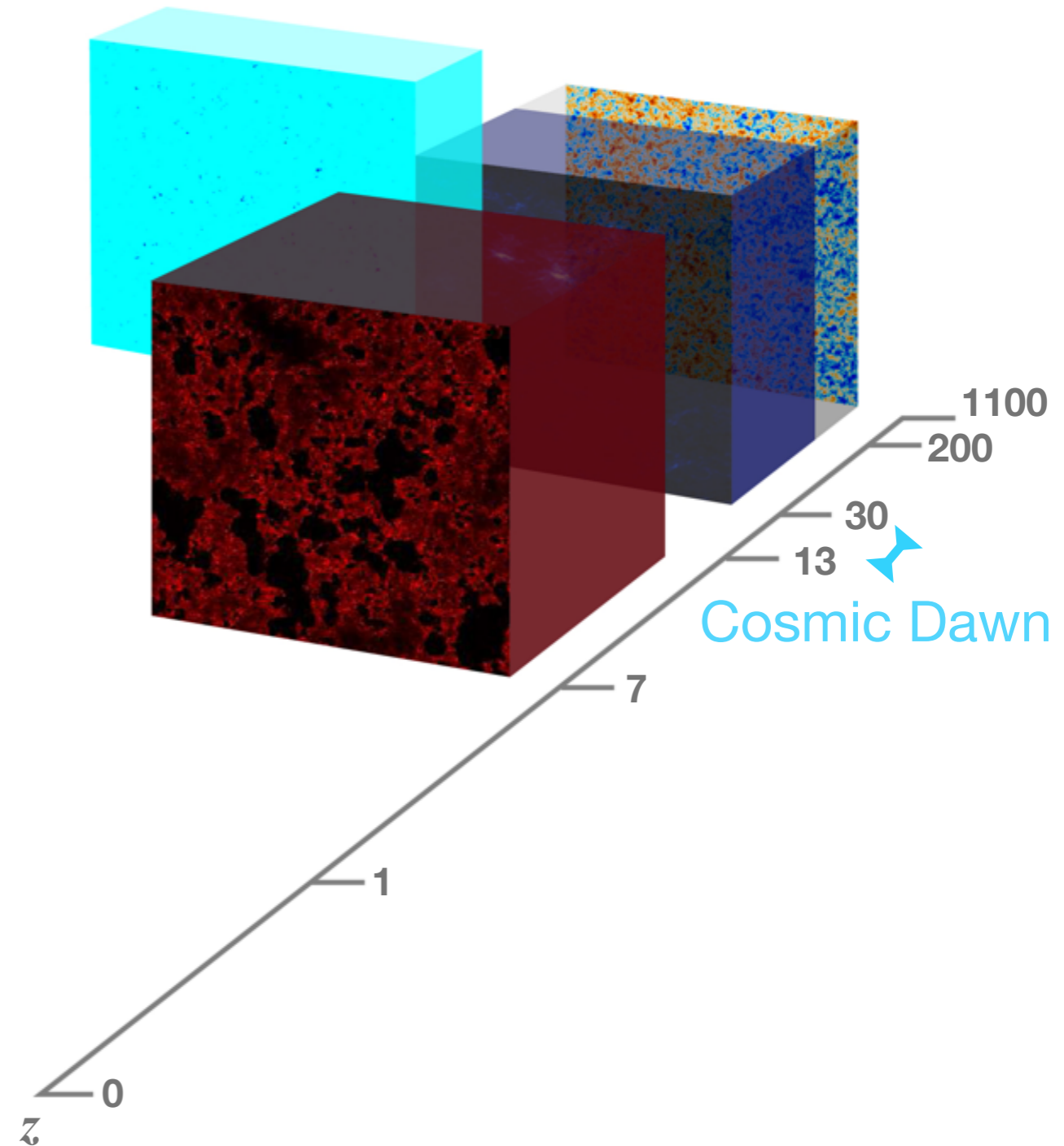
1

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nature

Letter | Published: 01 March 2018

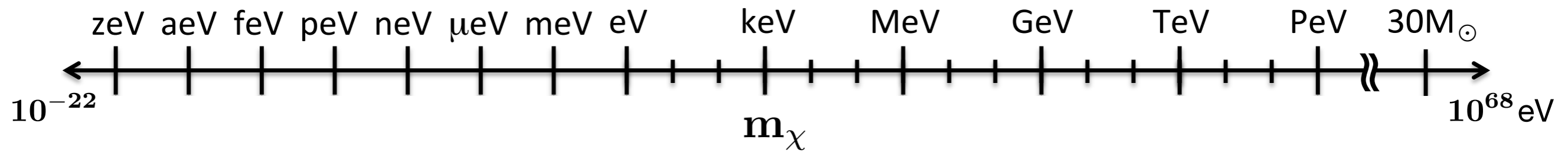
Possible interaction between baryons and dark-matter particles revealed by the first stars



The Dark Matter Landscape

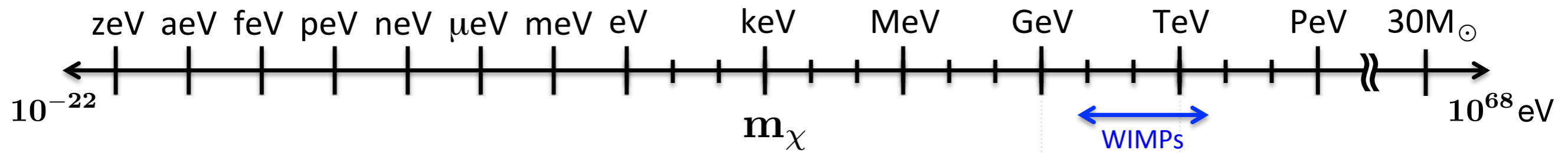
The Dark Matter Landscape

(adapted from "US Cosmic Visions" 2017 Report: Battaglieri et al., arXiv:1707.04591)



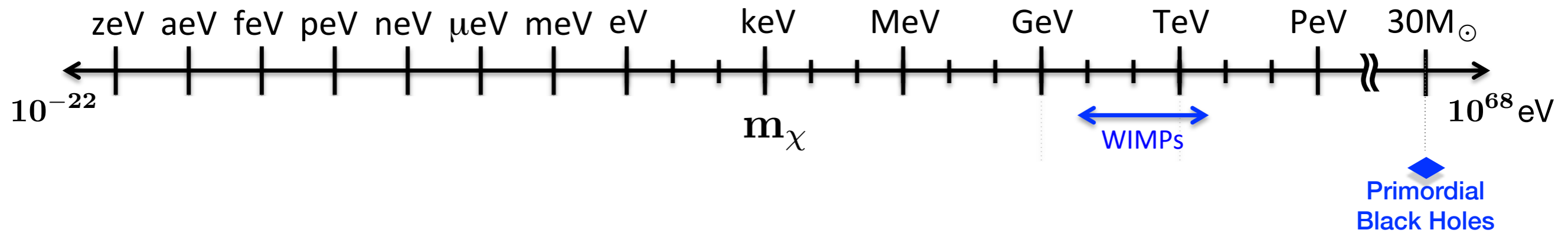
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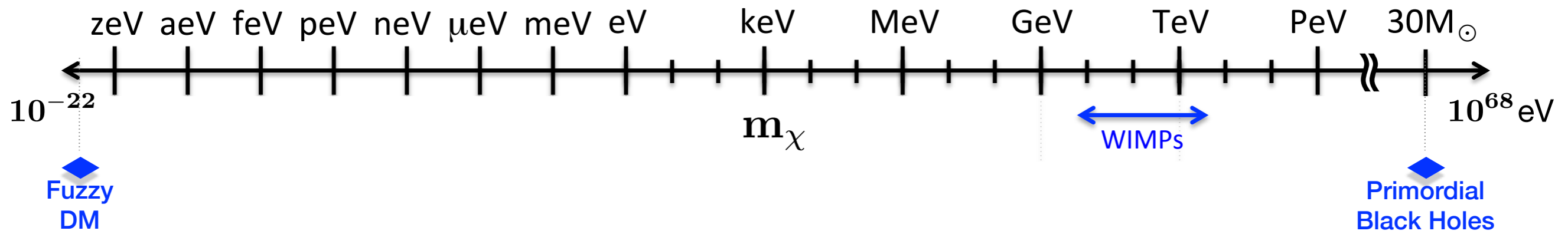
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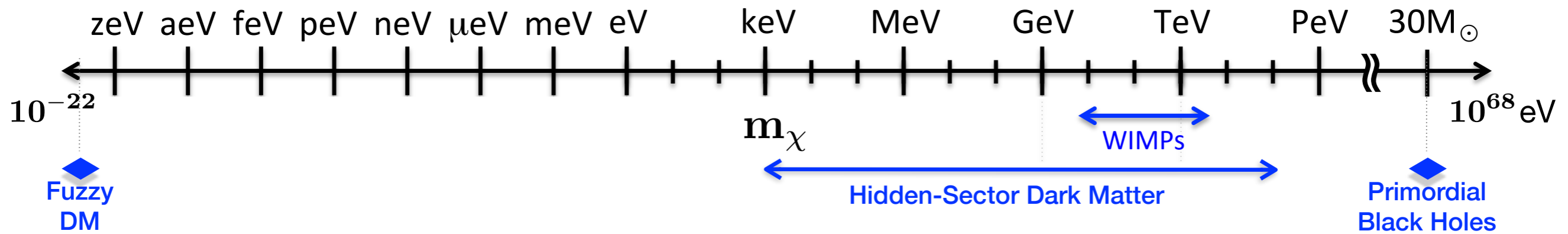
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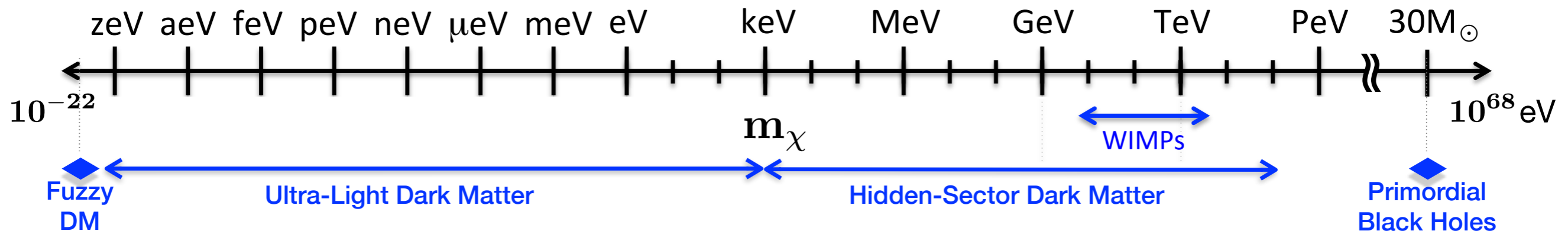
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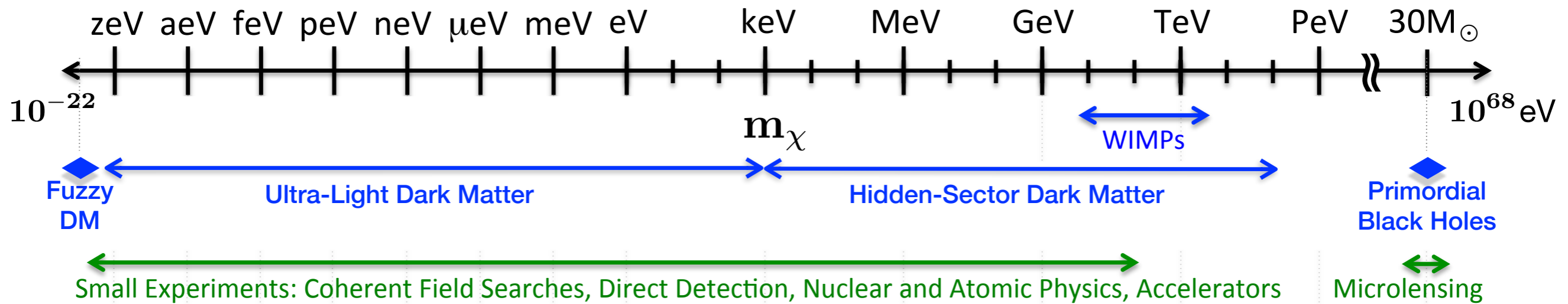
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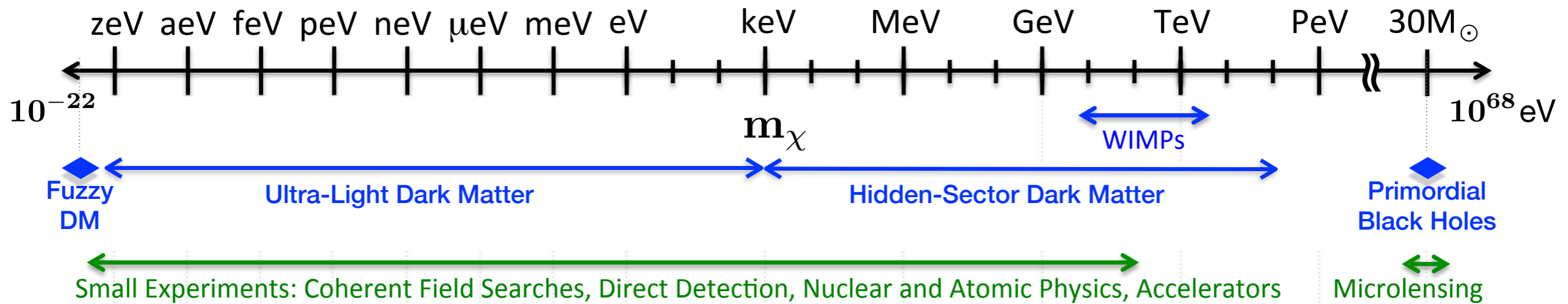
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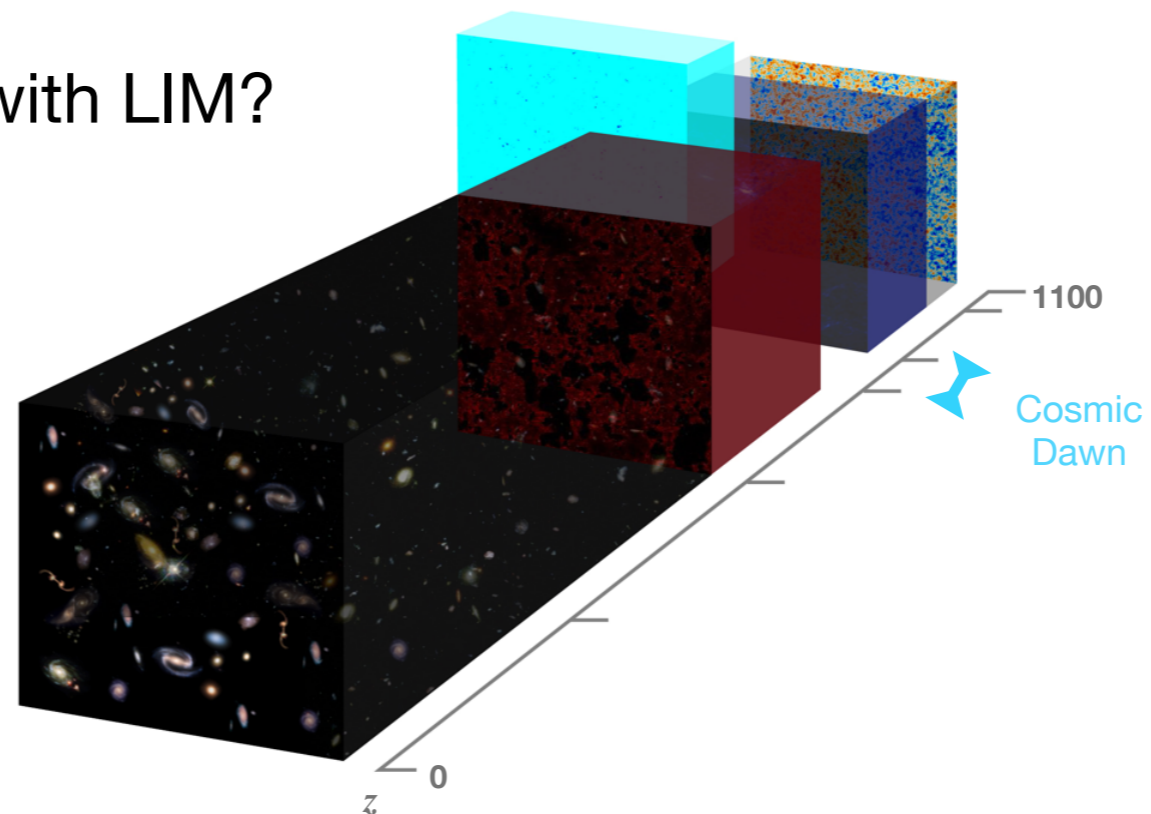


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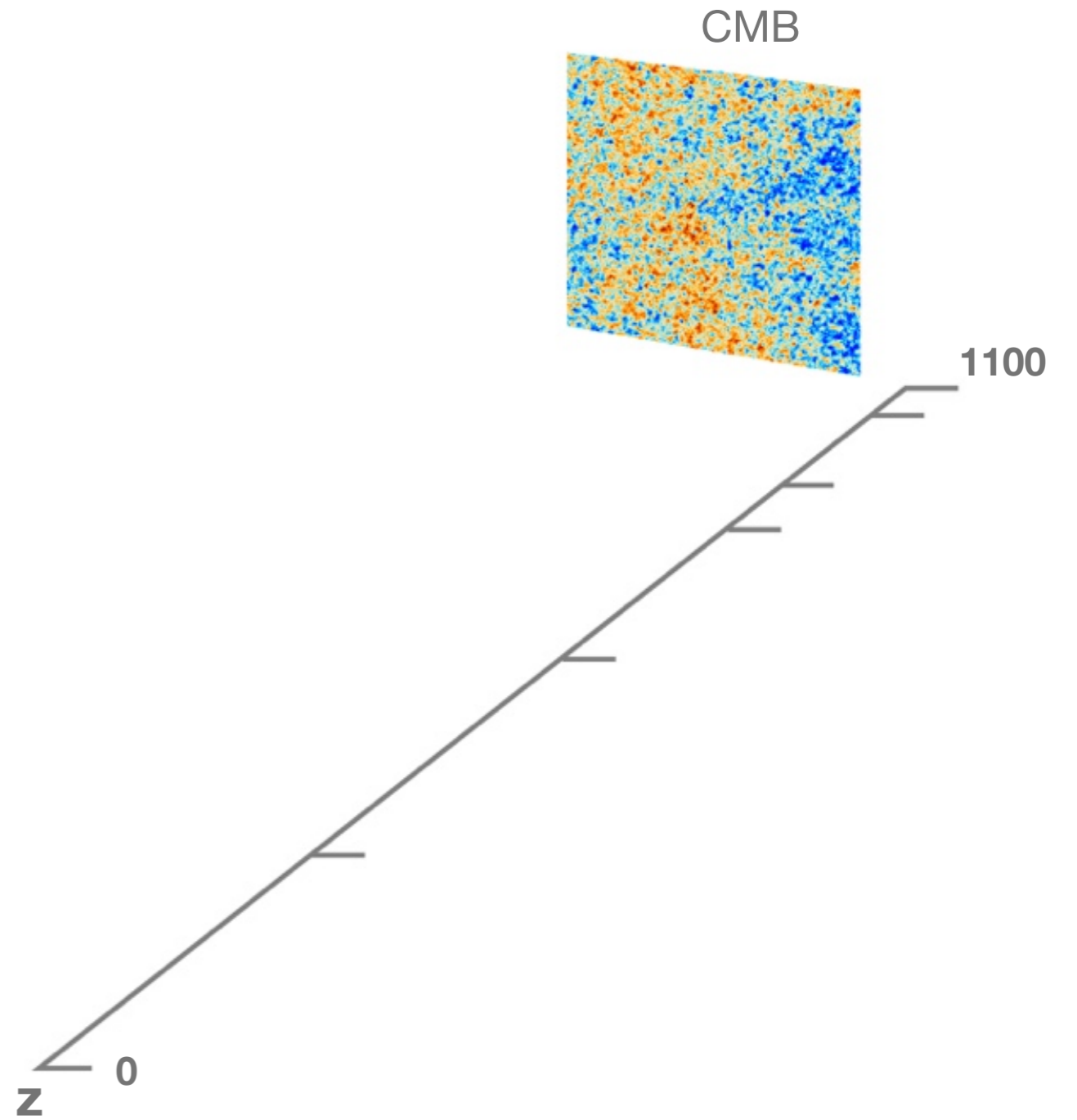


What can we do with LIM?

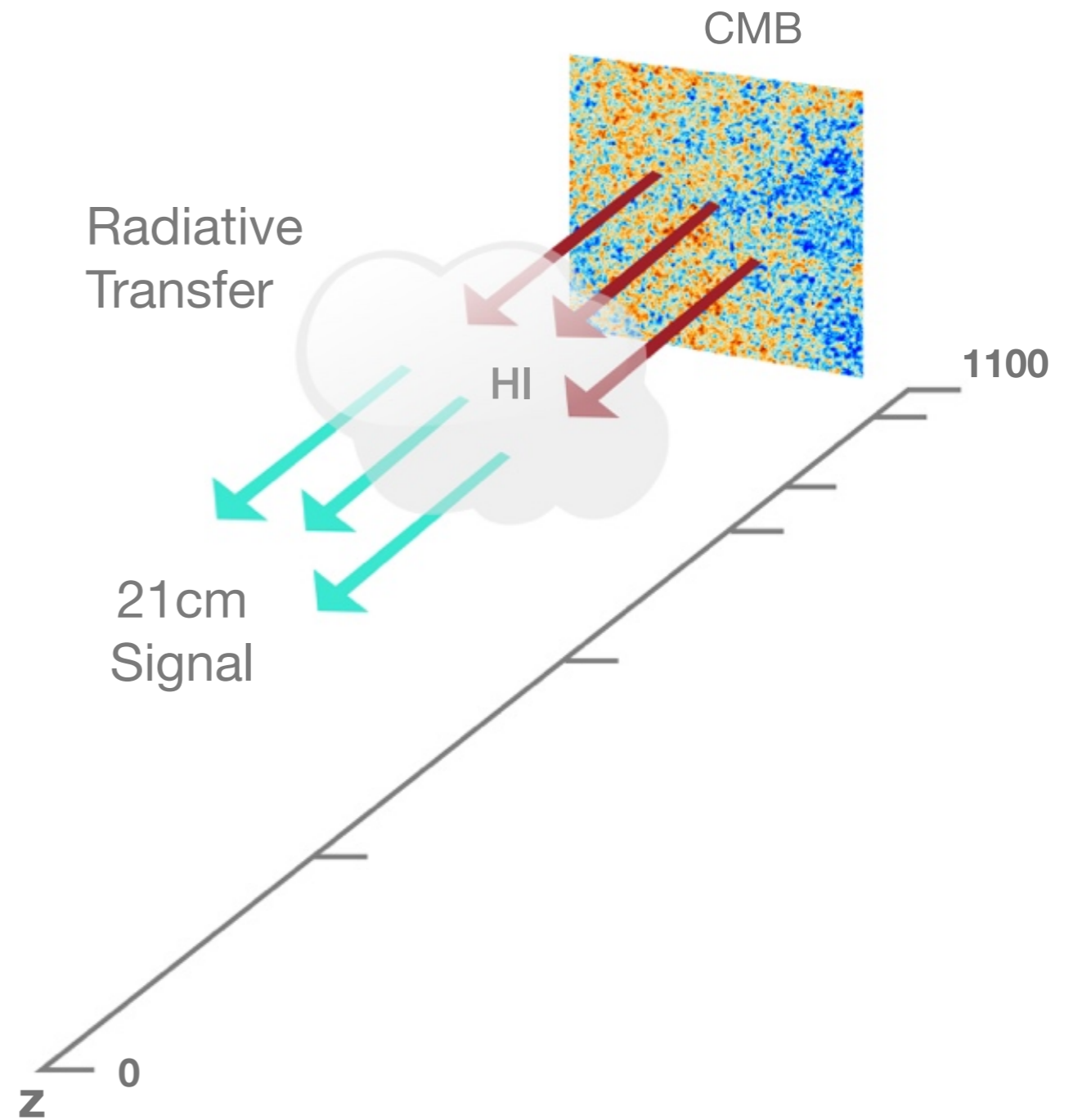


The Cosmological 21cm Signal: Lightning Review

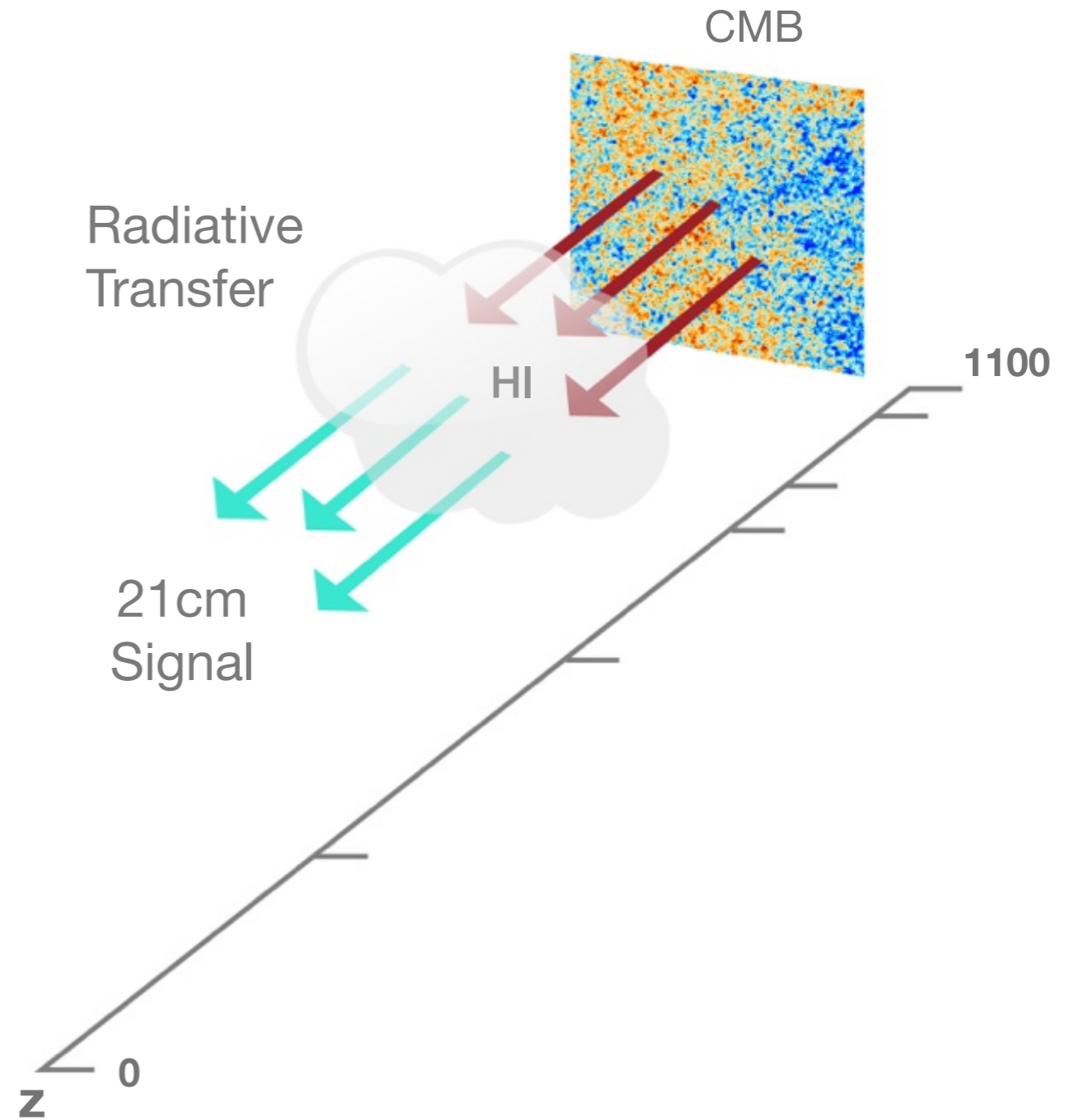
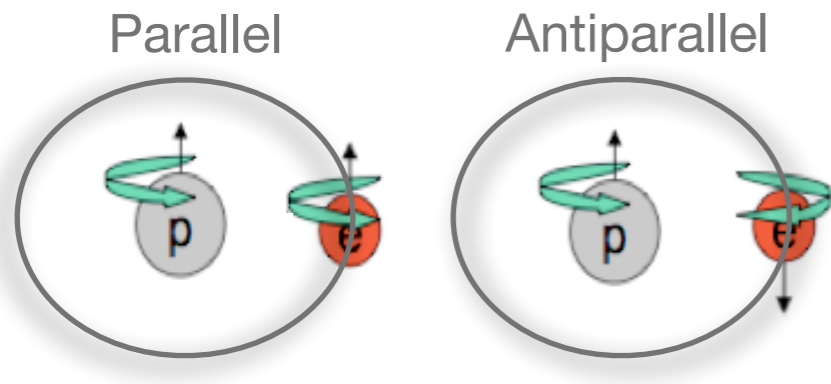
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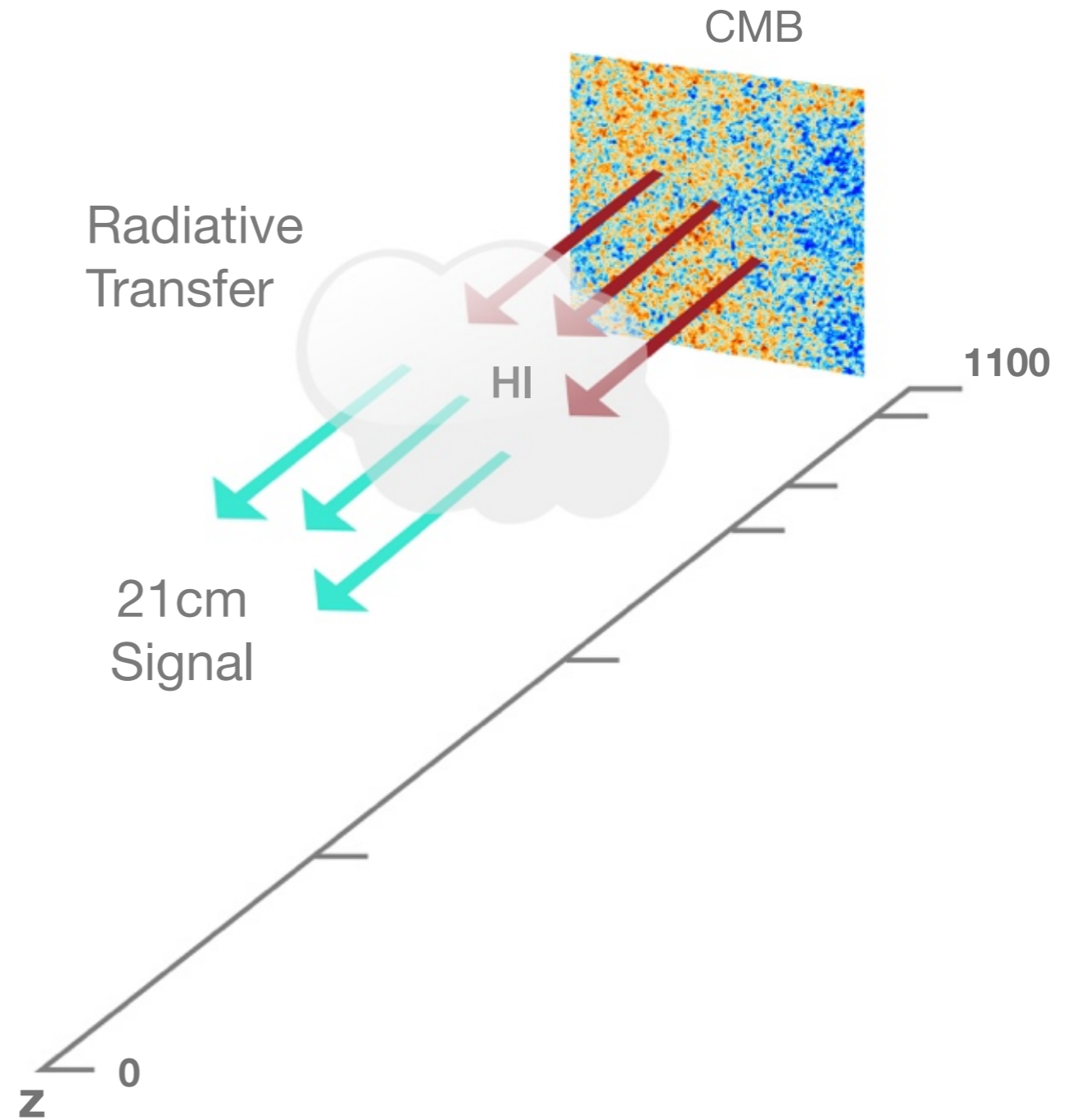
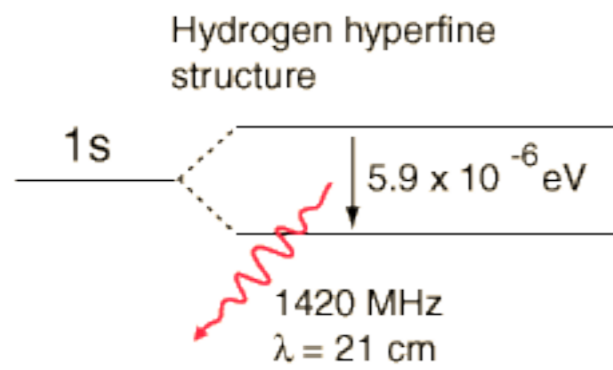
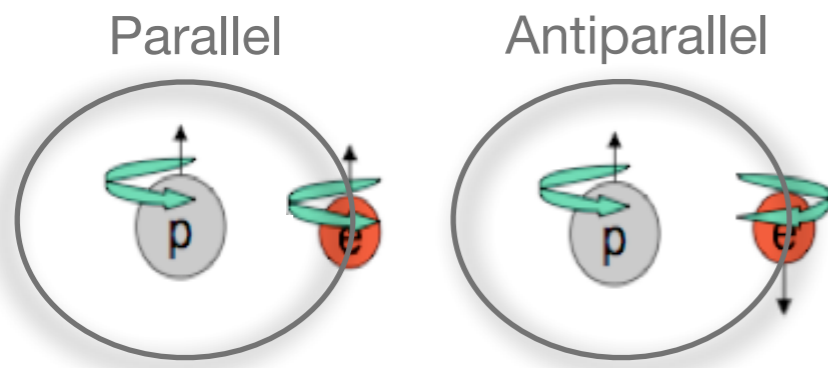
The Cosmological 21cm Signal: Lightning Review



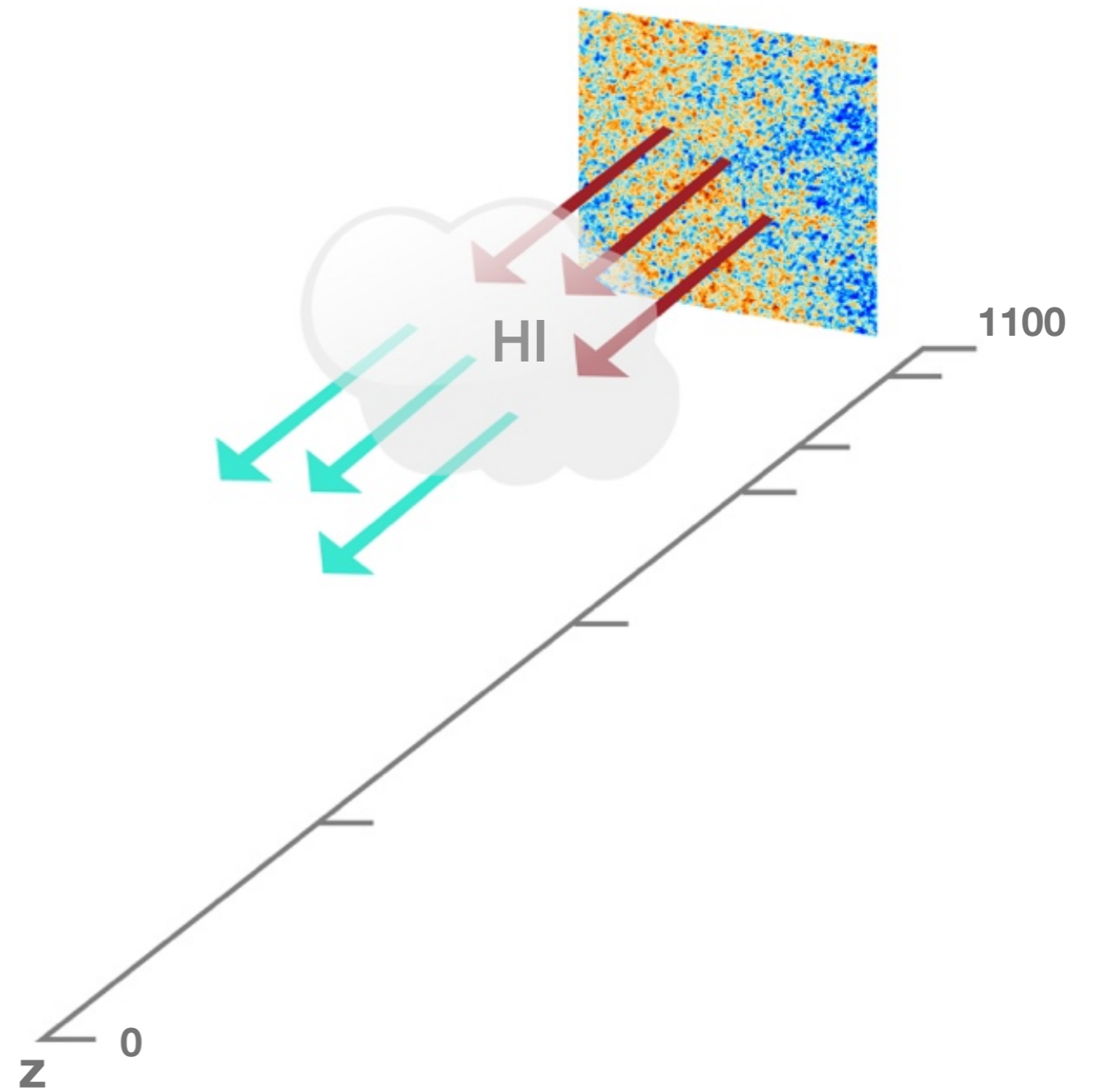
The Cosmological 21cm Signal: Lightning Review



The Cosmological 21cm Signal: Lightning Review

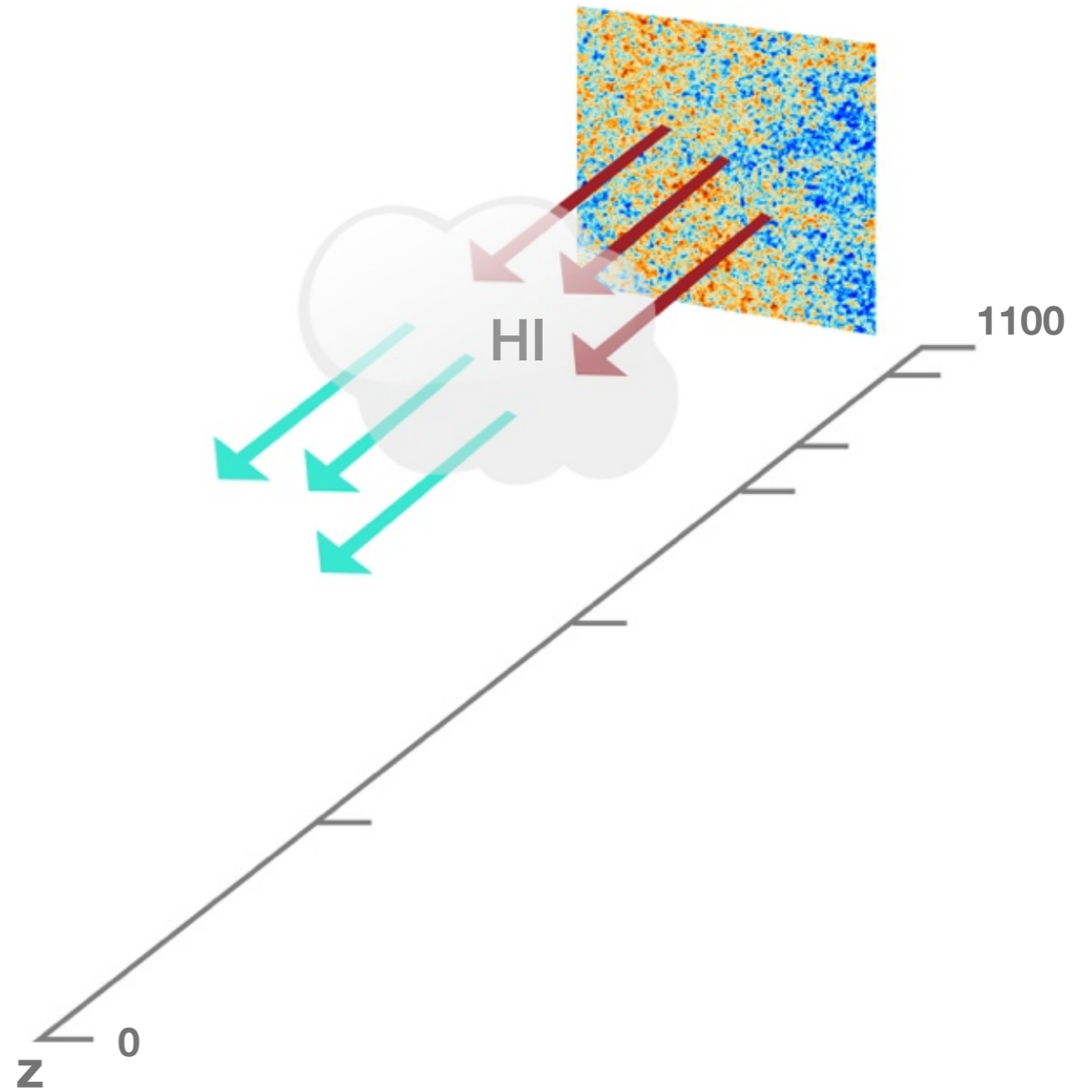


The Cosmological 21cm Signal: Lightning Review



The Cosmological 21cm Signal: Lightning Review

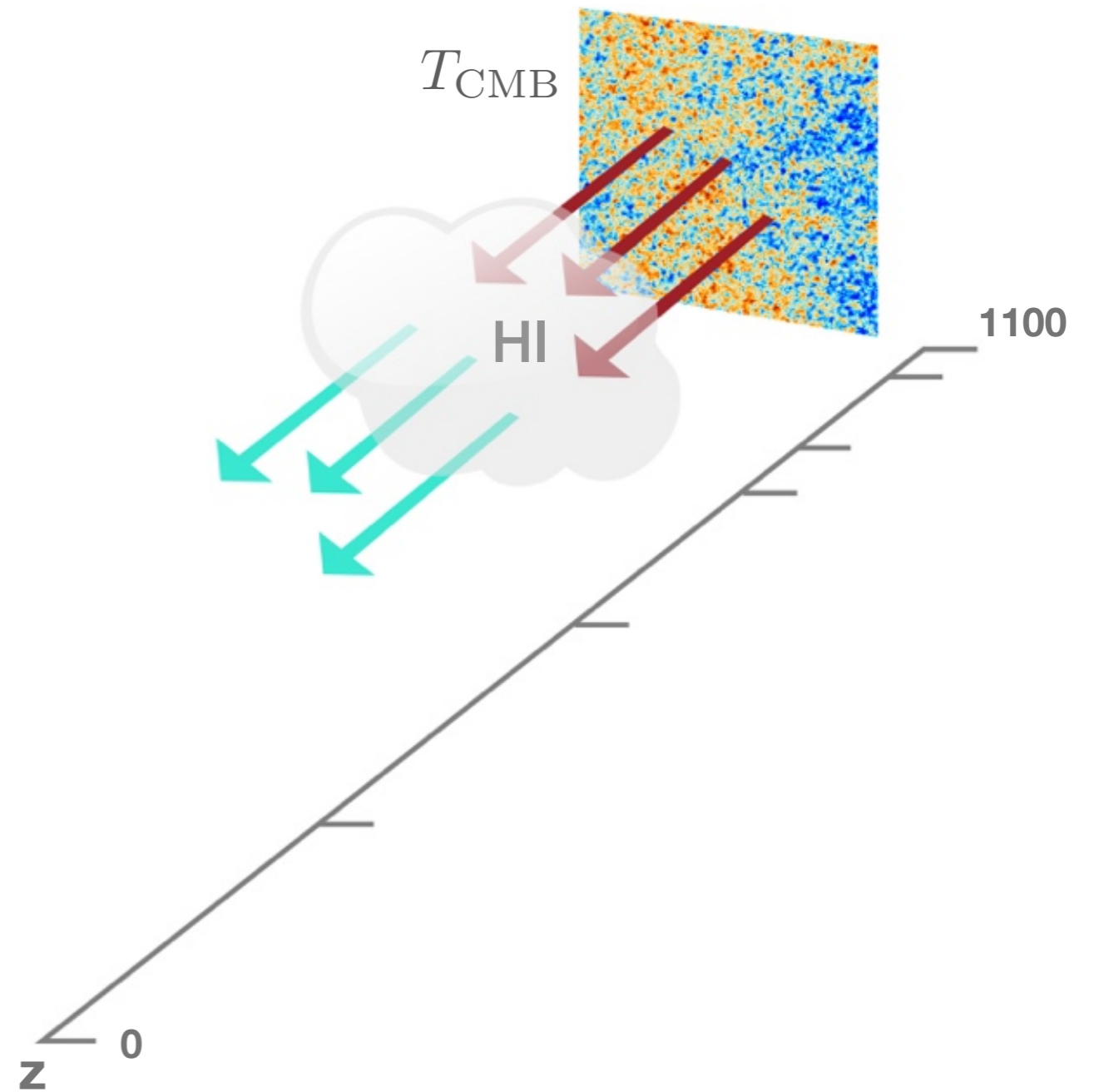
Game of *Temperatures*:



The Cosmological 21cm Signal: Lightning Review

Game of *Temperatures*:

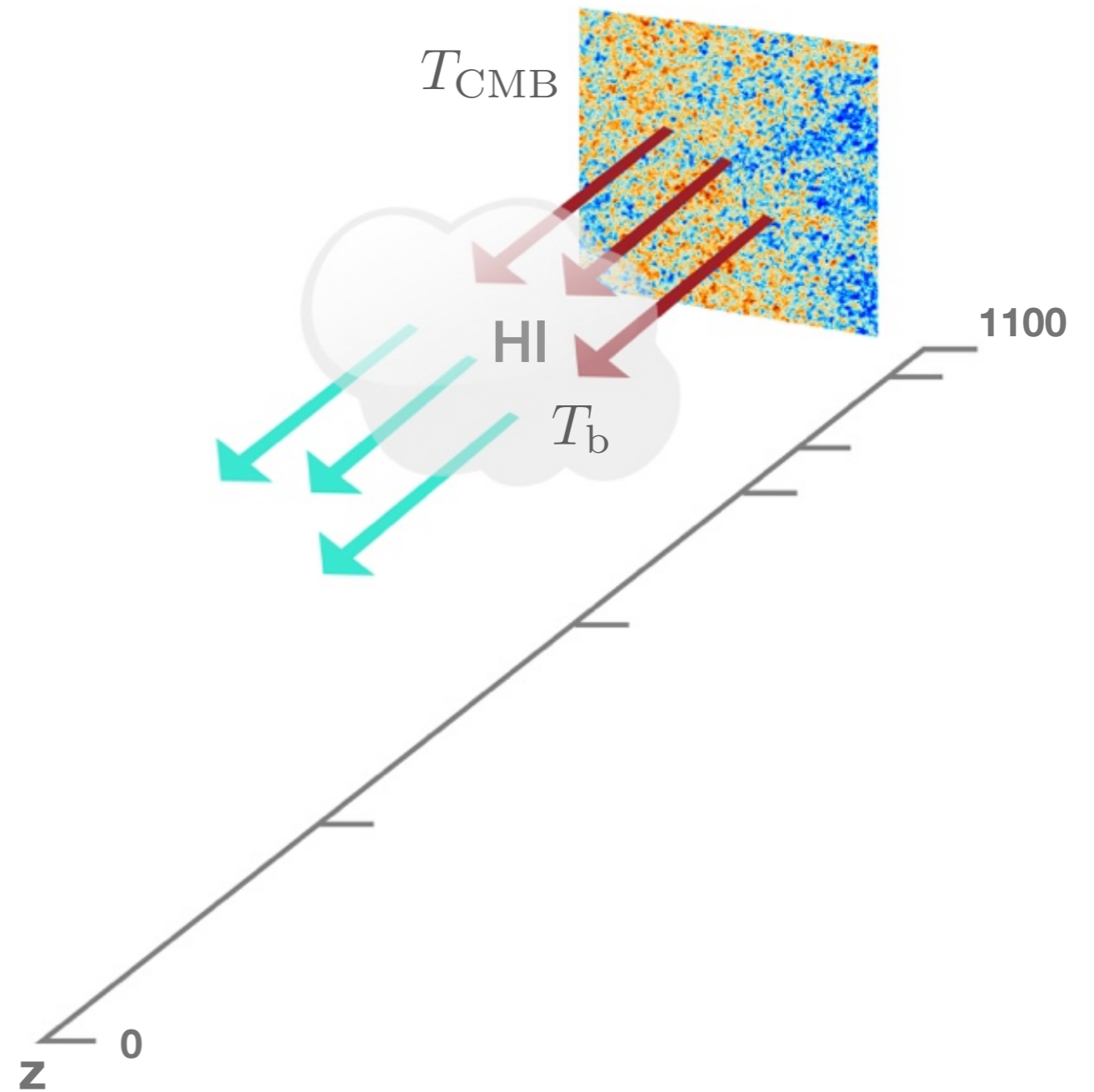
- CMB temperature (background)



The Cosmological 21cm Signal: Lightning Review

Game of *Temperatures*:

- CMB temperature (background)
- Gas (kinetic) temperature

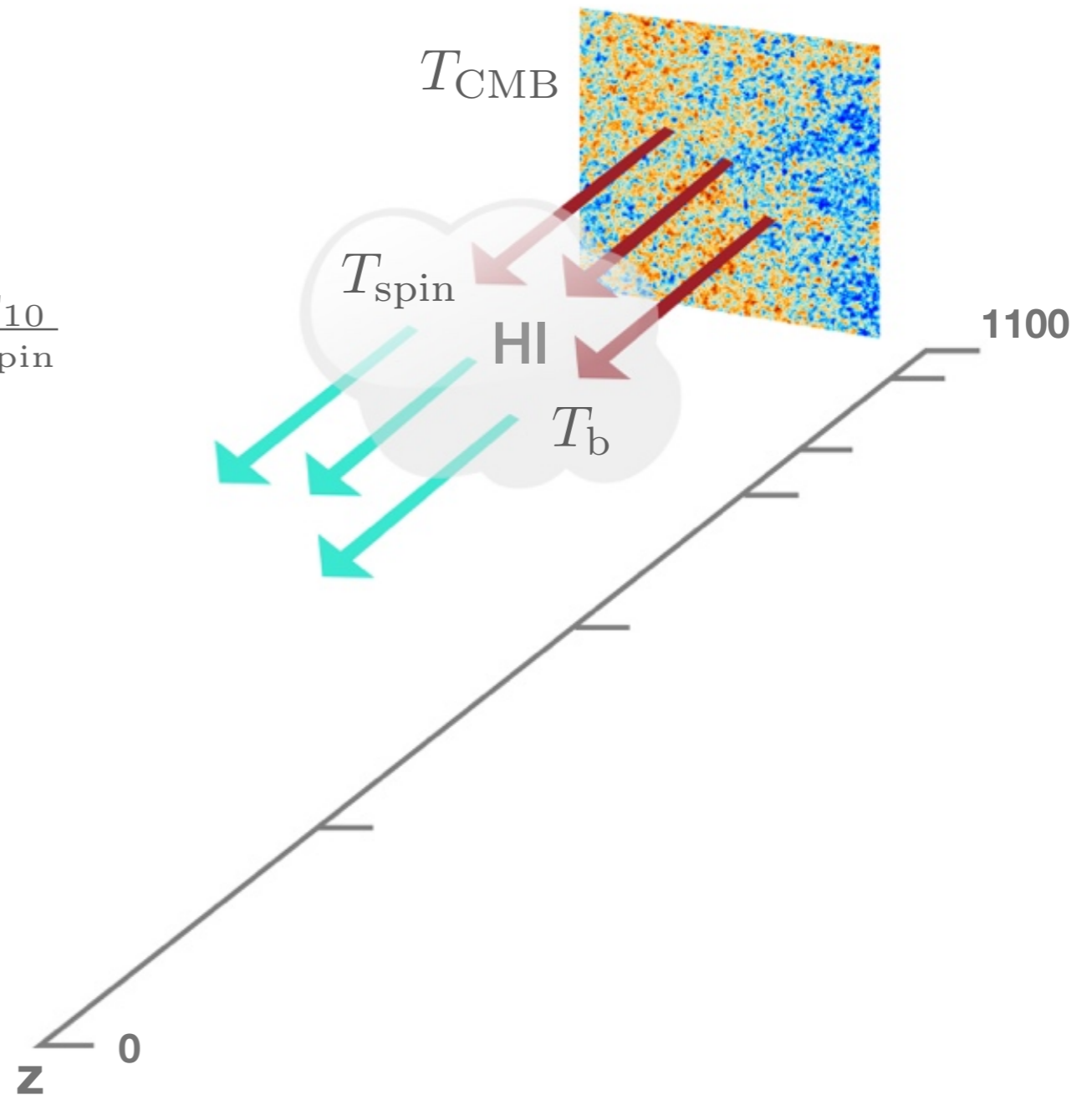


The Cosmological 21 cm Signal: Lightning Review

Game of *Temperatures*:

- CMB temperature (background)
- Gas (kinetic) temperature
- Spin (excitation) temperature:

$$\frac{n_1}{n_0} \equiv 3e^{\frac{-E_{10}}{kT_{\text{spin}}}}$$

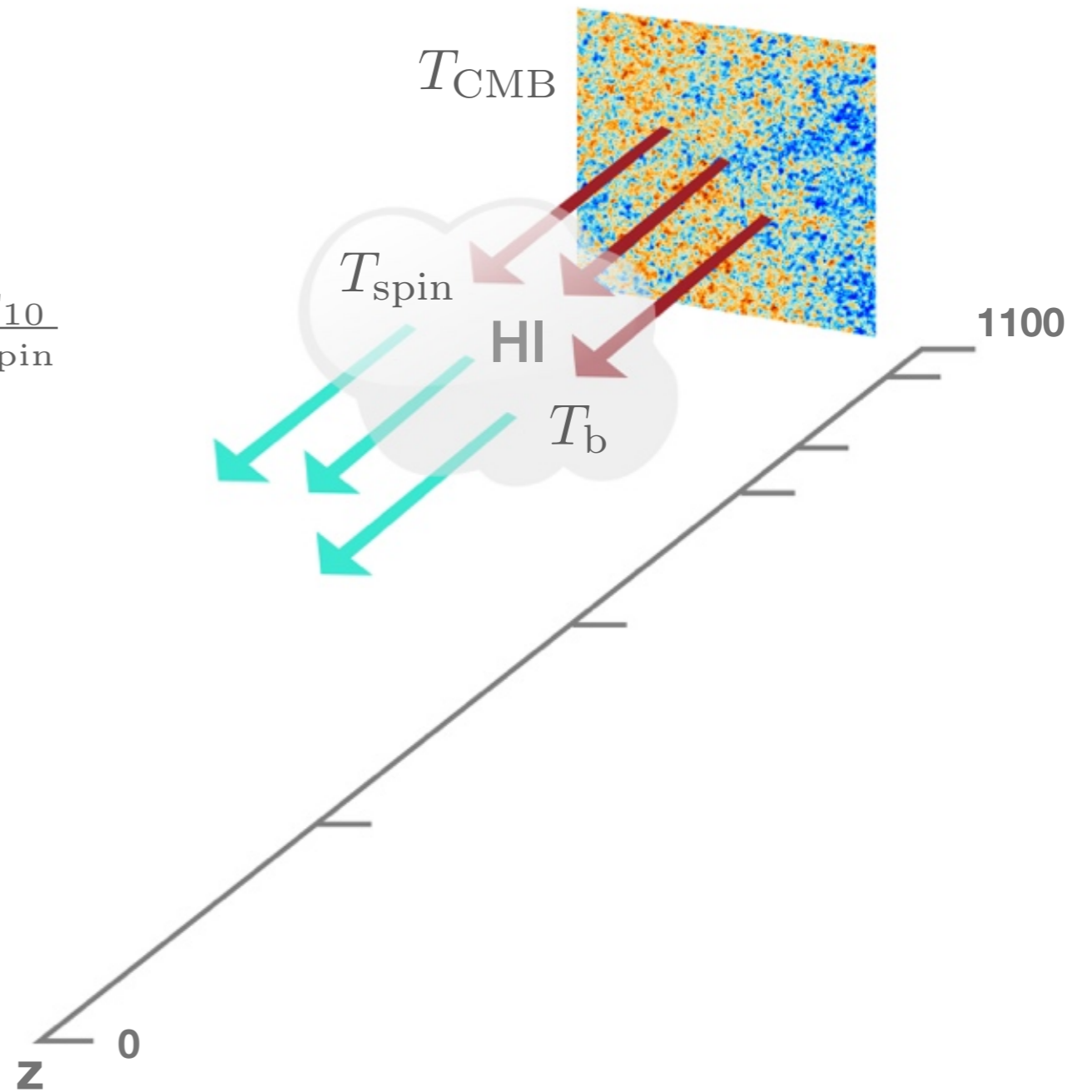


The Cosmological 21 cm Signal: Lightning Review

Game of *Temperatures*:

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- Gas (kinetic) temperature
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The Cosmological 21 cm Signal: Lightning Review

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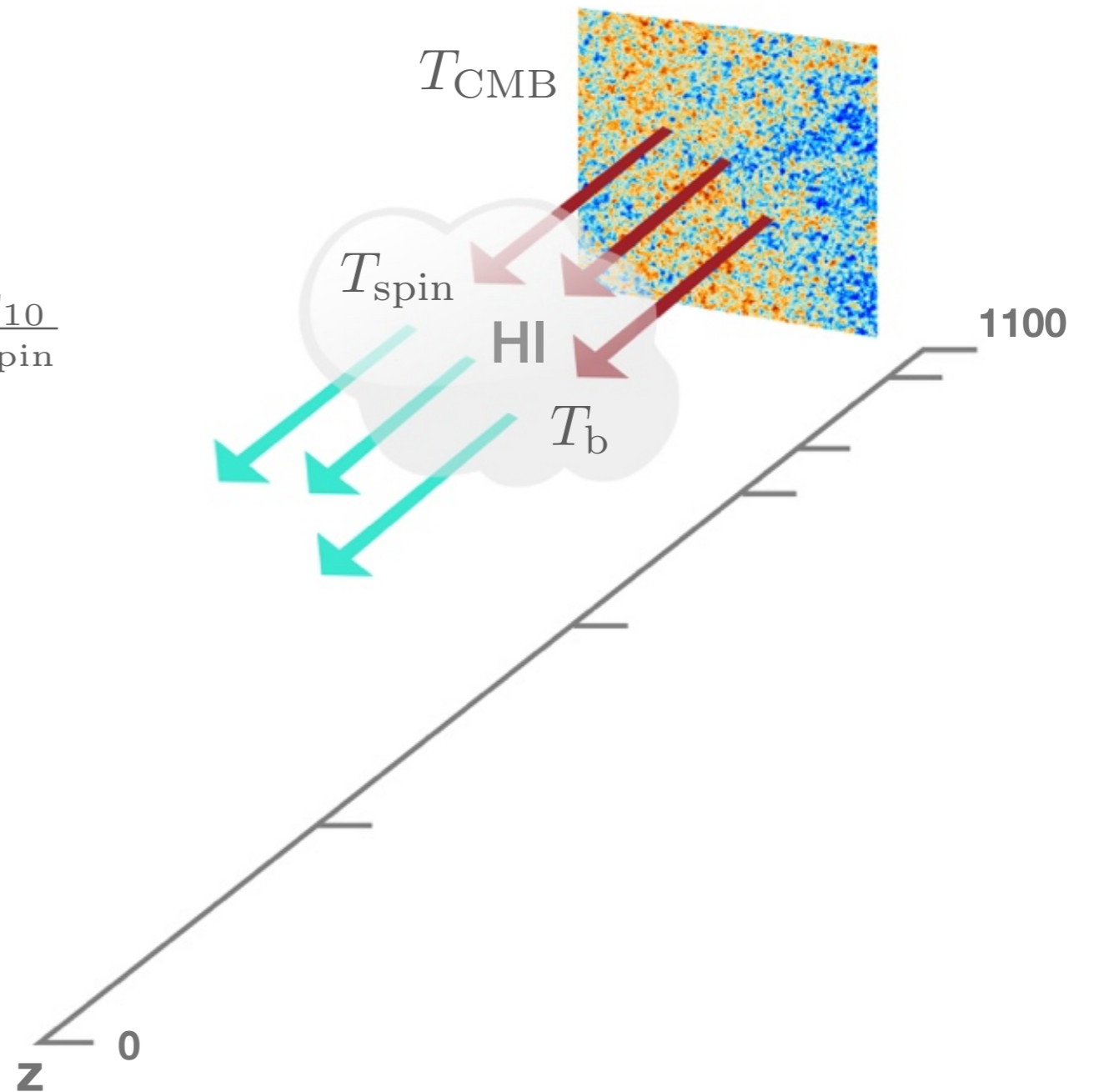
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(ii) Collisions in the IGM (H, p, e)



The Cosmological 21 cm Signal: Lightning Review

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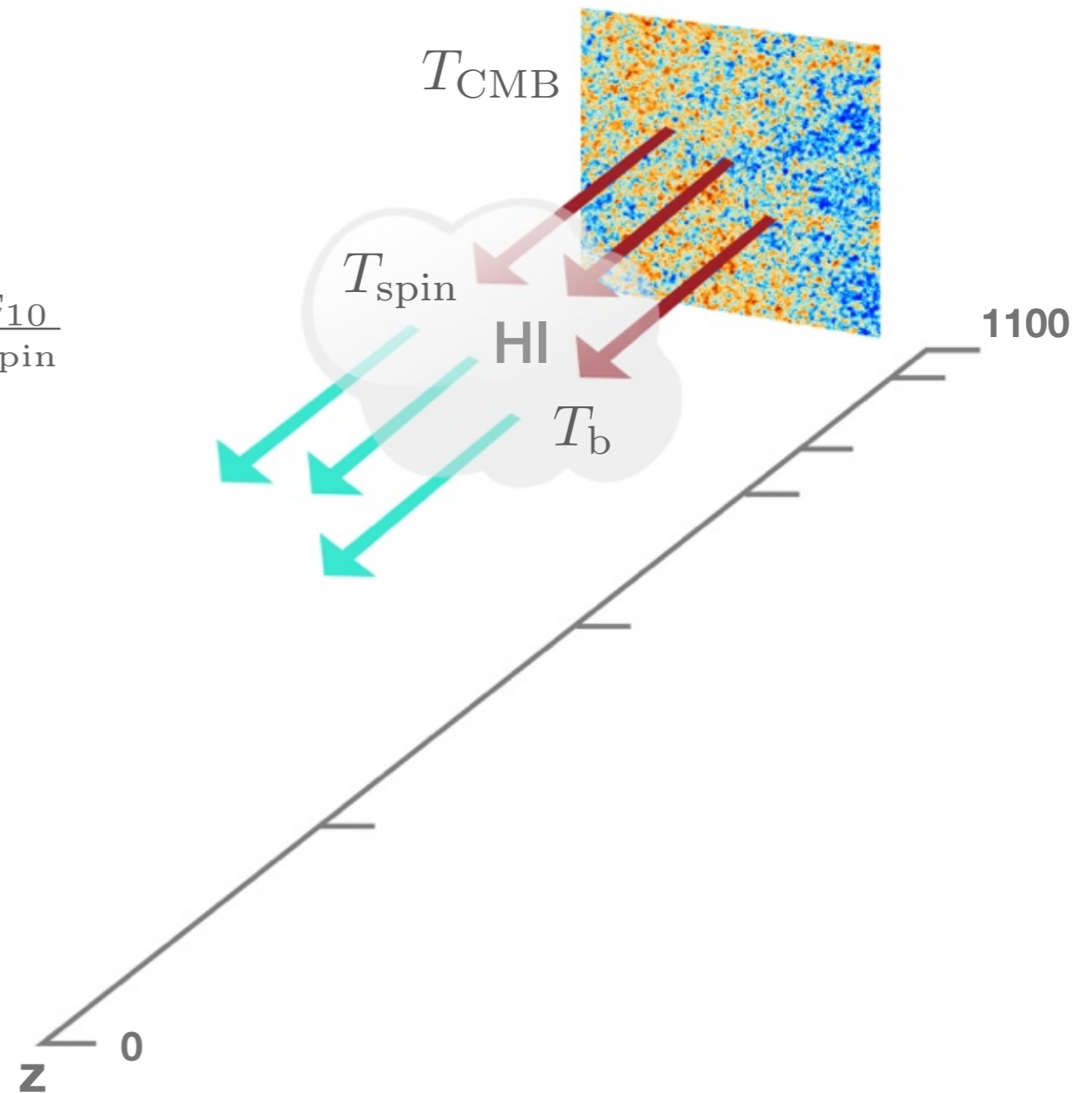
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The Cosmological 21cm Signal: Lightning Review

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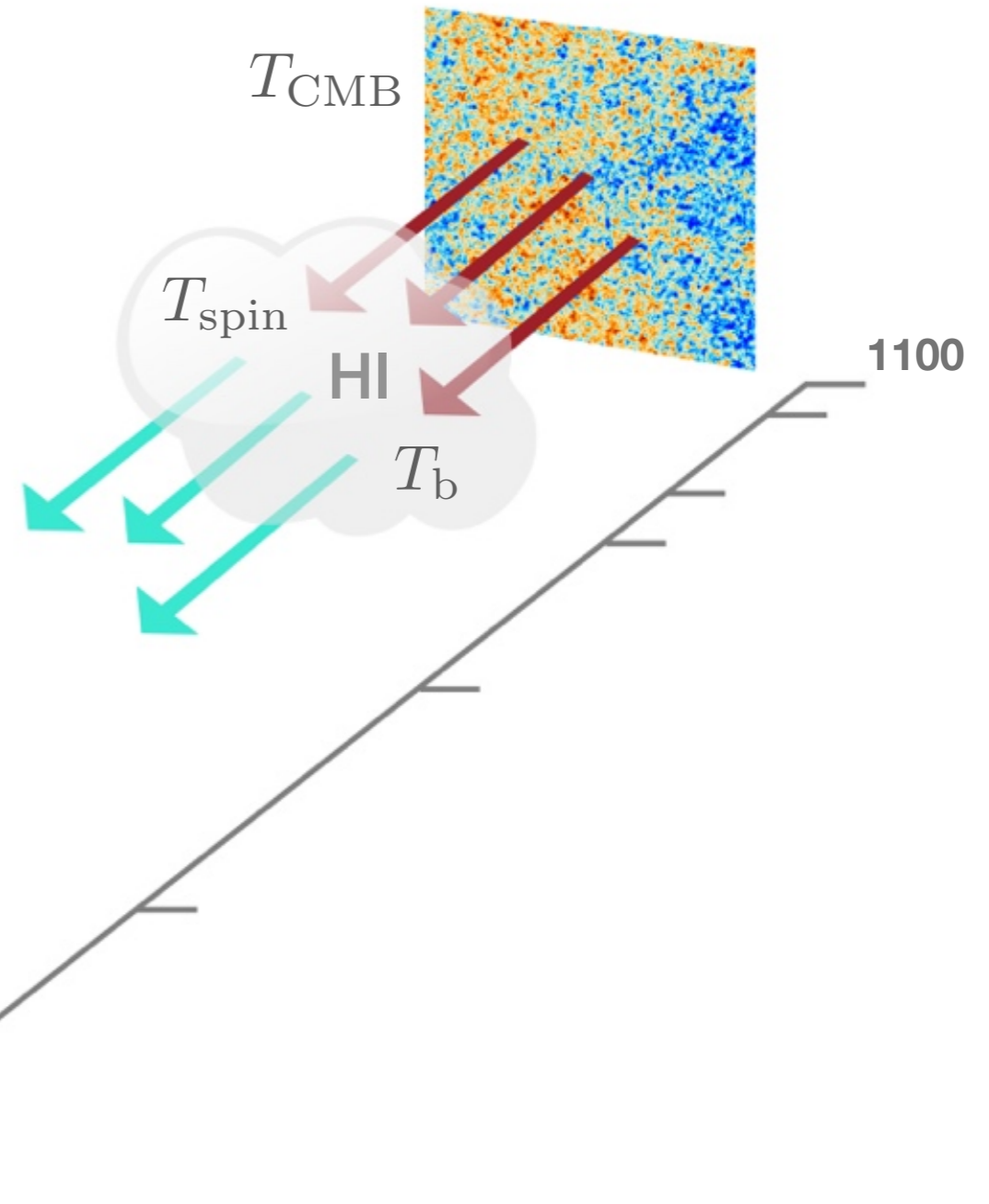
- Spin (excitation) temperature: $\frac{n_1}{n_0} \equiv 3e^{\frac{-E_{10}}{kT_{\text{spin}}}}$

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Detailed balance:
$$T_{\text{spin}}^{-1} \simeq \frac{T_{\text{CMB}}^{-1} + \sum_i x_i T_b^{-1}}{1 + \sum_i x_i}$$



The Cosmological 21cm Signal: Lightning Review

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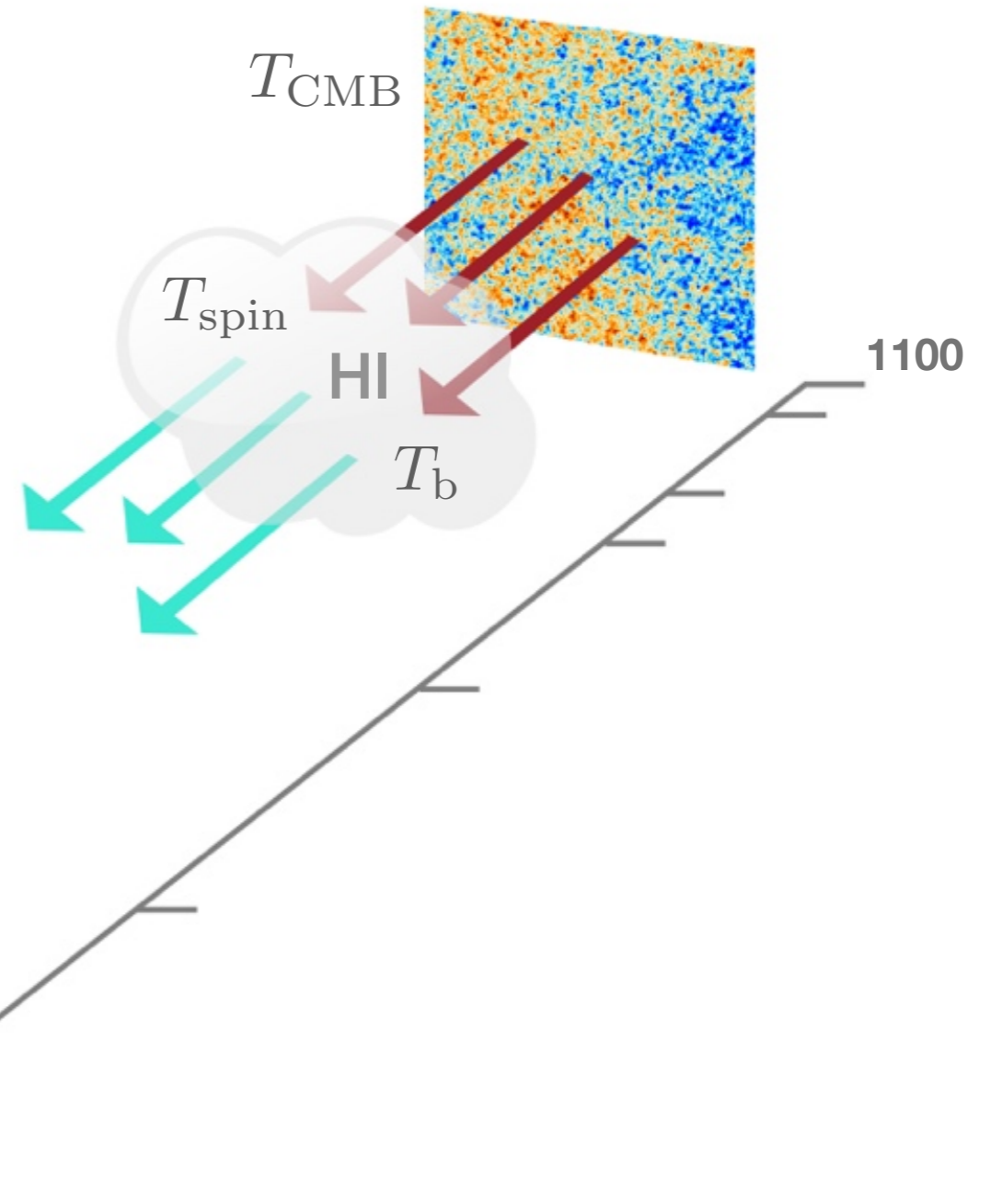
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The Cosmological 21cm Signal: Lightning Review

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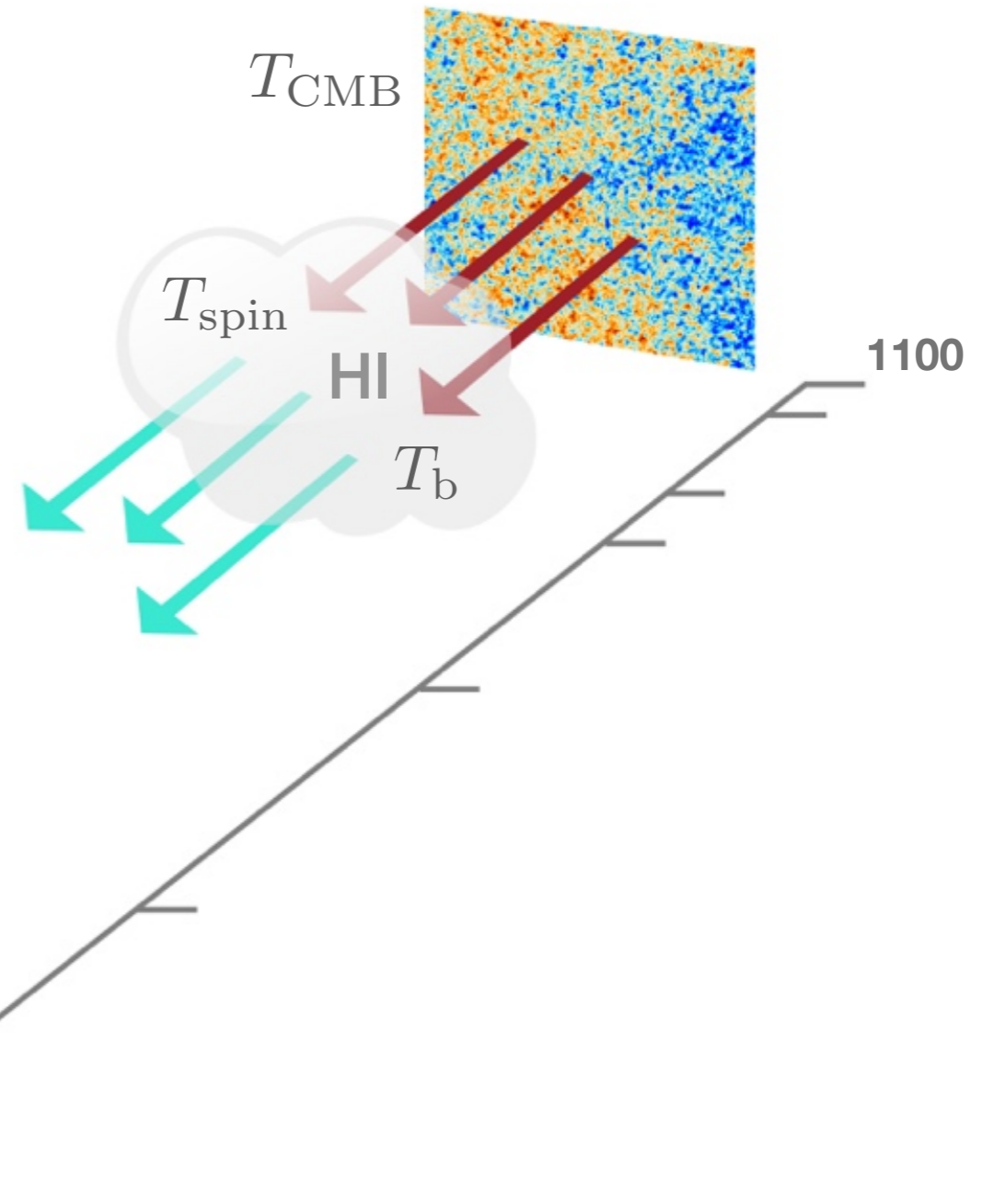
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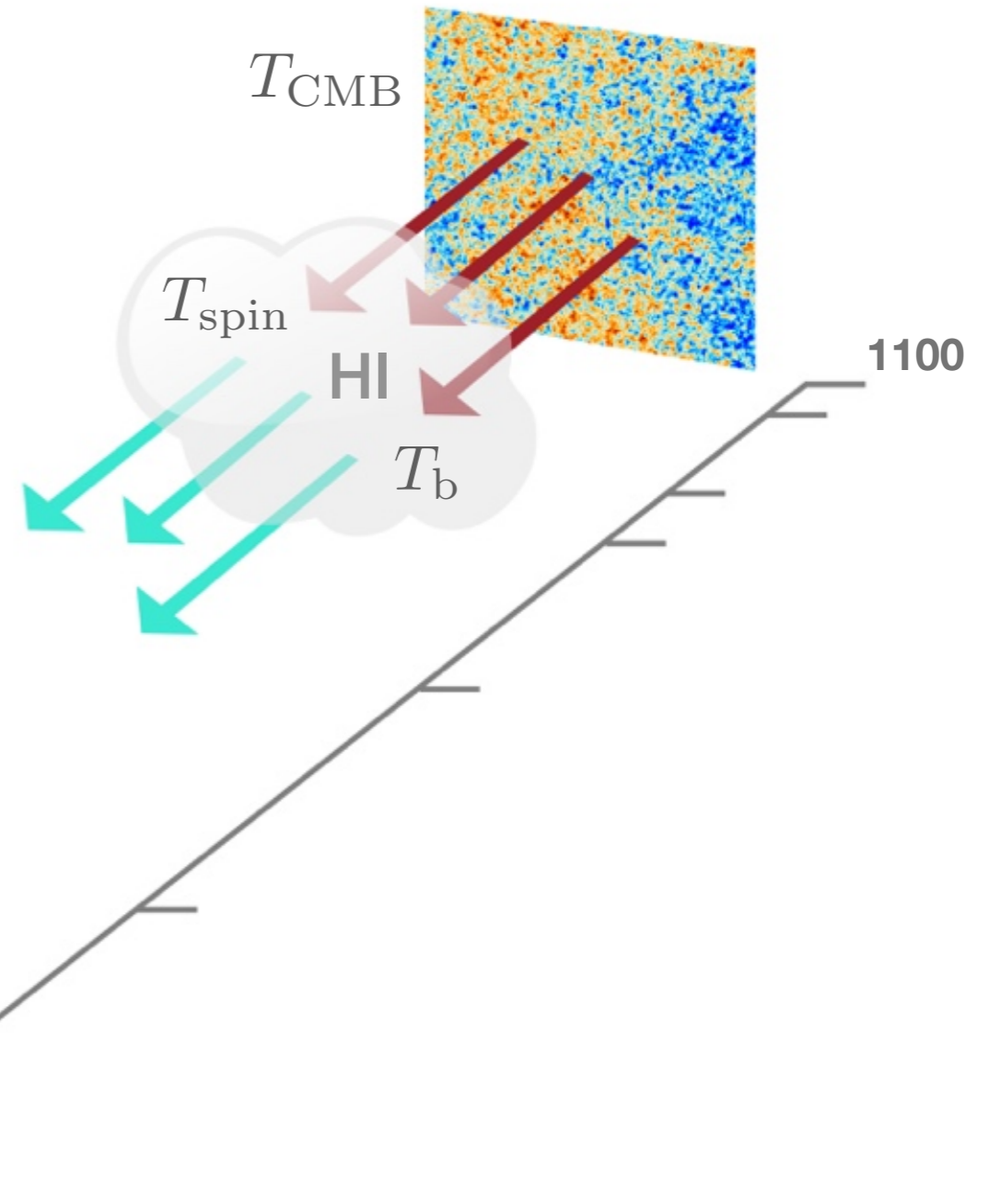
(ii) Collisions in the IGM (H, p, e)

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Detailed balance: $T_{\text{spin}}^{-1} \simeq \frac{T_{\text{CMB}}^{-1} + \sum_i x_i T_b^{-1}}{1 + \sum_i x_i}$

- Brightness temperature (radiative transfer):

$$T_{\text{bright}} = T_{\text{spin}} (1 - e^{-\tau}) + T_{\text{CMB}} e^{-\tau}$$



The Cosmological 21cm Signal: Lightning Review

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(ii) Collisions in the IGM (H, p, e)

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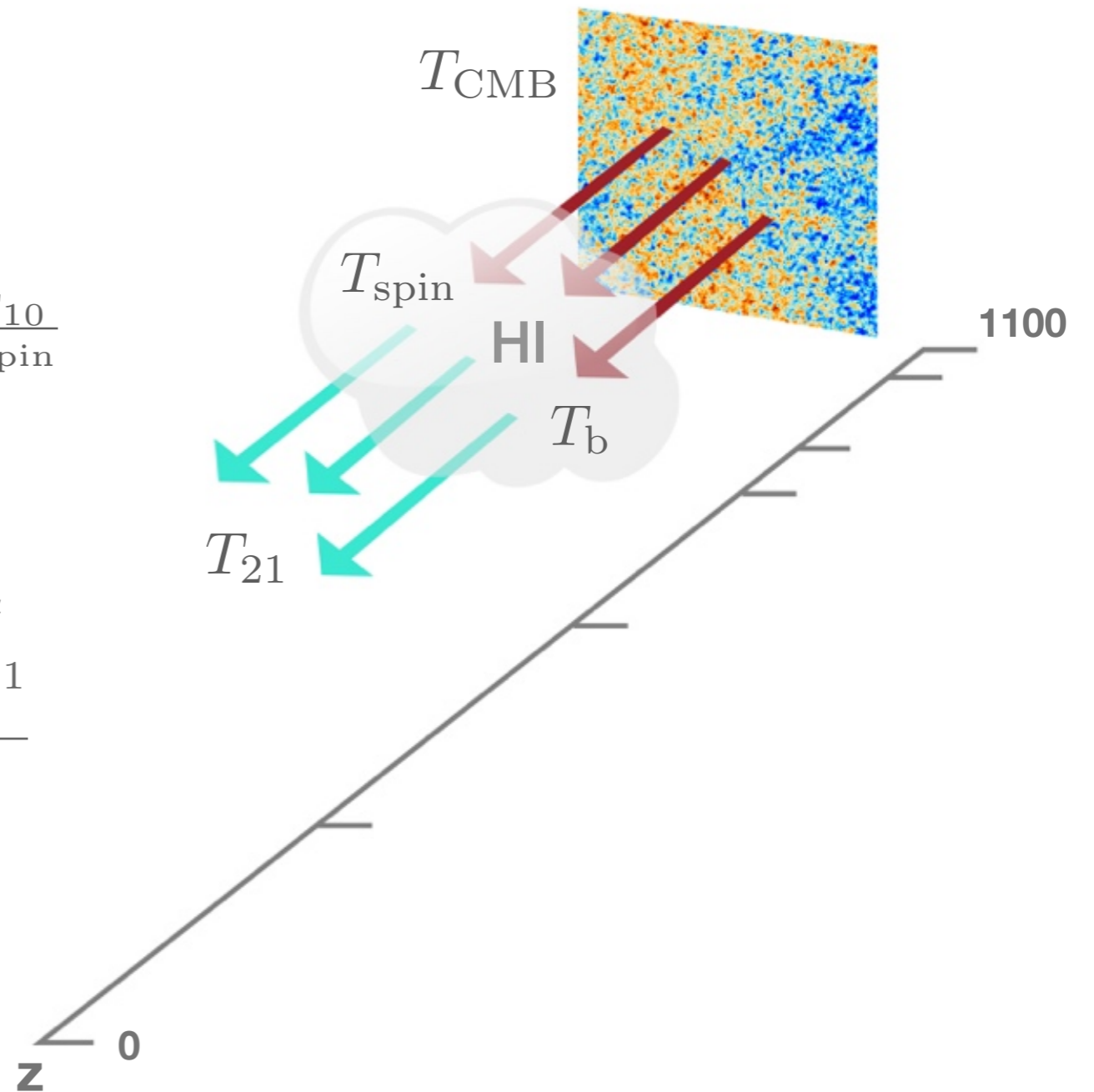
Detailed balance:
$$T_{\text{spin}}^{-1} \simeq \frac{T_{\text{CMB}}^{-1} + \sum_i x_i T_b^{-1}}{1 + \sum_i x_i}$$

- Brightness temperature (radiative transfer):

$$T_{\text{bright}} = T_{\text{spin}} (1 - e^{-\tau}) + T_{\text{CMB}} e^{-\tau}$$

- Brightness temperature contrast:

$$T_{21} \equiv \delta T_{\text{bright}} = \frac{T_{\text{spin}} - T_{\text{CMB}}}{1 + z} (1 - e^{-\tau}) \approx \frac{T_{\text{spin}} - T_{\text{CMB}}}{1 + z} \tau$$



The Cosmological 21cm Signal: Lightning Review

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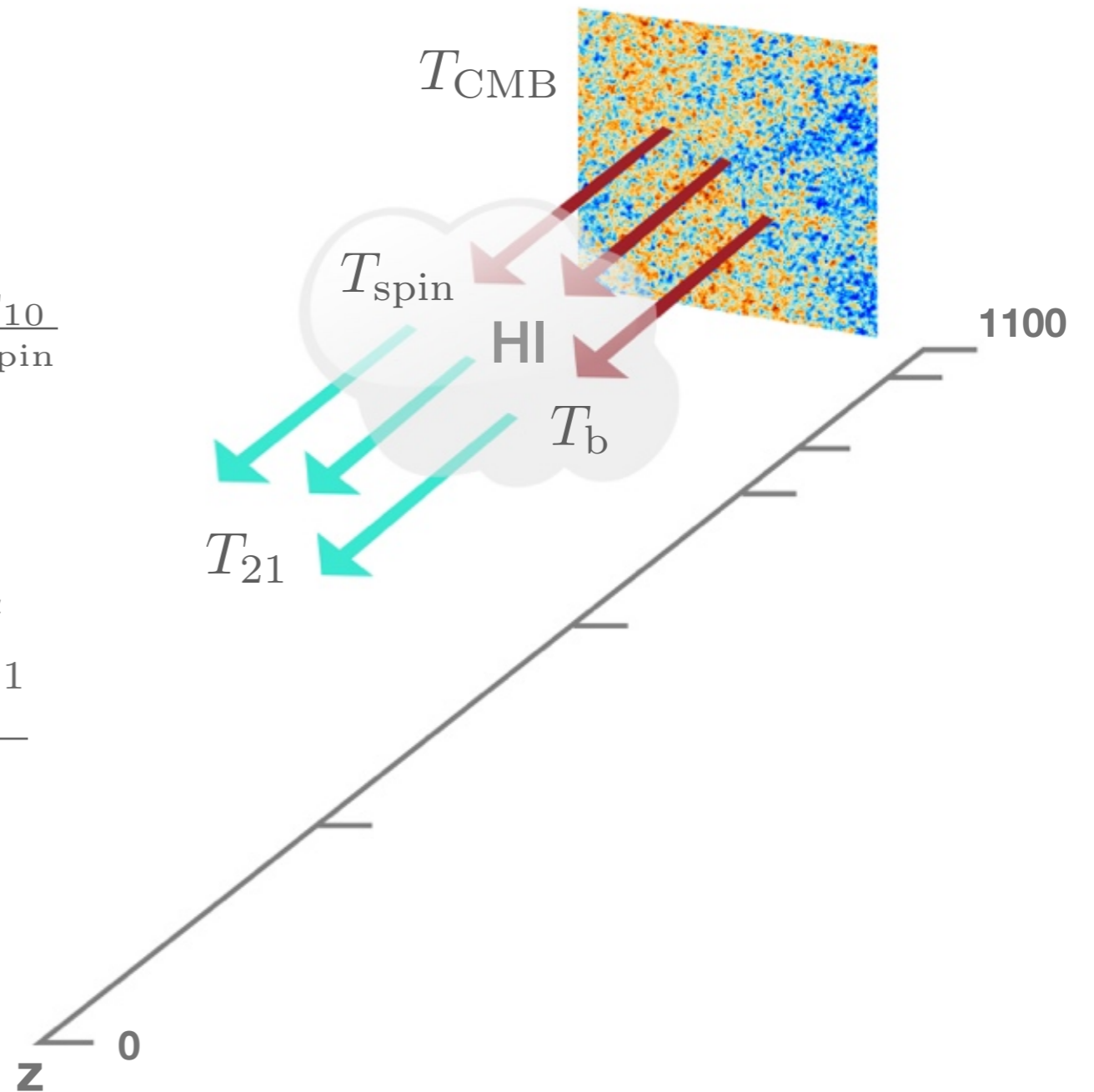
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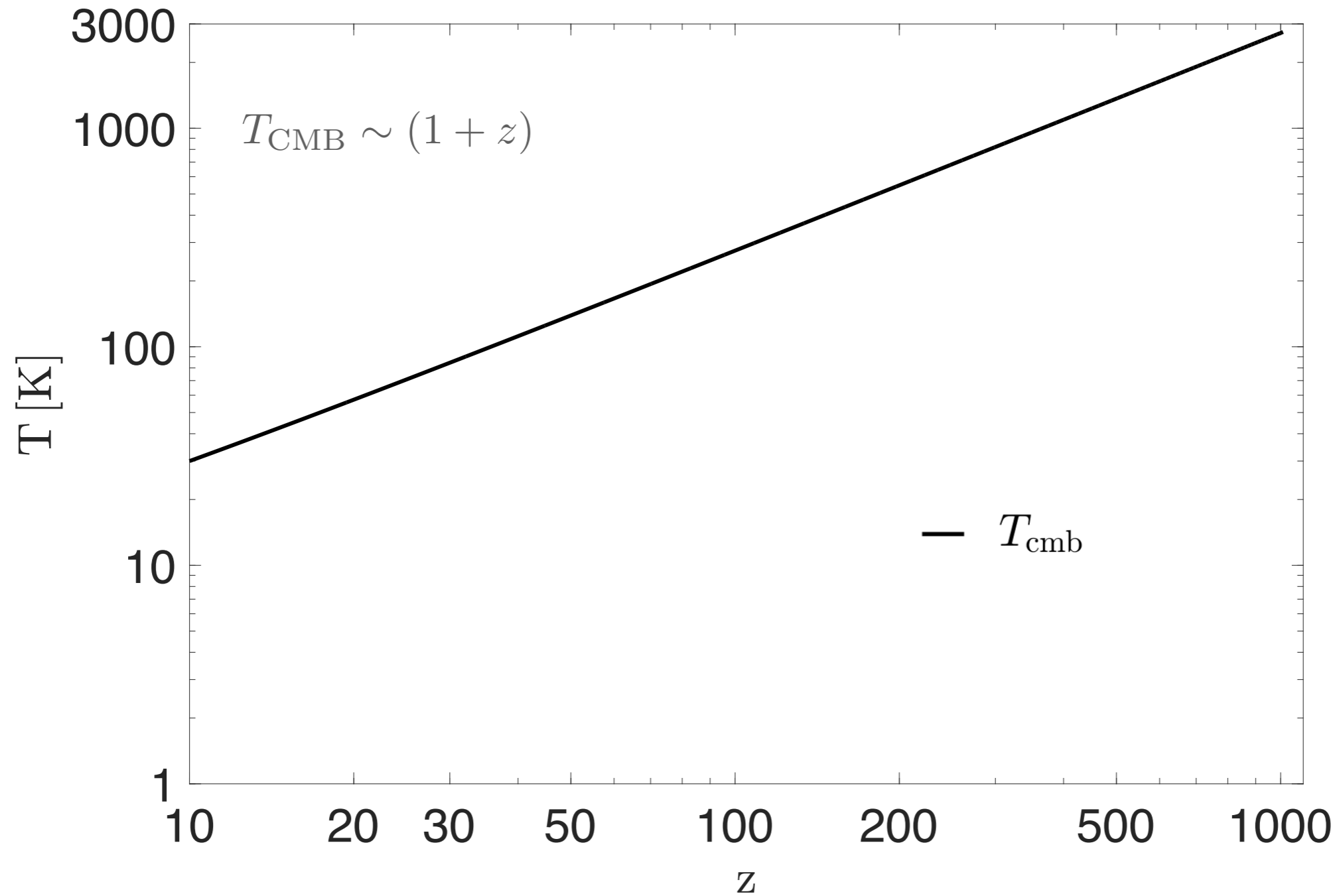
- Brightness temperature contrast:

$$T_{21} \equiv \delta T_{\text{bright}} = \frac{T_{\text{spin}} - T_{\text{CMB}}}{1 + z} (1 - e^{-\tau}) \approx \frac{T_{\text{spin}} - T_{\text{CMB}}}{1 + z} \tau \propto \left(1 - \frac{T_{\text{CMB}}}{T_{\text{spin}}} \right)$$

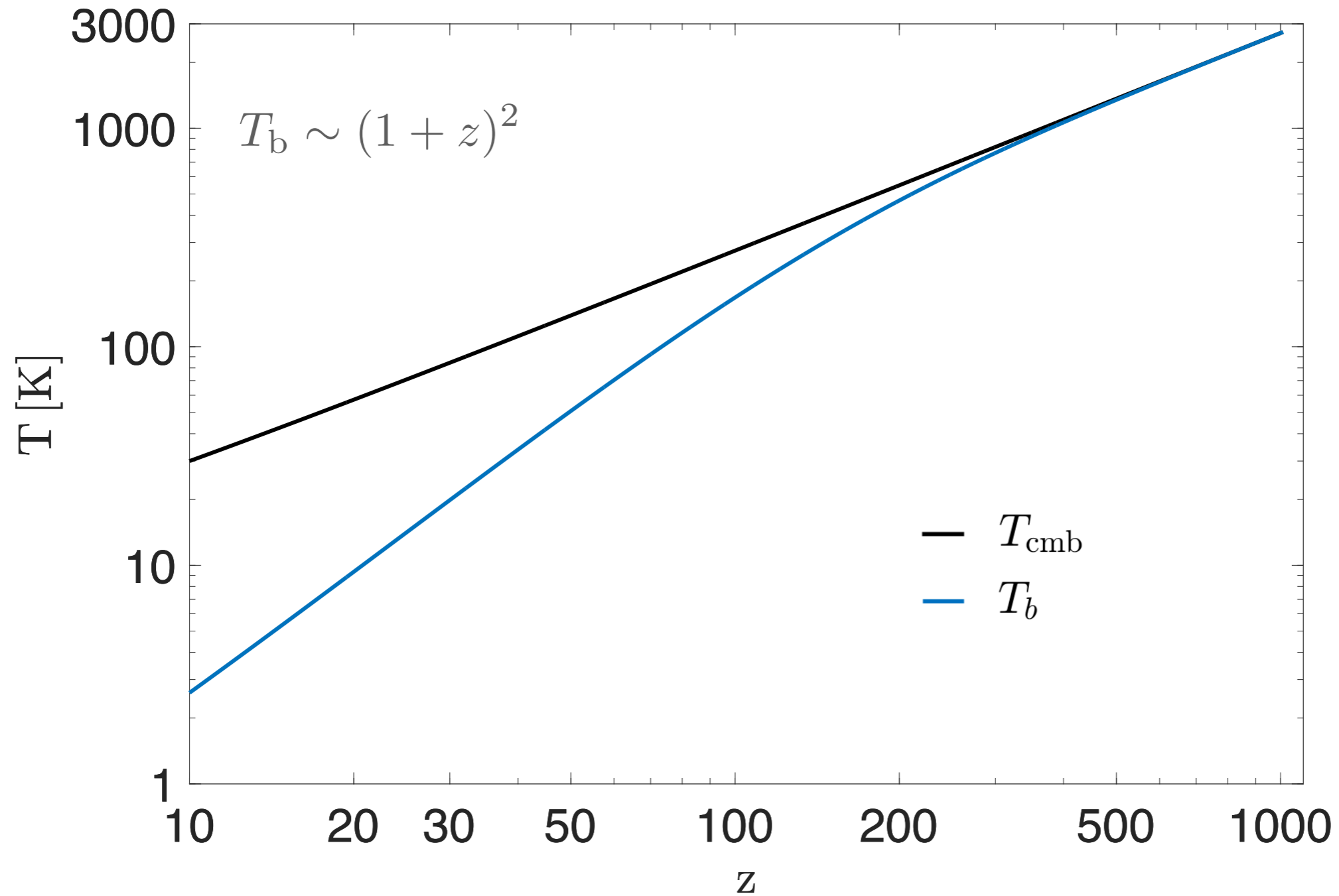


The Cosmological 21 cm Signal: Lightning Review

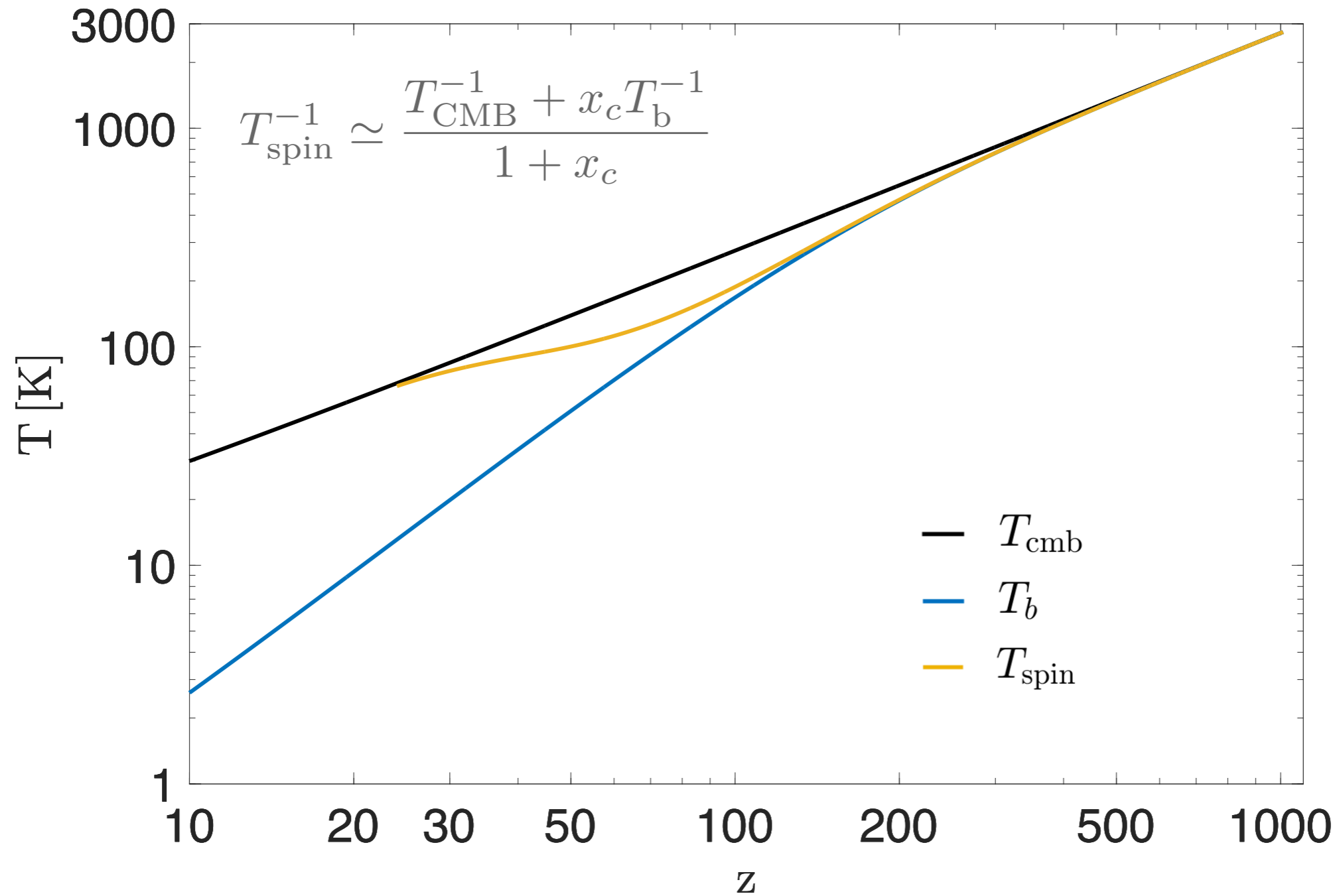
The Cosmological 21cm Signal: Lightning Review



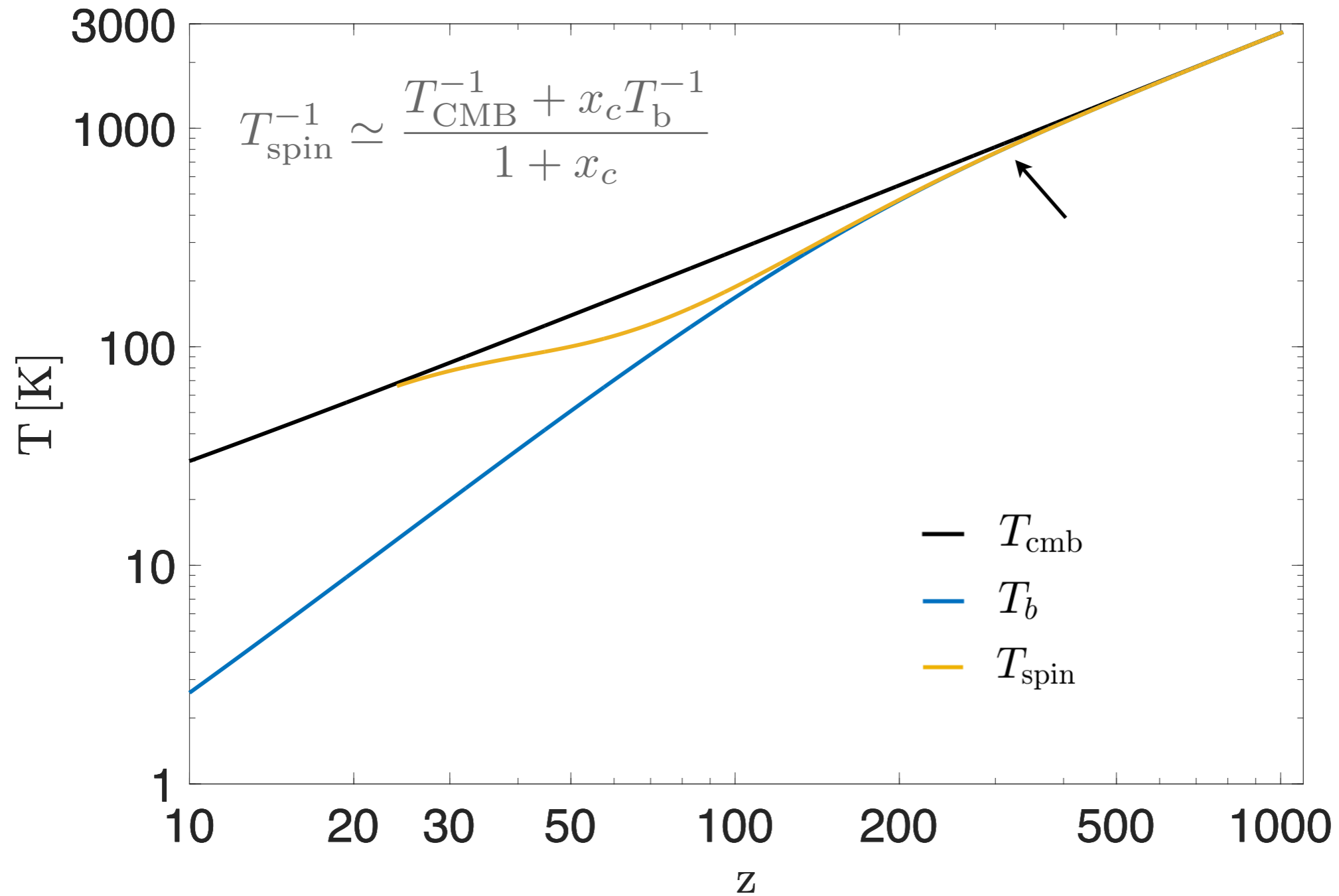
The Cosmological 21cm Signal: Lightning Review



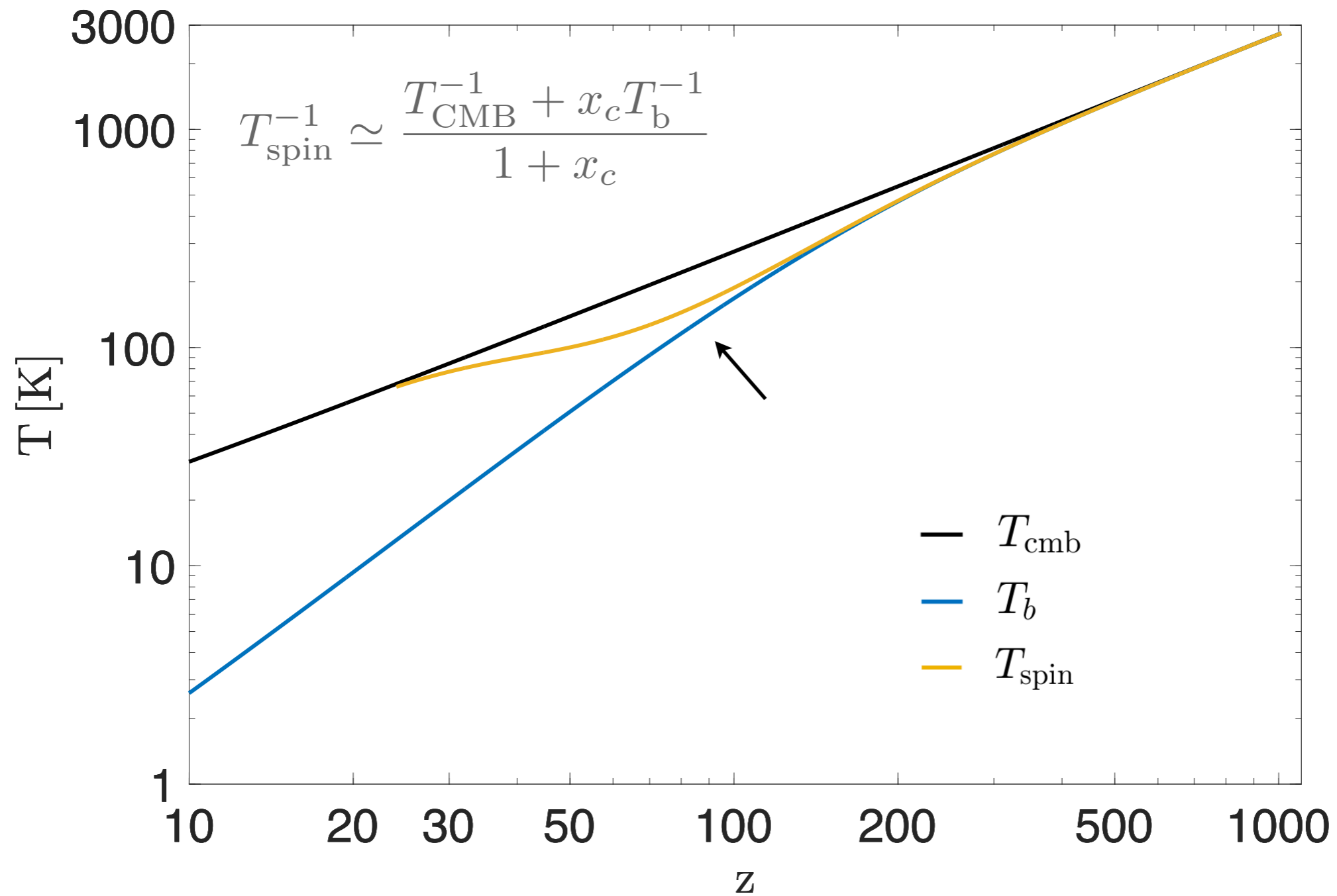
The Cosmological 21cm Signal: Lightning Review



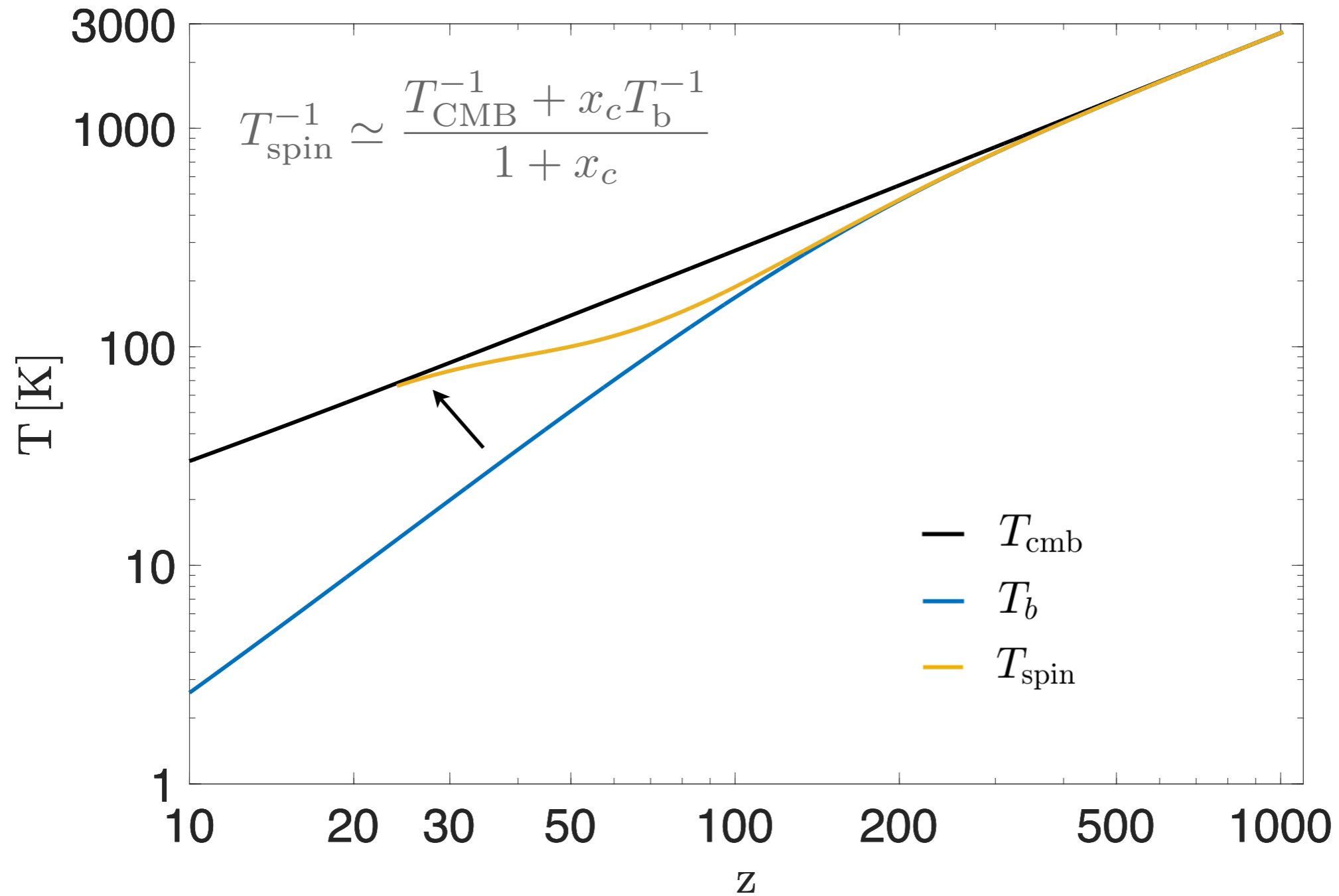
The Cosmological 21cm Signal: Lightning Review



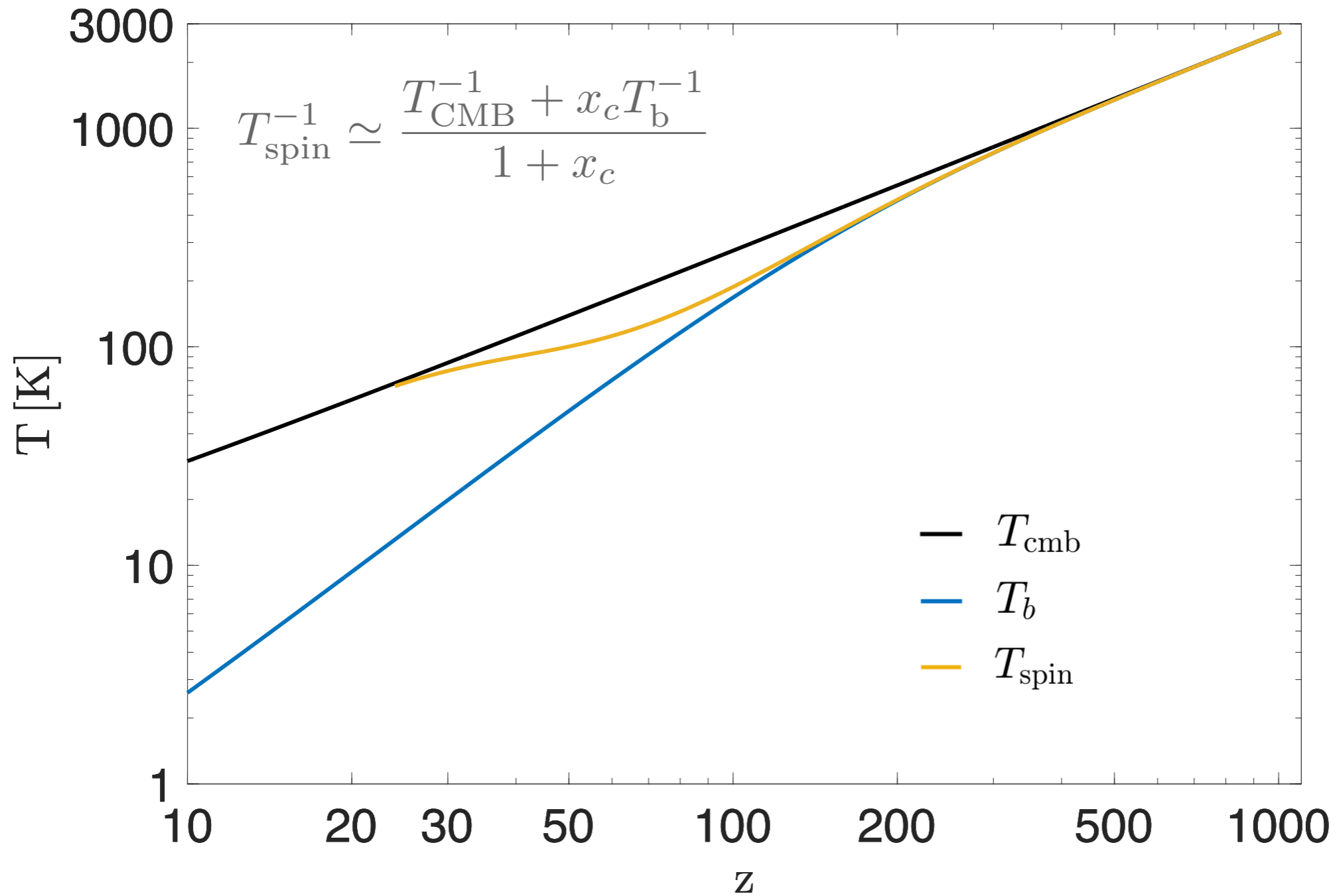
The Cosmological 21cm Signal: Lightning Review



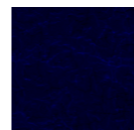
The Cosmological 21cm Signal: Lightning Review



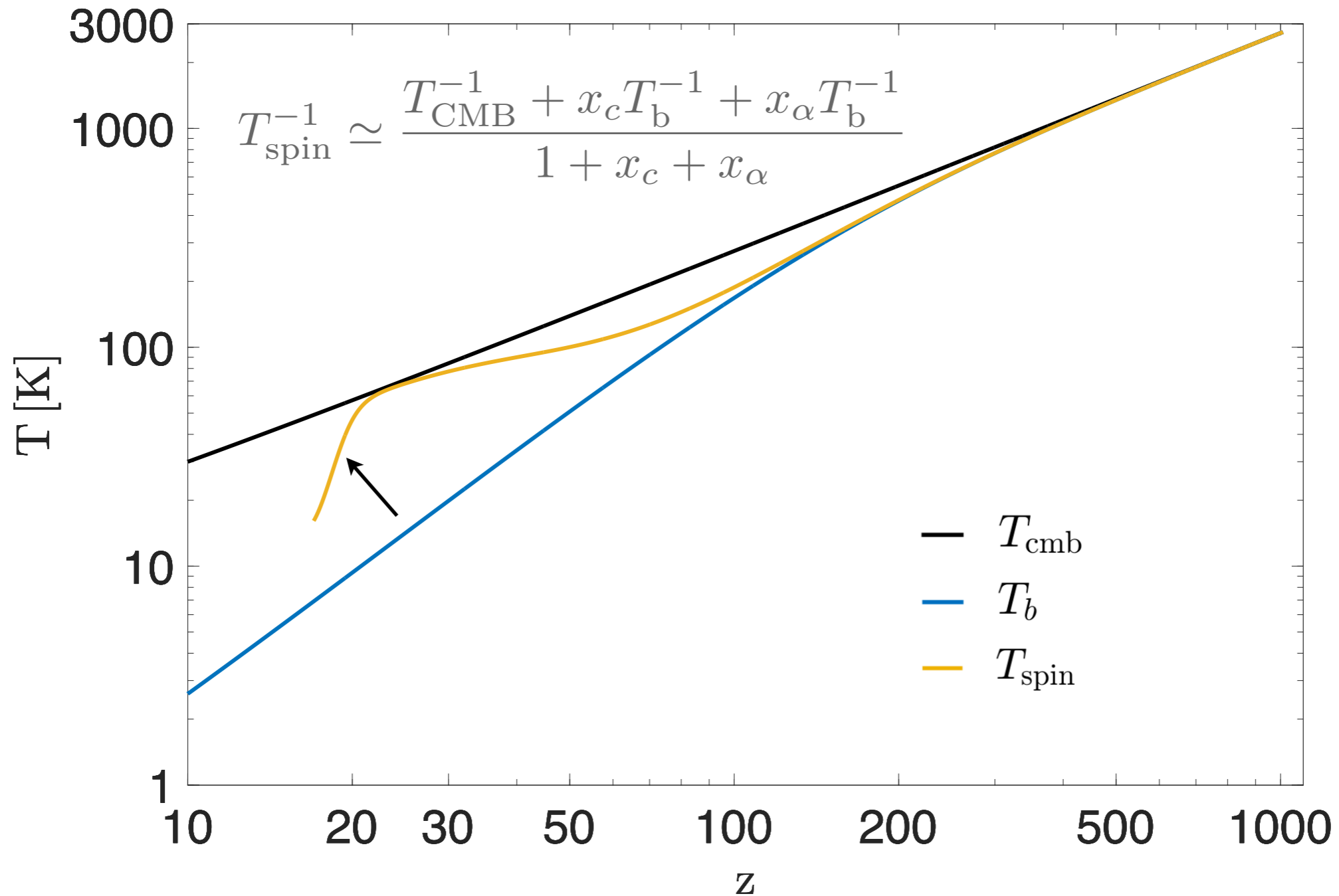
The Cosmological 21cm Signal: Lightning Review



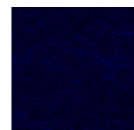
Absorption: (1) $T_{\text{spin}} < T_{\text{CMB}}$ (Dark Ages)



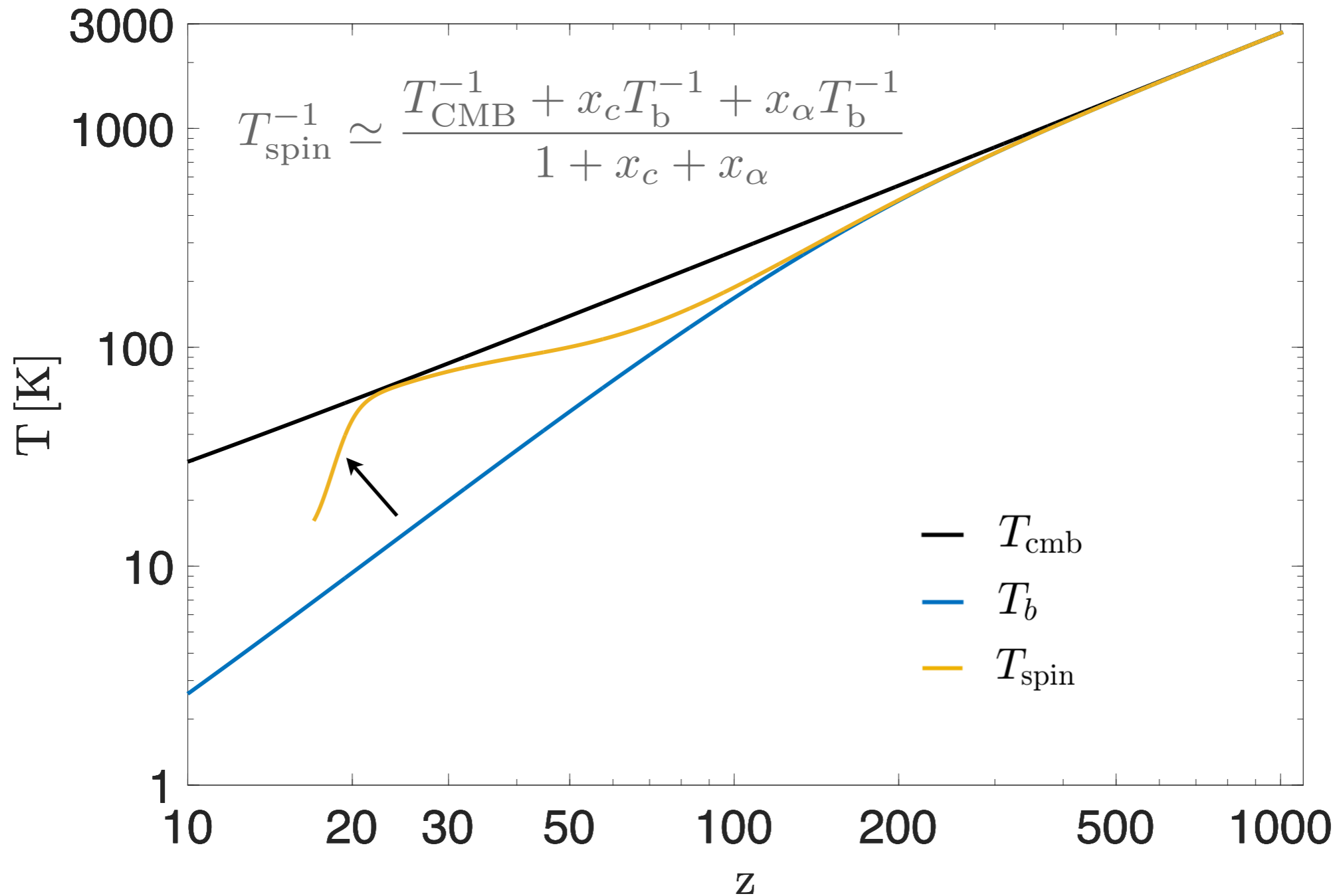
The Cosmological 21cm Signal: Lightning Review



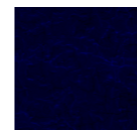
Absorption: (1) $T_{\text{spin}} < T_{\text{CMB}}$ (Dark Ages)



The Cosmological 21cm Signal: Lightning Review



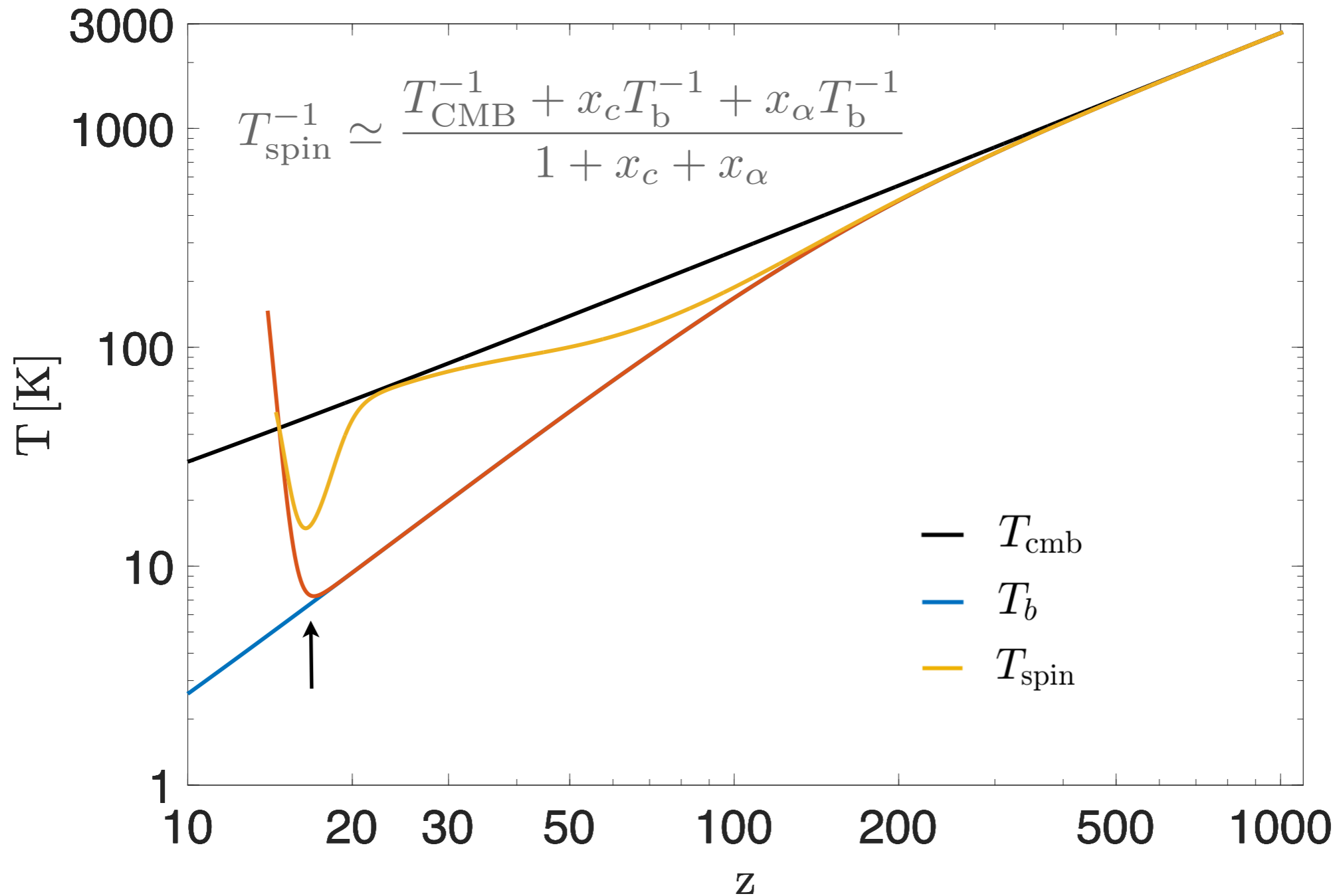
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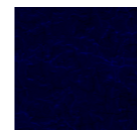
(2) $T_{\text{spin}} < T_{\text{CMB}}$ (Cosmic Dawn)



The Cosmological 21cm Signal: Lightning Review



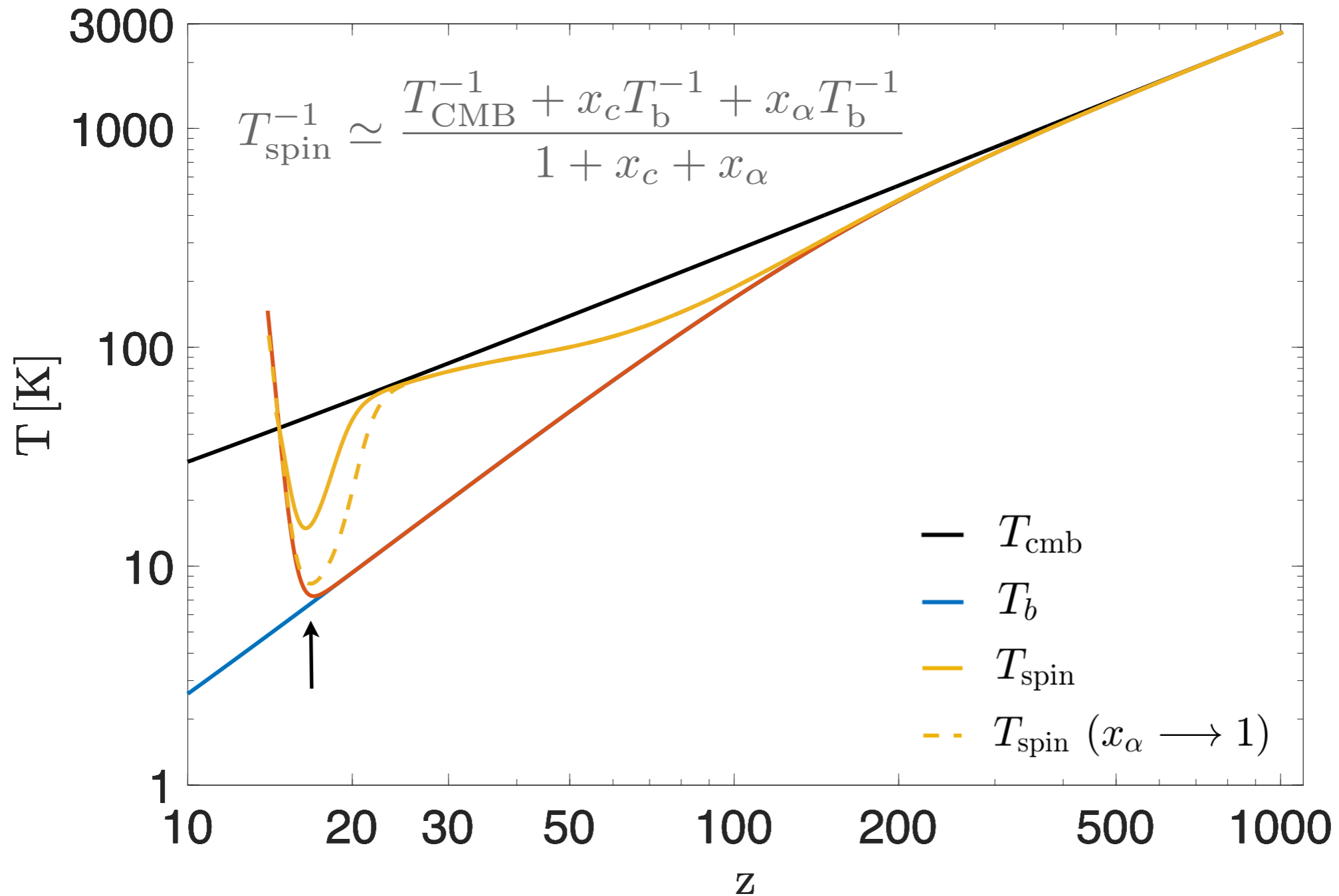
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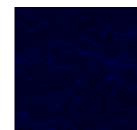
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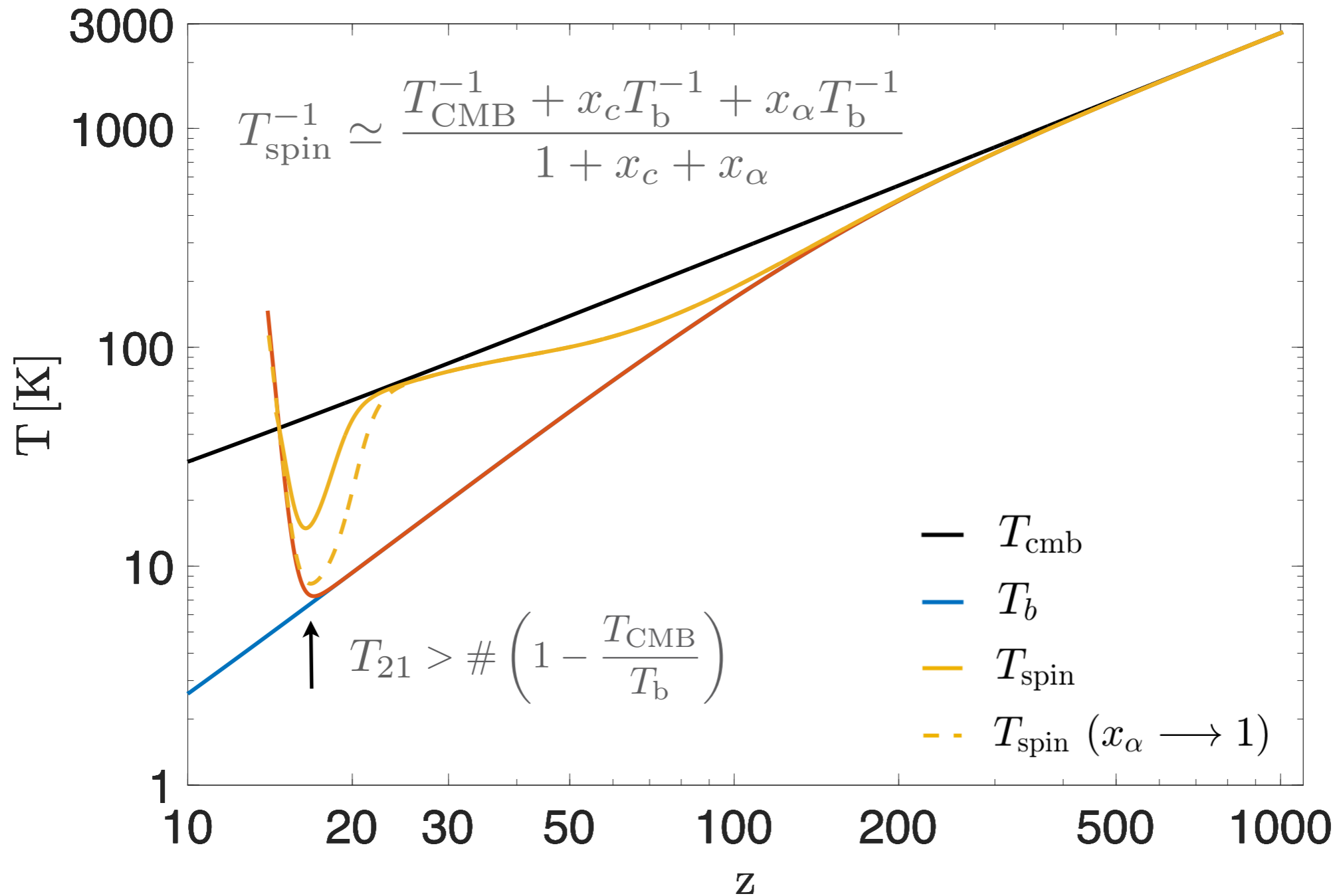
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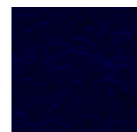
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The Cosmological 21cm Signal: Lightning Review



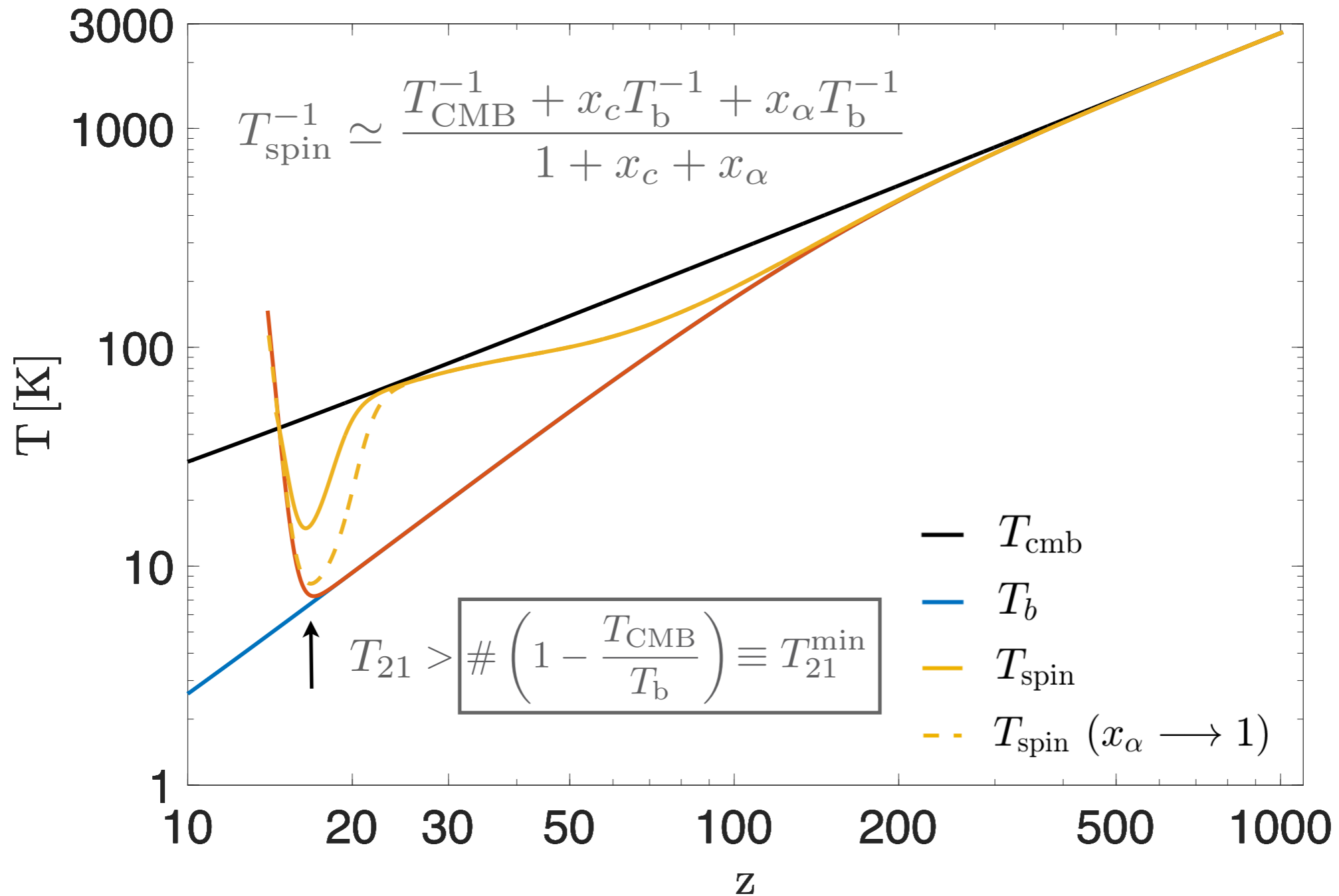
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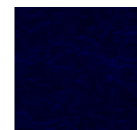
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The Cosmological 21cm Signal: Lightning Review



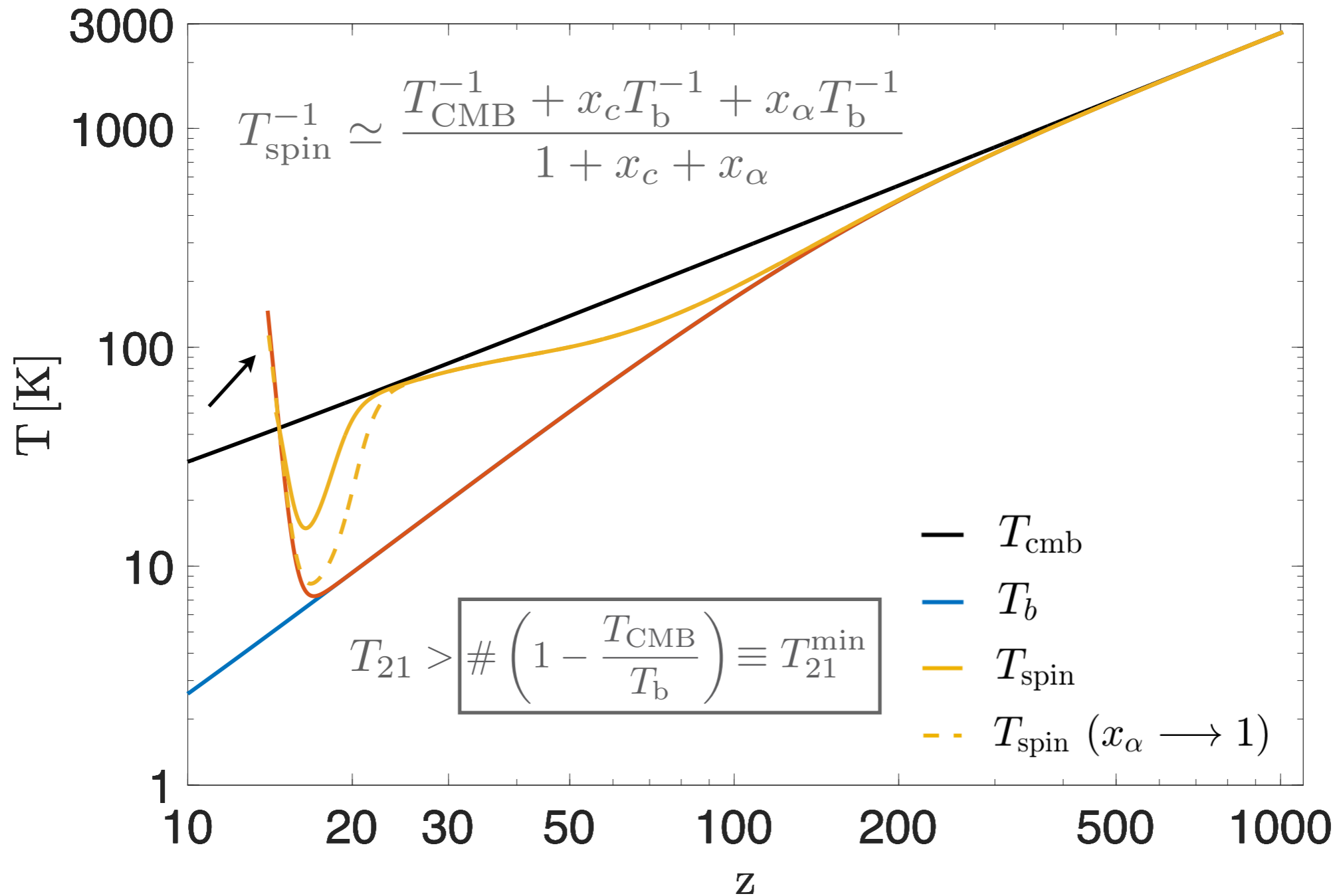
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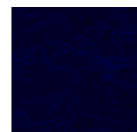
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The Cosmological 21cm Signal: Lightning Review



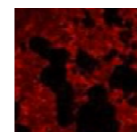
Absorption: (1) $T_{\text{spin}} < T_{\text{CMB}}$ (Dark Ages)



(2) $T_{\text{spin}} < T_{\text{CMB}}$ (Cosmic Dawn)



Emission: $T_{\text{spin}} > T_{\text{CMB}}$ (Reionization)



Measuring the Cosmic Dawn Global 21 cm Signal

Measuring the Cosmic Dawn Global 21 cm Signal

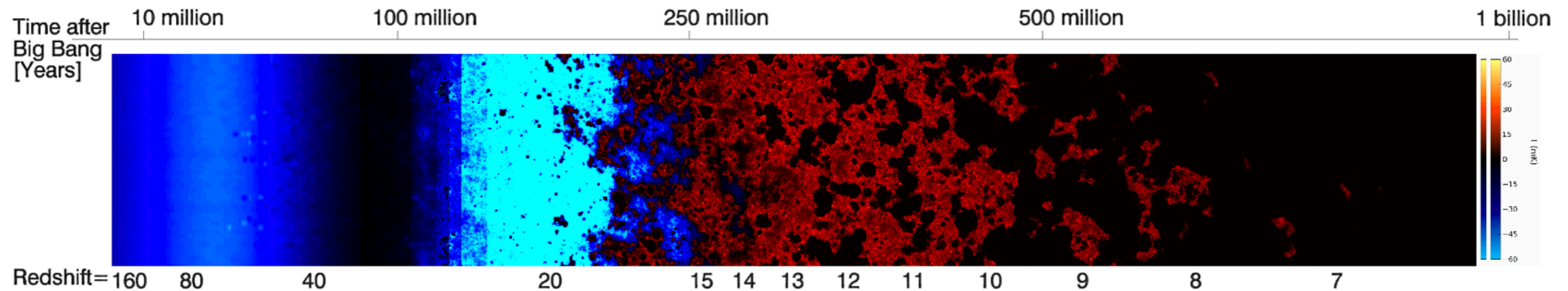
The observable:

$$T_{21}(z) \approx \frac{T_{\text{Spin}} - T_{\text{CMB}}}{1+z} \tau \sim 23 \text{ mK} \times x_{\text{HI}}(z) \left[\left(\frac{0.15}{\Omega_m} \right) \left(\frac{1+z}{10} \right) \right]^{1/2} \left(\frac{\Omega_b h}{0.02} \right) \left(1 - \frac{T_{\text{CMB}}(z)}{T_{\text{Spin}}(z)} \right)$$

Measuring the Cosmic Dawn Global 21 cm Signal

The observable:

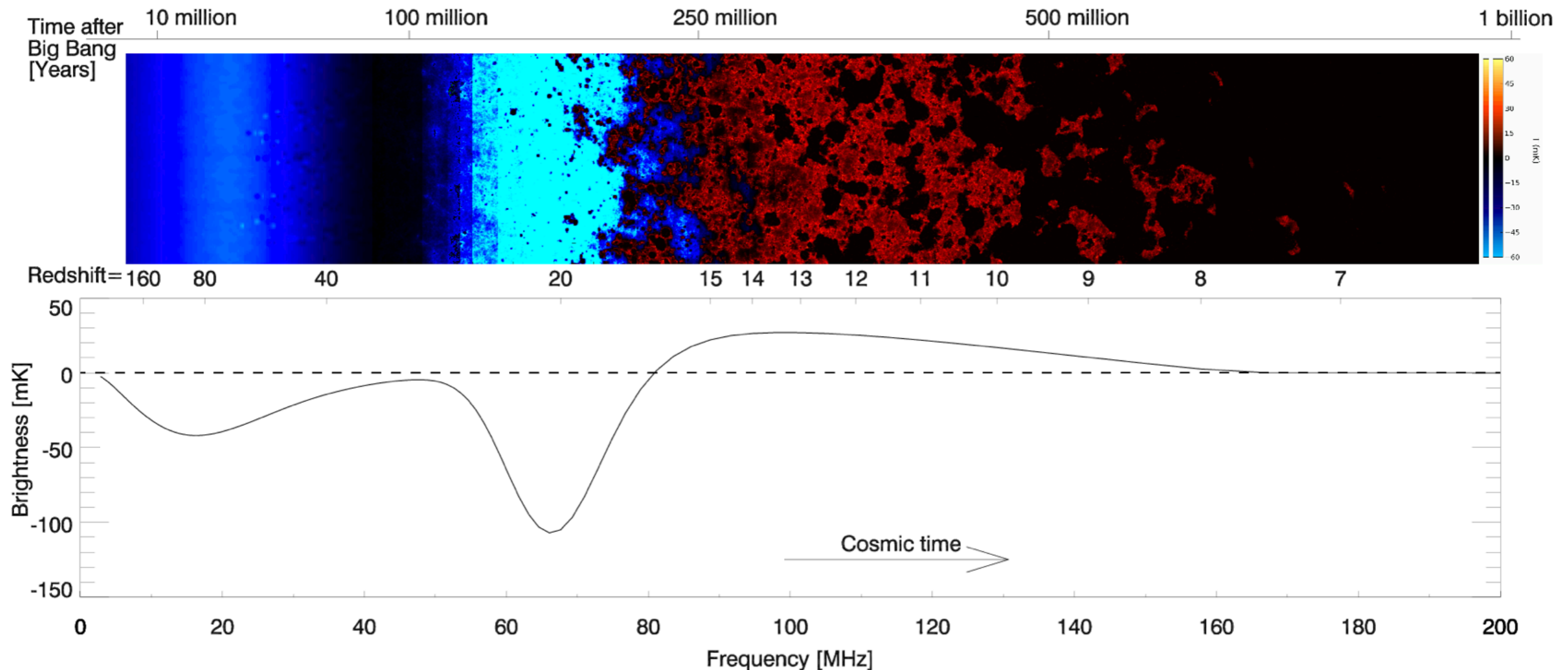
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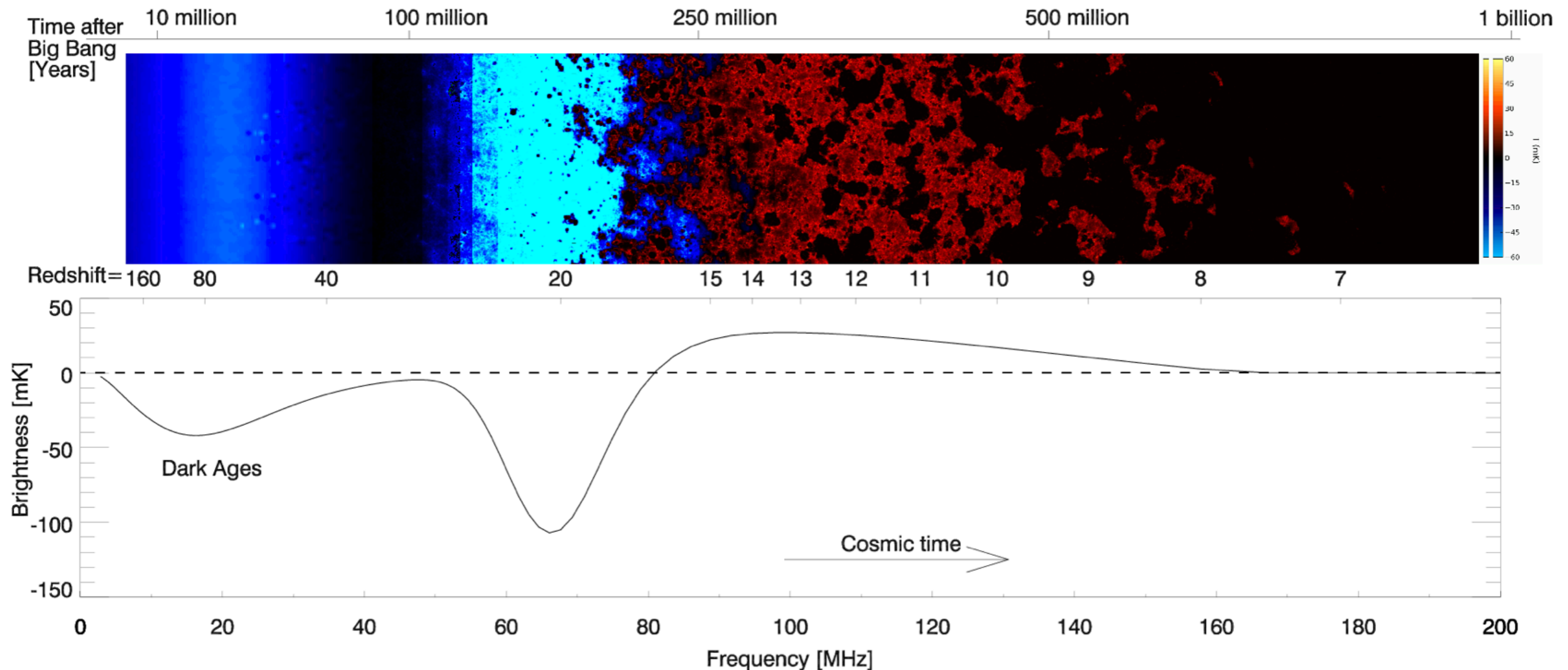


Credit: J. Pritchard

Measuring the Cosmic Dawn Global 21 cm Signal

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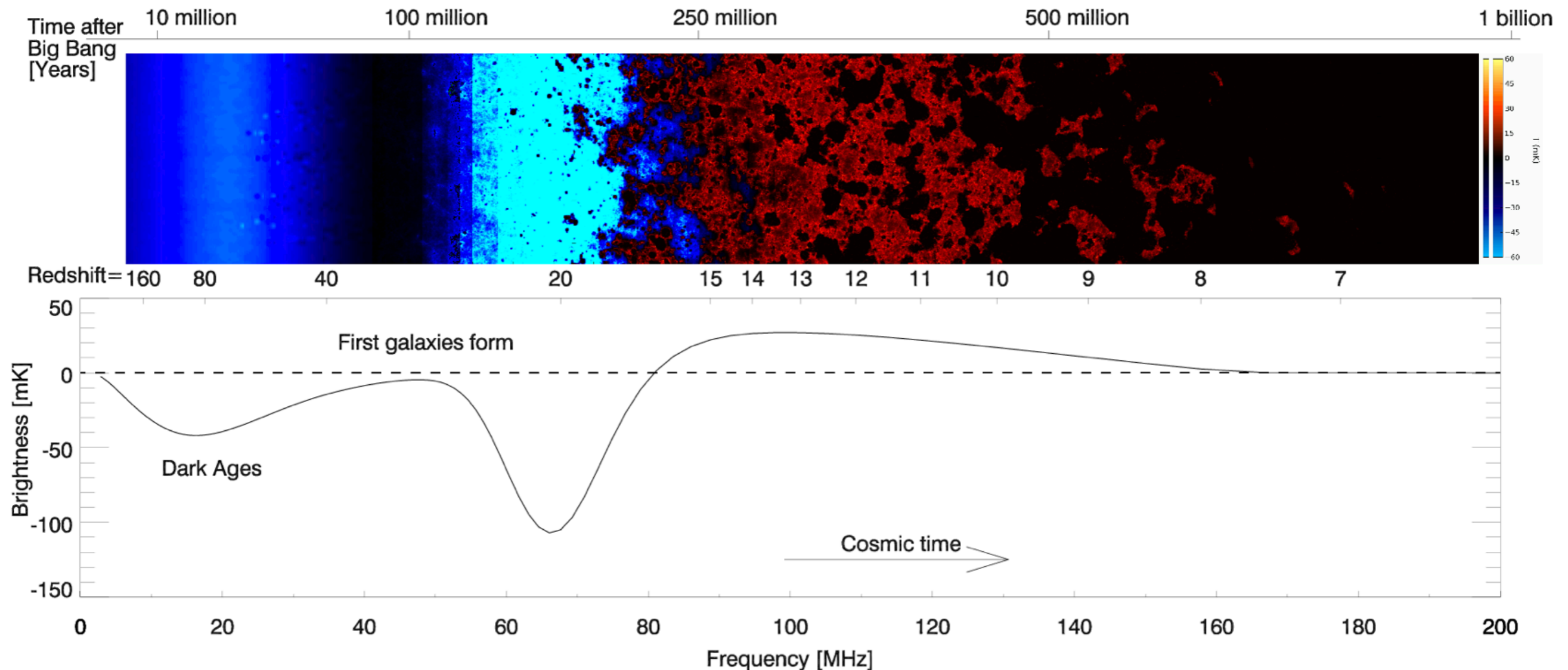


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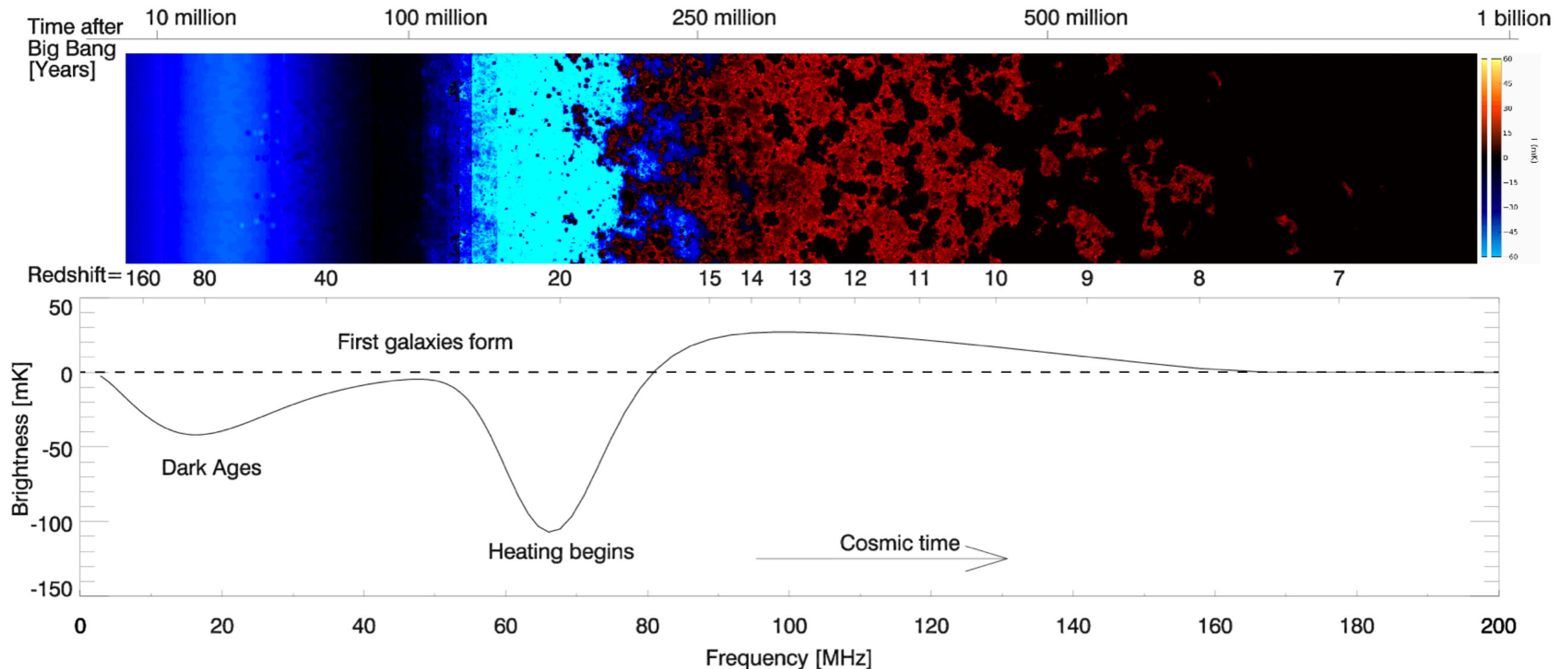


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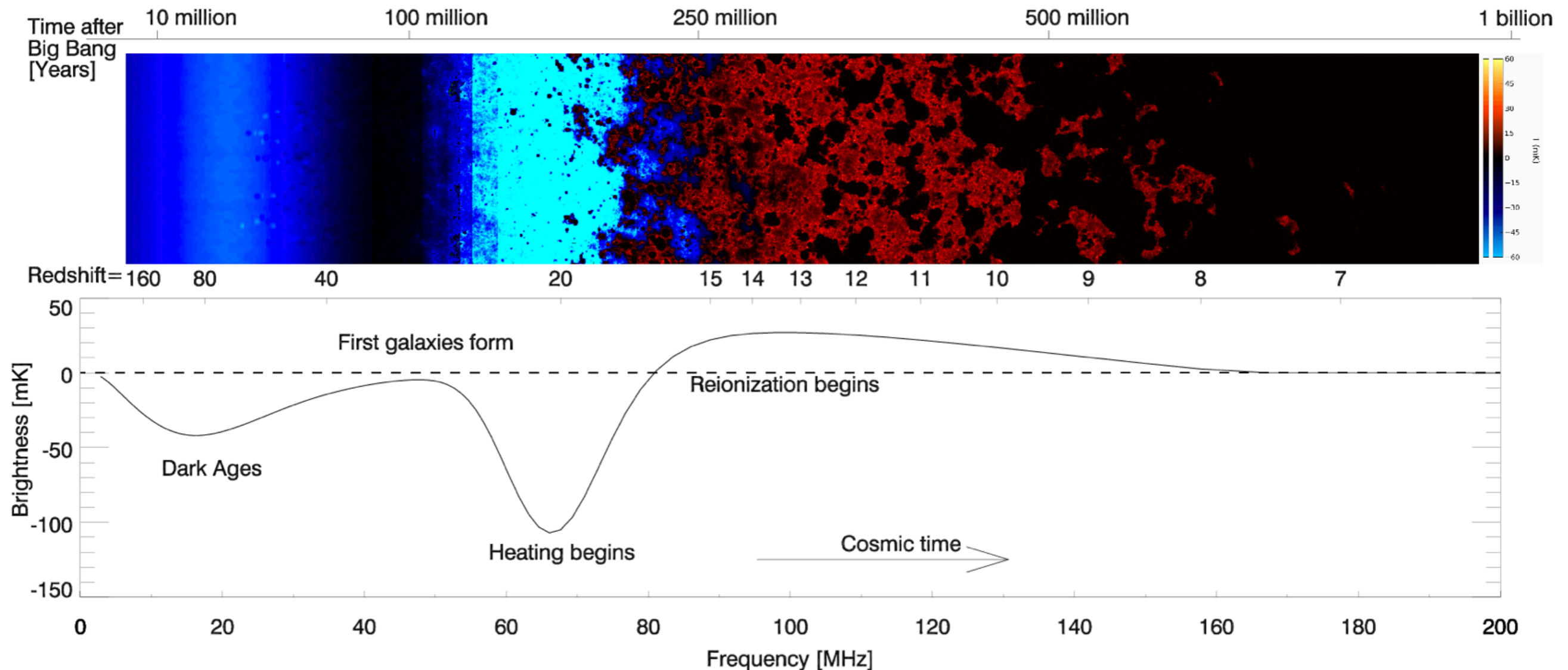


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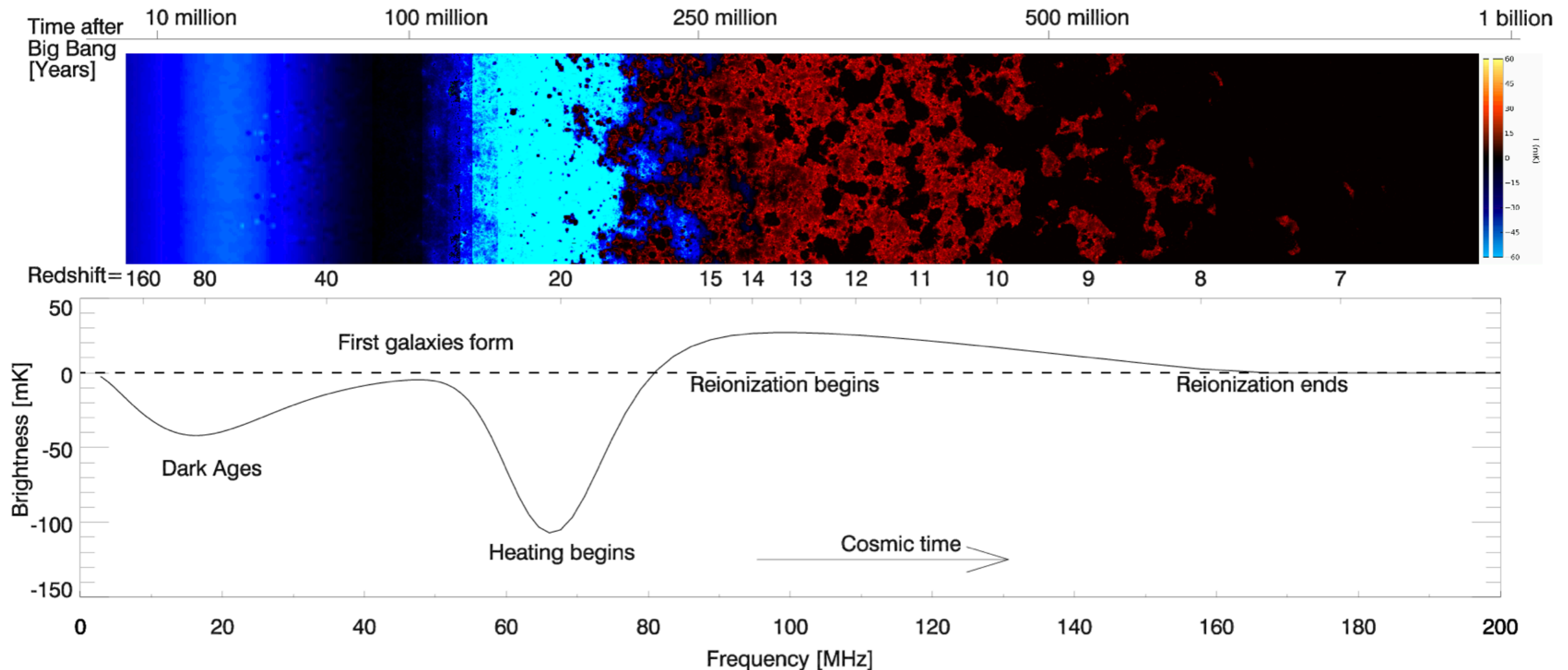


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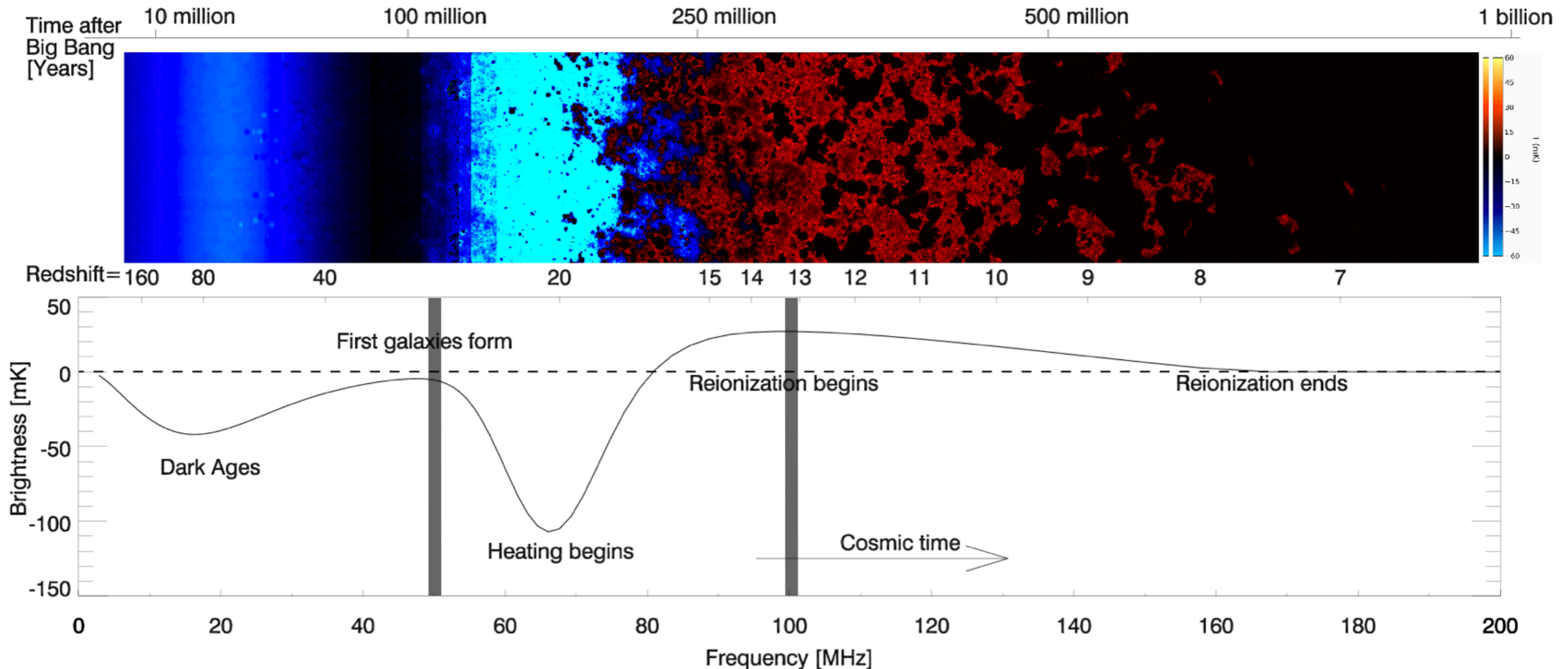


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EDGES Low-Band

Credit: J. Pritchard

Experiment to Detect the Global Epoch of Reionization Signature



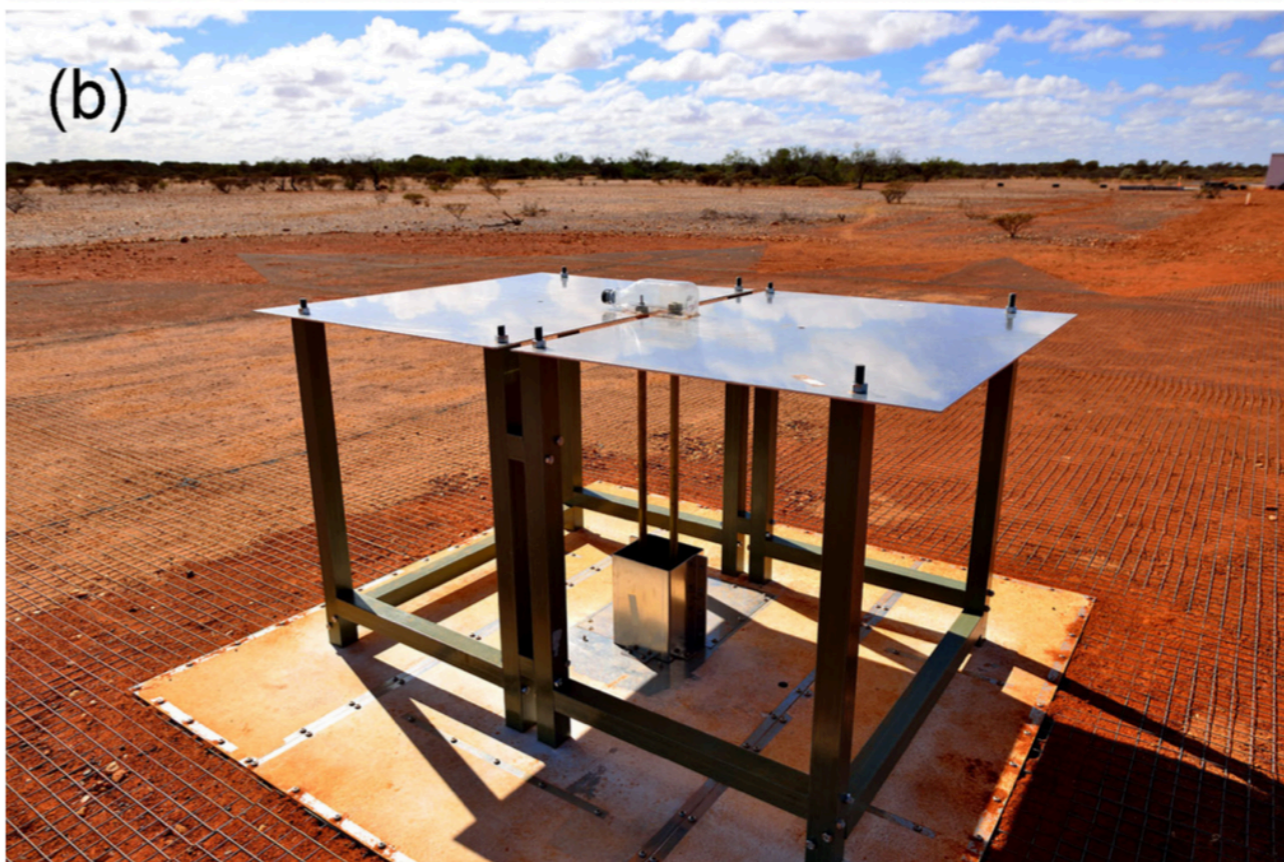
Experiment to Detect the Global Epoch of Reionization Signature



Credit: Bowman et al. 2018

Experiment to Detect the Global Epoch of Reionization Signature

Led by Bowman (ASU), Rogers (MIT):



Credit: Bowman et al. 2018

Experiment to Detect the Global Epoch of Reionization Signature

Led by Bowman (ASU), Rogers (MIT):

- Located in western Australia (low RFI)



Credit: Bowman et al. 2018

Experiment to Detect the Global Epoch of Reionization Signature

Led by Bowman (ASU), Rogers (MIT):

- Located in western Australia (low RFI)
- Cheap instrument (roughly \$2M price tag)



Credit: Bowman et al. 2018

Experiment to Detect the Global Epoch of Reionization Signature

Led by Bowman (ASU), Rogers (MIT):

- Located in western Australia (low RFI)
- Cheap instrument (roughly \$2M price tag)
- “High” and “Low” (50-100 MHz) bands

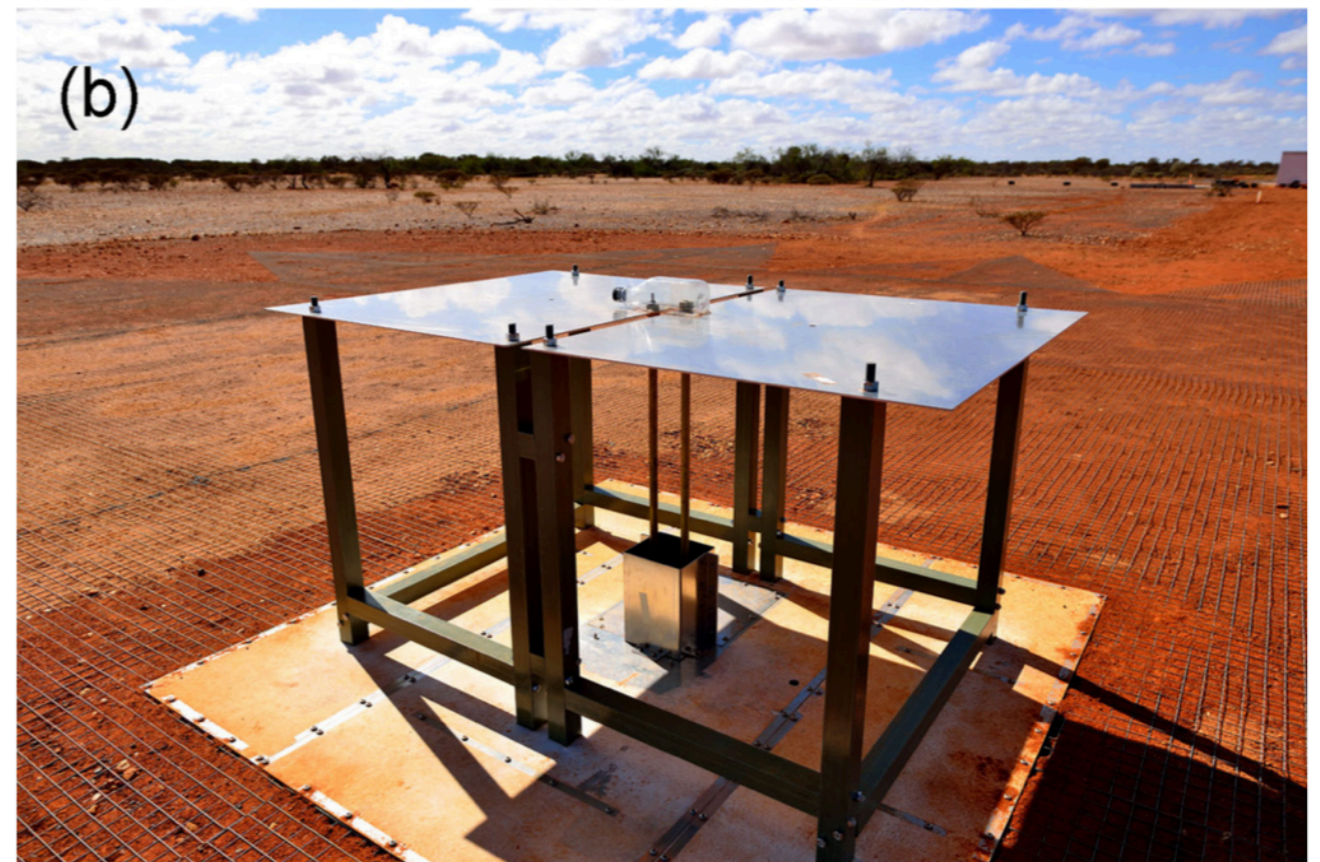


Credit: Bowman et al. 2018

Experiment to Detect the Global Epoch of Reionization Signature

Led by Bowman (ASU), Rogers (MIT):

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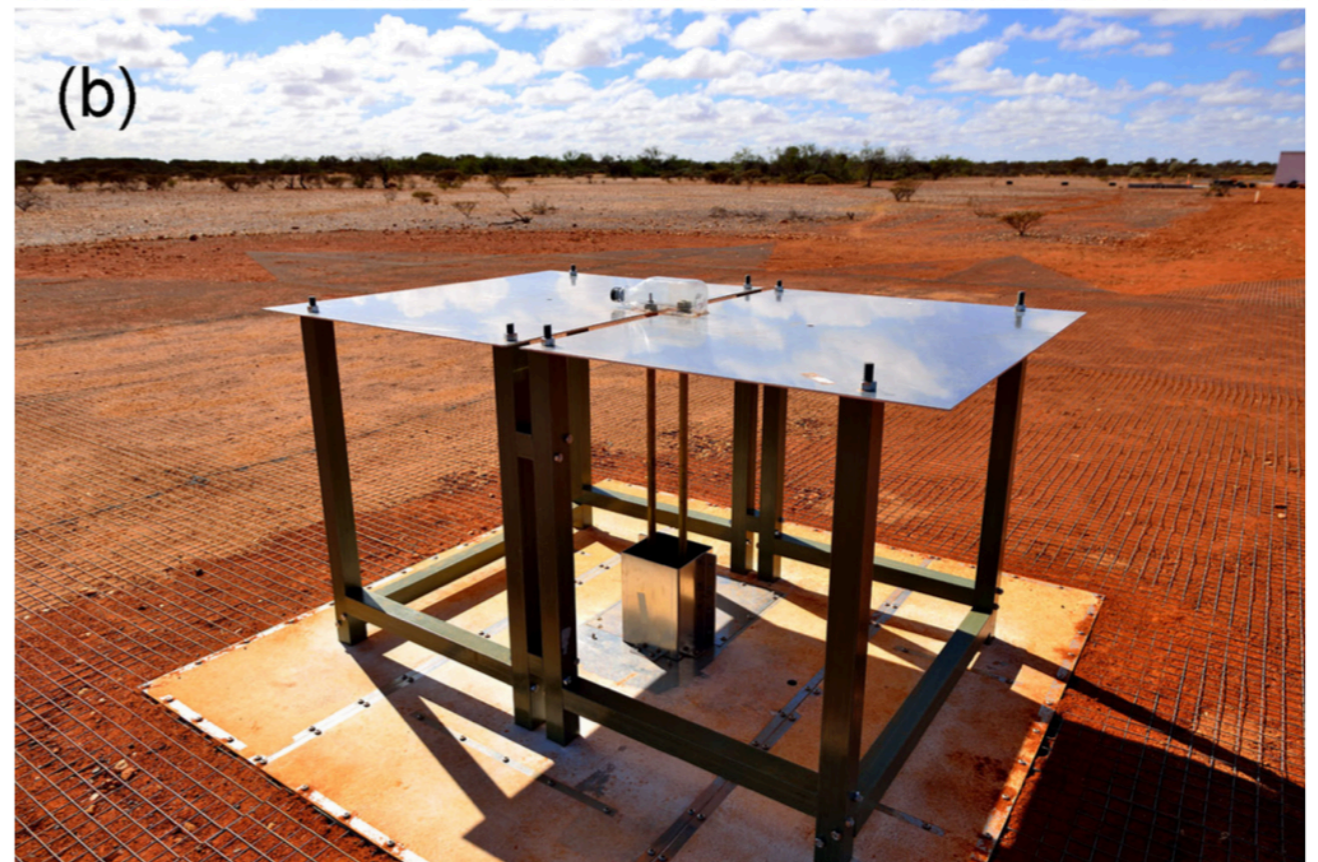


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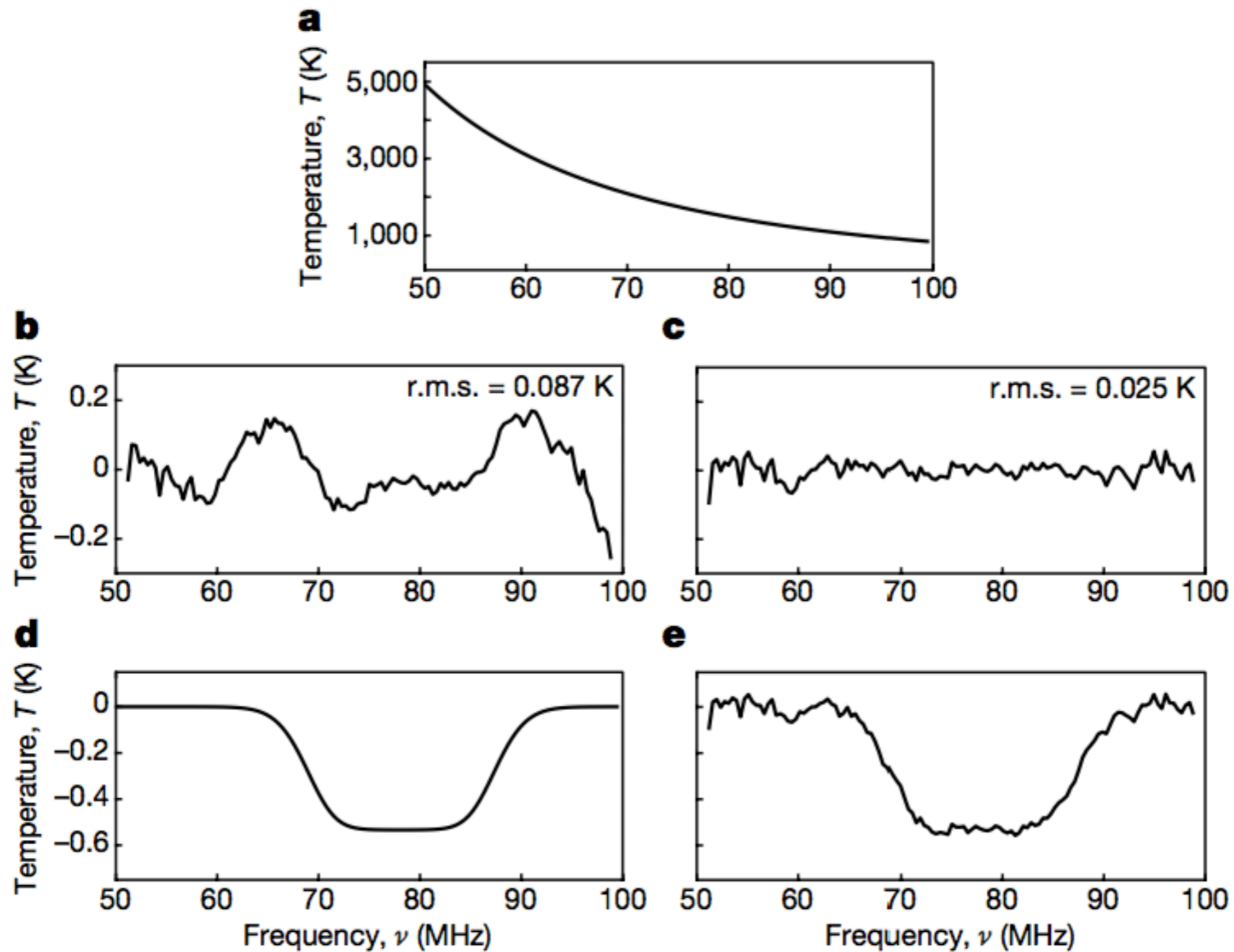
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EDGES: First Claimed Detection of Cosmic Dawn

And it measured this:

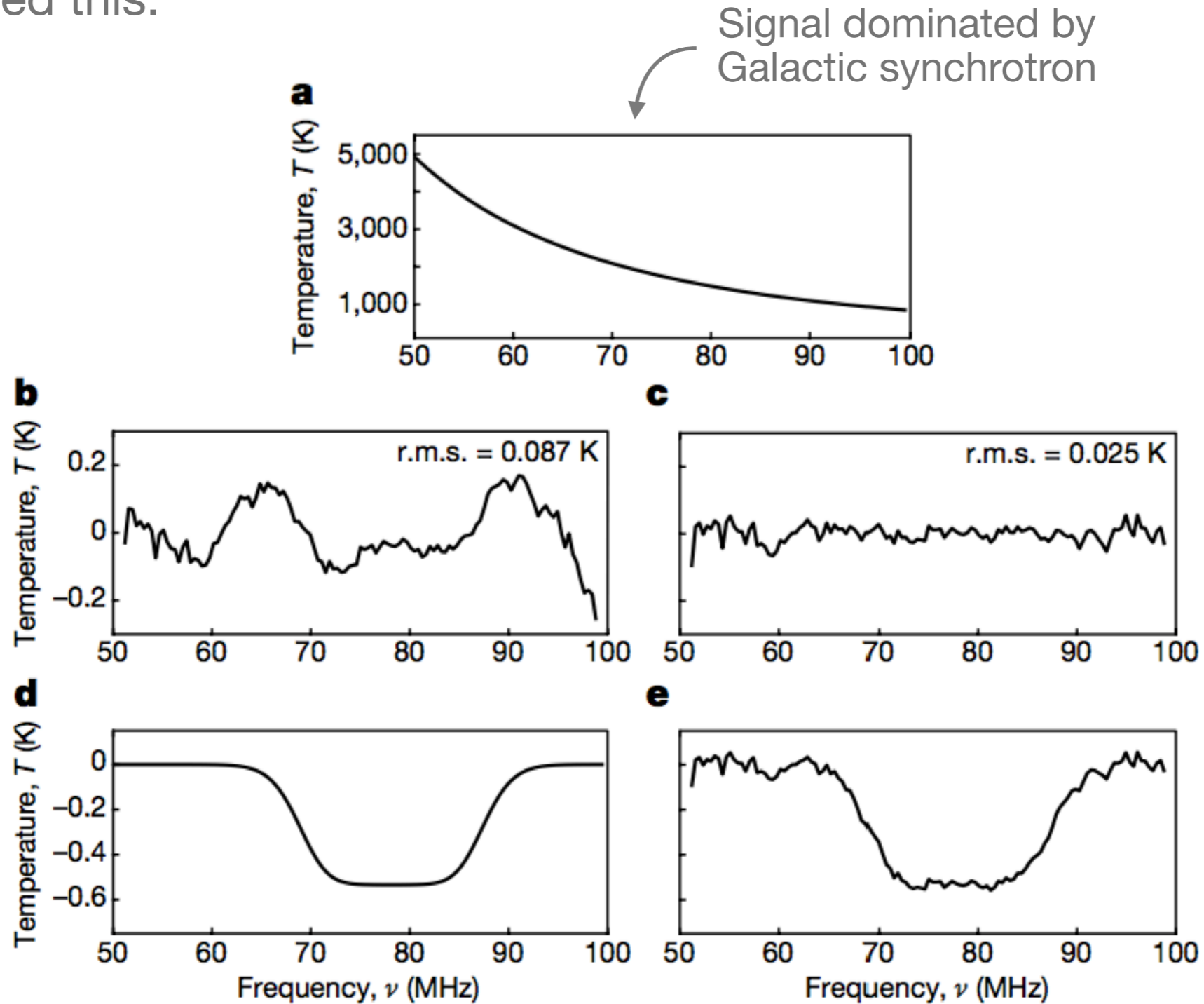
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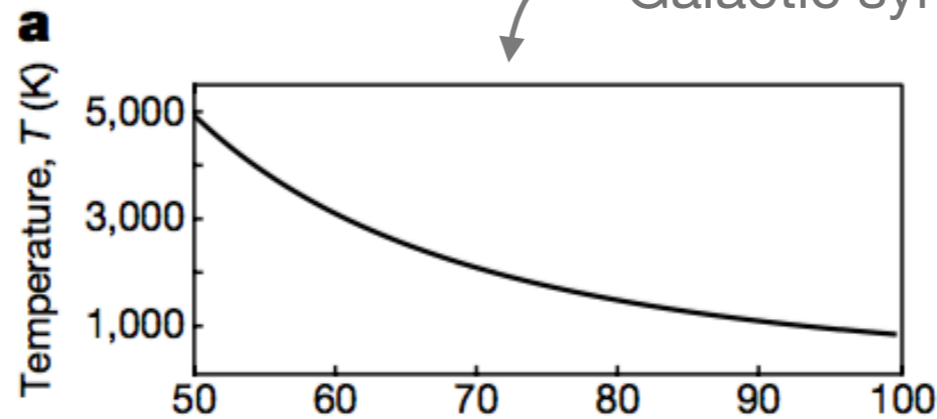
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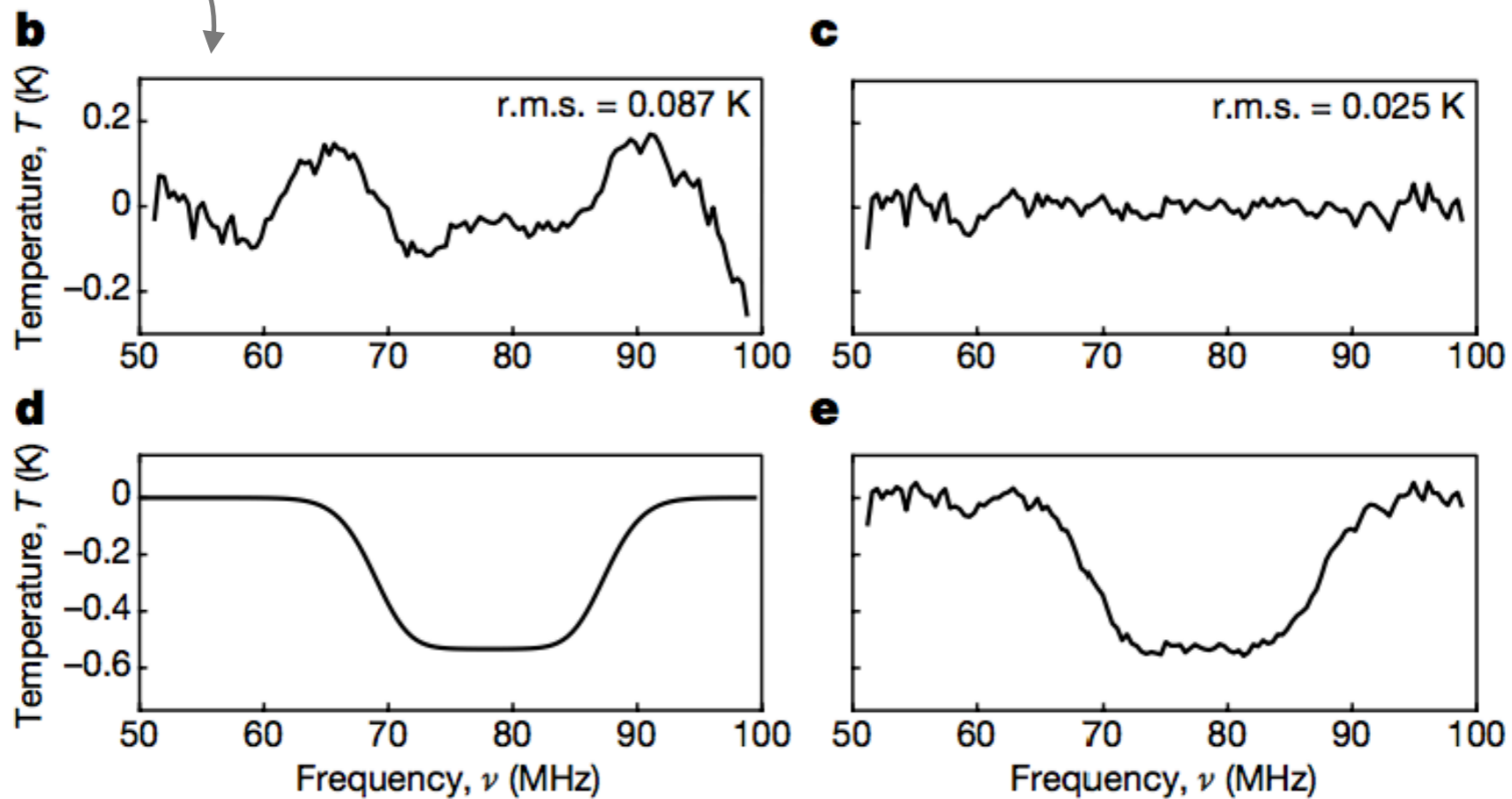
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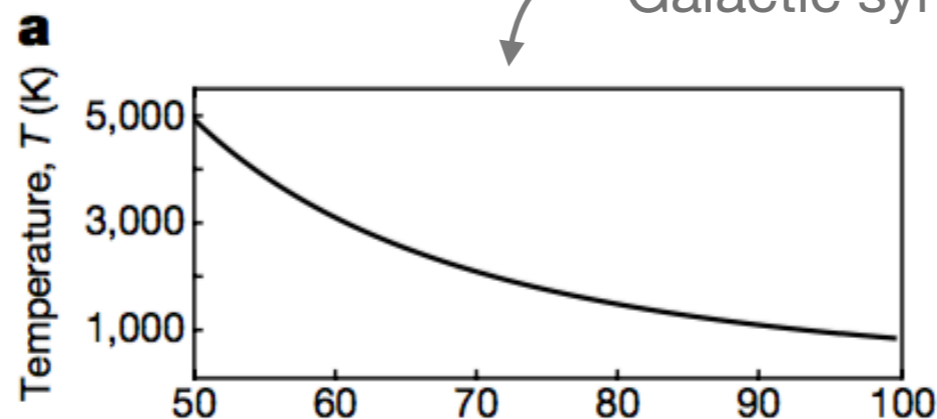
Residuals After Foreground Removal



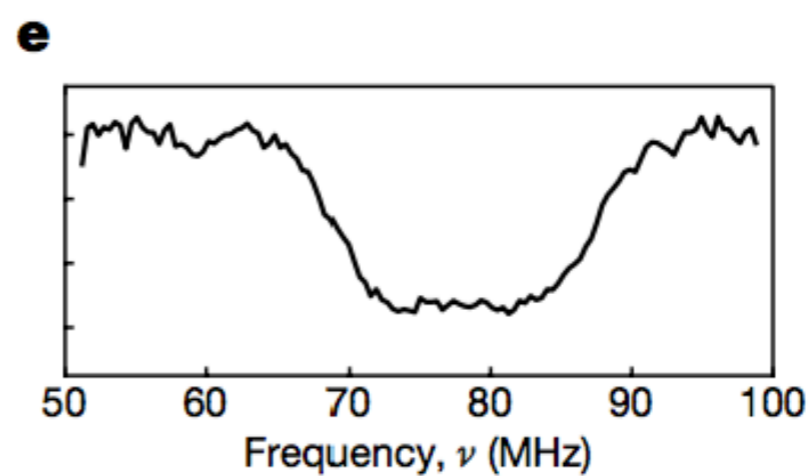
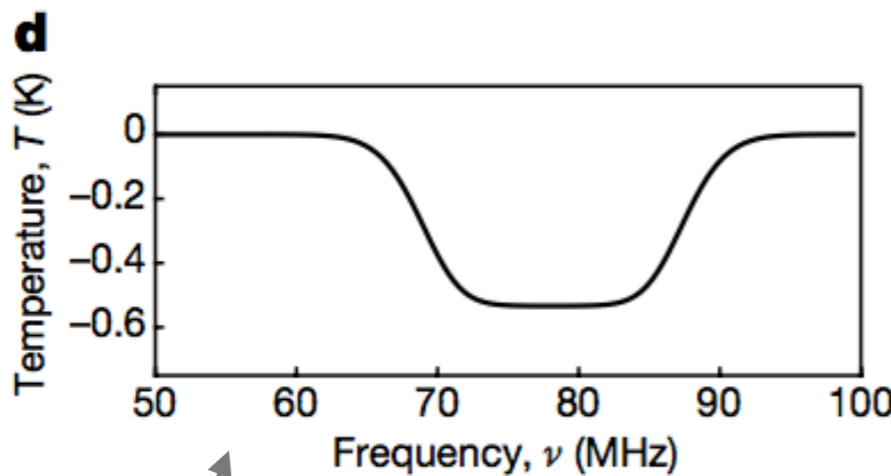
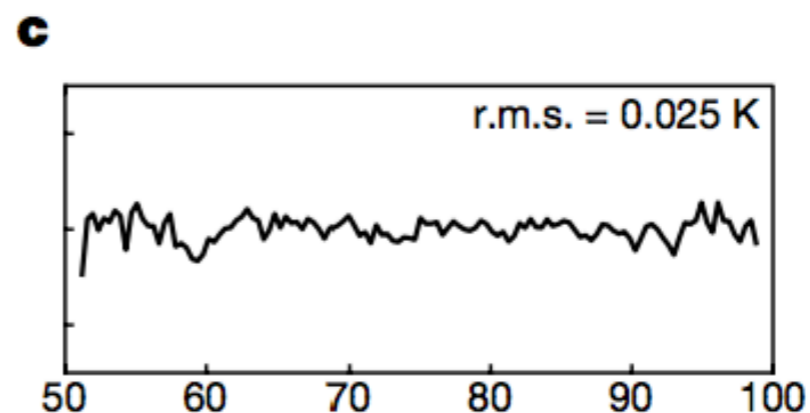
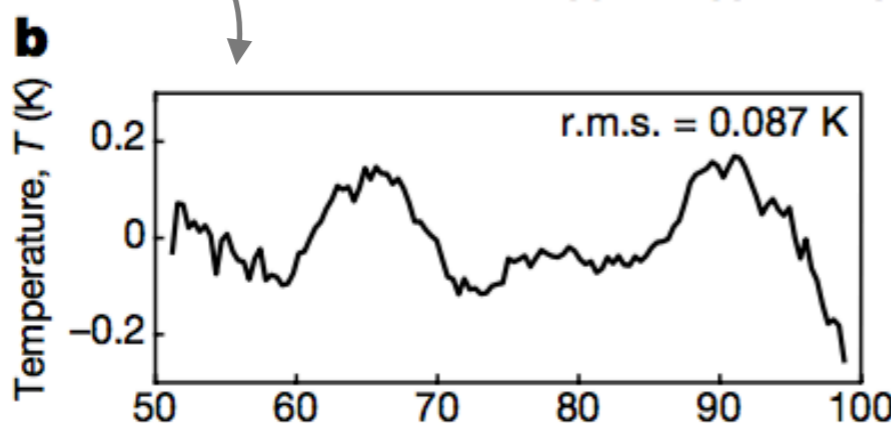
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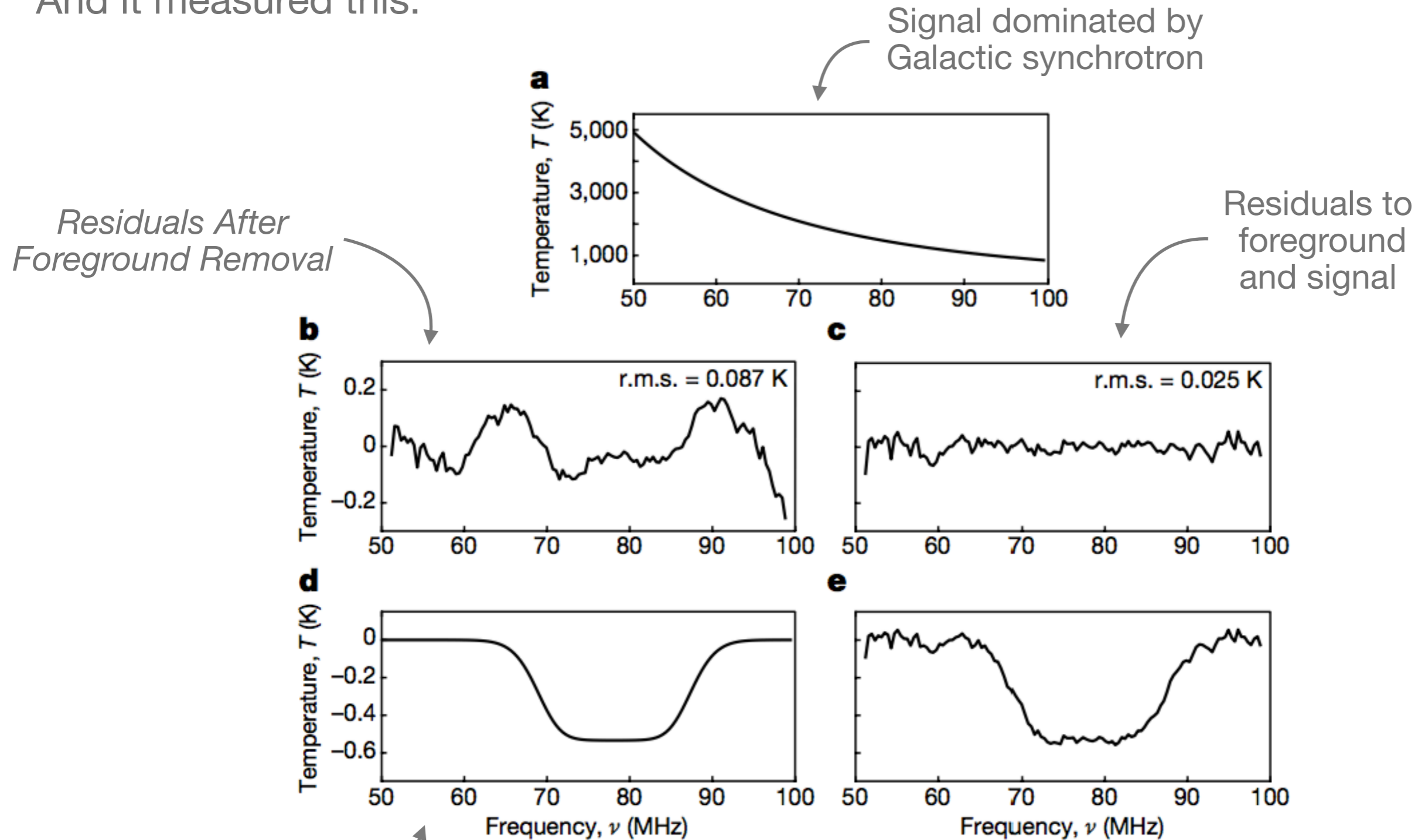


Best-fit 21cm model

Bowman et al., Nature (2018)

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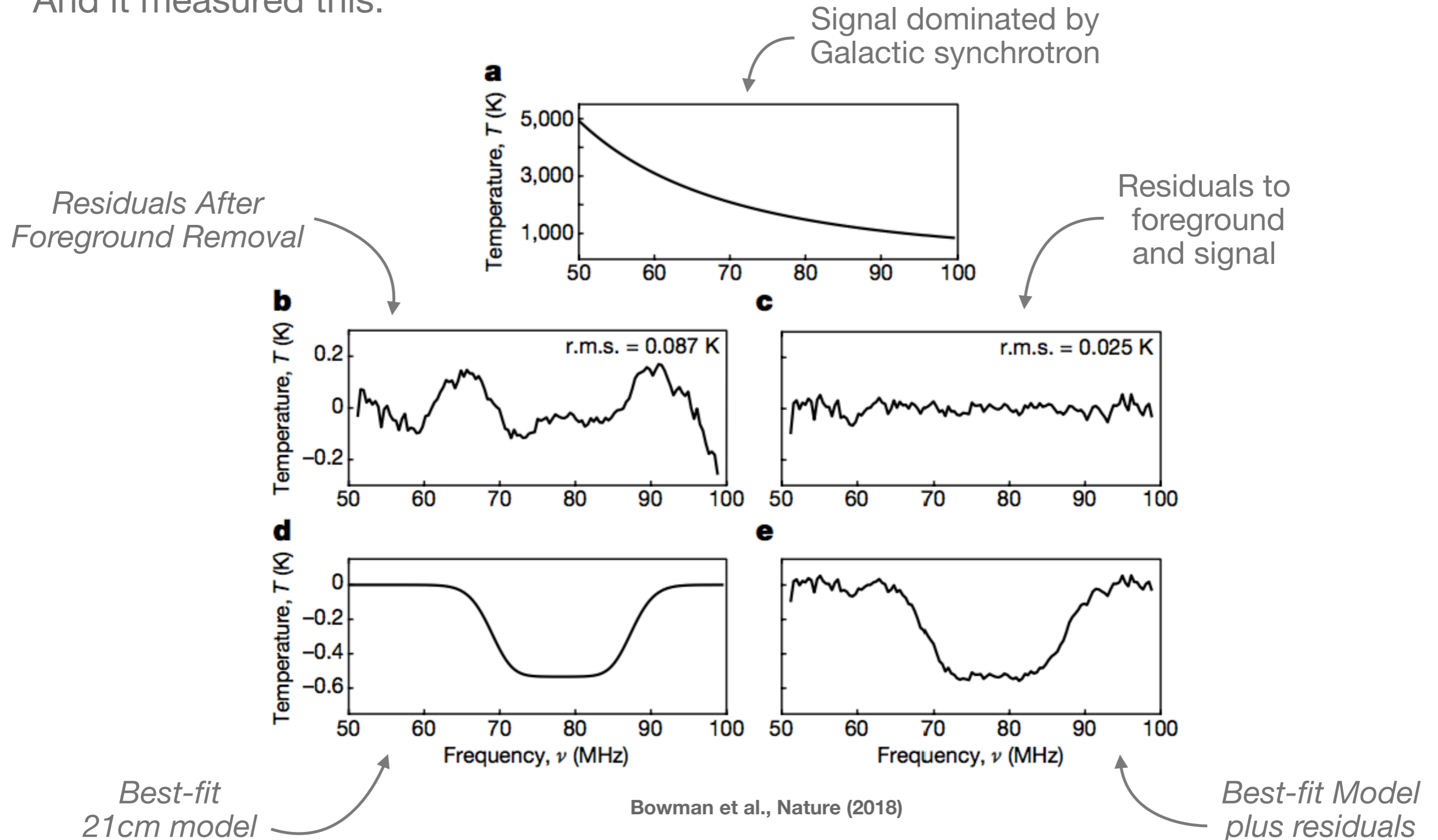
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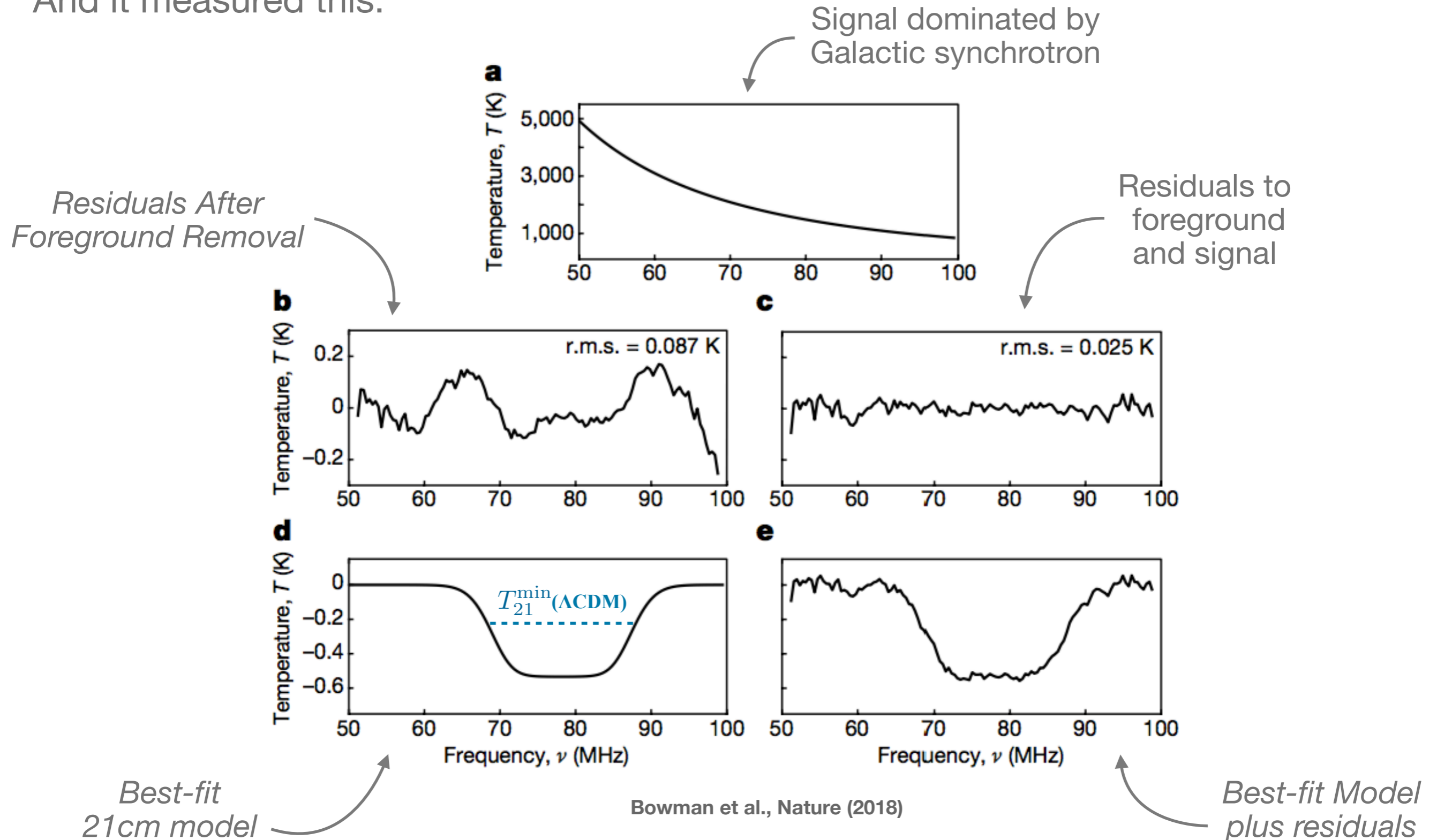
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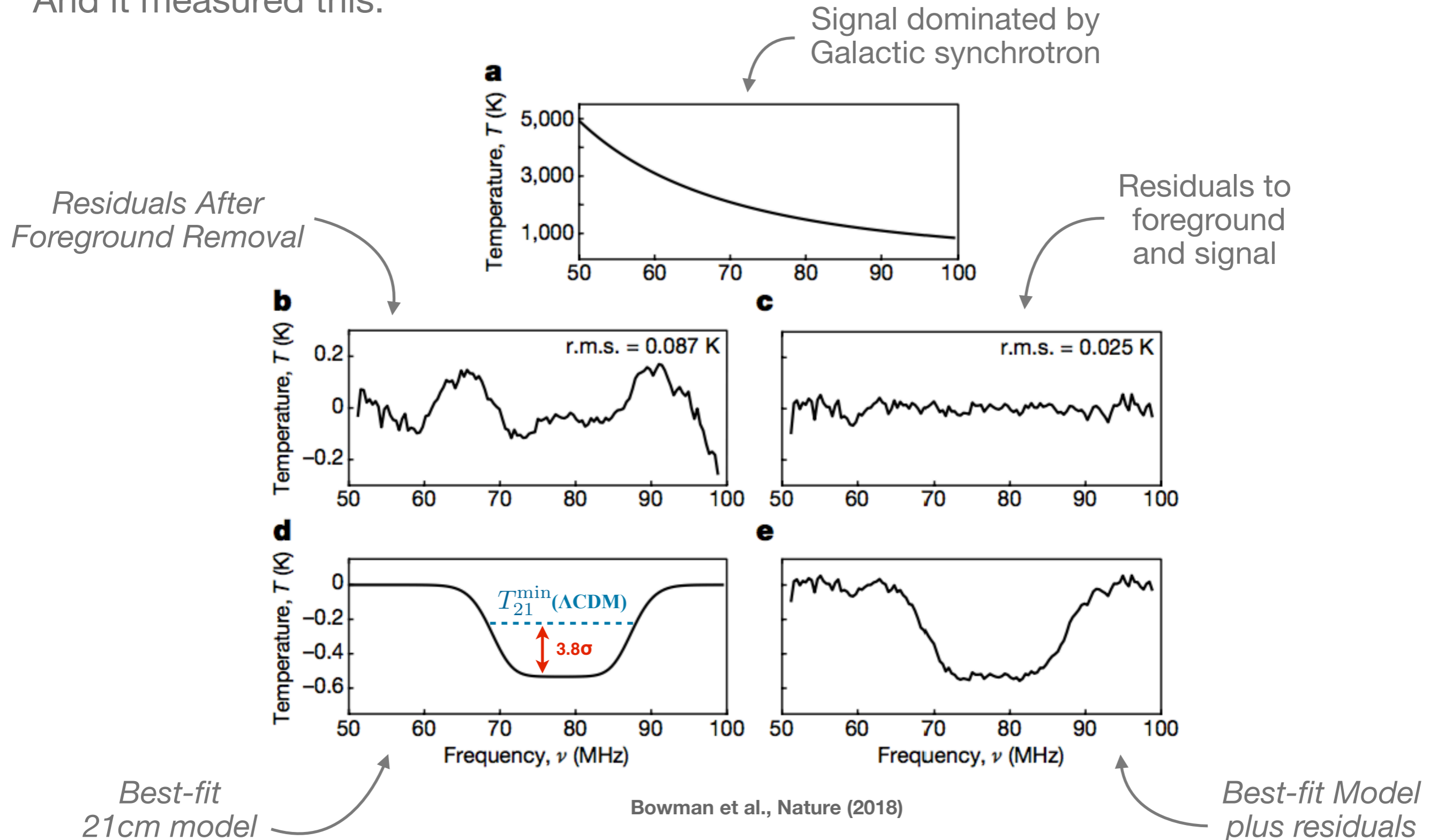
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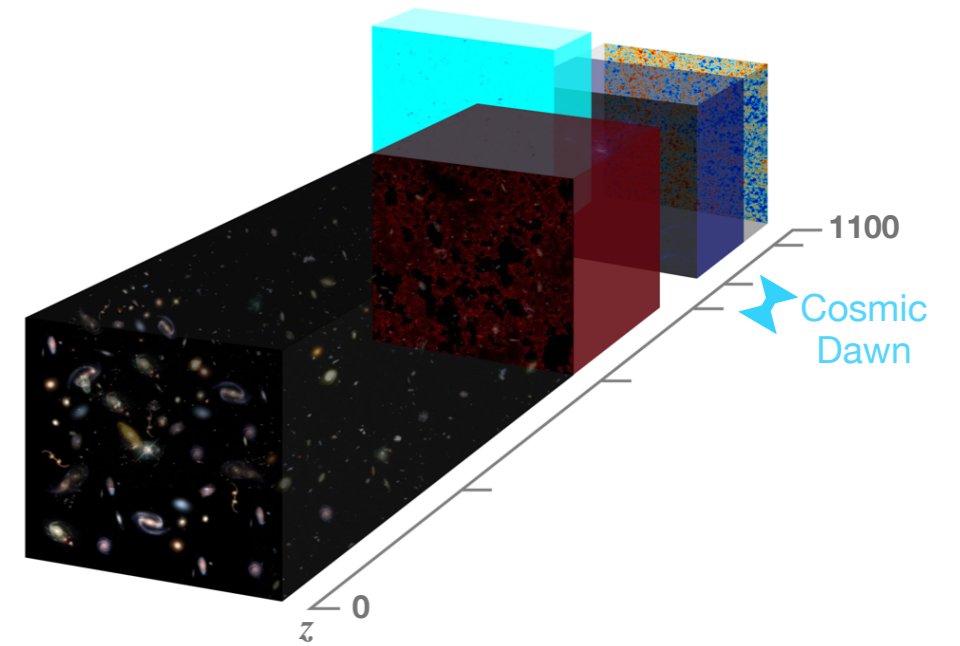
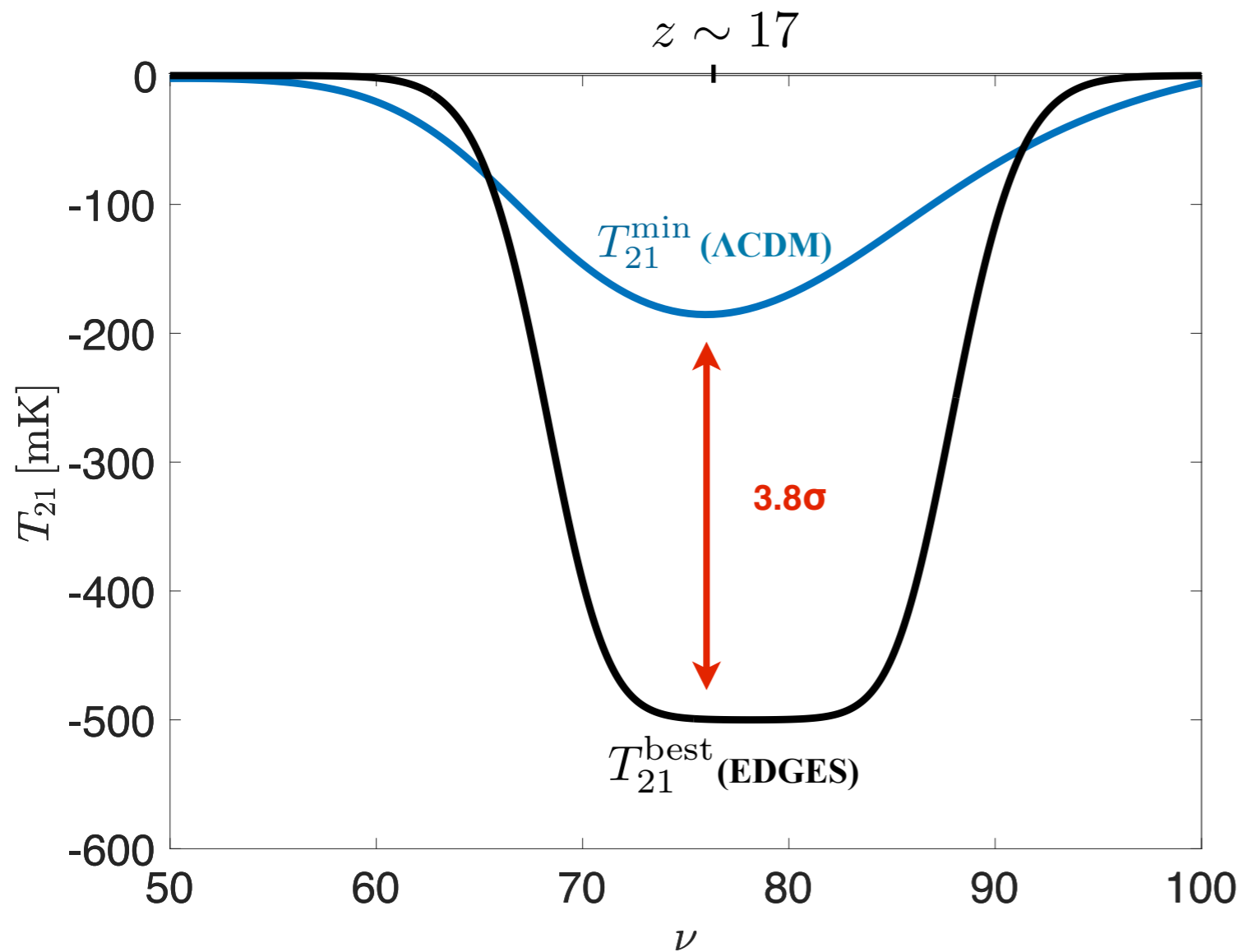


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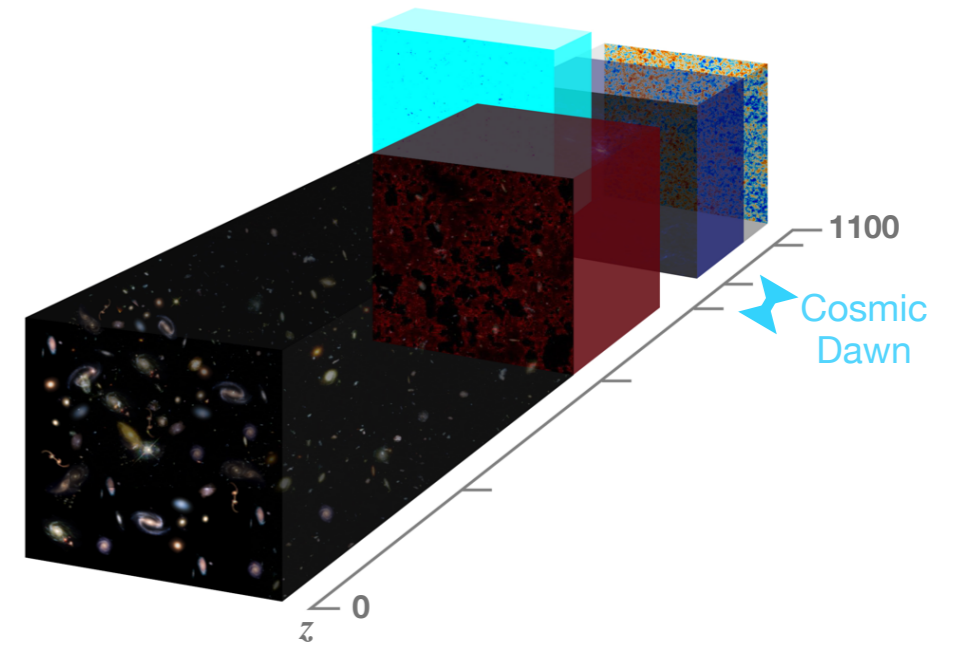
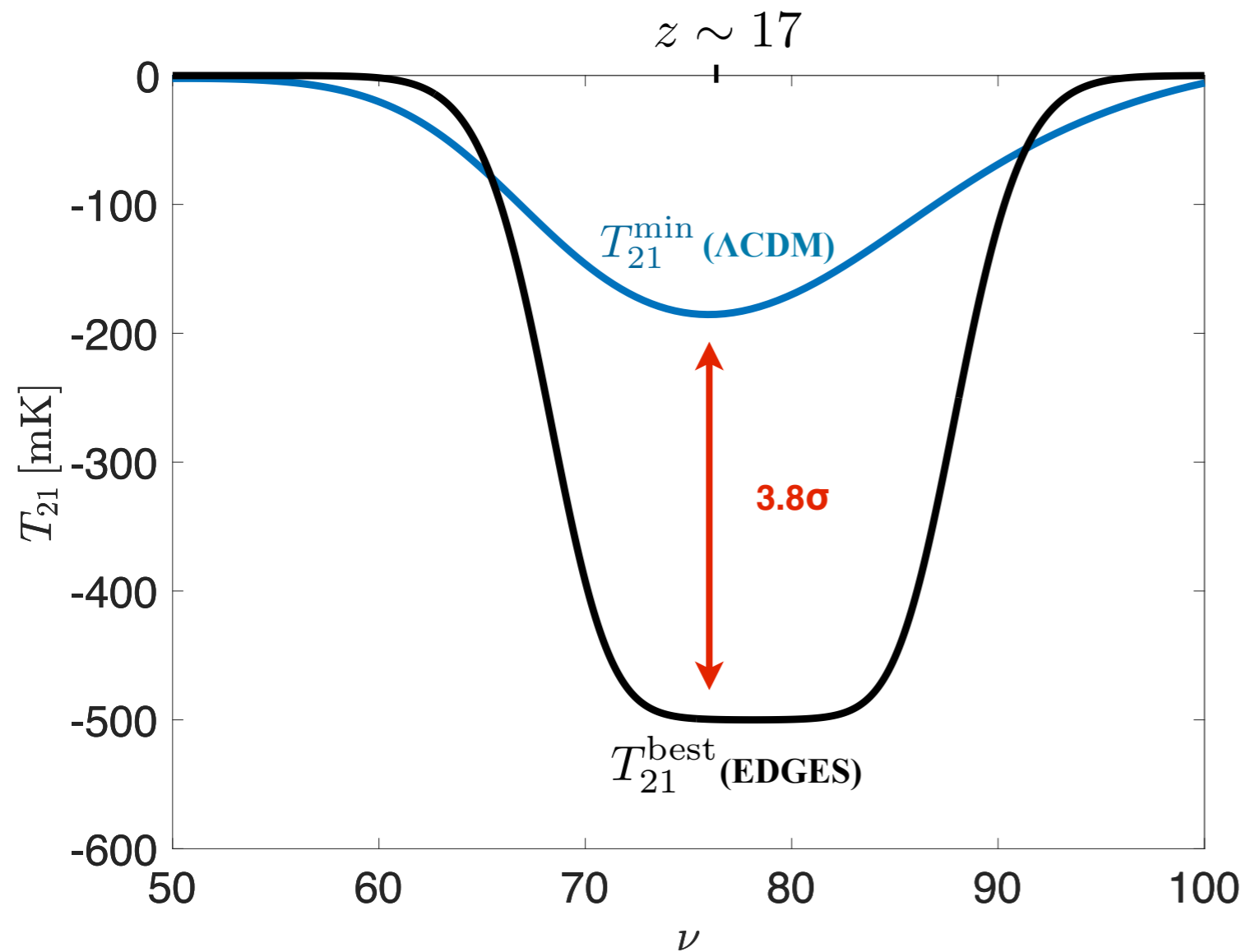
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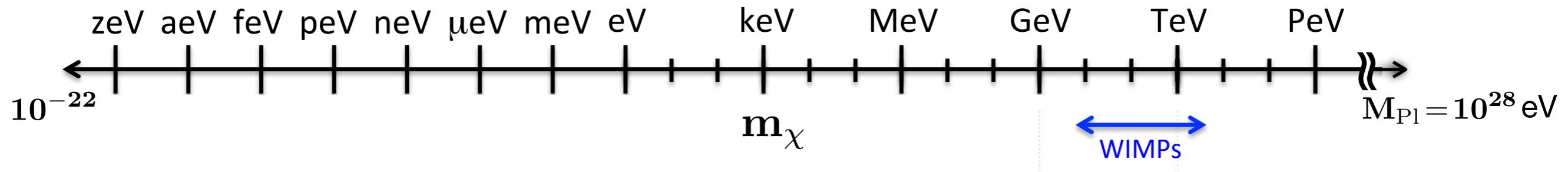
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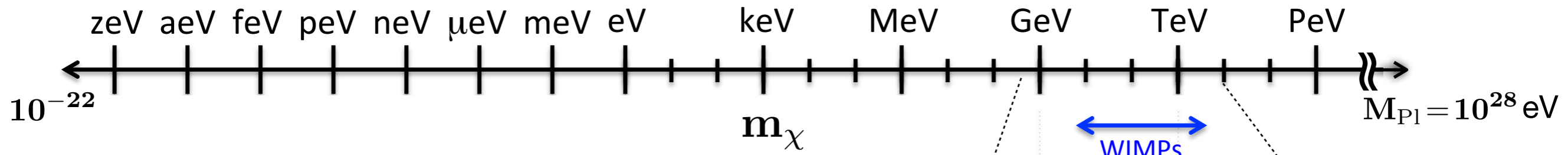
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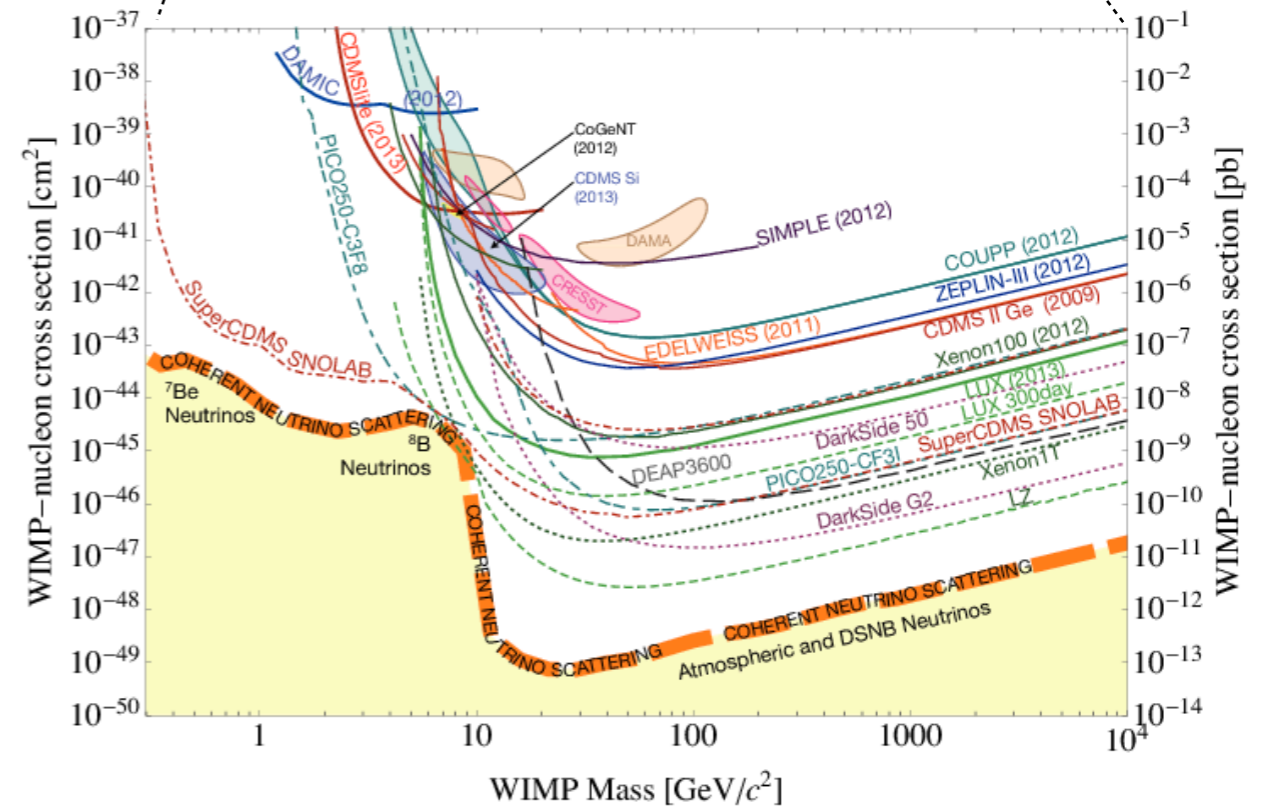
Signatures of Dark Matter-Baryon Scattering



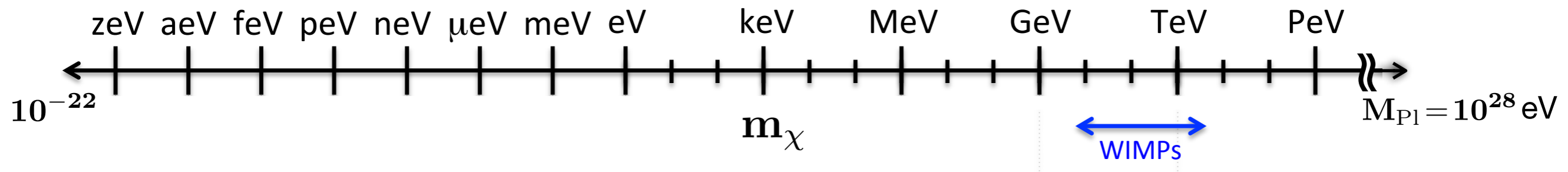
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Billard et al., arXiv:1307.5458

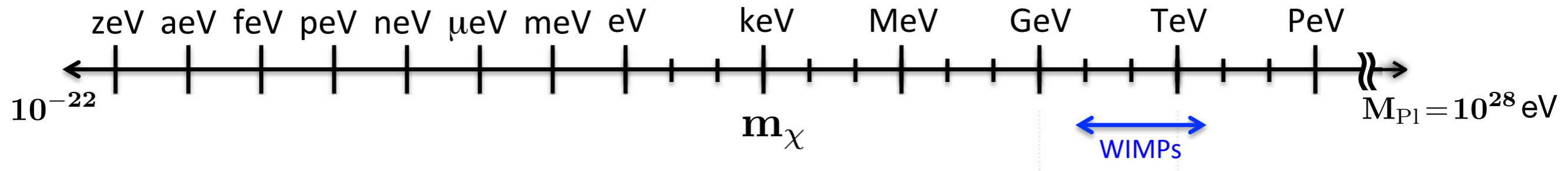


Signatures of Dark Matter-Baryon Scattering



Consider a cross-section: $\sigma = \sigma_0 v^n$

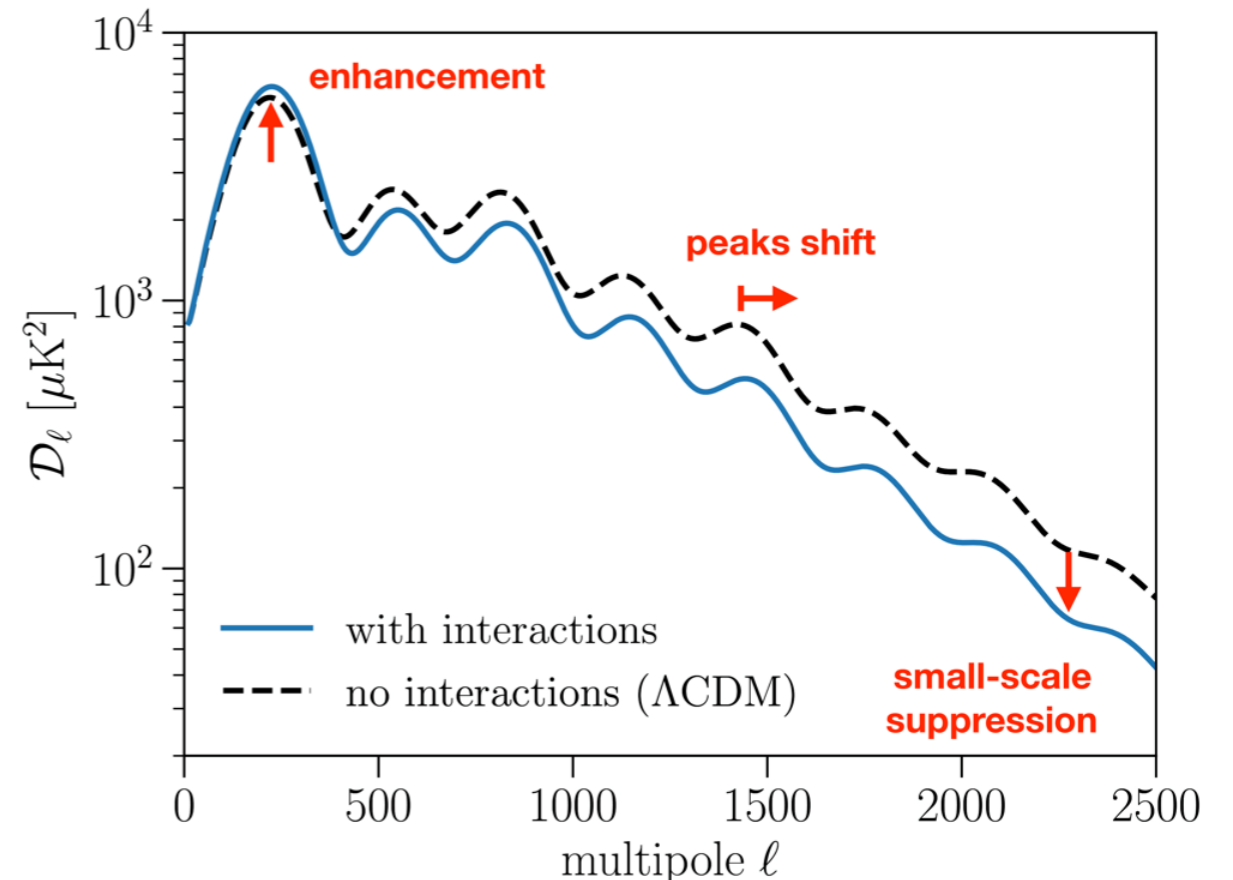
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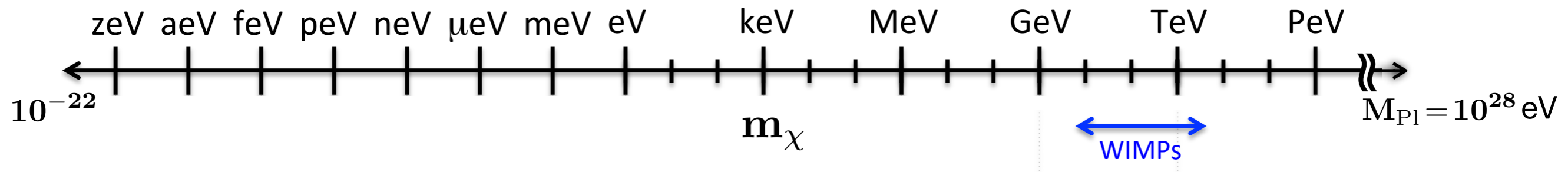
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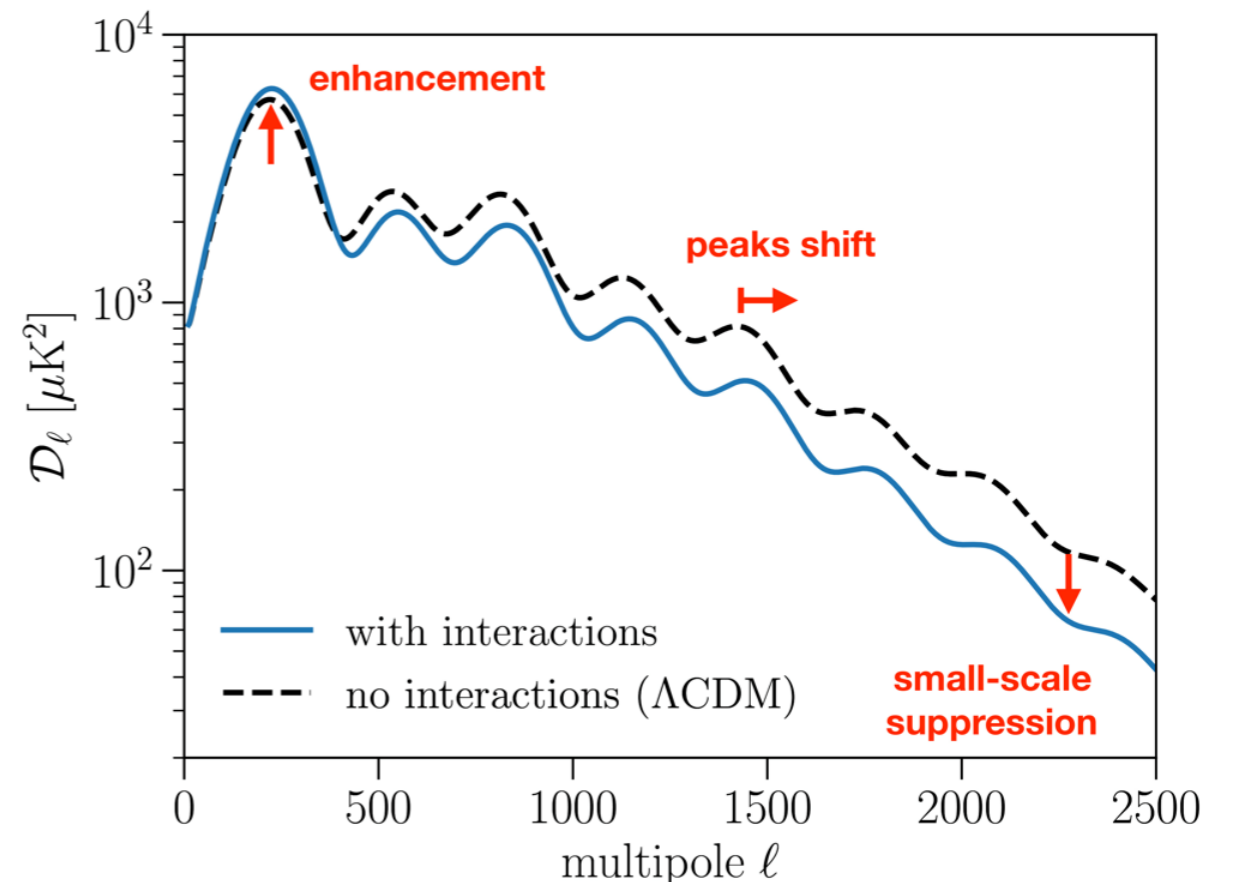


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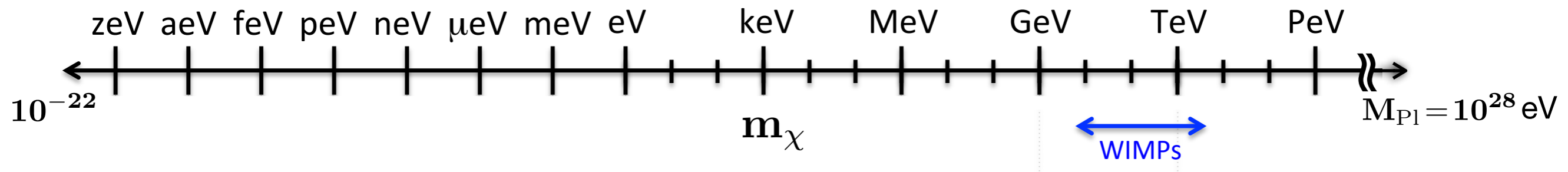
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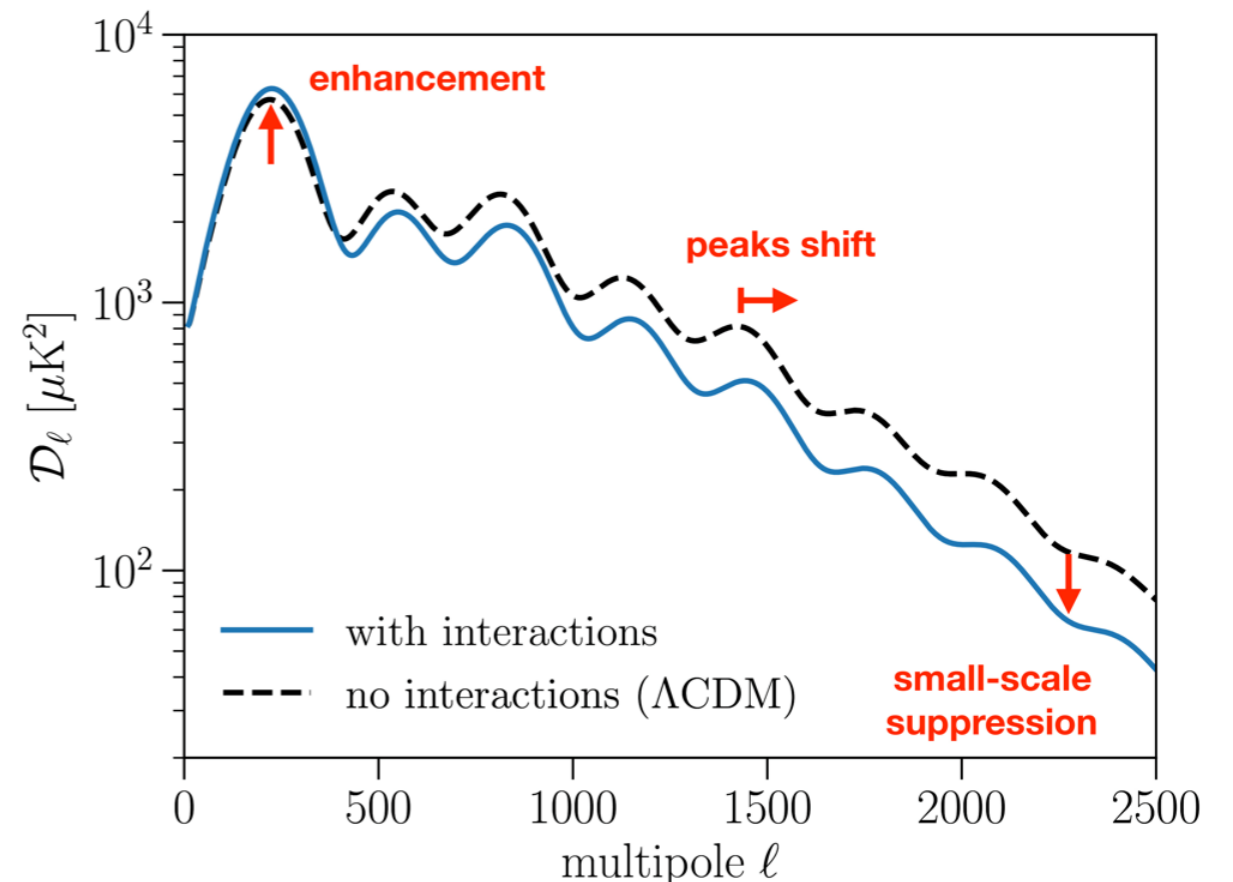
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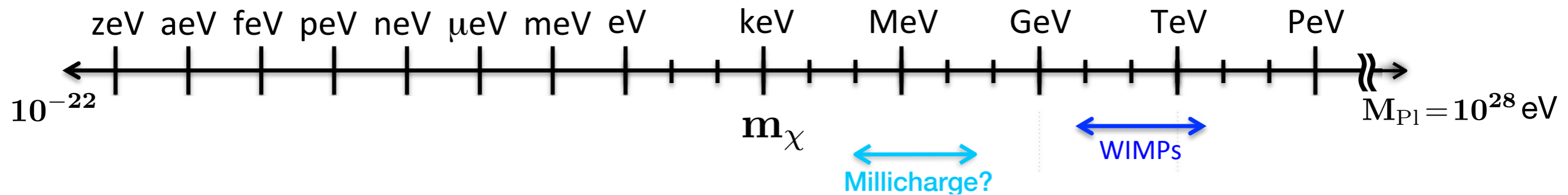
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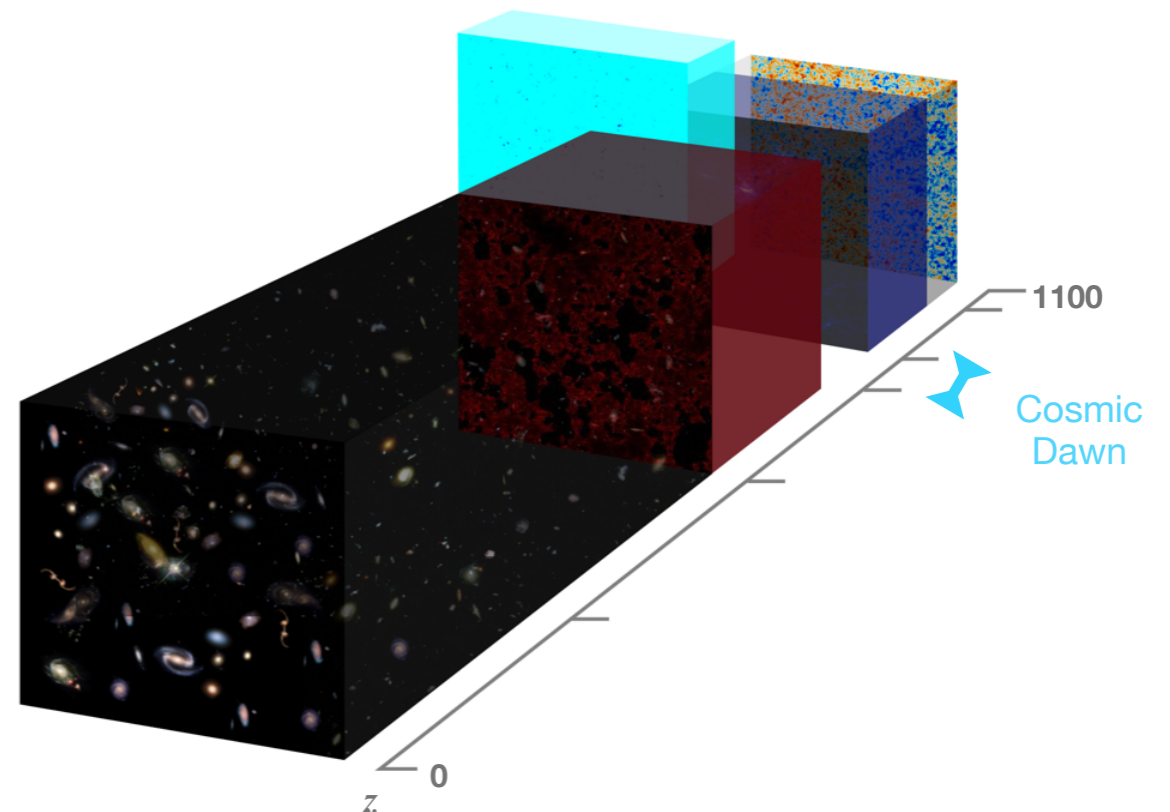


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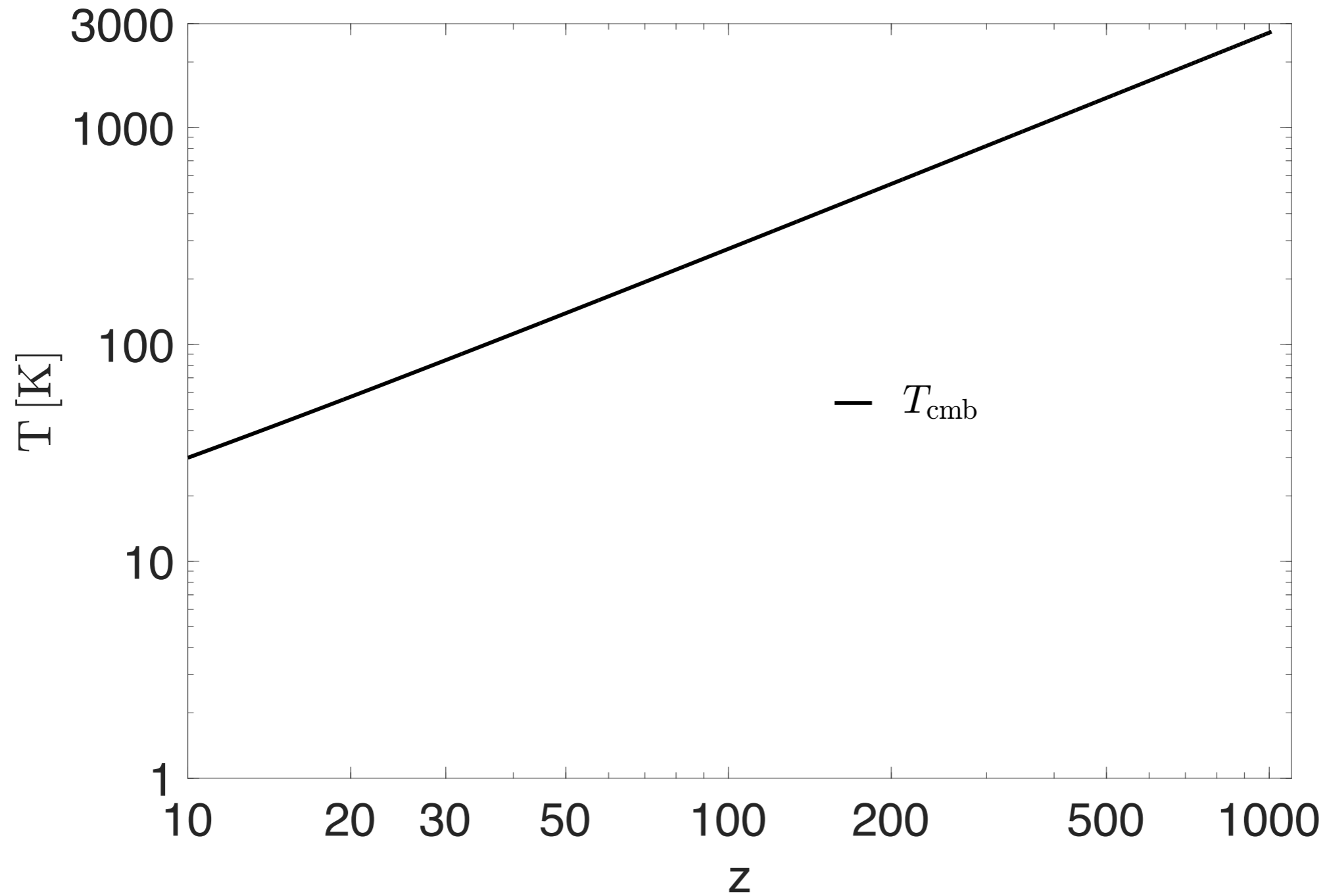
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DM-Baryon $\propto v^{-4}$ Scattering: (Late-Time) Cooling!

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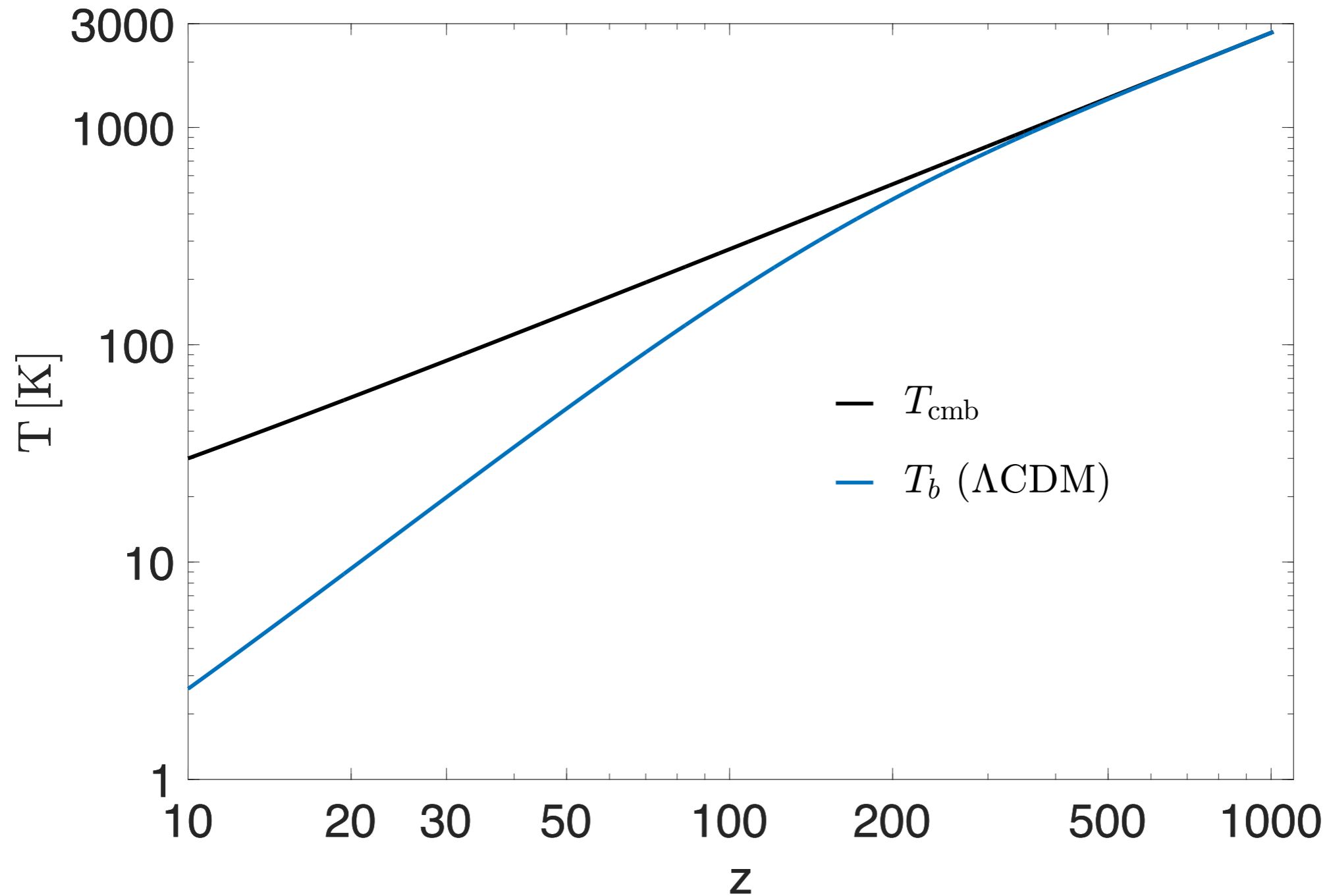
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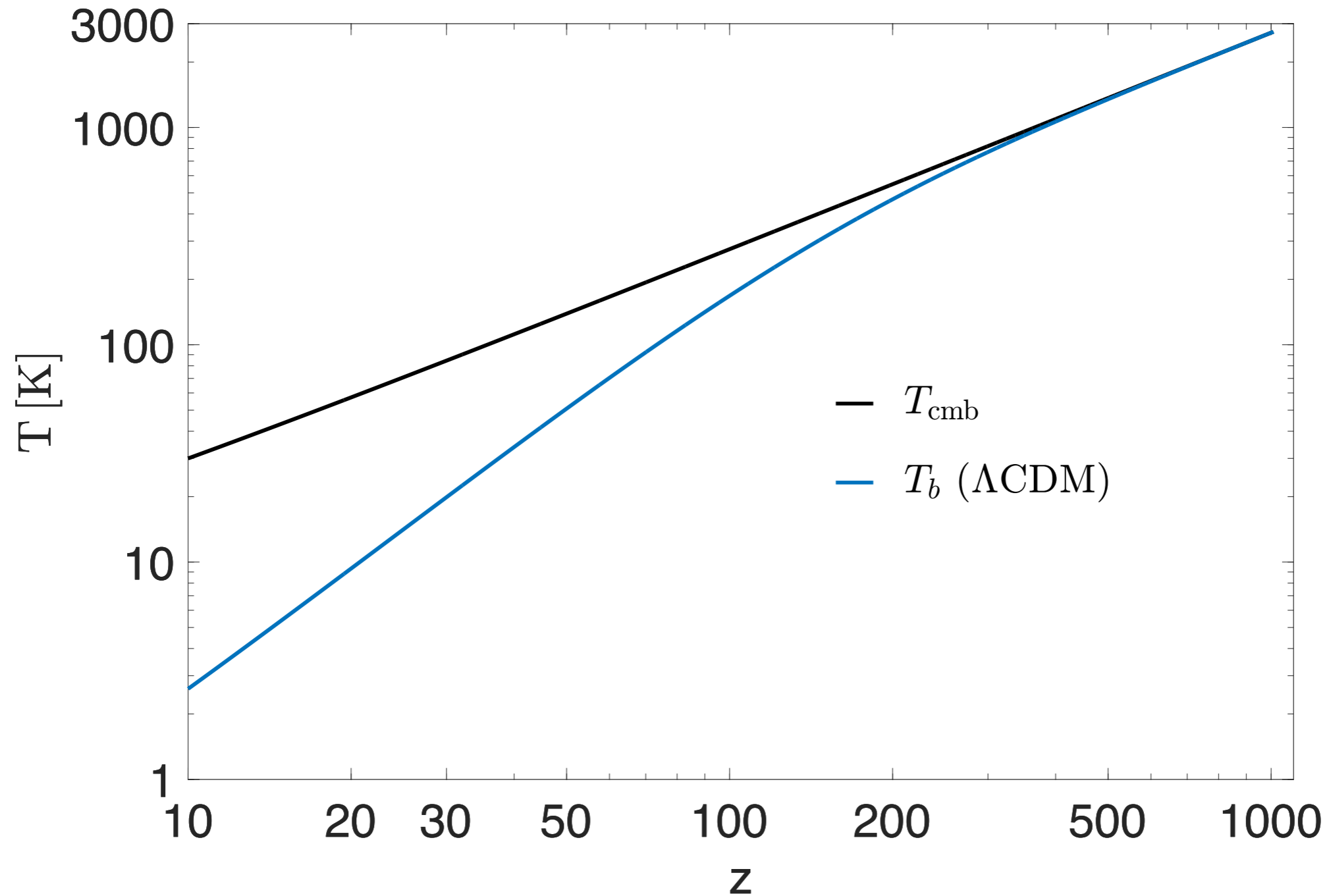
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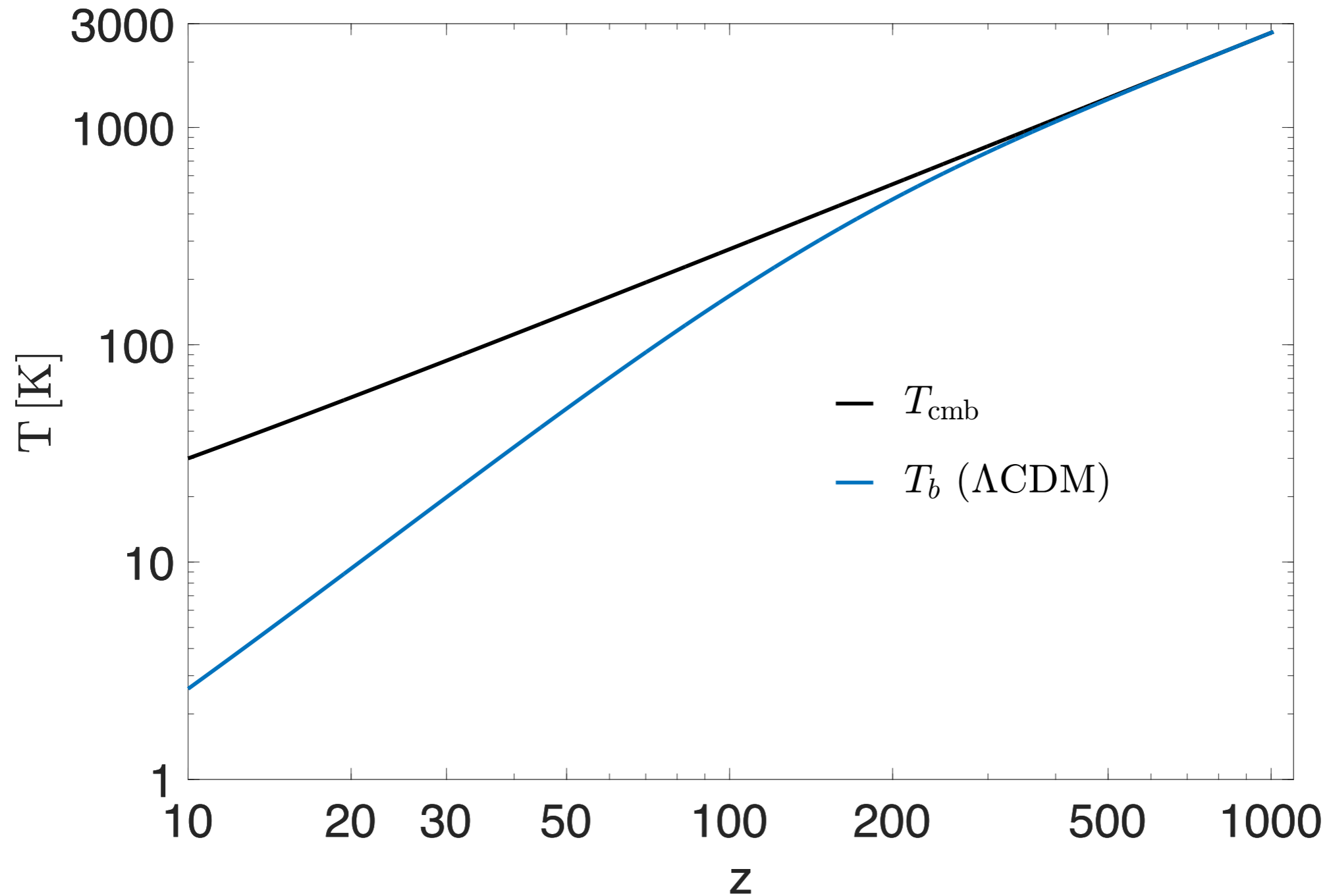


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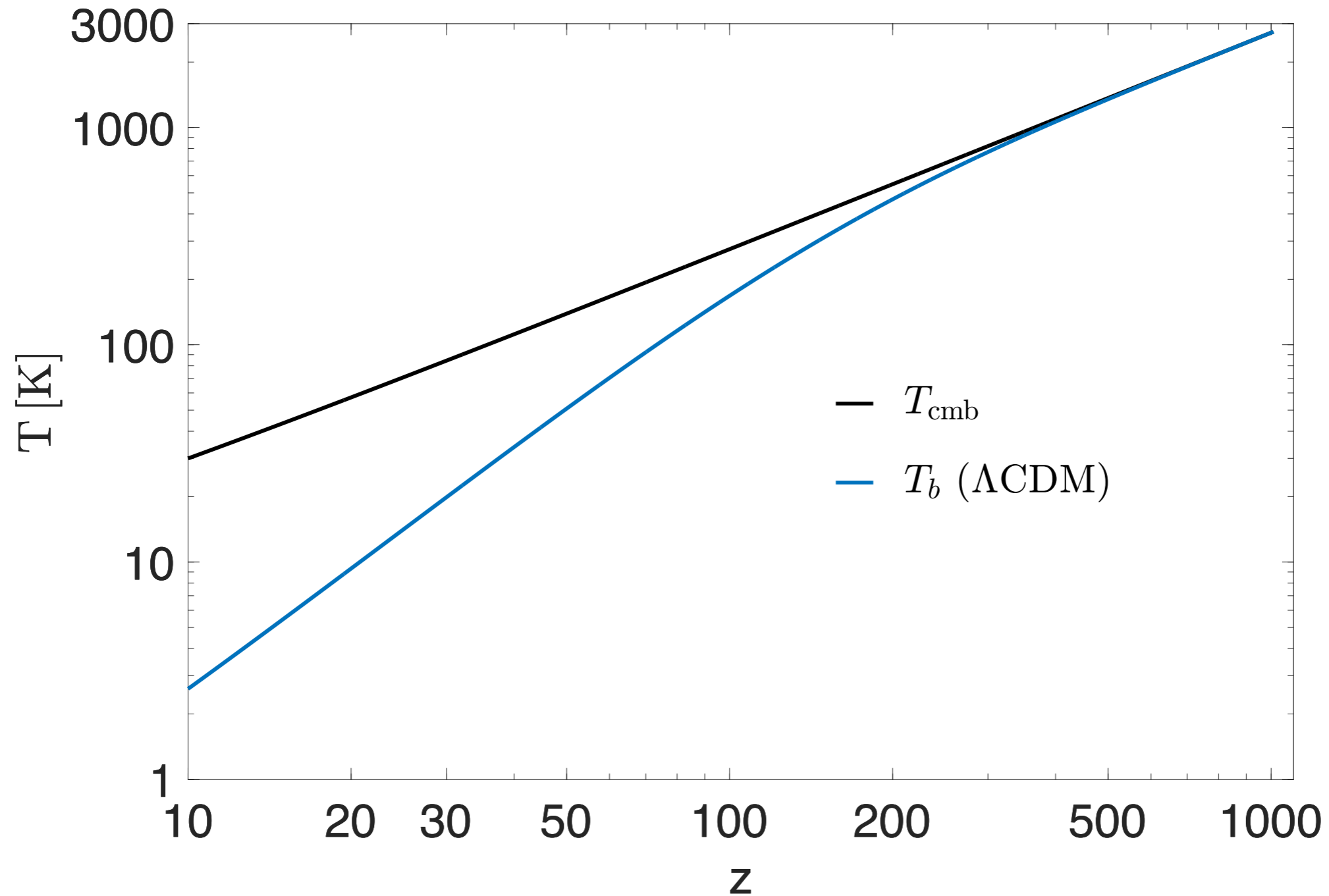


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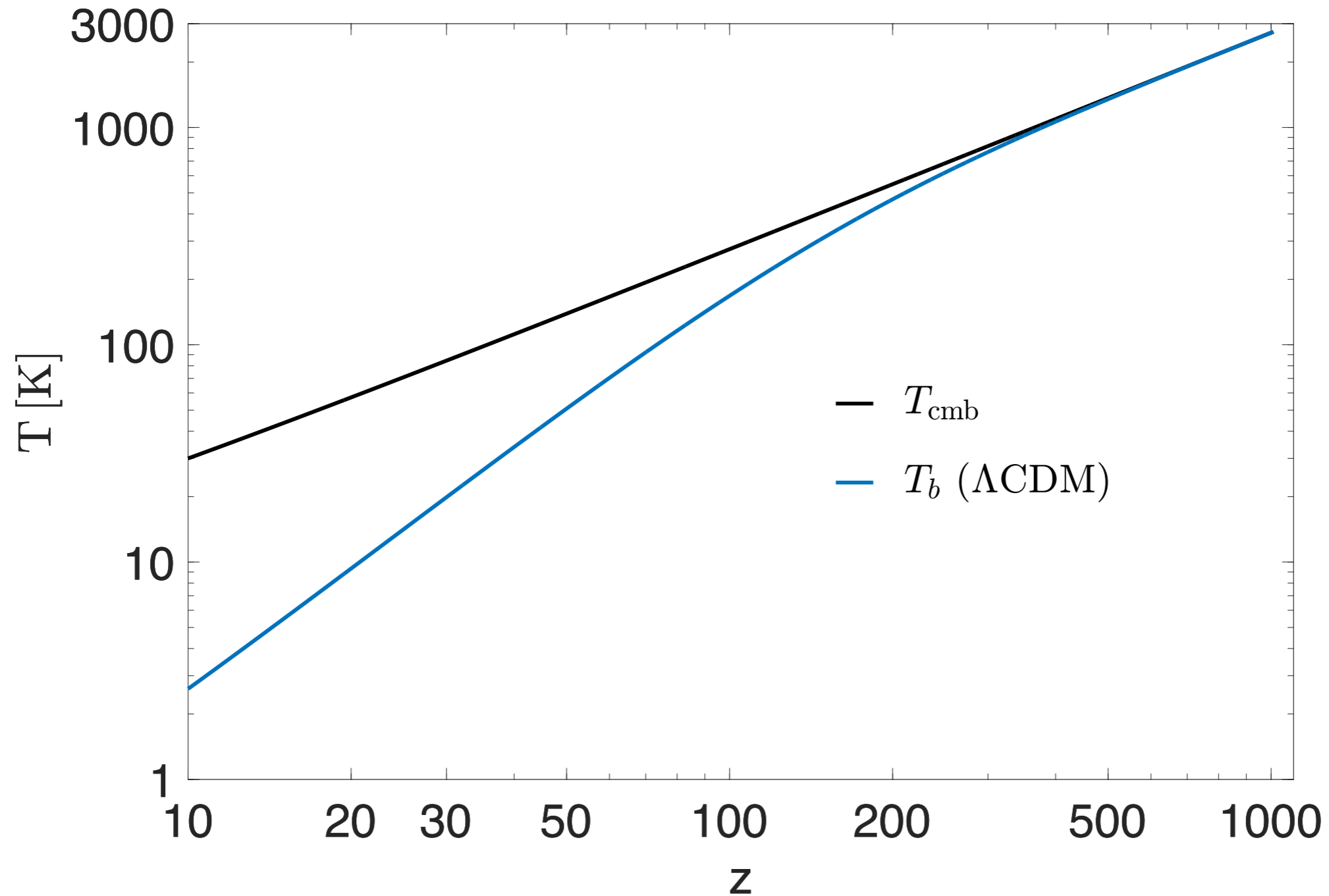


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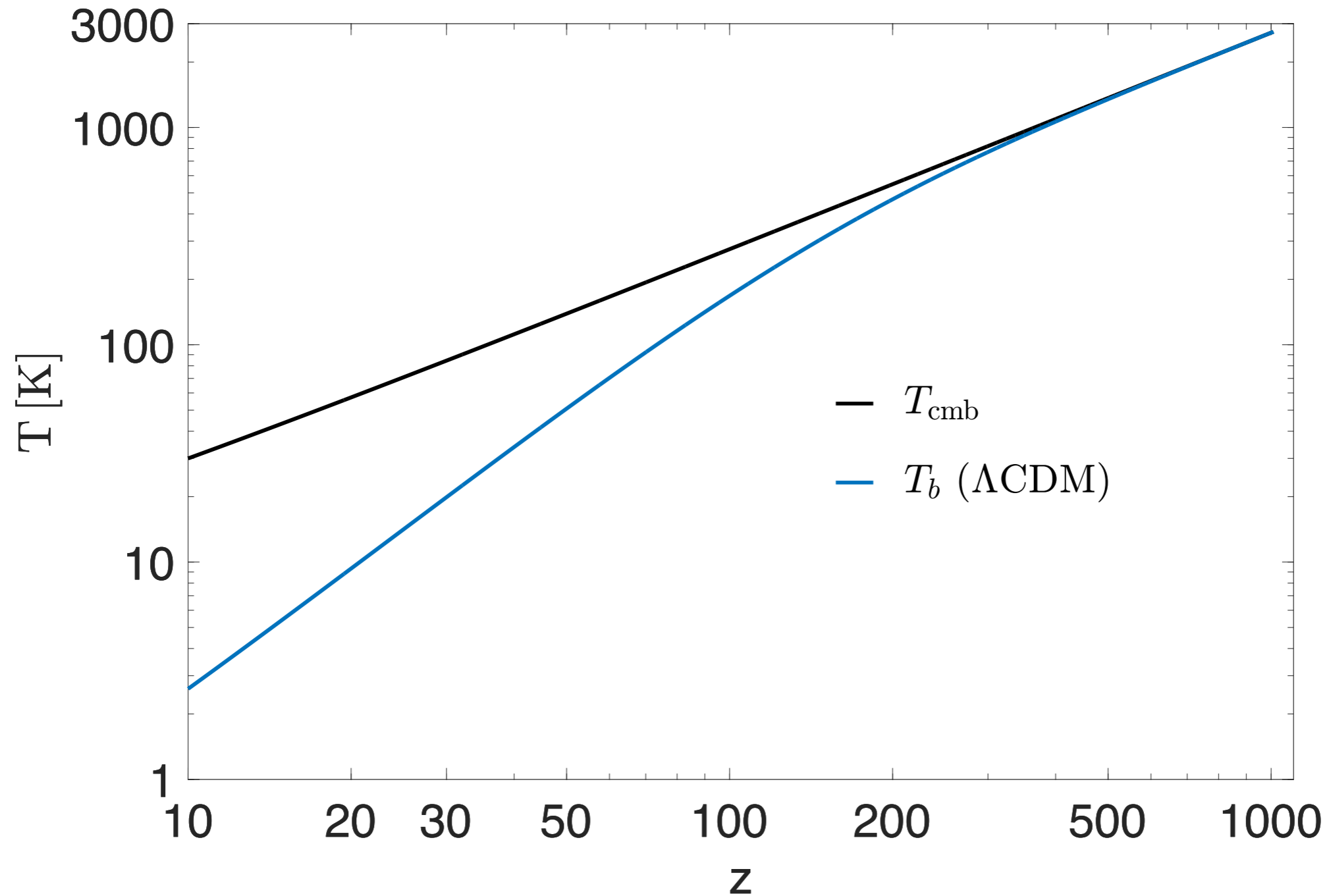


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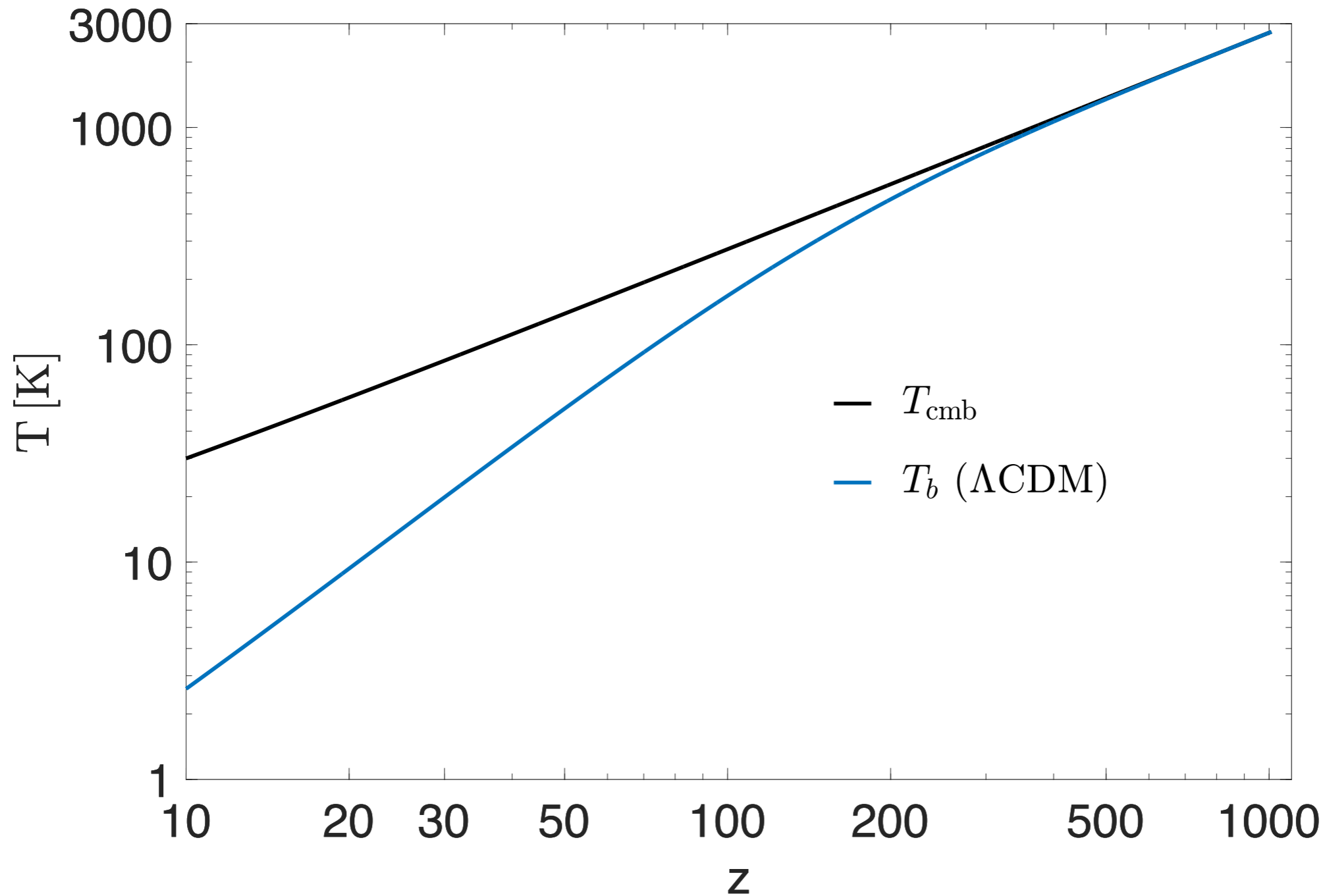


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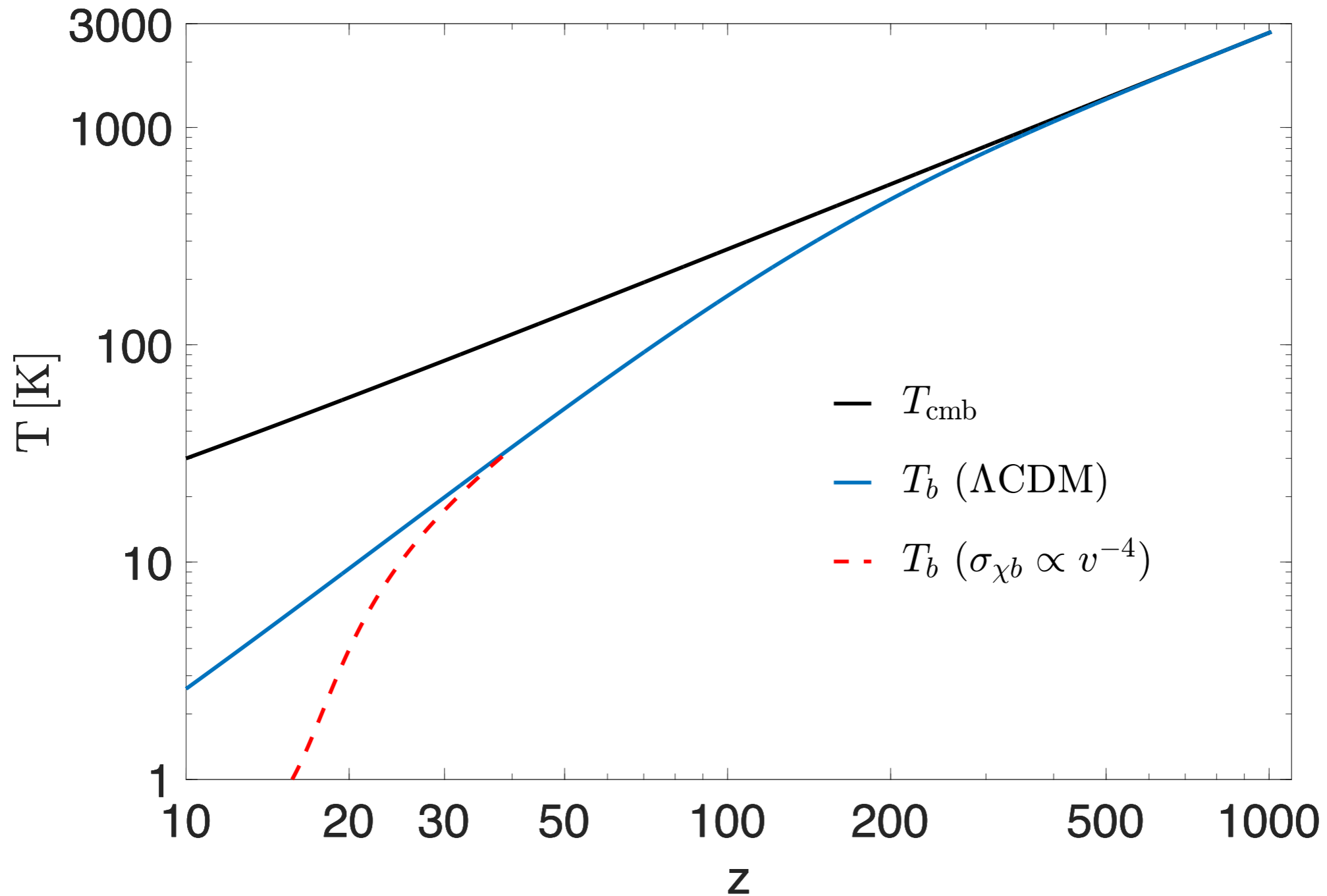


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DM-Baryon $\propto v^{-4}$ Scattering: (Late-Time) Cooling!

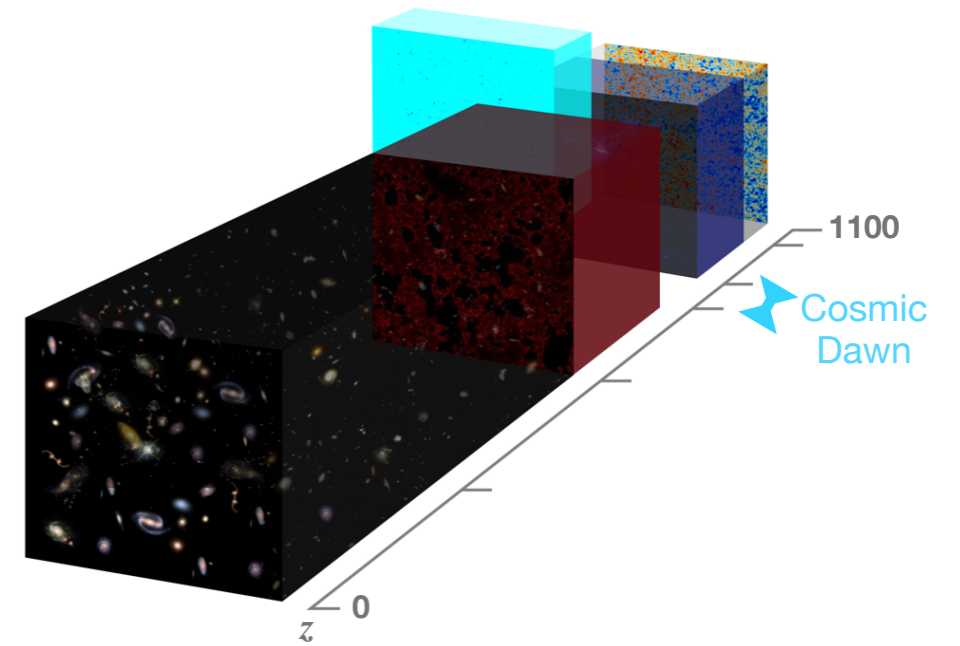
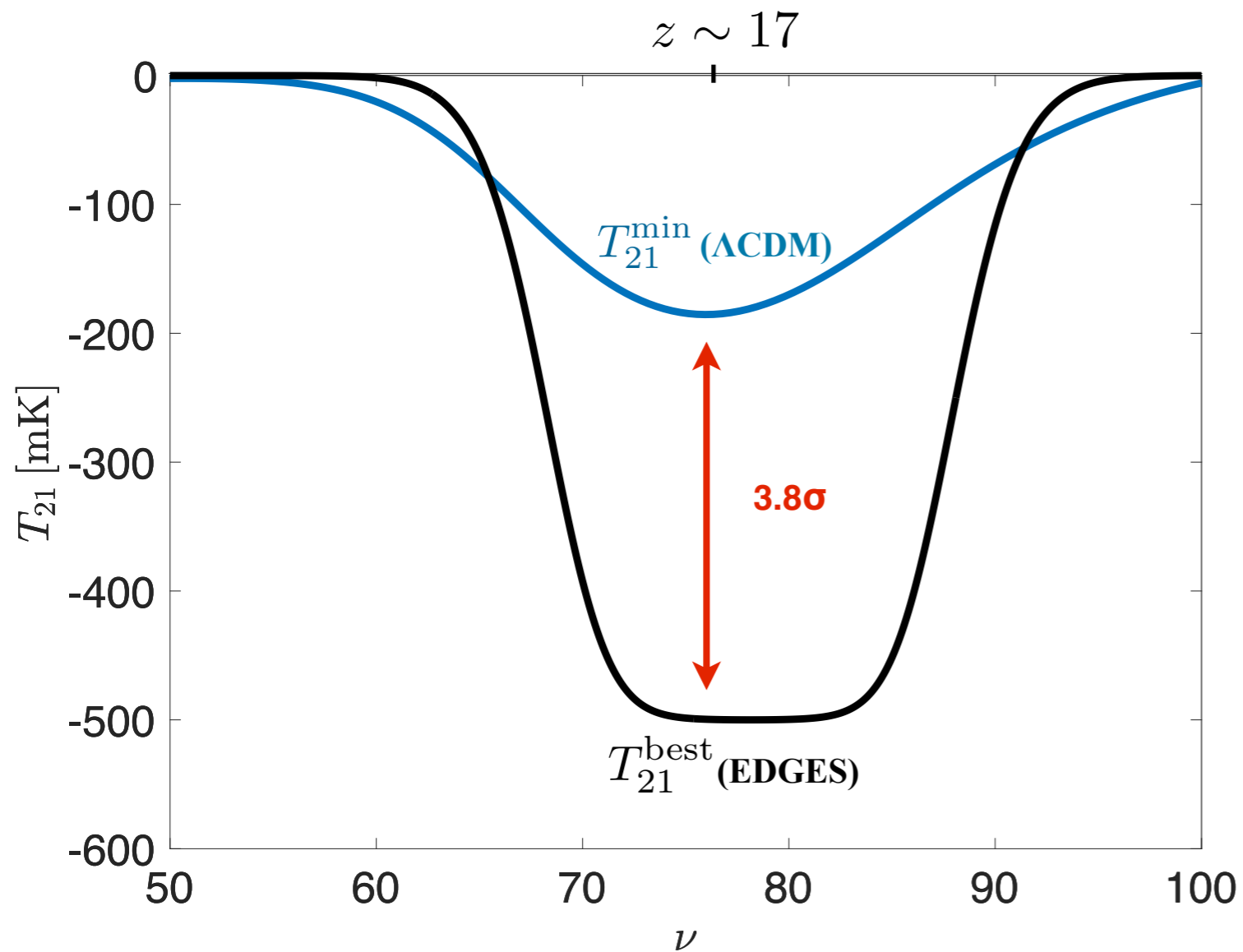
(Muñoz, EDK and Ali-Haïmoud, PRD 2015; Barkana, Nature 2018)



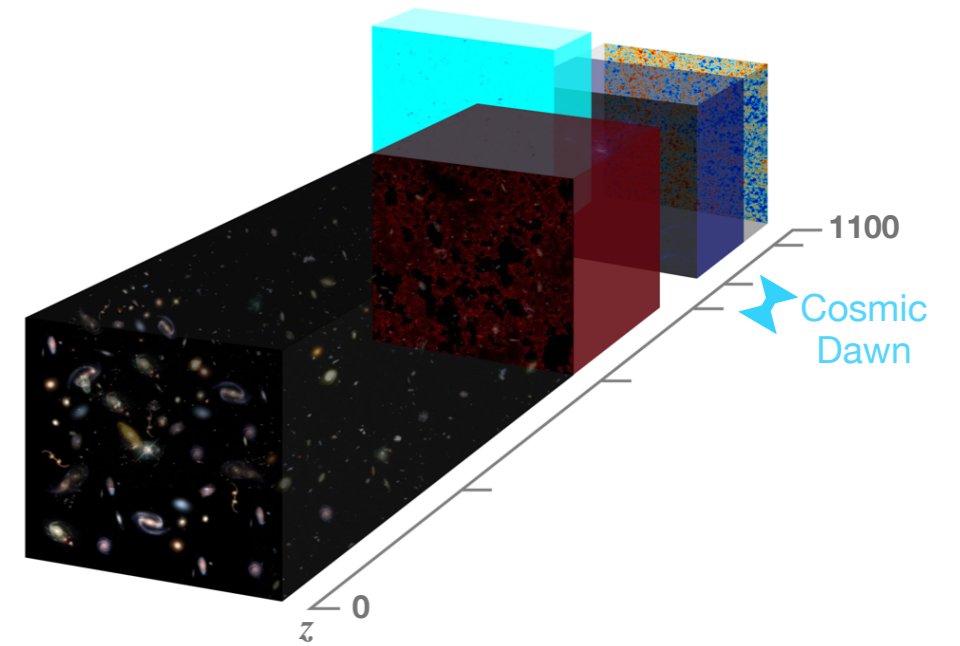
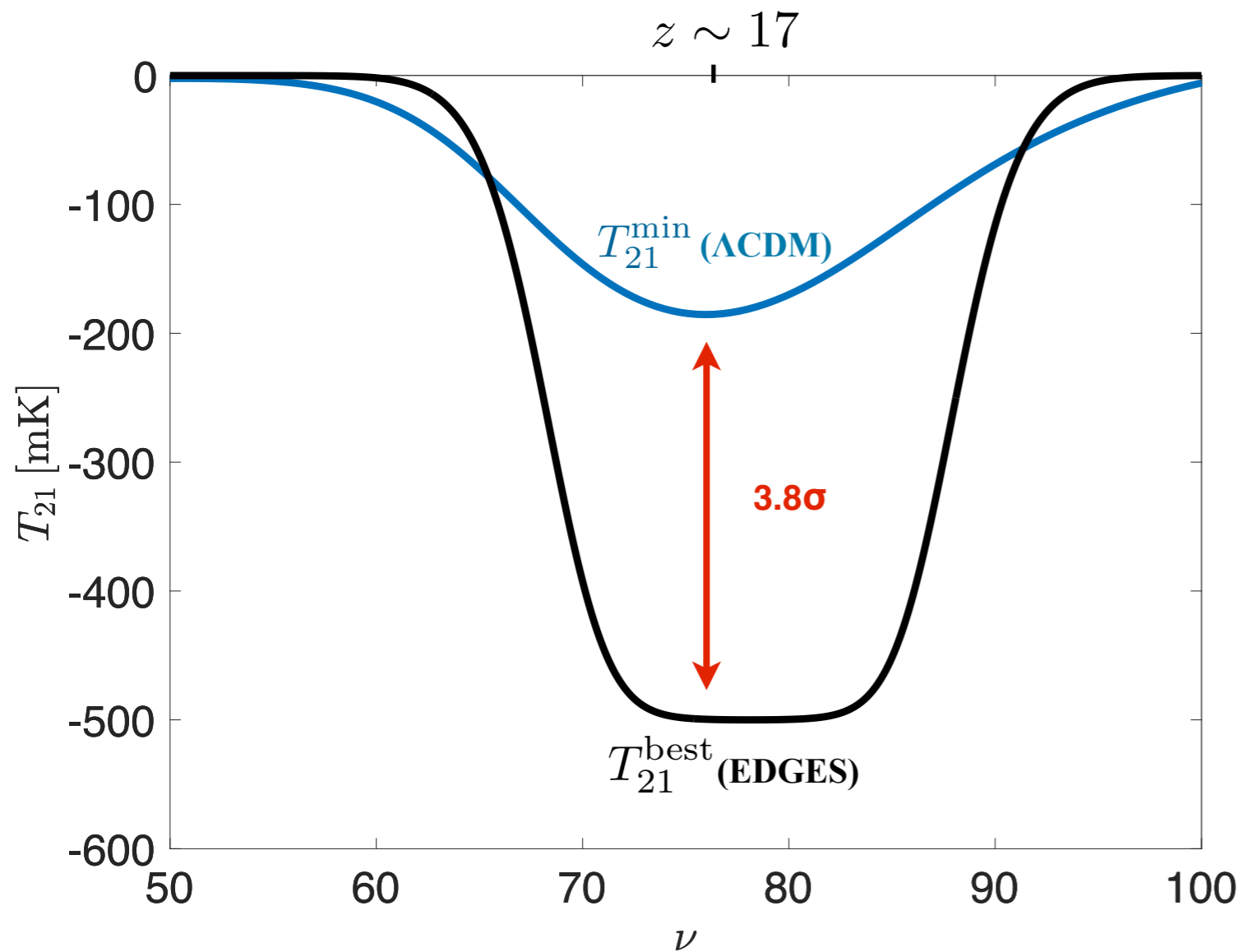
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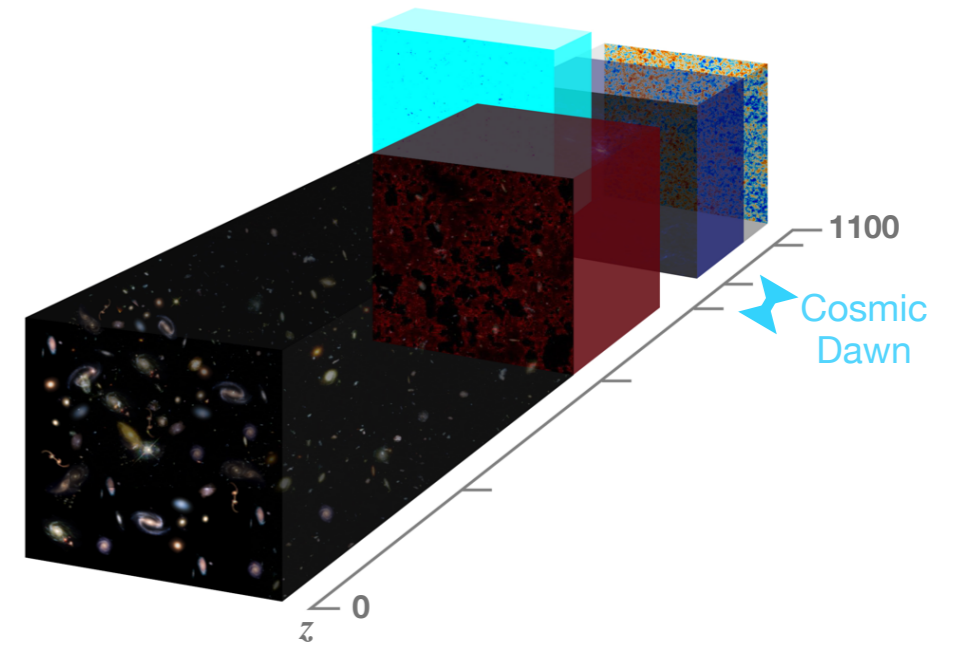
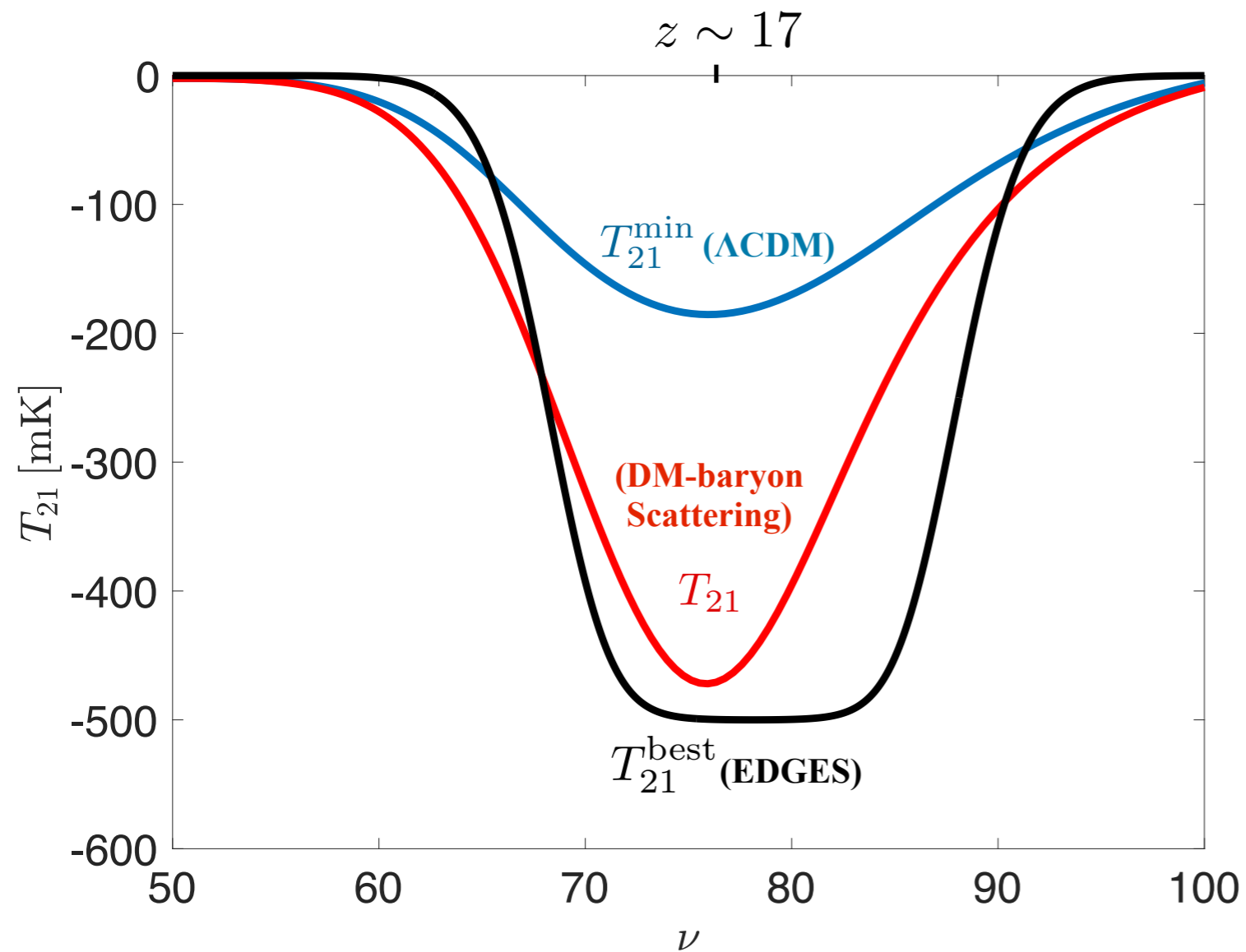
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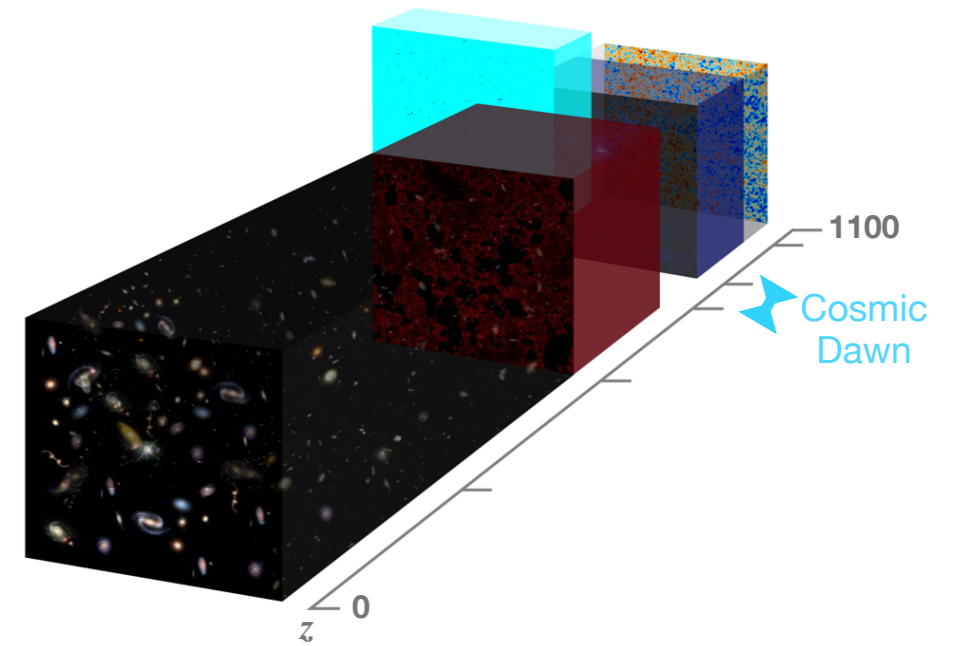
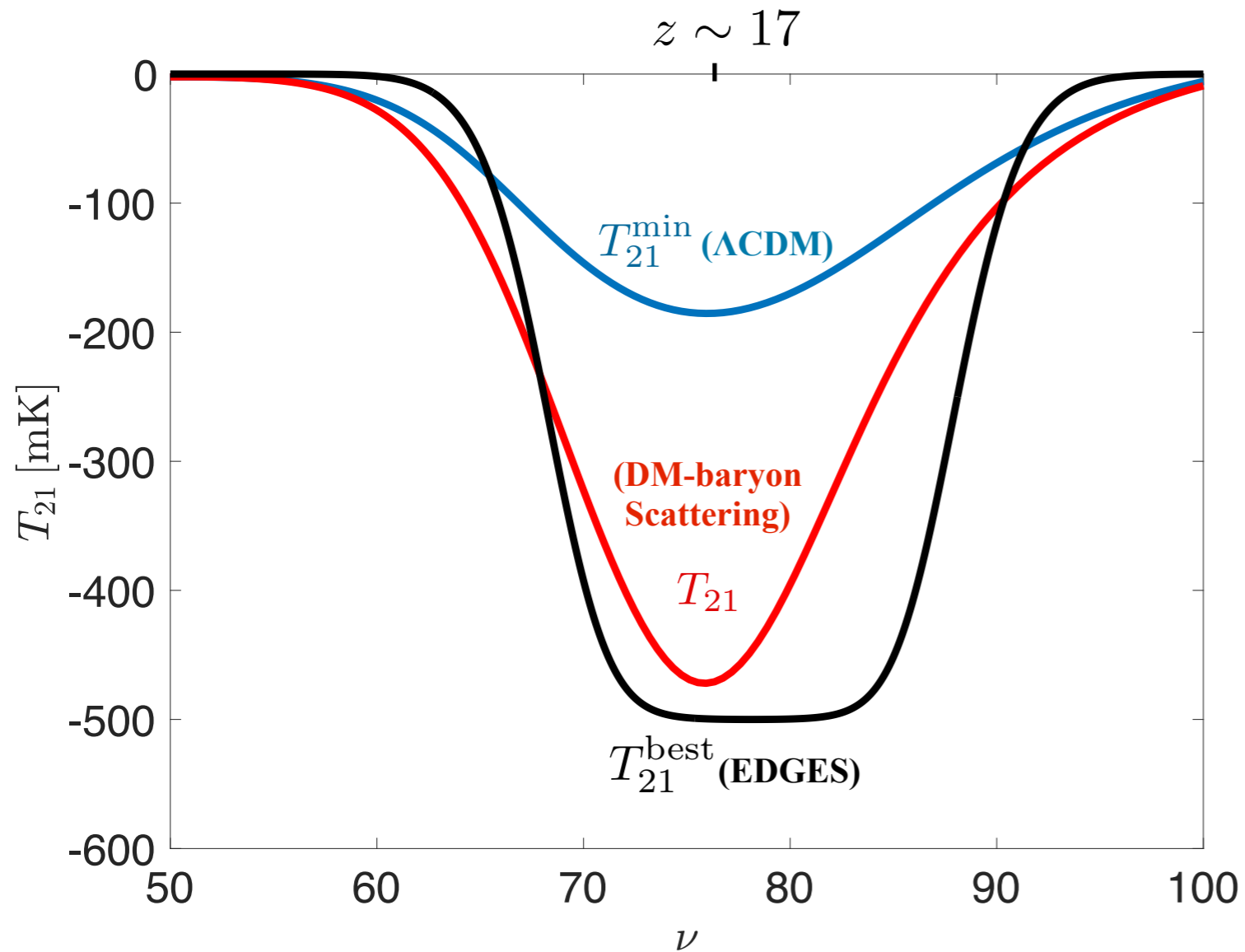


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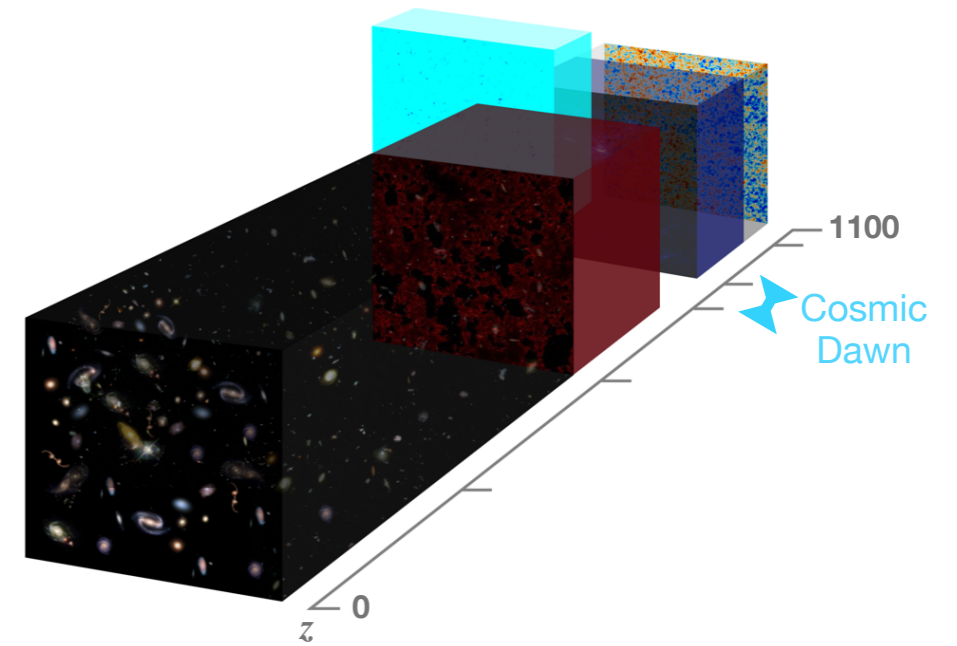
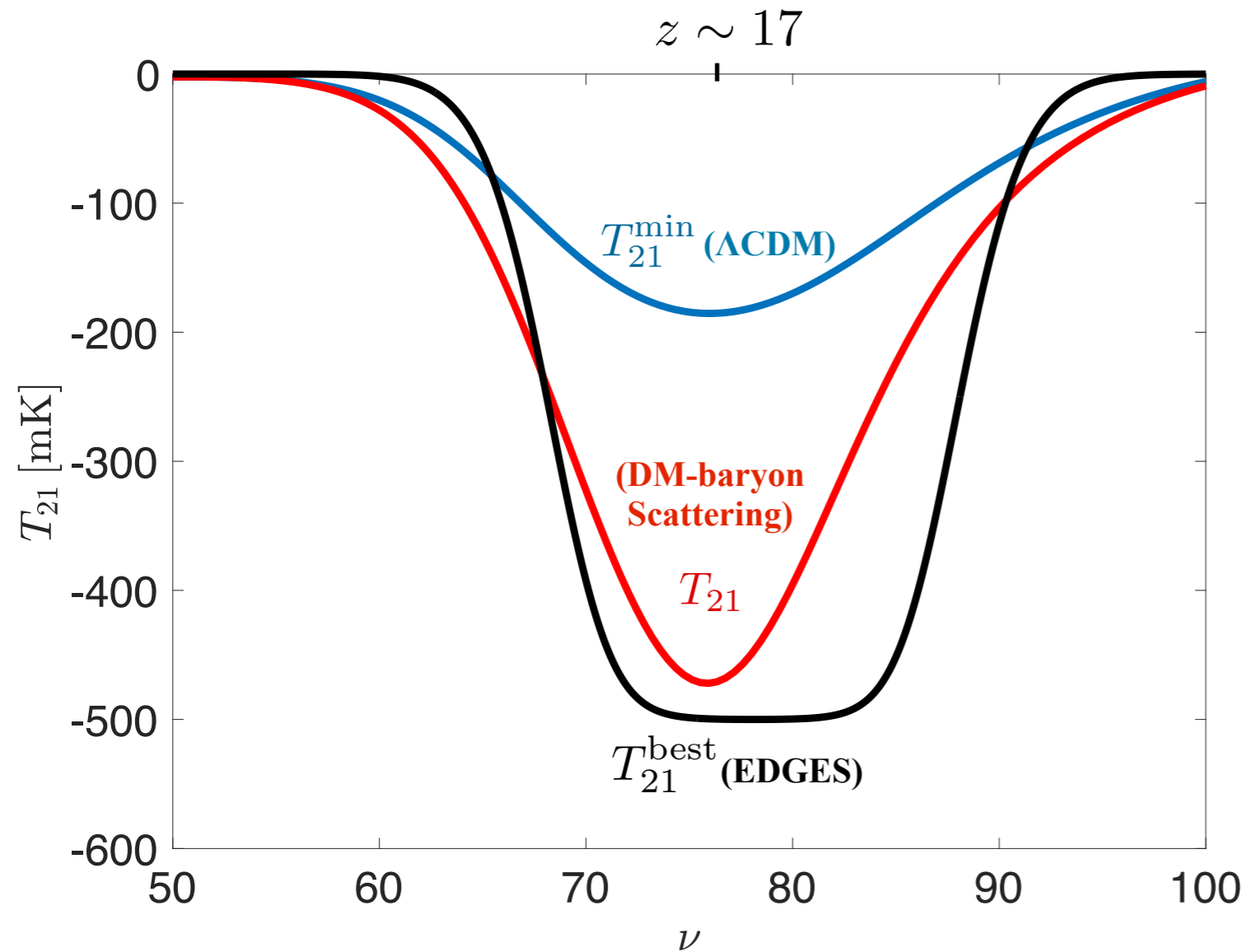
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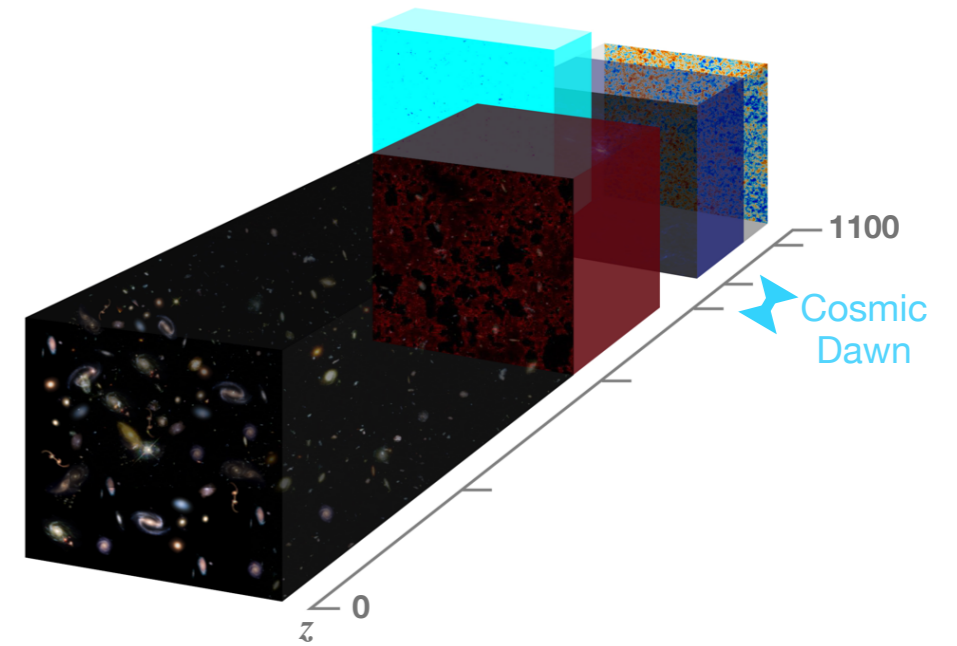
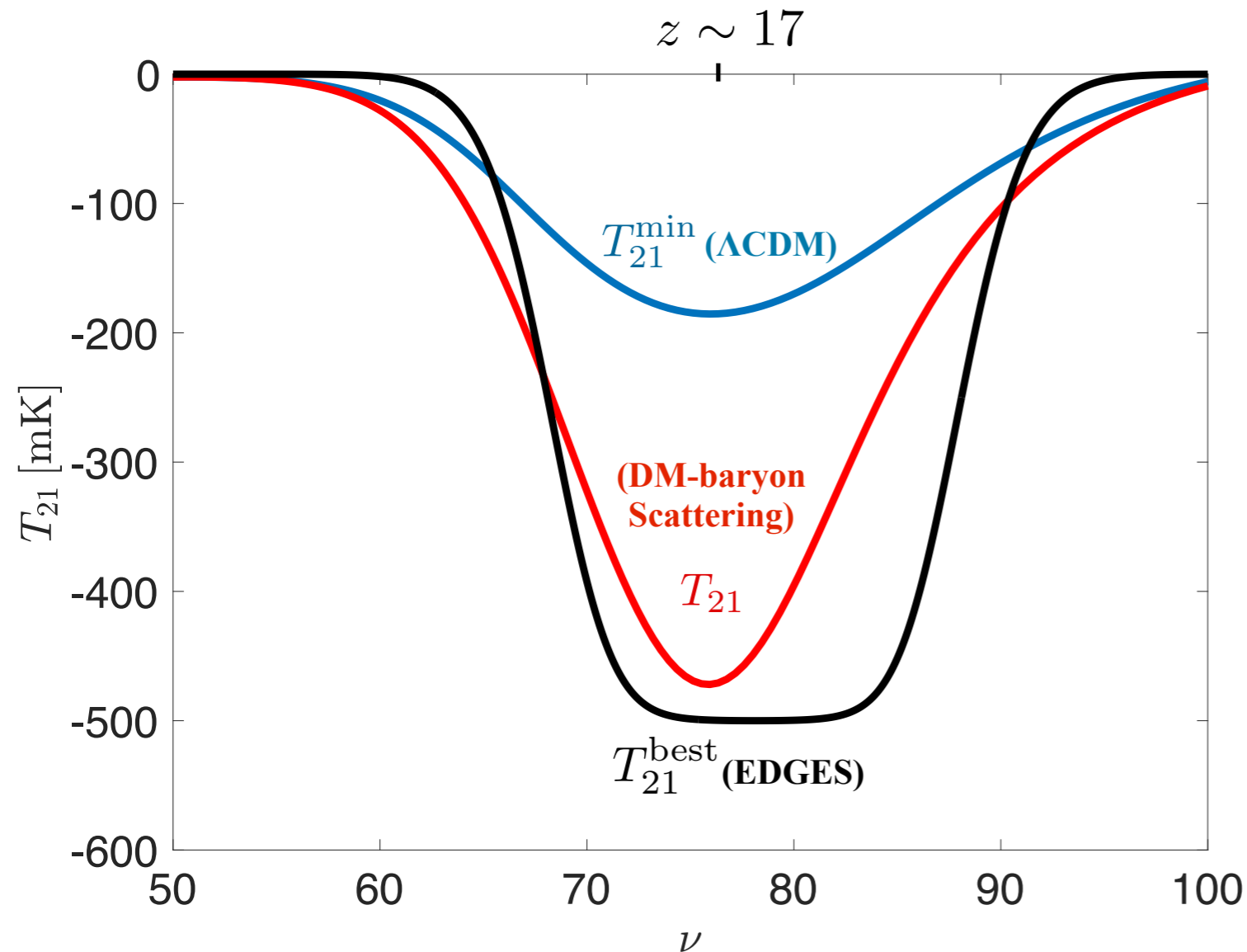
Maybe... {
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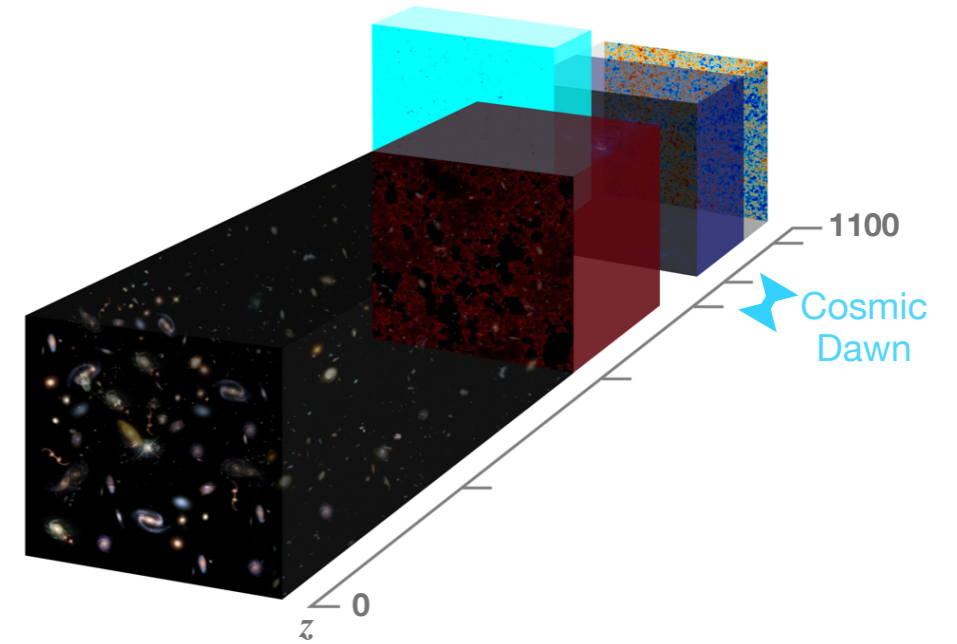
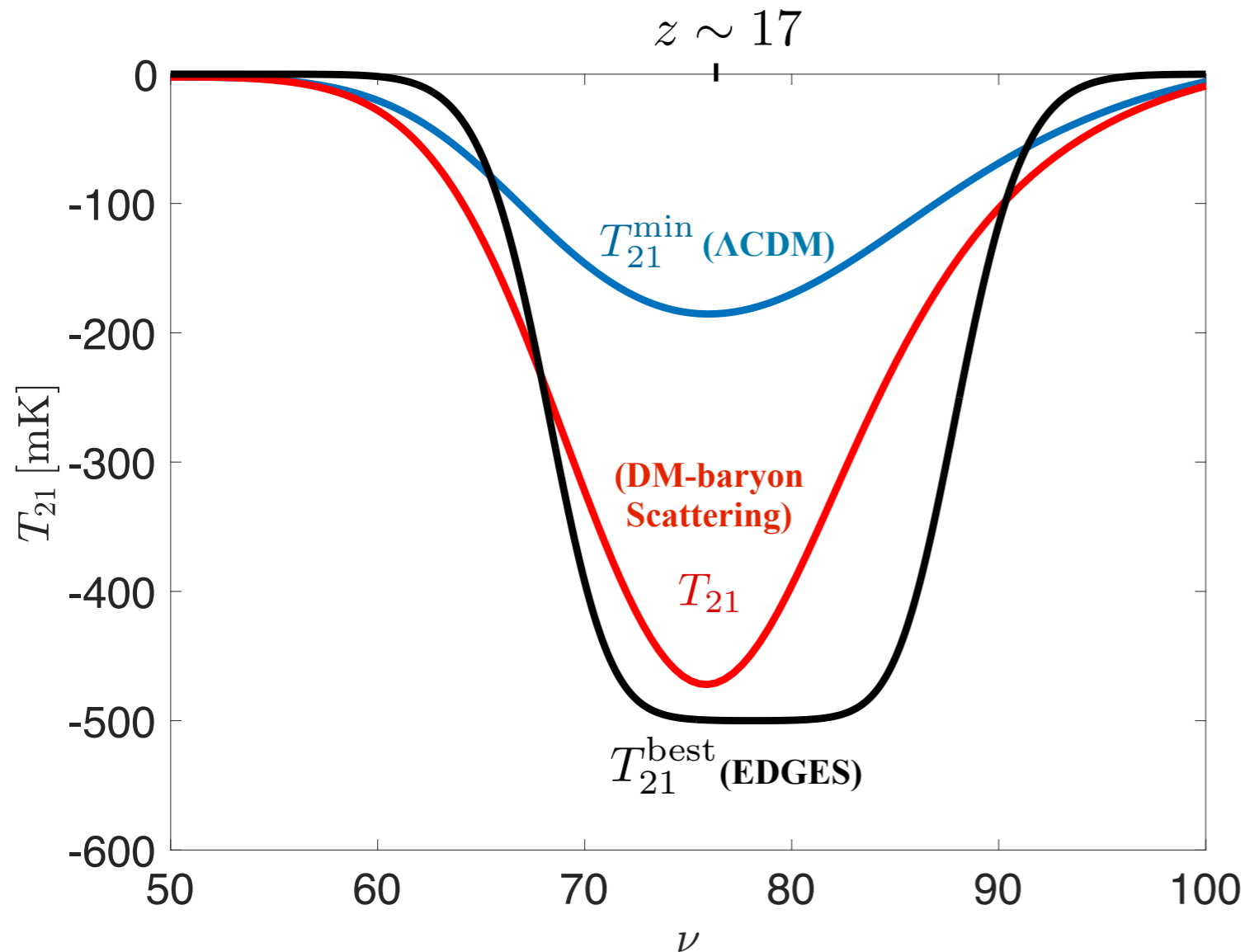
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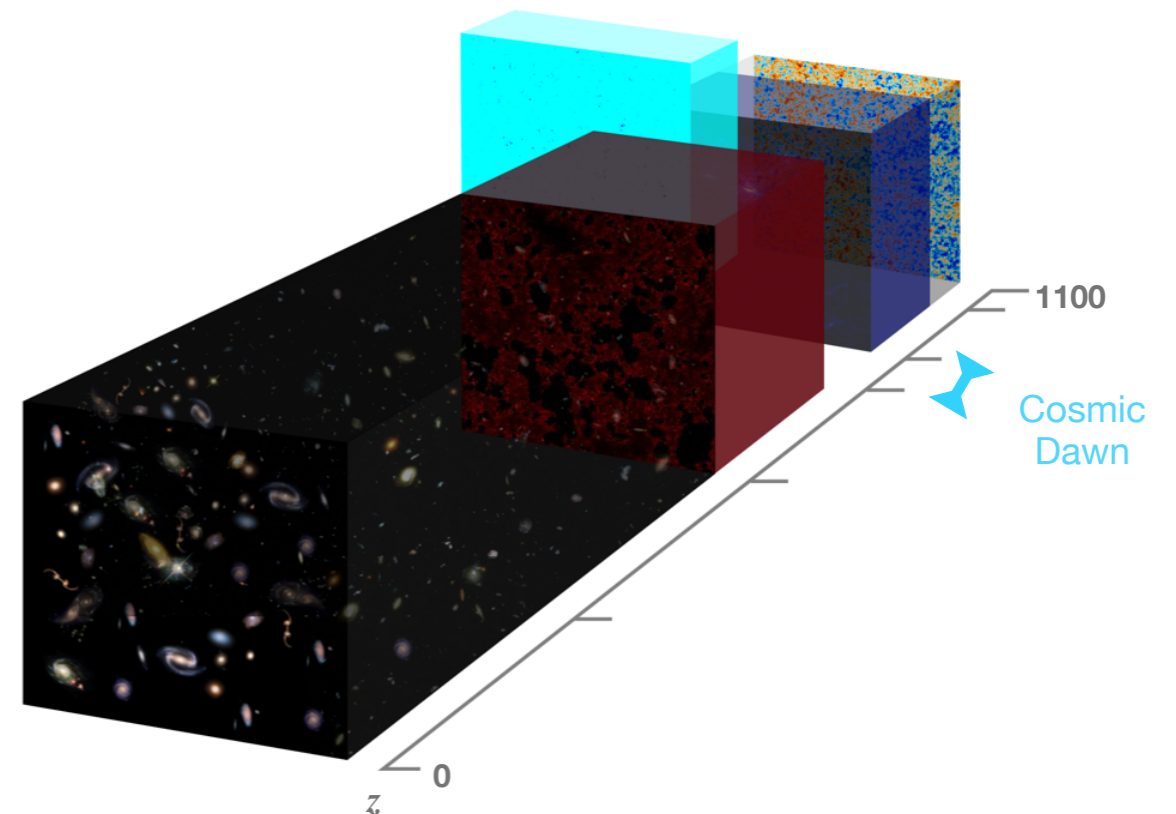
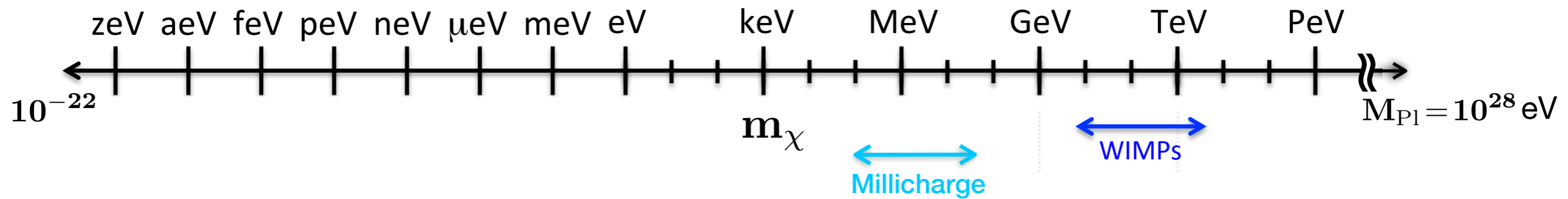
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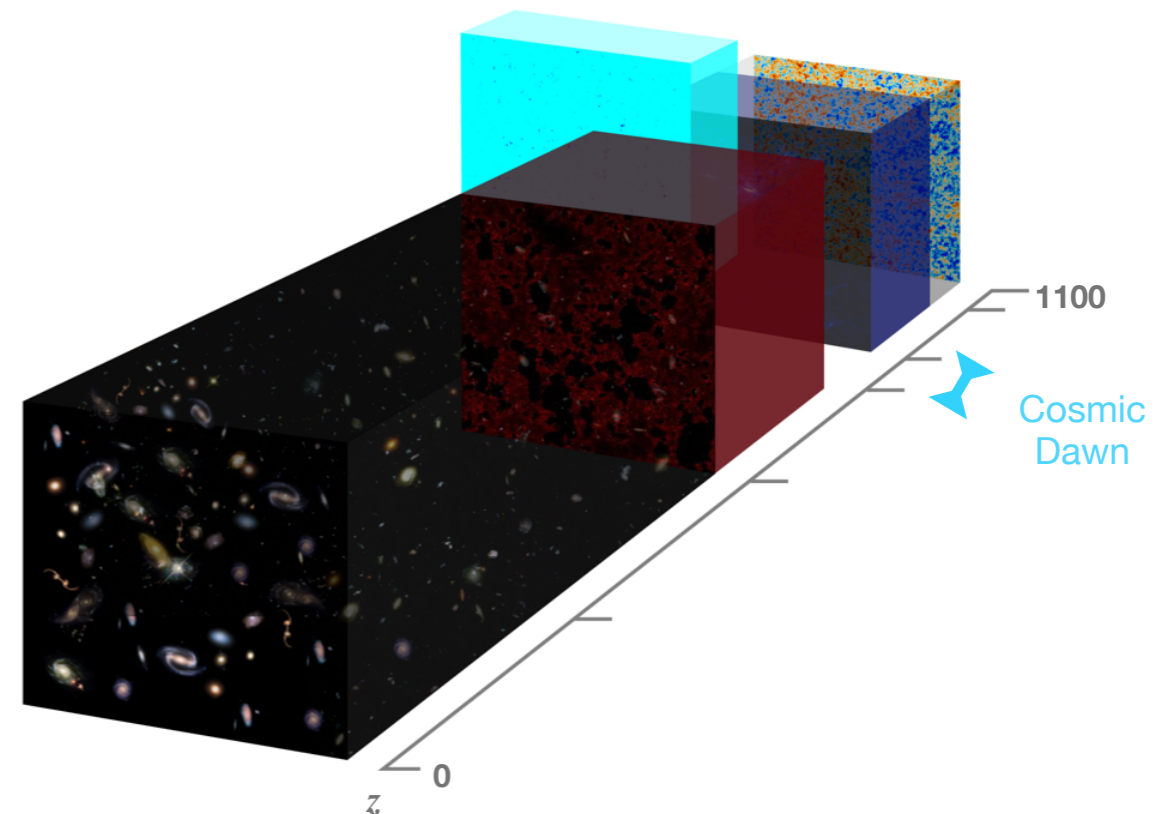
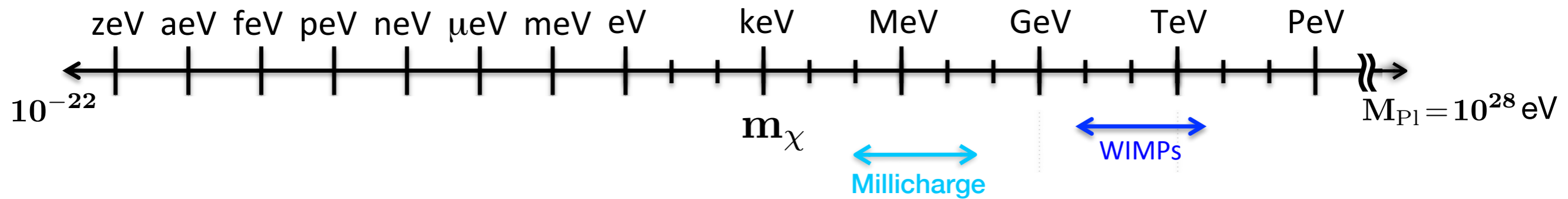
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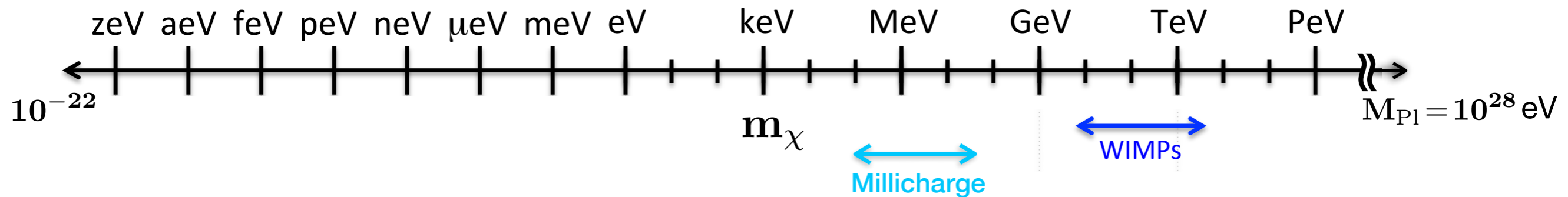
Probing Dark Matter with 21cm at Cosmic Dawn



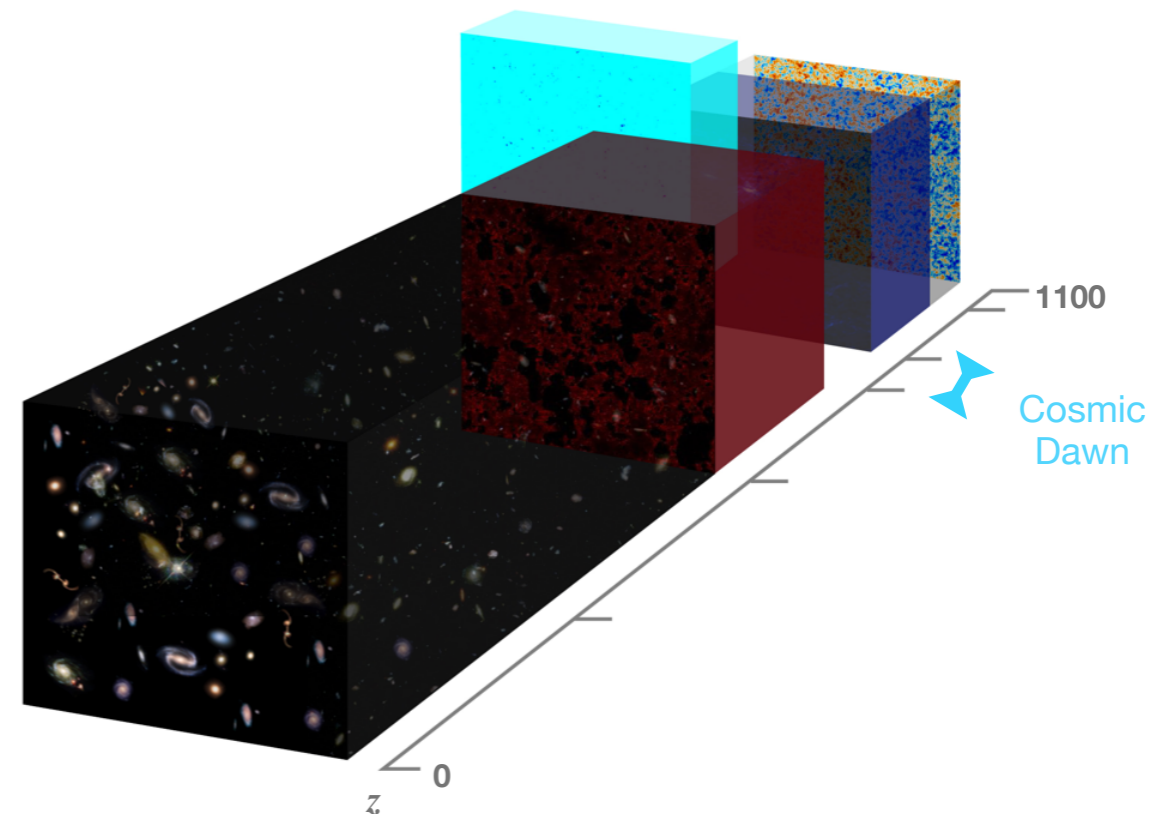
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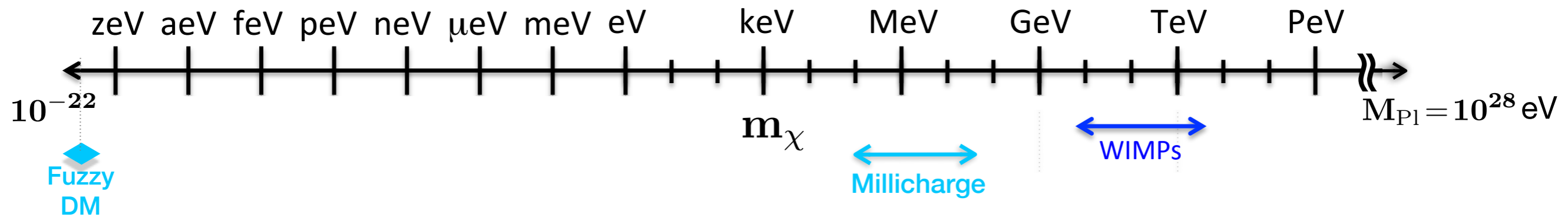
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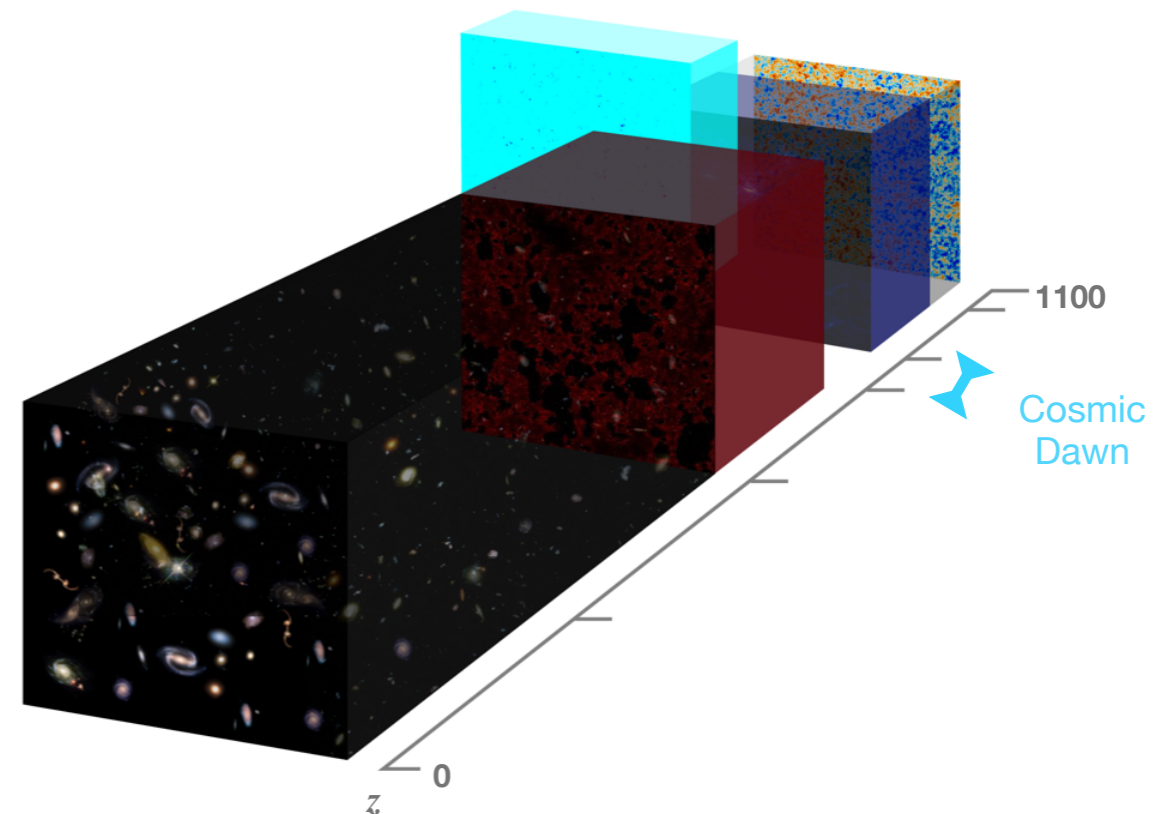
We can do much more with 21cm at Cosmic Dawn!



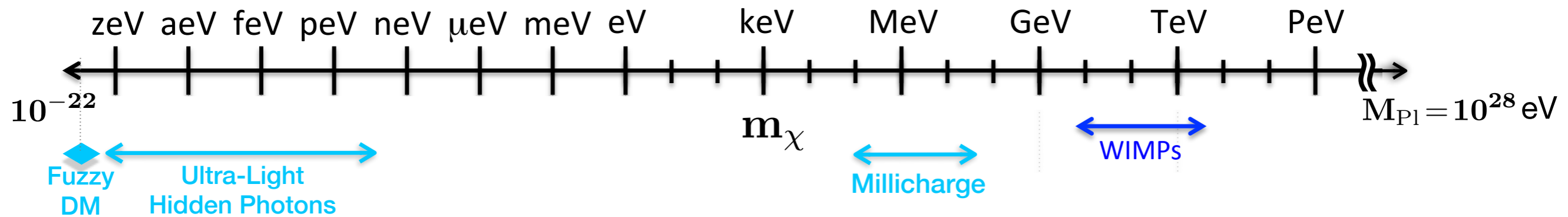
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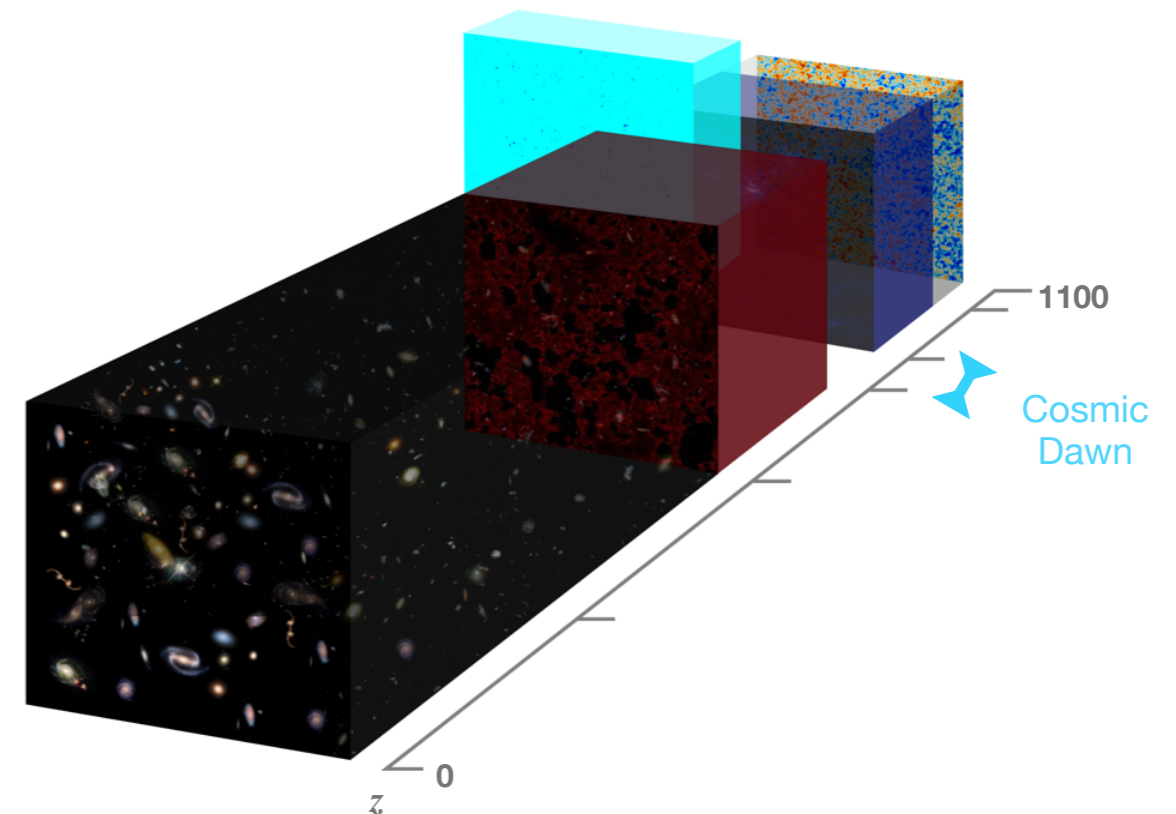
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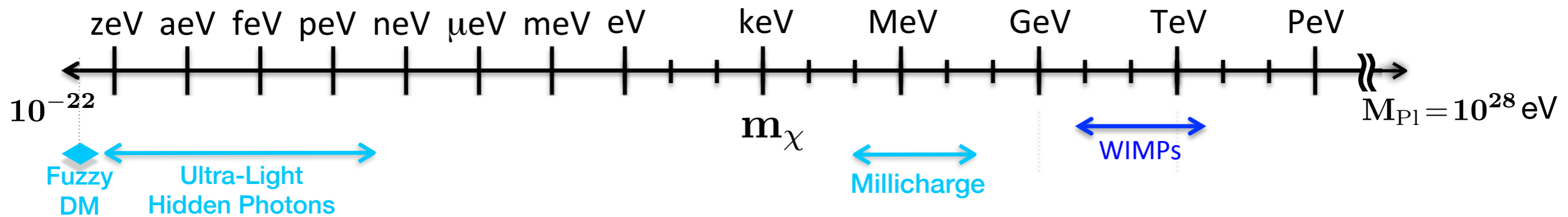
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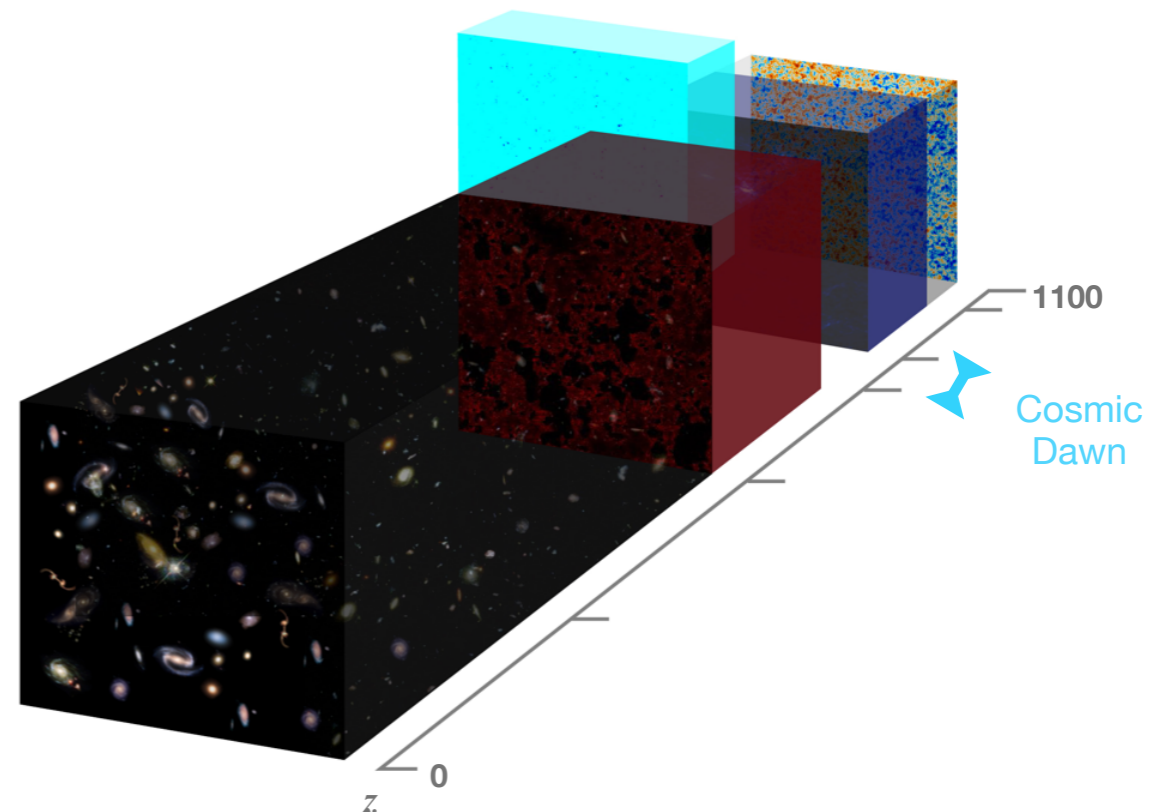
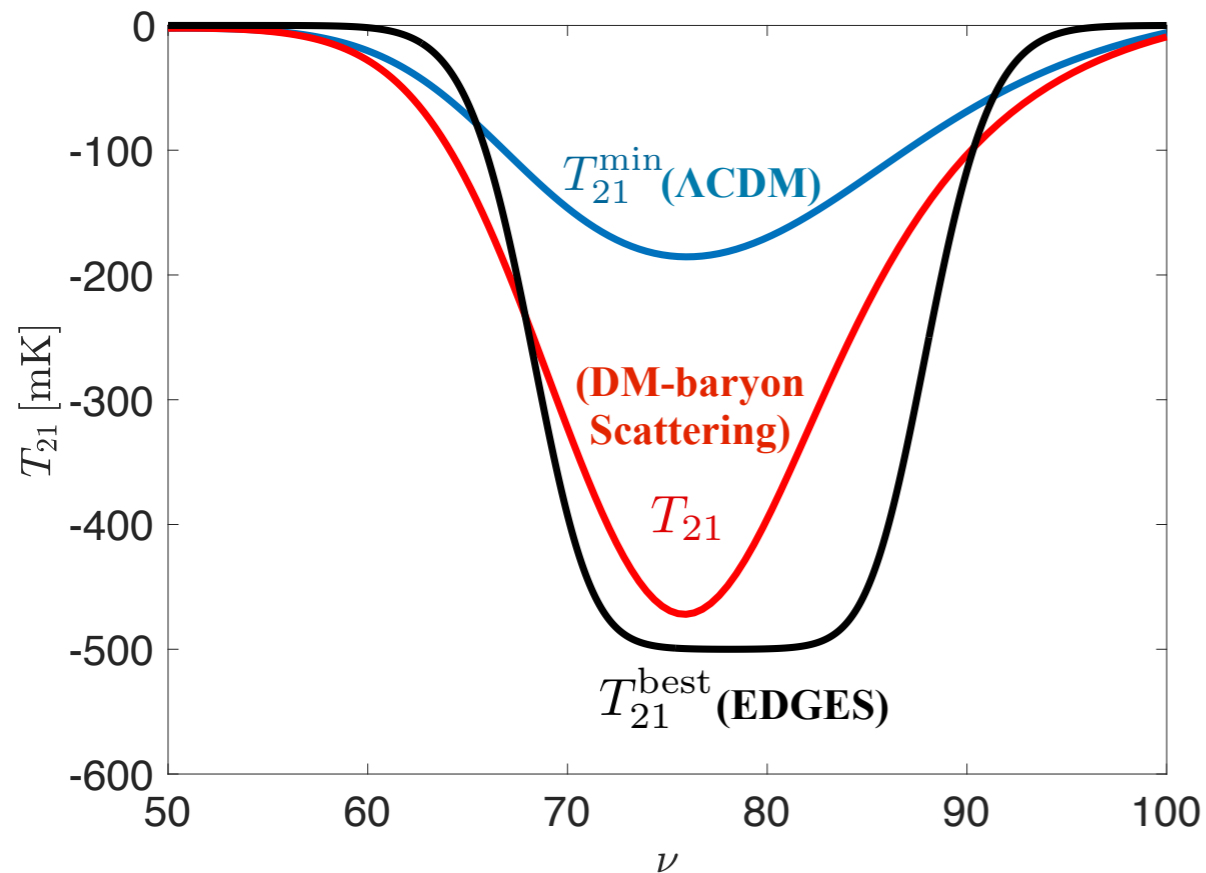
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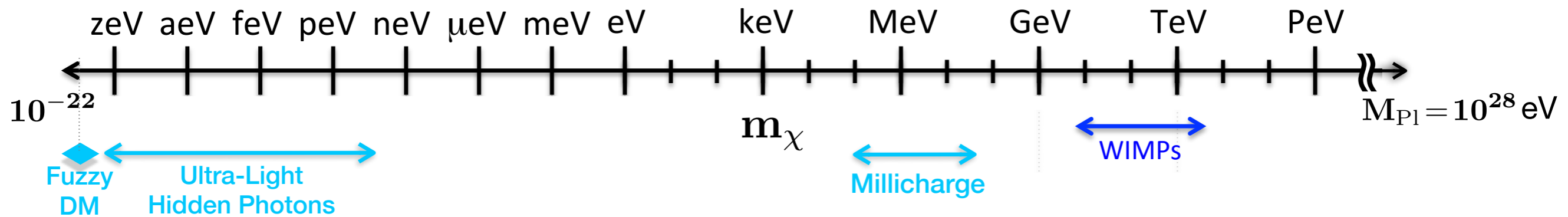
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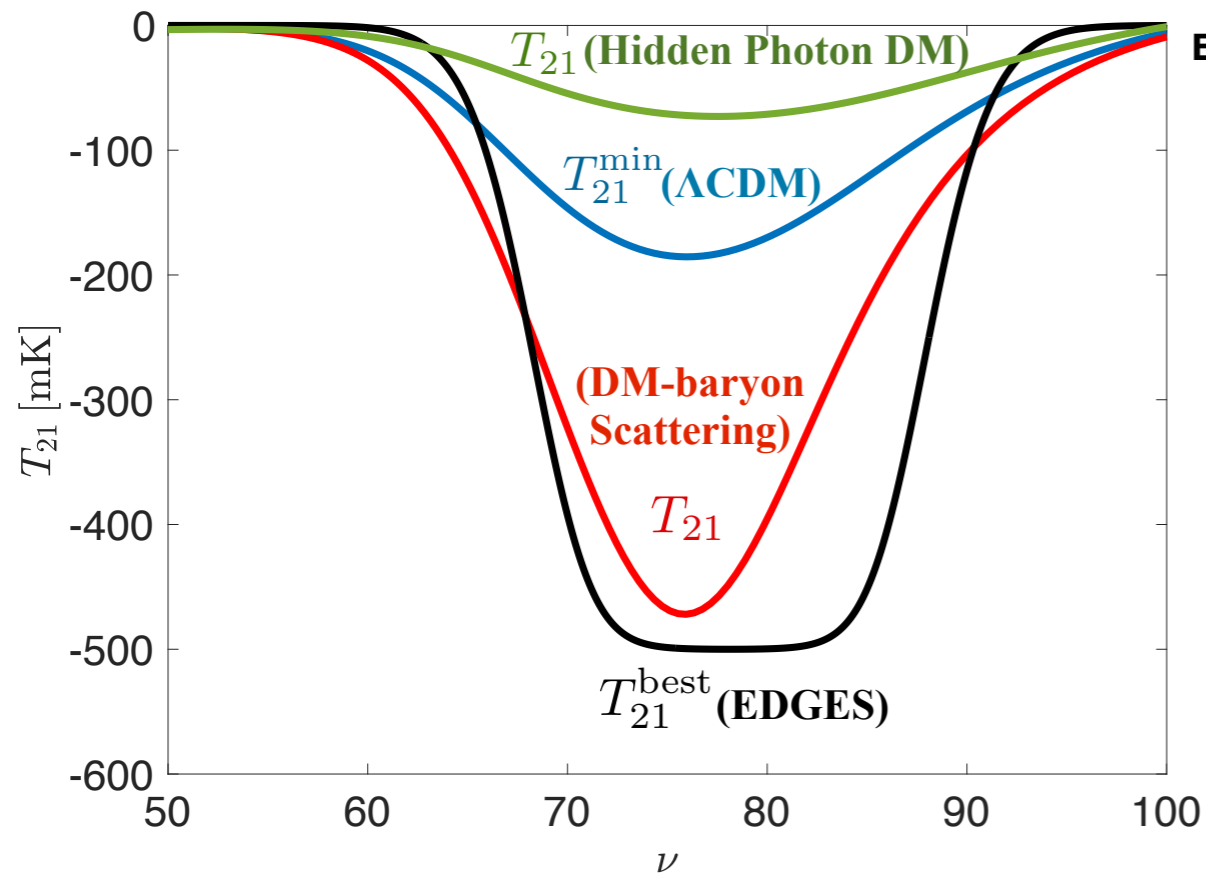
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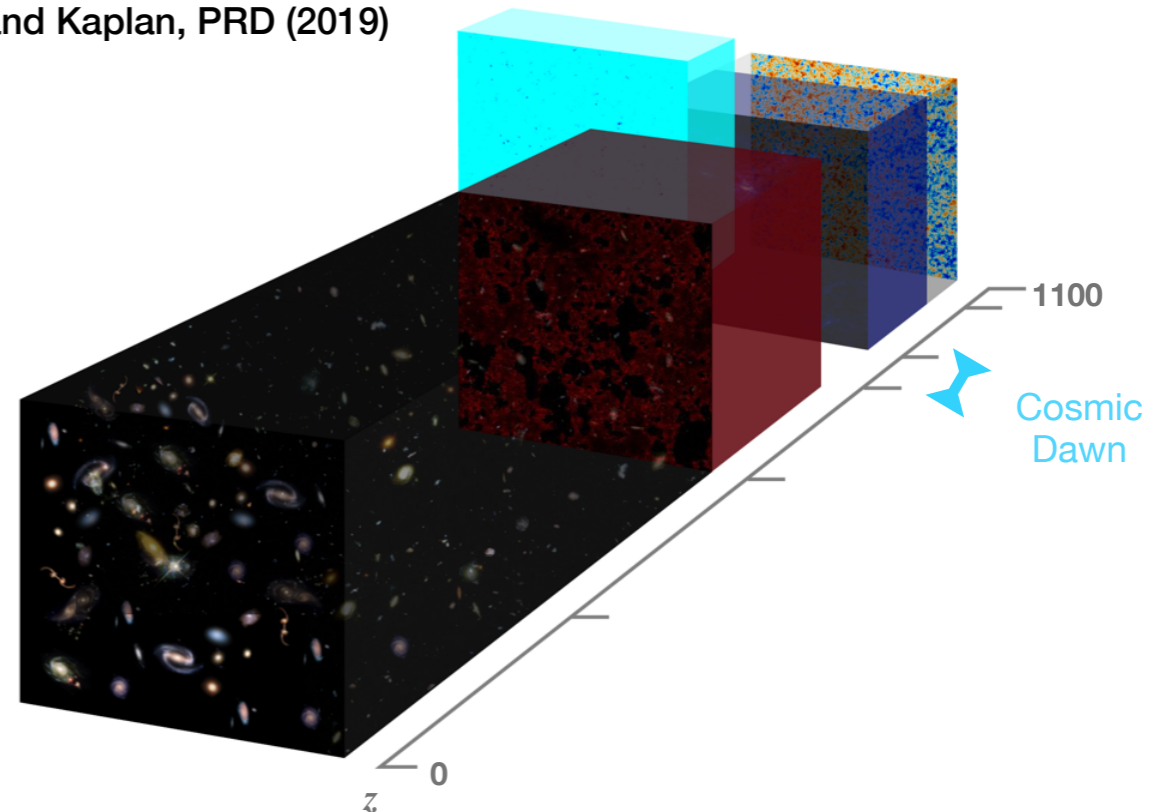
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Ultra-Light Hidden-Photon Dark Matter

(EDK, Cholis and Kaplan, PRD 2019)

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- Hidden photons couple to the standard model electric current:

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{1}{4}\tilde{F}_{\mu\nu}\tilde{F}^{\mu\nu} + \frac{m^2}{2}\tilde{A}_\mu\tilde{A}^\mu - \frac{e}{(1+\varepsilon^2)^{1/2}}J^\mu\left(A_\mu + \varepsilon\tilde{A}_\mu\right)$$

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See: “Heating up the Galaxy with Hidden Photons”
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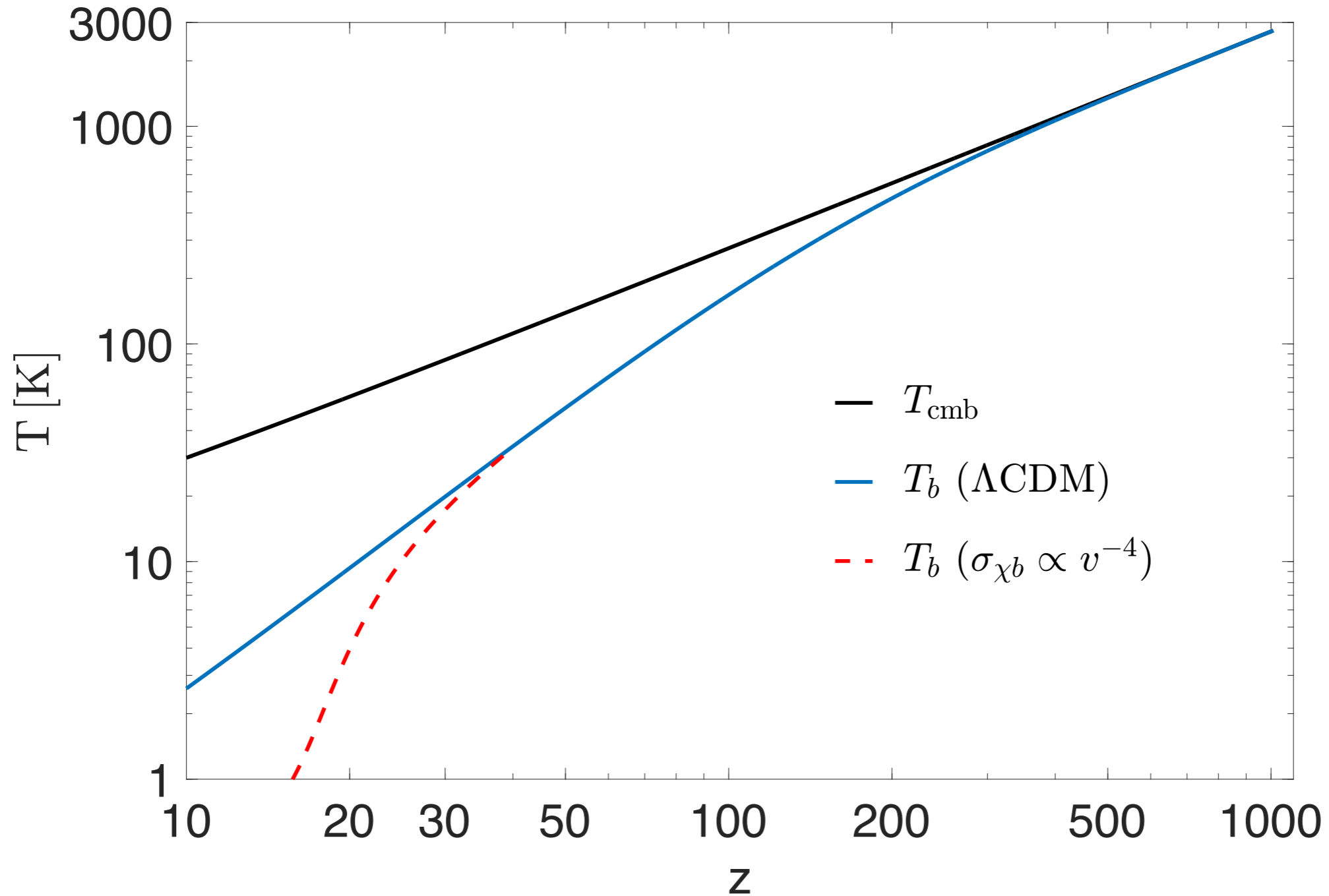
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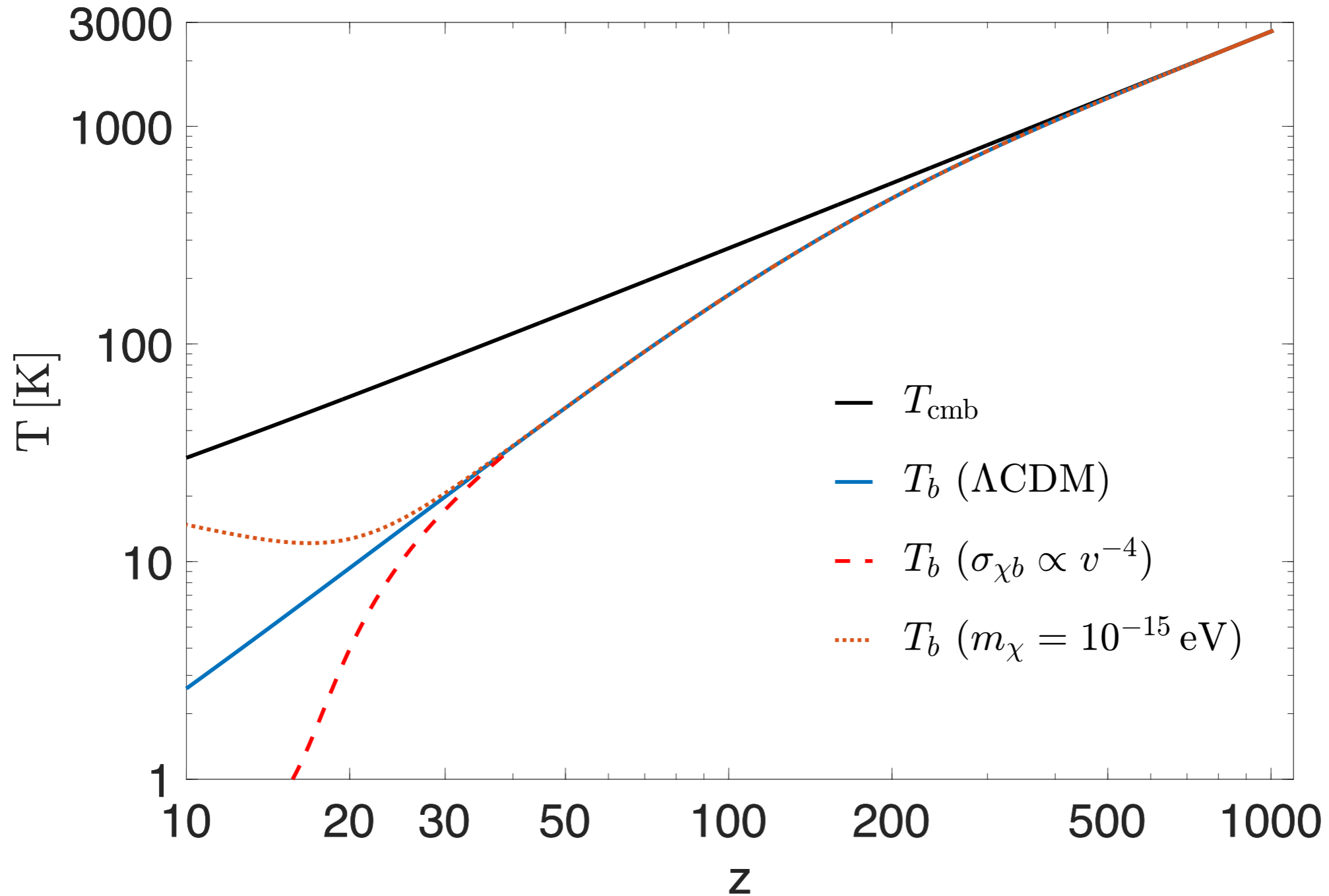


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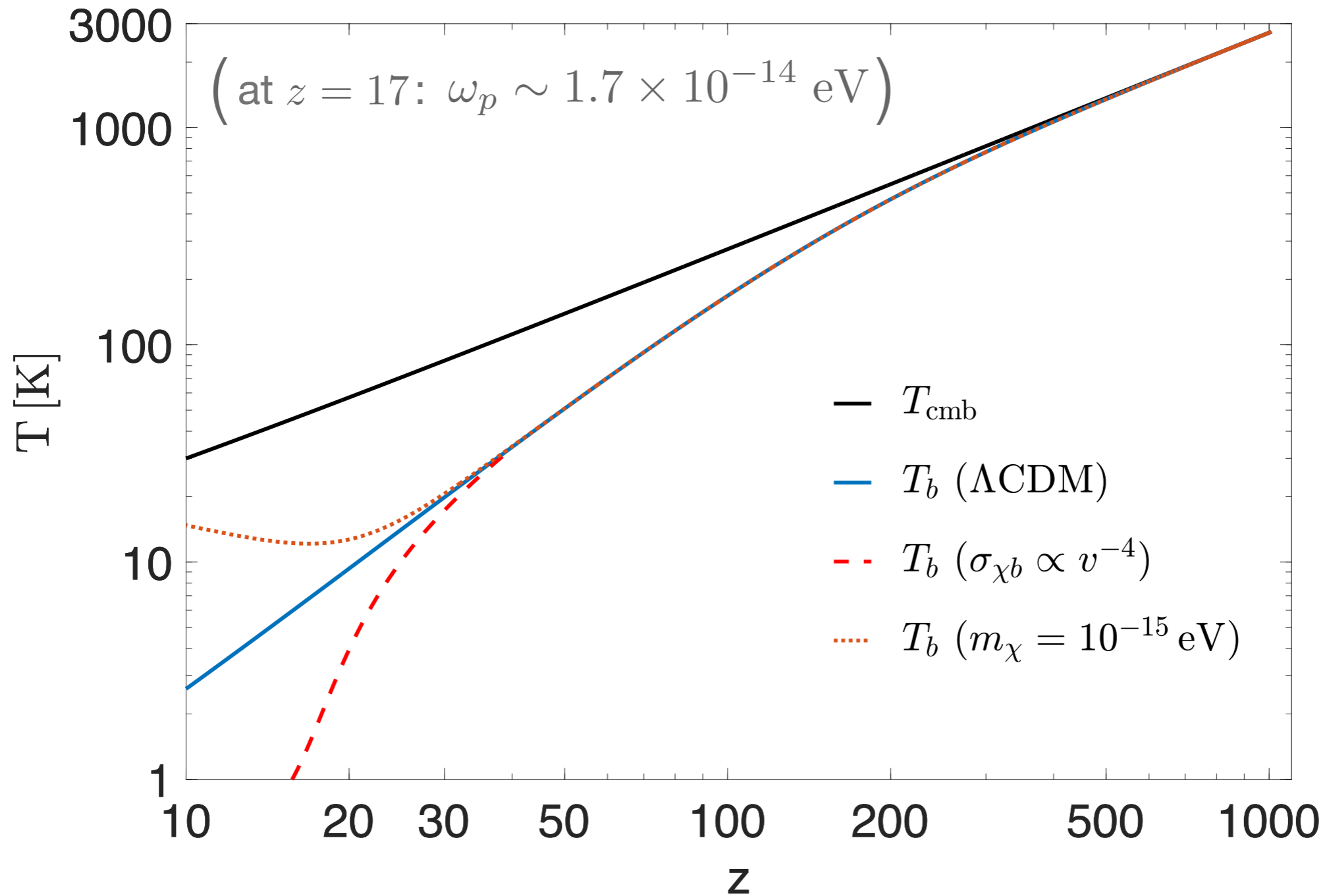


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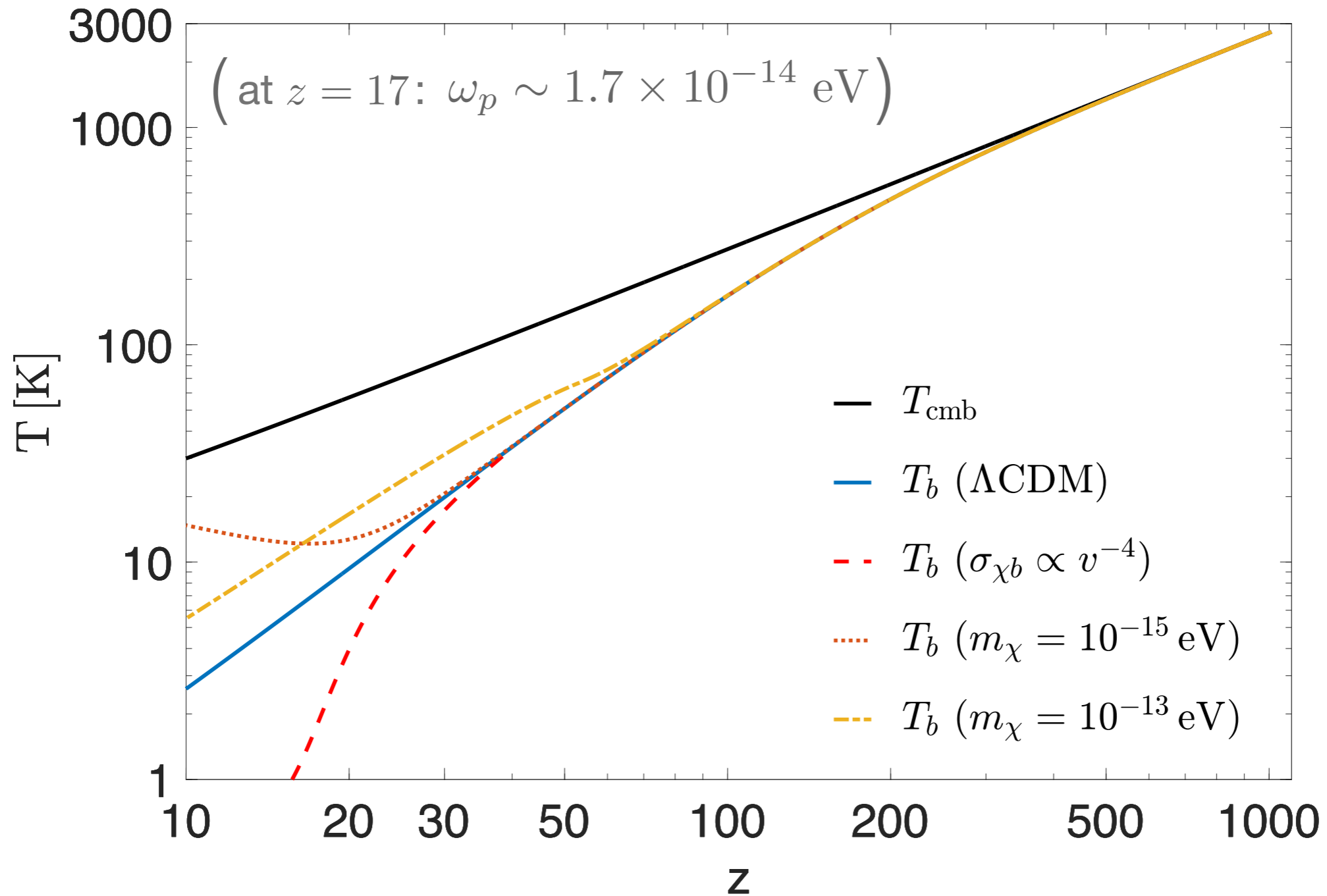


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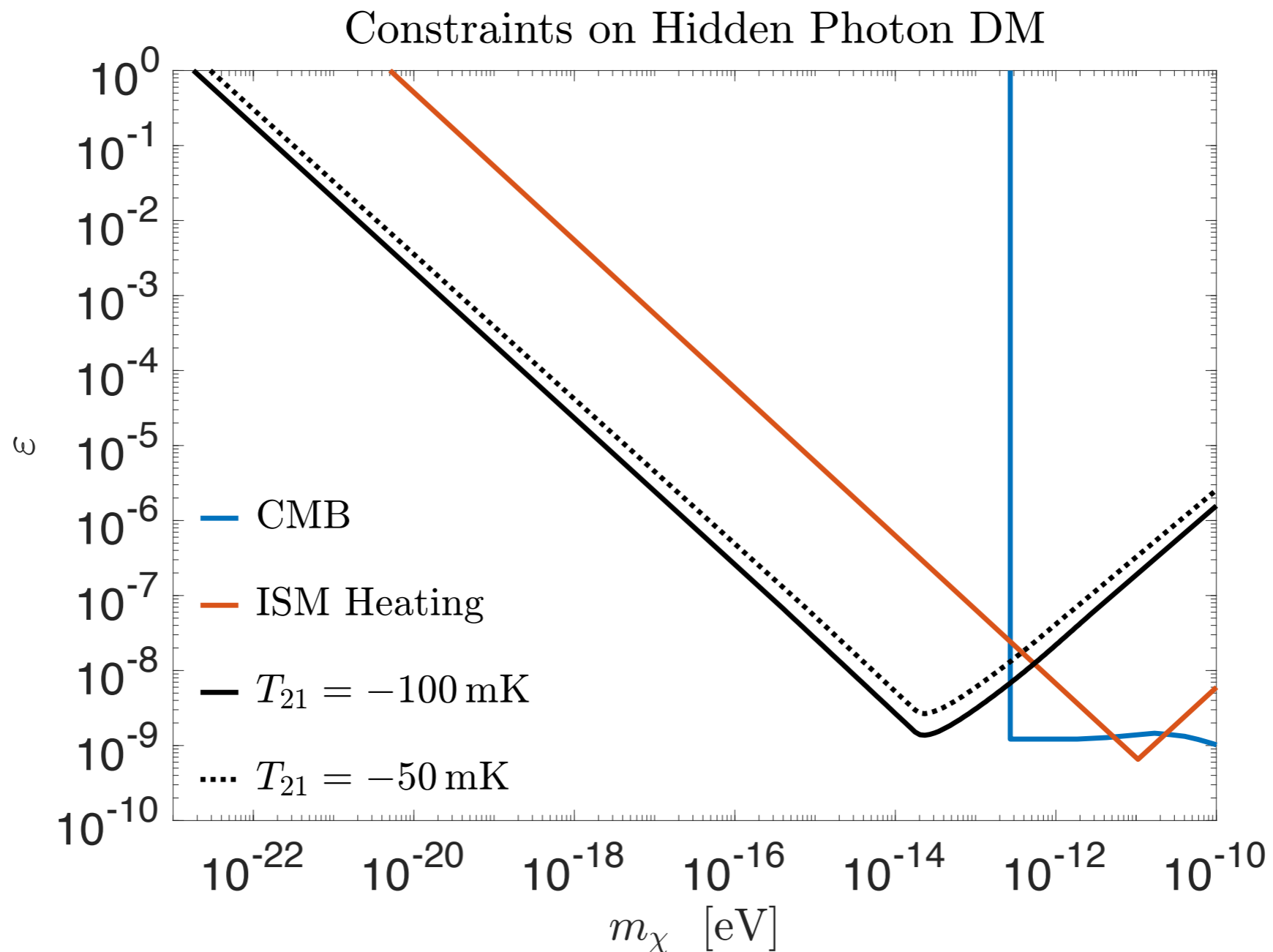
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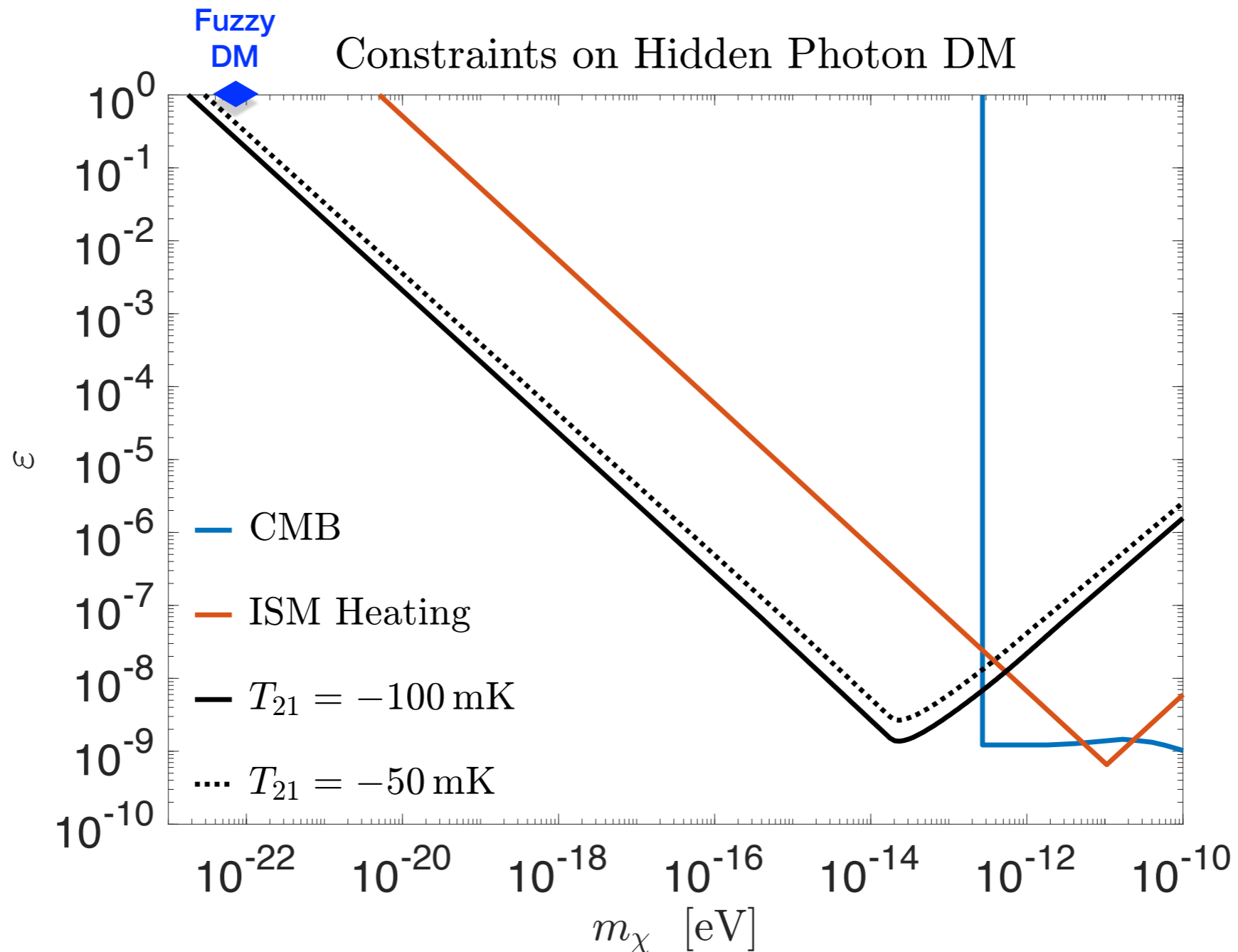


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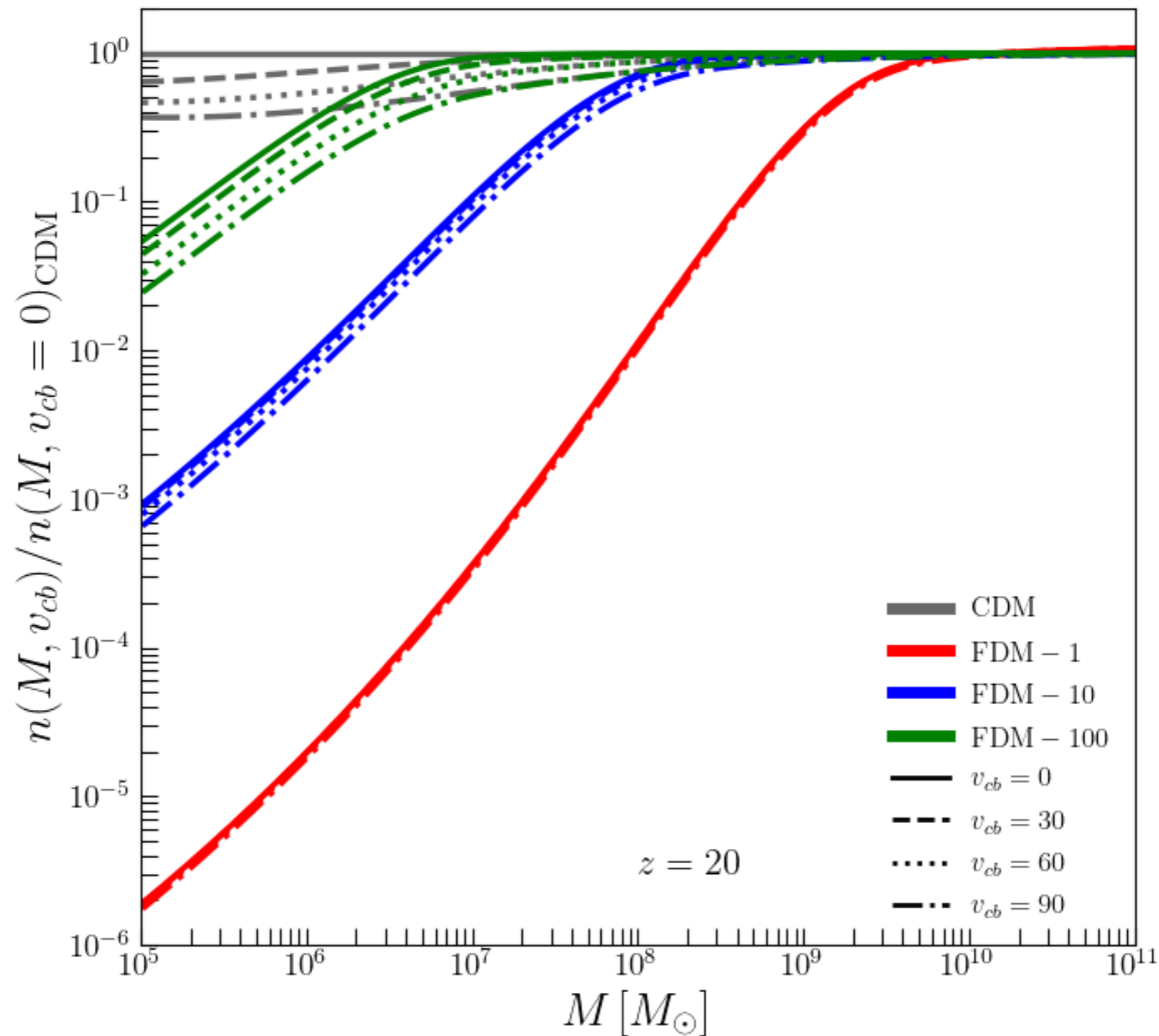
Fuzzy Dark Matter: Small-Scale Suppression

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Suppresses the power spectrum of initial density fluctuations and delays Cosmic Dawn:

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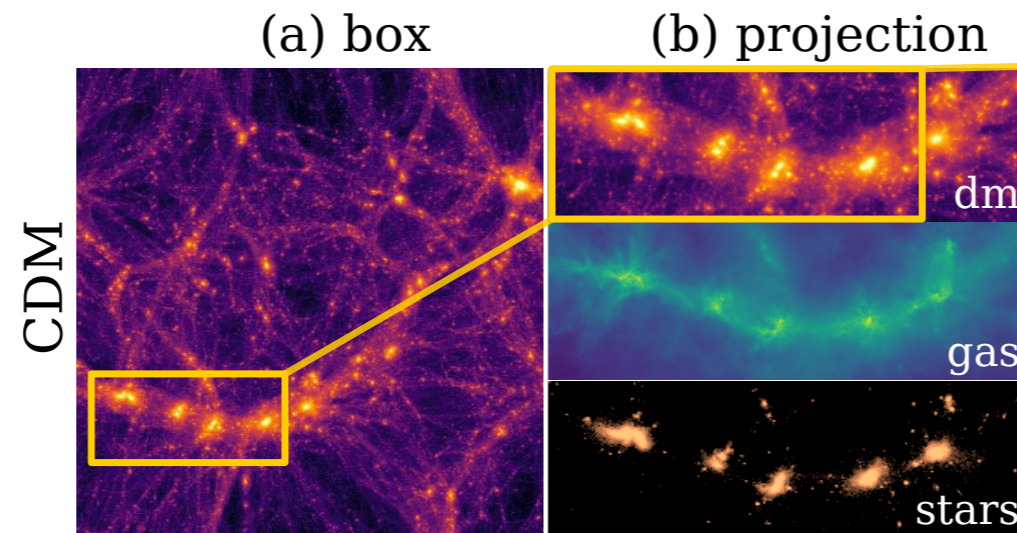
Sarkar and EDK, in progress

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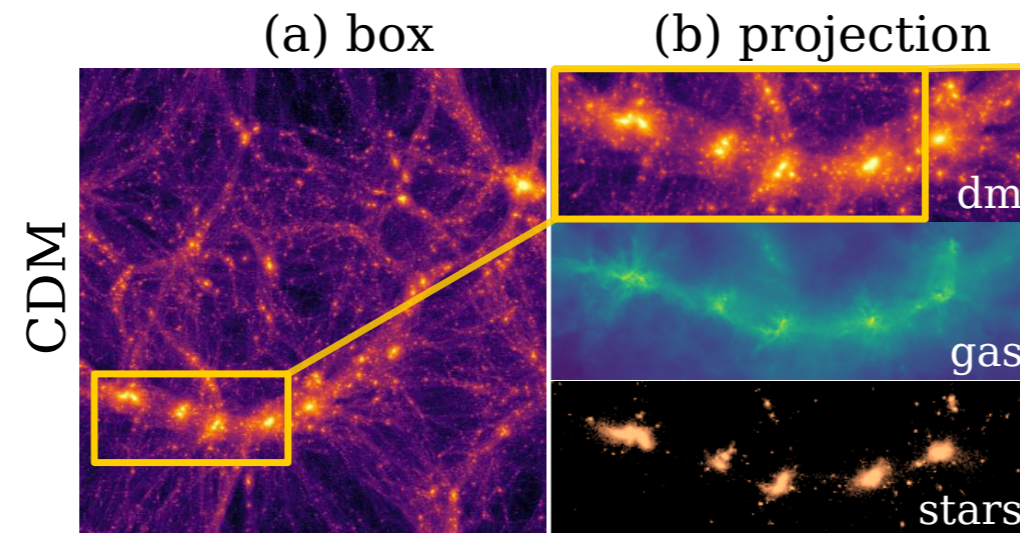
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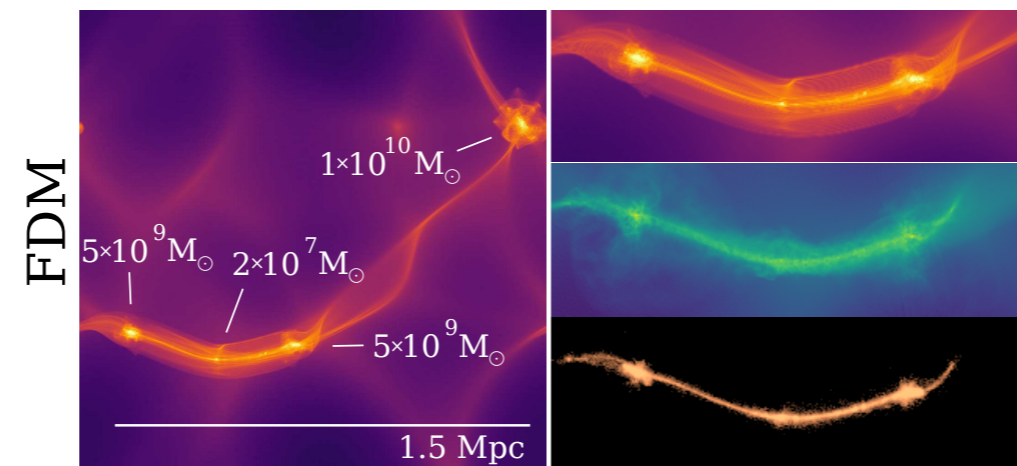
Mocz, Fialkov et al., PRL 2019

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Effects on 21cm signal:

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Effects on 21cm signal:

- Shifts global signal

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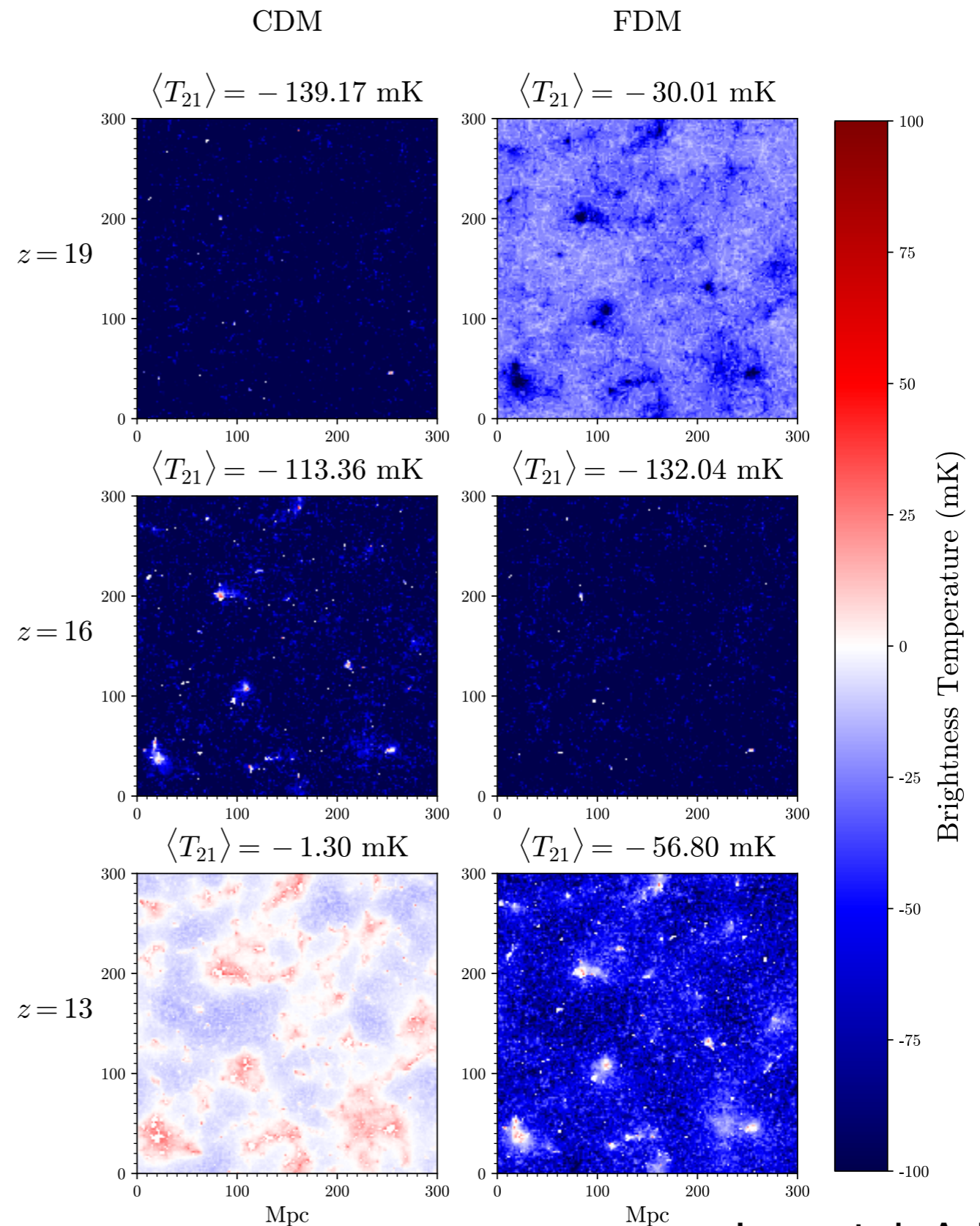
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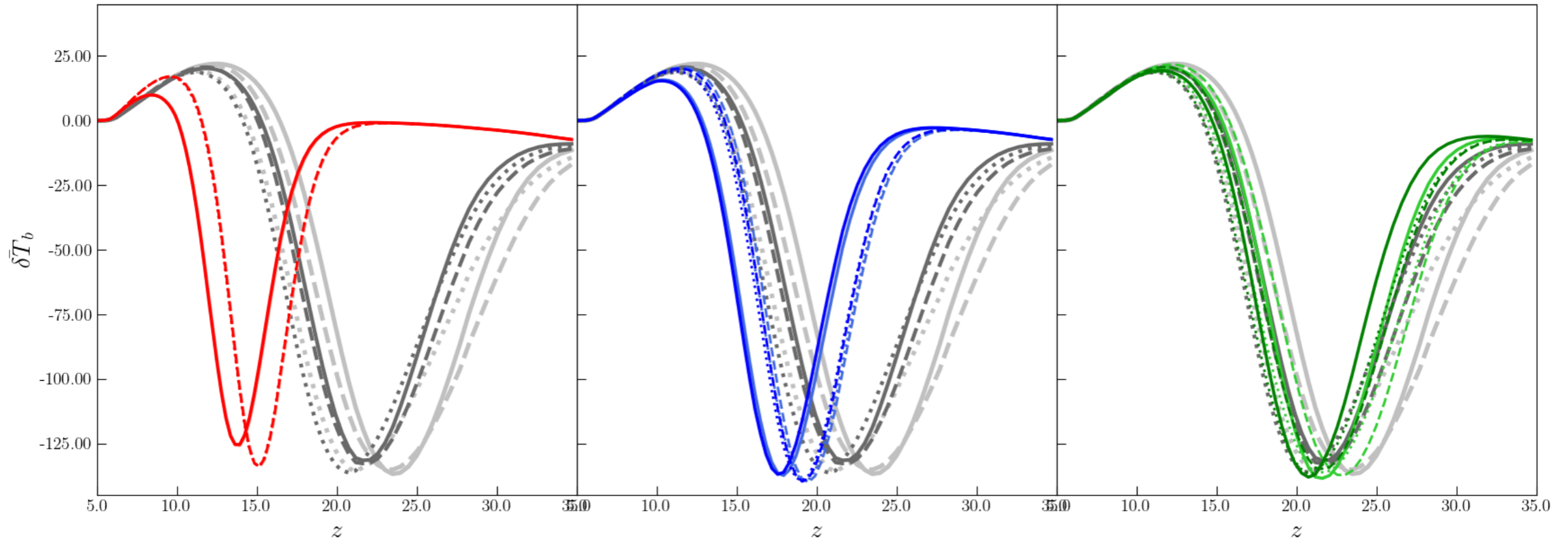
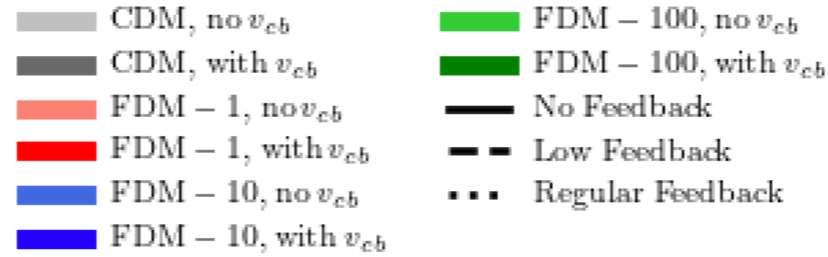
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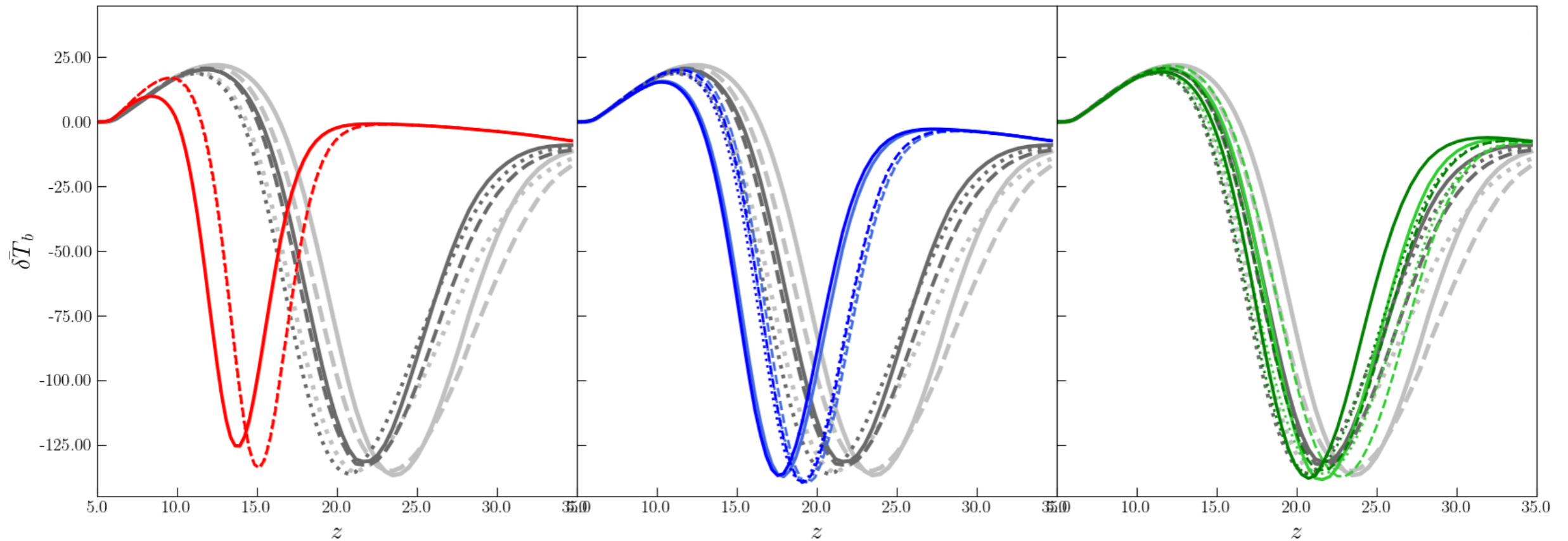
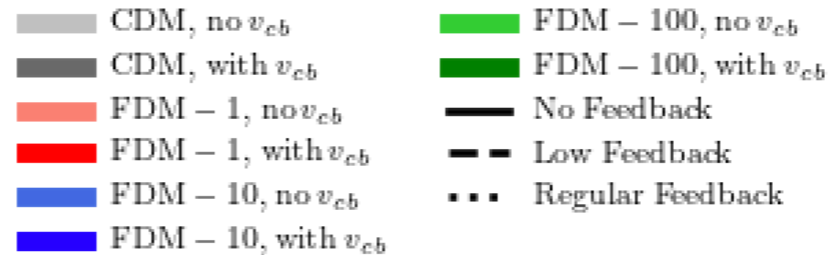


Sarkar and EDK, in progress

Fuzzy Dark Matter: Small-Scale Suppression

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Important to take into account:

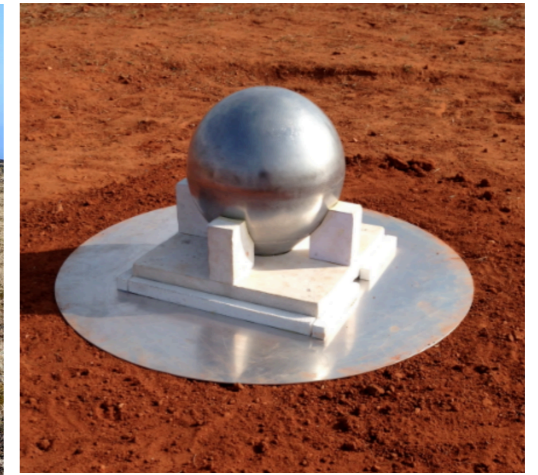
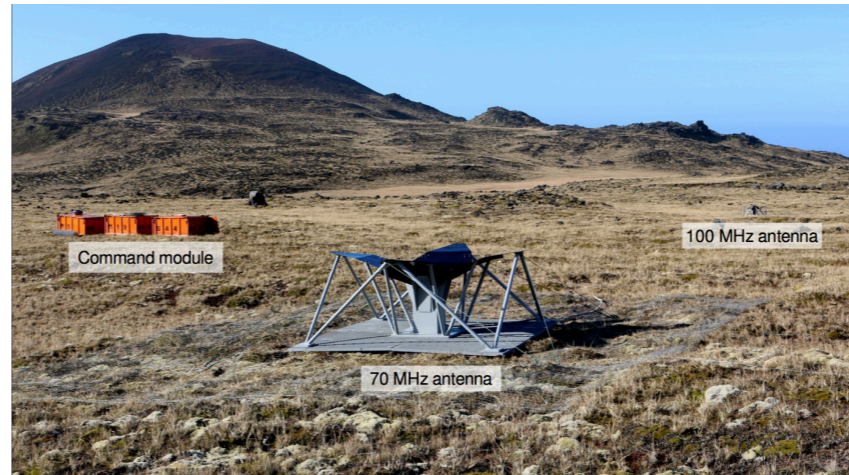
- DM-baryon relative velocities
- Ly α feedback on star formation
- Ly α - and CMB-induced heating
- Astro/Cosmo degeneracies

Sarkar and **EDK**, in progress

Cosmic Dawn 21 cm: Observational Outlook

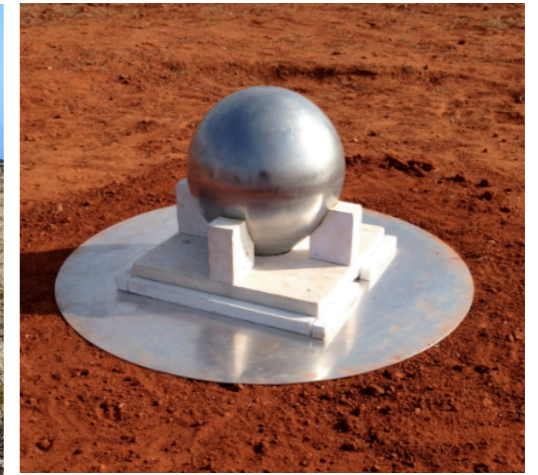
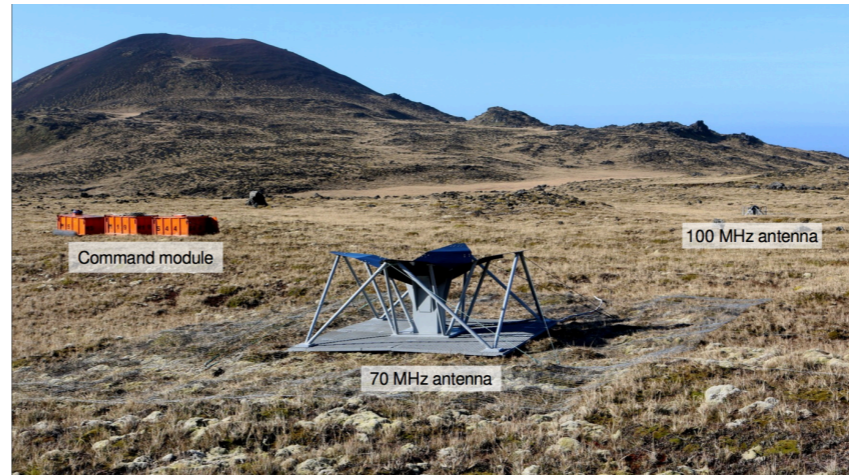
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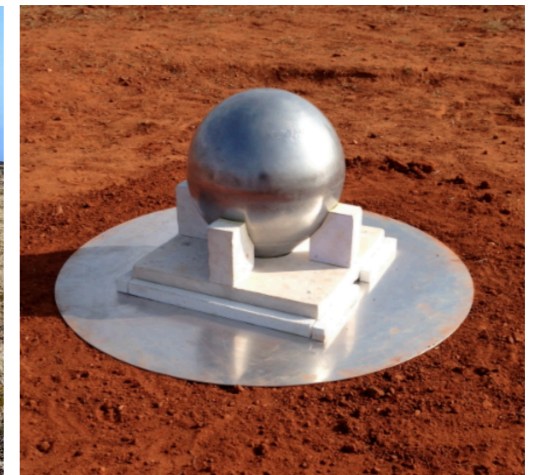
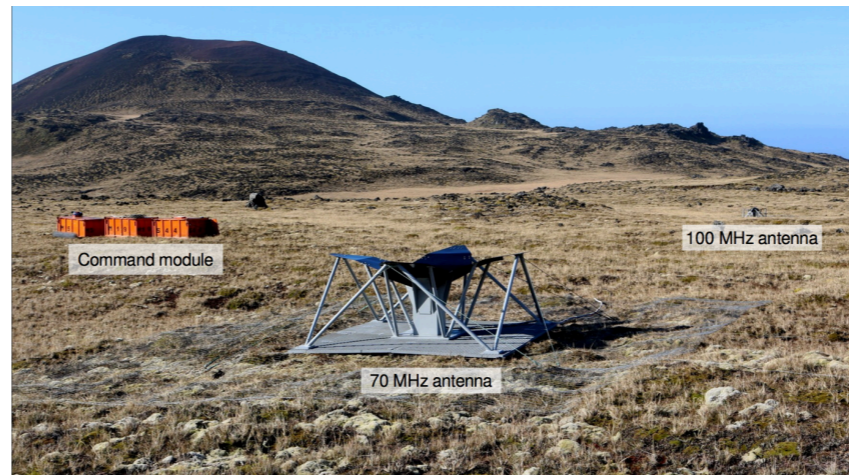
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Earliest results could show up before the end of 2018!

Cosmic Dawn 21 cm: Observational Outlook

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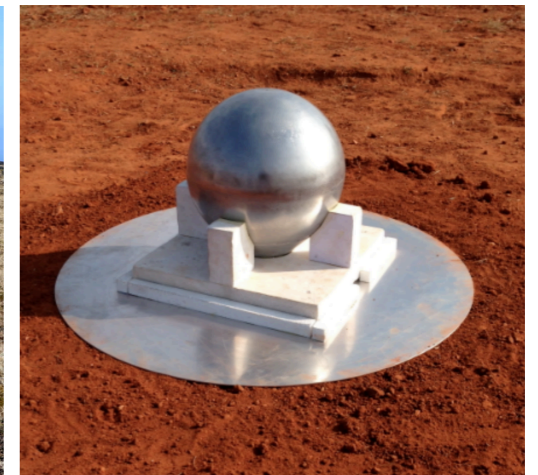
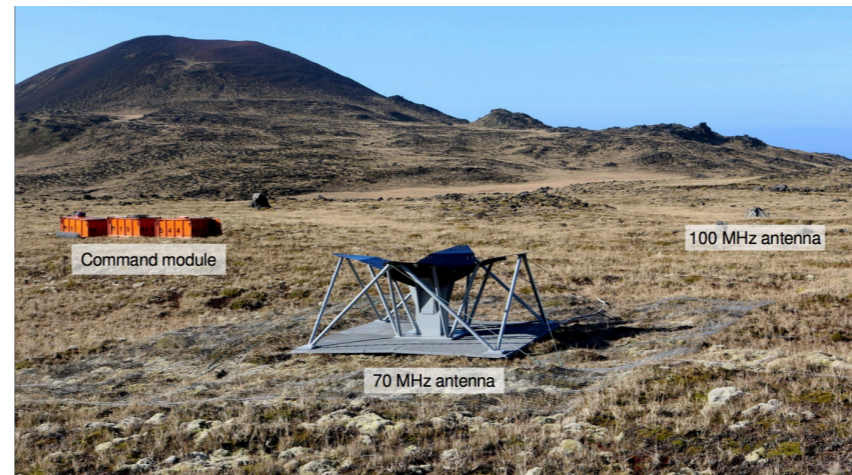
Earliest results could show up before the end of 2018!

- 21 power spectrum: HERA, SKA....



Cosmic Dawn 21 cm: Observational Outlook

- 21cm global signal: LEDA, PRIZM, SARAS2...



Earliest results could show up before the end of 2018!

- 21 power spectrum: HERA, SKA....



If EDGES is correct, power spectrum signal should be x10 higher than expected.

Case Study 2: The “Hubble Tension”

2

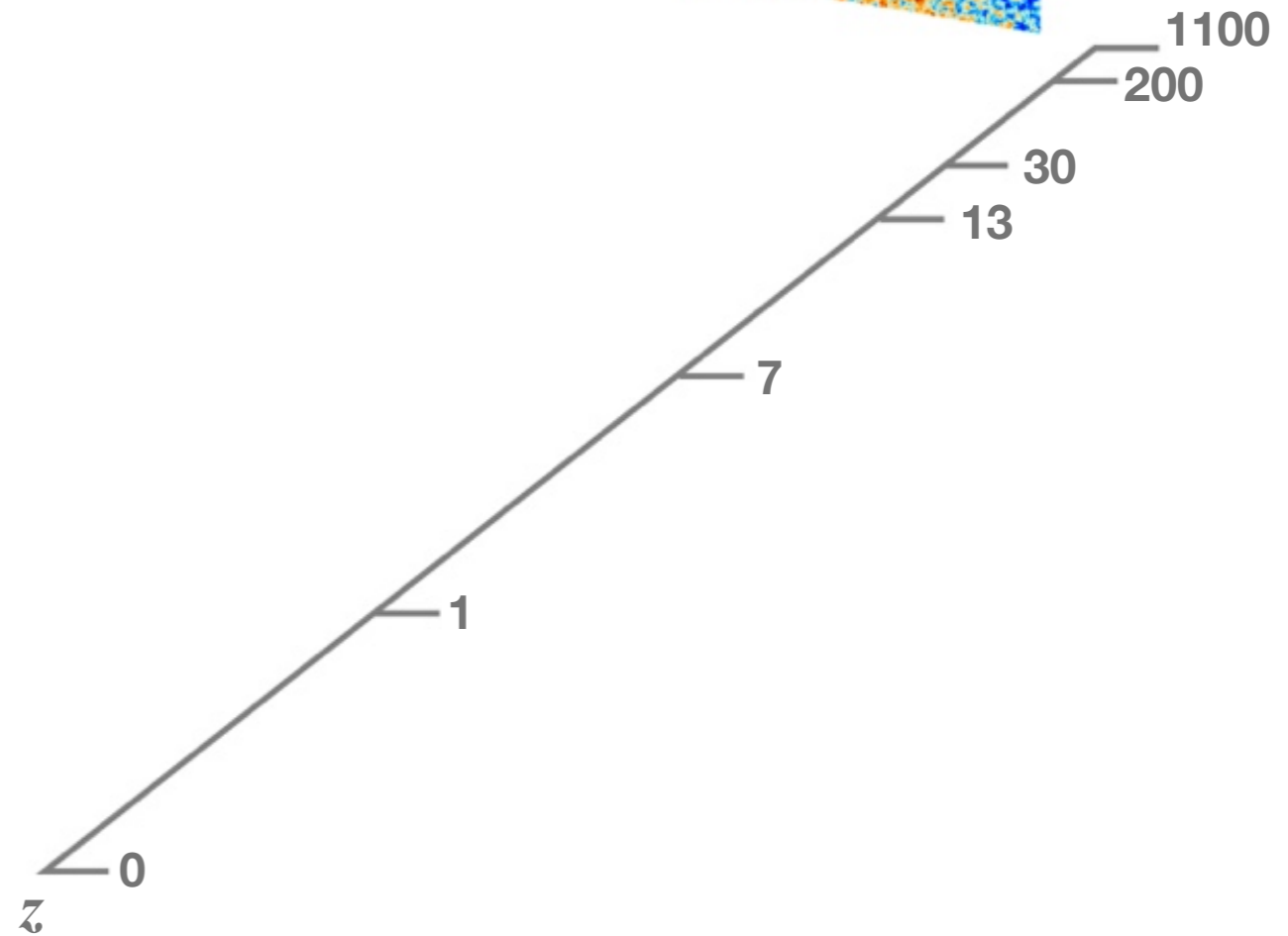
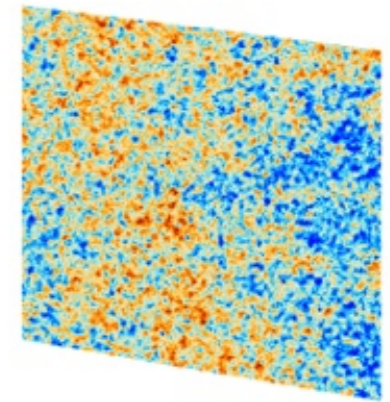
What makes up
dark energy?

Case Study 2: The “Hubble Tension”

2

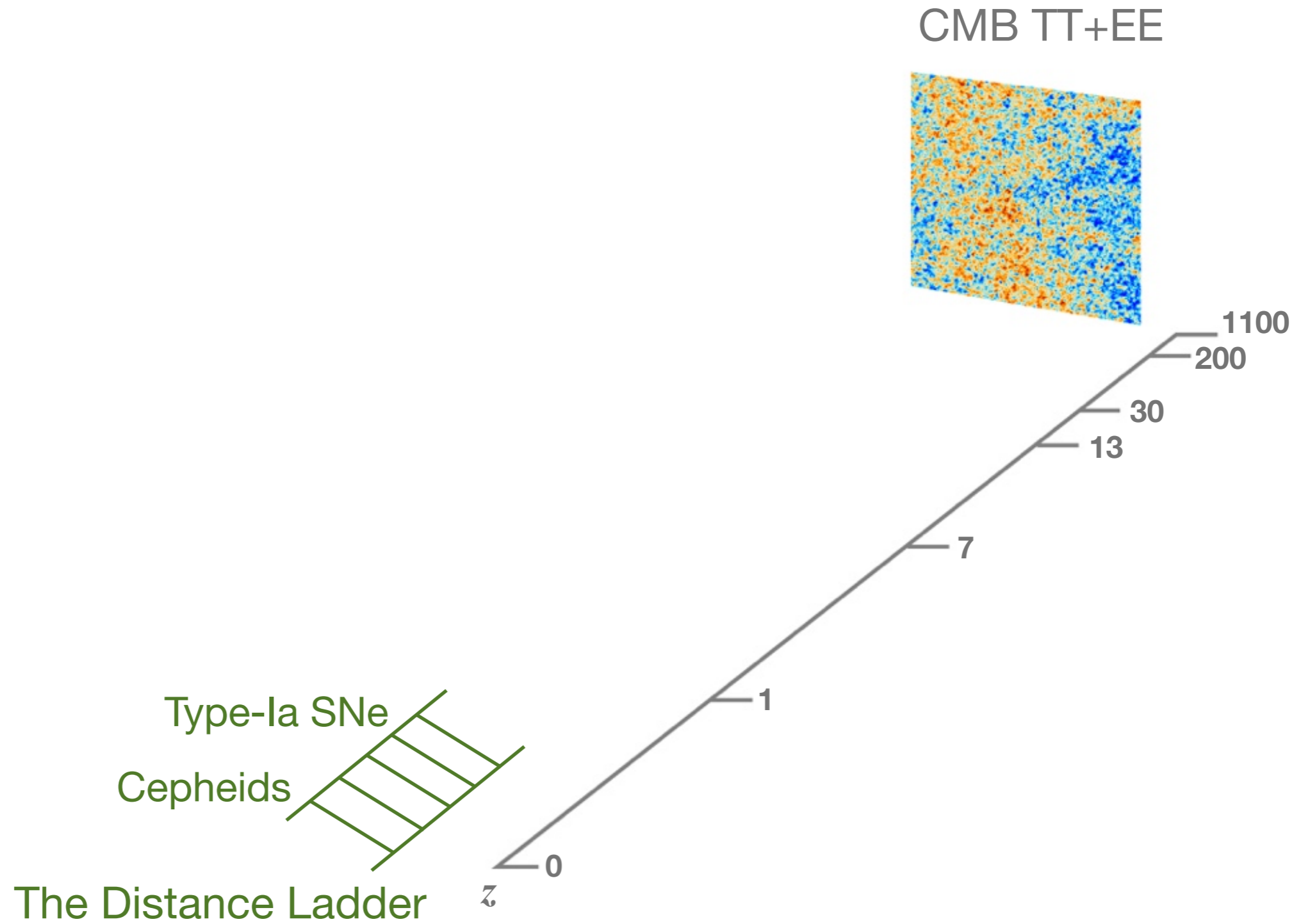
What makes up *dark energy*?

CMB TT+EE



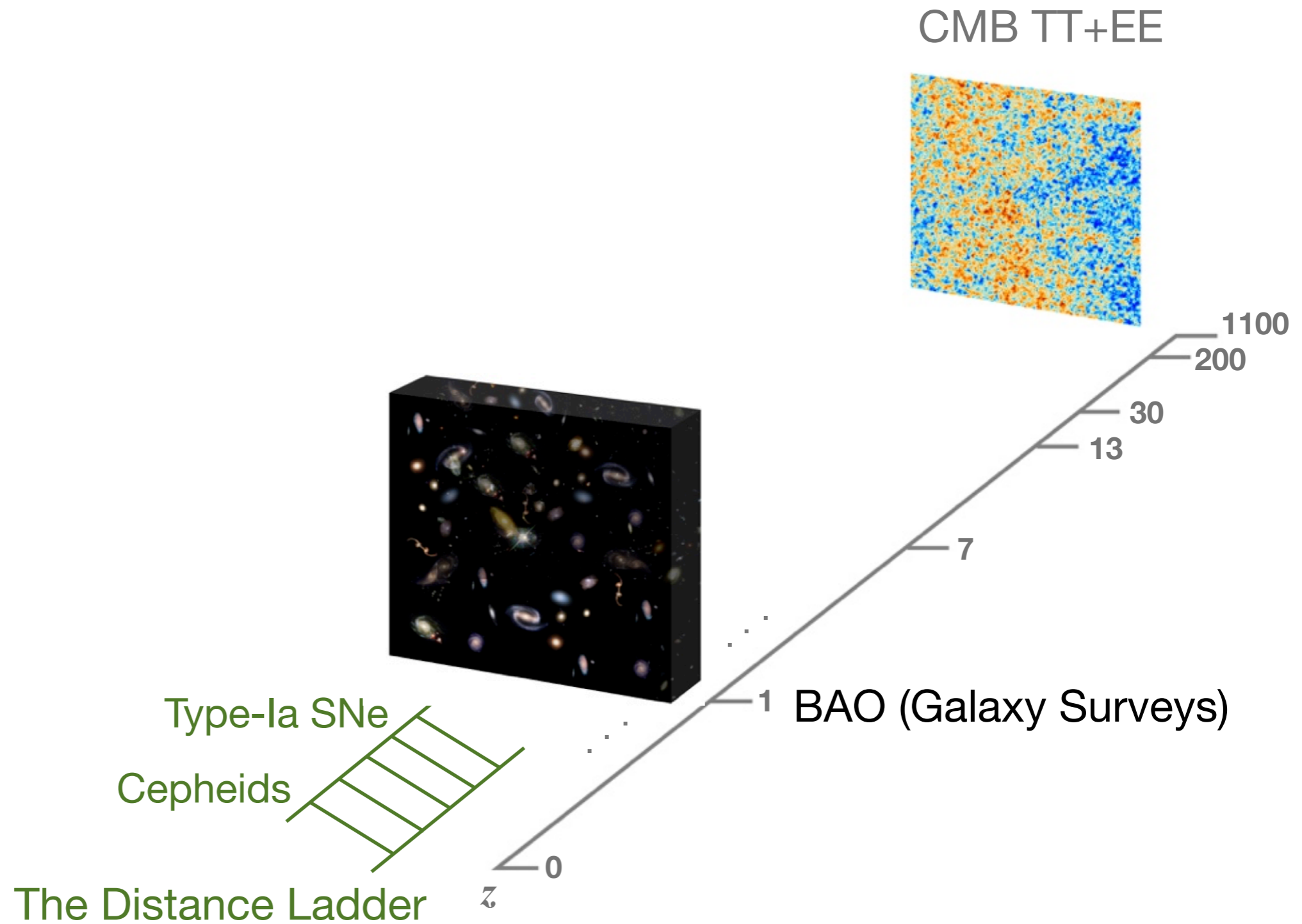
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2
What makes up *dark energy*?



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What makes up *dark energy*?



Case Study 2: The “Hubble Tension”

nature astronomy

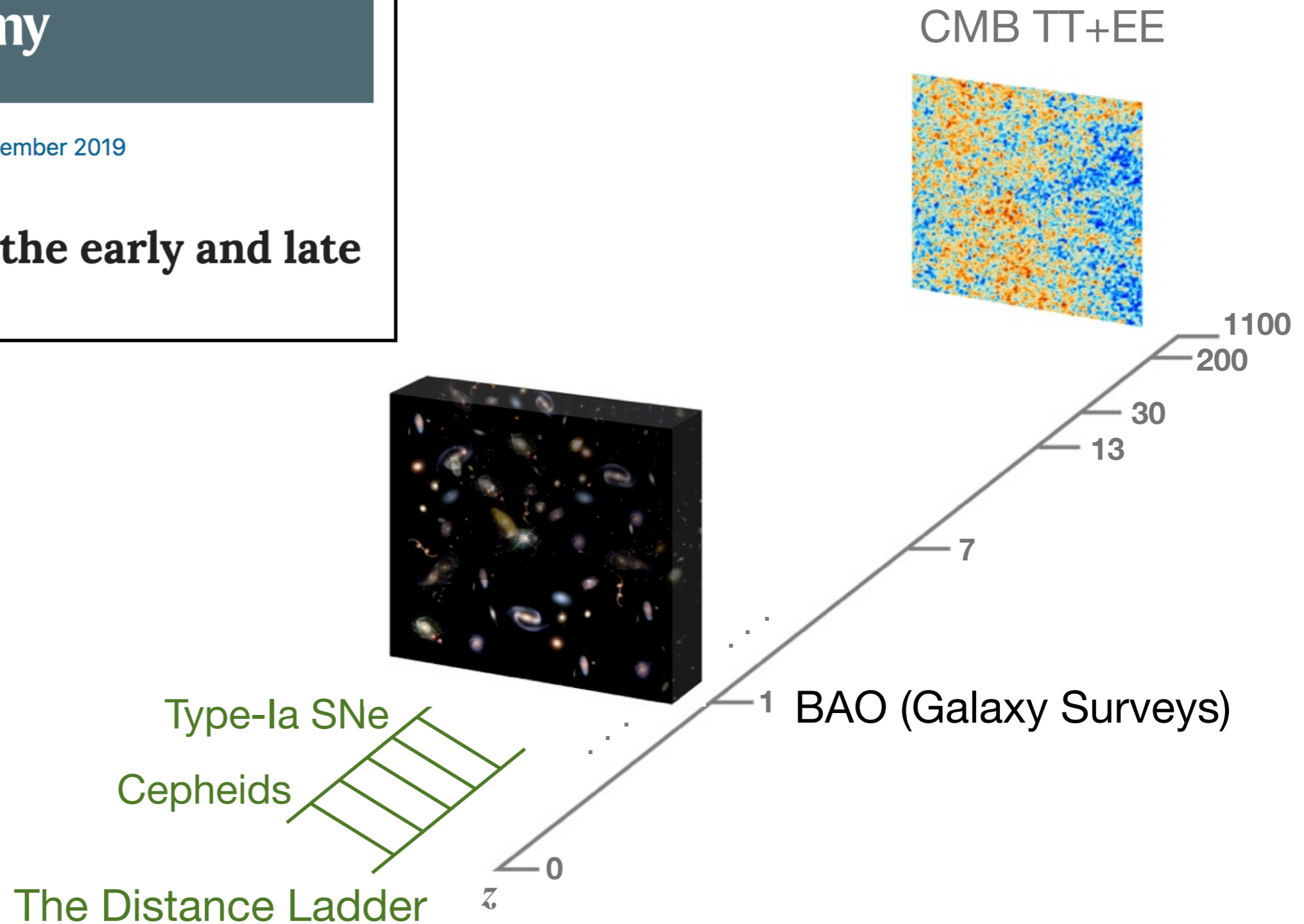
Meeting Report | Published: 27 September 2019

COSMOLOGY

Tensions between the early and late Universe

2

What makes up *dark energy*?



Almost a Centennial for this Core Question:

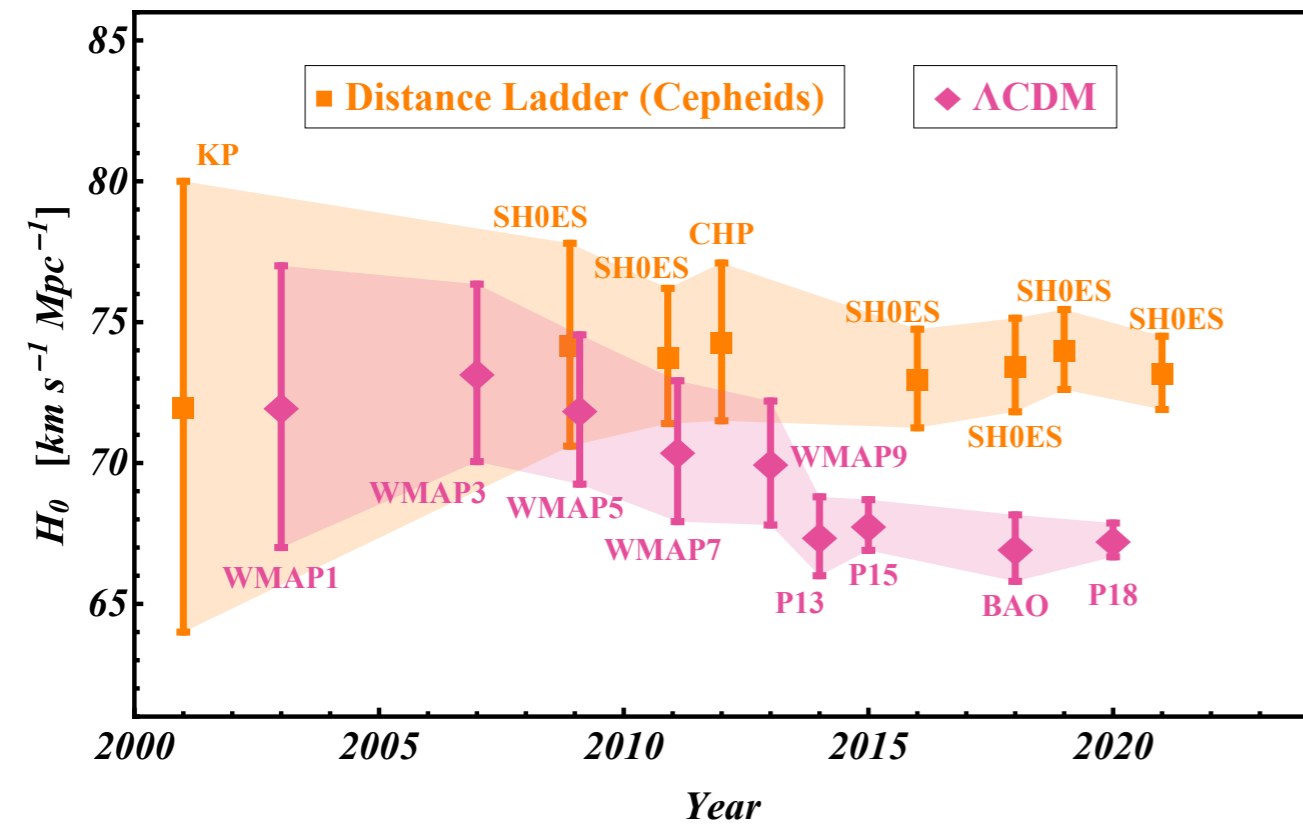
Almost a Centennial for this Core Question:

How fast is the
current expansion
of the Universe?

(what is H_0 ?)

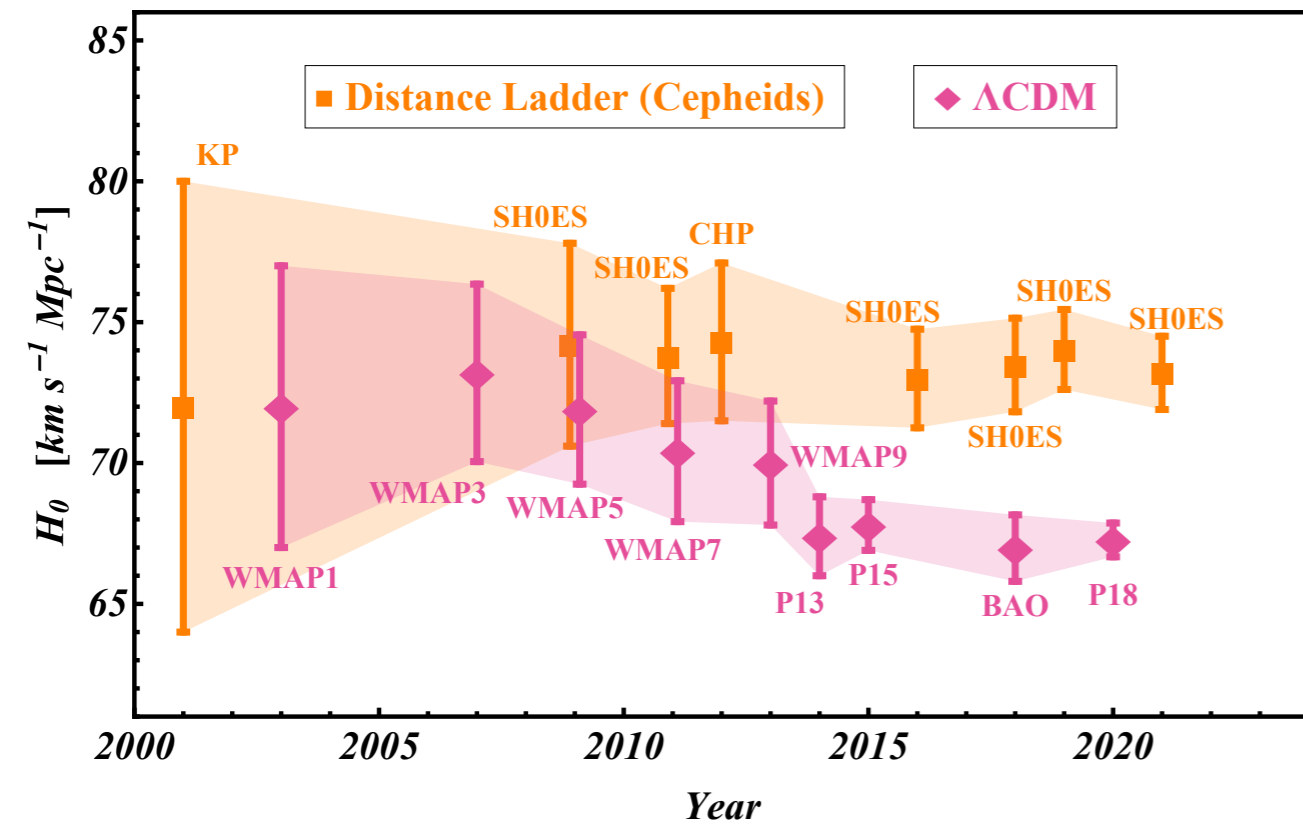
A Growing H0 Tension

Credit: Perivolaropoulos and Skara, 2021

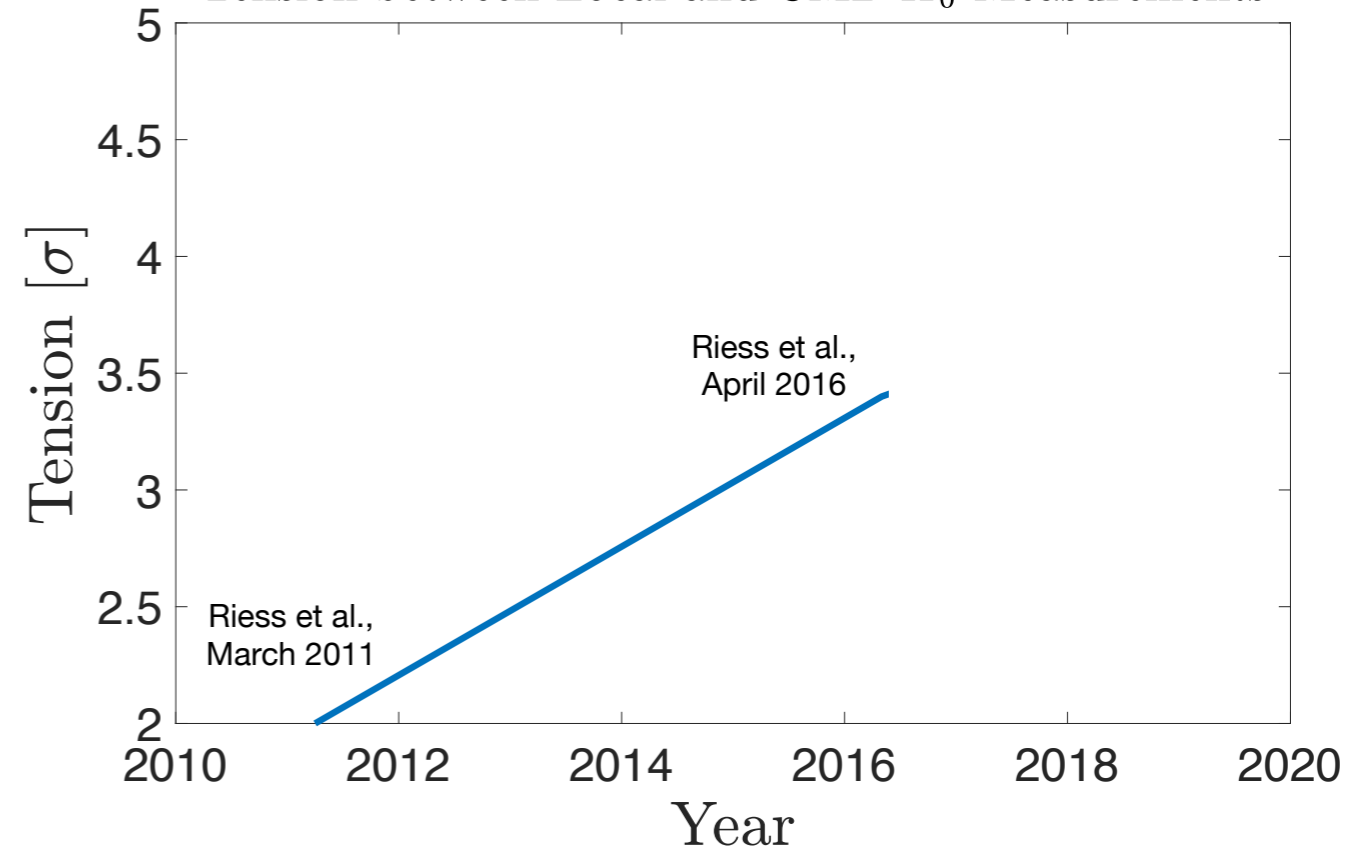


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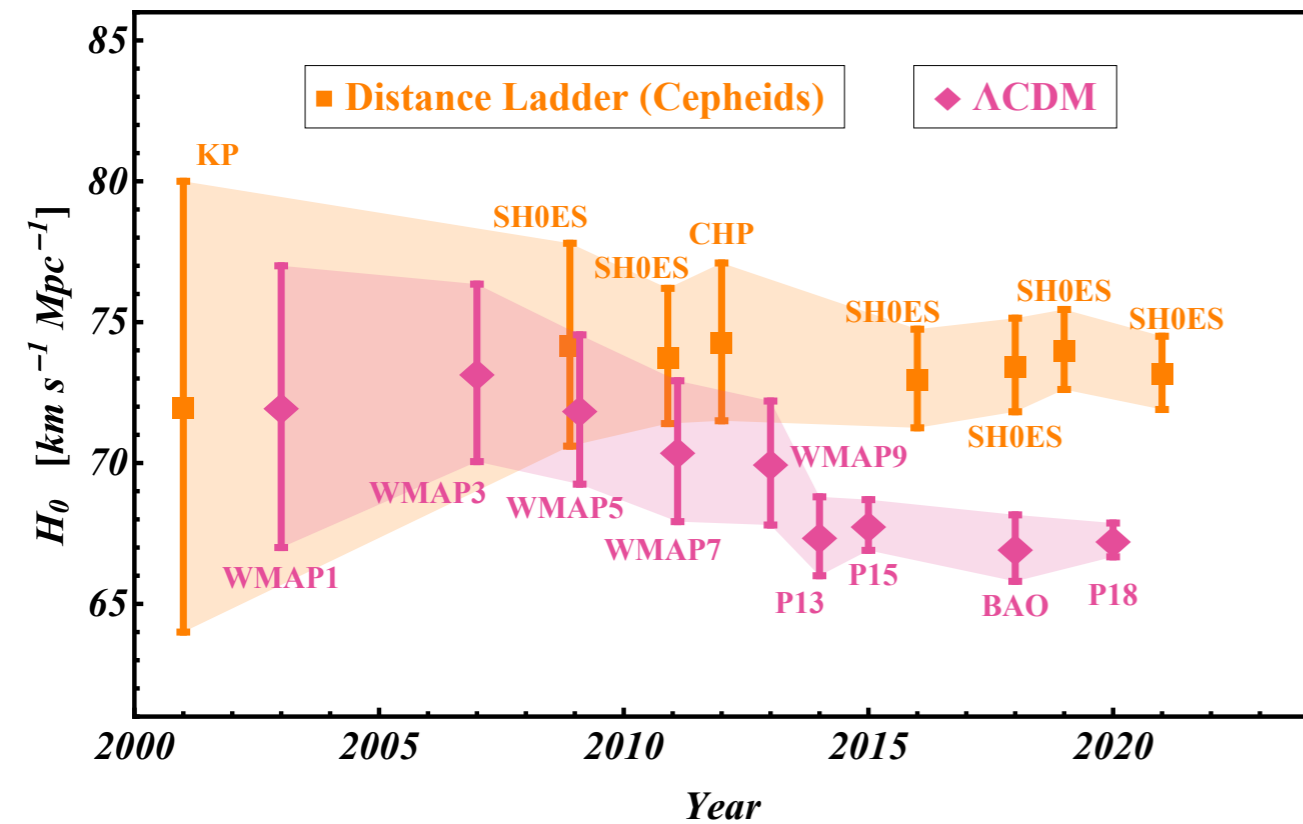


Tension between Local and CMB H_0 Measurements

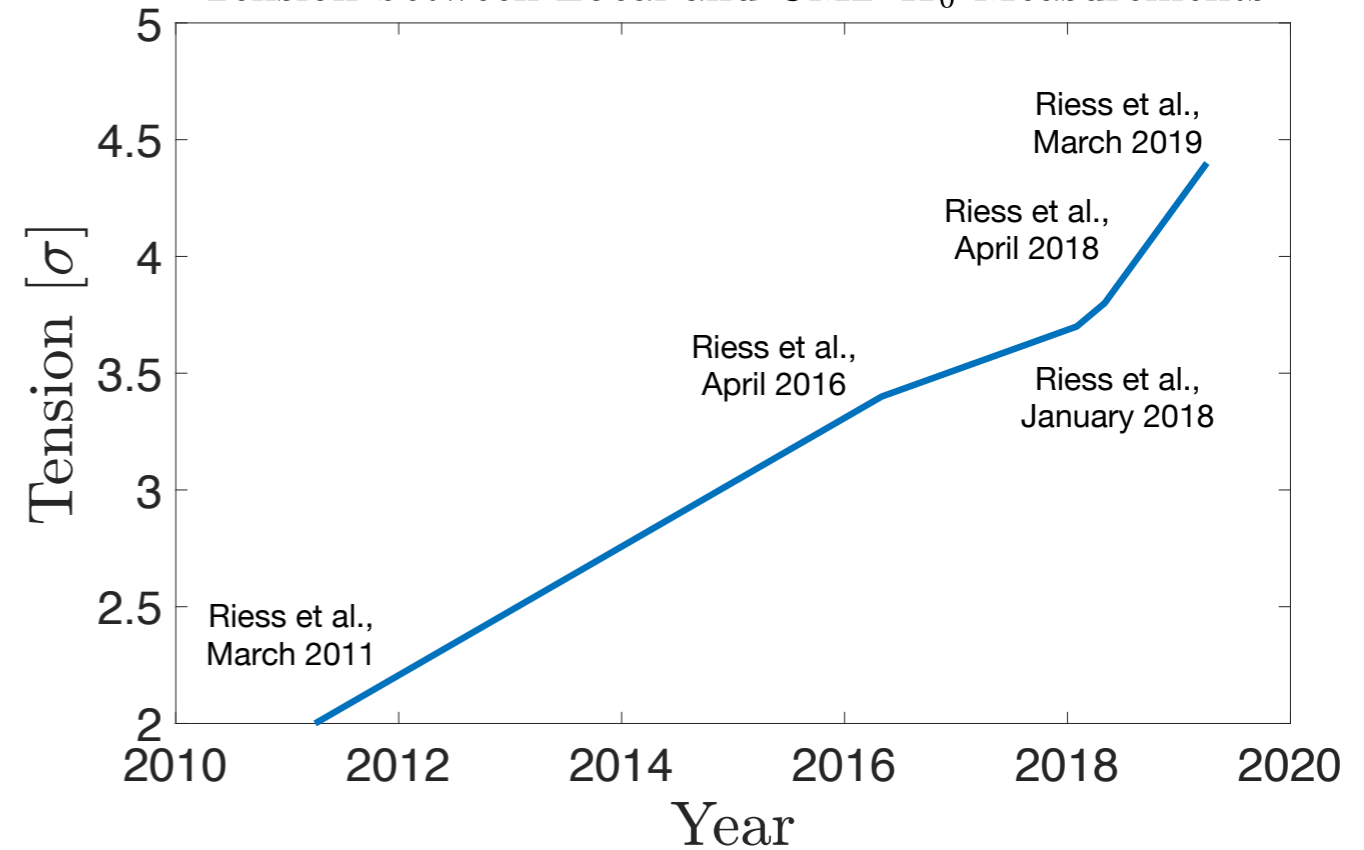


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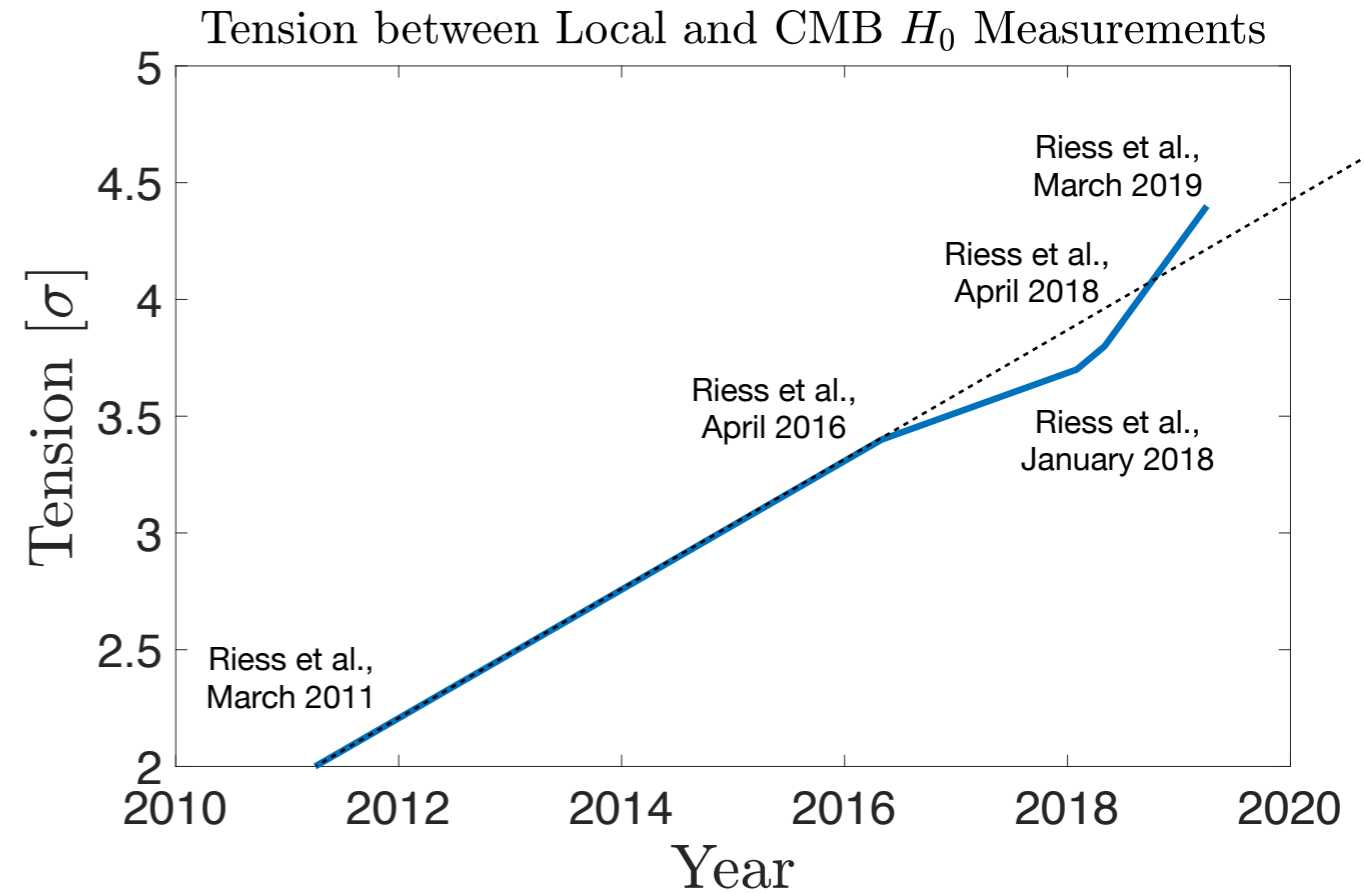
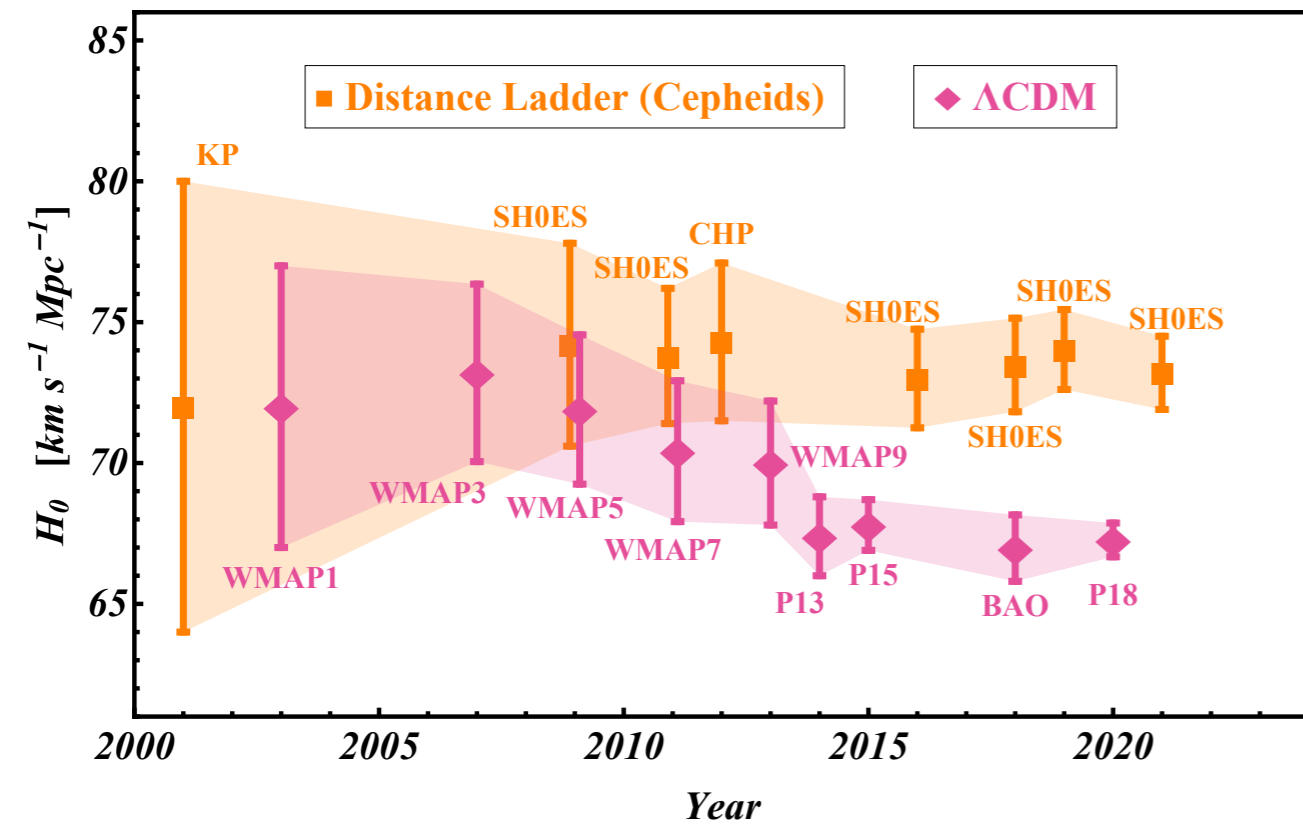


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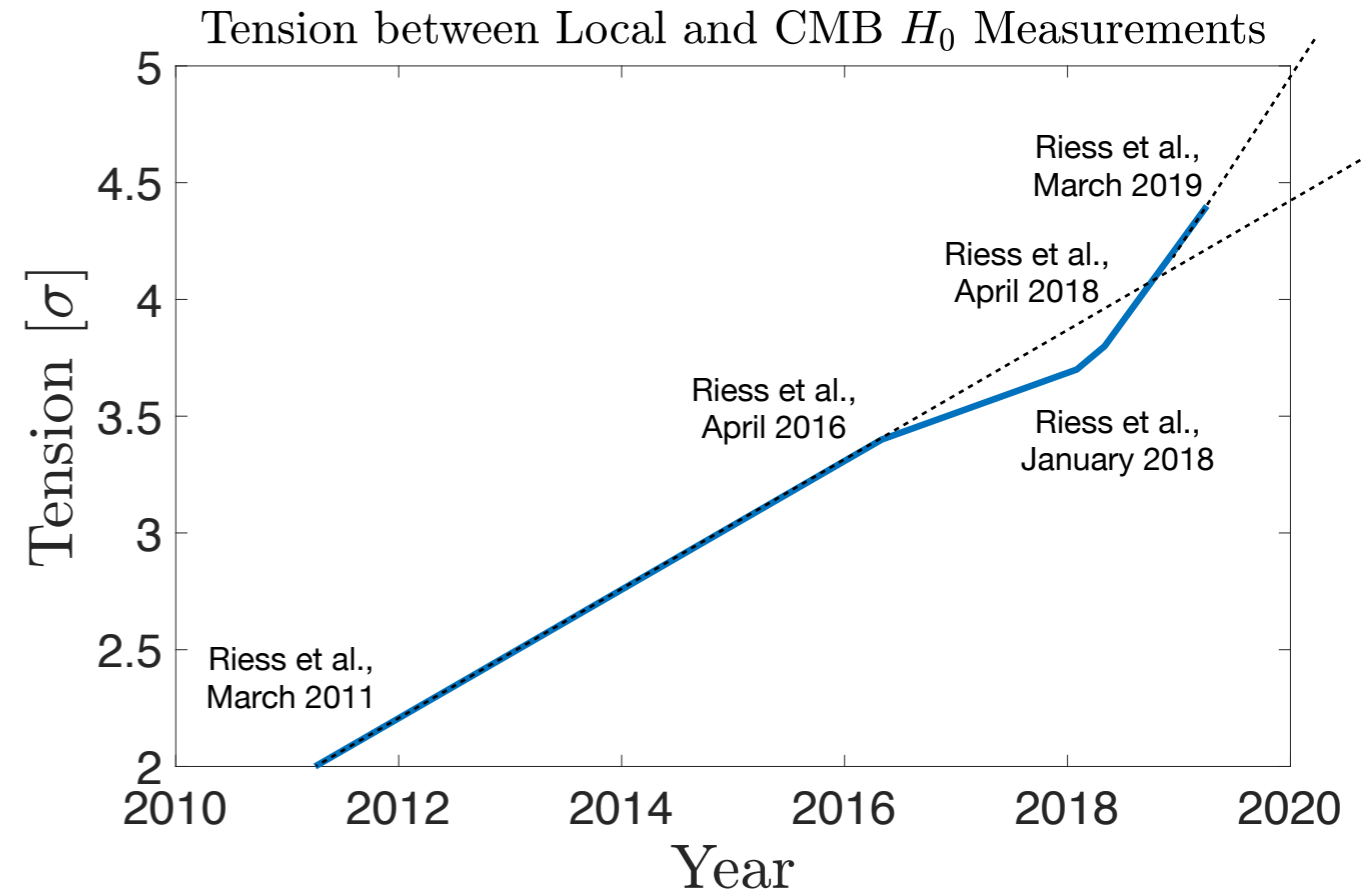
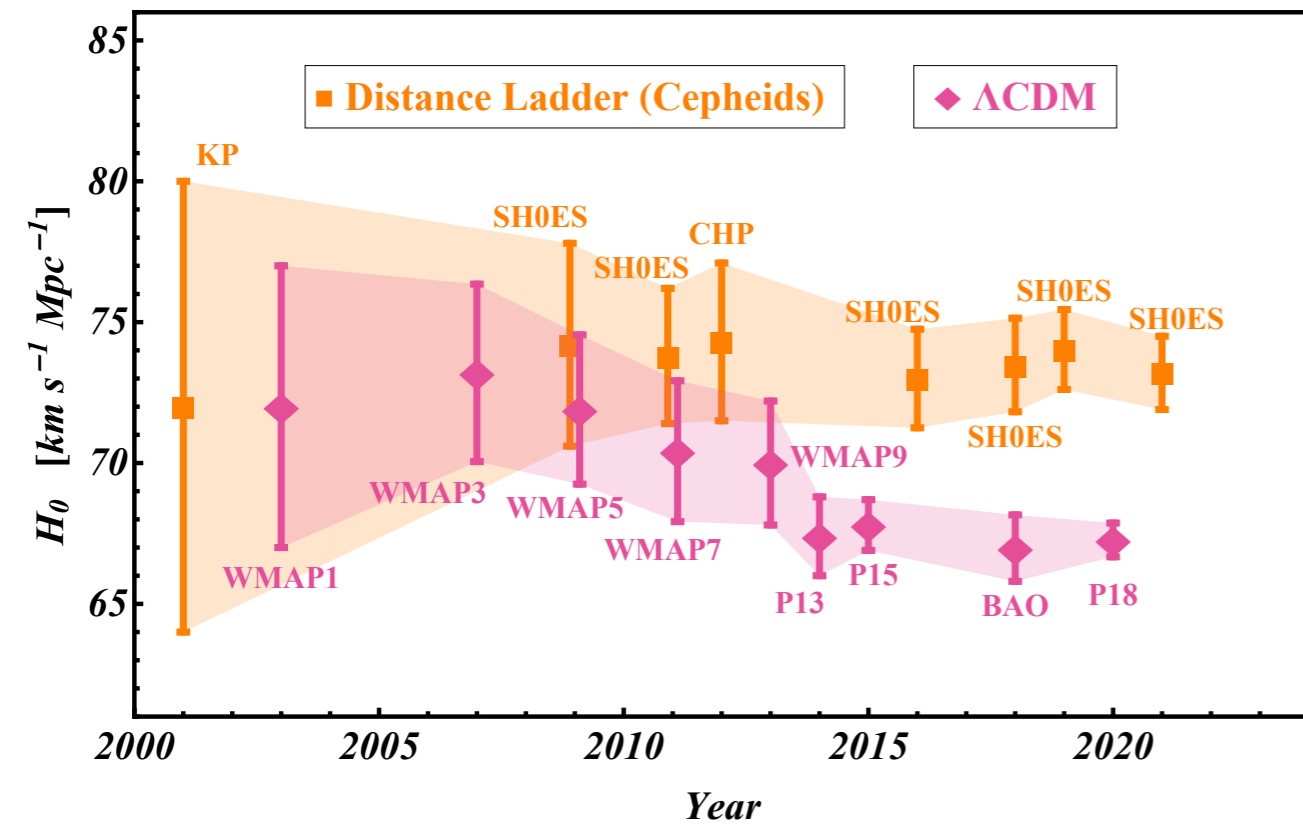
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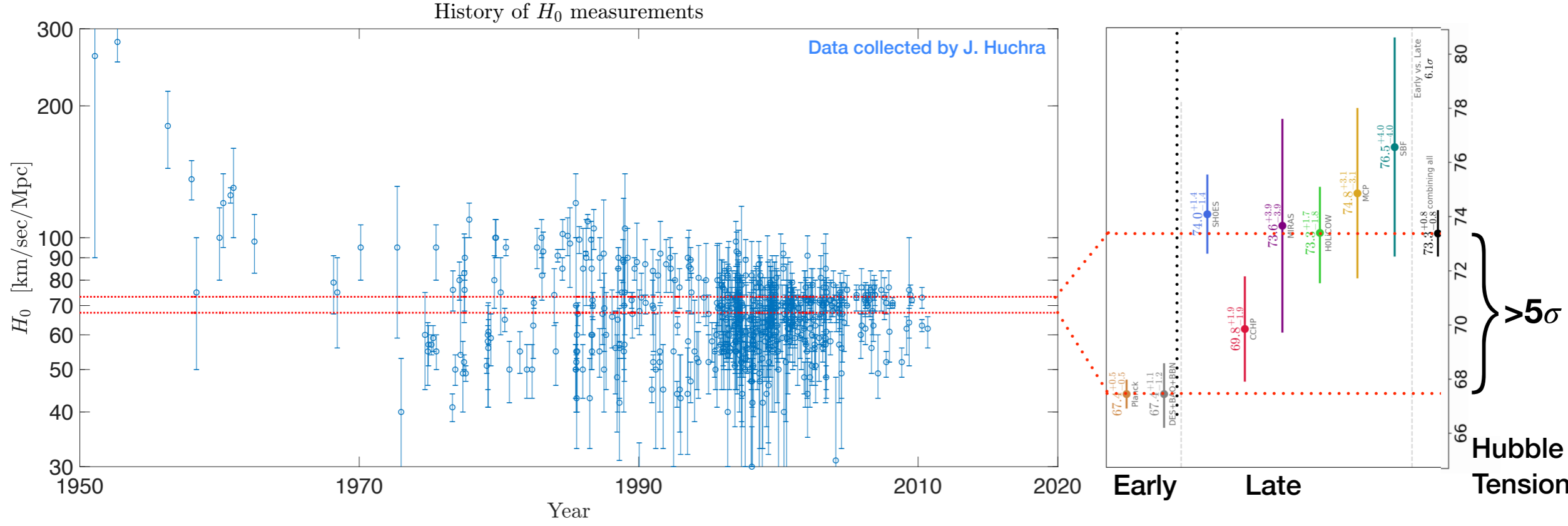


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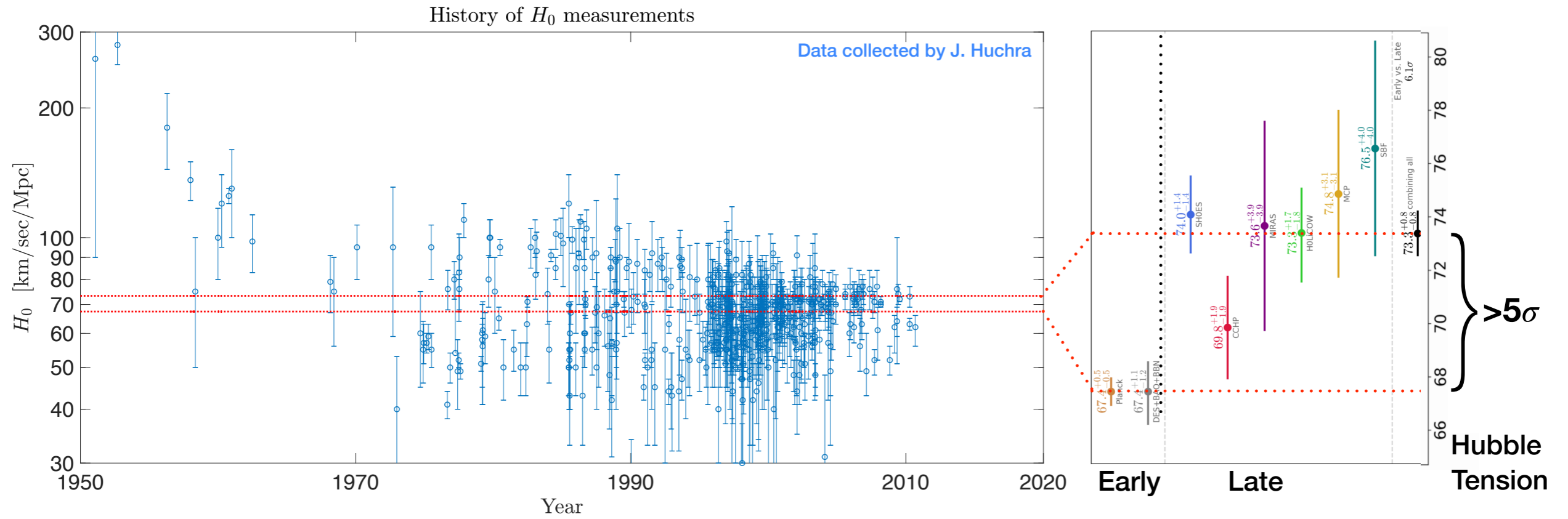
Credit: Perivolaropoulos and Skara, 2021



Prognosis

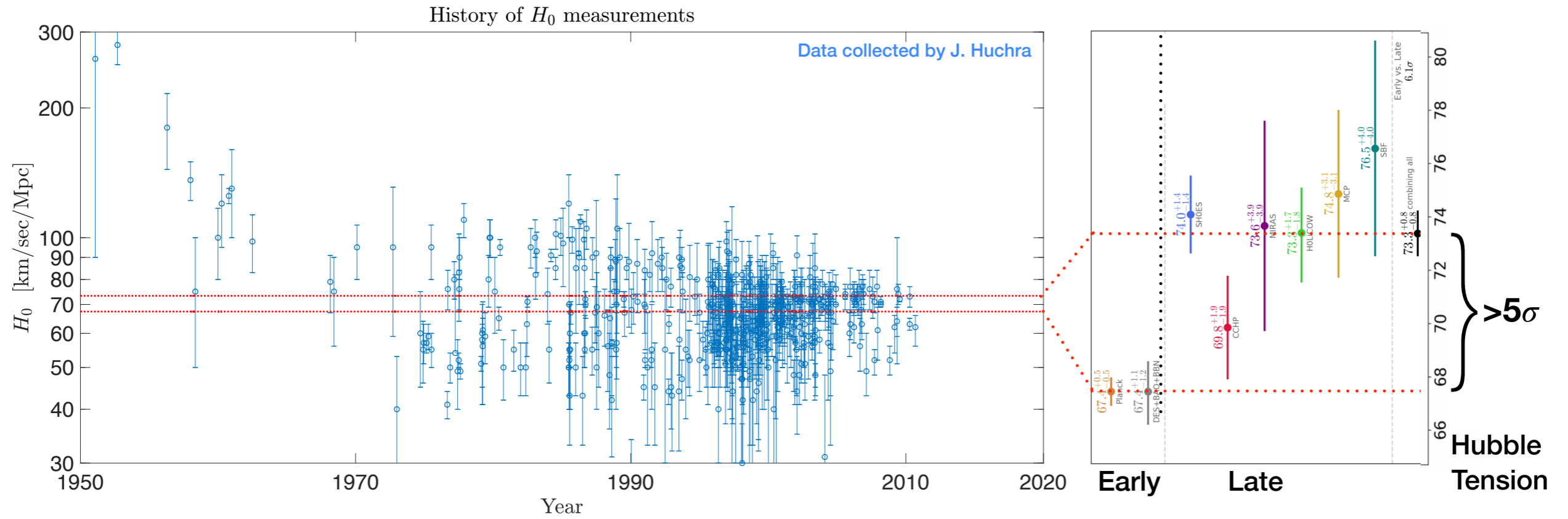


Prognosis

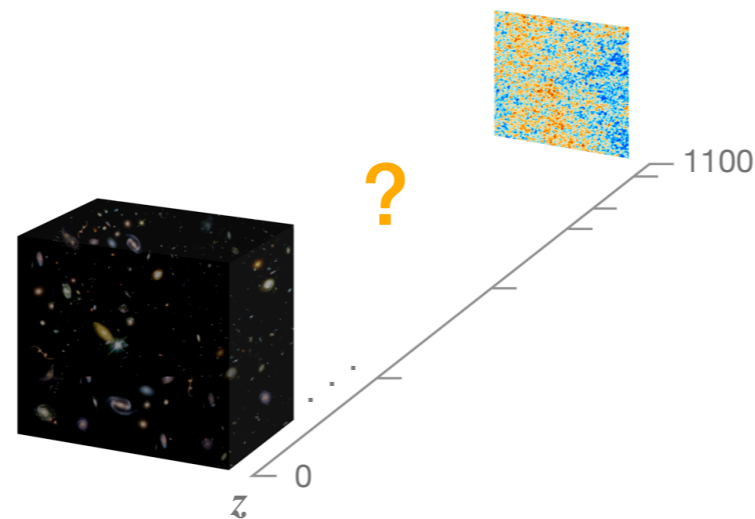


Need new ways to probe this....

Prognosis



Need new ways to probe this....



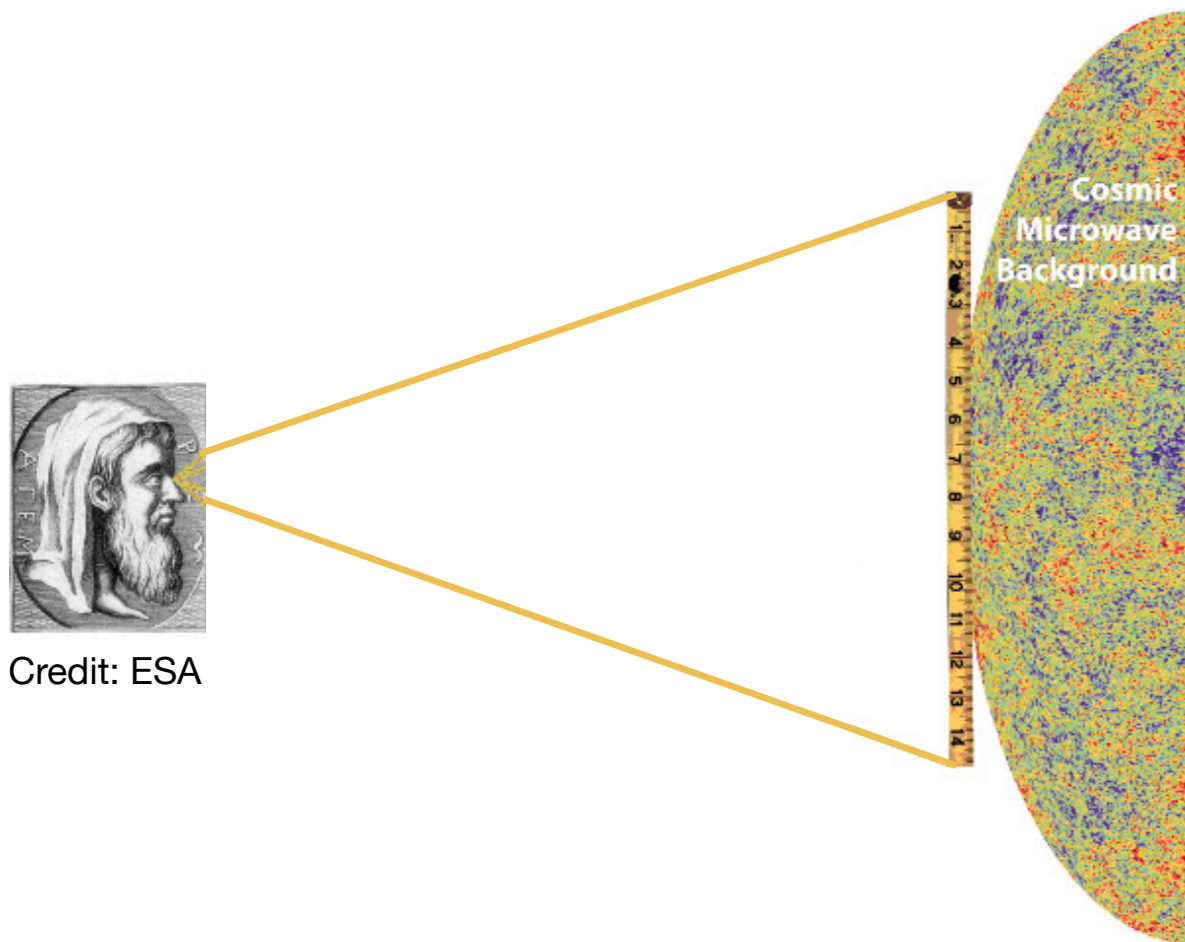
Baryon Acoustic Oscillations: A Standard Ruler

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Rely on a *Standard Ruler* which is imprinted onto CMB and large-scale structure:

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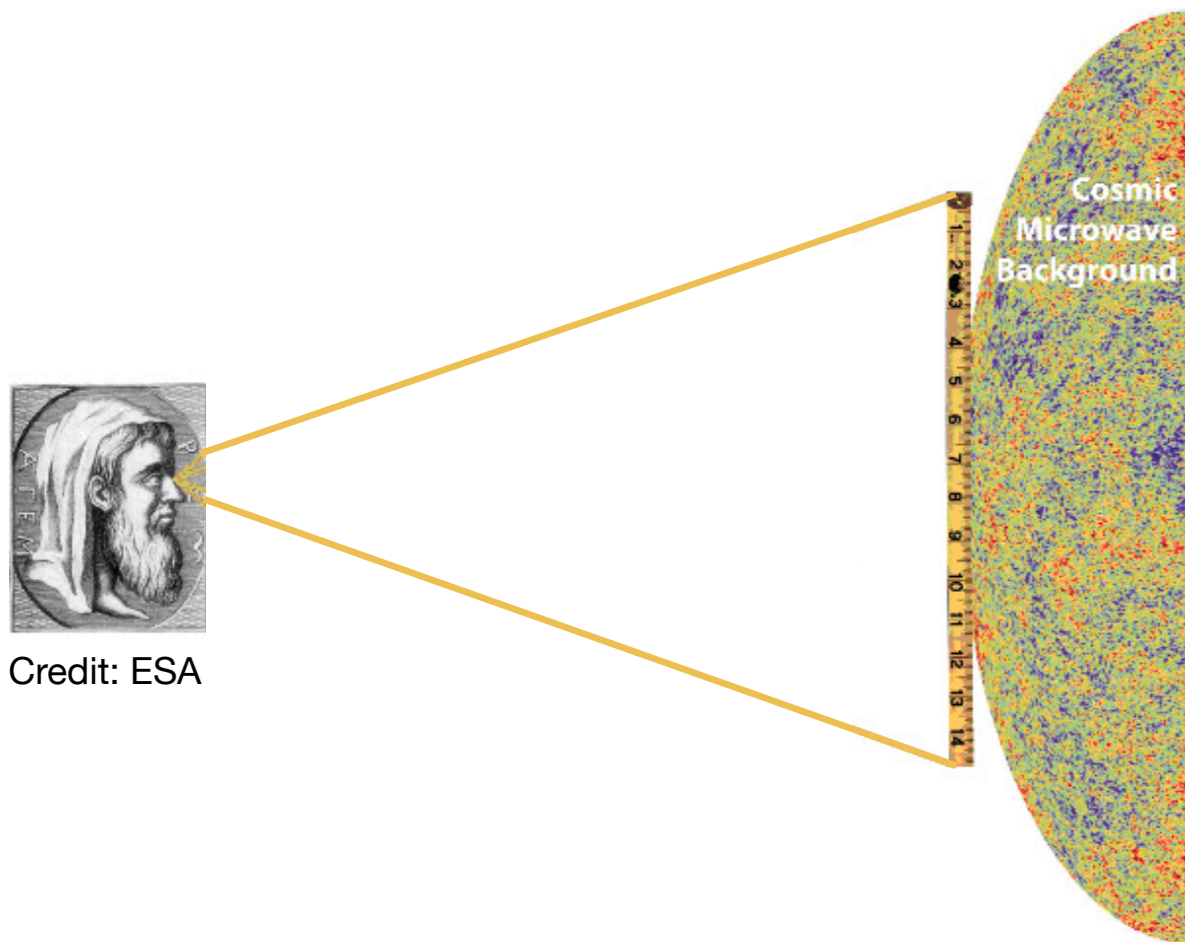


Credit: ESA

Baryon Acoustic Oscillations: A Standard Ruler

Rely on a *Standard Ruler* which is imprinted onto CMB and large-scale structure:

The distance a sound wave could have traveled in the time before recombination.



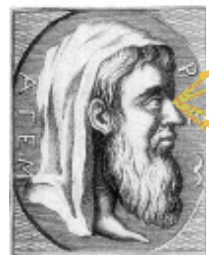
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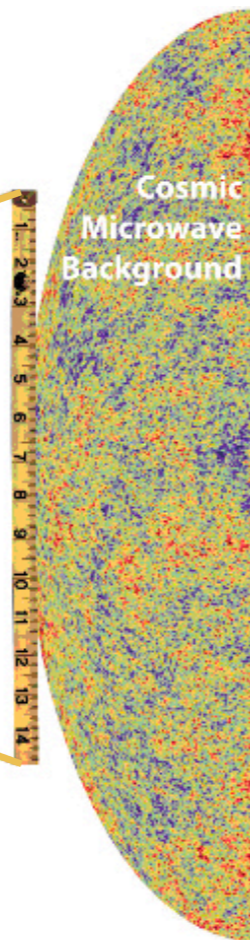
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Credit: ESA

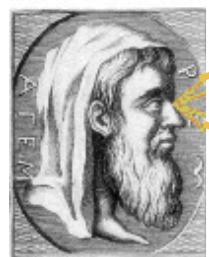


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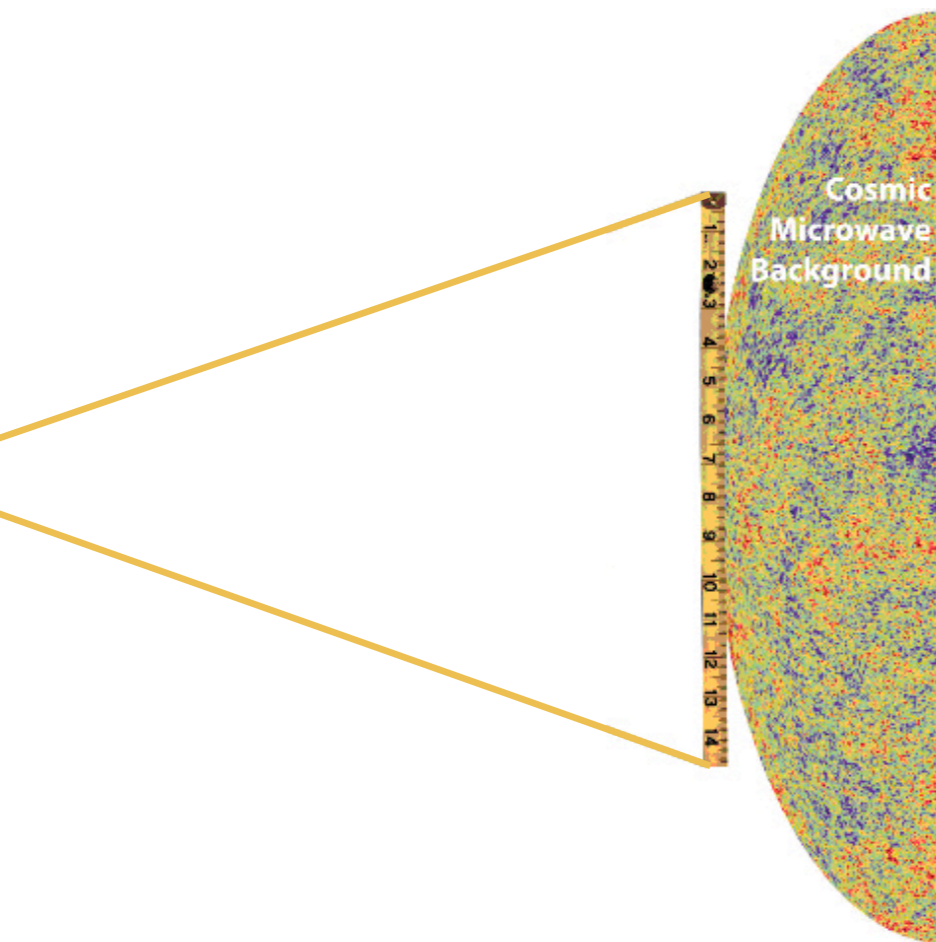
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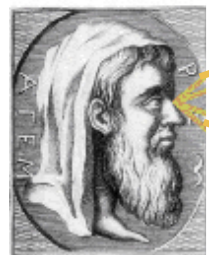


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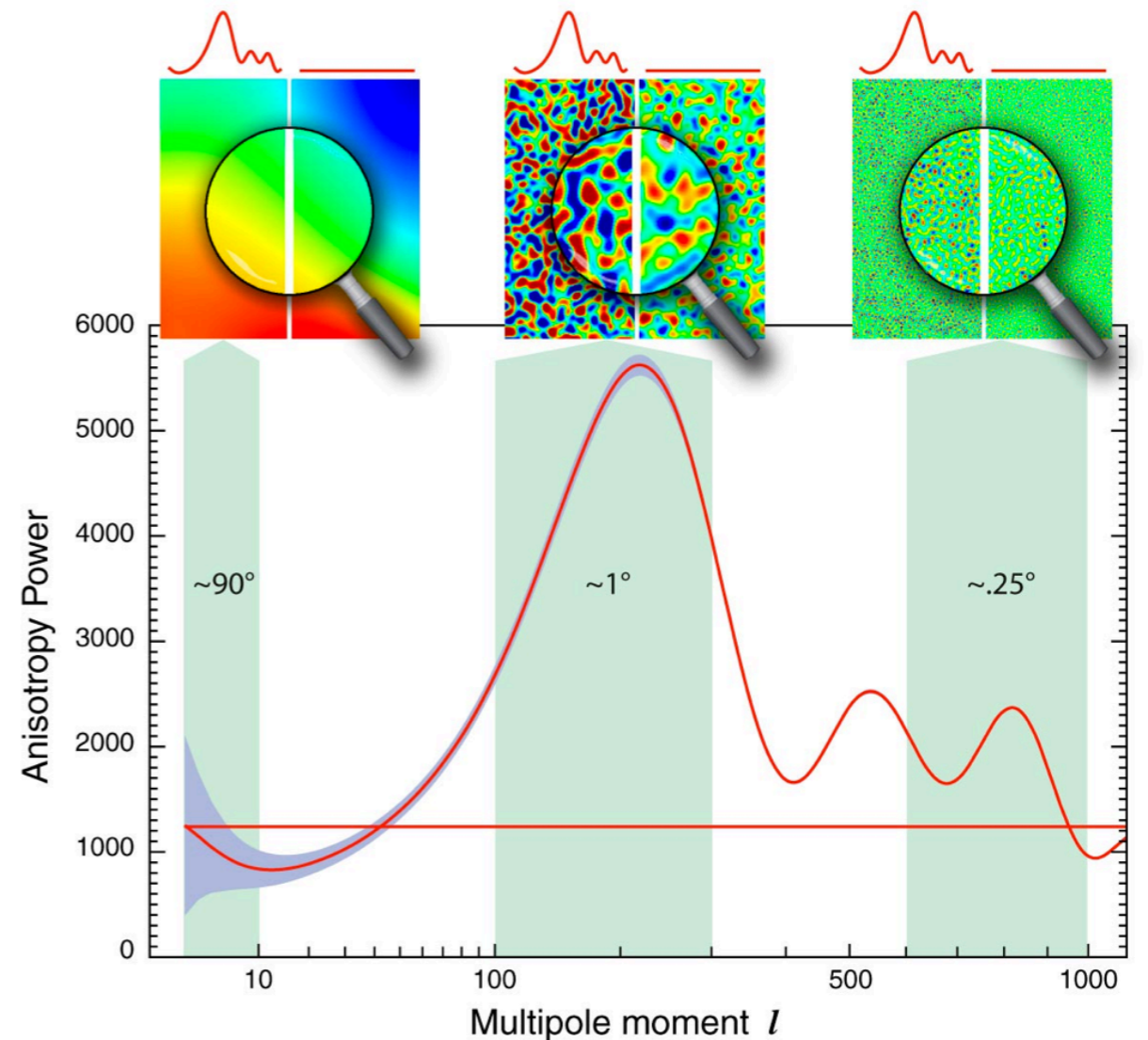
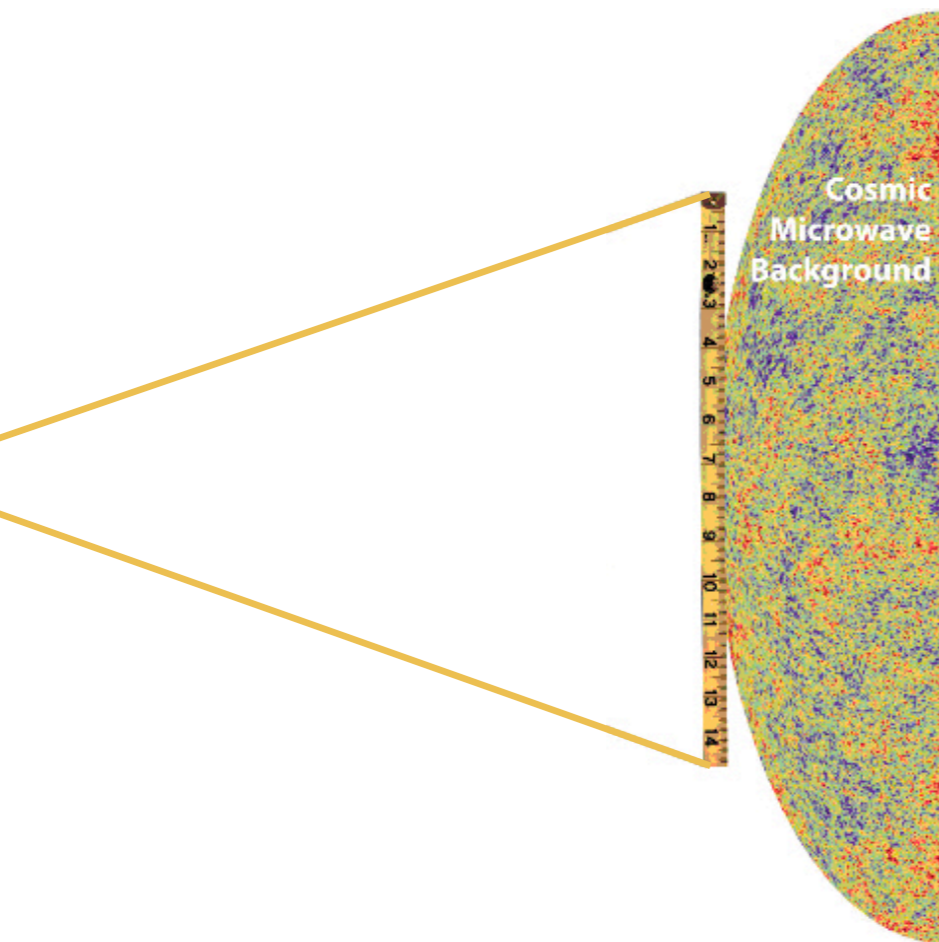
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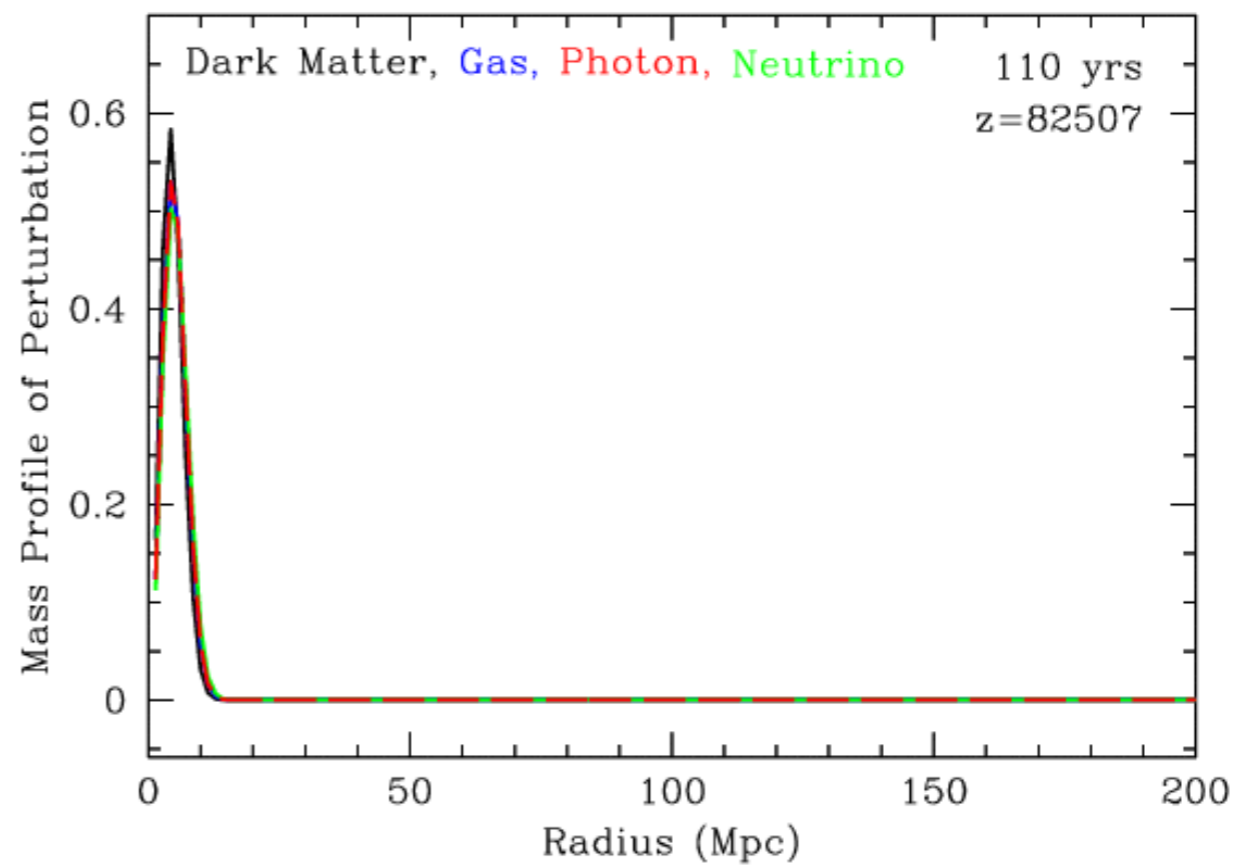


Credit: ESA



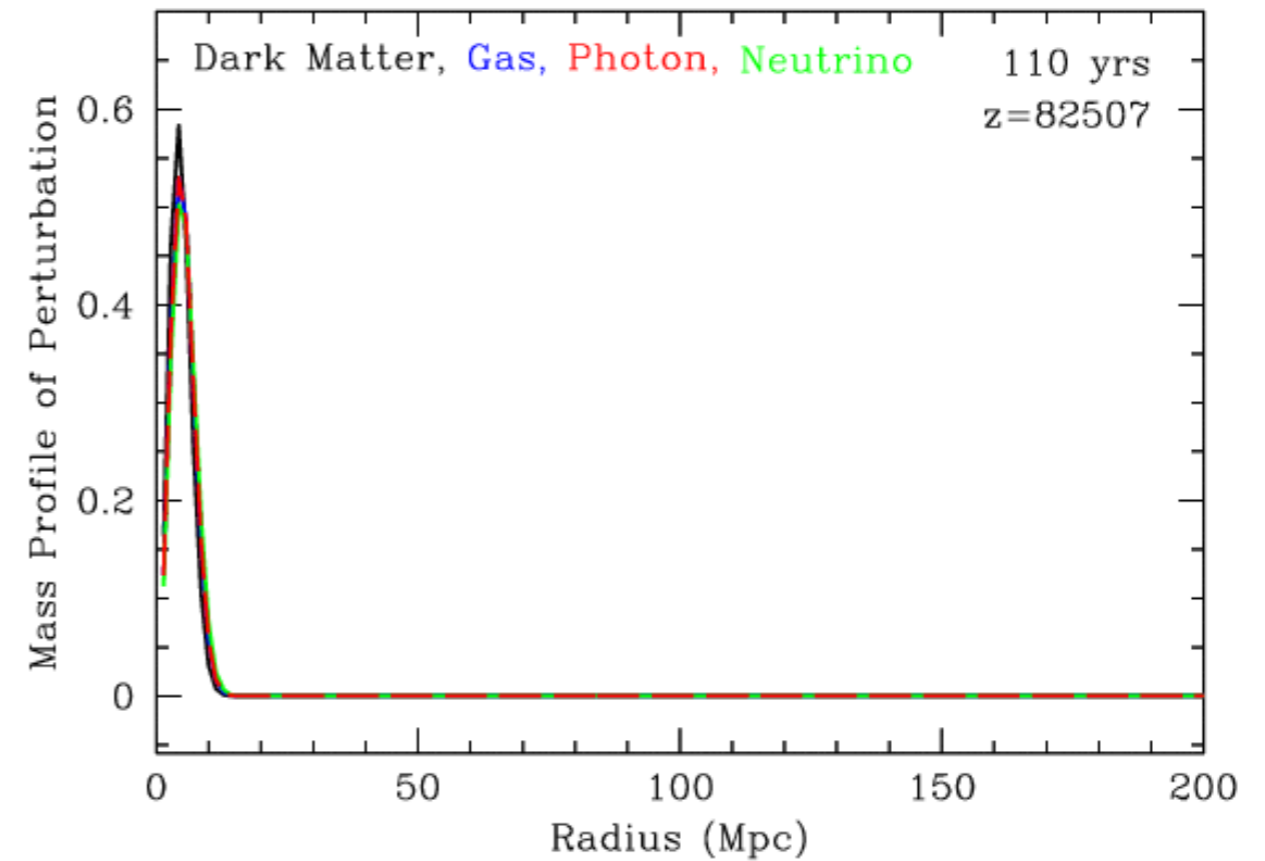
Credit: NASA/WMAP

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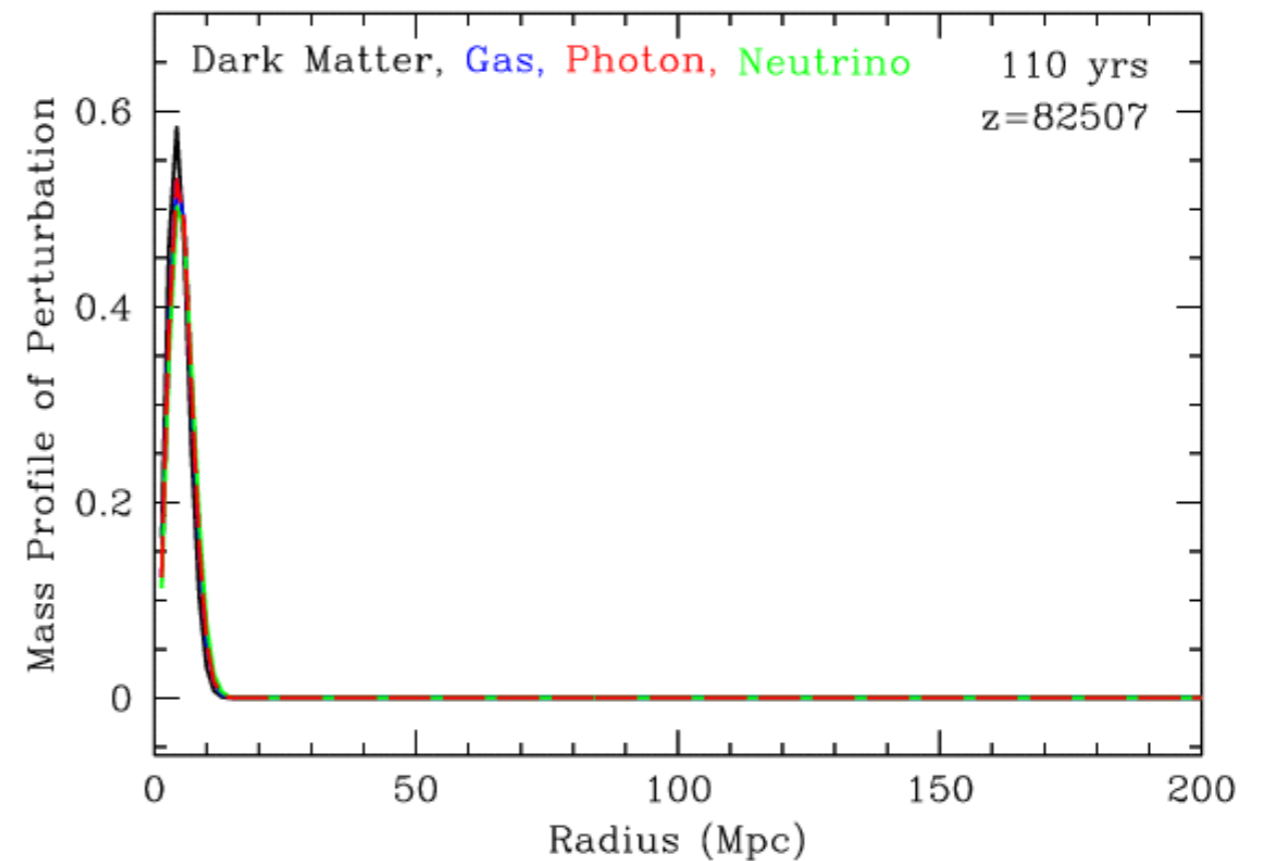
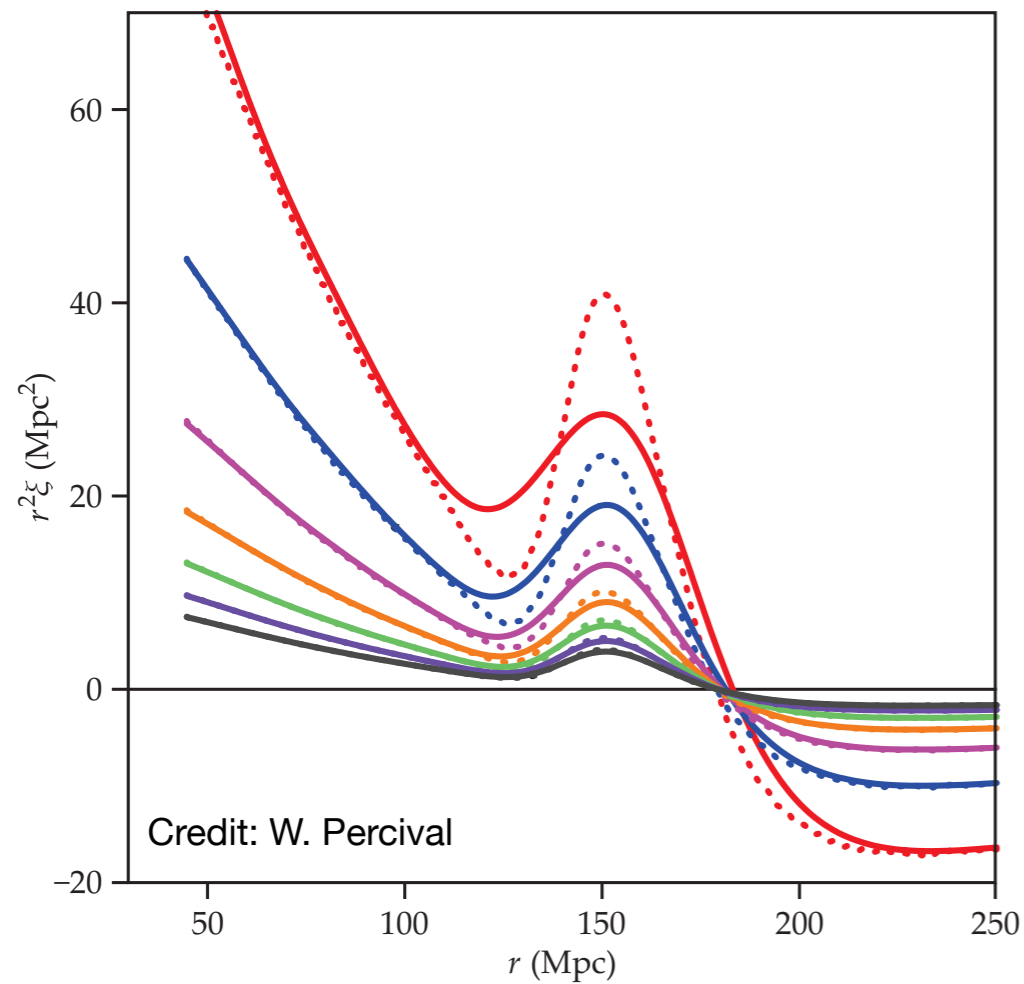
The sound horizon is *imprinted* in the statistics of galaxy locations:



Baryon Acoustic Oscillations: A Standard Ruler

The sound horizon is *imprinted* in the statistics of galaxy locations:

Galaxy correlation function

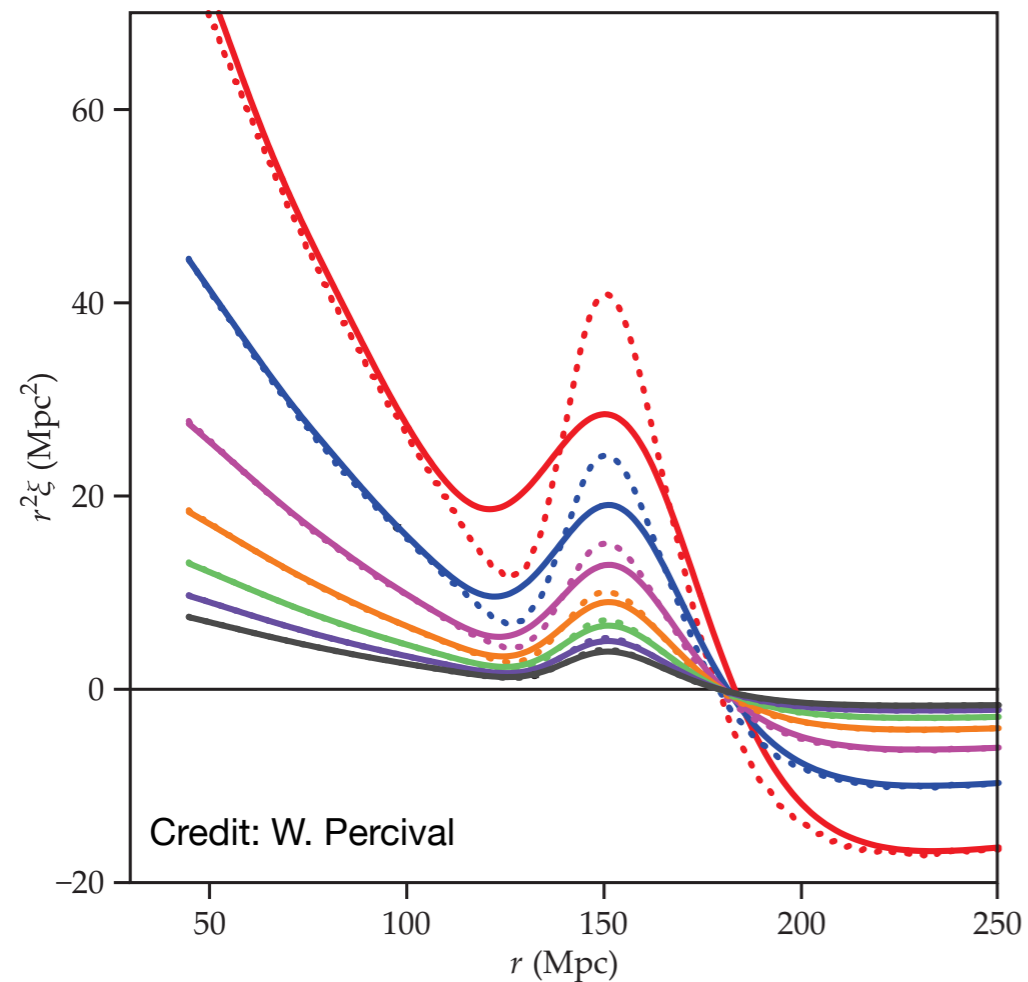


Plot: Excess probability to find a pair of galaxies separated by a given comoving distance, relative to a Poisson distribution

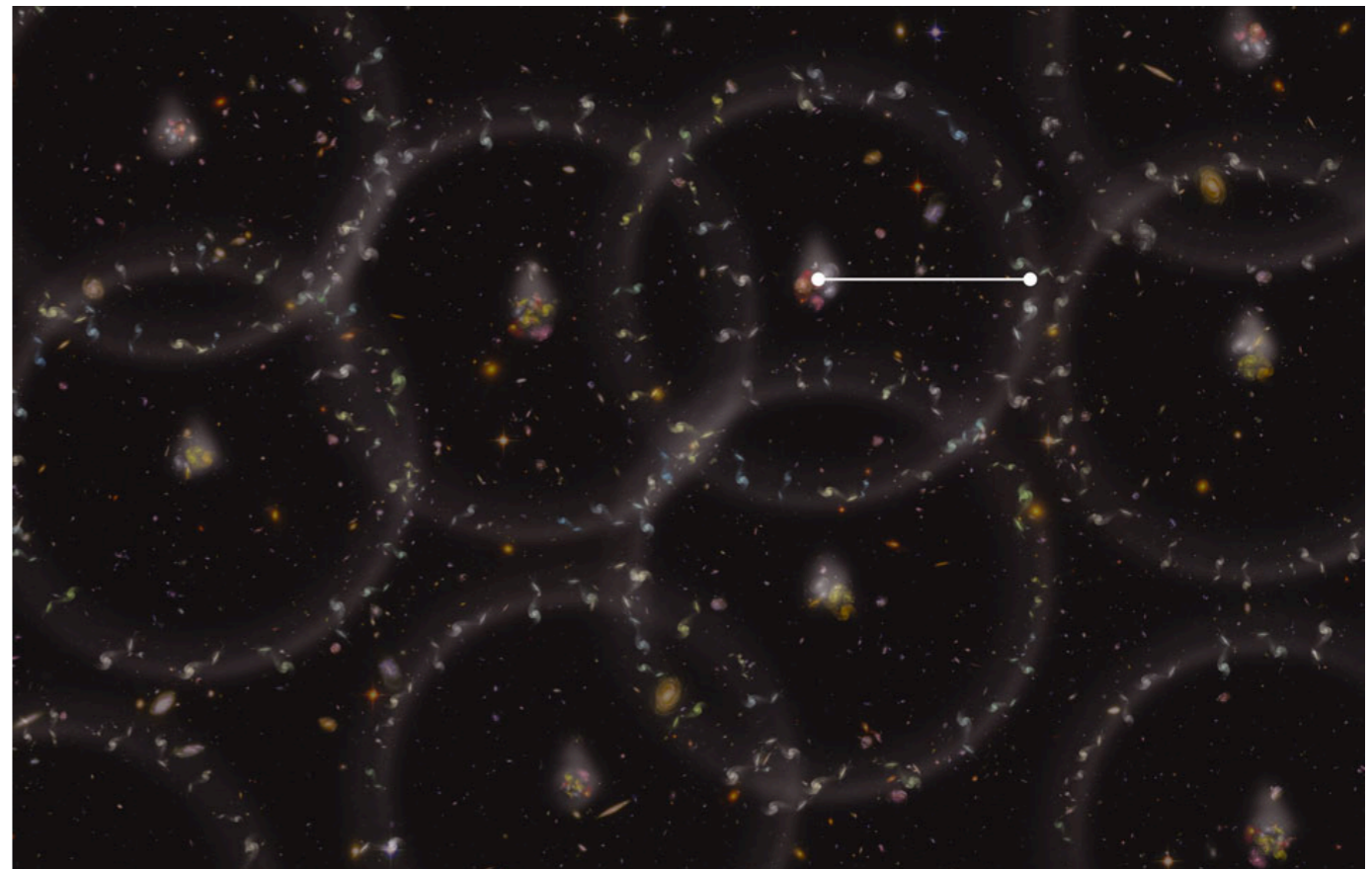
Baryon Acoustic Oscillations: A Standard Ruler

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Galaxy spatial distribution (illustration)



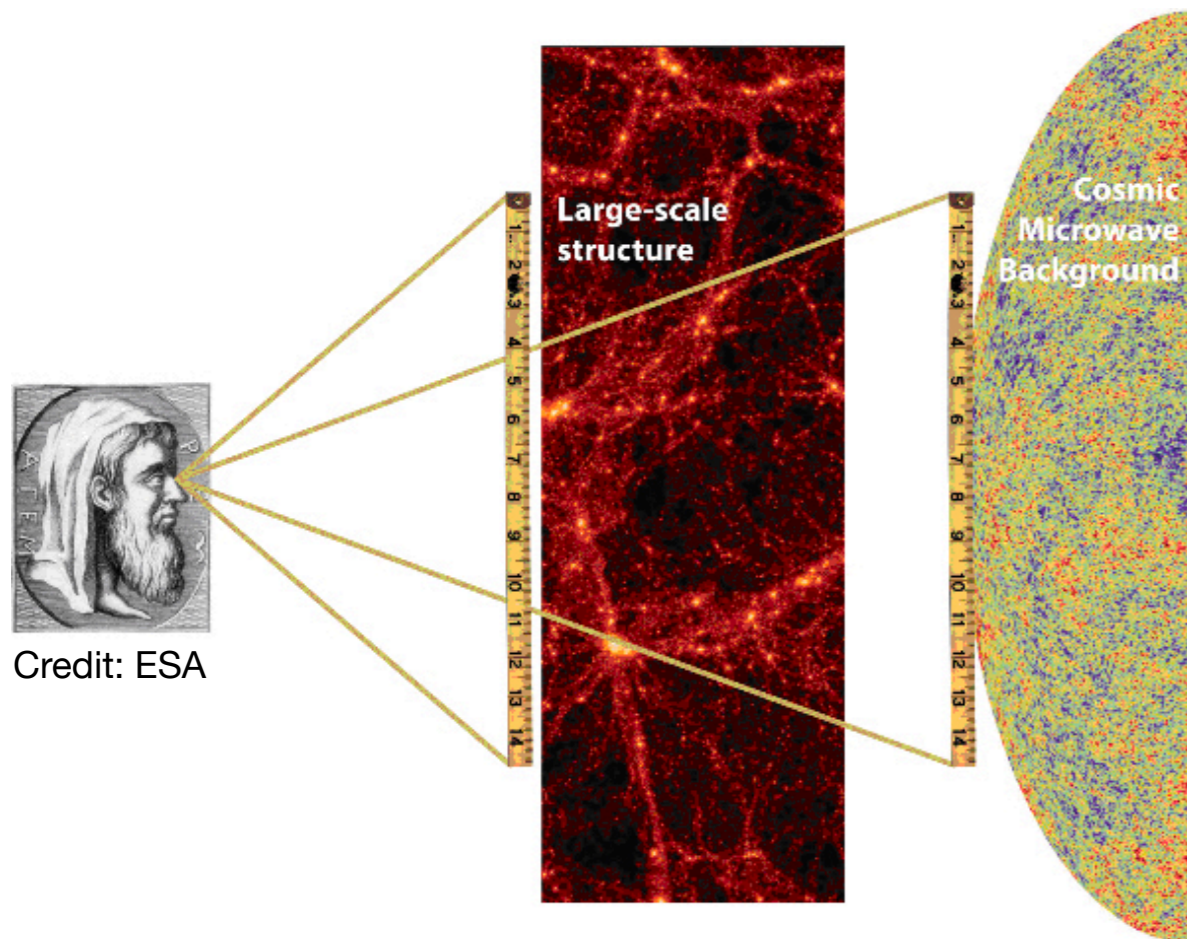
Credit: Z. Rostomian, LBNL

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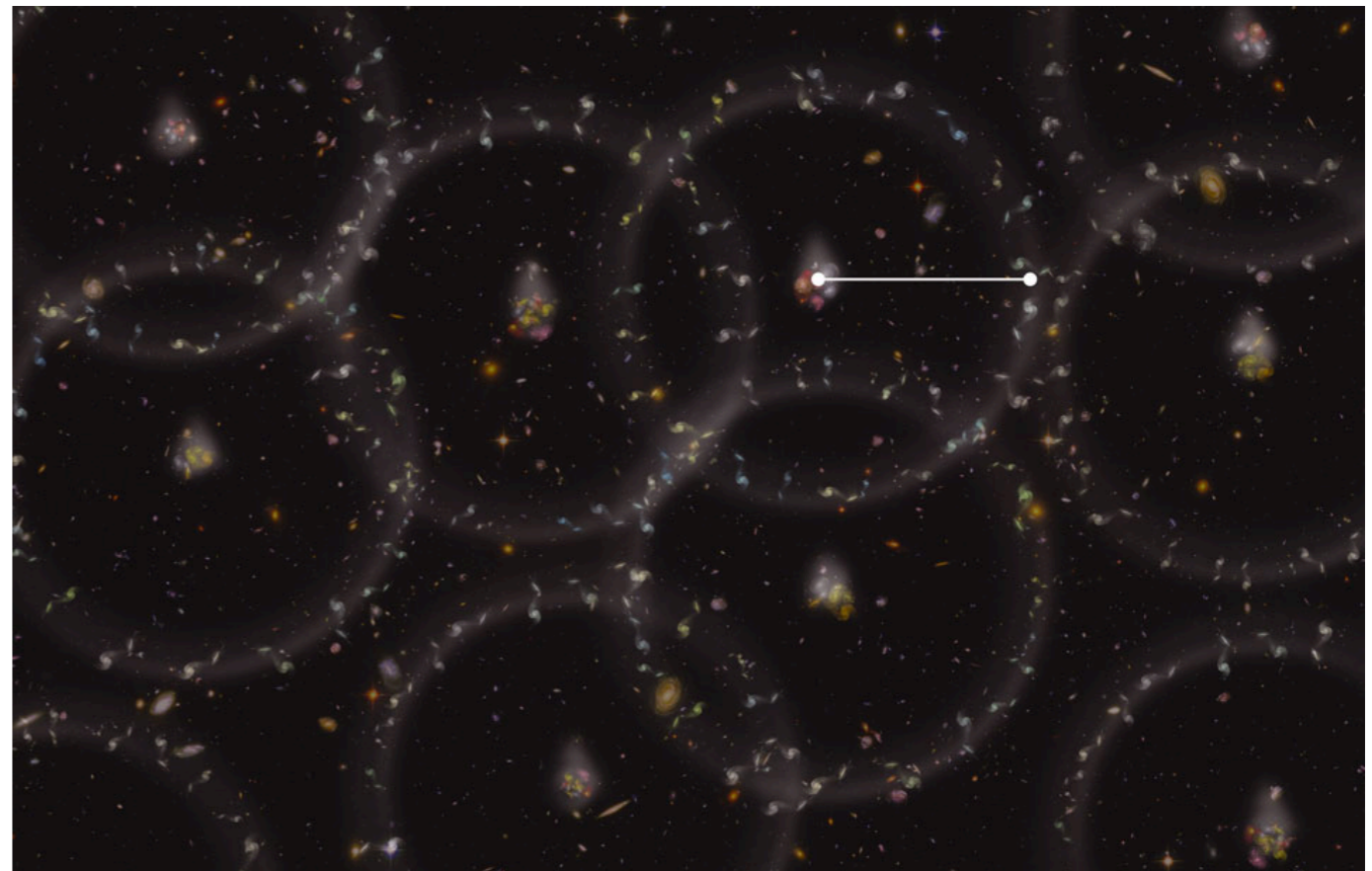
The sound horizon is *imprinted* in the statistics of galaxy locations:

LIM will also show this feature!



Credit: ESA

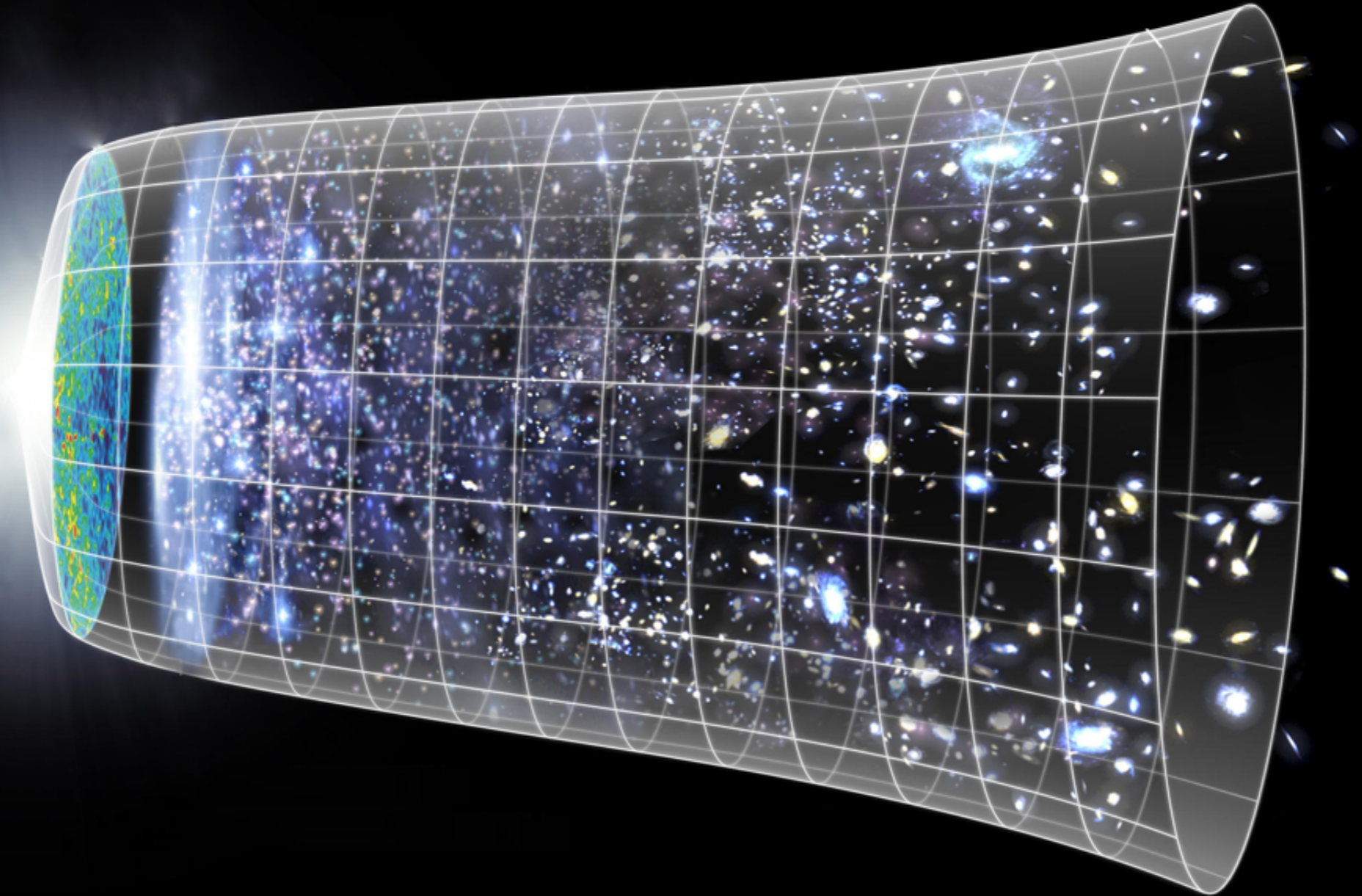
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LIM Challenge: Extract Cosmological Information

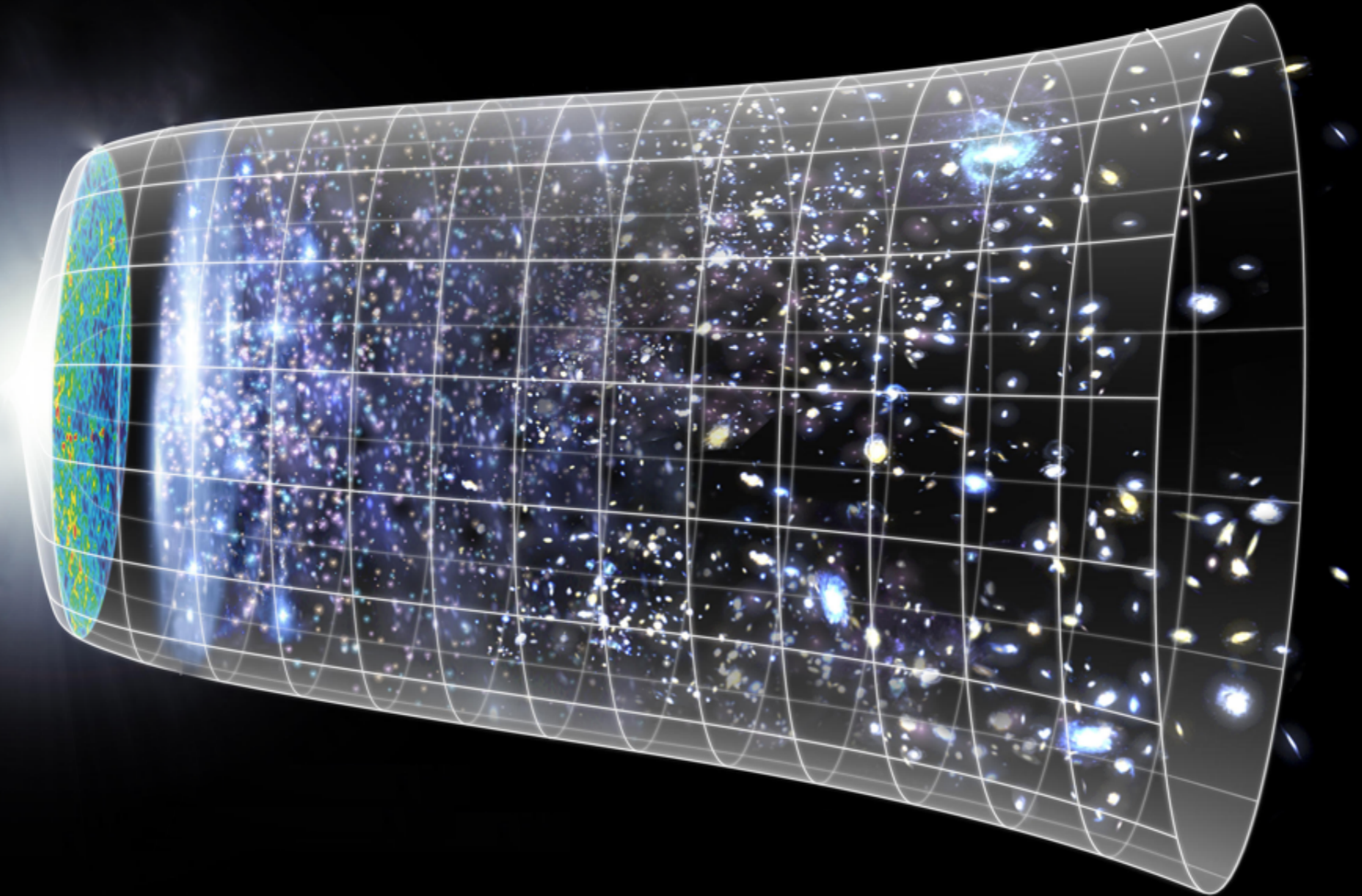
Credit: NASA/WMAP Science Team



LIM Challenge: Extract Cosmological Information

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Structure: stars, ISM, galaxies, IGM, clusters



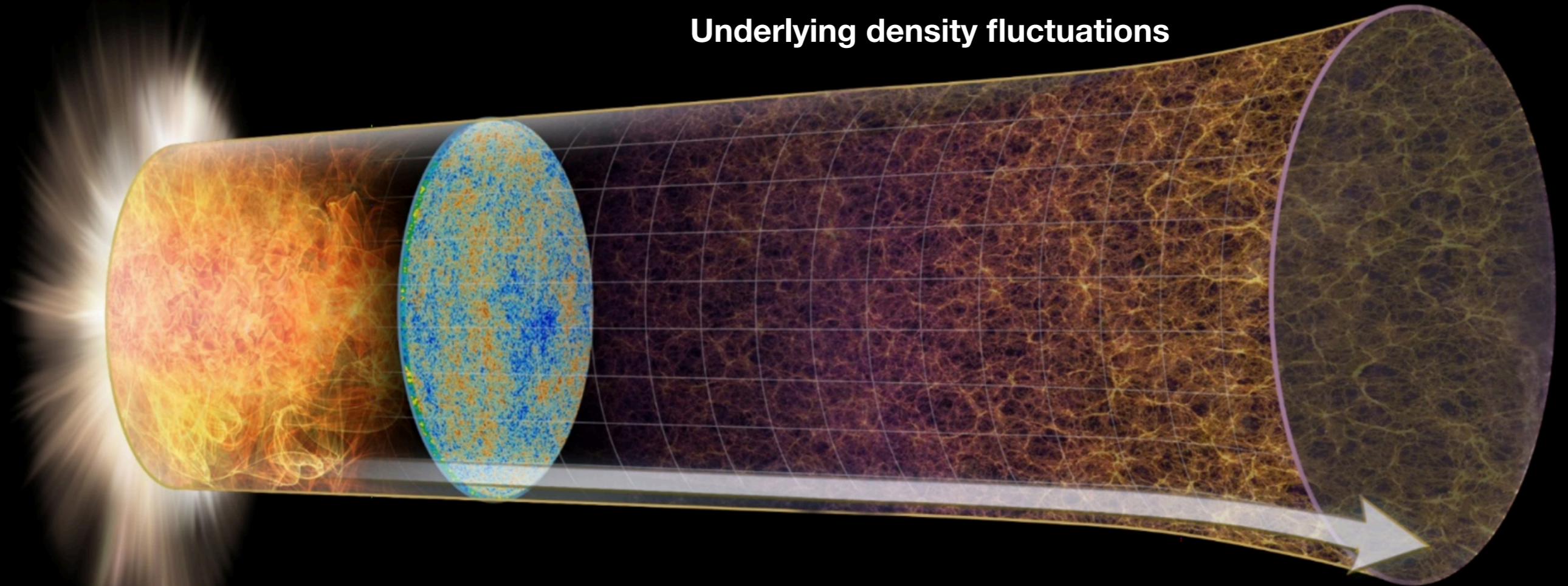
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Underlying density fluctuations



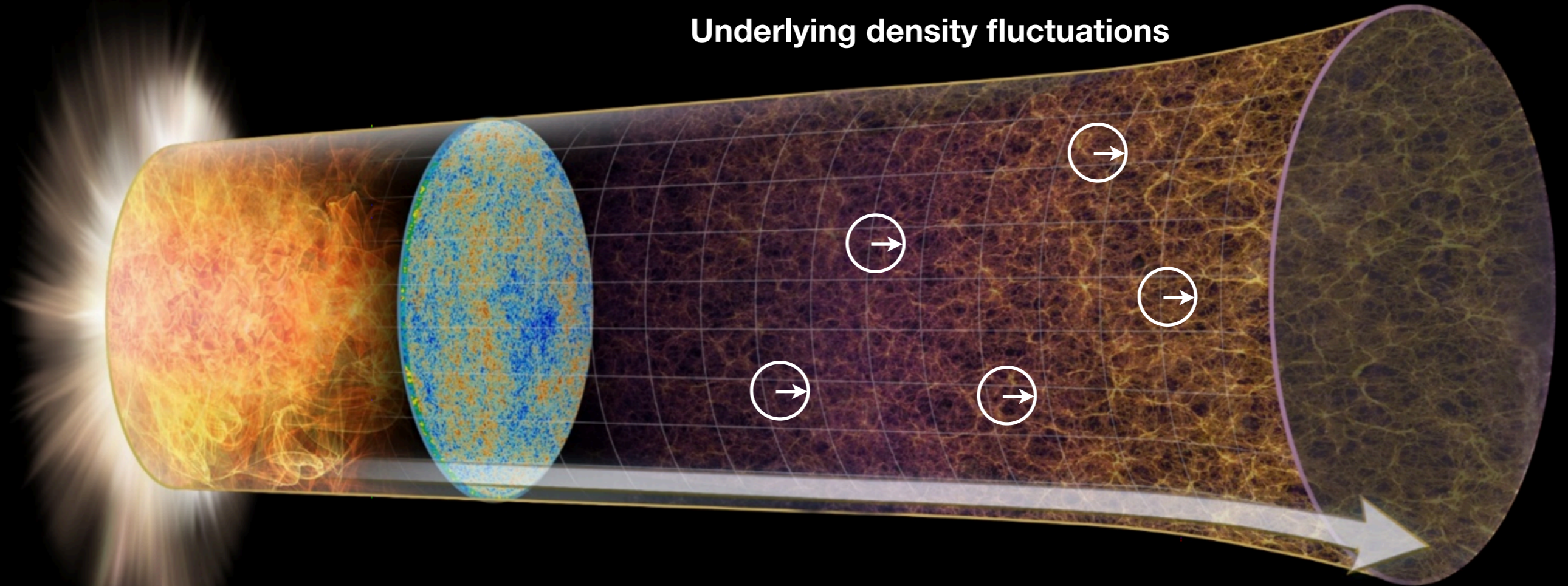
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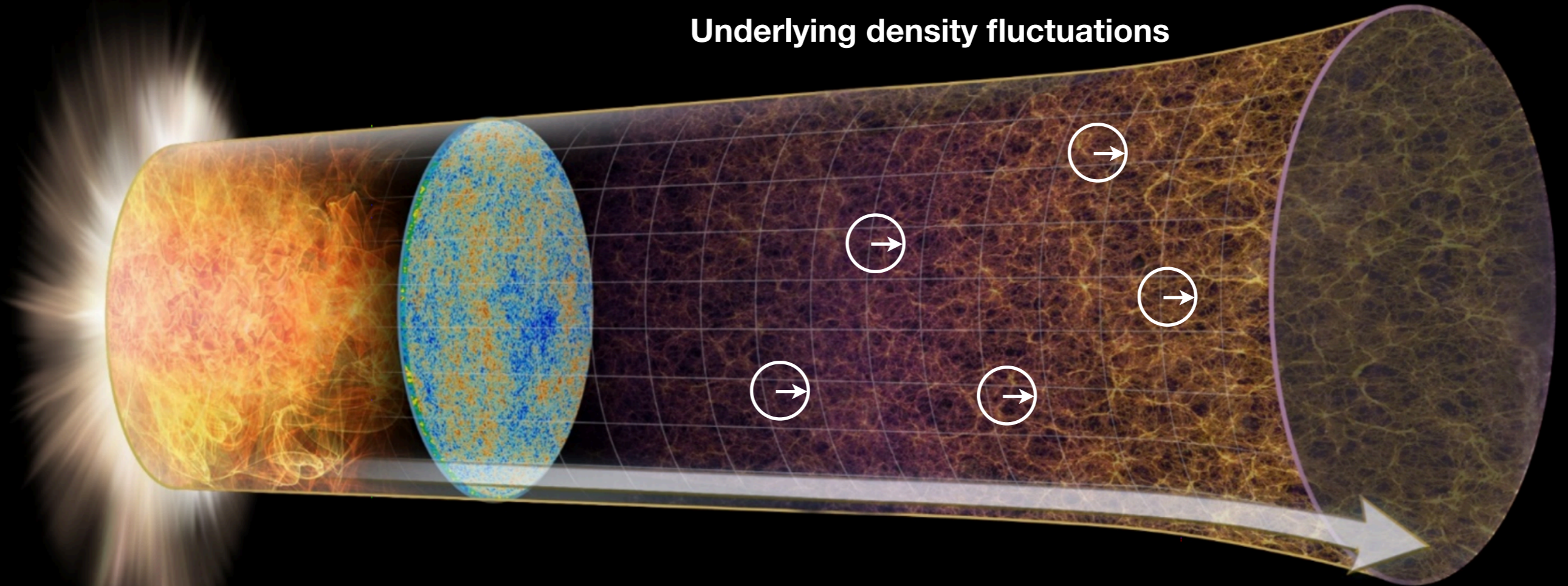
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Addressed in: J. L. Bernal, P. Breysse, EDK, PRL 2019
J. L. Bernal, P. Breysse, H.Gil-Marin, EDK, PRD 2019

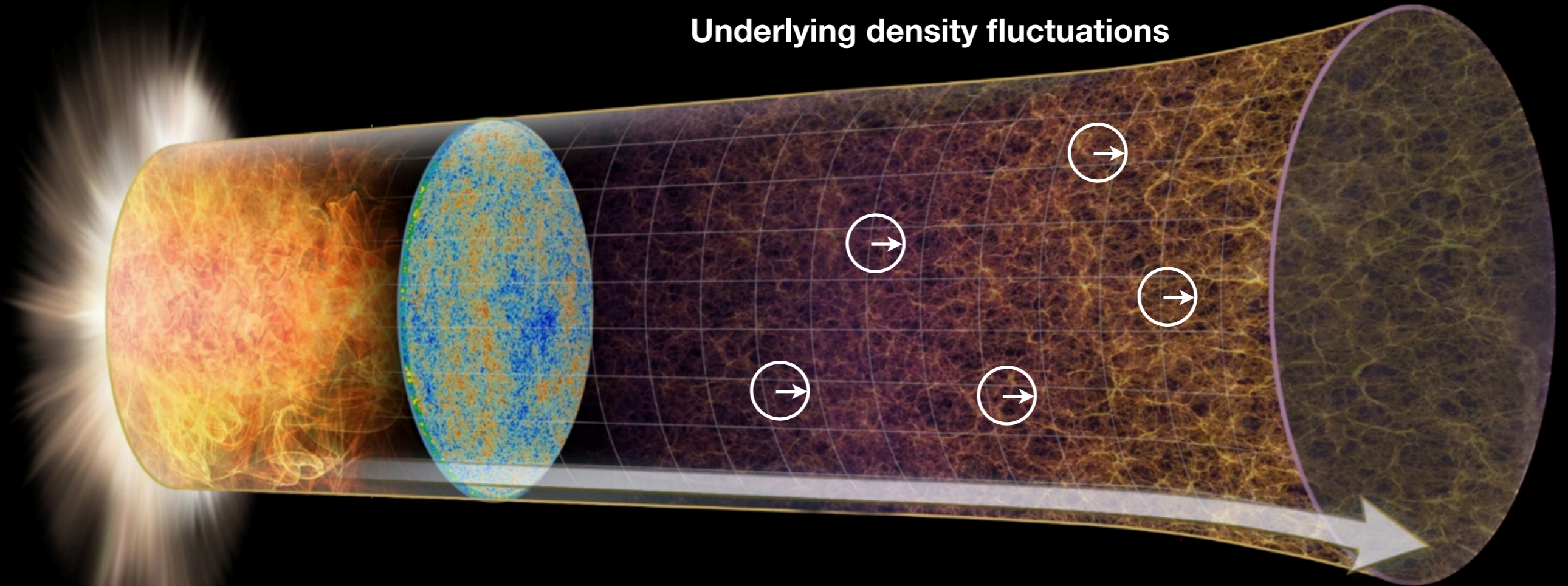
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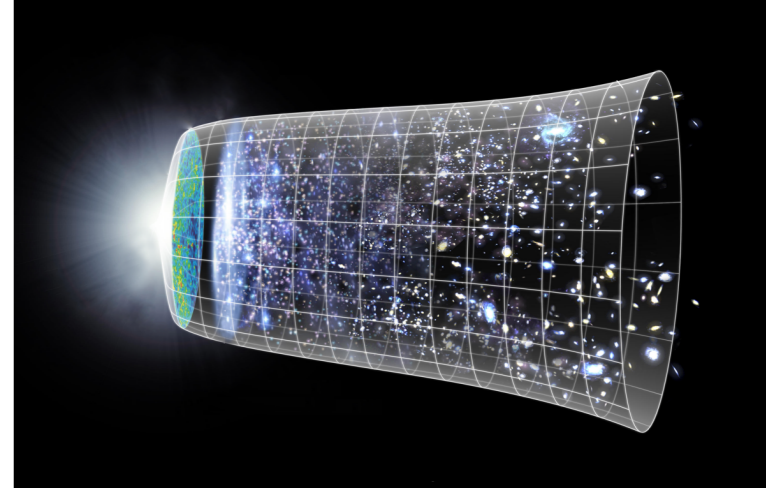
Addressed in: J. L. Bernal, P. Breysse, EDK, PRL 2019

J. L. Bernal, P. Breysse, H.Gil-Marin, EDK, PRD 2019

→ **How can LIM weigh in on Hubble Tension?**

Dependence on Astrophysics

(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)

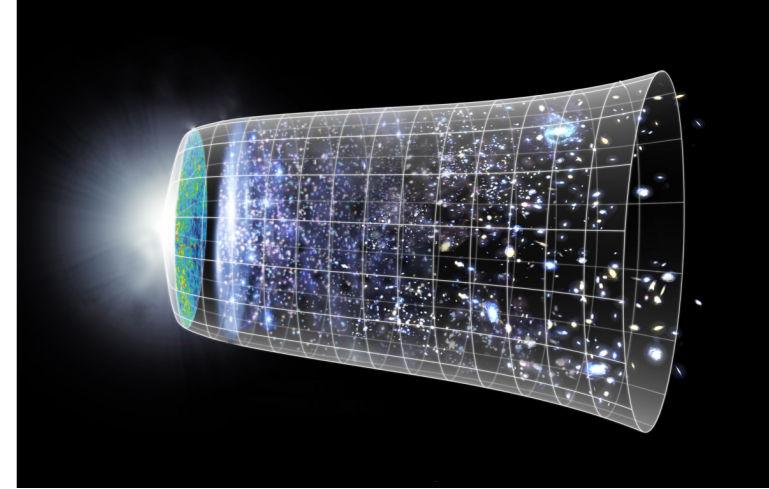


Dependence on Astrophysics

(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)

Focus on the power spectrum:

$$P(k, z) = \langle T(z) \rangle^2 b^2(z) P_m(k, z) + P_{\text{shot}}(z)$$



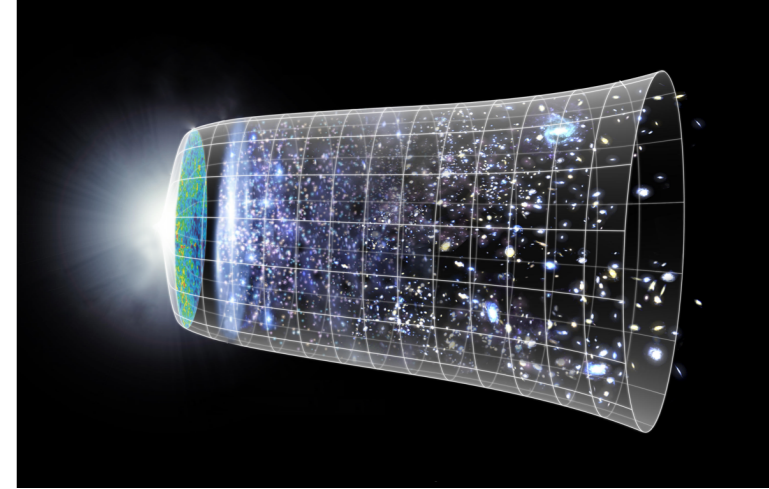
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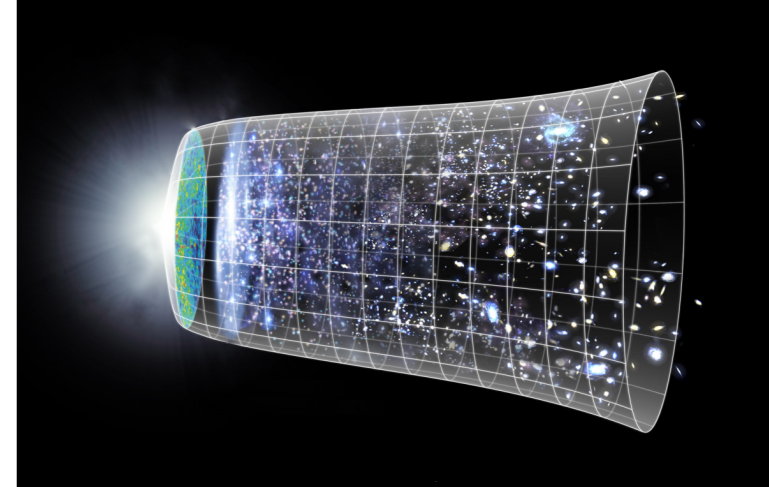
$$\downarrow$$
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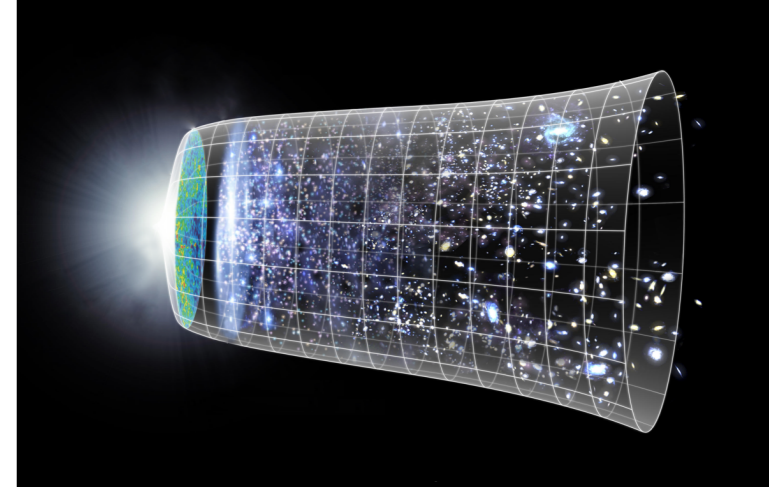
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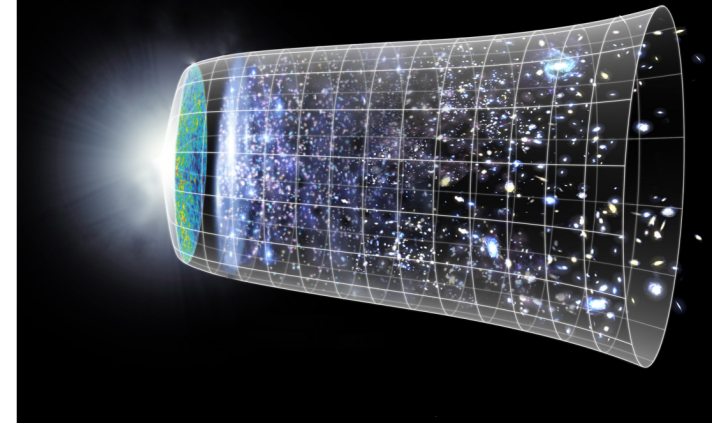
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Modeling the luminosity function: $\int L \frac{dn(z)}{dL} dL \longrightarrow \int L(M, z) \frac{dn(z)}{dM} dM$

Dependence on Astrophysics

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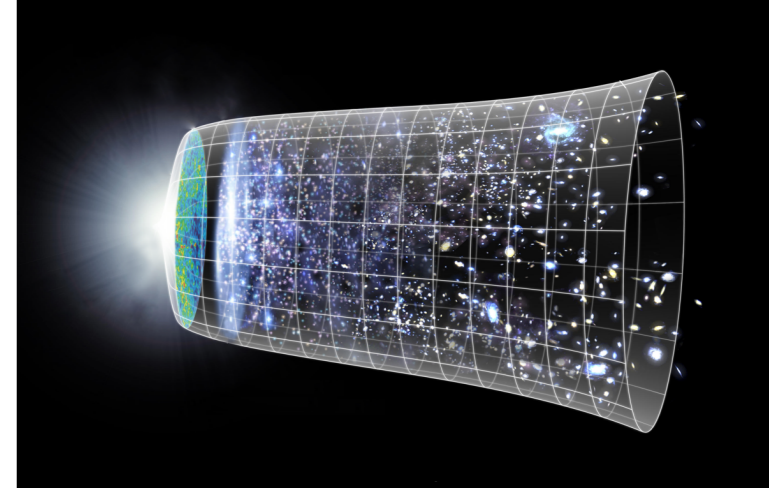
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Dependence on Astrophysics

(J. L. Bernal, P. Breysse, H. Gil-Marín, EDK, PRD 2019)



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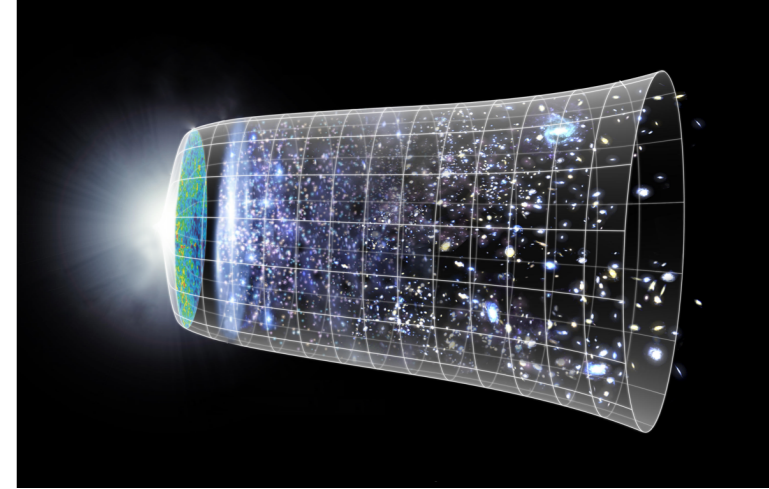
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Dependence on Astrophysics

(J. L. Bernal, P. Breysse, H. Gil-Marín, EDK, PRD 2019)



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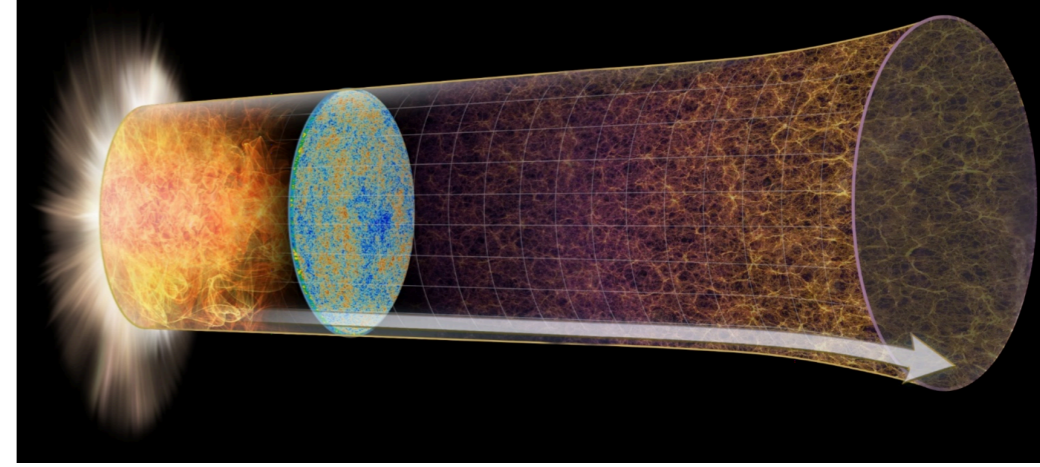
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(ii) Use scaling relations from SFR to line-luminosity: $\text{SFR}(M, z) \longrightarrow L(M, z)$

For cosmology, we do not care about all this. Or at least we do not *want* to care.

Dependence on Cosmology

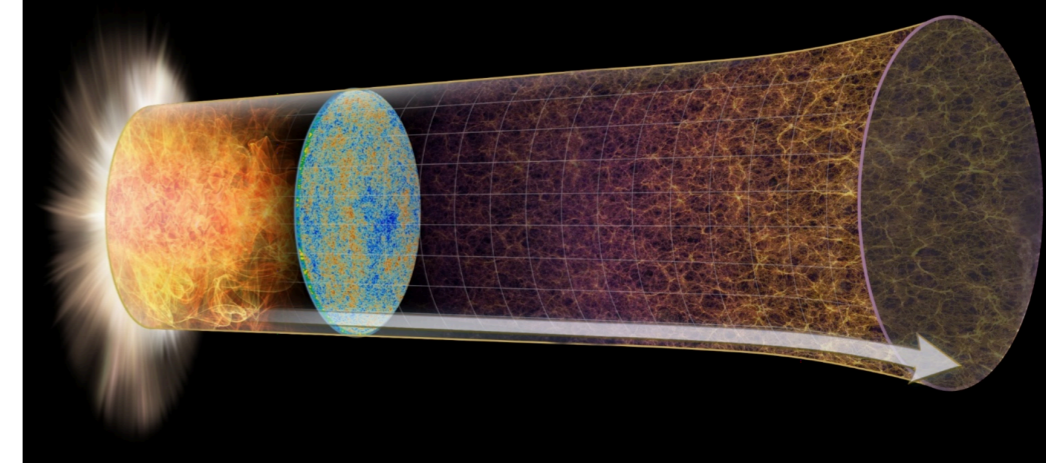
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Dependence on Cosmology

(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)

Power spectrum is anisotropic:

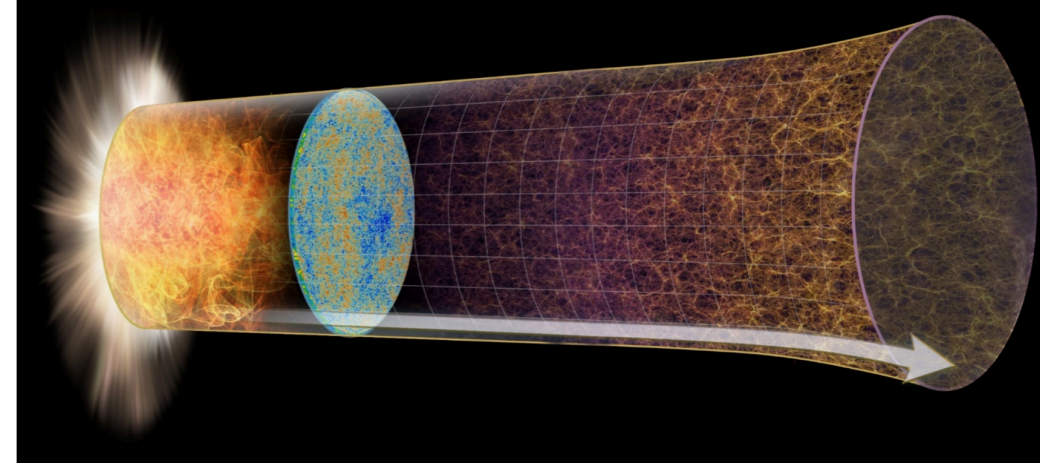


$$P_{\text{clust}}(k, z) \longrightarrow P_{\text{clust}}(k, \mu, z) = \langle T(z) \rangle^2 b^2(z) F_{\text{RSD}}^2(k, \mu, z) P_{\text{m}}(k, z)$$

where: $\mu = \hat{k} \cdot \hat{k}_{\parallel}$

Dependence on Cosmology

(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)



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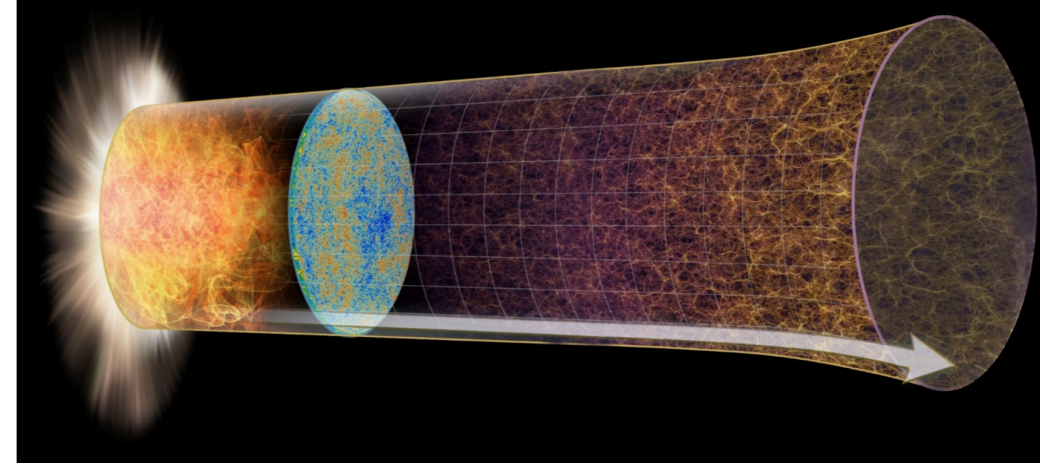
(i) Redshift-space distortions (coherent galaxy flows; random peculiar velocities):

(Kaiser+FoG)

$$F_{\text{RSD}}(k, \mu, z) = \left(1 + \frac{f(z)}{b(z)} \mu^2 \right) \frac{1}{1 + 0.5 (k \mu \sigma_{\text{FoG}})^2}$$

Dependence on Cosmology

(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)



Power spectrum is anisotropic:

$$P_{\text{clust}}(k, z) \longrightarrow P_{\text{clust}}(k, \mu, z) = \langle T(z) \rangle^2 b^2(z) F_{\text{RSD}}^2(k, \mu, z) P_{\text{m}}(k, z)$$

where: $\mu = \hat{k} \cdot \hat{k}_{\parallel}$

(i) Redshift-space distortions (coherent galaxy flows; random peculiar velocities):

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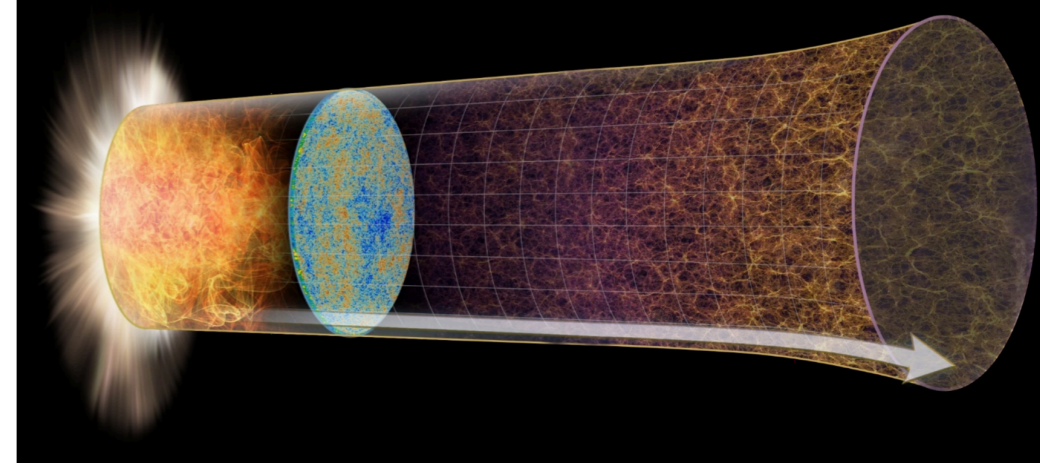
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$$\begin{cases} k_{\perp}^{\text{meas}} = k_{\perp}^{\text{true}} \alpha_{\perp} \\ k_{\parallel}^{\text{meas}} = k_{\parallel}^{\text{true}} \alpha_{\parallel} \end{cases}$$

Dependence on Cosmology

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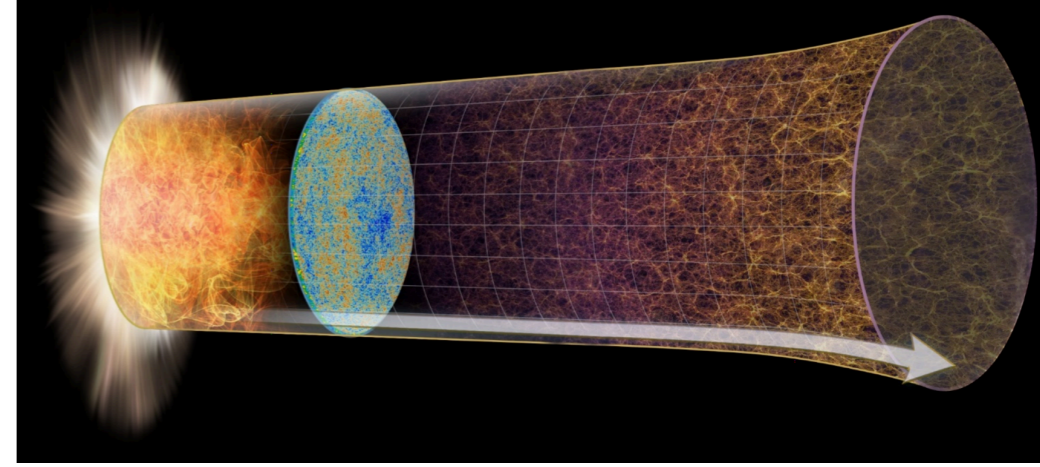
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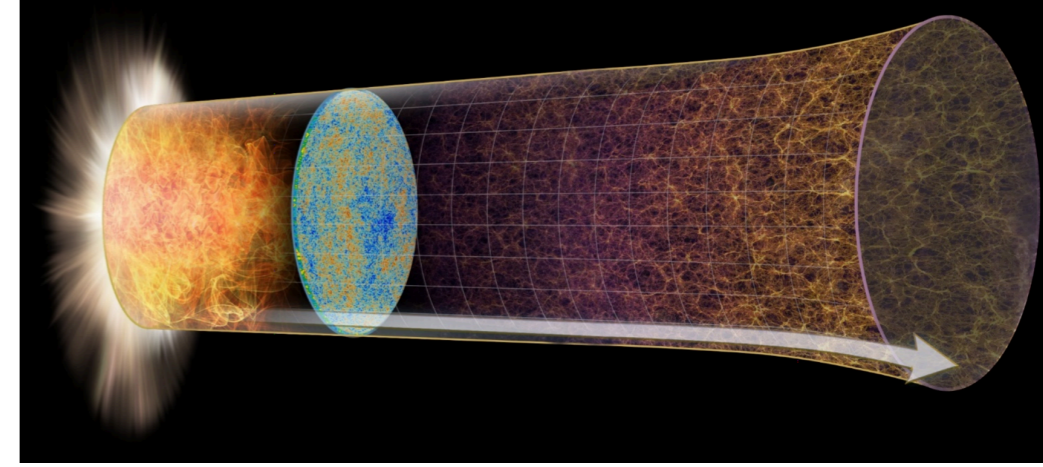
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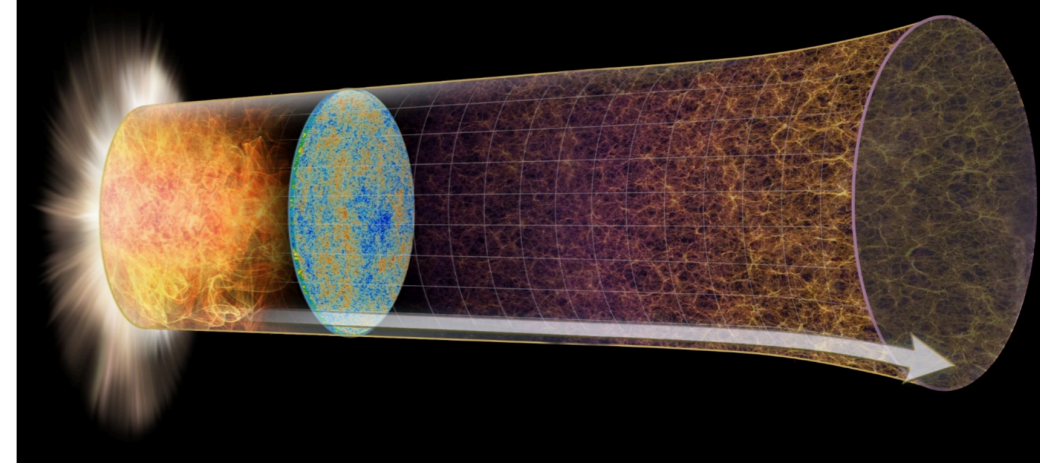
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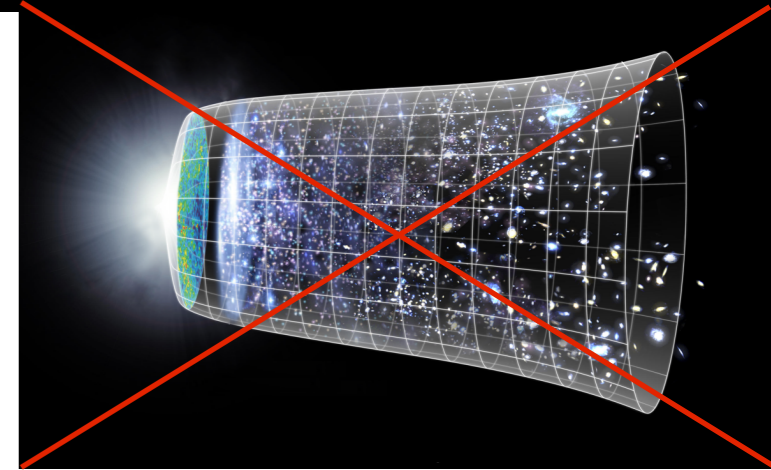
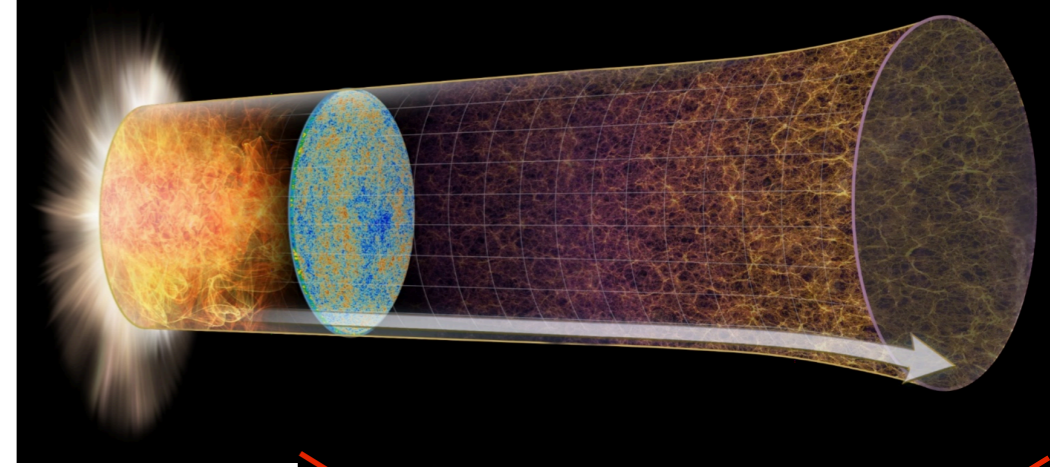
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(J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)

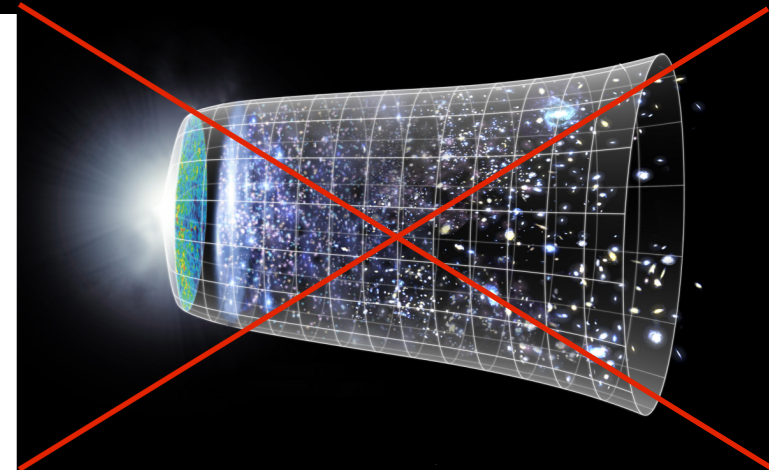
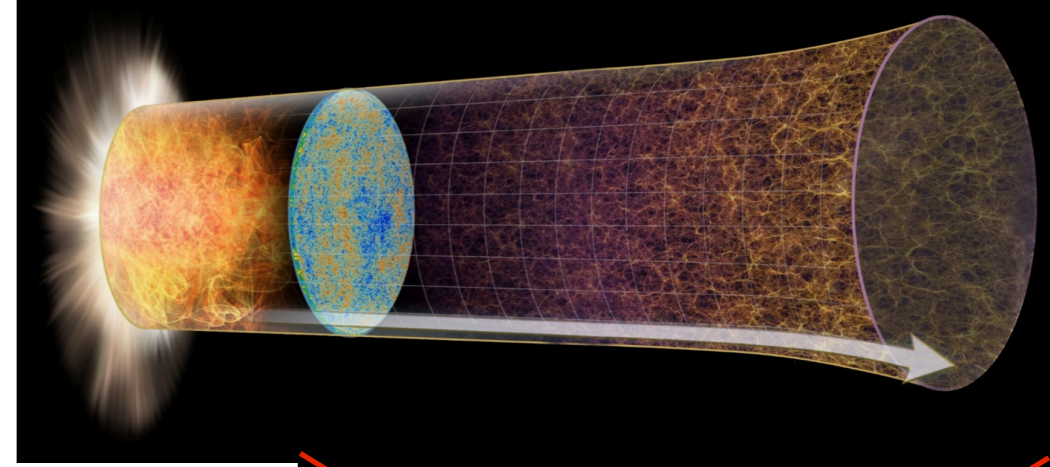


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Reparameterize the power spectrum:

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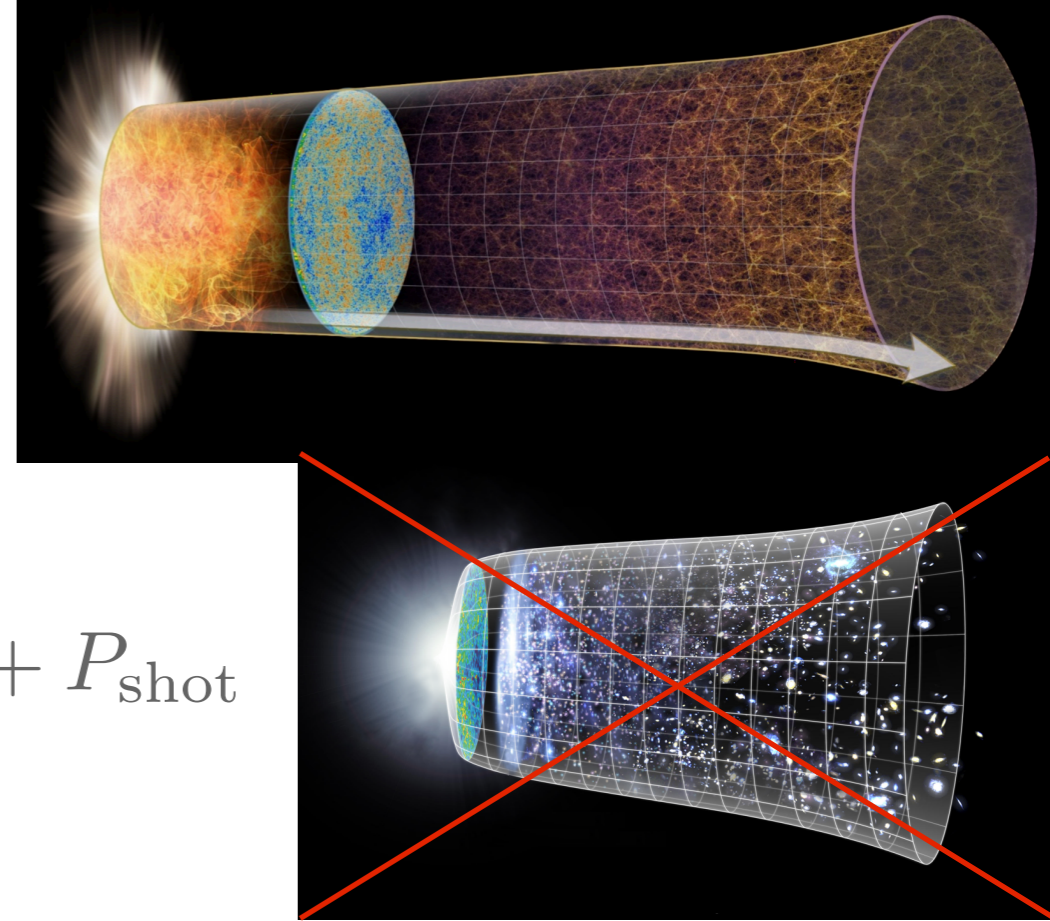
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Measurable parameters:

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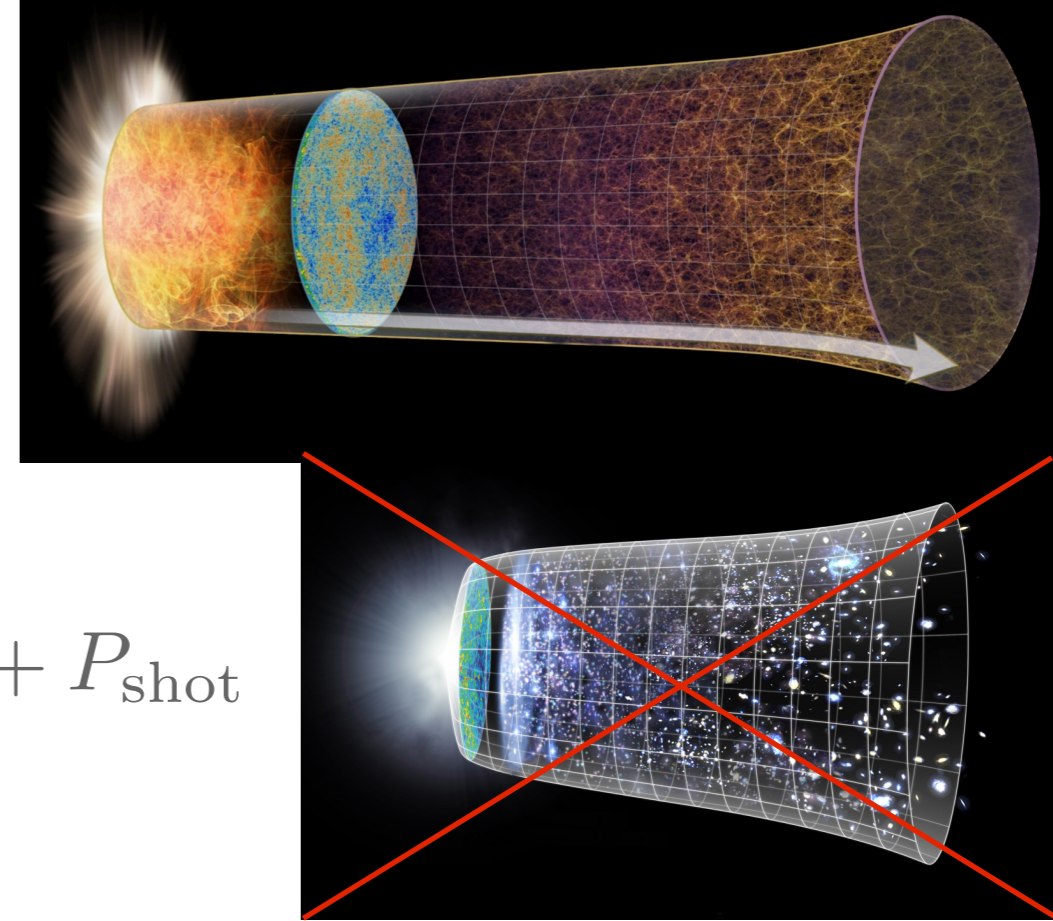
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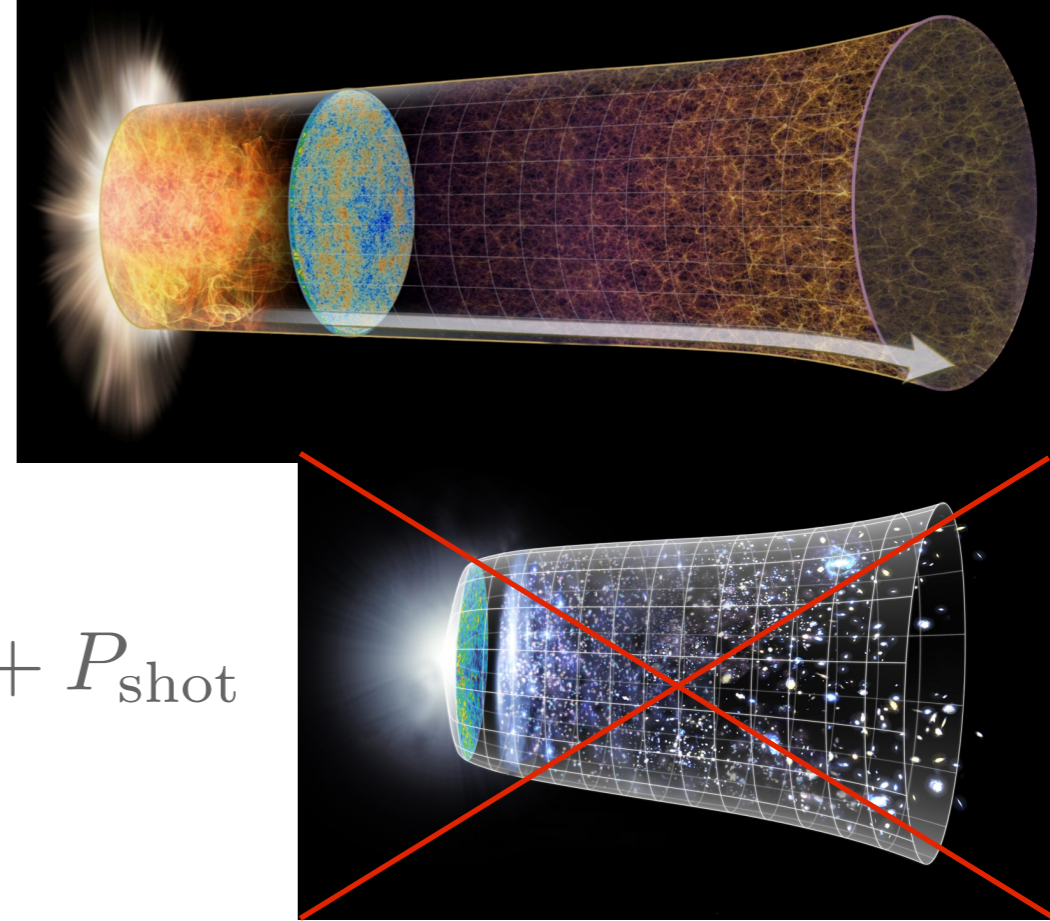
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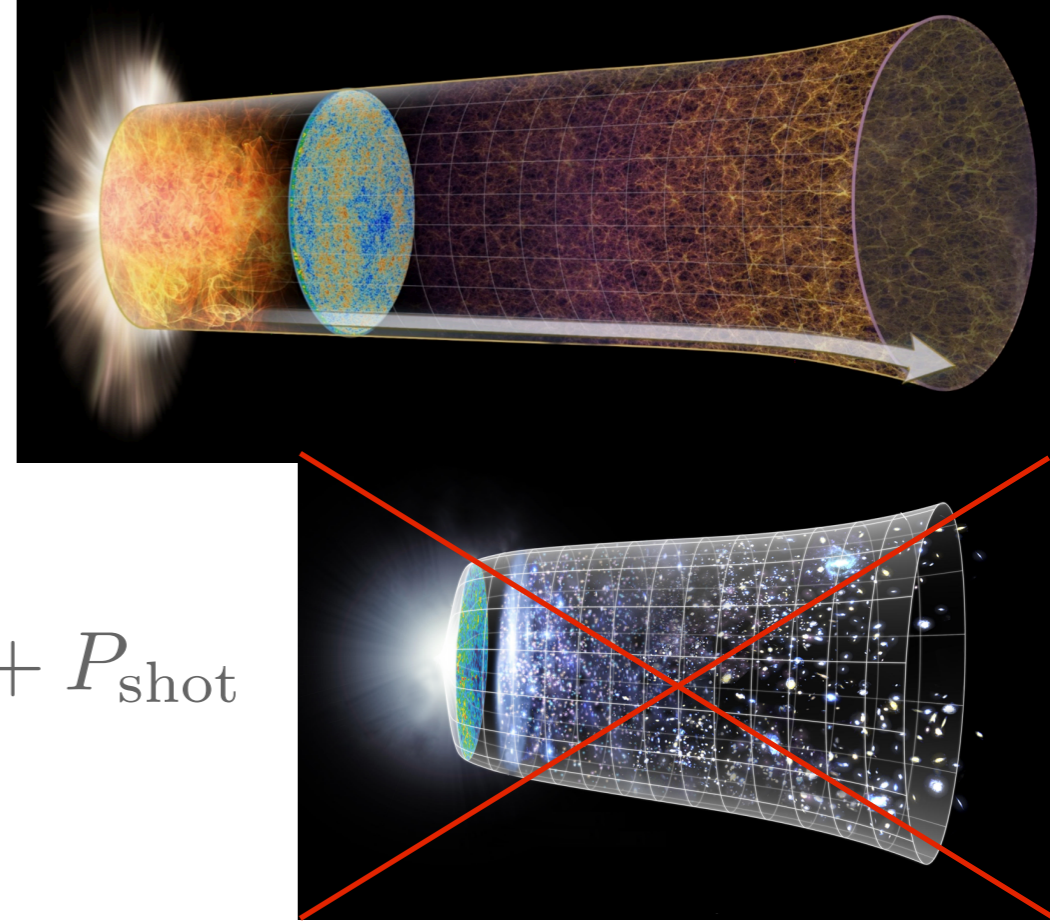
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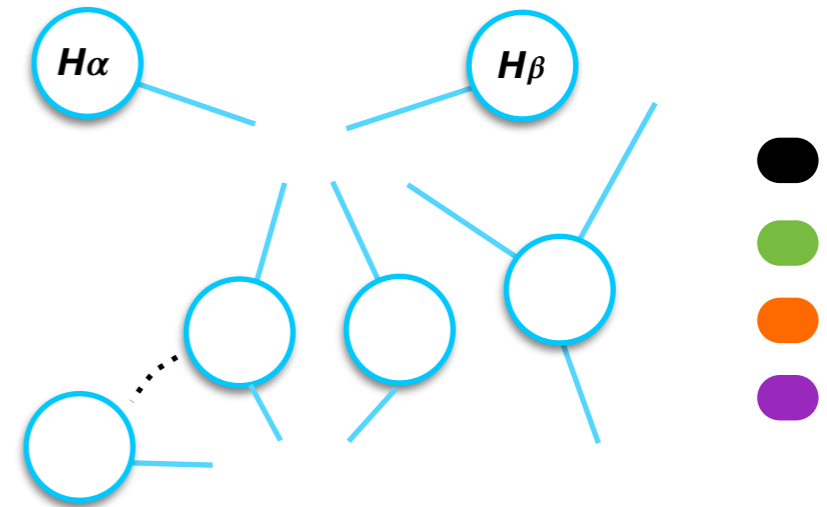
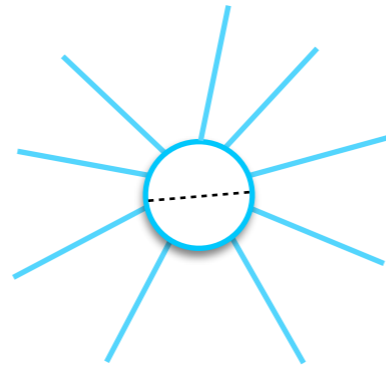
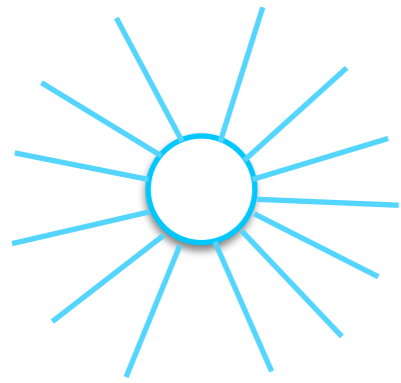
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Use the Legendre multipole expansion:

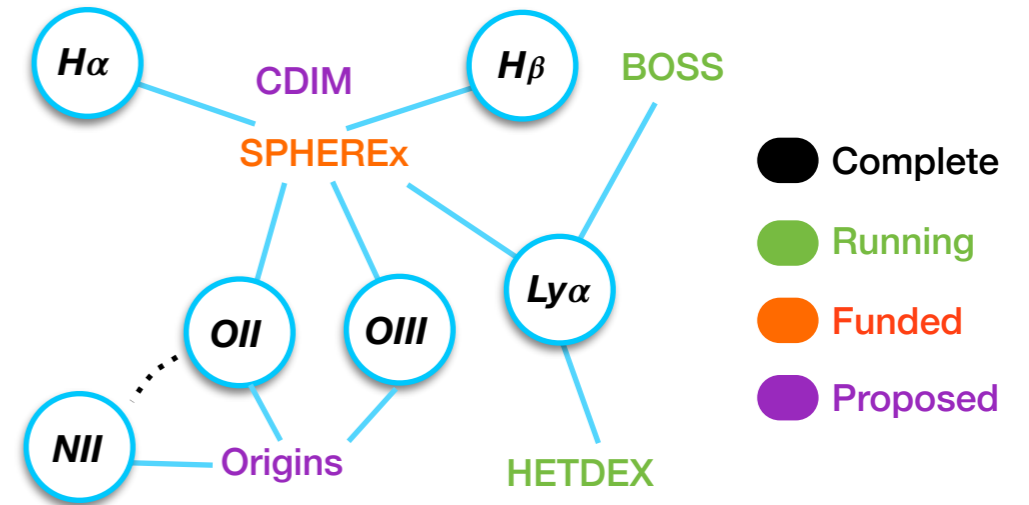
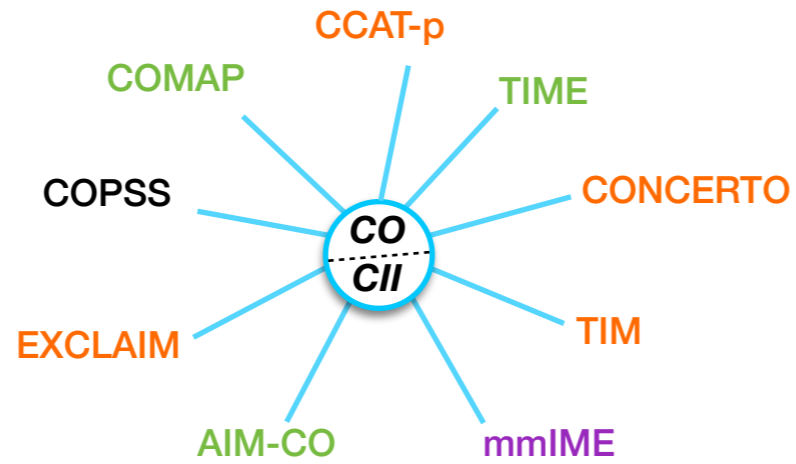
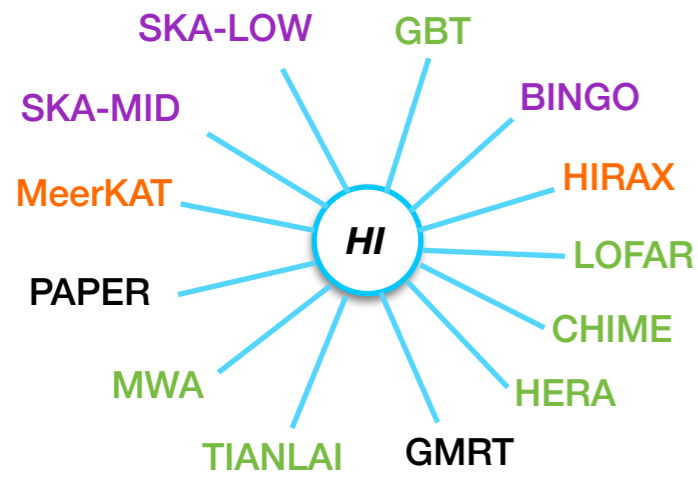
$$\tilde{P}_{\ell}(k^{\text{meas}}) = \frac{H(z)}{H^{\text{fid}}(z)} \left(\frac{D_A^{\text{fid}}(z)}{D_A(z)} \right)^2 \frac{2\ell + 1}{2} \int_{-1}^1 d\mu^{\text{meas}} \tilde{P}(k^{\text{true}}, \mu^{\text{true}}) \mathcal{L}_{\ell}(\mu^{\text{meas}})$$



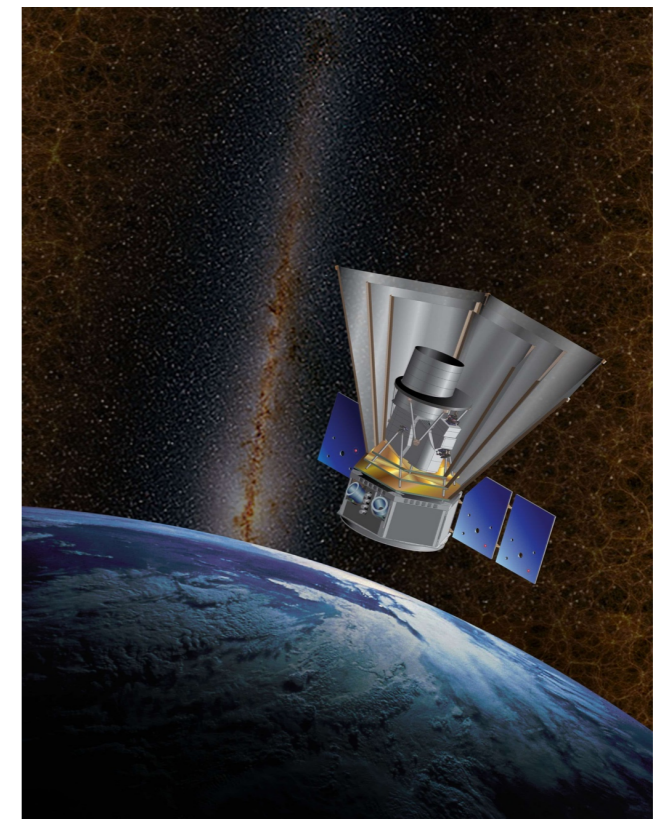
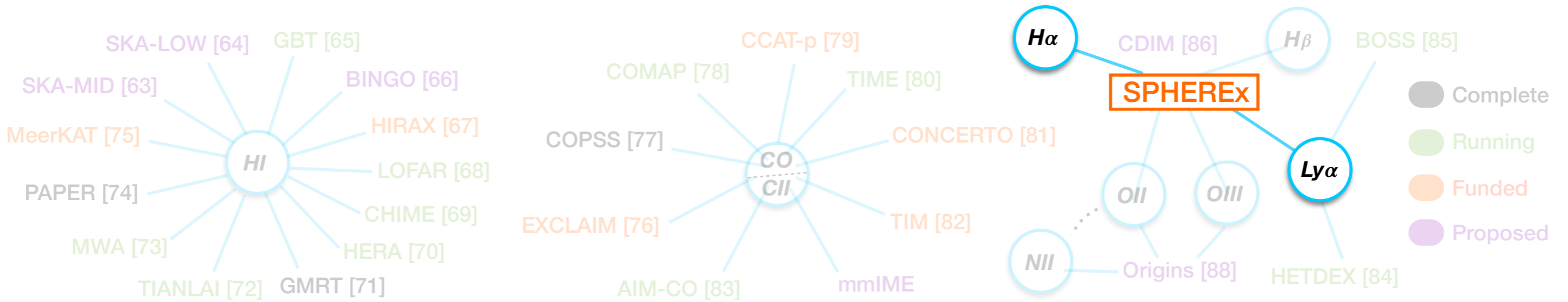
Line-Intensity Mapping: Experimental Landscape



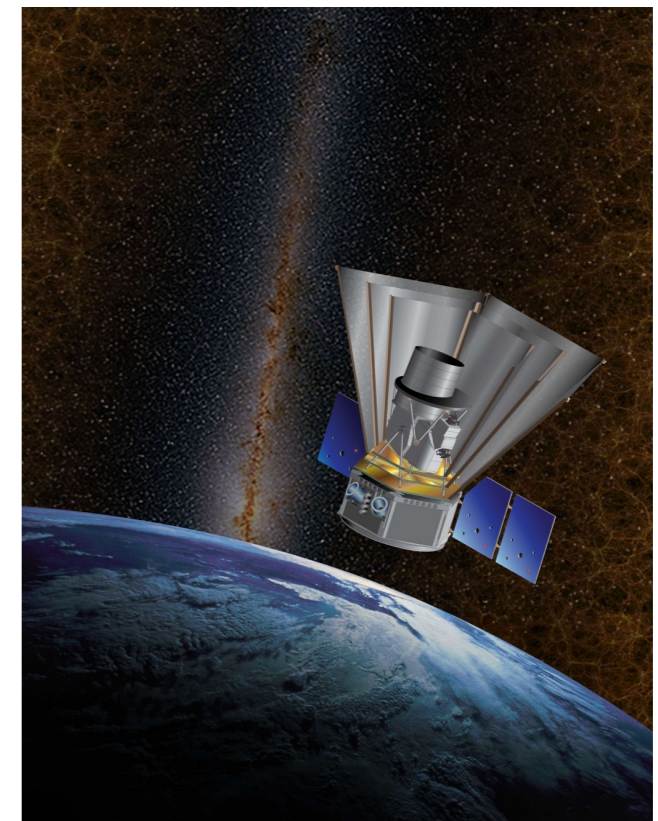
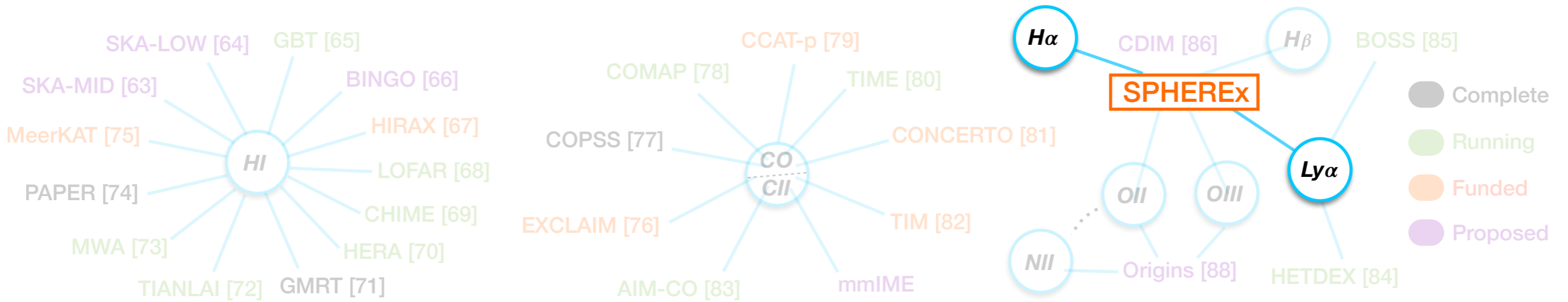
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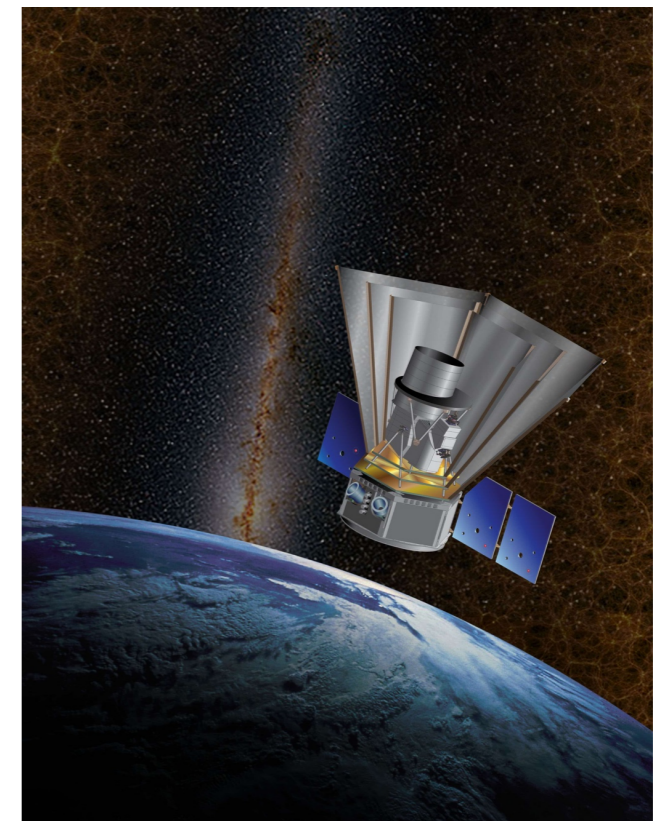
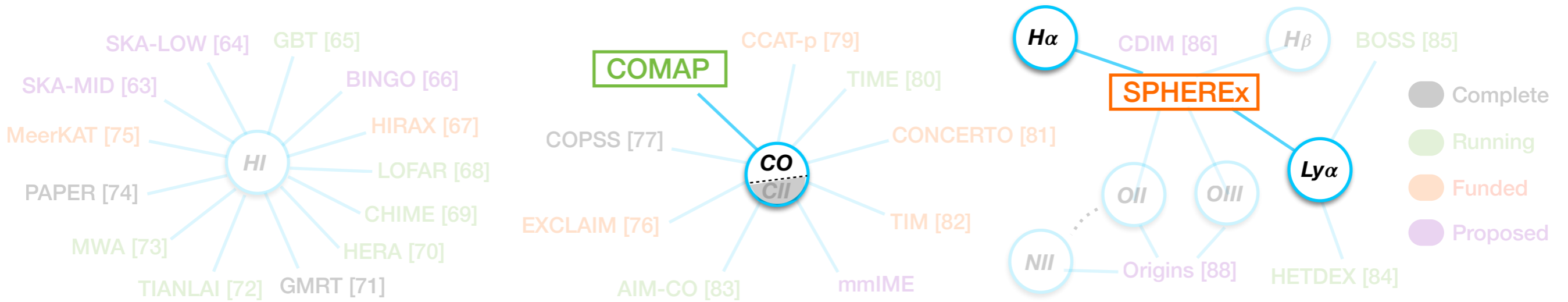


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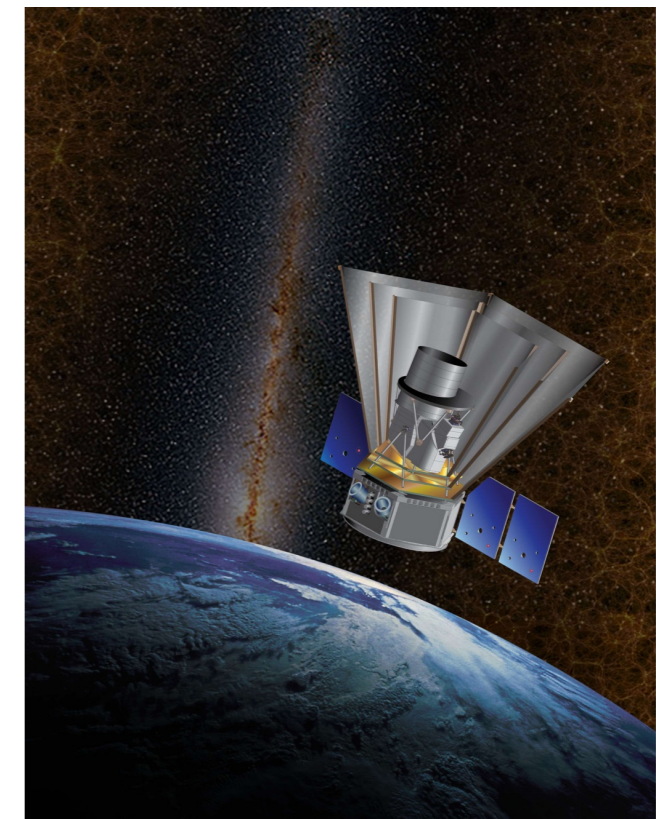
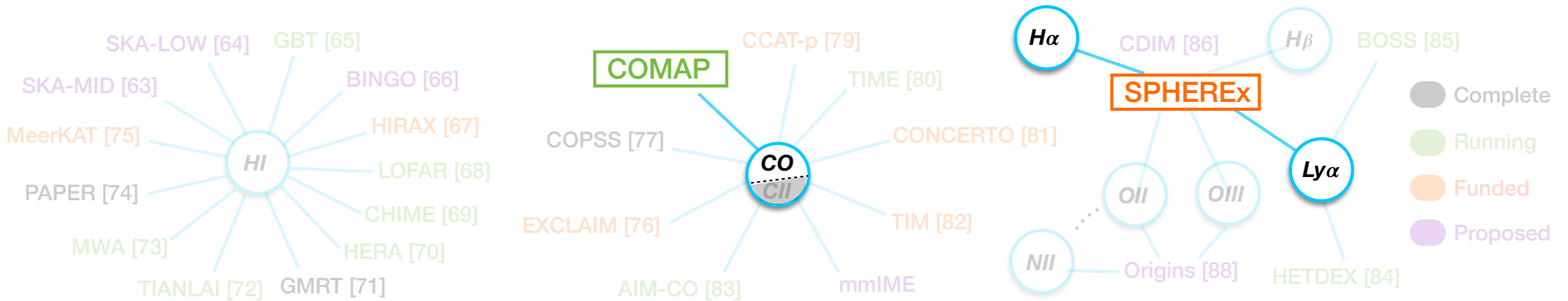
<i>Hα</i>	<i>Lyα</i>
80-300 THz	250-360 THz
200 deg ²	200 deg ²

Line-Intensity Mapping: Experimental Landscape



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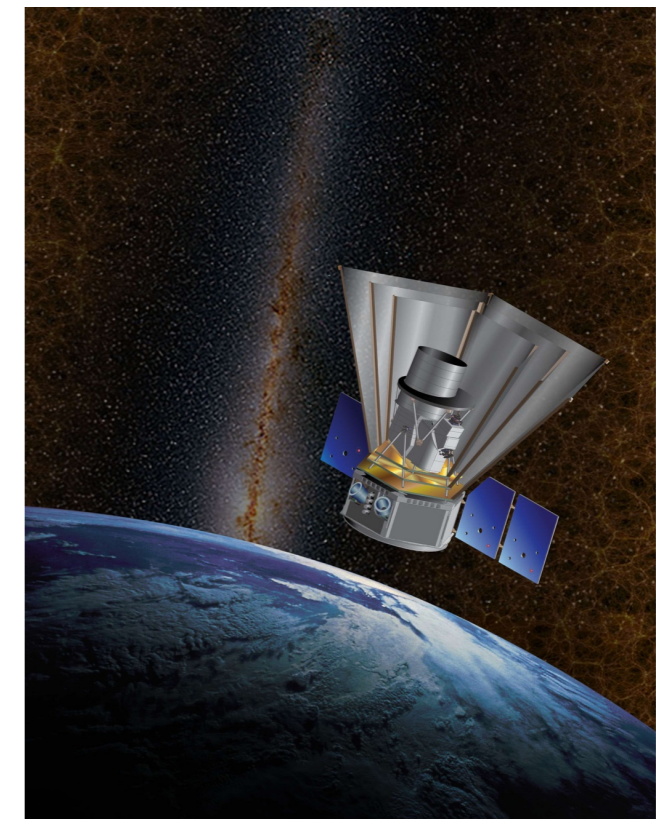
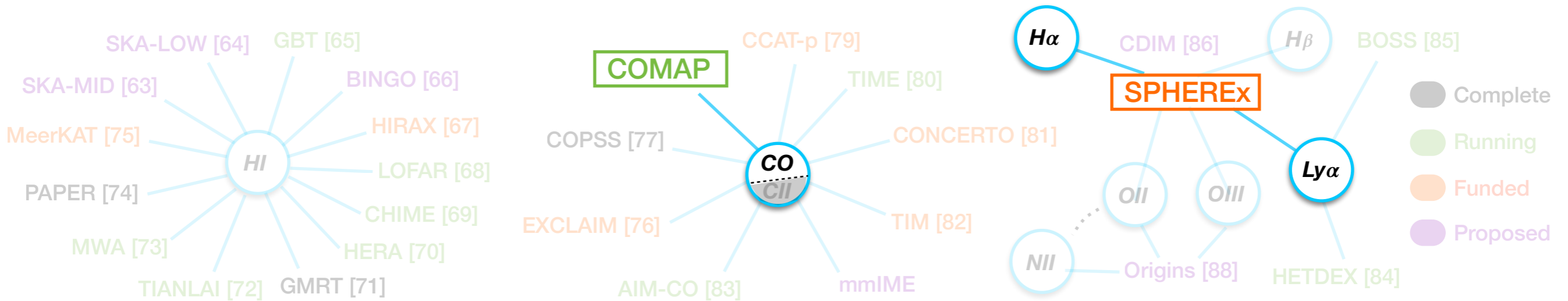
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Instrumental Parameter	COMAP 1	COMAP 2	IMS3 (CO)
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Total # of independent detectors	19	95	1000
Ang. resolution (FWHM) [arcmin]	4	4	4
Frequency band [GHz]	26-34	26-34	12-36
$\delta\nu$ [MHz]	15.6	8.0	2.0
t_{obs} [h]	6000	10000	10000
Ω_{field} [deg ²]	2.25	60	1000

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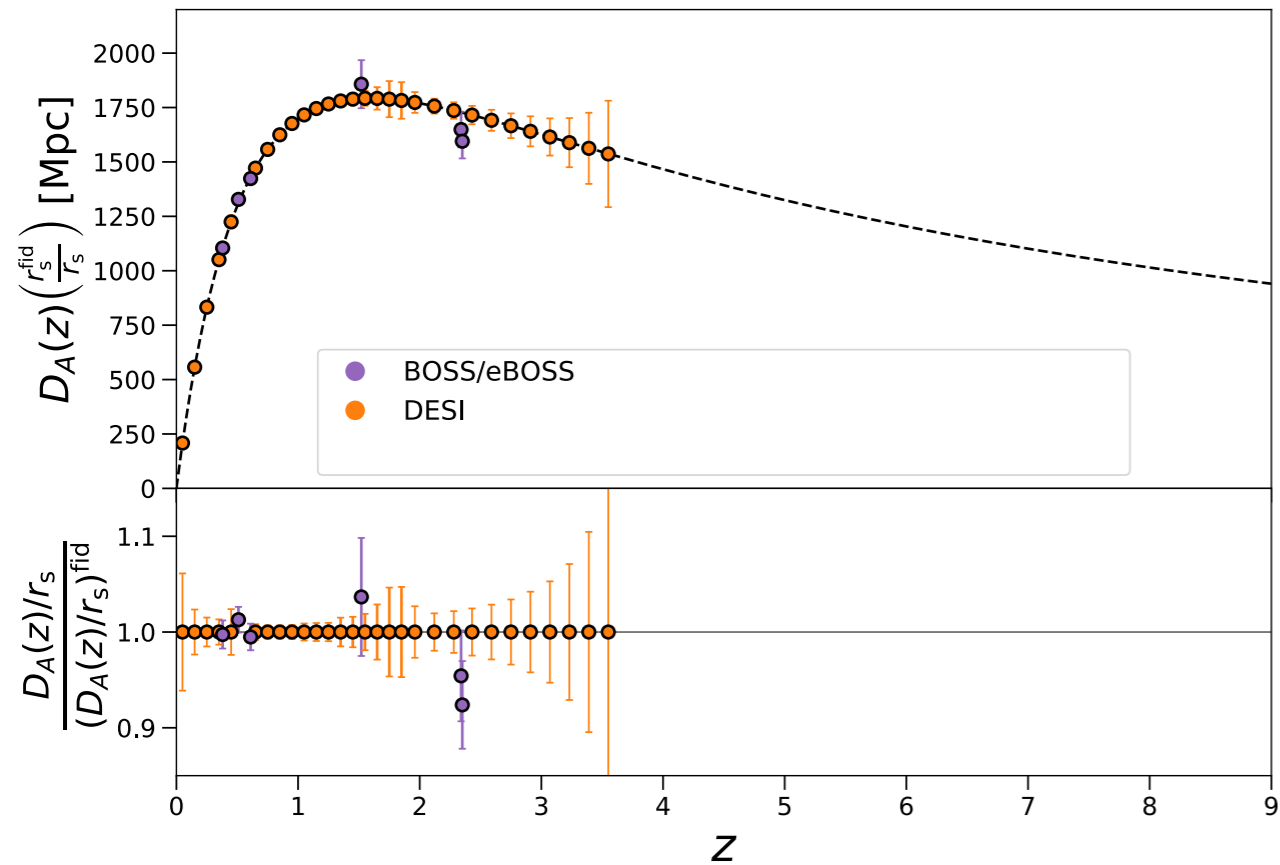
How well can we constrain the expansion history?

(J. L. Bernal, P. Breysse, EDK, PRL 2019, J. L. Bernal, P. Breysse, H. Gil-Marin, EDK, PRD 2019)

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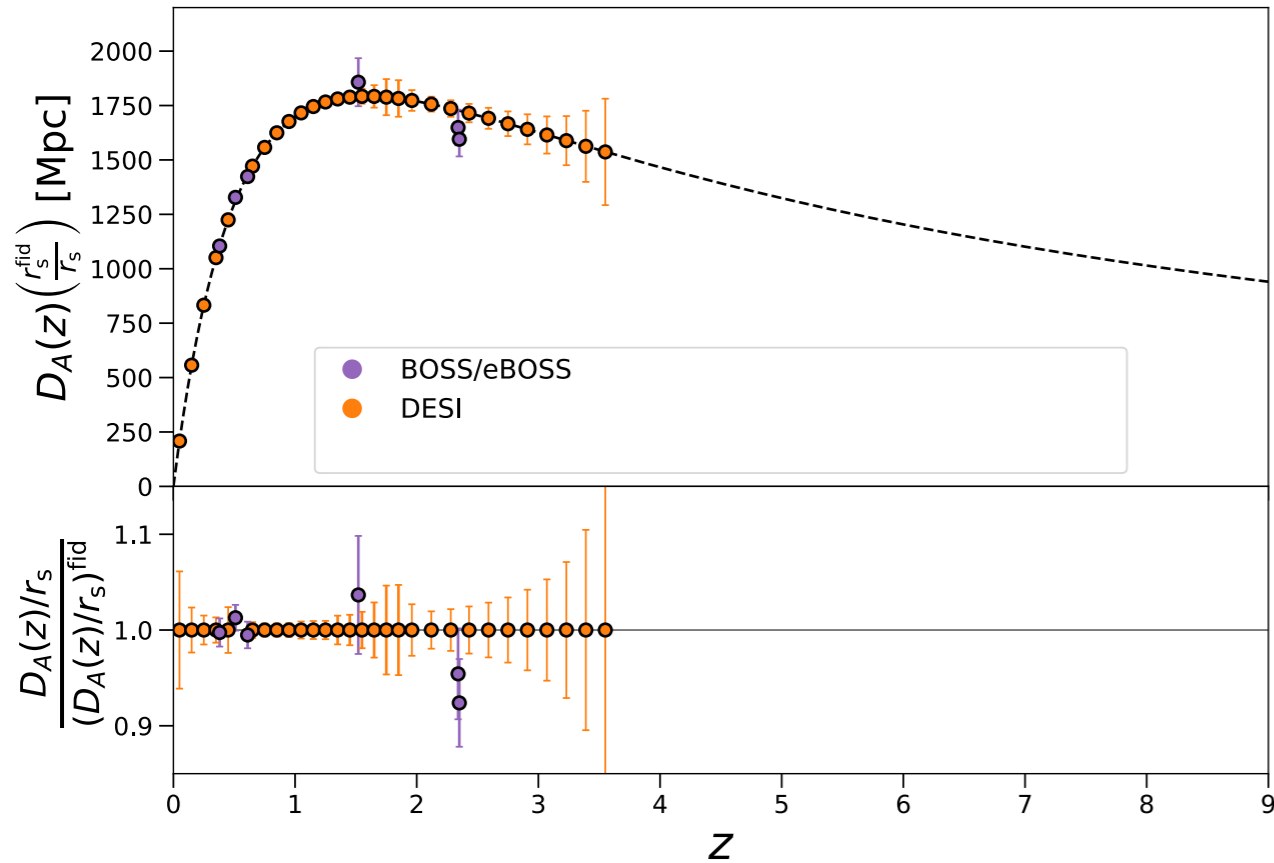
Angular diameter distance



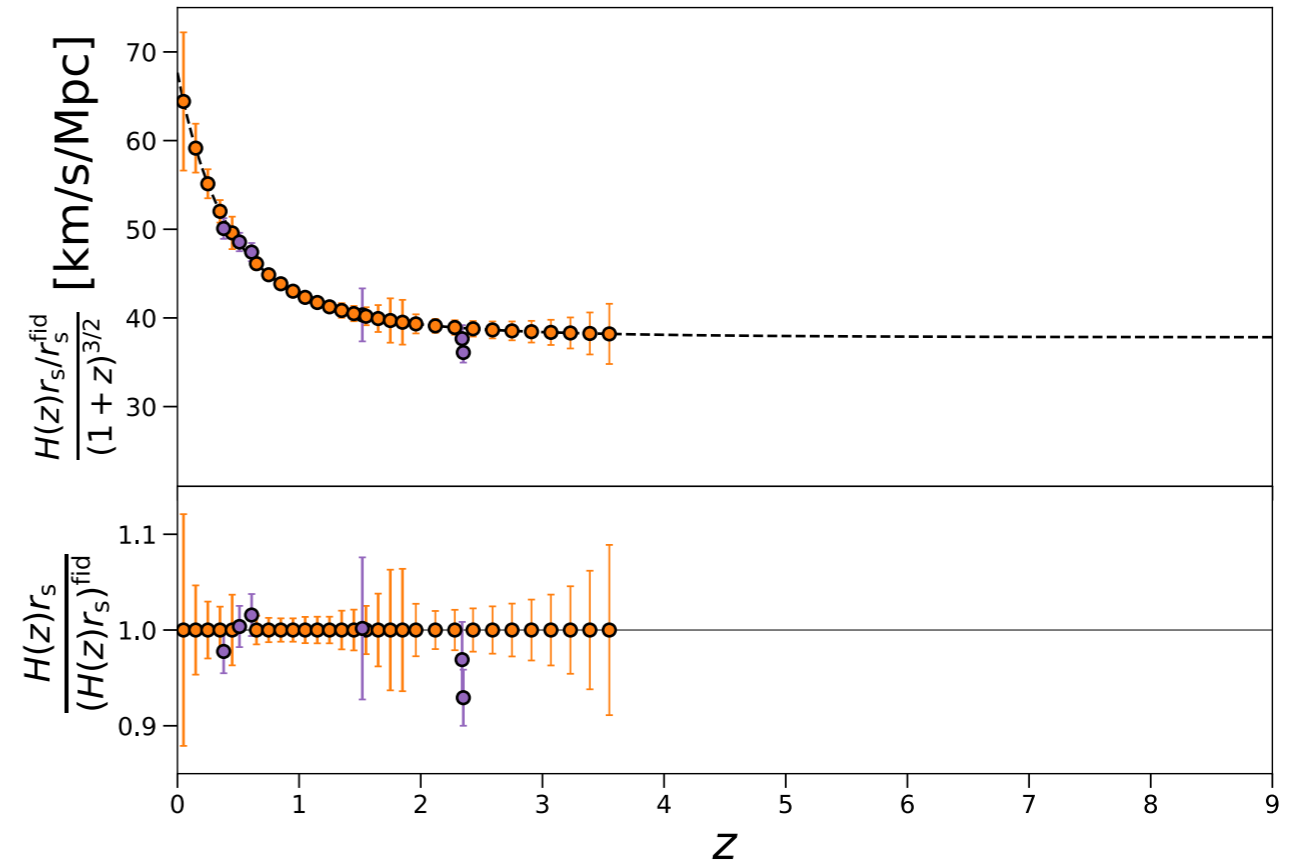
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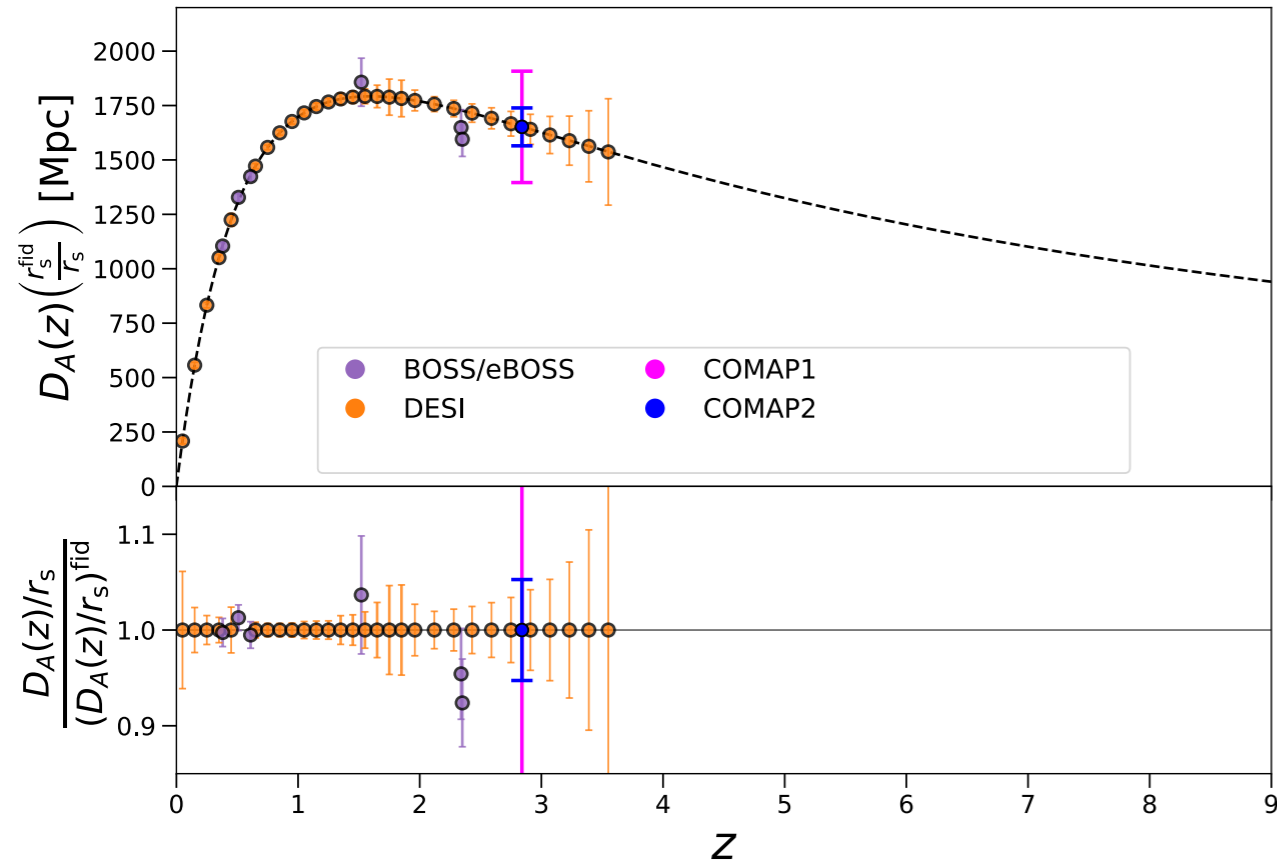
Hubble parameter



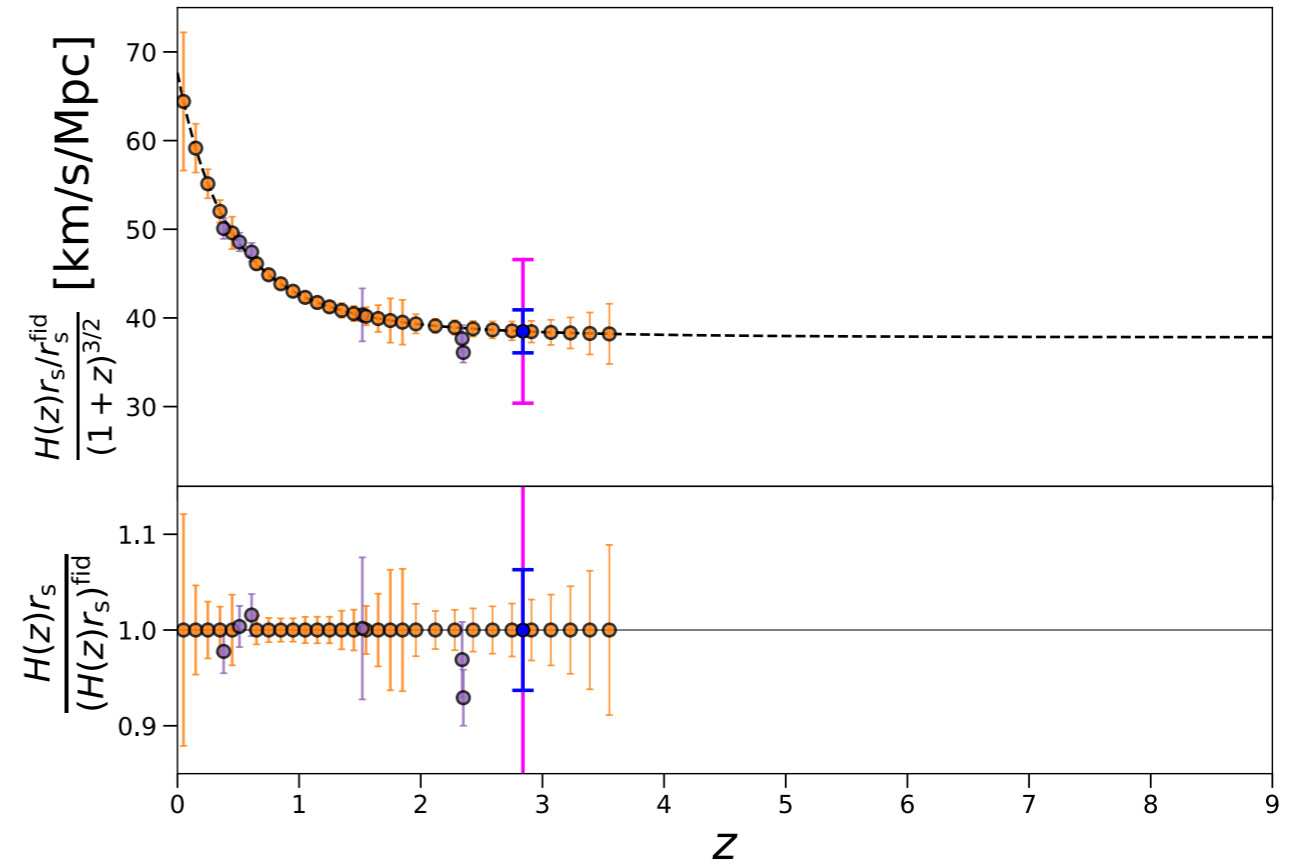
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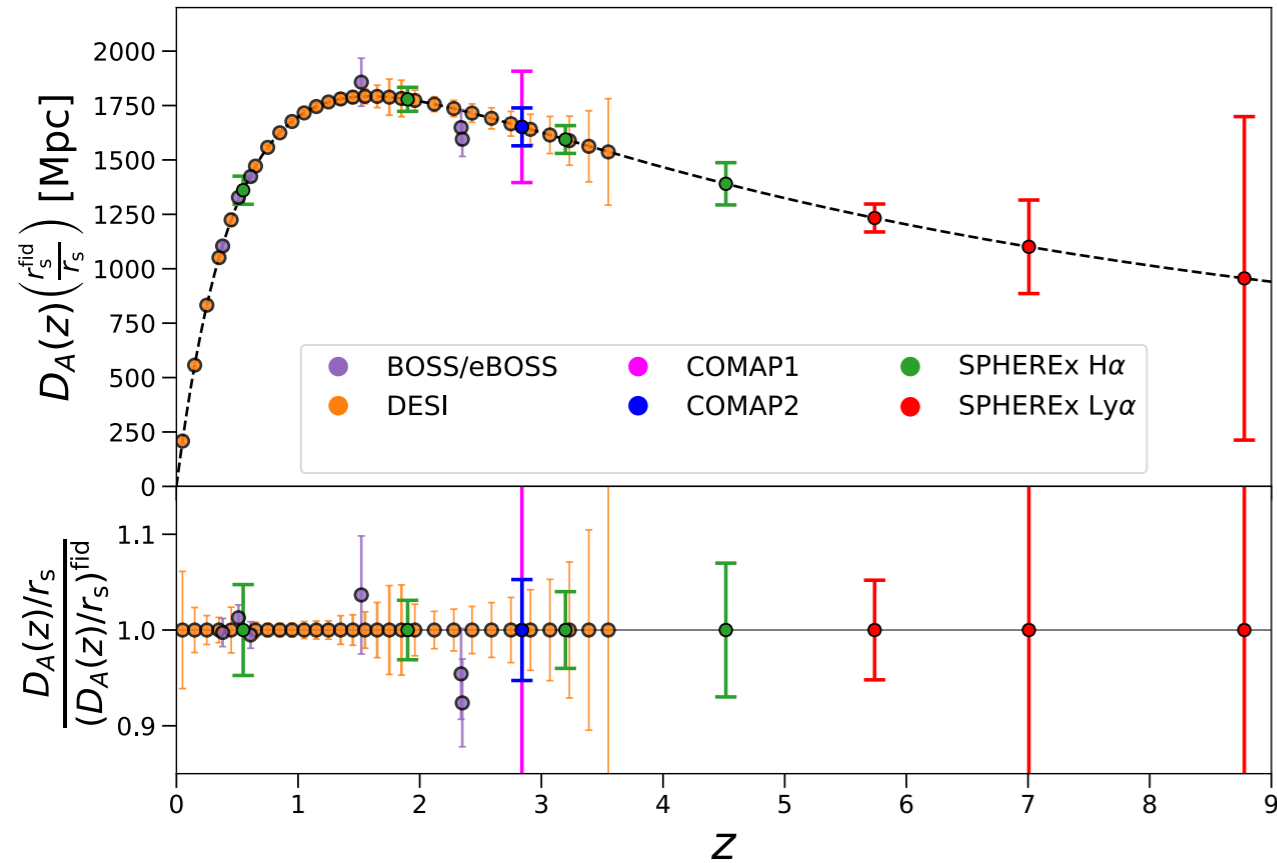
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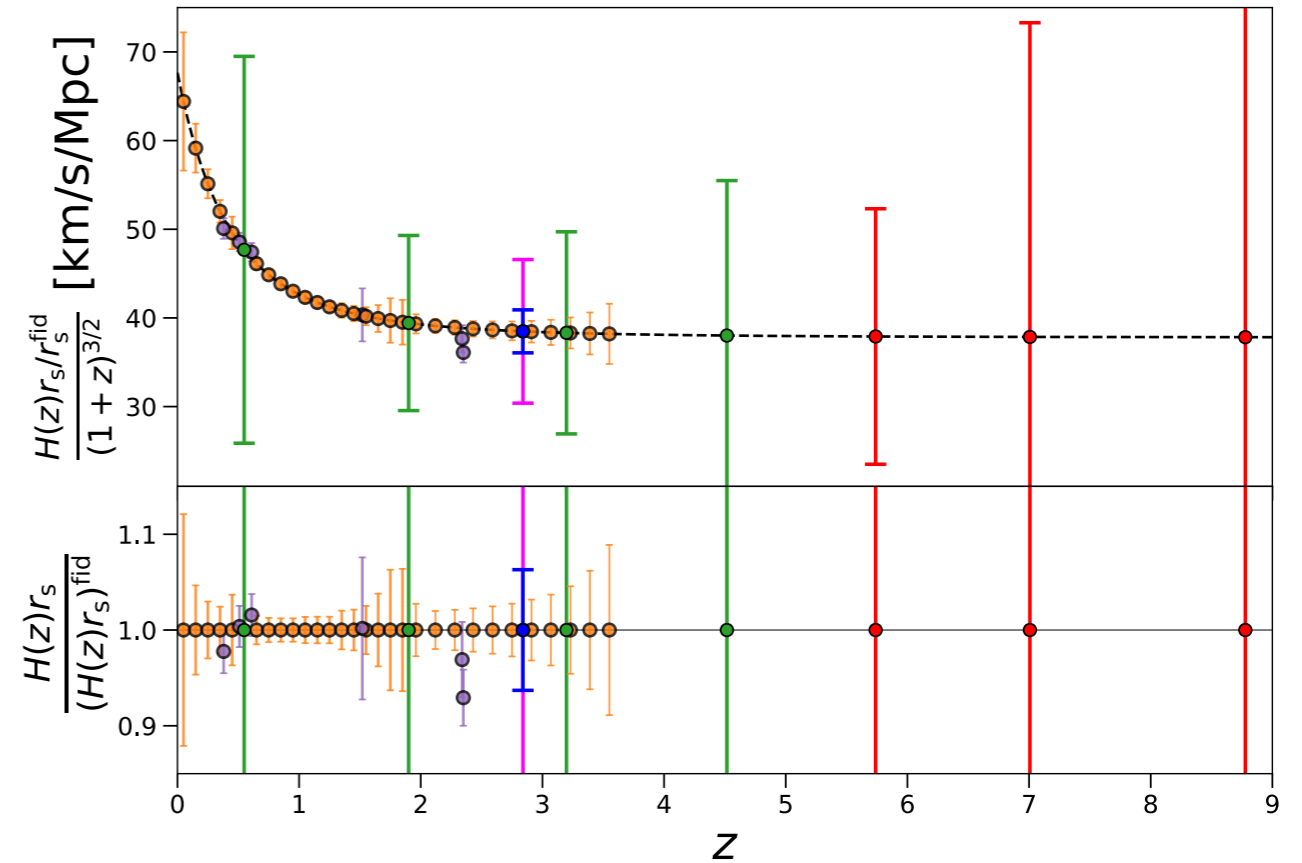
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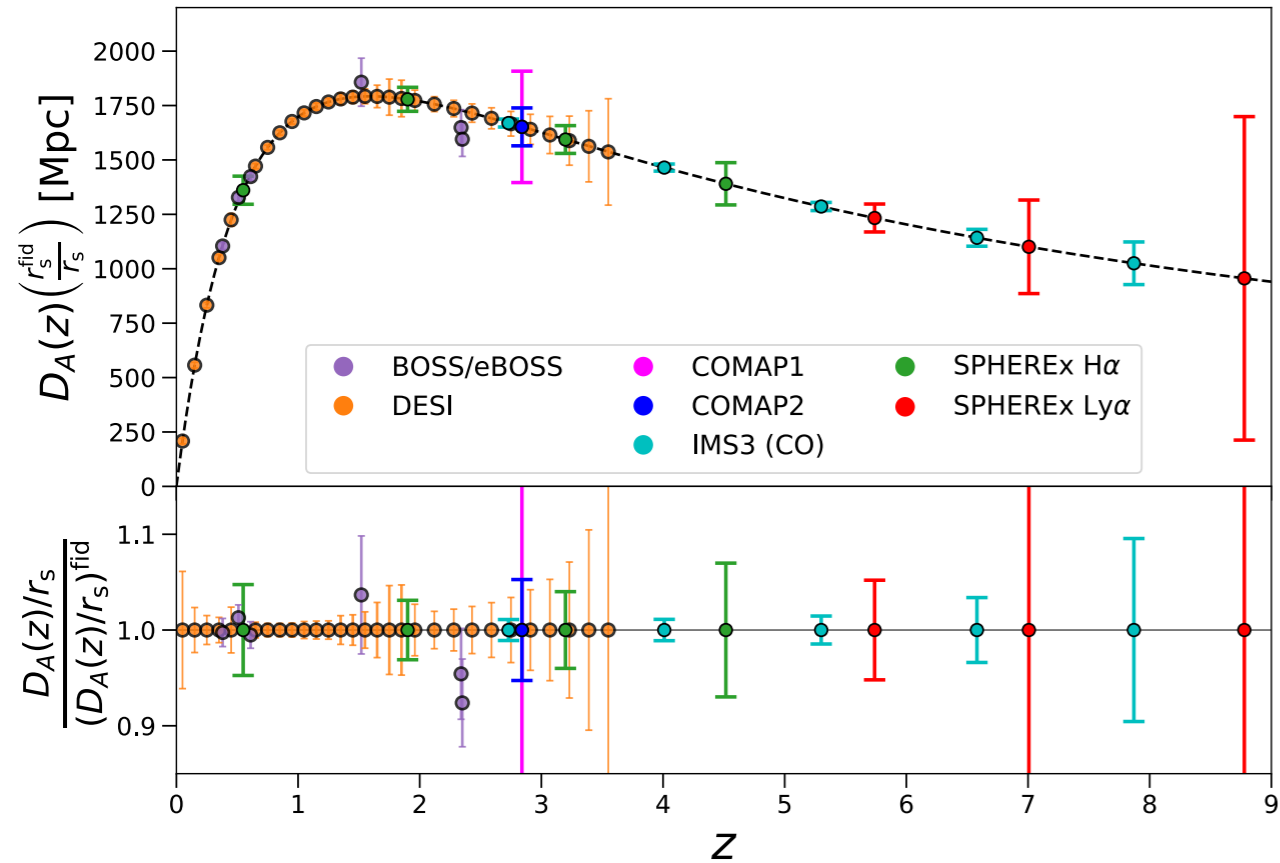
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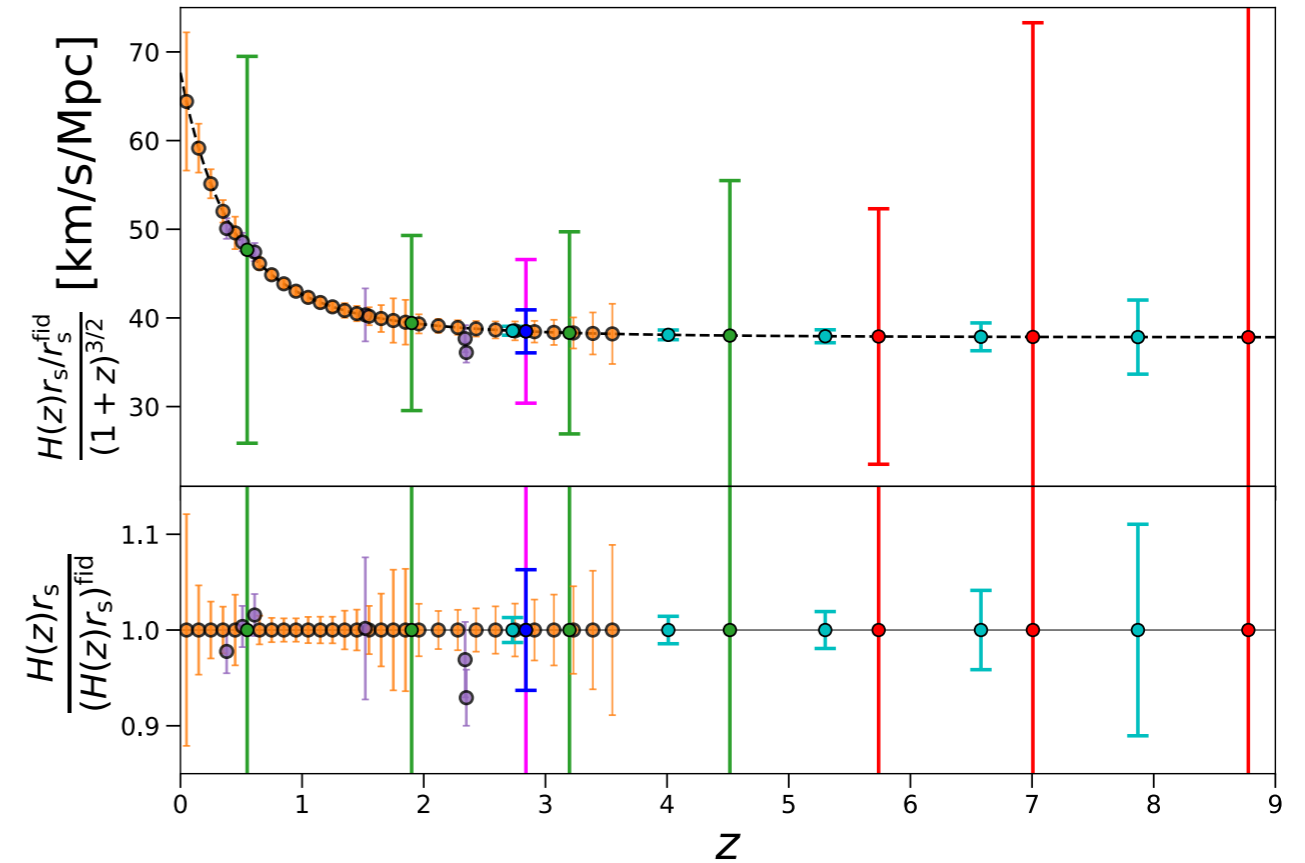
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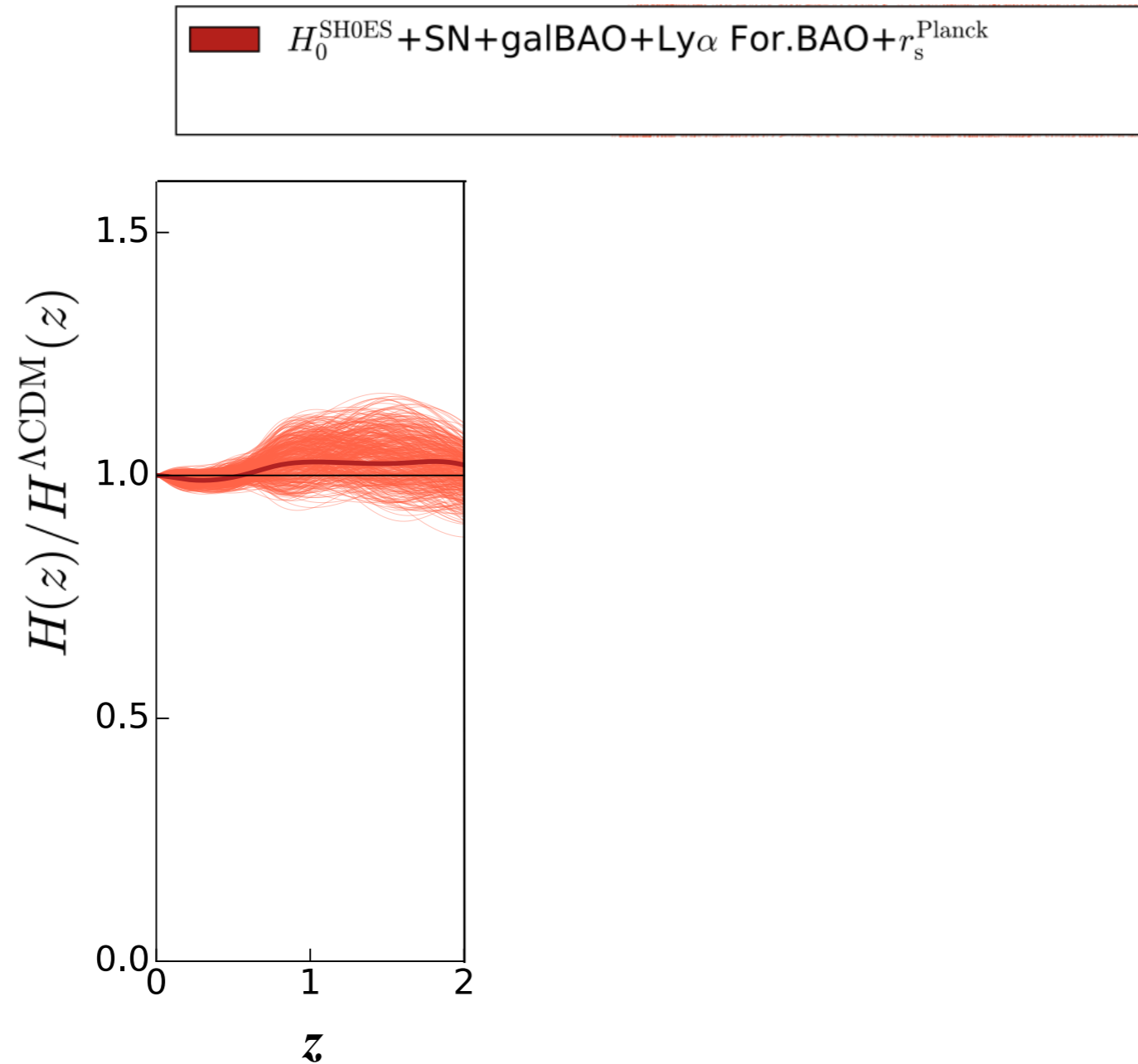


Reconstructing the Expansion History using LIM

(J. L. Bernal, P. Breysse, EDK, PRL 2019, J. L. Bernal, P. Breysse, H.Gil-Marin, EDK, PRD 2019)

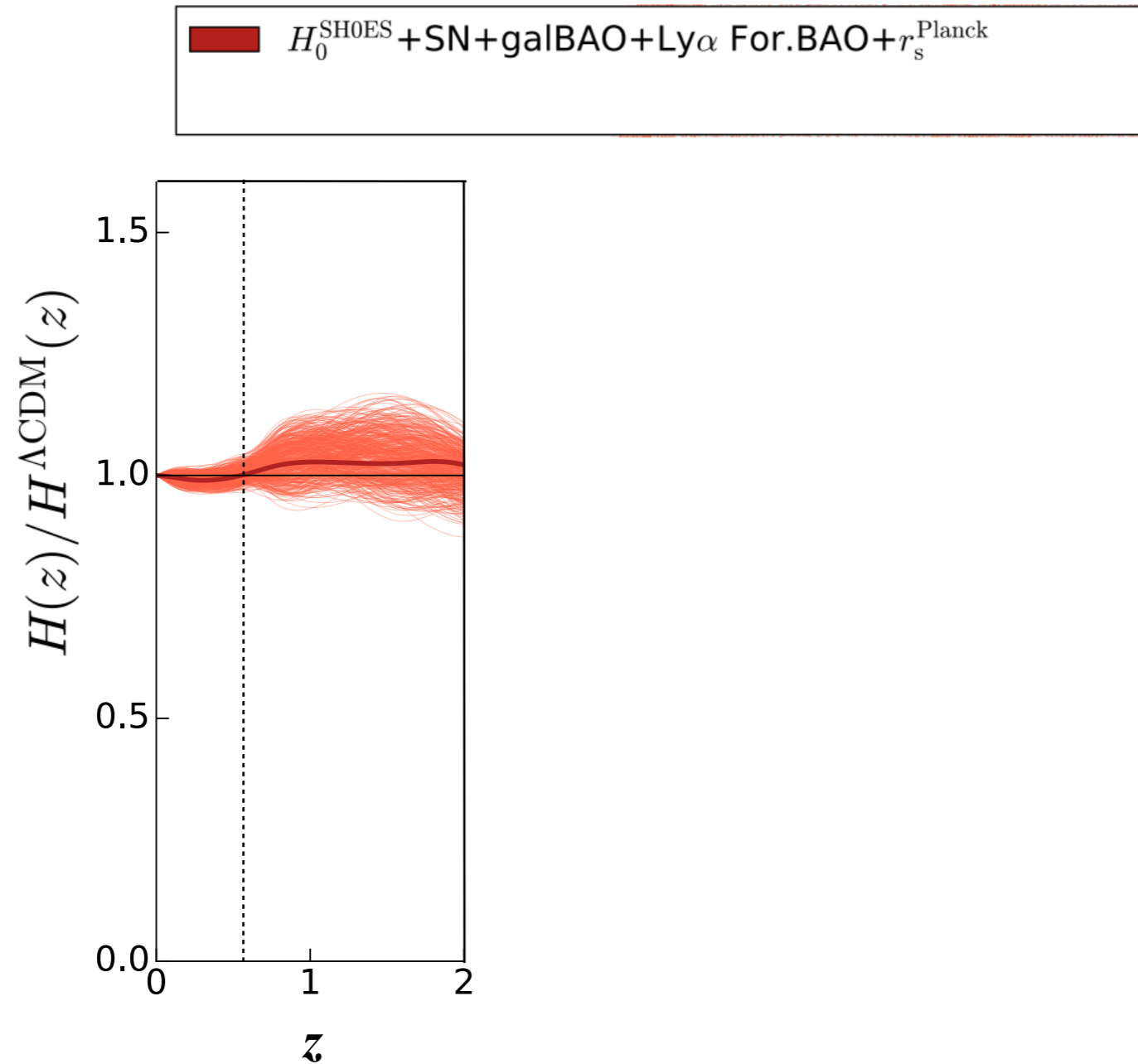
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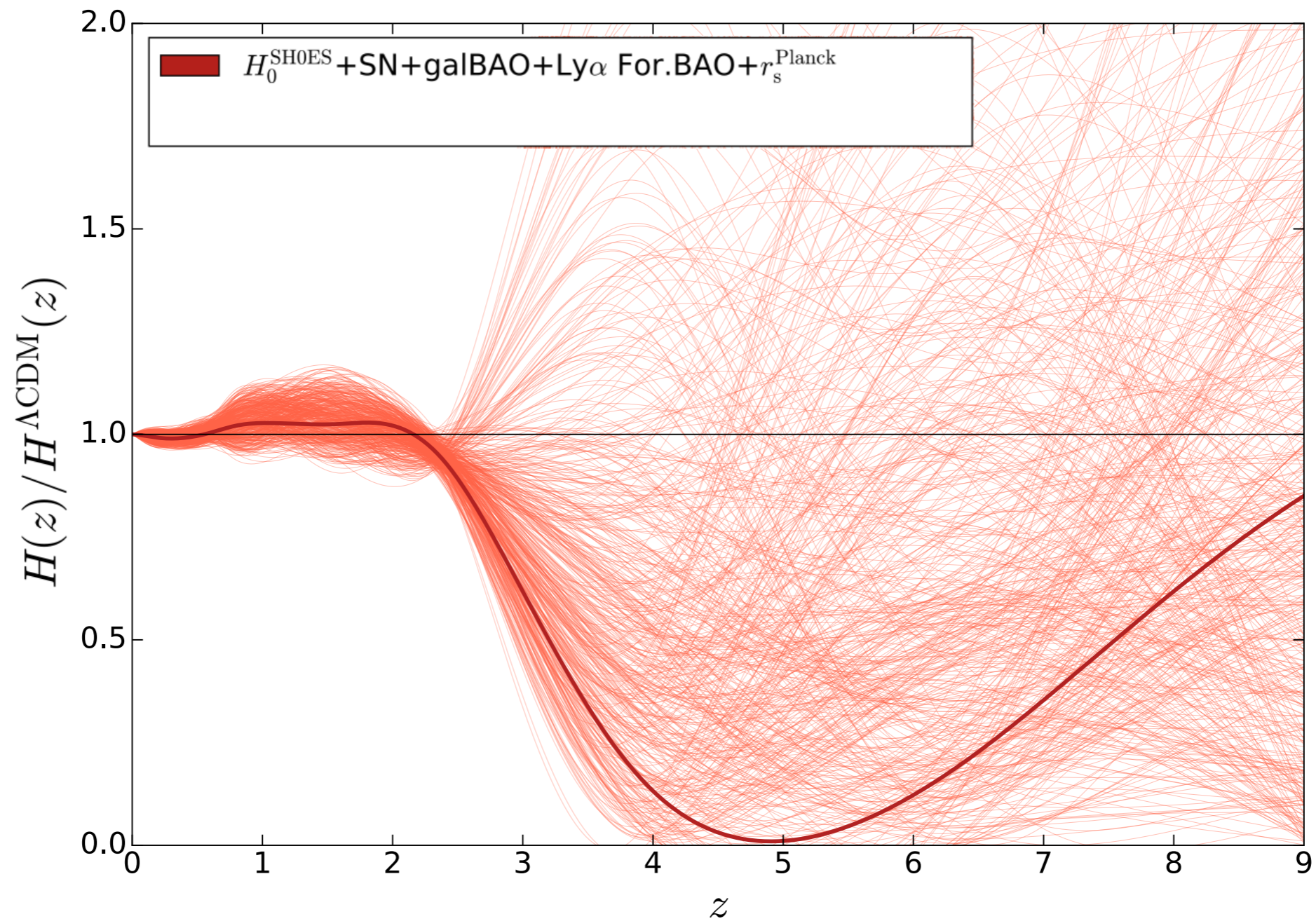
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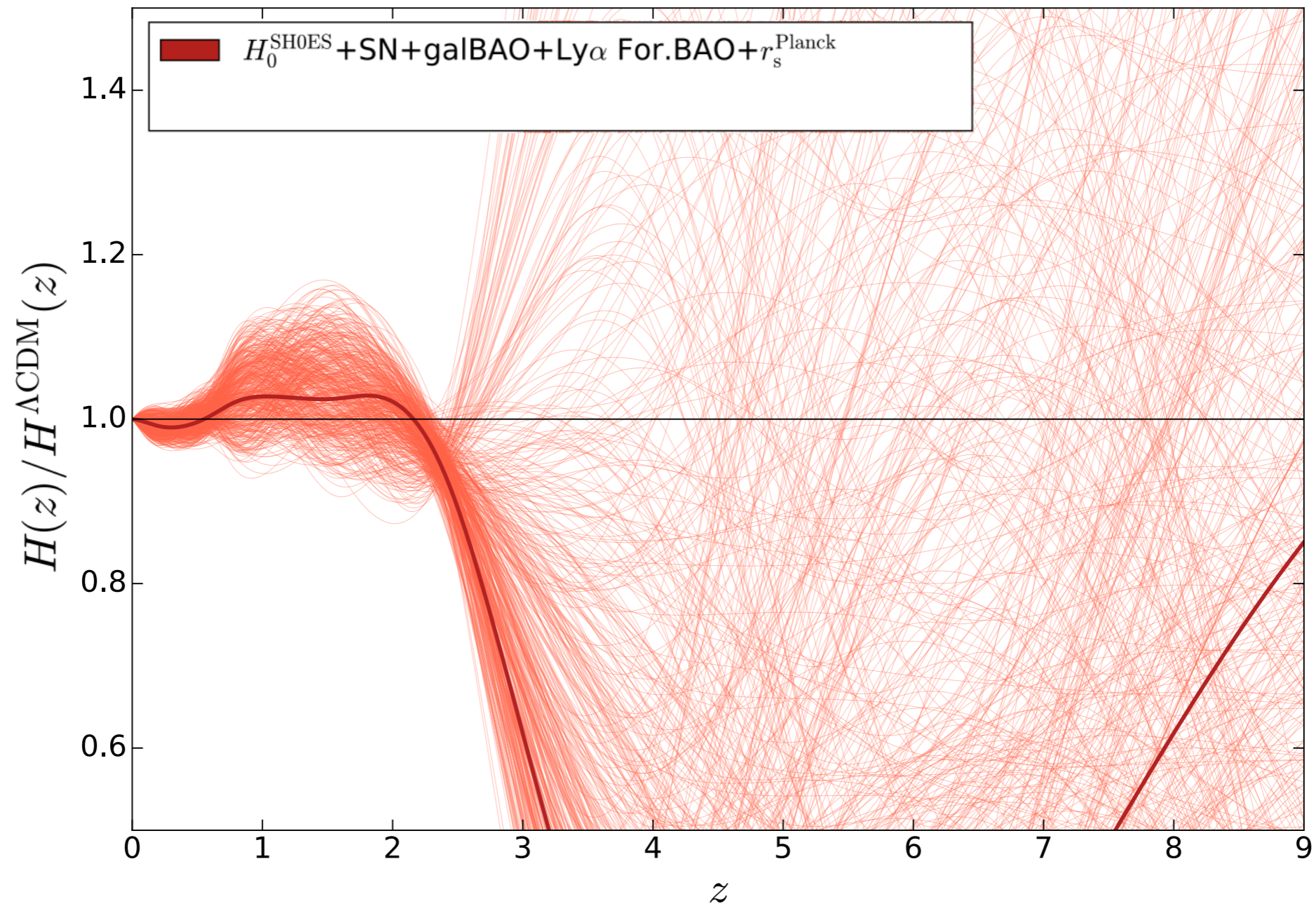
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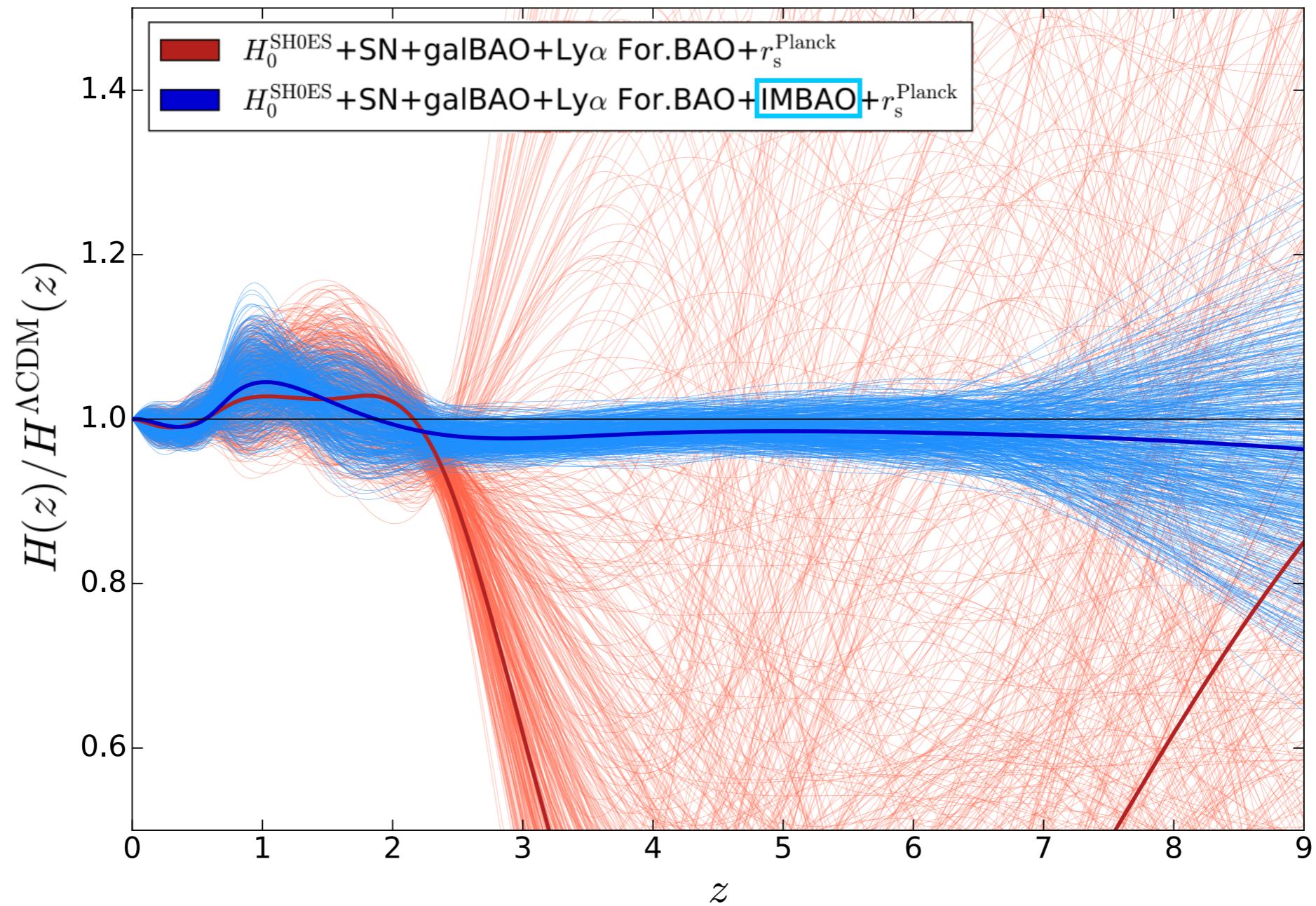
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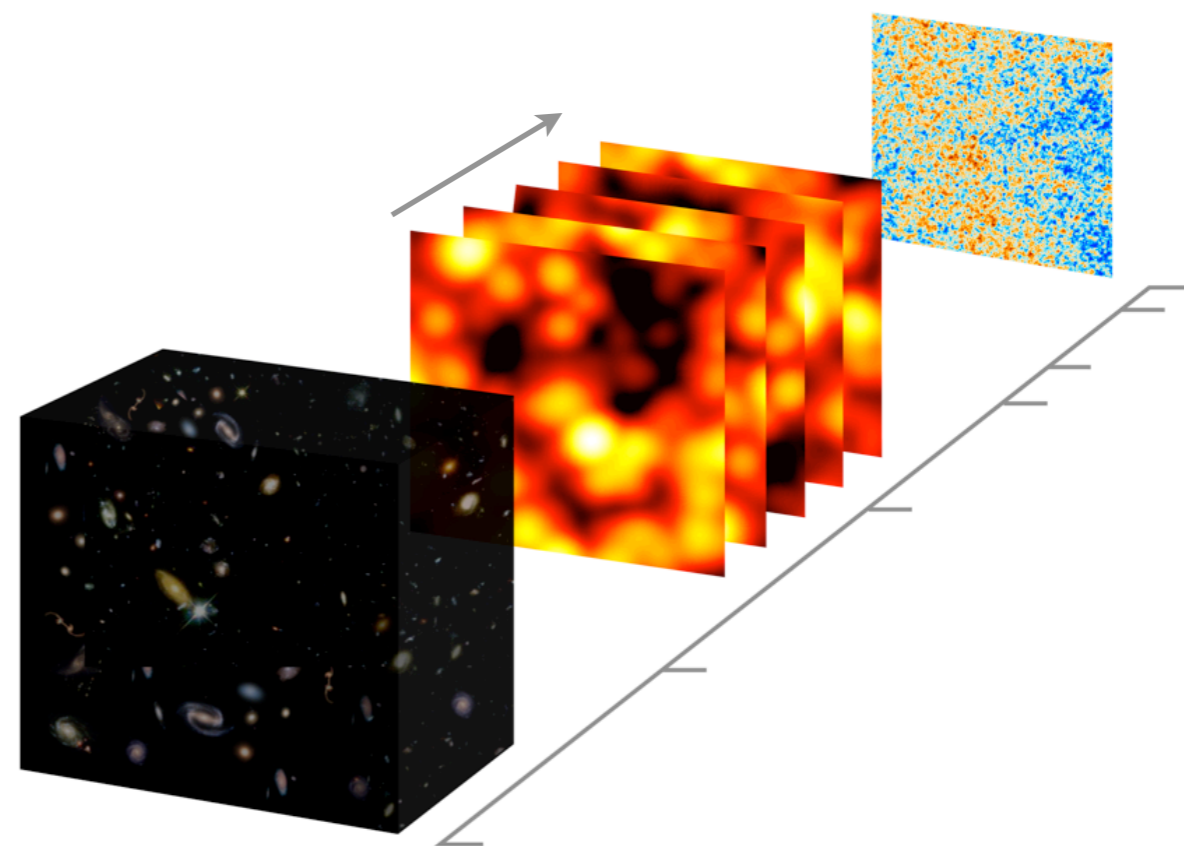


Reconstructing the Expansion History using LIM

(J. L. Bernal, P. Breysse, EDK, PRL 2019, J. L. Bernal, P. Breysse, H.Gil-Marin, EDK, PRD 2019)



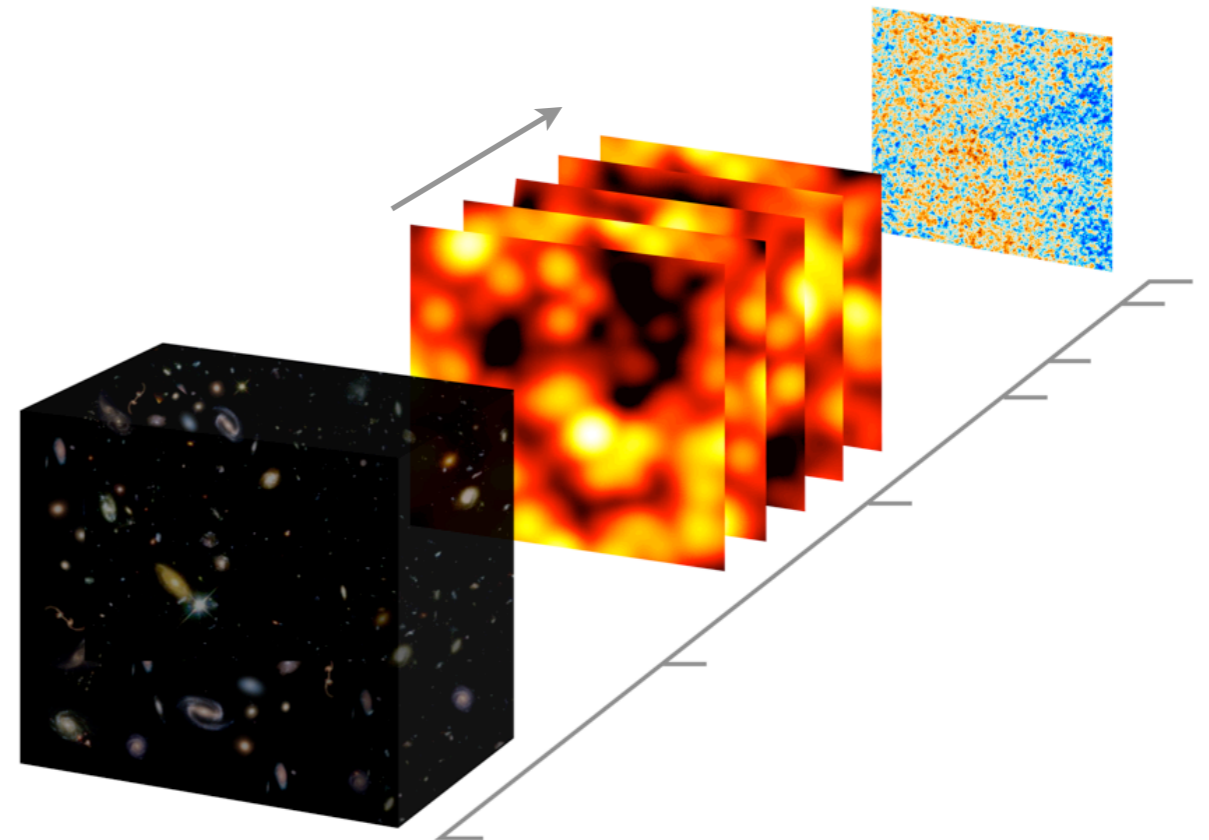
Conclusions and Outlook



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Opportunities:

- Cosmology: Inflation, dark matter, dark energy, modified gravity...
- Epoch of Reionization: bubble sizes, ionized fraction, duration,....
- Astrophysics: star-formation, galaxy assembly, metallicity history,....
- Synergy with other datasets: biases, systematics, galaxy evolution,...



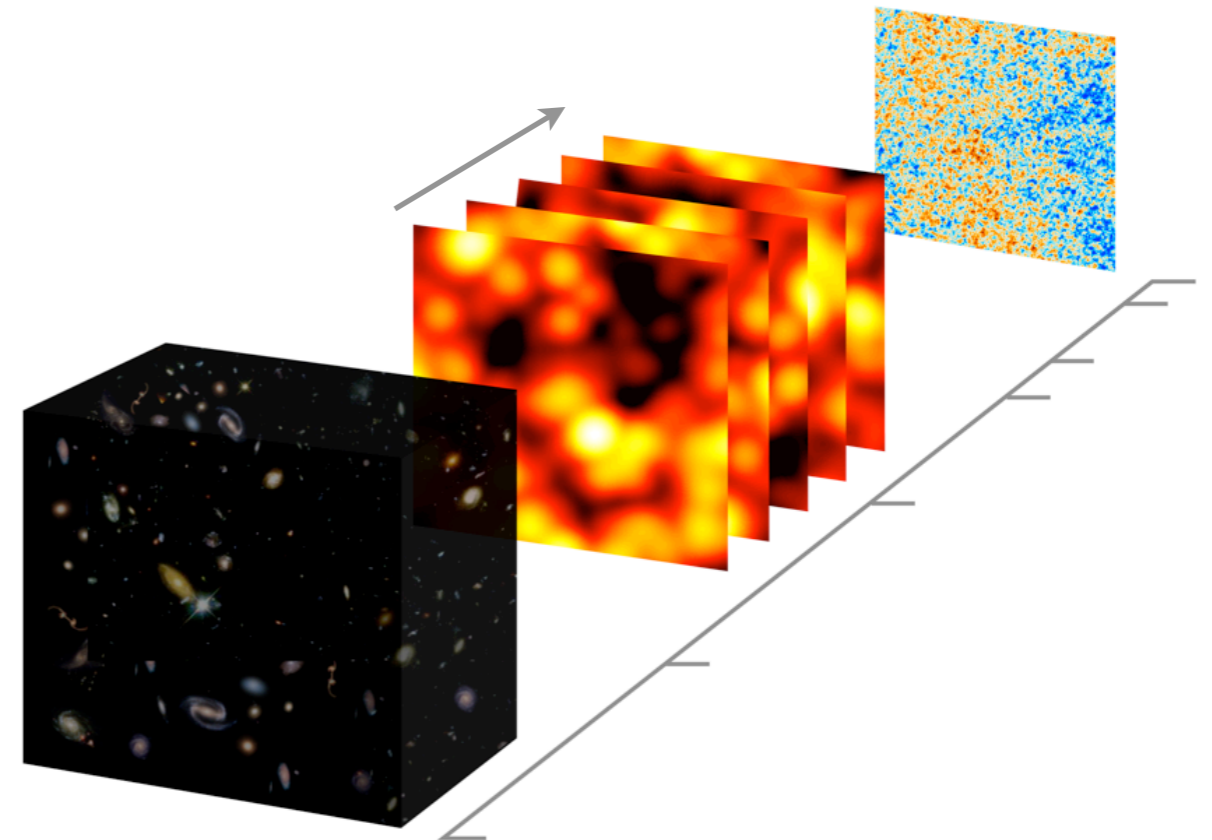
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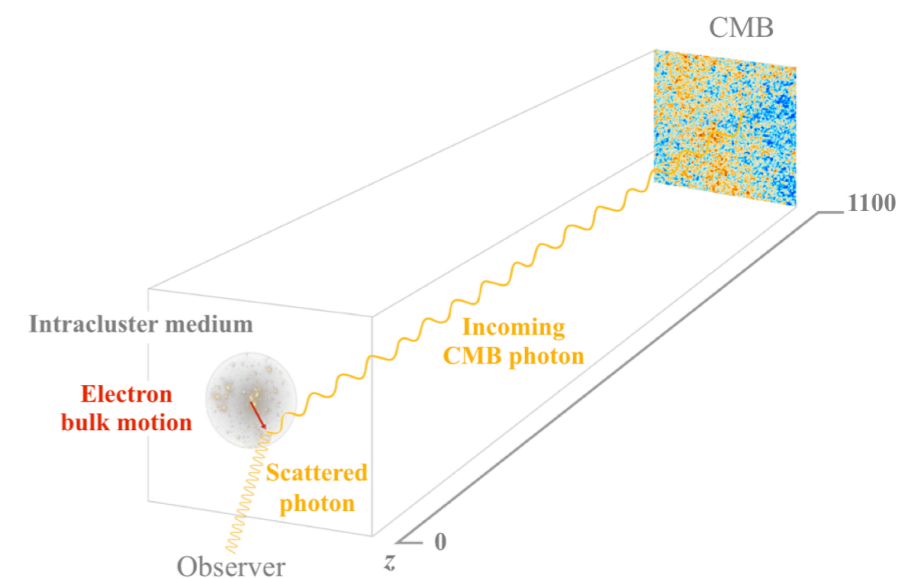
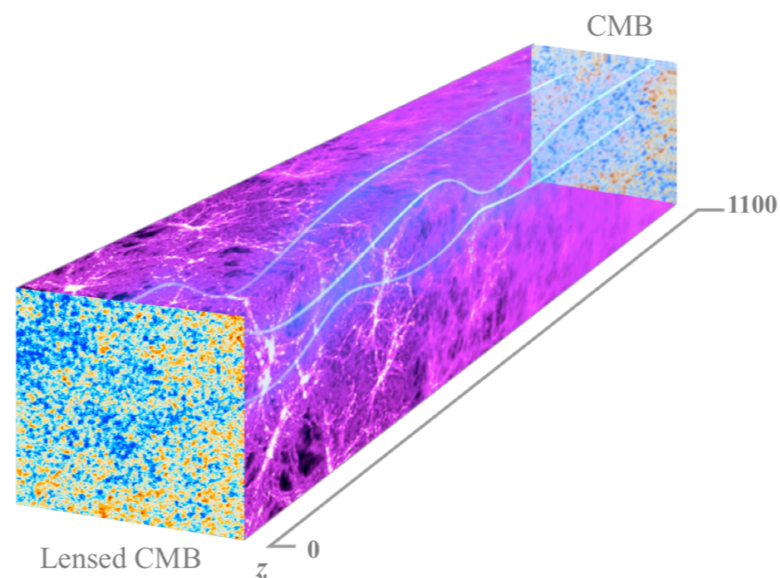
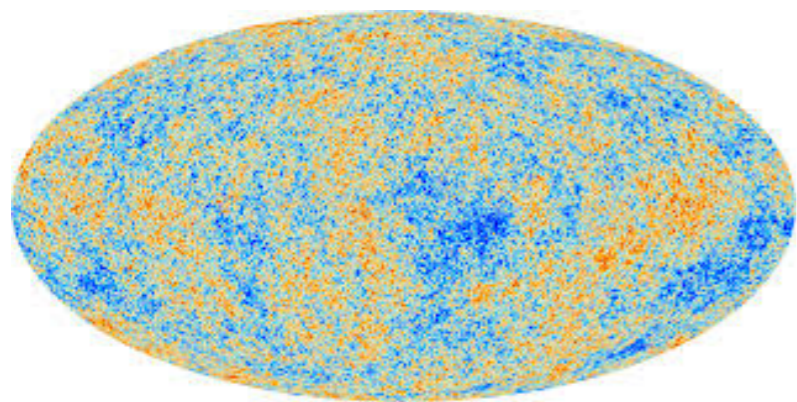
Challenges:

- Foregrounds?!
- Modeling: how to interpret a measurement?
- Optimal observables/estimators
- Simulations

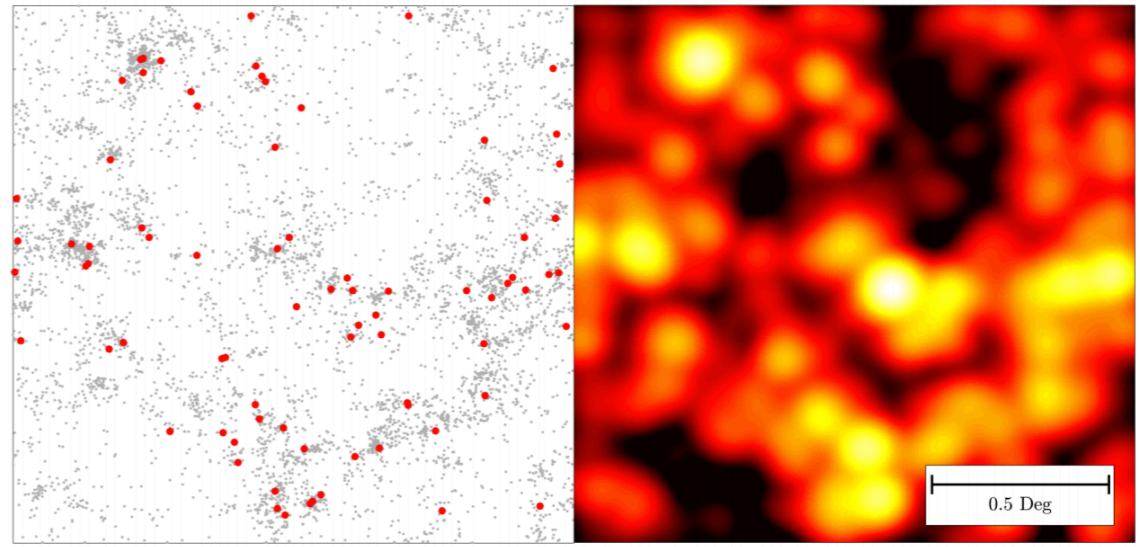
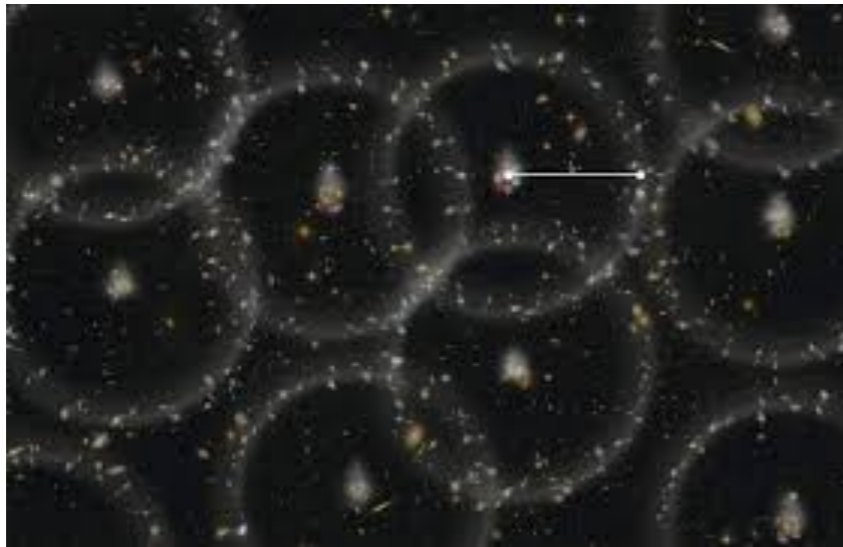
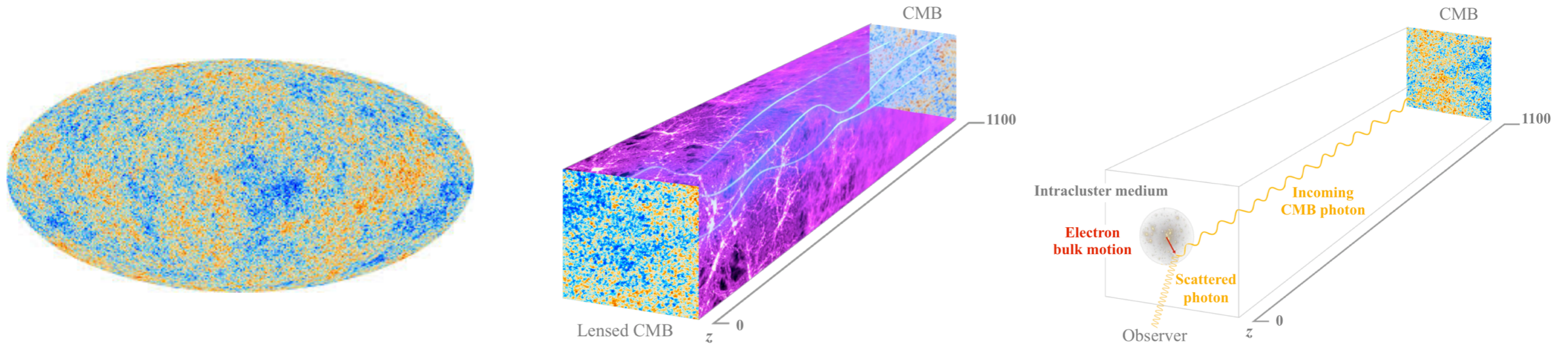


The Next Decade(s): Multi-Messenger Cosmology!

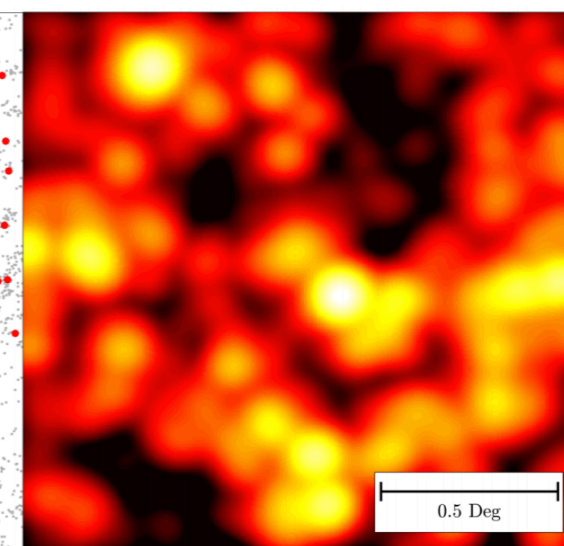
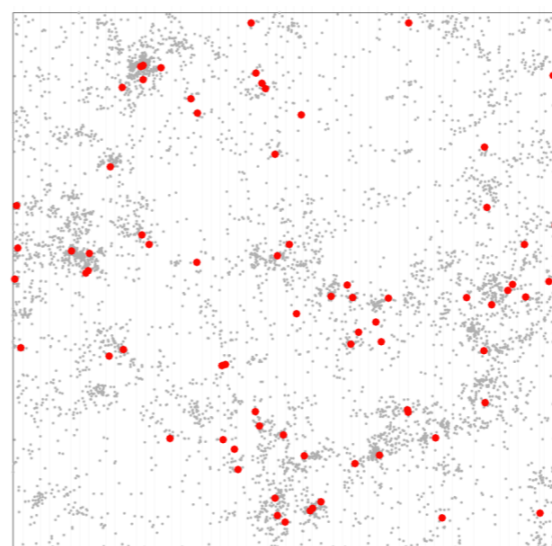
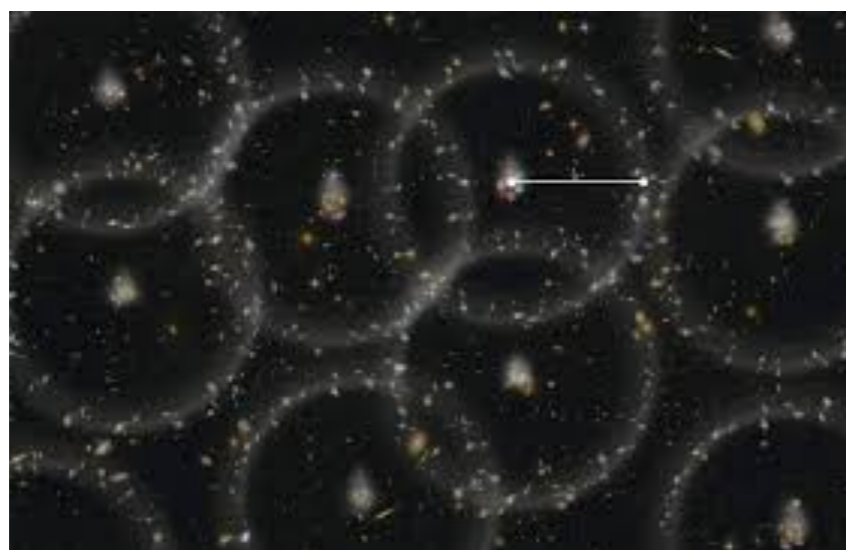
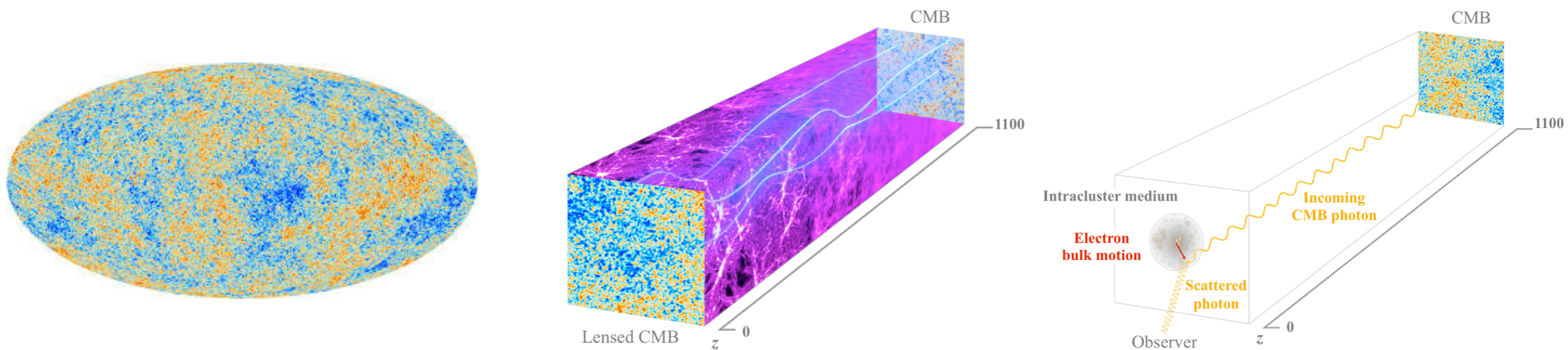
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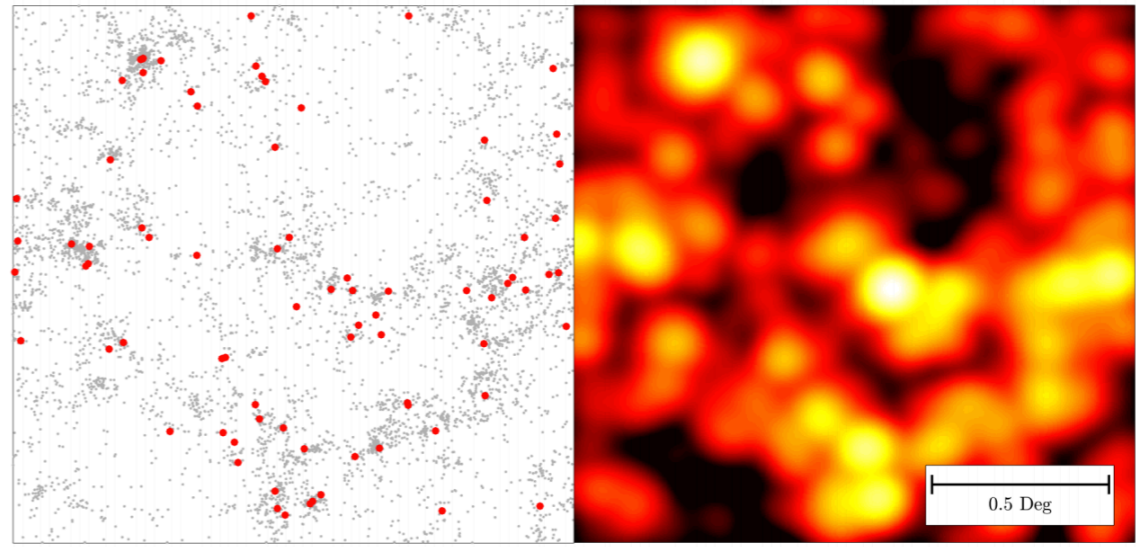
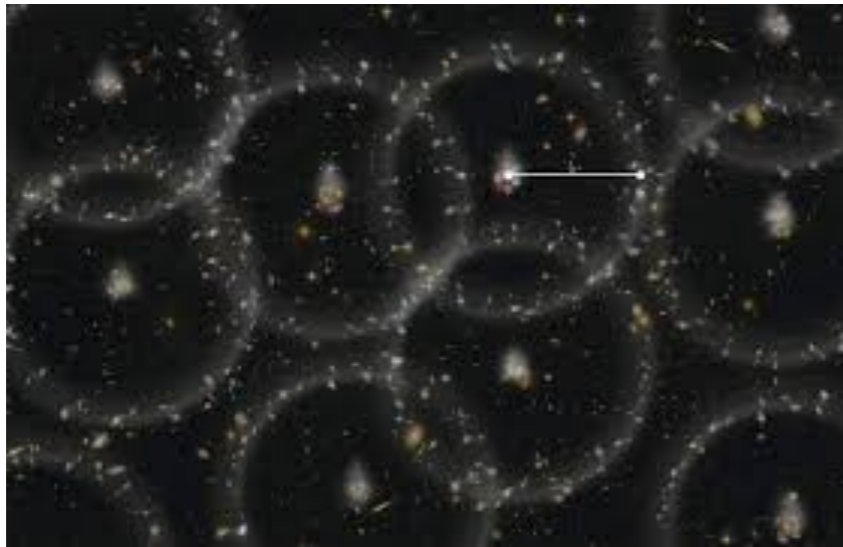
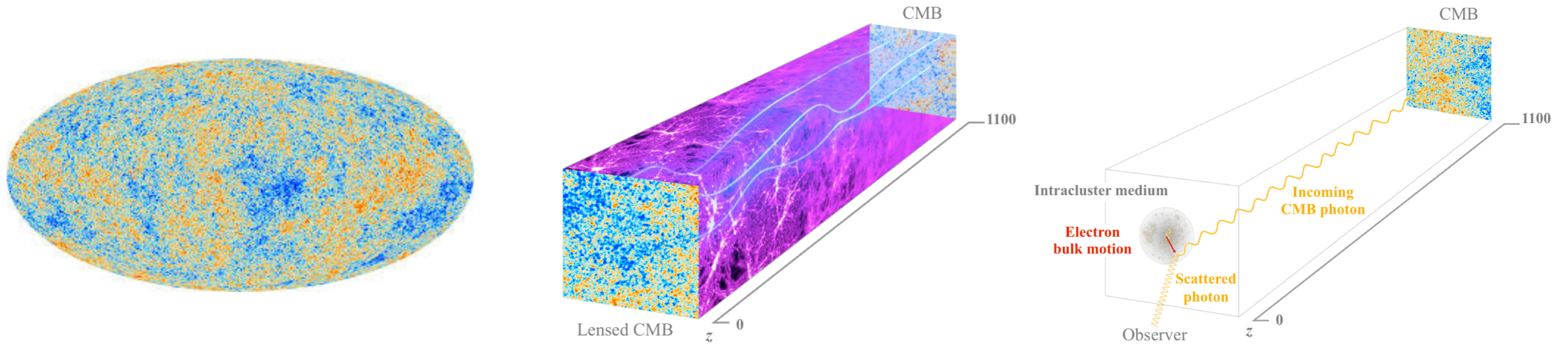
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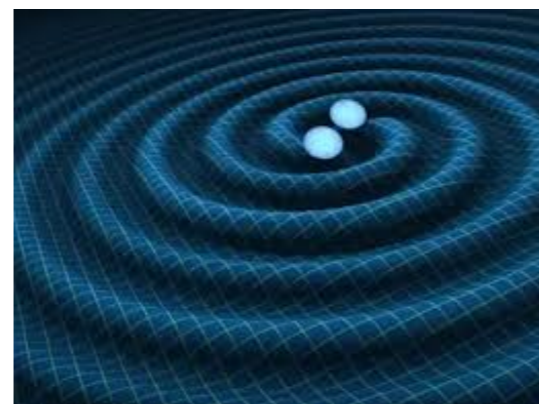
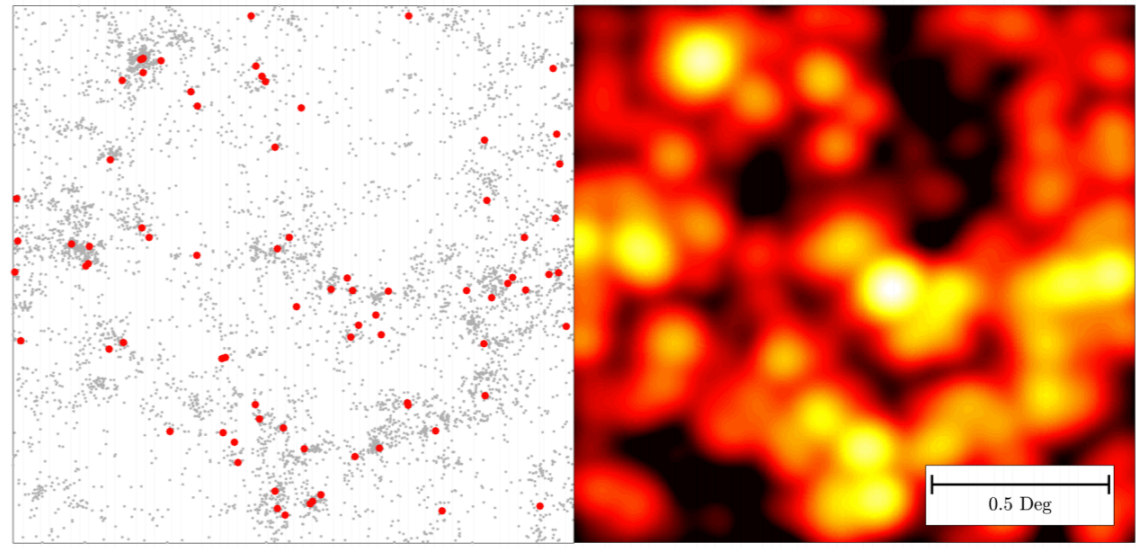
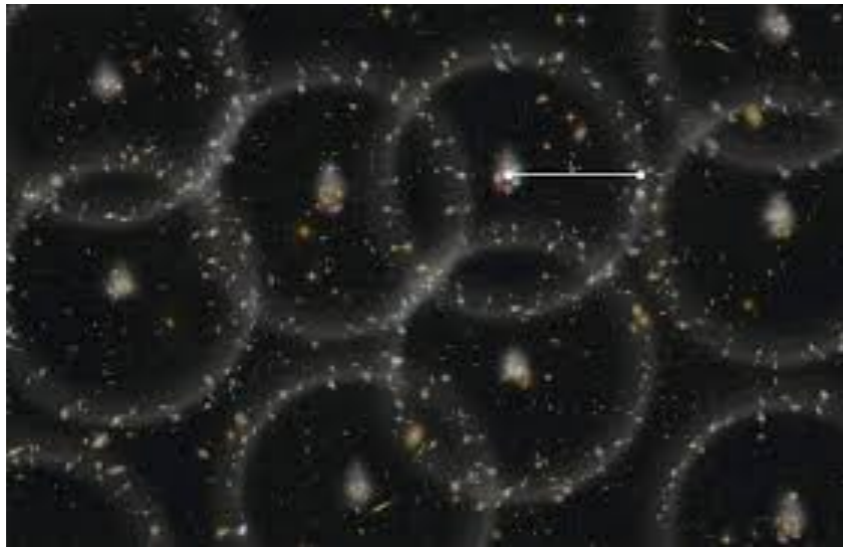
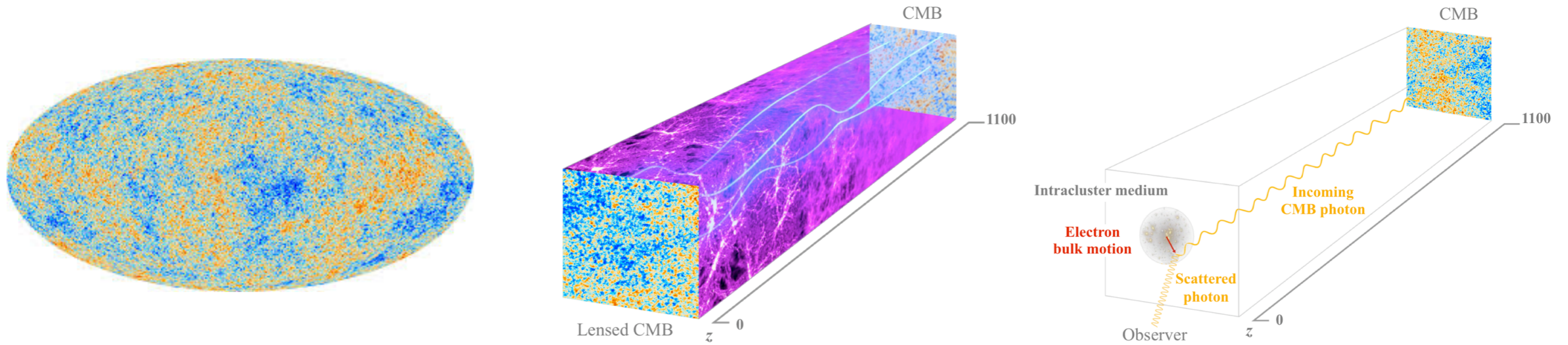
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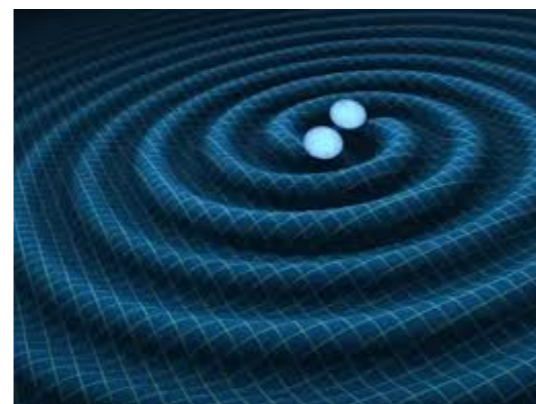
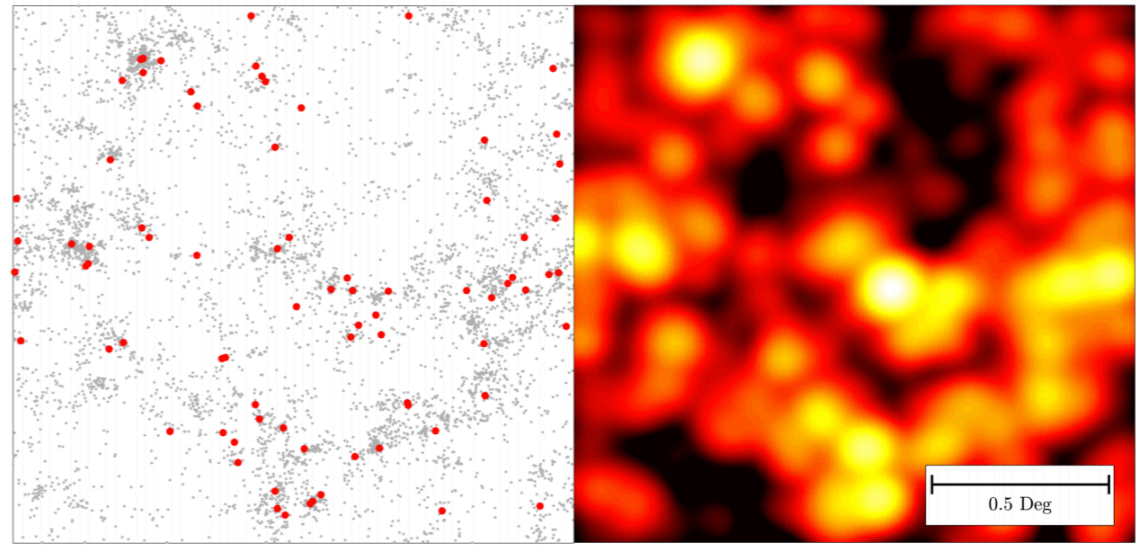
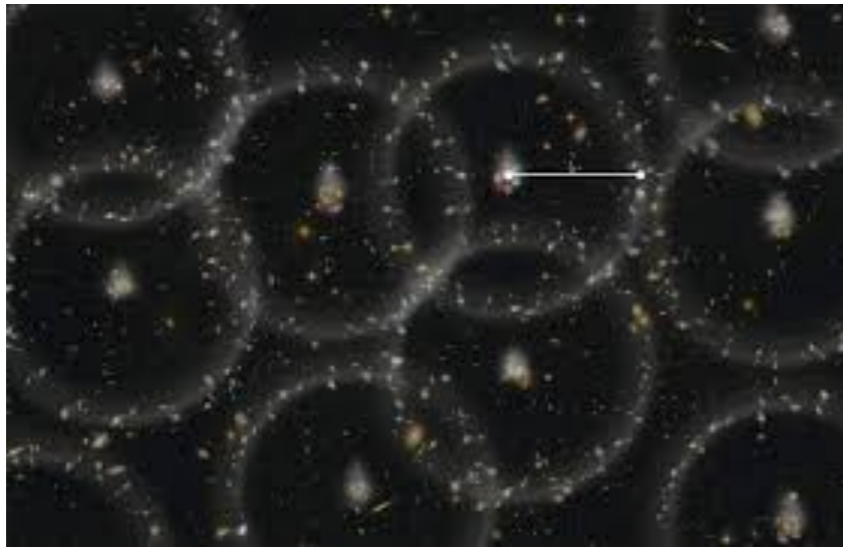
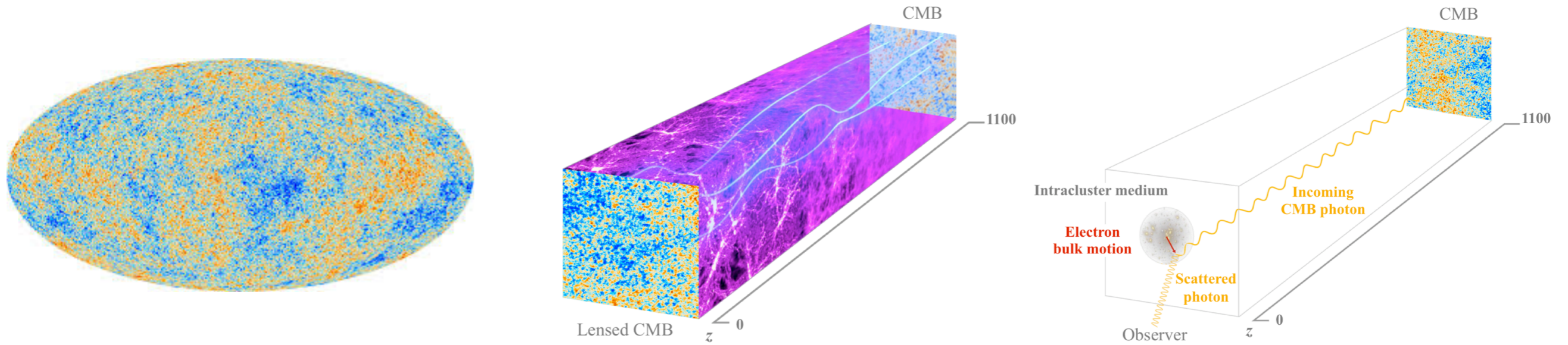
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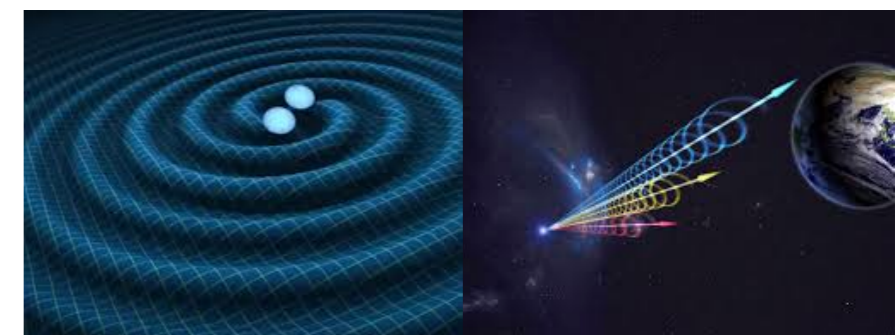
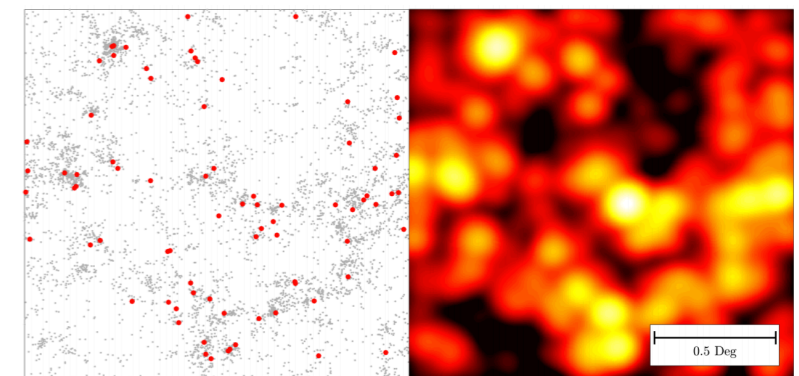
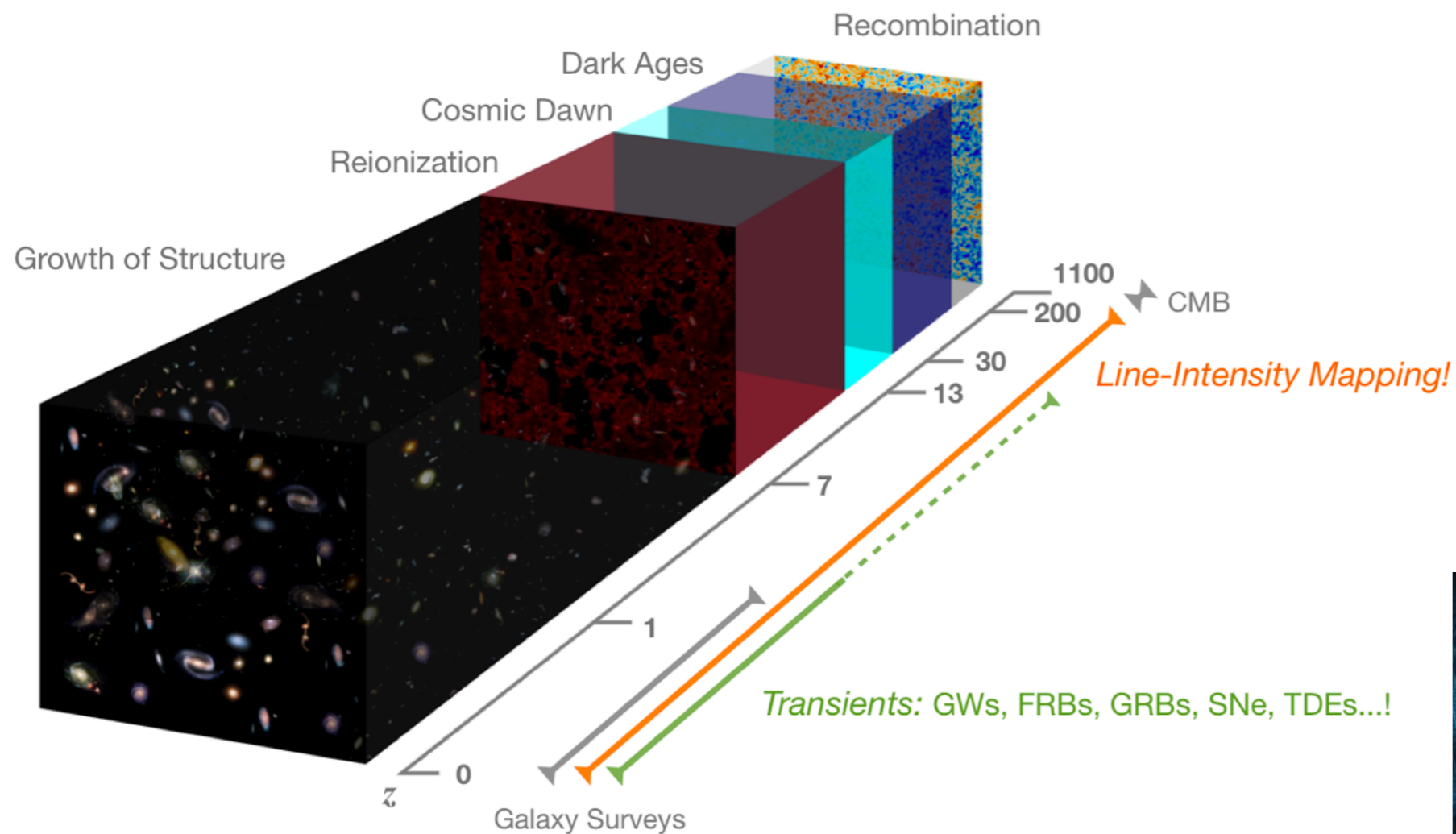


The Next Decade(s): Multi-Messenger Cosmology!



Thank You!

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Collaborators: Y. Ali-Haïmoud, R. Barkana, J. L. Bernal, K. Boddy, P. Breysse, I. Cholis, C. Creque-Sarbinowski, H. Gil-Marin, V. Gluscevic, Lingyuan Ji, D. Kaplan, M. Kamionkowski, J. Muñoz, V. Poulin & D. Sarkar