King's College London - EPAP Seminar

Enhancing Gravitational-Wave Science with Machine Learning

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• GW physics

- A primer on GW astrophysics
- Ground-based interferometers
- Detection and analysis
- Examples of physics results

Machine learning applications

- Why ML?
- Characterisation of detector noise
- Detection of astrophysical signals
- GW modelling
- Estimation of the GW sources parameters

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Gravitational waves primer 1/2

• A prediction from GR: linearised Einstein Equation for accelerating masses:

$$G_{\mu\nu} = 8\pi T_{\mu\nu} \qquad \longrightarrow \qquad \left(\nabla^2 - \frac{1}{c^2} \frac{\partial^2}{\partial t^2} \right) T_{\mu\nu} = 0$$

Propagation: GW modify the spacetime according to:

$$ds^{2} = -c \ dt^{2} + \begin{bmatrix} 1 - h(z \pm ct) \end{bmatrix} dx^{2} + \begin{bmatrix} 1 - h(z \pm ct) \end{bmatrix} dy^{2} + dz^{2}$$

propagate at speed of light

Gvv deformation

transverse waves

 Radiation mode: GW are tensor perturbation, the spacetime stretch is quadrupolar

Energy conservation ↔ no monopole radiation Momentum conservation ↔ no dipole radiation



Gravitational waves primer 2/2

- **Polarisations:** GW have 2 polarisations, h_+ and h_{\times}
- Strain: is the fractional change in distance between two points when a GW passes through:

$$\frac{\Delta L}{L} = \frac{1}{2}h_{xx}(0,ct)$$



Figure by Alexandre Le Tiec

Gravitational waves sources

• Strain: follows a wave equation:

 $h(t) = A(t) \sin(\omega(t) t)$

 Amplitude: decreases from the source as the GW propagates in spacetime



Credit: SSU EPO/Aurore Simonnet

LIGO-Virgo-KAGRA

GW physics

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- The variation of space-time interval is measured with light interferometry.
- A light beam is divided in **two beams** travelling along orthogonal arms.
- Mirrors in the end of the arms reflect the beams back to a **photodetector**.
- If no gravitational wave passes through, the arm length remains the same and the interference pattern is the sum of the splitted electromagnetic waves.



Gravitational waves detection

- The variation of space-time interval is measured with light interferometry.
- A light beam is divided in **two beams** travelling along orthogonal arms.
- Mirrors in the end of the arms reflect the beams back to a **photodetector**.
- If a gravitational wave passes through, the arm length is different and the interference pattern is distorted.



Gravitational waves observatories



LIGO Hanford











LIGO-Virgo sensitivities

- Ground-based light interferometers are sensitive to the **frequency range 10 10³ Hz**
- Signals entering the detection range are coalescence of compact binaries (stellarmass black holes or neutron stars) and possibly pulsars





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GW detection



- **Detection range:** during O3 run
- Different type of searches:
 - 4 modelled searches pipelines
 - 2 unmodelled searches pipelines

- Database automatically updated:
 - <u>GraceDB</u> contains low-latency information about the event
 - In case of possible neutron star, alert sent to satellites and telescopes to search for electromagnetic counterpart



- Black holes / neutron stars orbiting in binaries emit gravitational waves.
- When the distance between the objects is large, the inspiral waveform has a low frequency, low amplitude.
- While they get closer,
 frequency and amplitude
 increase up to the merging.
- The final remnant relax during ringdown, when the wave is dumped.



LVC, arXiv:1602.03837

GW analysis with matched filtering

Due to the low amplitude of the signal from binary systems, the analysis of the GW rely on matched filtering to evaluate the correlation between the signal template h and the data s



 $z(t) = 4 \int h^*(f) \ s(f) \ \exp(2\pi i f t) \ df$

Source: L. Candonati

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GW parameter estimation

- The posterior probabilities of the parameters of the source are estimated with Markov chains sampling methods (Nested sampling, MCMC).
- **15 parameters minimum** to describe a binary system:
 - 2 masses
 - 2 spin magnitudes
 - 2 angles for each spin
 - Reference time
 - Orbital phase at reference time
 - Luminosity distance
 - Right ascension & declination
 - Inclination angle
 - Polarisation angle



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GW astrophysics

LVC, arXiv:2010.14533

 Astrophysical distribution: presence of features compare to the star power-law distribution





 Neutron stars binary: the presence of an electromagnetic counterpart enables to measure the Hubble constant

GW fundamental physics

LVC, arXiv:2010.14529

• **GW propagation**: constraints on the mass of the graviton and other alternative theories of gravitation





 GW ringdown (end of signal): the presence of higher harmonics or echoes can help testing the nature of the black holes as sources of GW

Leïla Haegel, APC Laboratory

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Machine learning applications

• Why ML?

- Characterisation of detector noise
- Detection of astrophysical signals
- GW modelling
- Estimation of the GW sources parameters

Machine learning usefulness

- Small signals: the amplitude of the signal is ~ the amplitude of the noise
- **Complex system**: the Einstein Equations are non-linear and the physics of the strong-field regime is highly complex
- High dimensionality: from the detectors channels to the binary characterisation, the systems need many parameters to be described
- Computationally intensive: solving Einstein Equations require numerical relativity simulations on superclusters, sampling the source parameters probabilities can take weeks with distributed computing
- Review article: Enhancing Gravitational-Wave Science with Machine Learning, <u>Machine Learning: Science and Technology</u>, <u>arXiv:2005.03745</u>

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Detector glitches

- Glitches: Short-lived non-stationary and nonlinear transients signals of environmental / instrumental origin
- Characterisation:
 - Origin needs to be understood to understand the noise of the detectors
 - Glitches can occur at the same time than signals and need to be subtracted
 - Several different morphologies



Characterisation of glitches with CNN

 Spectrograms: time/frequency maps provides 2D representation of glitches analogous to images

Convoluted Neural Networks:

- CNN on simulated glitches offer 99% classification efficiency
- Supervised learning where categories are based on morphological features



Razzano & Cuoco, arXiv:1803.09933



(f)



Fully Connected (N=N_{class})



Human-based glitch tagging

• **GravitySpy:** citizen science projet where anybody can tag glitches from LIGO and Virgo. Create a dataset for next ML application of glitch characterisation.



GravitySpy and machine learning

 CNN efficiency: training on citizen-tagged events show >0.9 correct tagging except for "Paired Doves" and "Wandering Lines" categories.



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LIGO-Virgo auxiliary channels

• Auxiliary channels: a plethora of additional detectors monitoring the interferometers



Kwee et al, Optics Express Vol. 20, Issue 10, pp. 10617-10634 (2012)

Identify astrophysical signals from noise

- Glitches: can be identified from astrophysical signals with the auxiliary channels
- Comparison of ML algorithms:
 - Artificial Neural Network
 - Support Vector Machines
 - Random Forest
 - Ordered Veto List (correlation of glitches in GW / auxiliary channel with hierarchical ordering)



Biswas et al, arXiv:1303.6984

Using public data for electromagnetic alerts

• Alerts: are sent to multimessenger facilities when event false alarm rate is large. Can be retracted after further studies if the event is noise.



- Use public data only as inputs (sky localisation, distance, detector network)
- Correctly classify events from noise is 93% of cases
- Support the decision to follow
 GW events with telescopes



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The necessity of GW modelling

- Necessity of a template bank of GW signals: matched filtering algorithms and modelled search need to compare the data stream to templates
- **GW modelling**: approximate signals as numerical relativity simulations are too computationally intensive



Predicting the remnant parameters

- Final black holes properties: are important for GW modelling (final mass, spin)
- **Spinning black holes**: induce precession in the binary, high-dimensional (7 parameters) system to model, traditionally approximated
- ML applications: neural networks and GP can fully take into account the spin effects and correct biases in the prediction



Interpolating numerical relativity simulations

- Gaussian Process: can be trained on numerical simulations to generate GW template
- Interpolation: in the parameter space of the simulations
- Errors: of the GP training can be naturally propagated into parameter inference





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Estimation of GW source parameters

- Markov chain sampling: slow process (up to weeks)
- Conditional variational auto-encoder (CVAE): minimize the cross-entropy between the true Bayesian posterior and an approximate Bayesian posterior produced by the neural network



Gabbard et al, arXiv:1909.06296

Estimation of GW source parameters

• **Normalizing flow**: invertible transformations to transform a simple initial distribution (multivariate Gaussian) into a more complex target distribution (posterior probability density of source parameters)

 Quick estimate: both methods provide estimates consistent with MCMC in a much reduced time (~1 mn)



Thank you for your attention

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