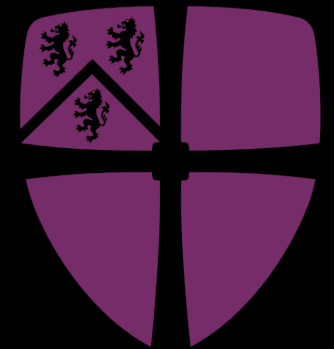


Black hole archaeology with gravitational waves

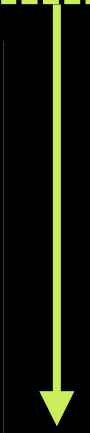
Djuna Lize Croon (IPPP Durham)

KCL seminar, May 2022

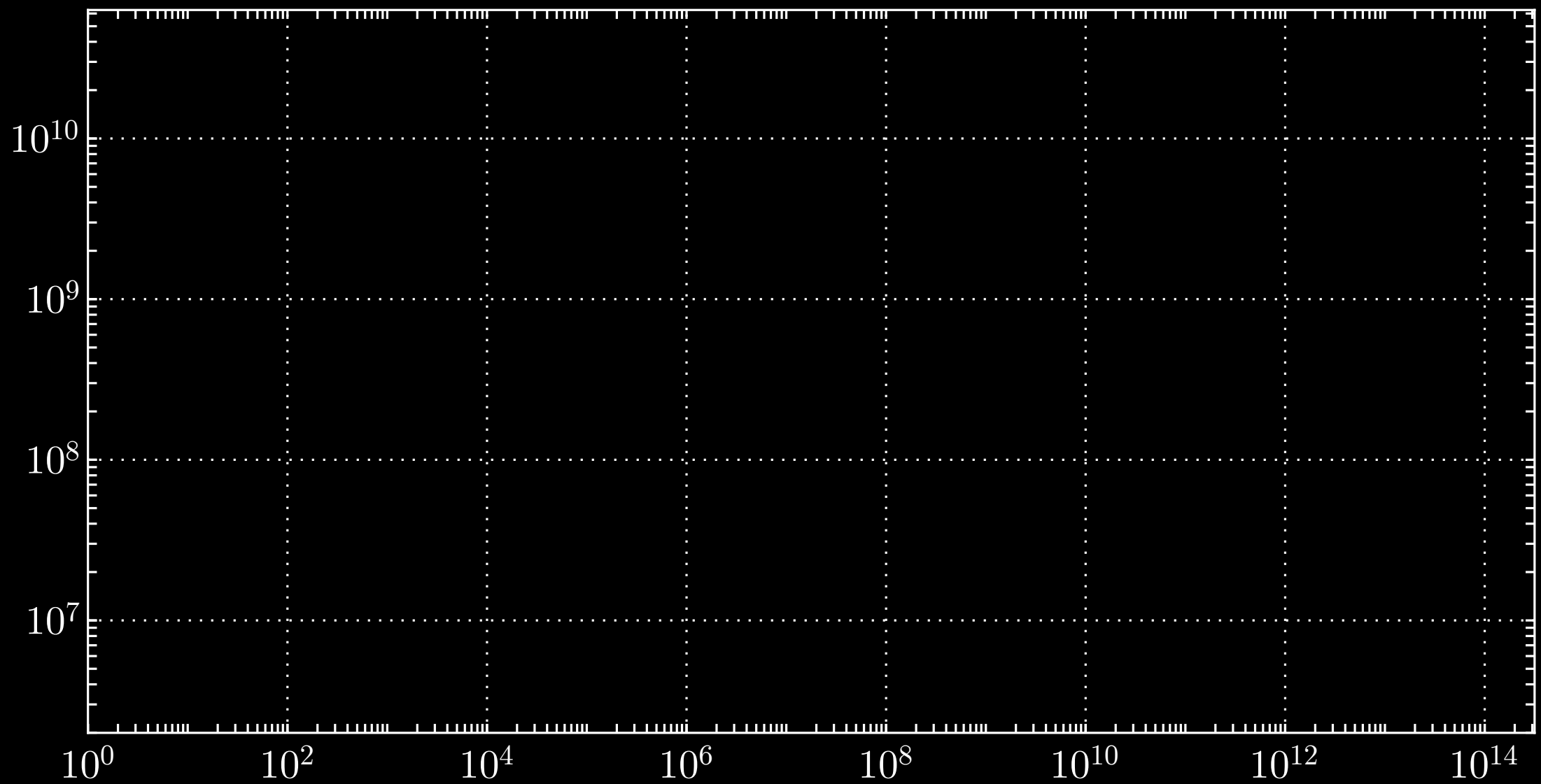
djuna.l.croon@durham.ac.uk | djunacroon.com



Temperature



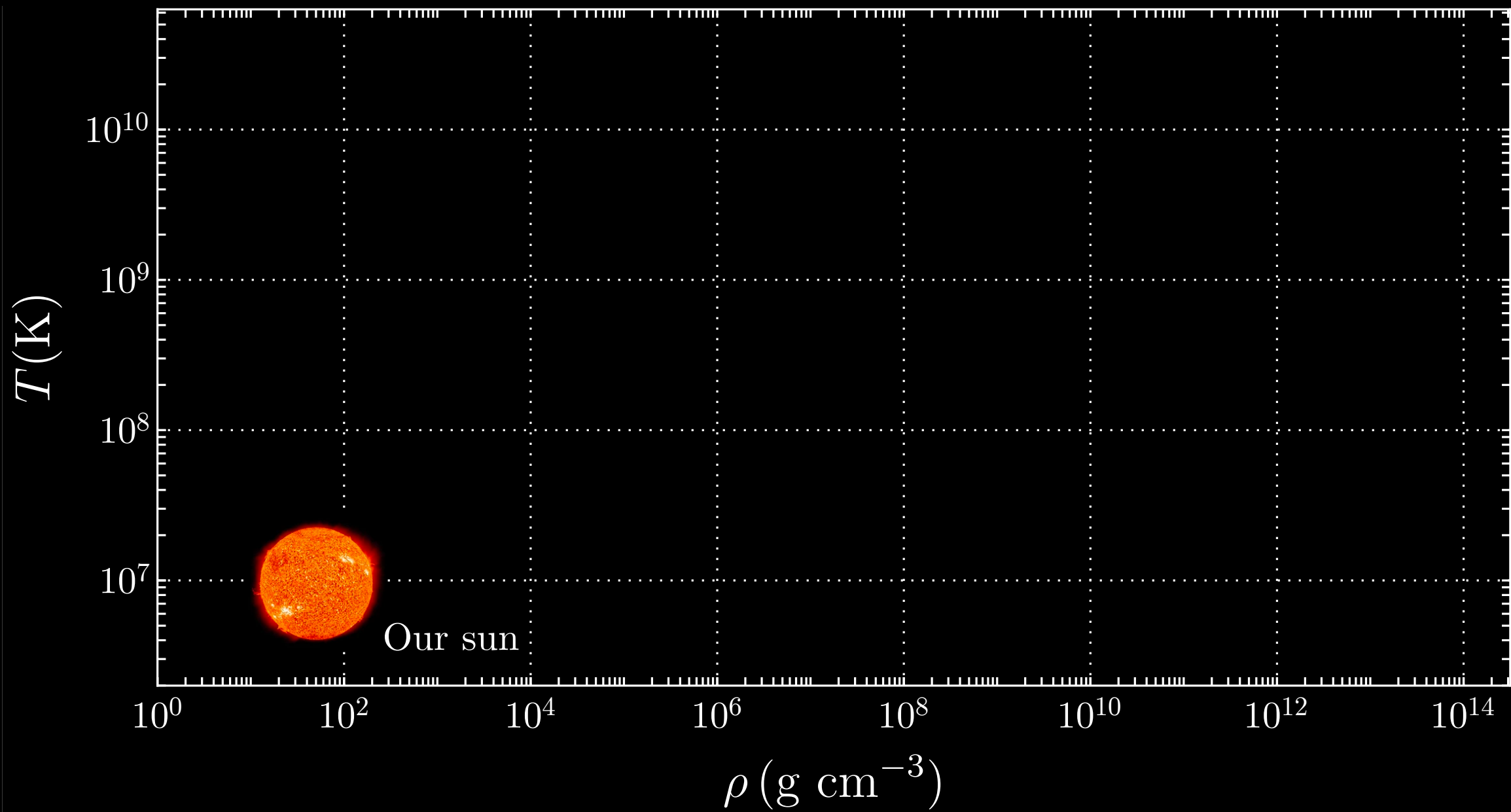
$T(\text{K})$

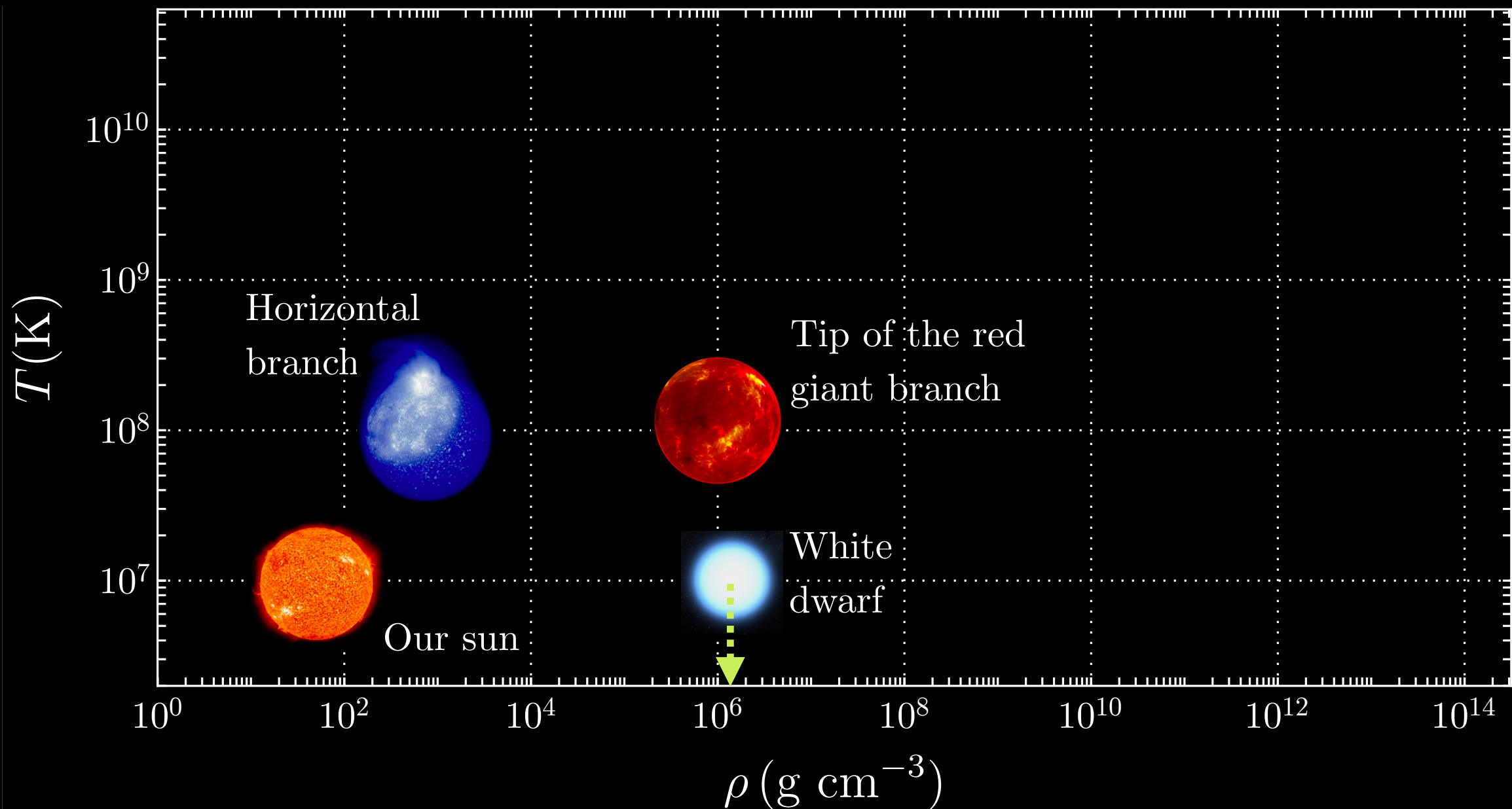


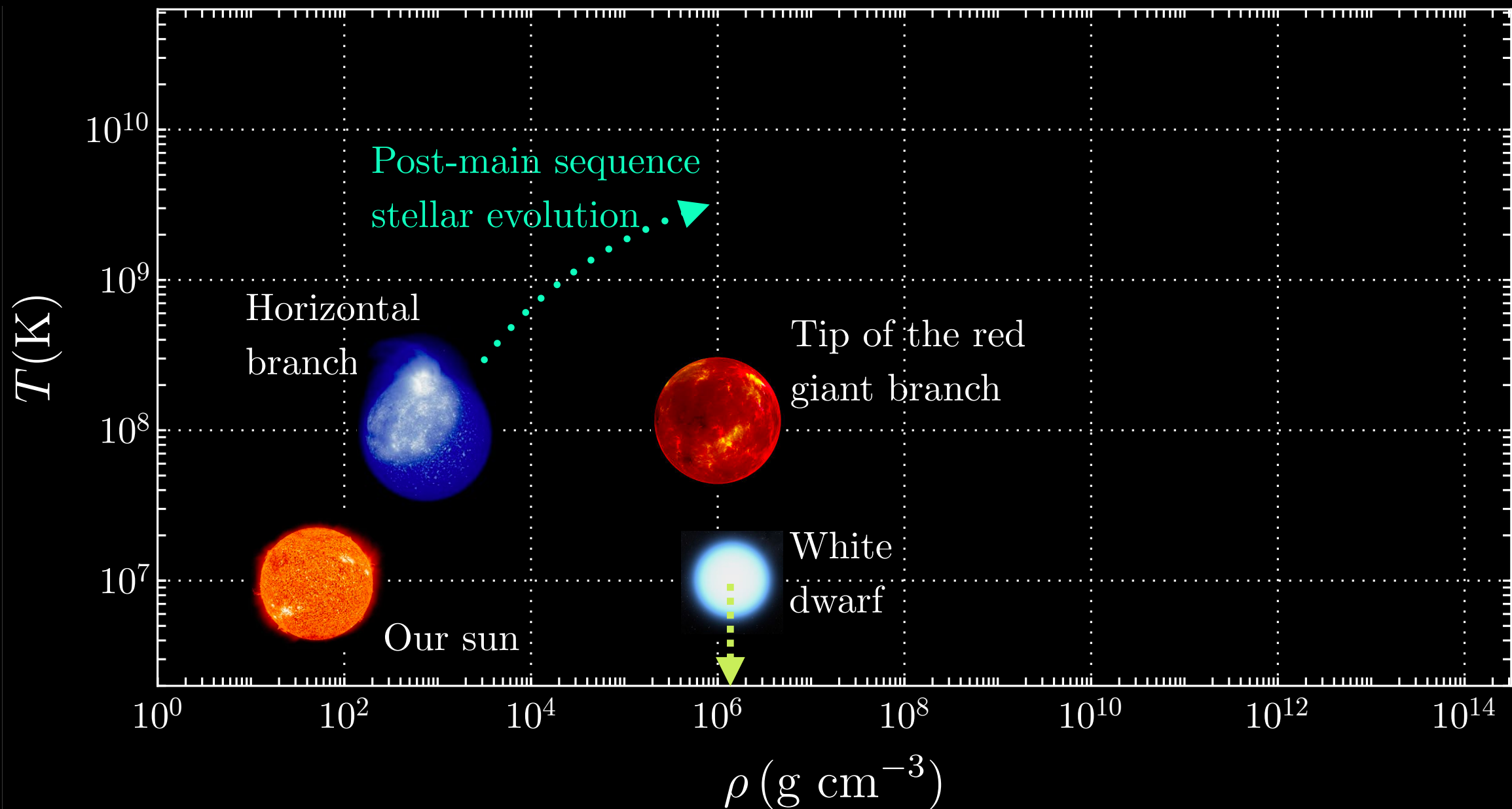
$\rho \text{ (g cm}^{-3}\text{)}$

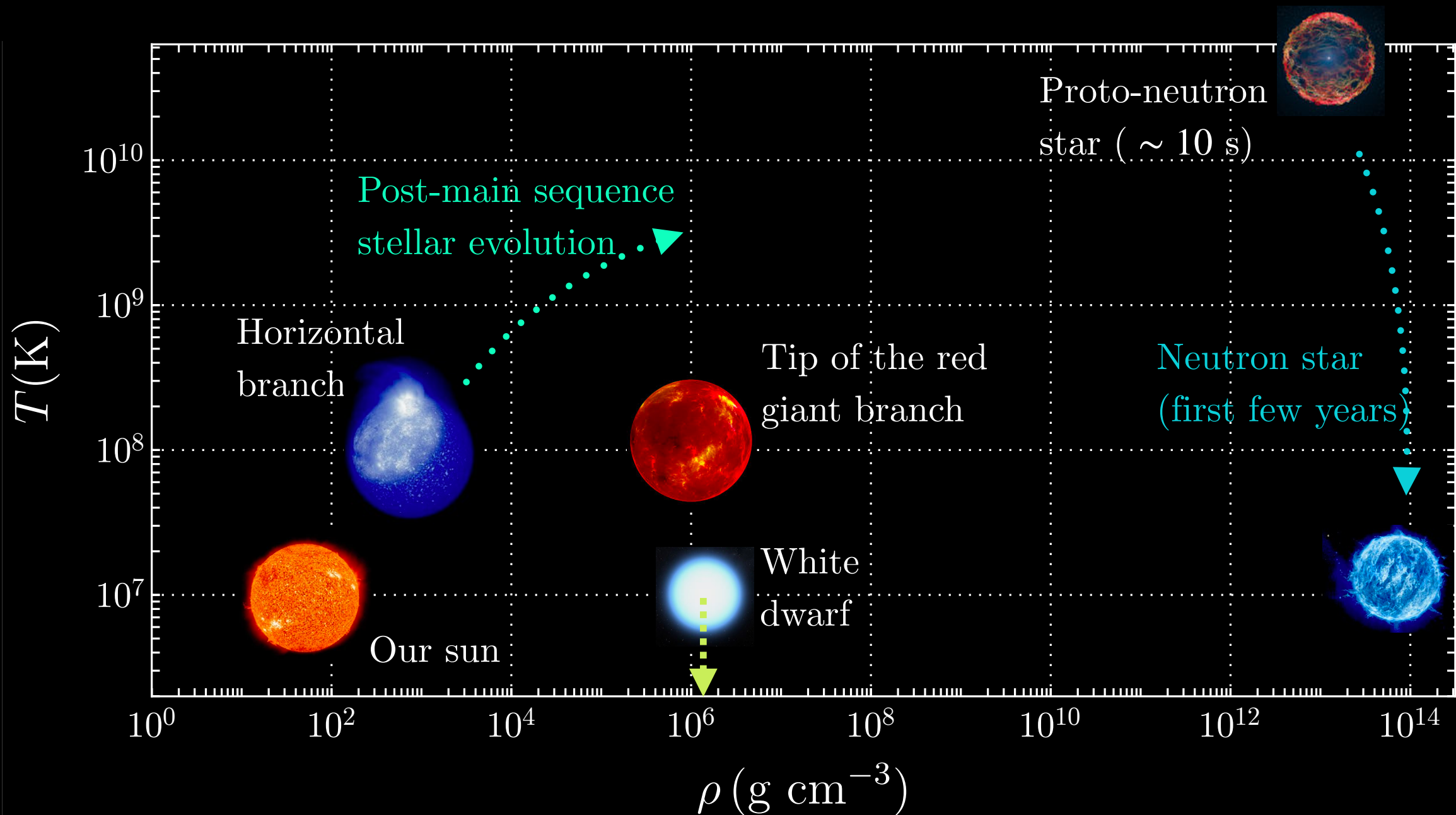
Density

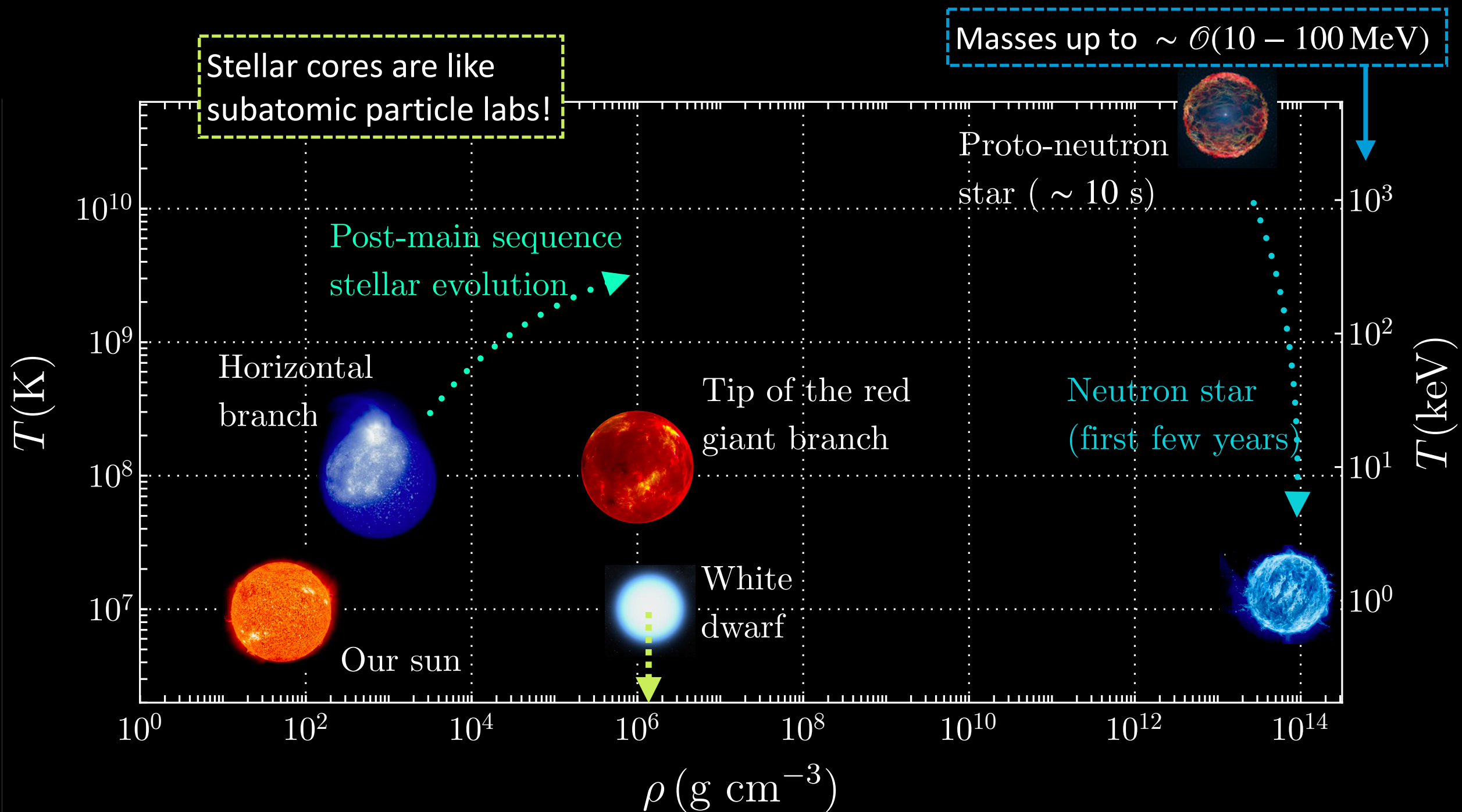




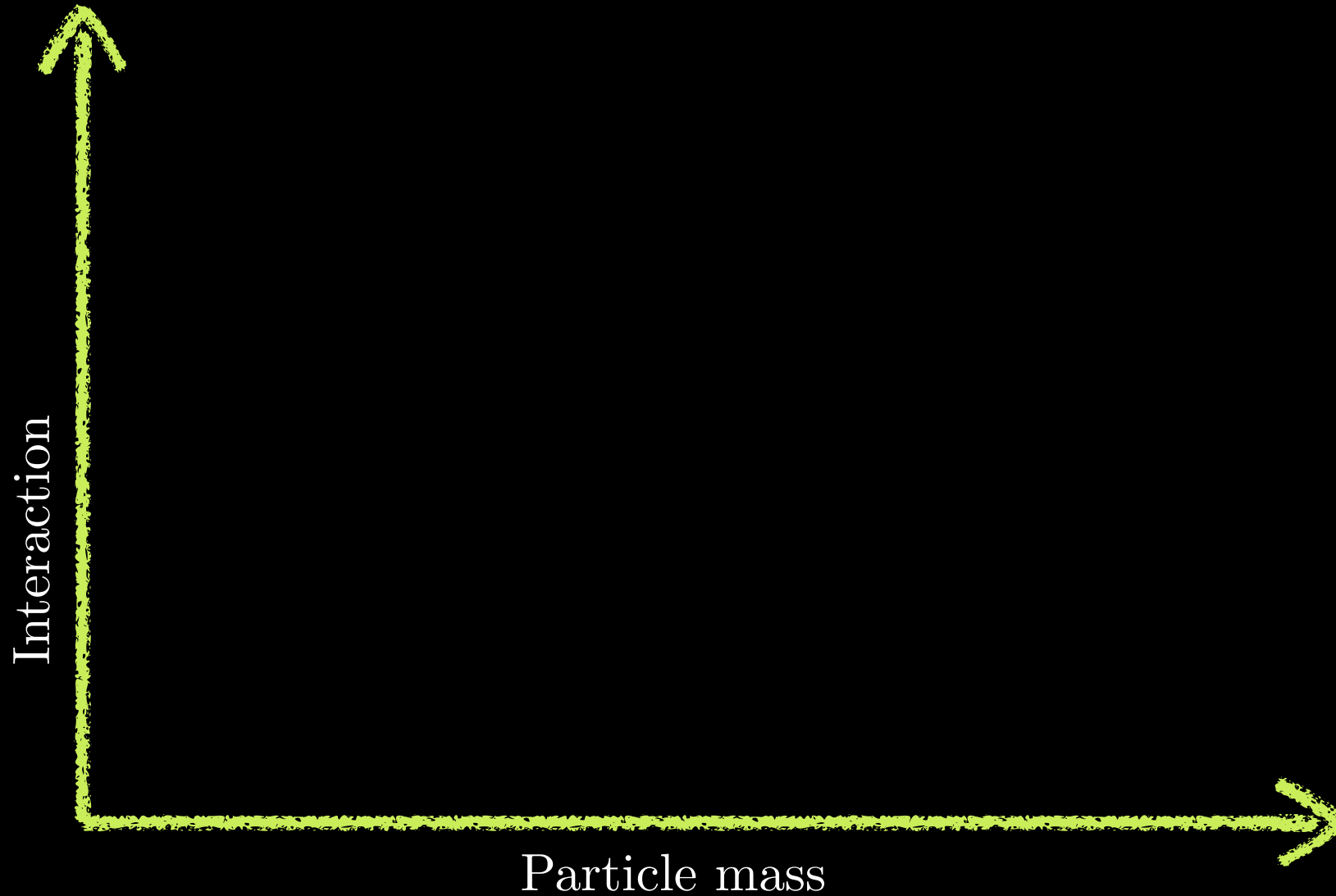




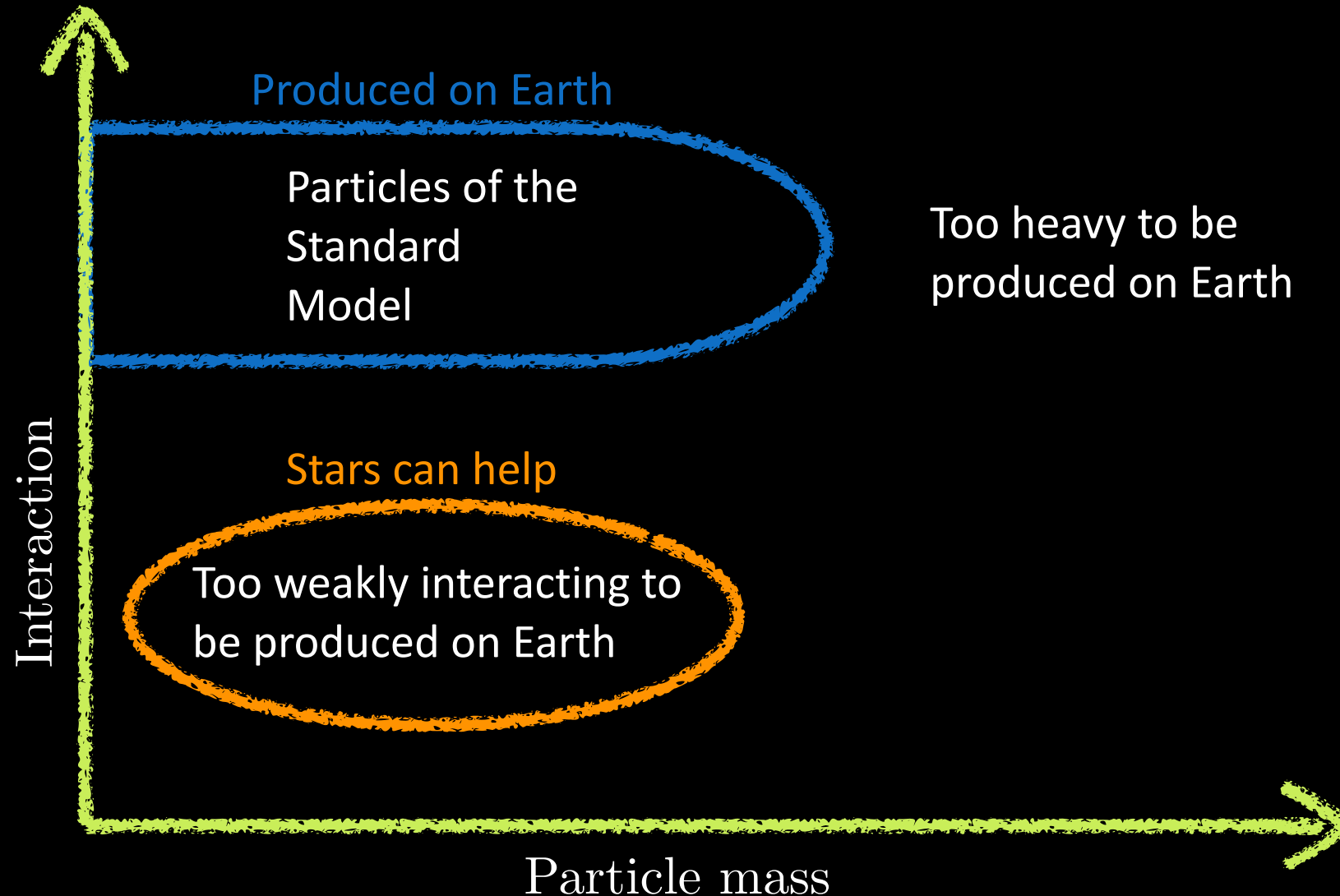




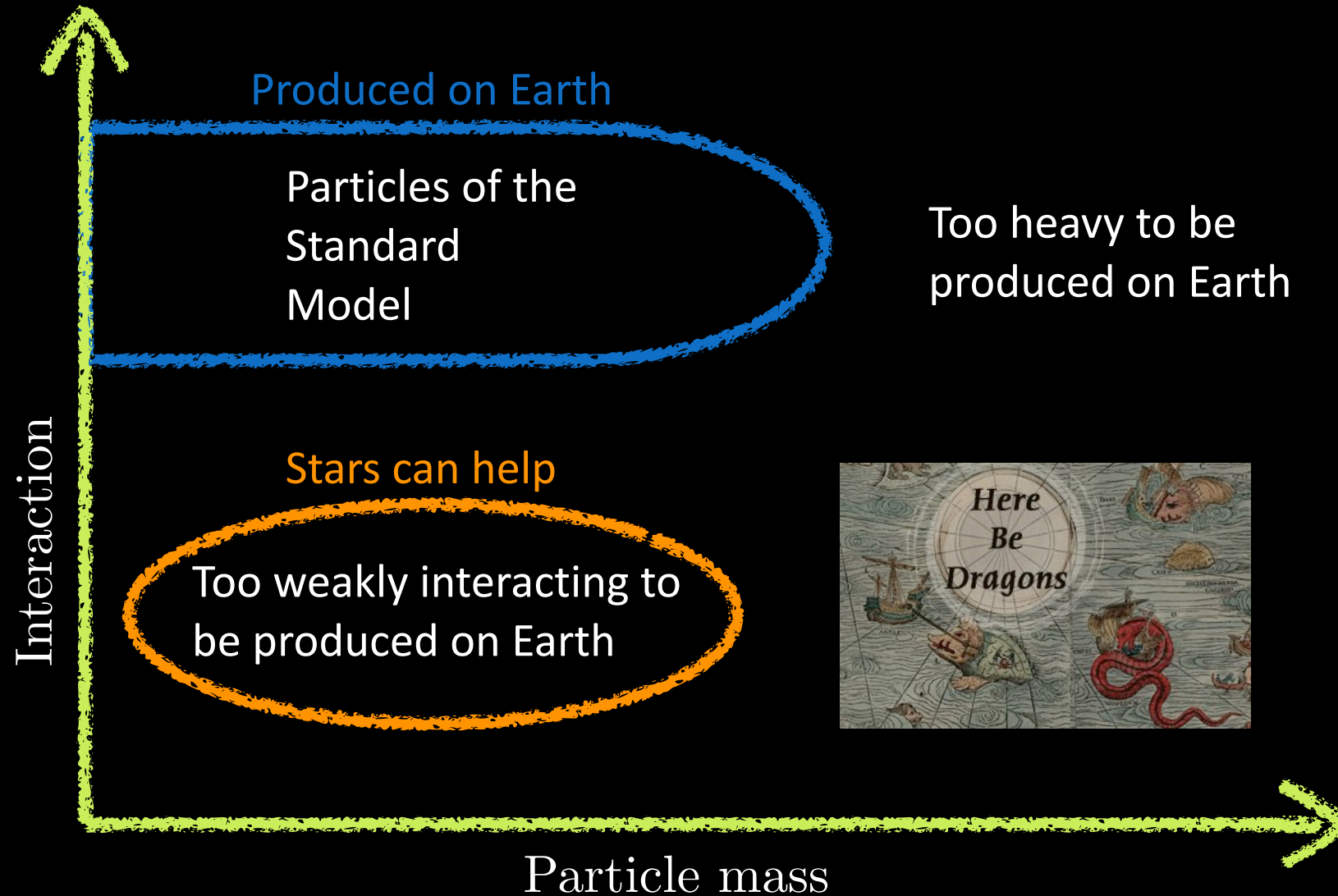
Particle physics in stars



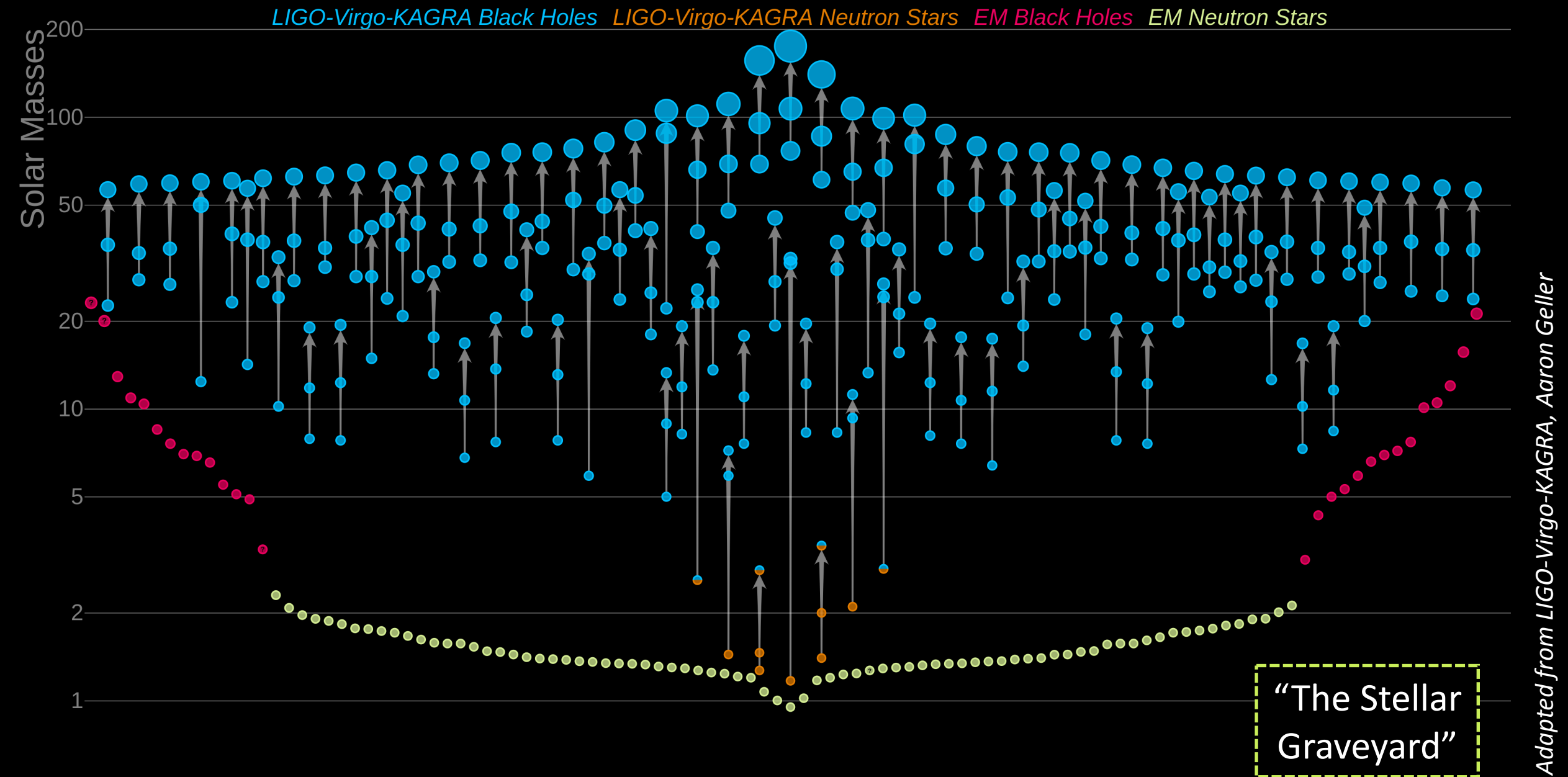
Particle physics in stars



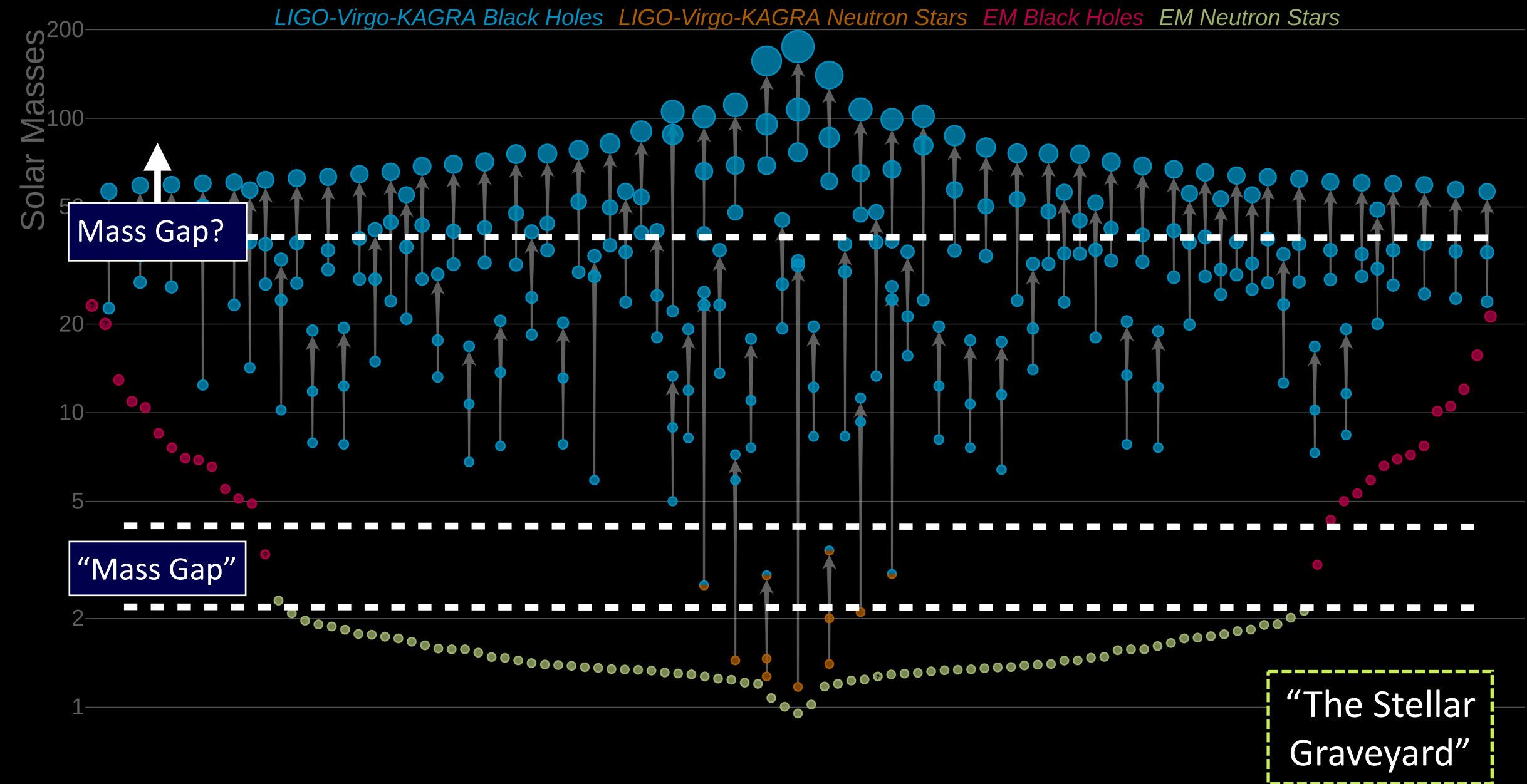
Particle physics in stars



Binary mergers in LIGO/Virgo O1-3

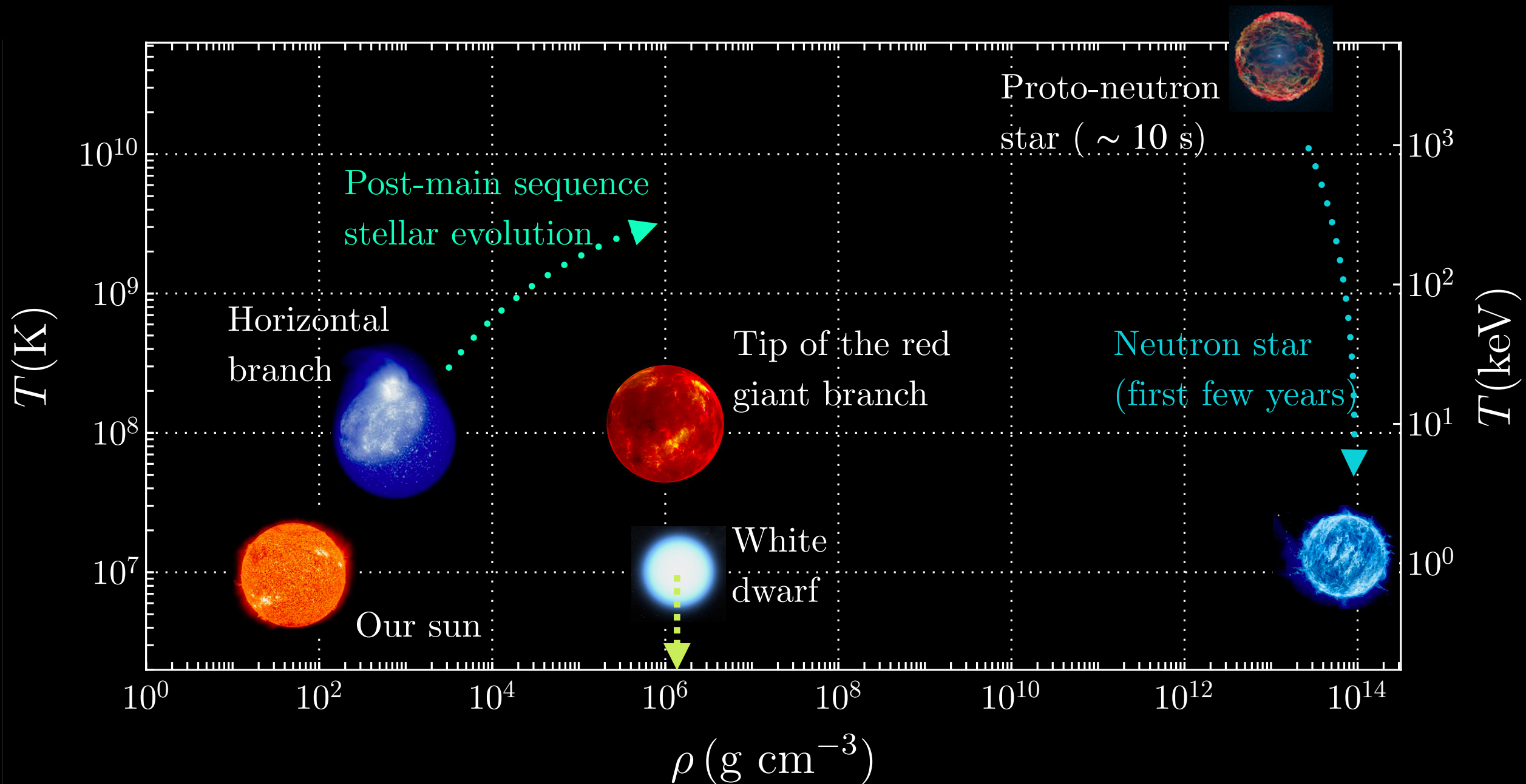


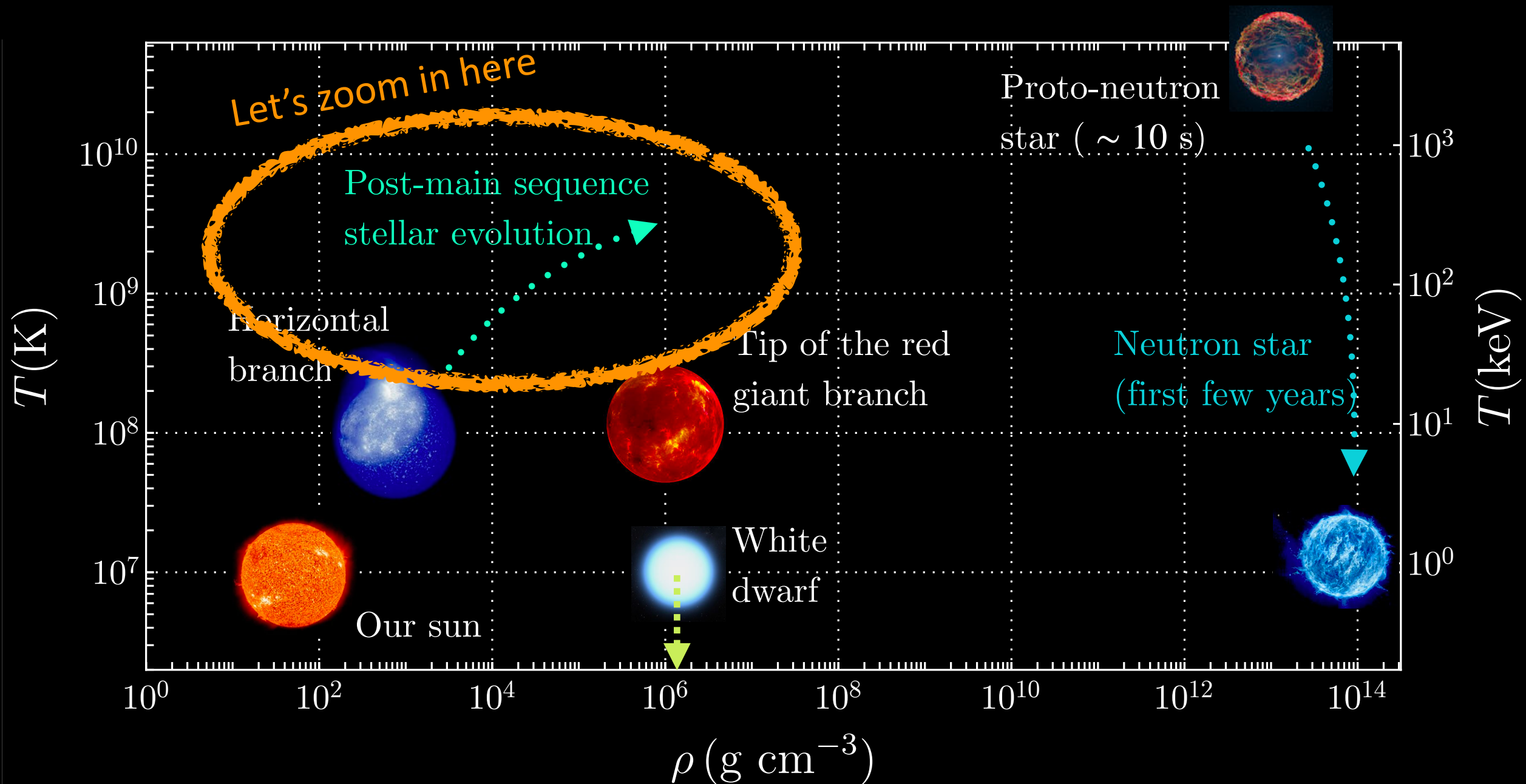
Binary mergers in LIGO/Virgo O1-3



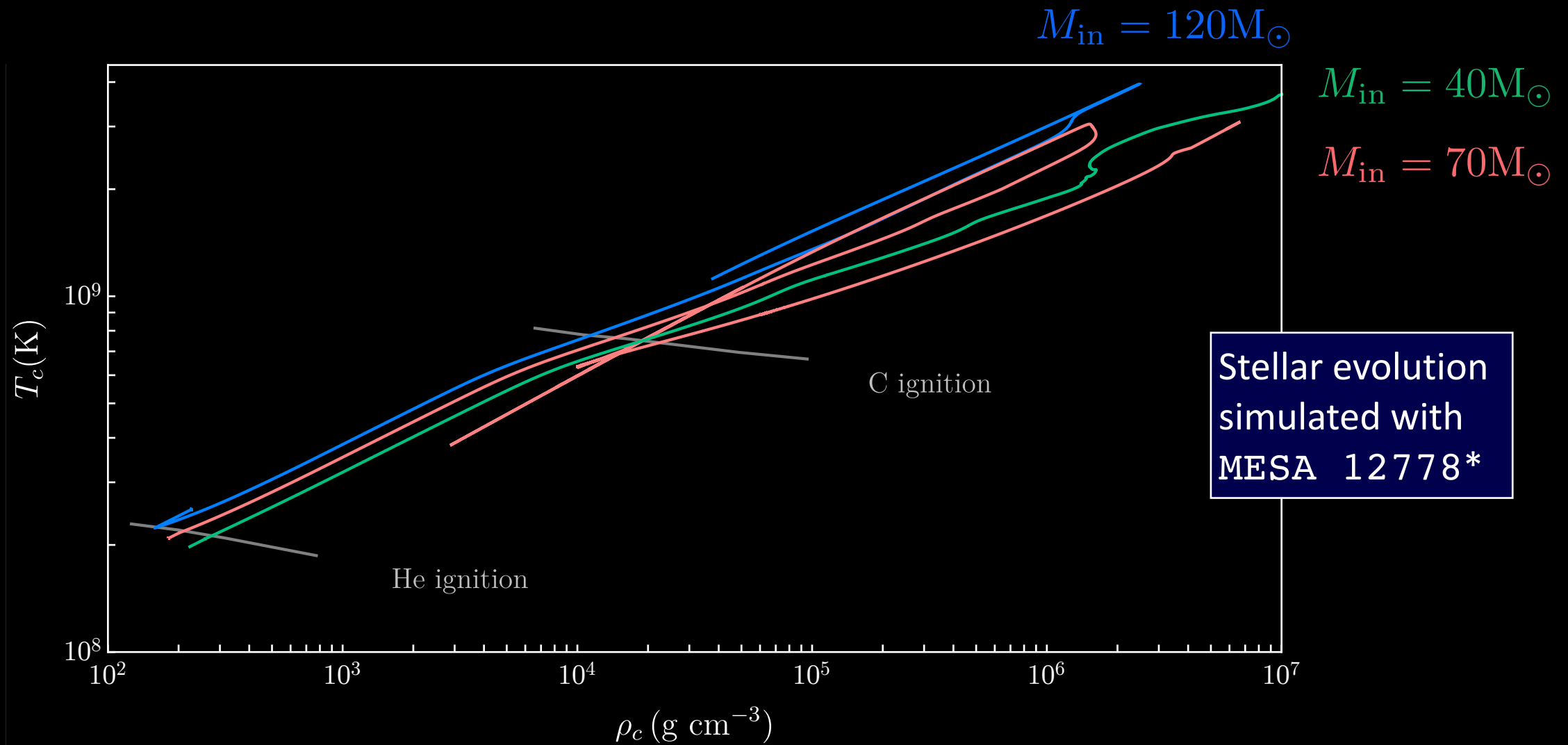
Binary mergers in LIGO/Virgo O1-3





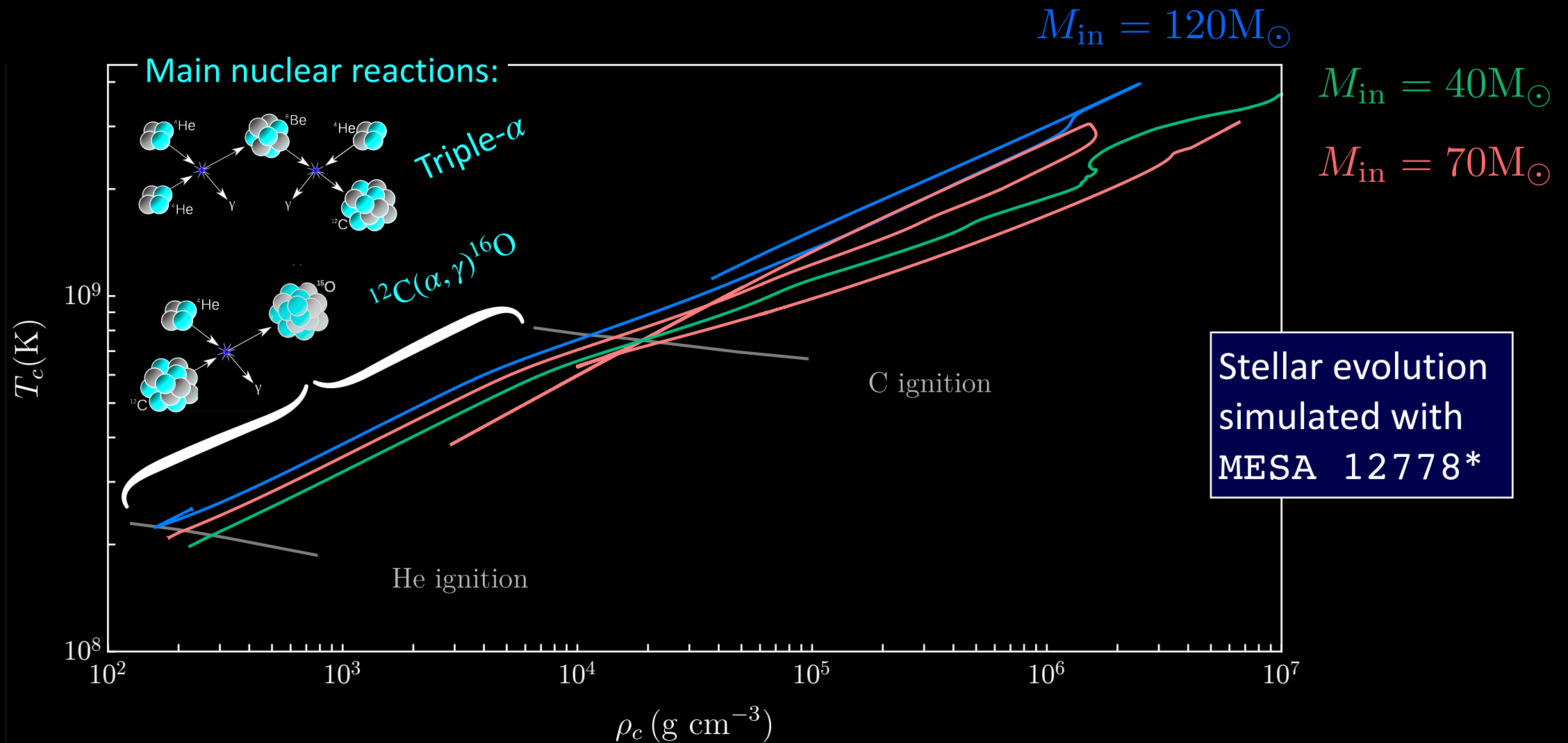


Late evolution of heavy stars



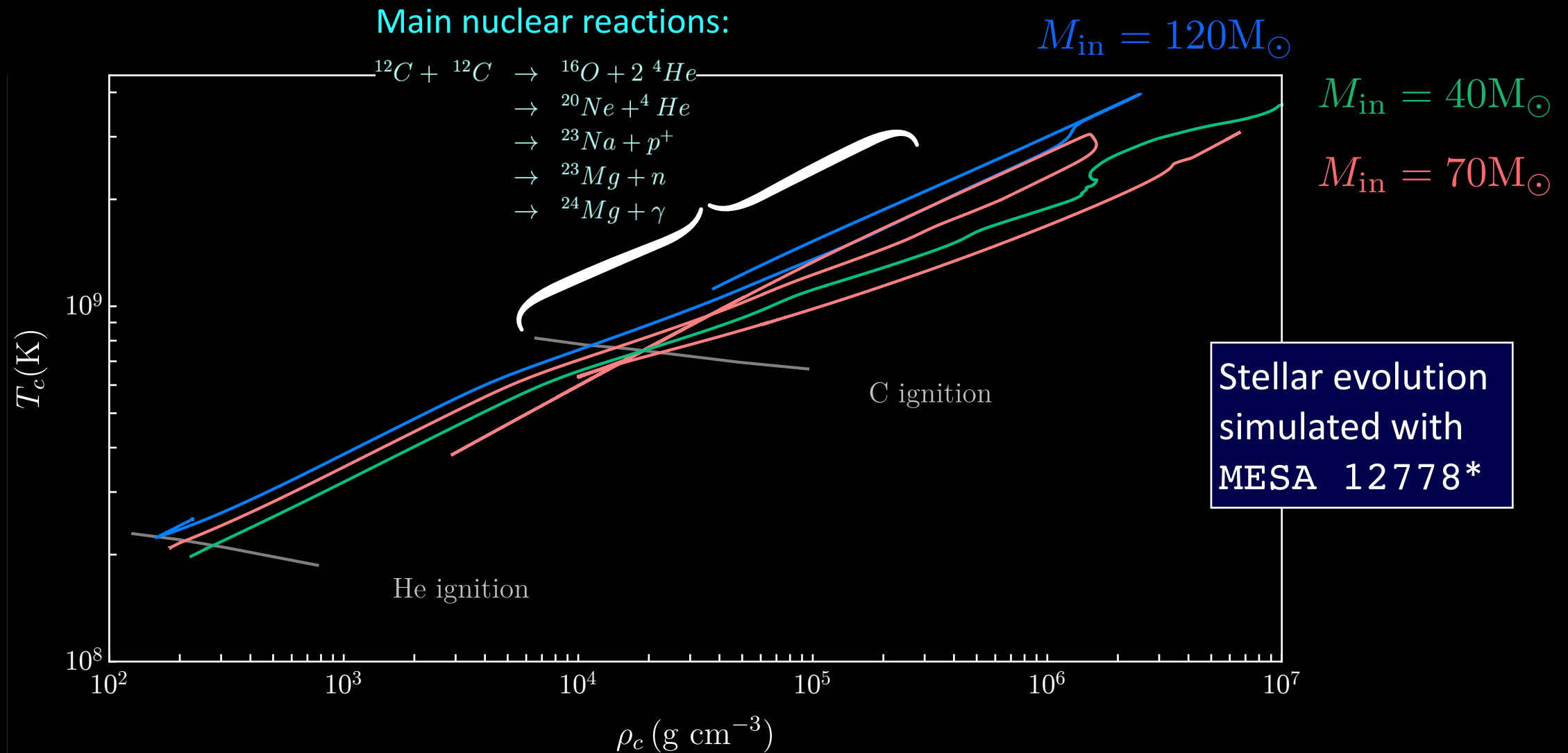
*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

Late evolution of heavy stars



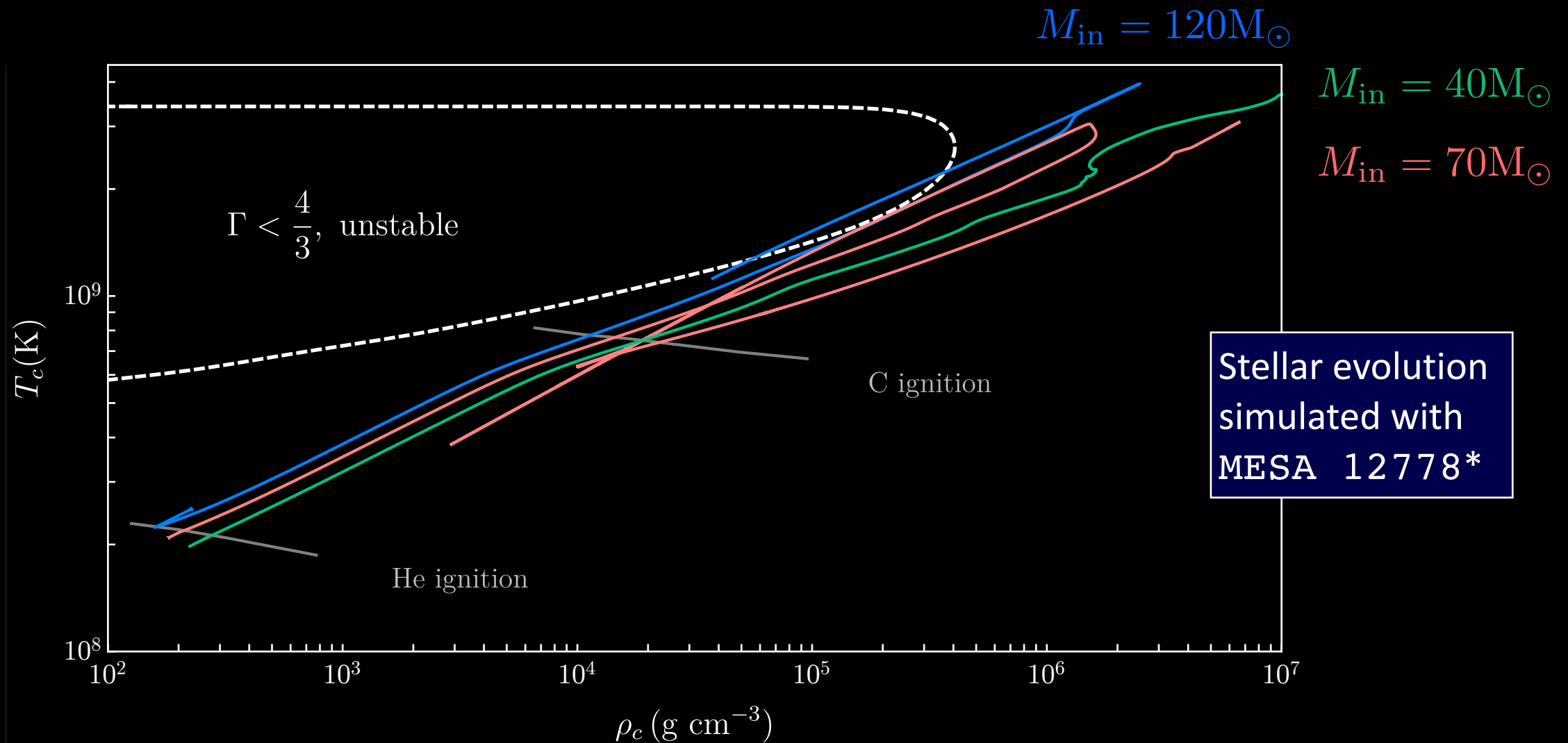
*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

Late evolution of heavy stars



*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

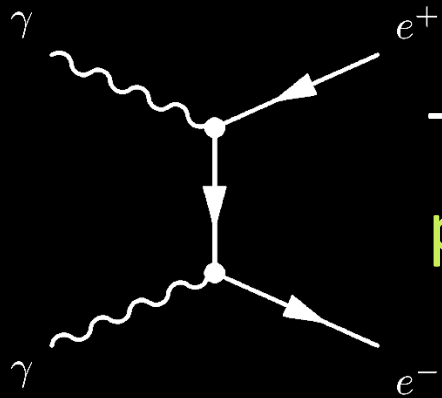
Late evolution of heavy stars



*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

The danger zone: pair-instability

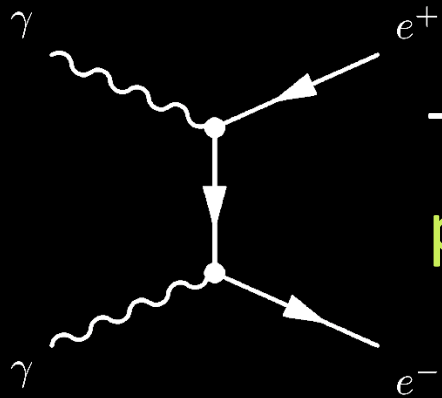
Barkat, Rakavy, Sack PRL (1967)
Rakavy, Shaviv, ApJ (1967)



The high temperatures of stellar cores mean **electron-positron pairs** can be created from photons: $\gamma\gamma \rightarrow e^+e^-$

The danger zone: pair-instability

Barkat, Rakavy, Sack PRL (1967)
Rakavy, Shaviv, ApJ (1967)



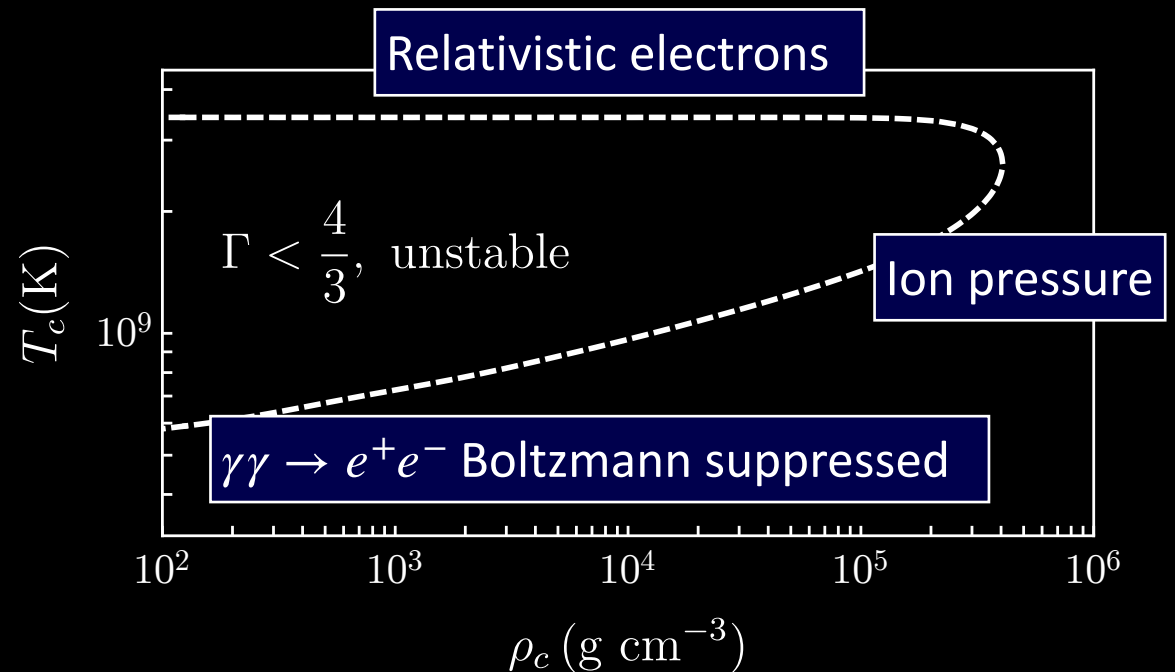
The high temperatures of stellar cores mean **electron-positron pairs** can be created from photons: $\gamma\gamma \rightarrow e^+e^-$

Unstable, because:

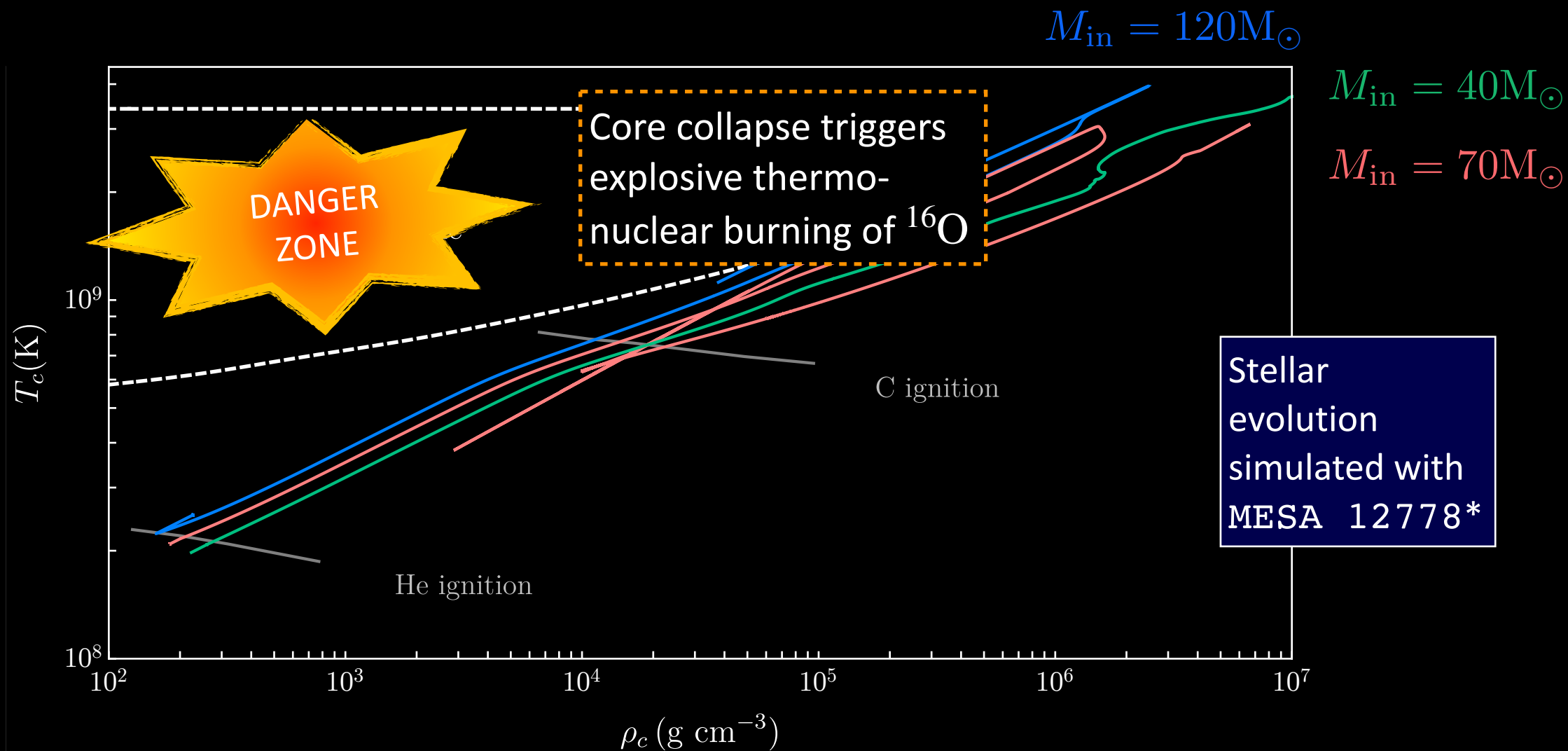
The **photons** give the star outward pressure

The **electron-positron** pairs imply extra gravity but no pressure

→ *the core starts to collapse*



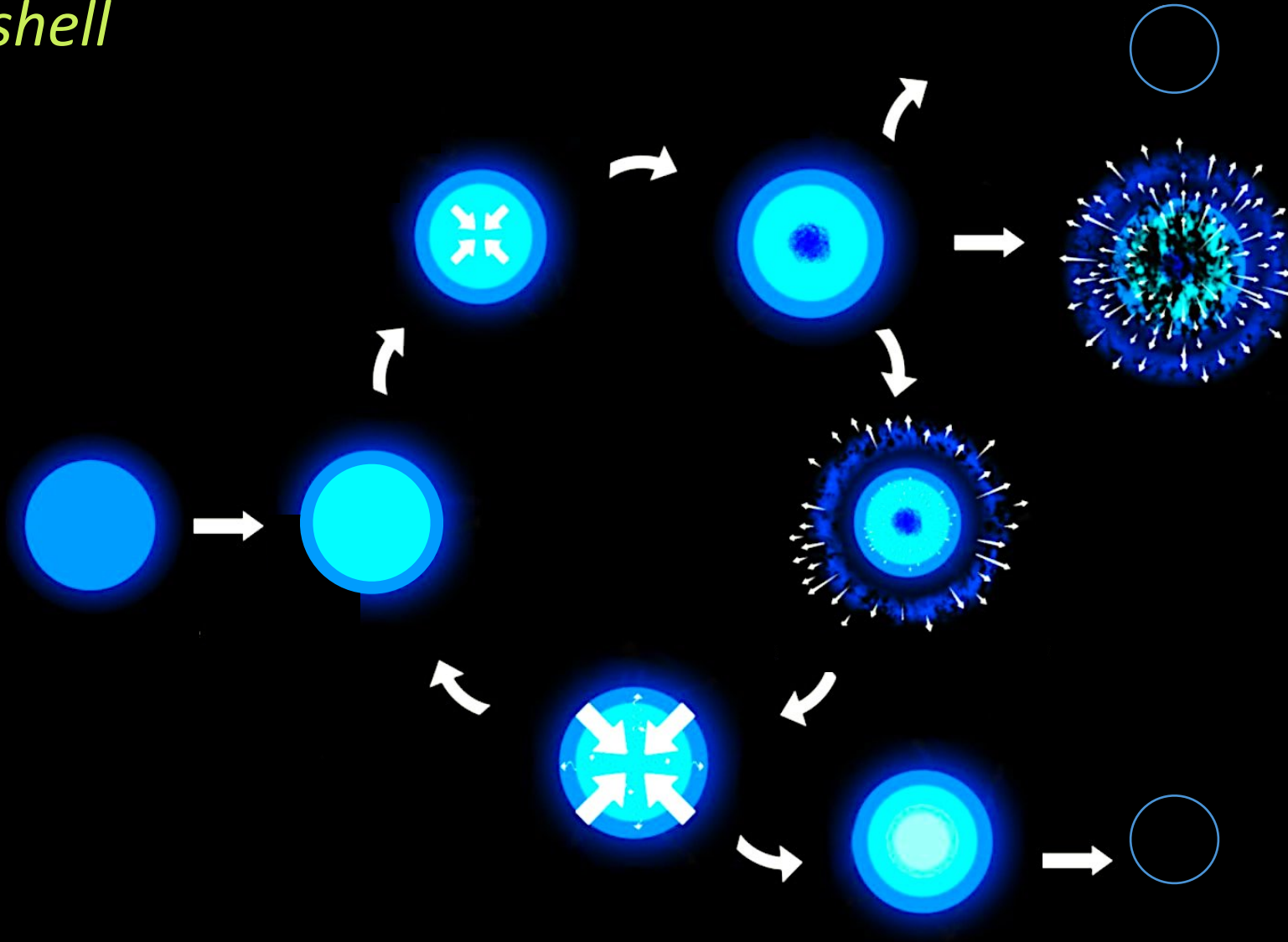
Evolution of old population-III stars



*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

Pair instability

in a nutshell



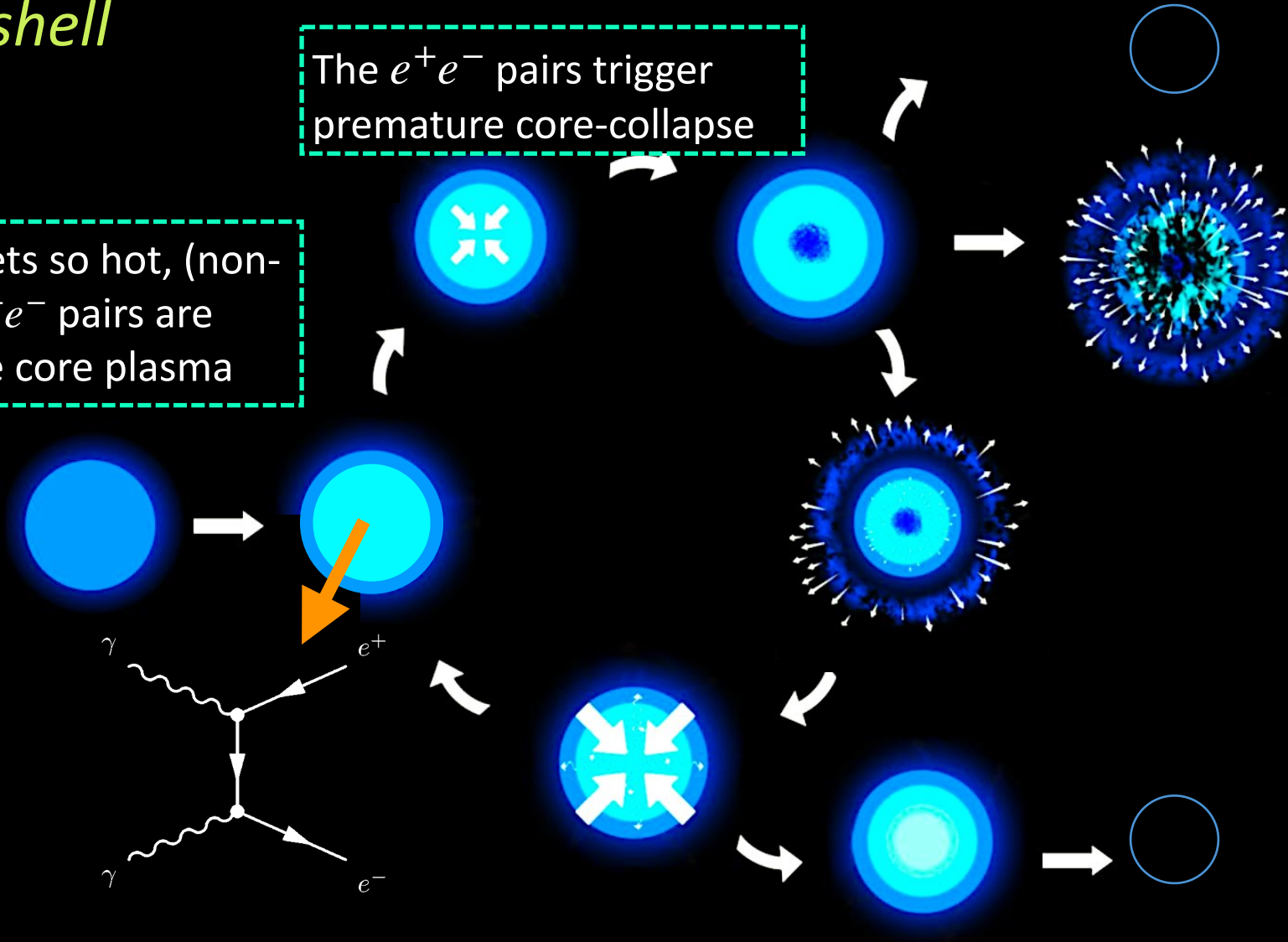
Adapted from Renzo et al [2002.05077]

Pair instability

in a nutshell

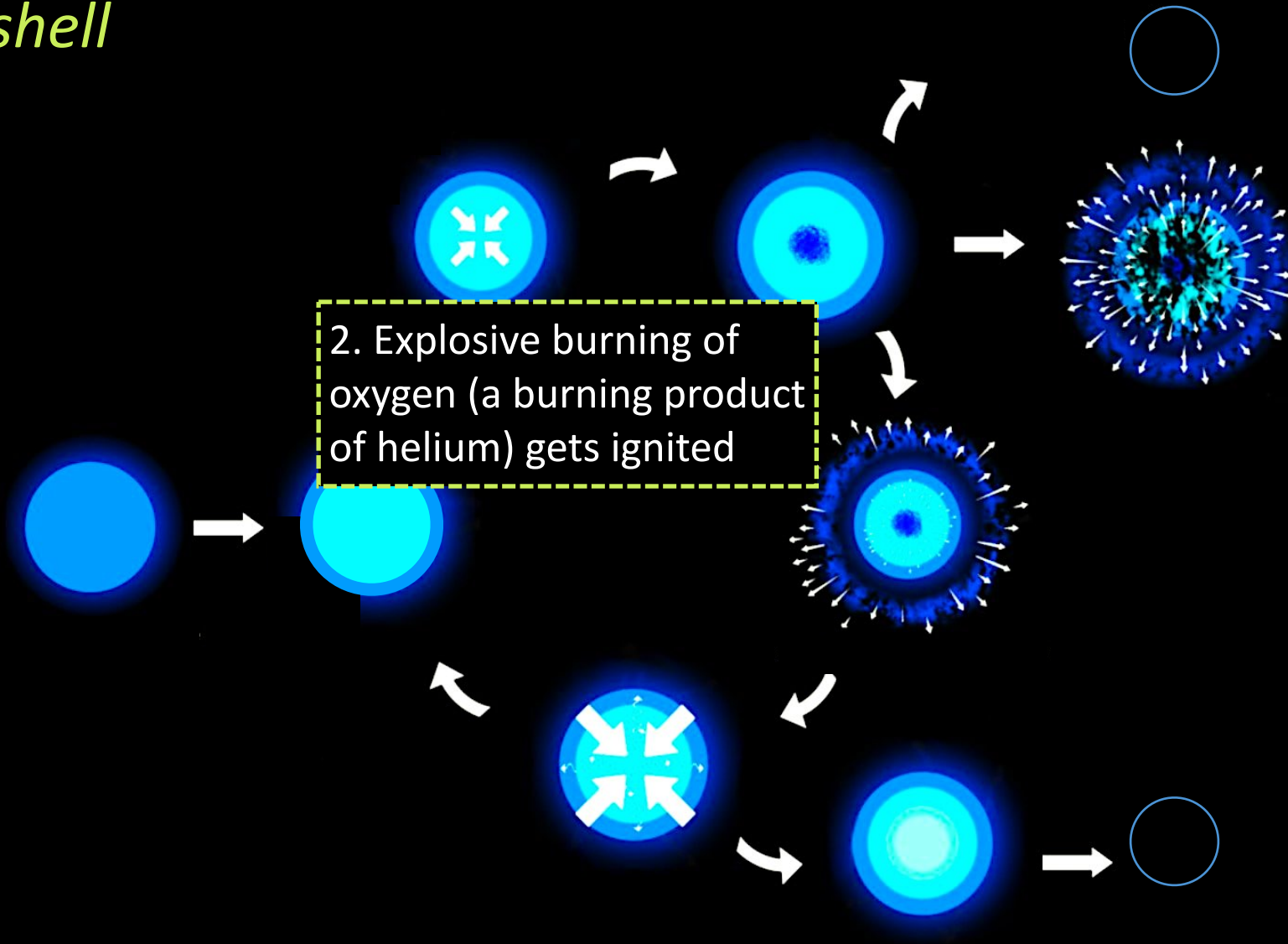
1. The core gets so hot, (non-relativistic) e^+e^- pairs are created in the core plasma

The e^+e^- pairs trigger premature core-collapse



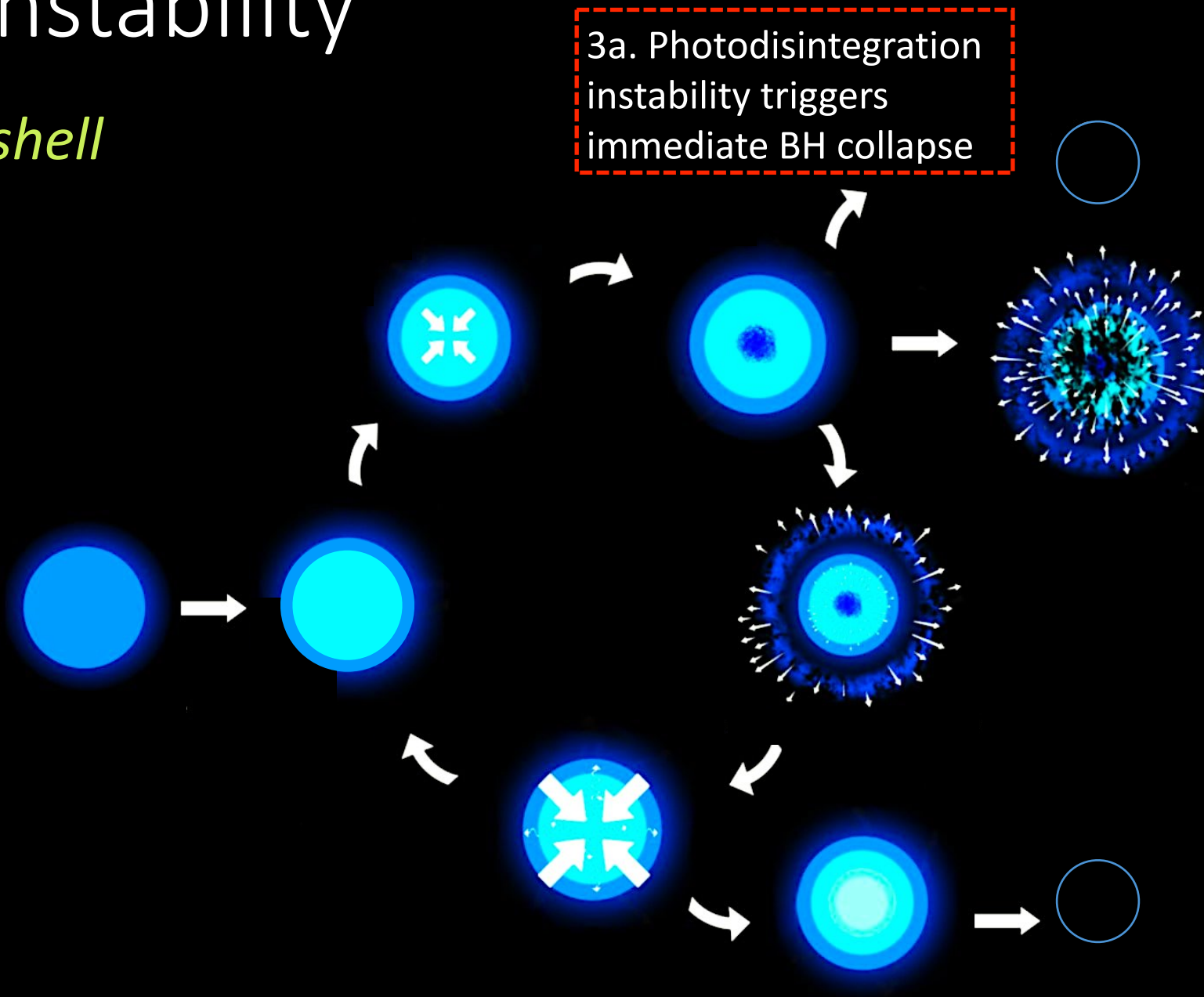
Pair instability

in a nutshell



Pair instability

in a nutshell

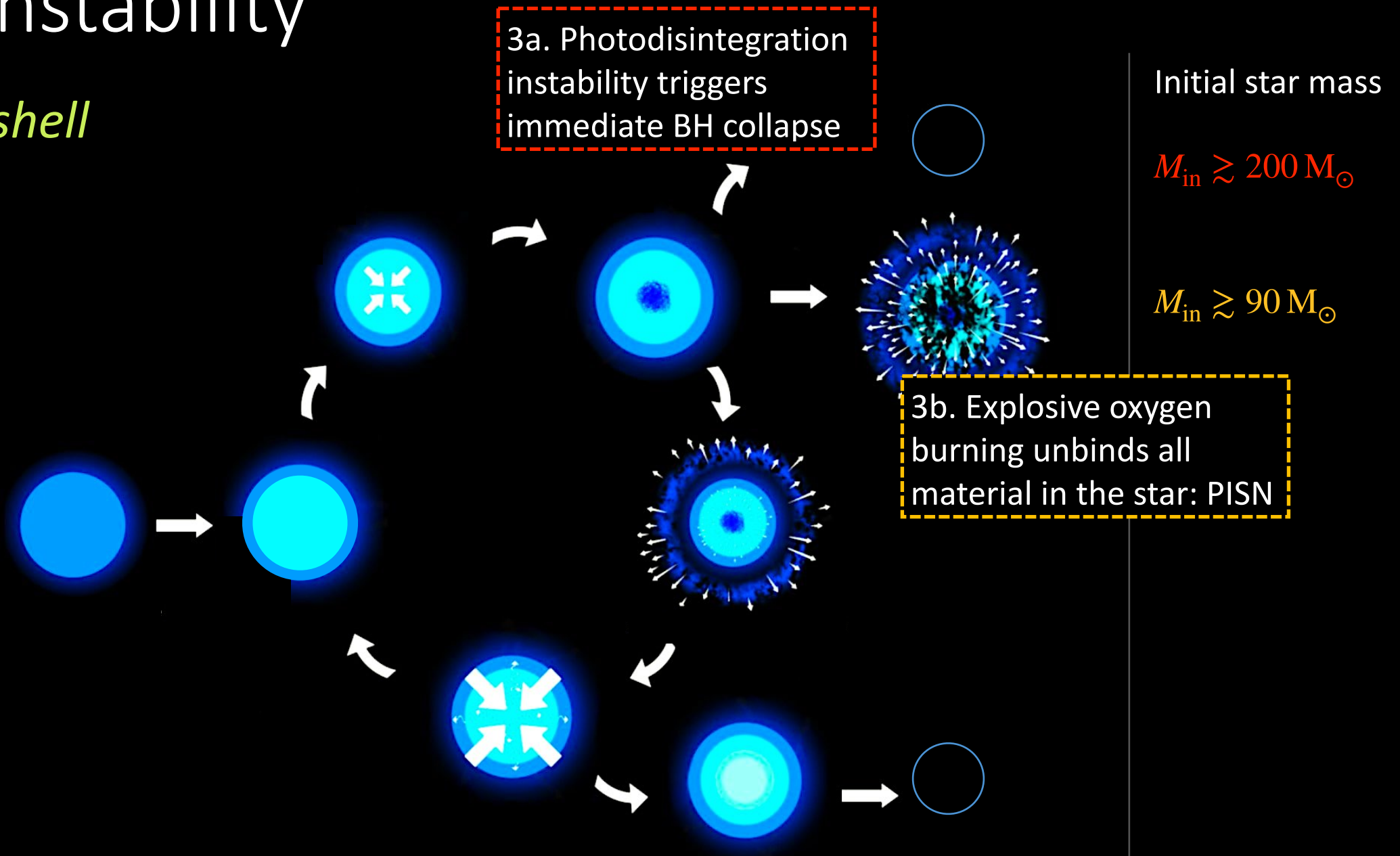


Initial star mass

$$M_{\text{in}} \gtrsim 200 M_{\odot}$$

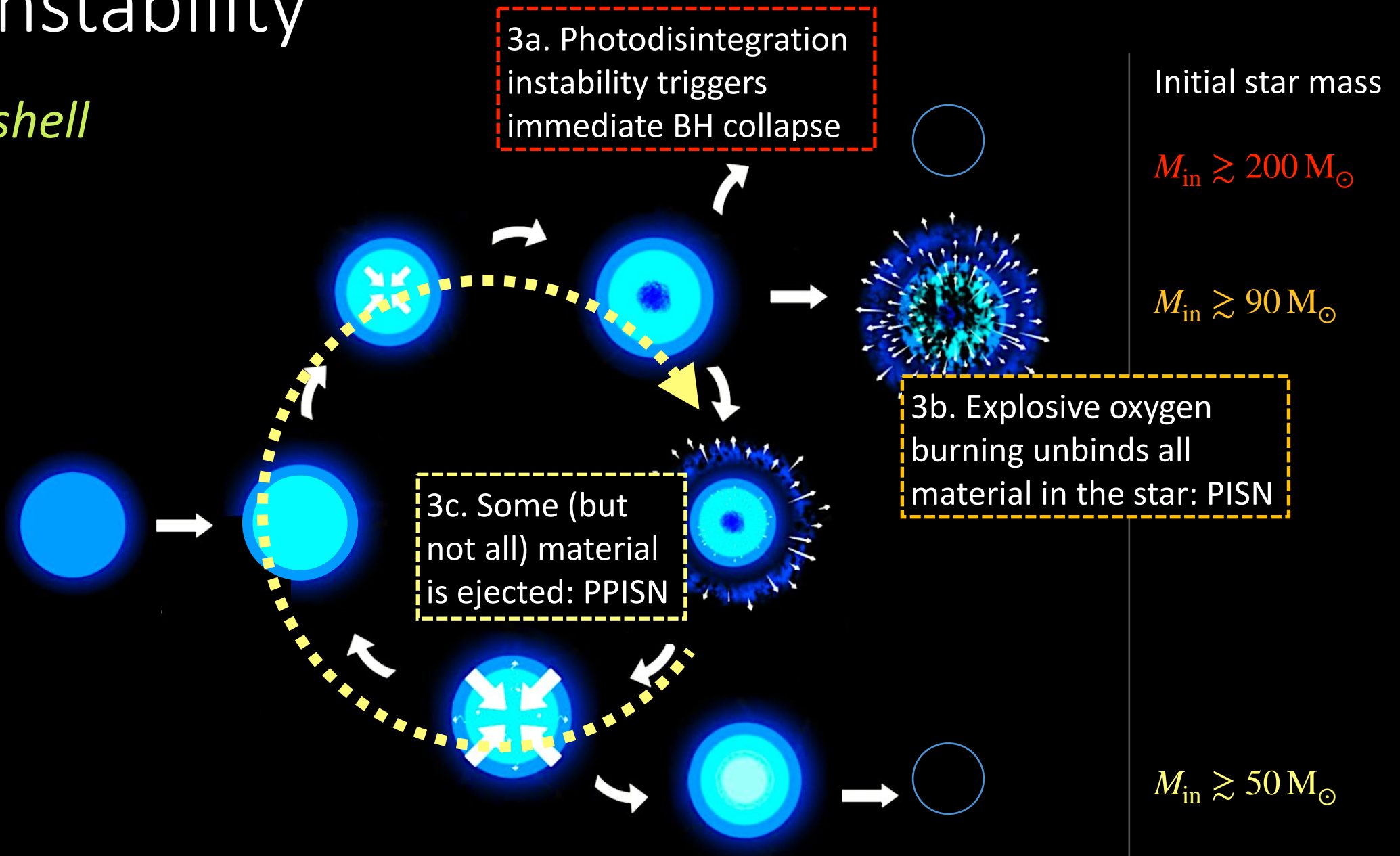
Pair instability

in a nutshell

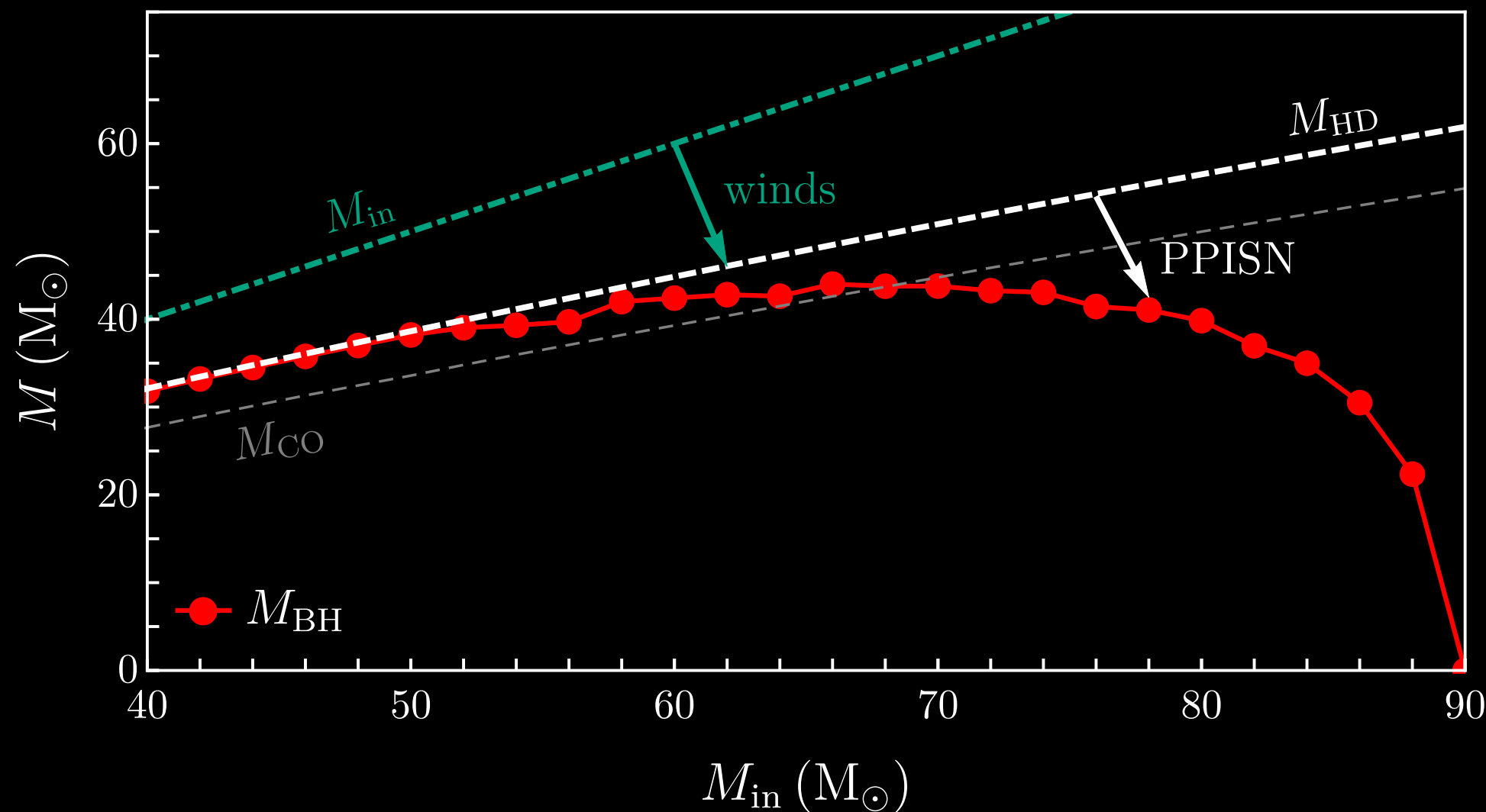


Pair instability

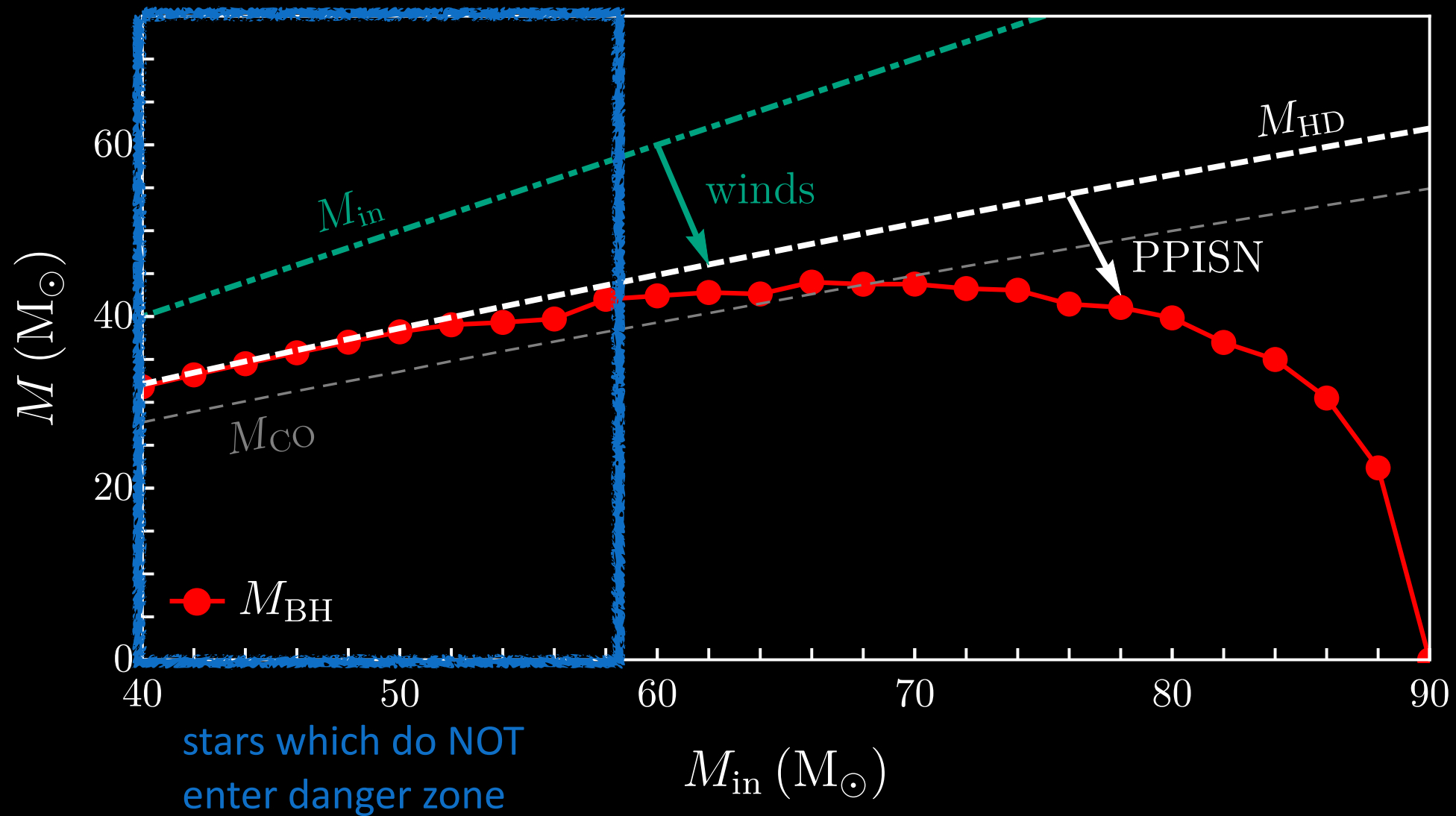
in a nutshell



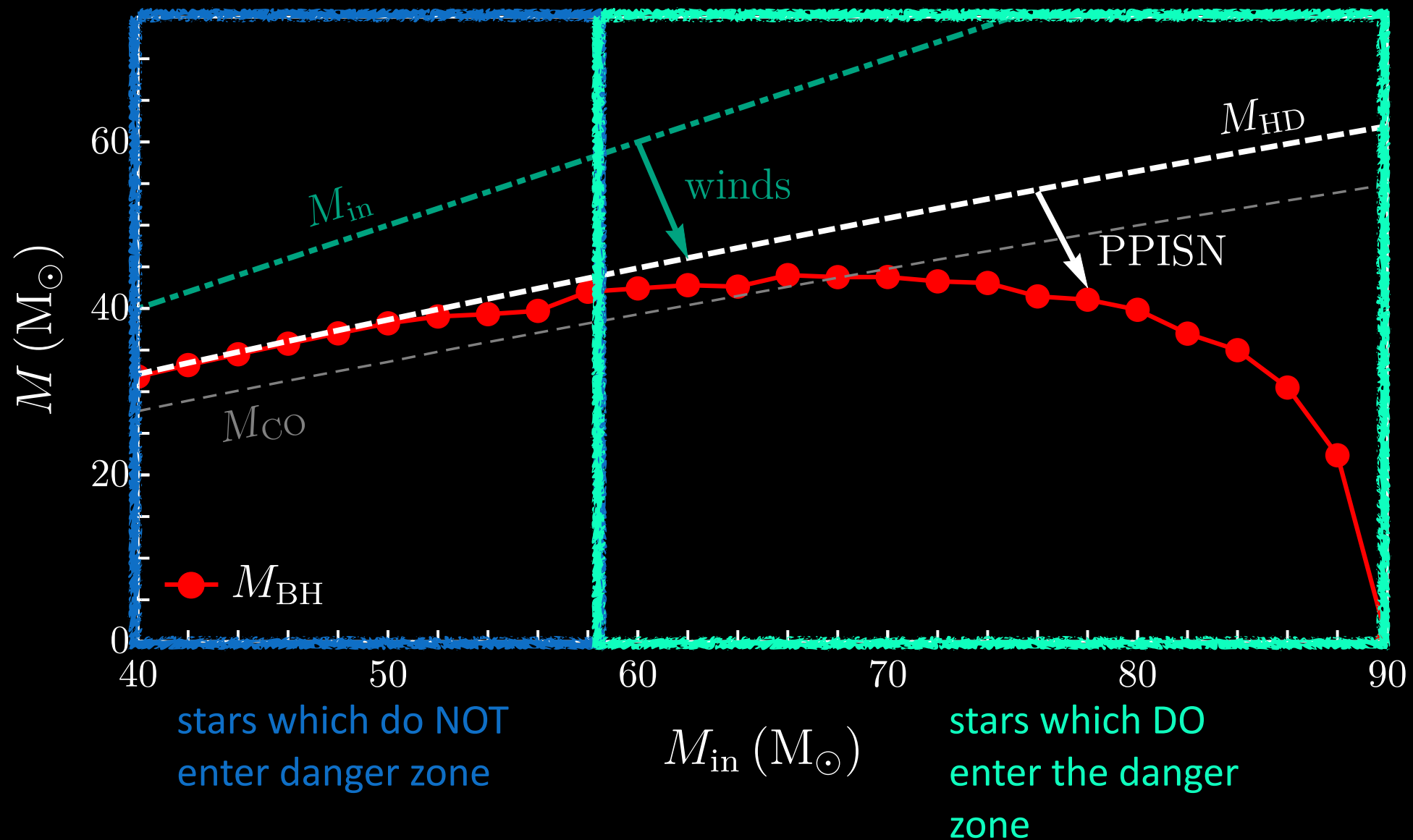
Resulting black hole masses



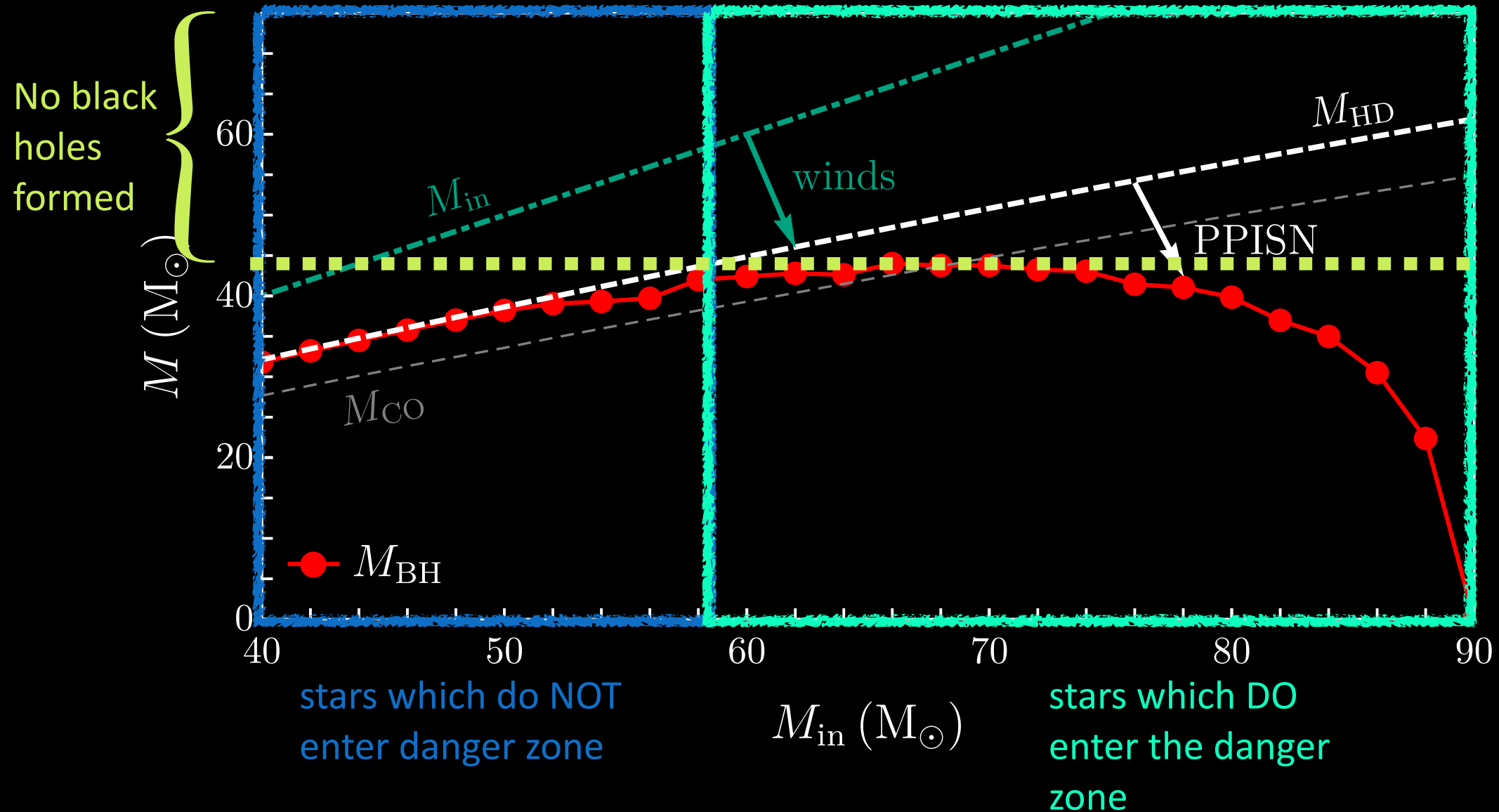
Resulting black hole masses



Resulting black hole masses



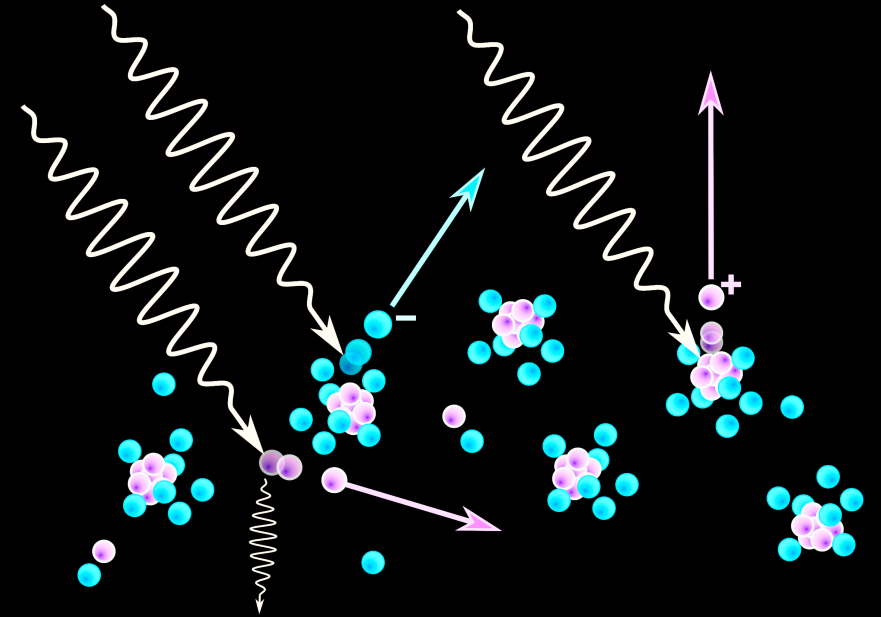
Resulting black hole masses



Upper end of the mass gap

Photodisintegration: rapid absorption of high energy photons

Photodisintegration leads to decrease in Γ_1 and therefore a contraction

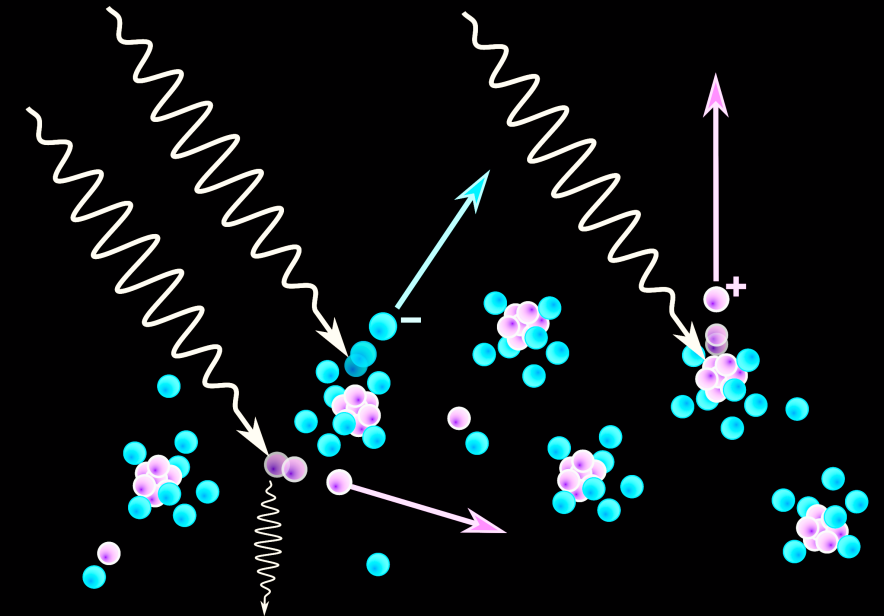


Upper end of the mass gap

Photodisintegration: rapid absorption of high energy photons

Photodisintegration leads to decrease in Γ_1 and therefore a contraction

In very high mass stars: oxygen burning can no longer keep up with contraction due to photodisintegration

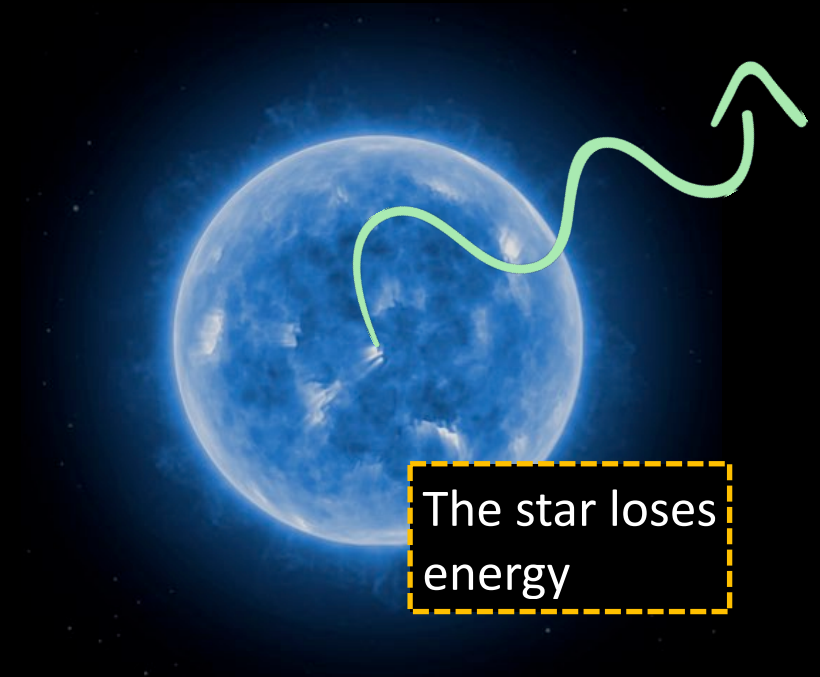


No pulsations, immediate collapse into black holes

What about new particles?

New particles...

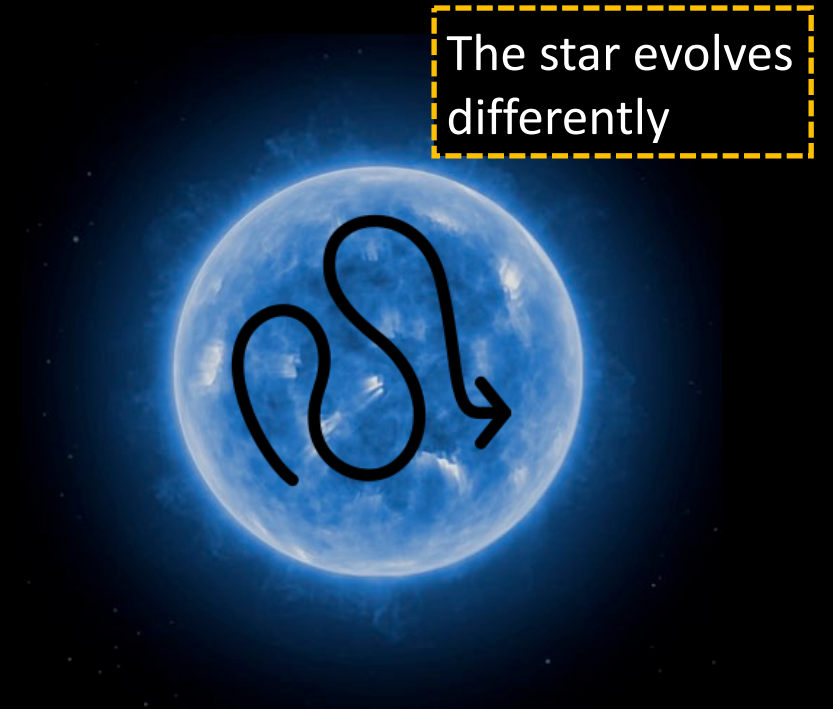
- May be produced in the star and *free stream out*



What about new particles?

New particles...

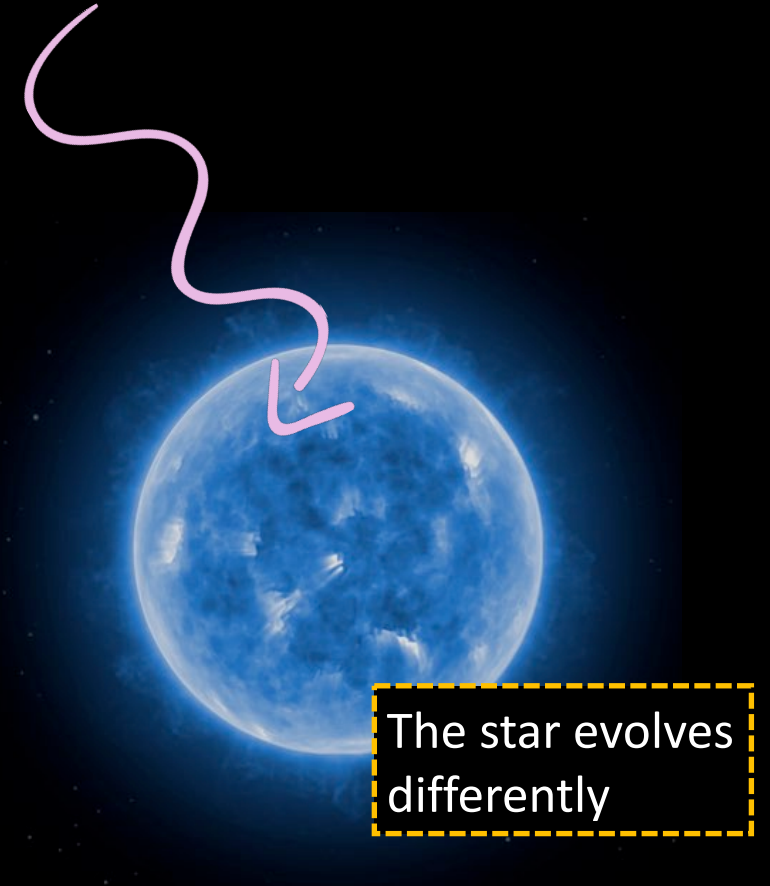
- May be produced in the star and *free stream out*
- May be produced in the star and *get trapped*



What about new particles?

New particles...

- May be produced in the star and *free stream out*
- May be produced in the star and *get trapped*
- May collect in the star and annihilate in the core



What about new particles?

New particles...

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- May be produced in the star and *get trapped*
- May collect in the star and annihilate in the core
- May modify other rates in the star



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- May be produced in the star and *free stream out*
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- May modify other rates in the star

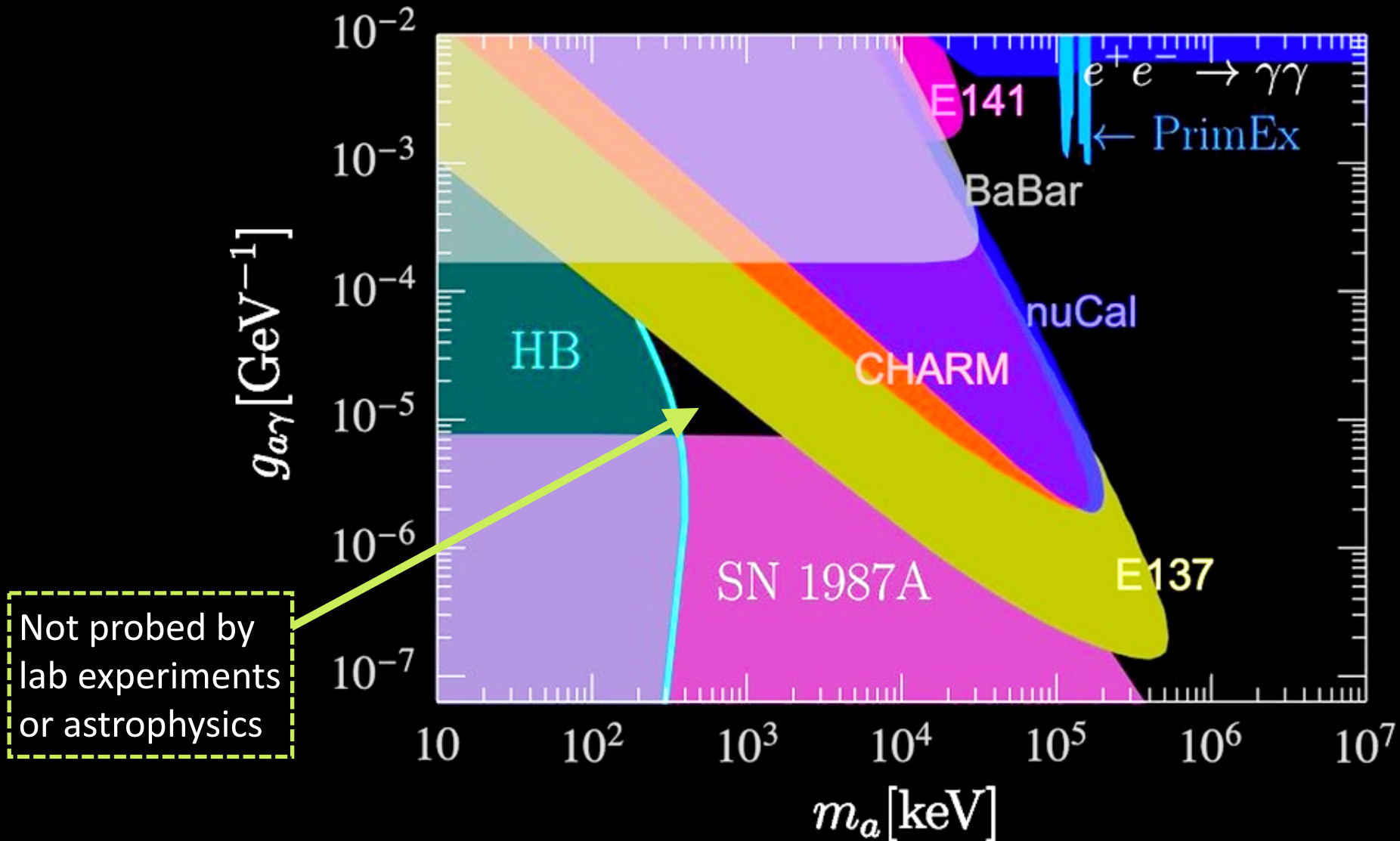
Nuclear astrophysics: pair-instability is a sensitive probe of $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$

*Farmer, Renzo, de Mink,
Fishbach, Justham
arXiv:2006.06678*

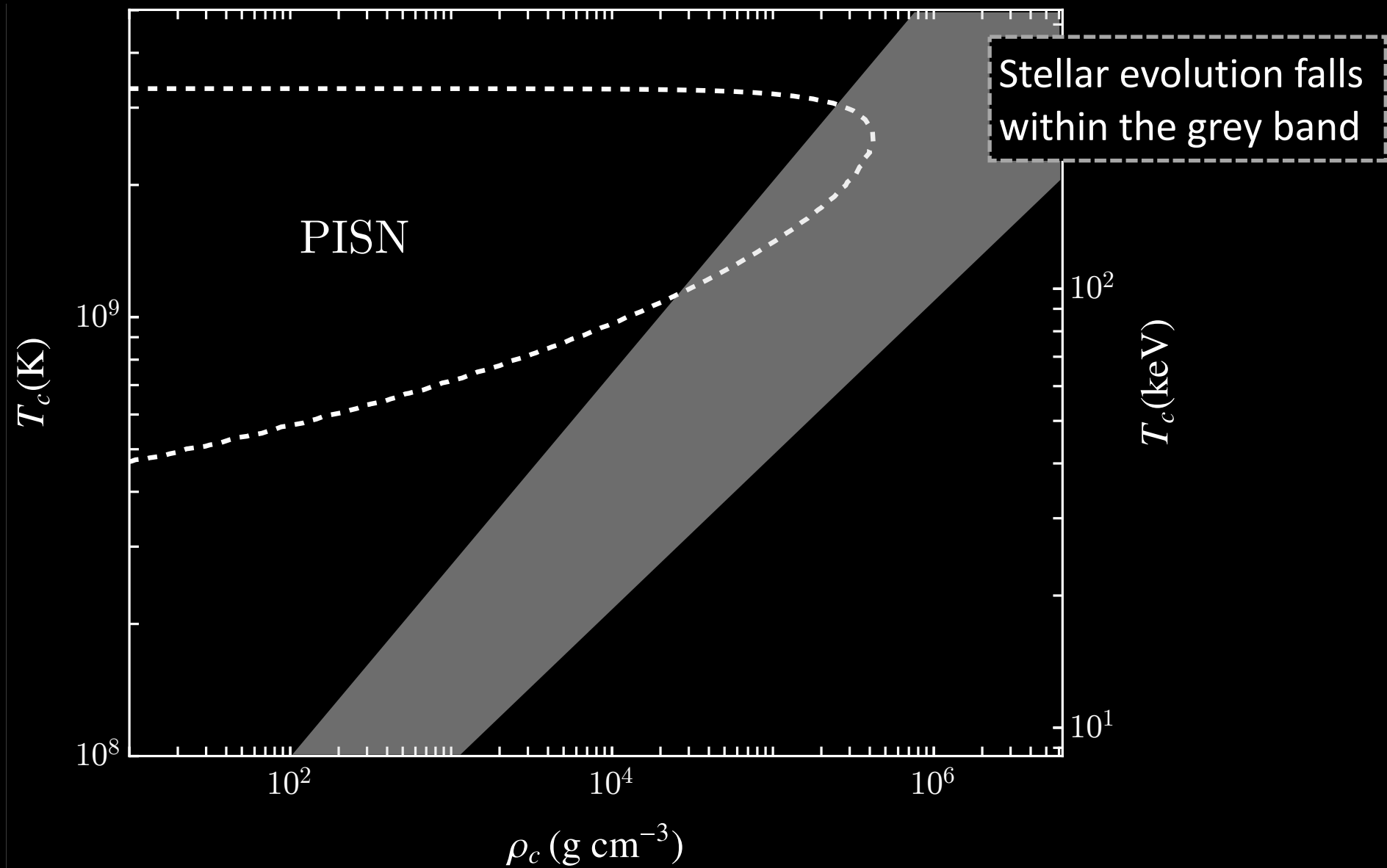
Gravity: the BHMG is a test of G_N in stellar

*Straight, Sakstein, Baxter,
arXiv: 2009.10716*

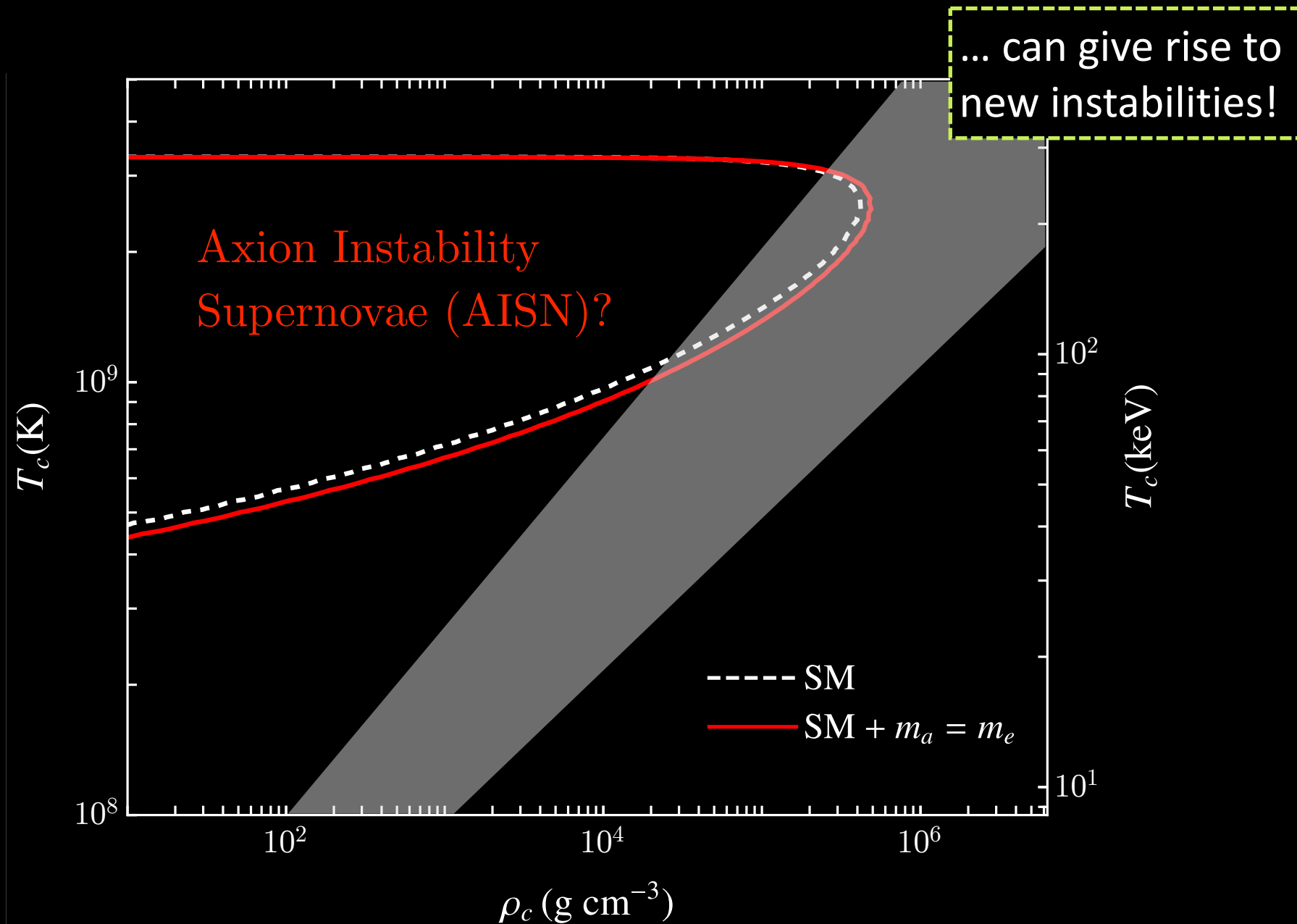
Axions in the cosmological triangle



Axions in stars



Axions in stars



Axions and the stellar EOS

- Assume an equilibrium distribution of axions, need to update the stellar EOS with axion contributions to:

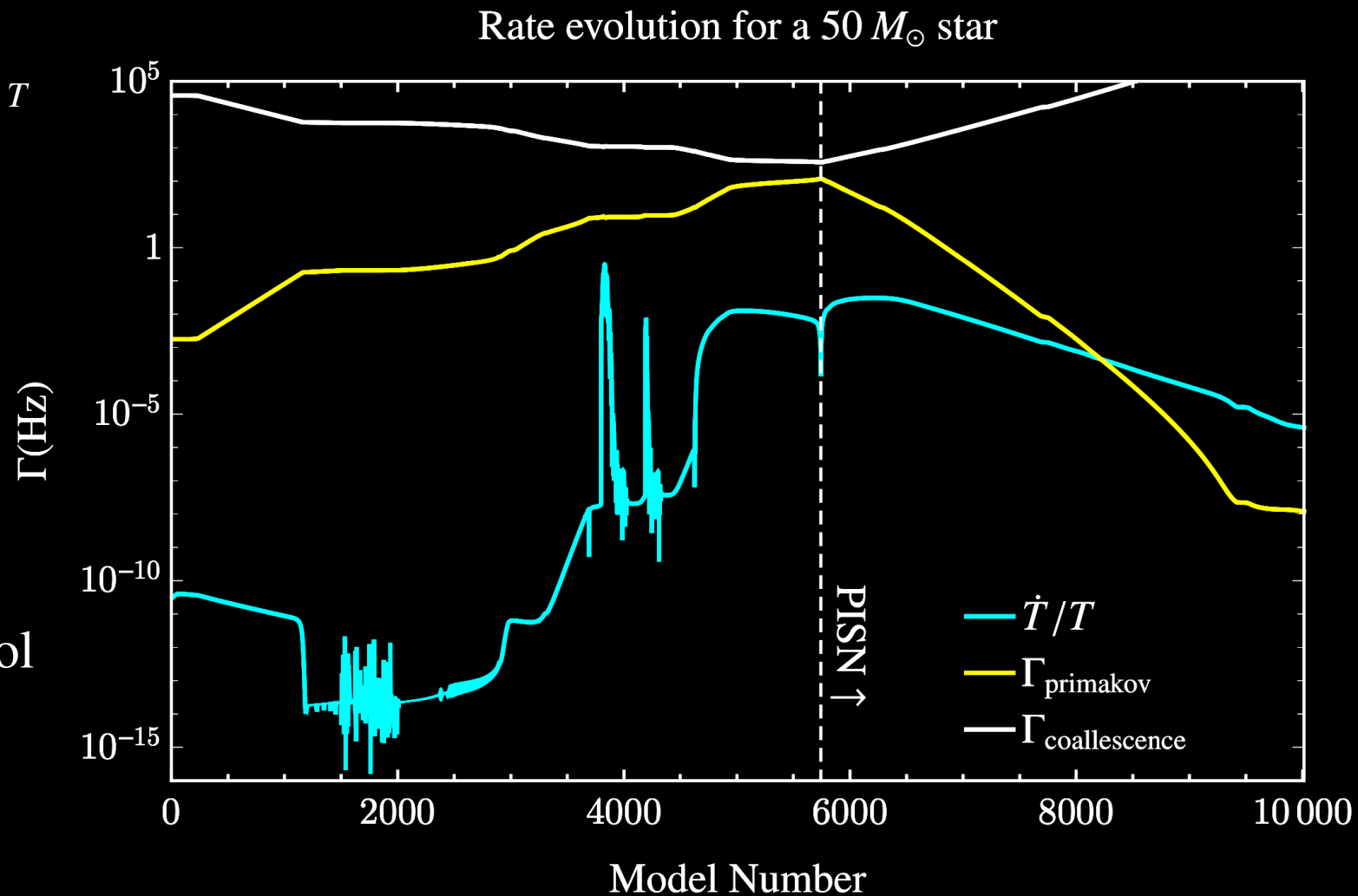
• P_g	• $\left(\frac{\partial s}{\partial \rho}\right)_T$	• $\left(\frac{\partial E}{\partial \rho}\right)_T$
• E		
• s	• c_V	• Γ_1
• $\left(\frac{\partial s}{\partial T}\right)_\rho$	• c_P	• Γ_3
	• χ_p	• ∇_{ad}
	• χ_T	

Axions and the stellar EOS

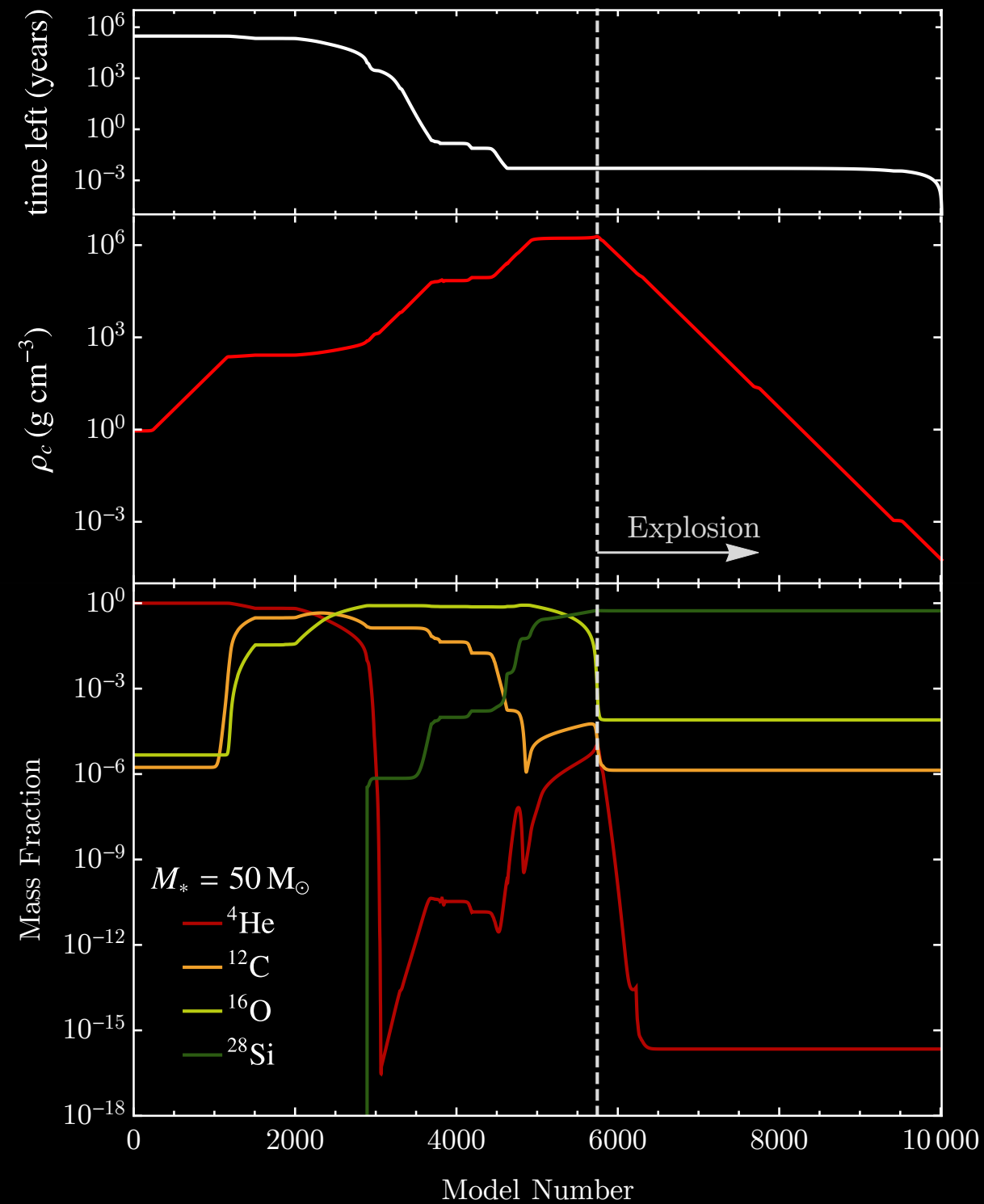
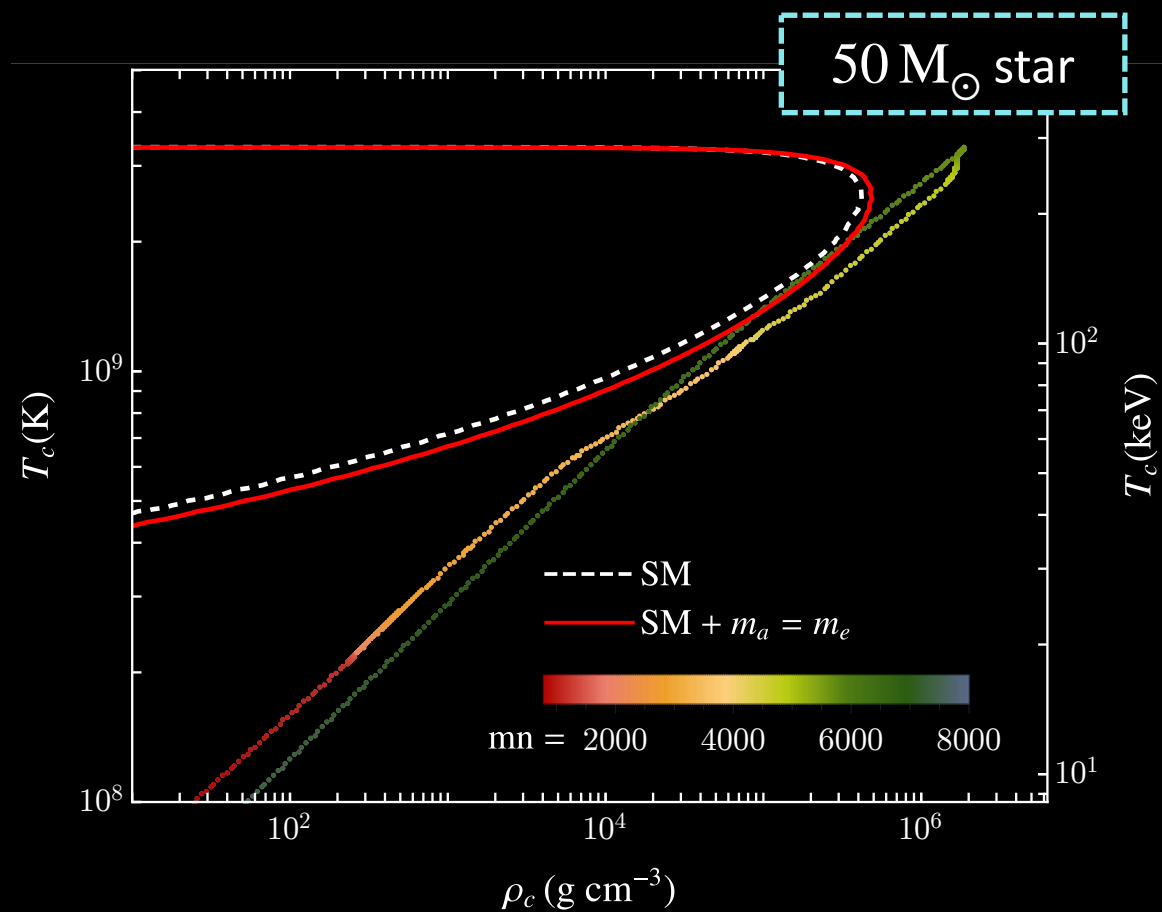
- Assume an equilibrium distribution of axions, need to update the stellar EOS with axion contributions to:

• P_g	• $\left(\frac{\partial s}{\partial \rho}\right)_T$	• $\left(\frac{\partial E}{\partial \rho}\right)_T$
• E	• c_V	• Γ_1
• s	• c_P	• Γ_3
• $\left(\frac{\partial s}{\partial T}\right)_\rho$	• χ_p	• ∇_{ad}
	• χ_T	

- Only valid if $\Gamma_{\gamma \rightarrow a} > \Gamma_{\text{evol}}$

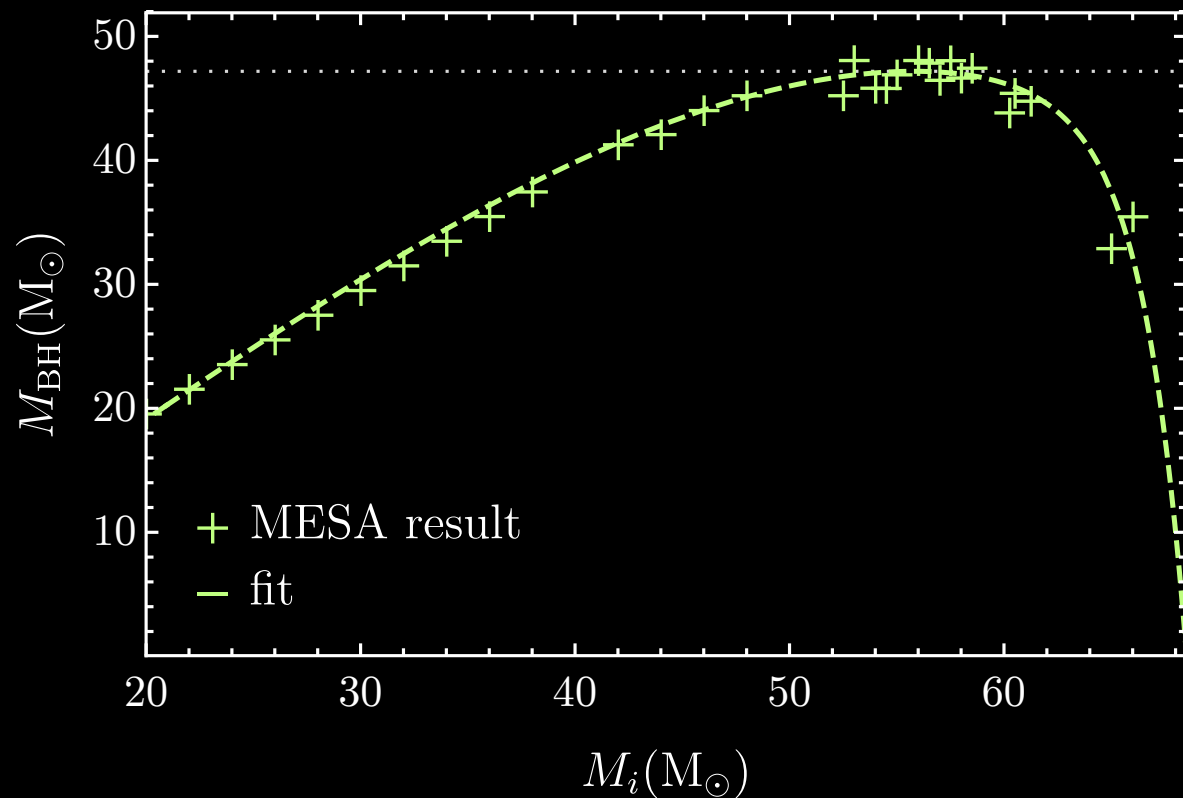


AISN: evolution

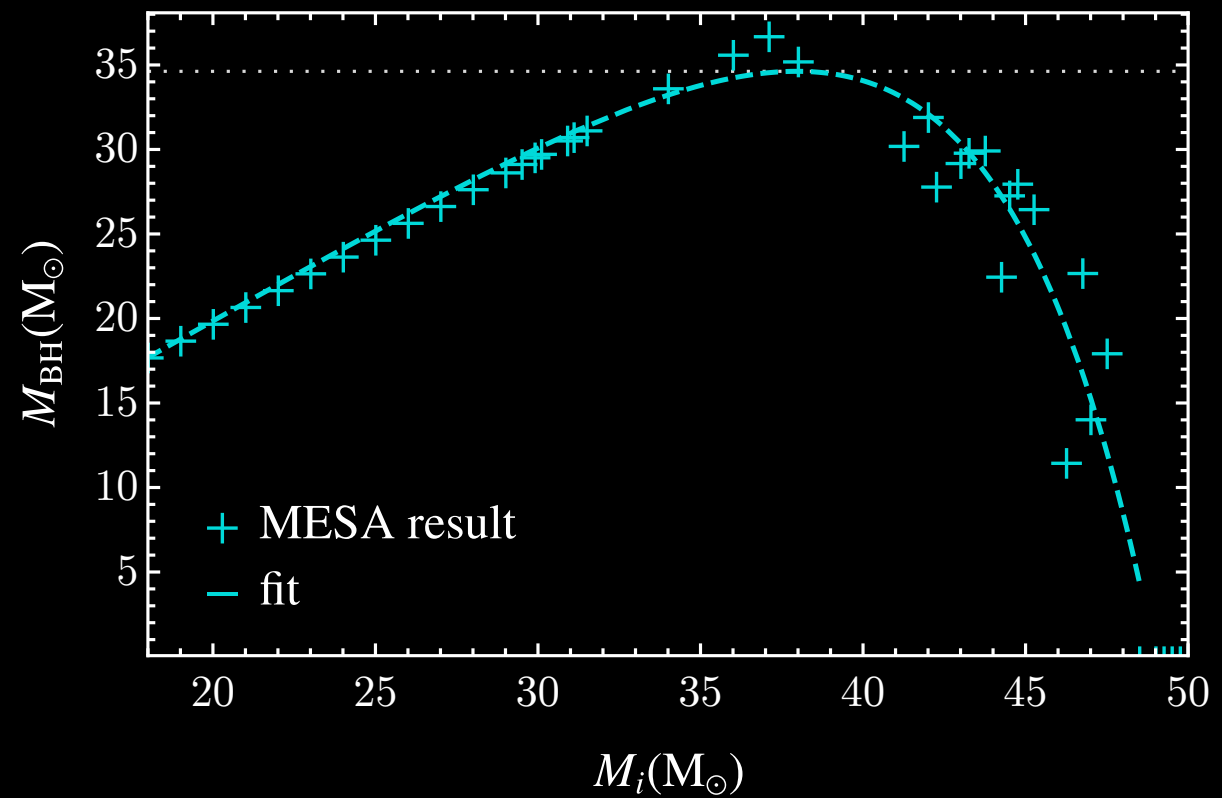


AISN: resulting black holes

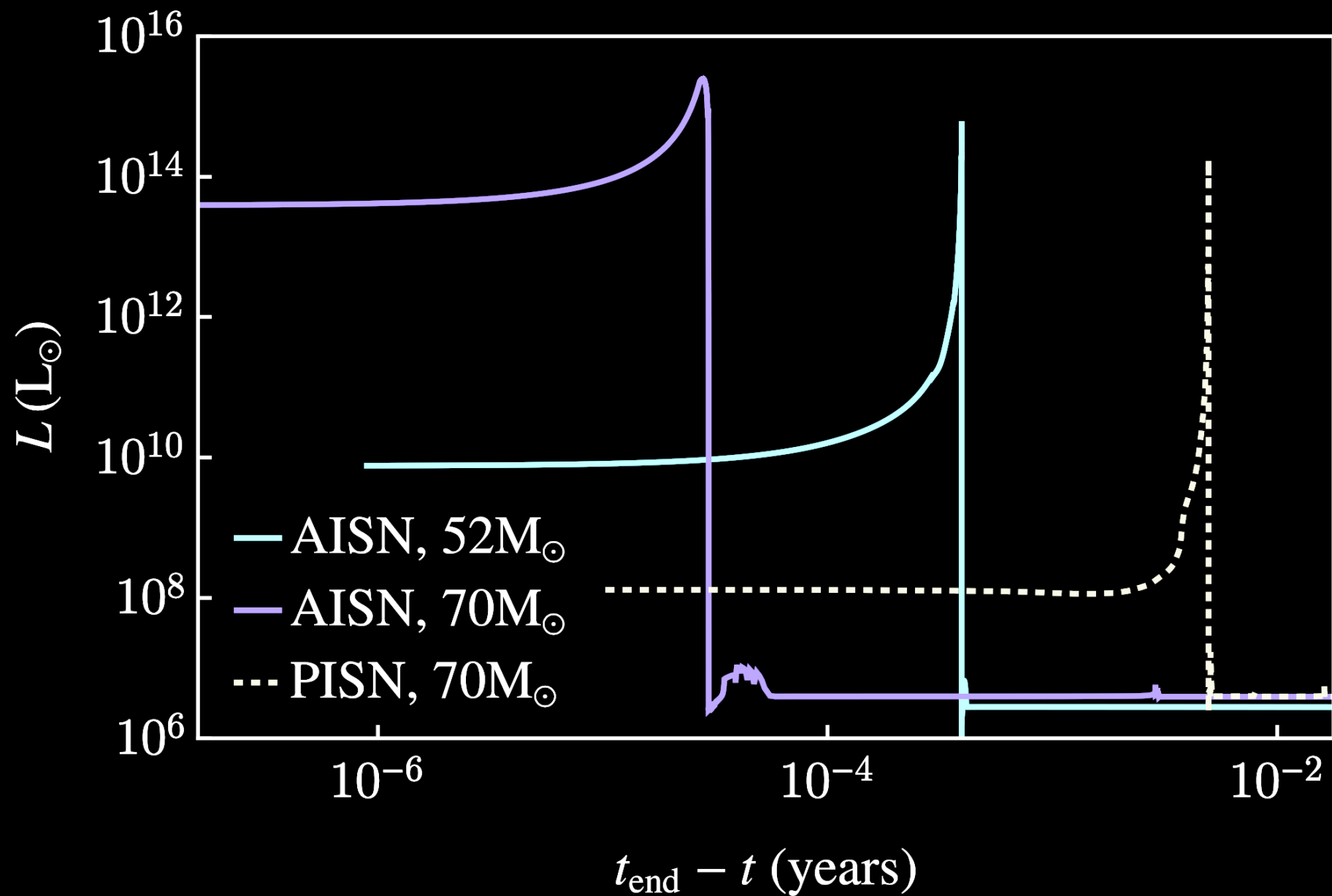
SM



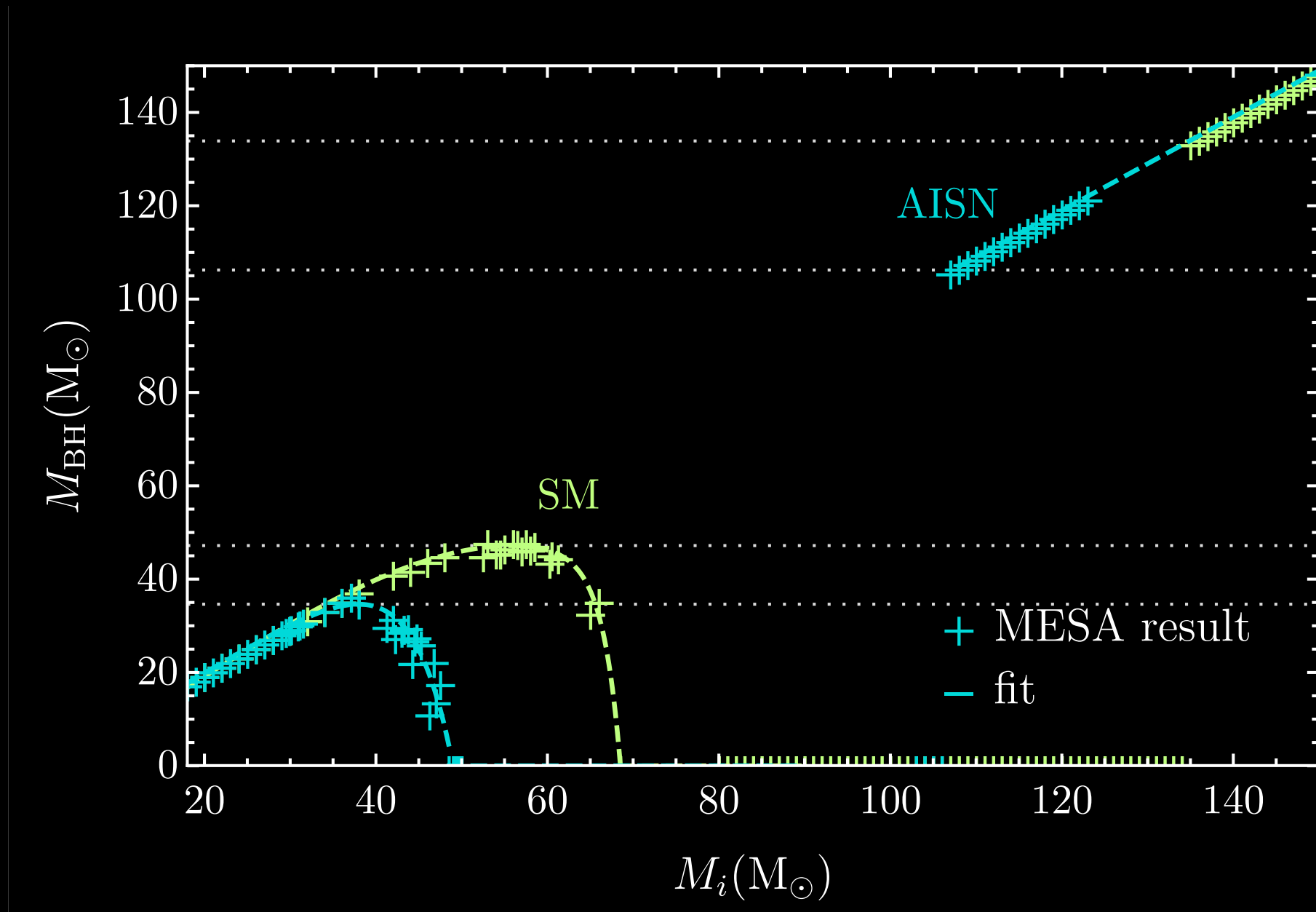
SM + Axions, $m_a = m_e$



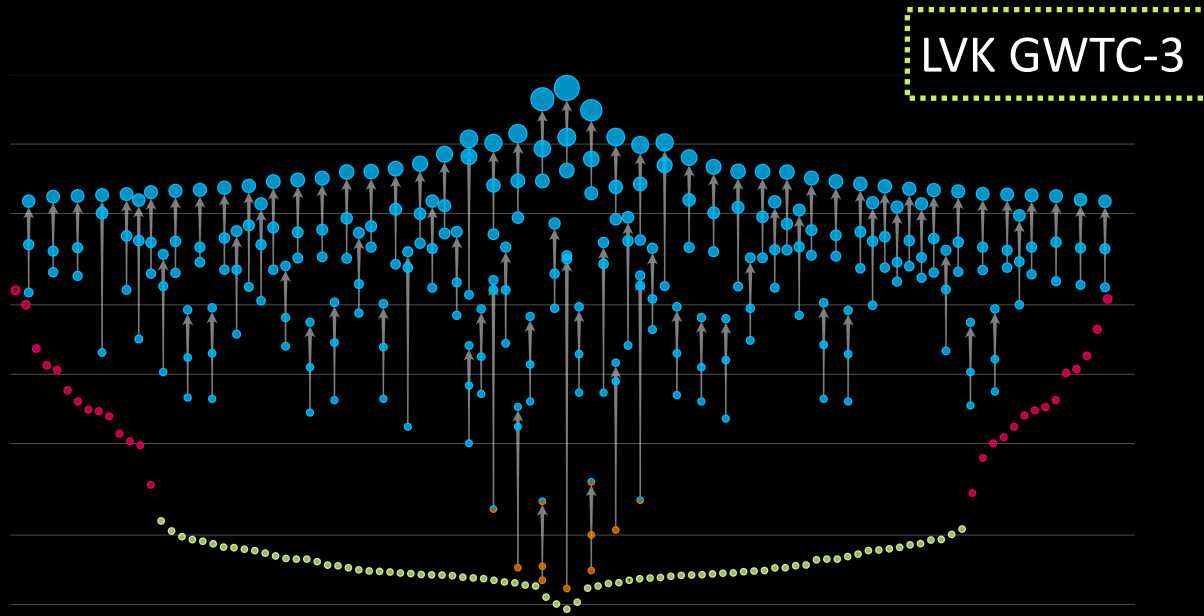
AISN: luminosity



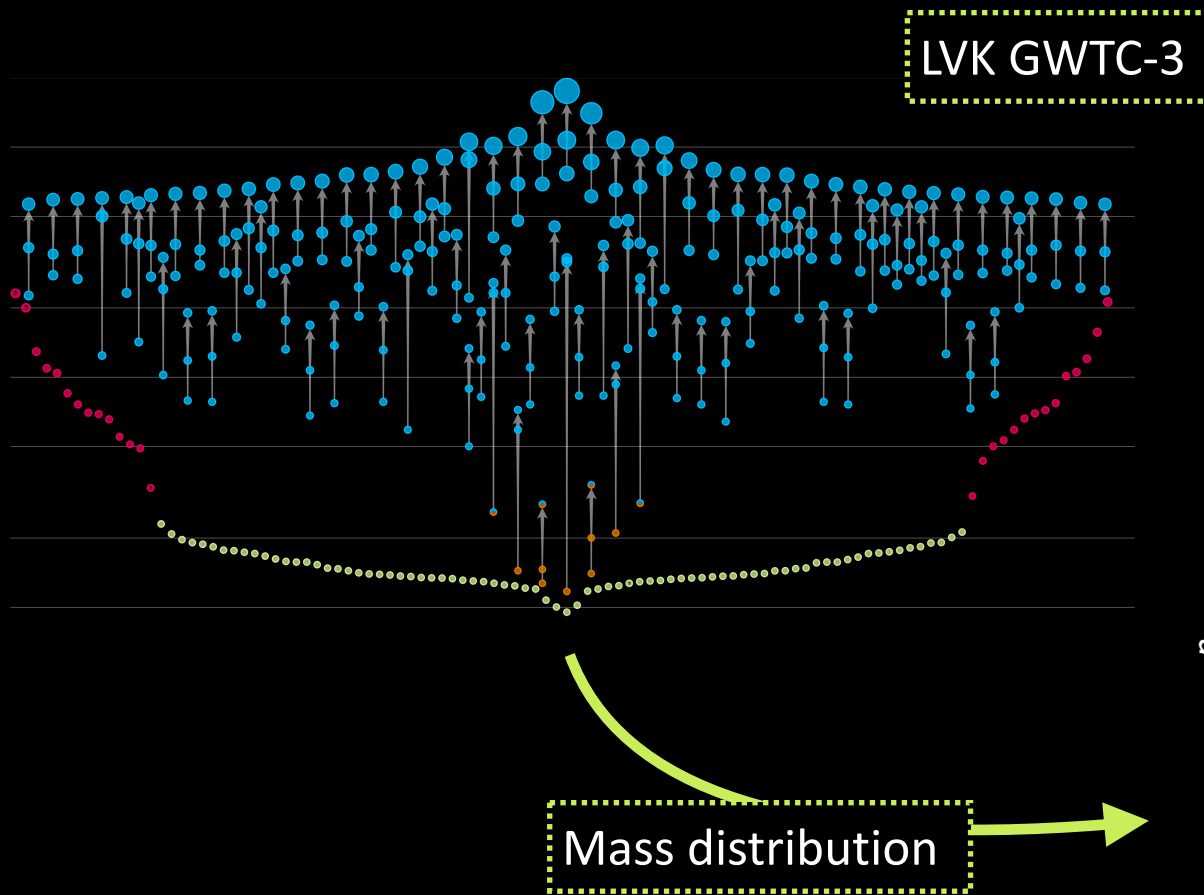
Axions and photo disintegration instability



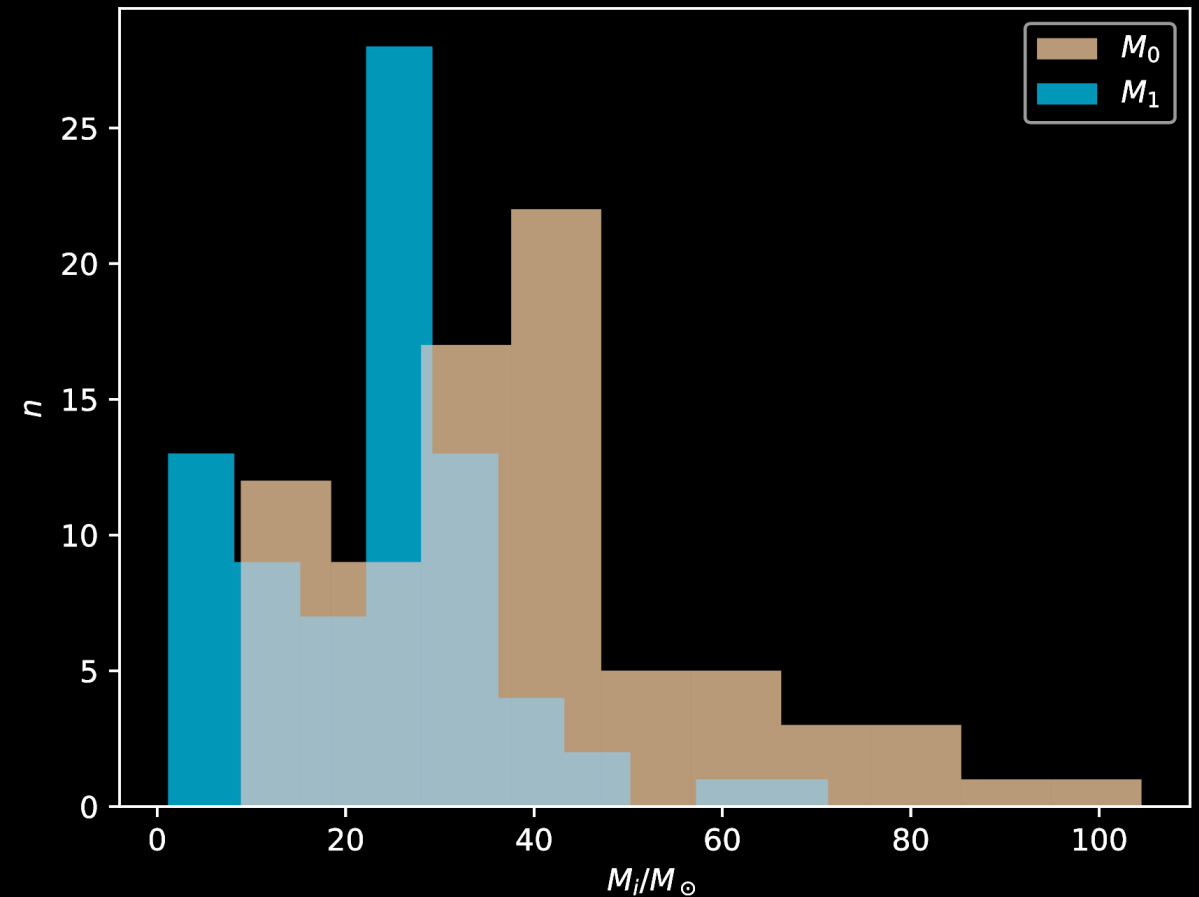
Black hole archeology: what about the data?



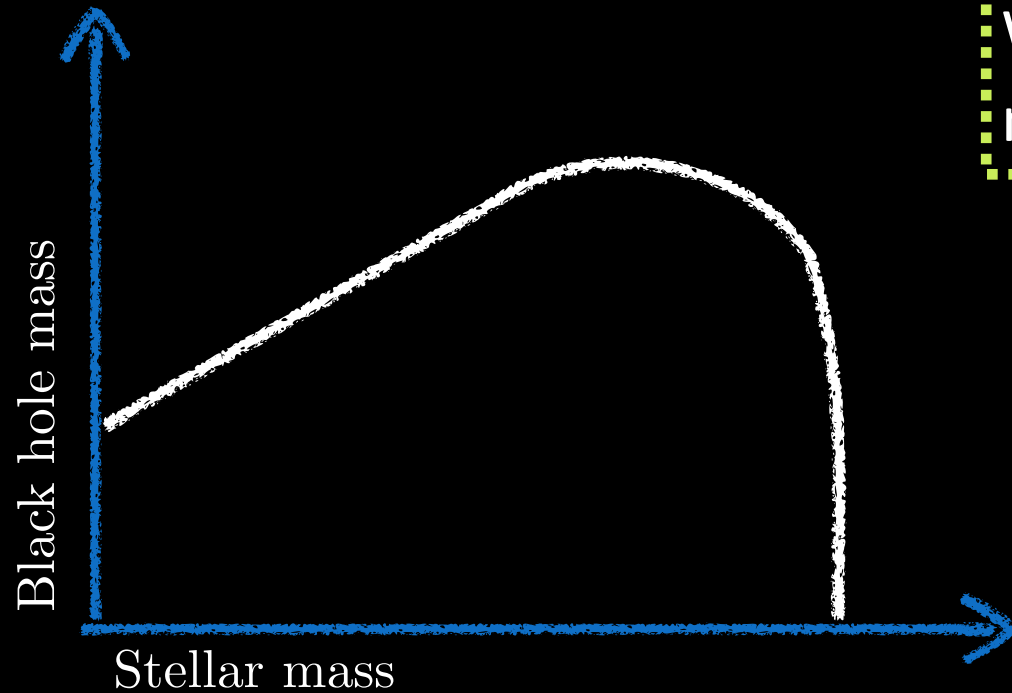
Black hole archeology: what about the data?



Other parameters, such as spin alignment, eccentricity, redshift, and mass ratio can serve as further evidence for the binary's environment/merger history

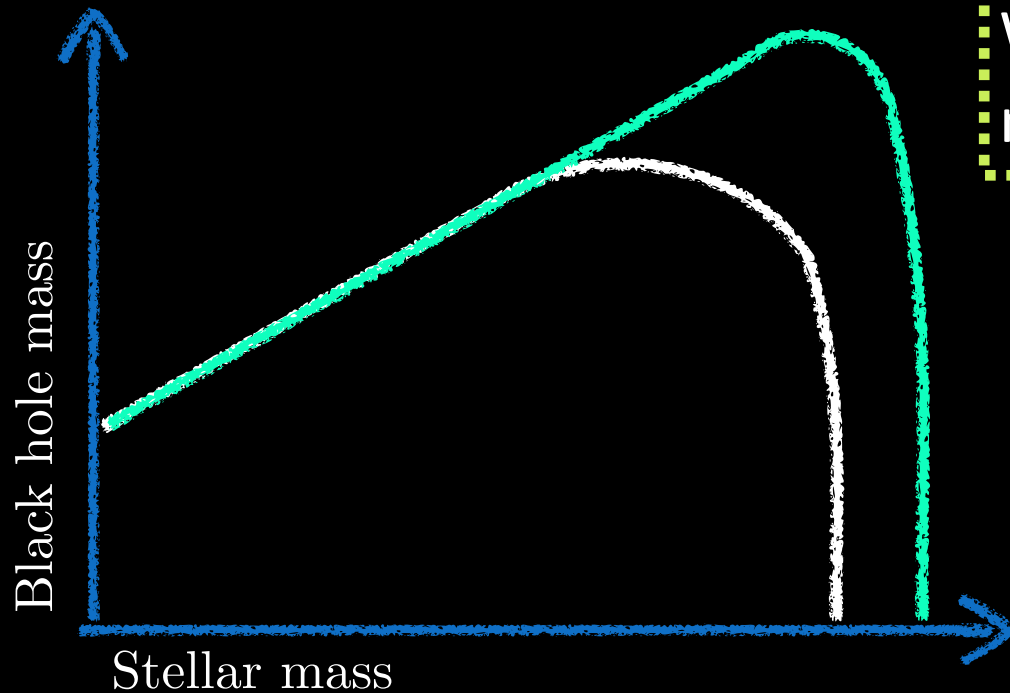


Pair-instability and black hole populations



We can predict black hole masses from stellar masses through stellar evolution simulations

Pair-instability and black hole populations



We can predict black hole masses from stellar masses through stellar evolution simulations

New particles or different nuclear physics may **change** this prediction

DC, McDermott, Sakstein arXiv:2007.00650 [hep-ph]

DC, McDermott, Sakstein, PRD (editor's suggestion), arXiv:2007.07889 [gr-qc]

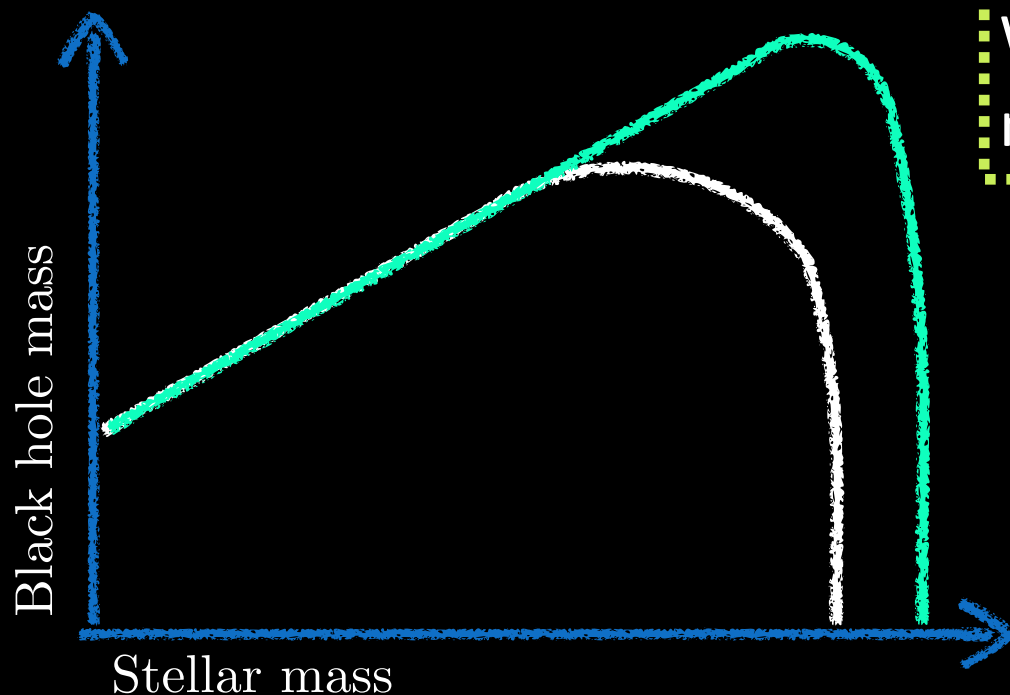
Straight, Sakstein, Baxter, PRD, arXiv:2009.10716 [gr-qc]

Sakstein, DC, McDermott, Straight, Baxter, PRL, arXiv:2009.01213 [gr-qc]

Ziegler, Freese arXiv:2010.00254 [astro-ph]

...More work in progress

Pair-instability and black hole populations



We can predict black hole masses from stellar masses through stellar evolution simulations

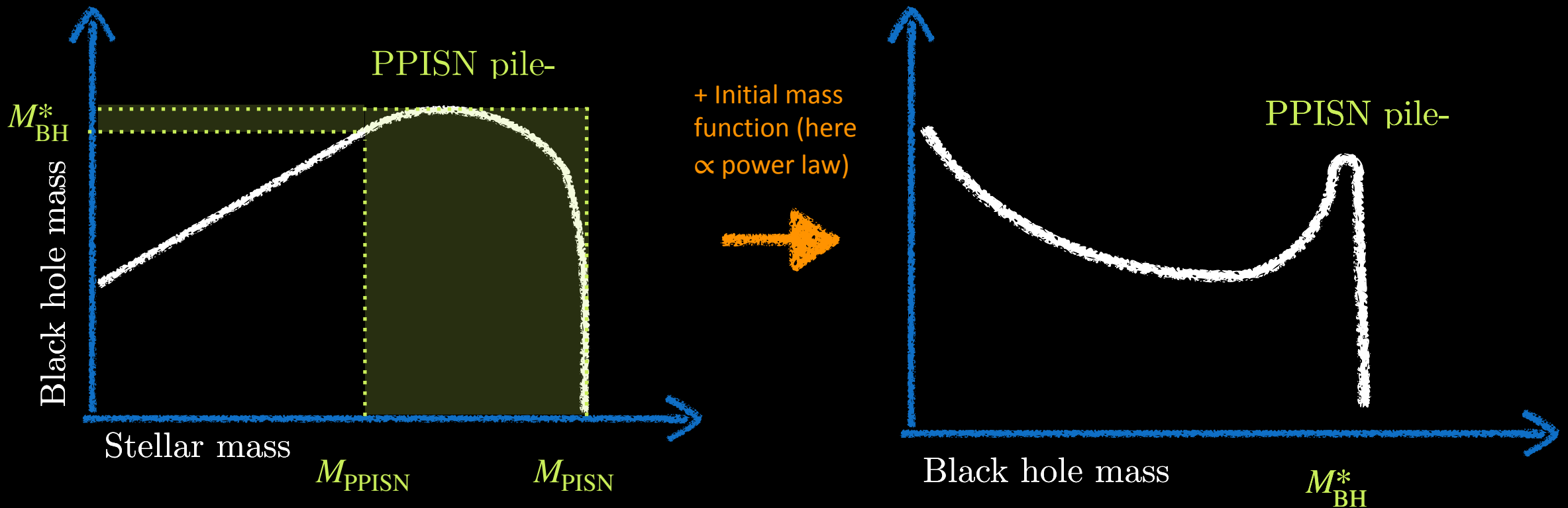
New particles or different nuclear physics may **change** this prediction

How can we use *data* to test that?

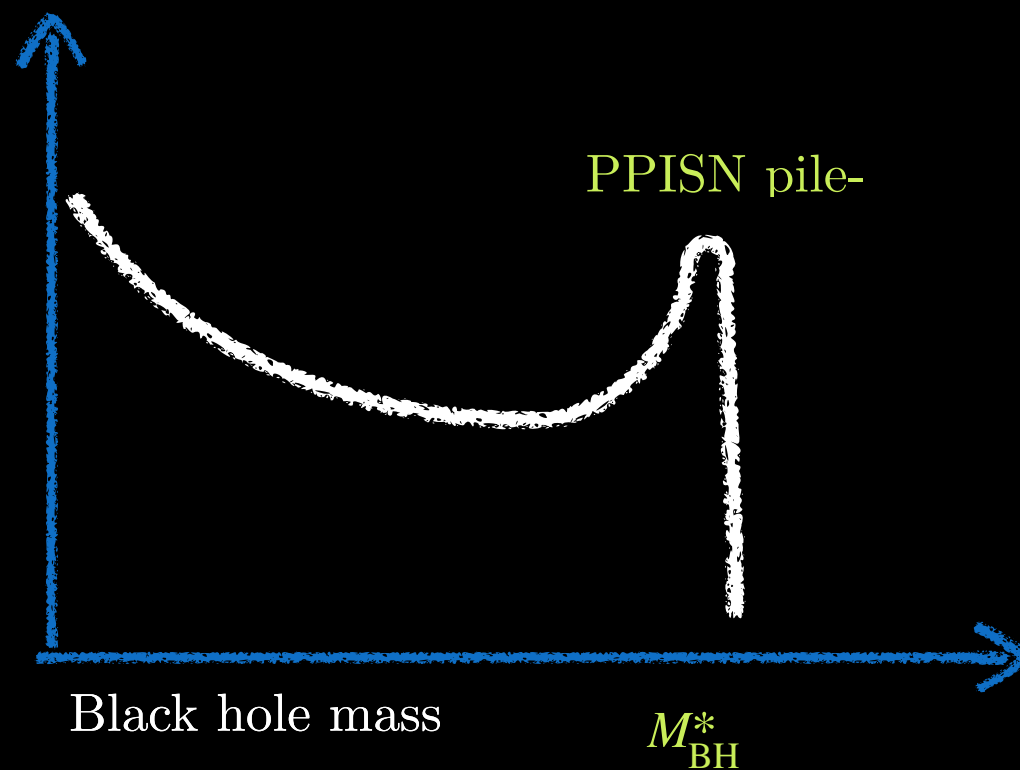
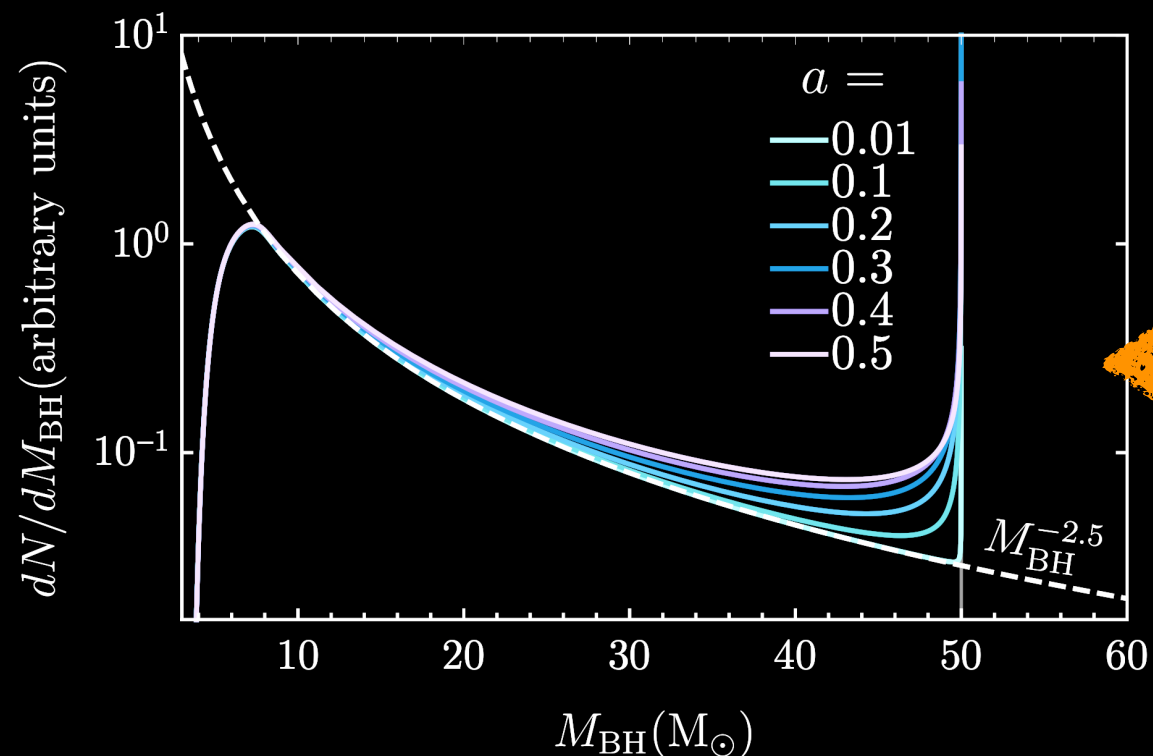
FIND THE GAP

Baxter, DC, McDermott, Sakstein, arXiv:2104.02685

Pair-instability and black hole populations



Pair-instability and black hole populations



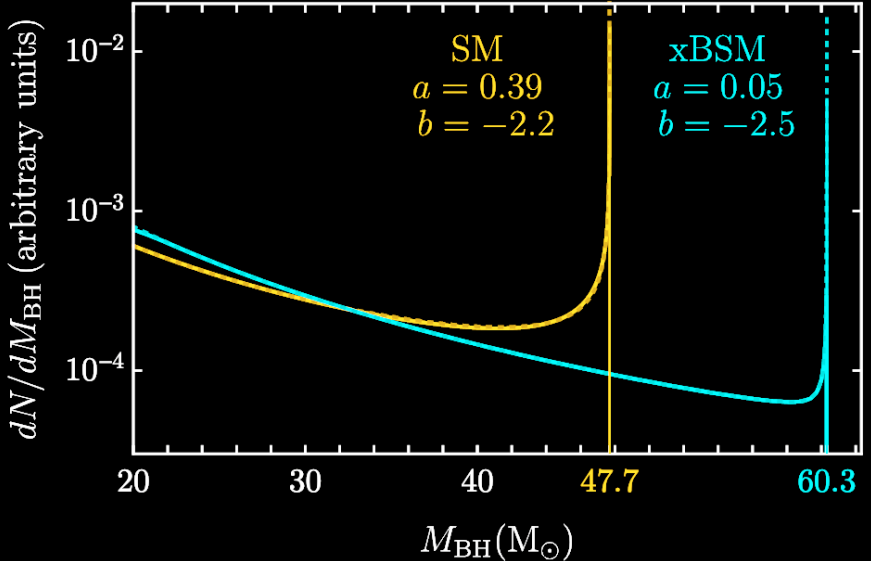
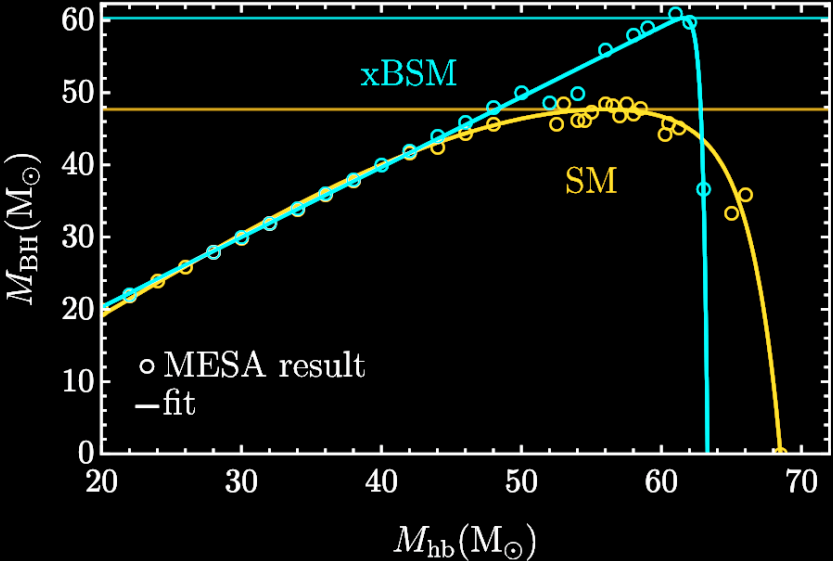
$$\frac{dN_{\text{BH}}^{(1g)}}{dM_{\text{BH}}} \propto M_{\text{BH}}^b \left[1 + \frac{2a^2 M_{\text{BH}}^{1/2} (M_{\text{BHMG}} - M_{\text{BH}})^{a-1}}{M_{\text{BHMG}}^{a-1/2}} \right]$$

Baxter, DC, McDermott, Sakstein, arXiv:2104.02685

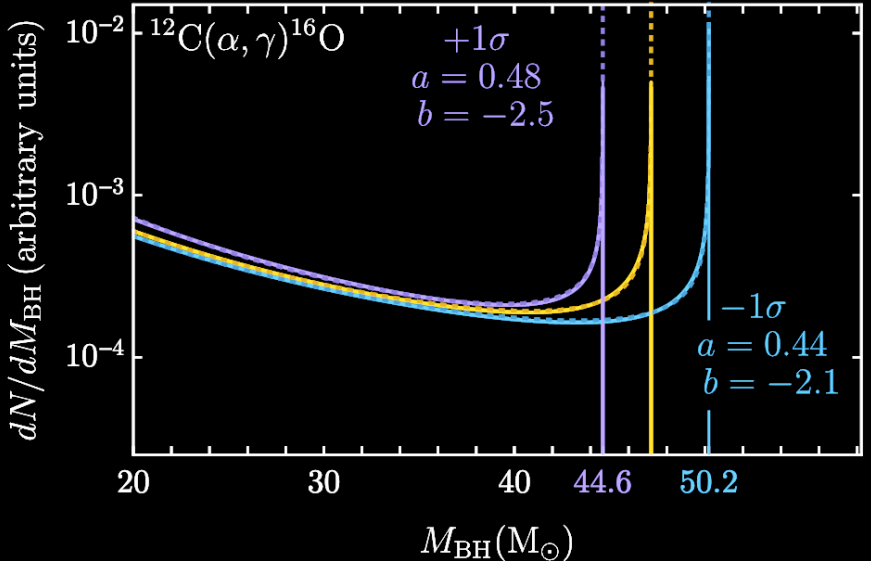
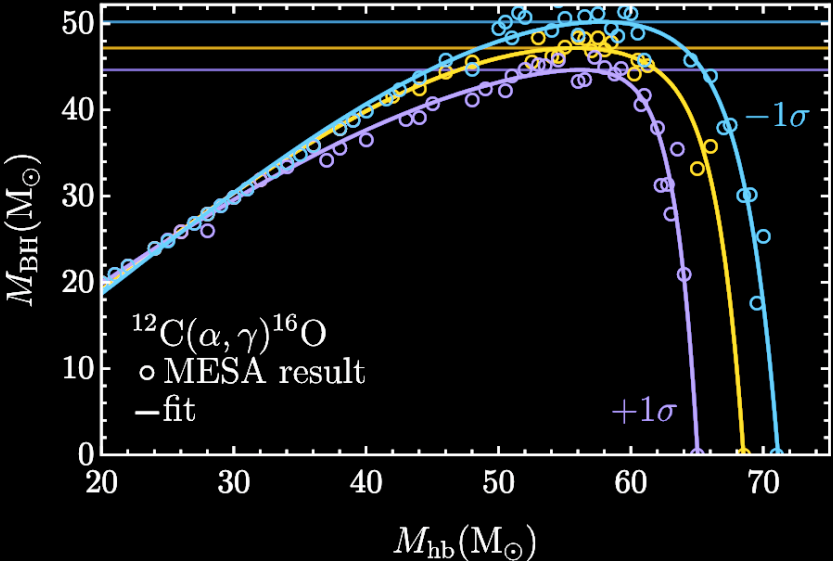
Pair-instability and black hole populations



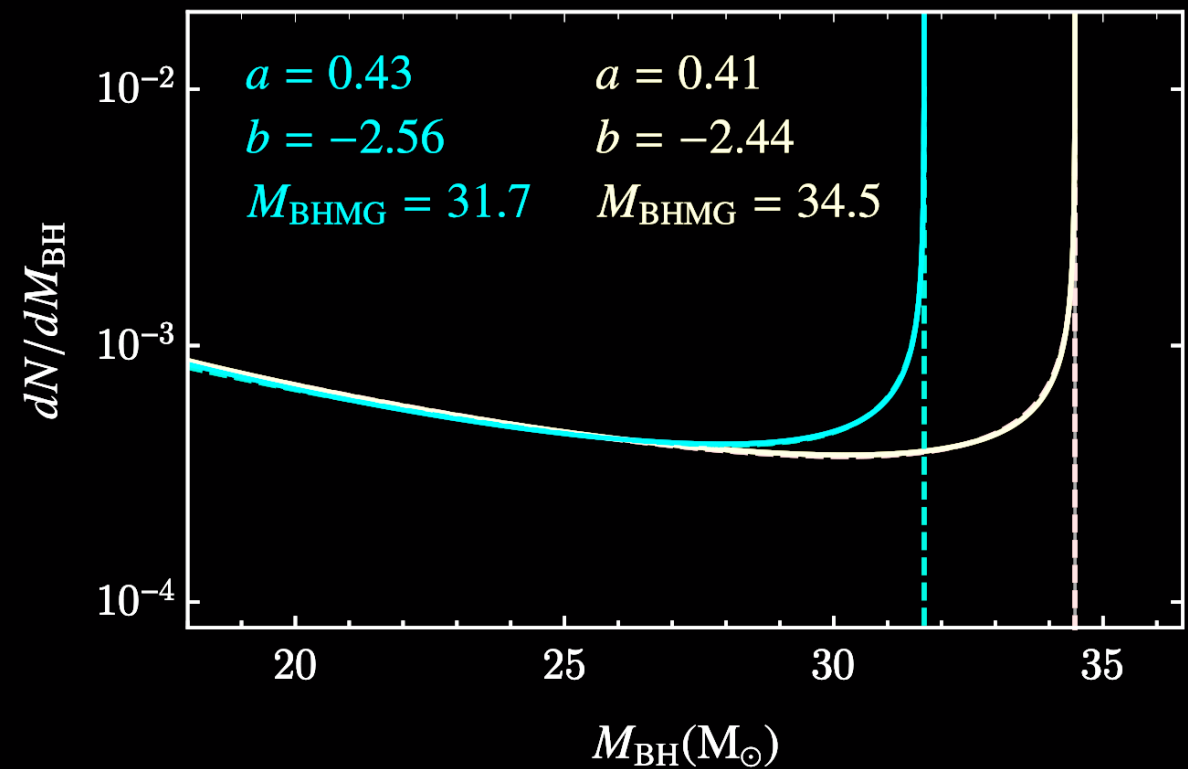
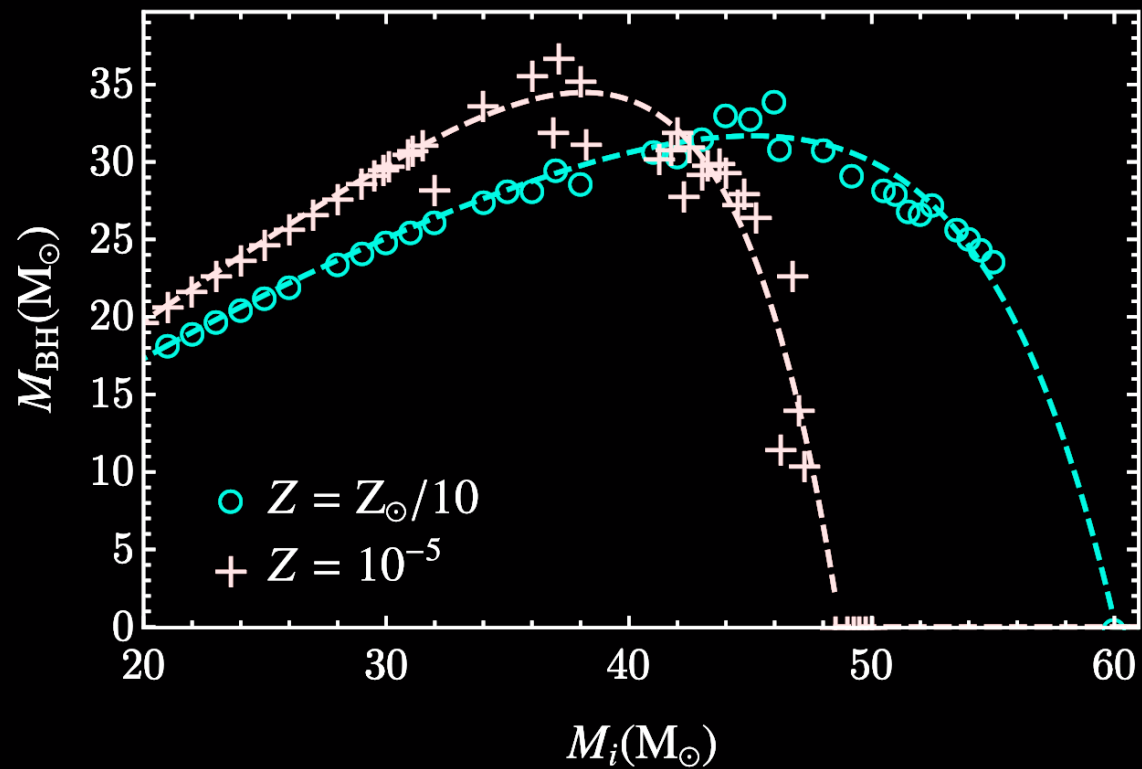
Testing BSM
particle physics



Testing nuclear
(astro) physics



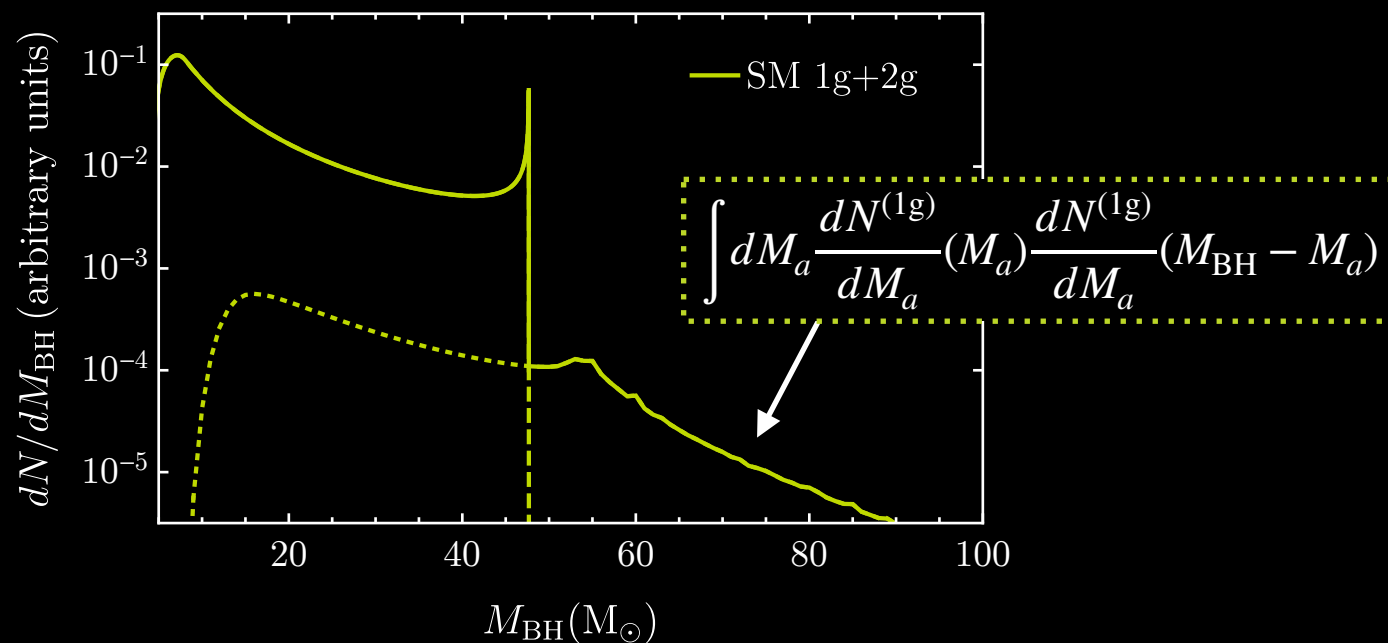
AISN and black hole populations



Dynamical mergers and black hole genealogy

Black holes formed in **prior mergers** may in principle populate the mass gap.

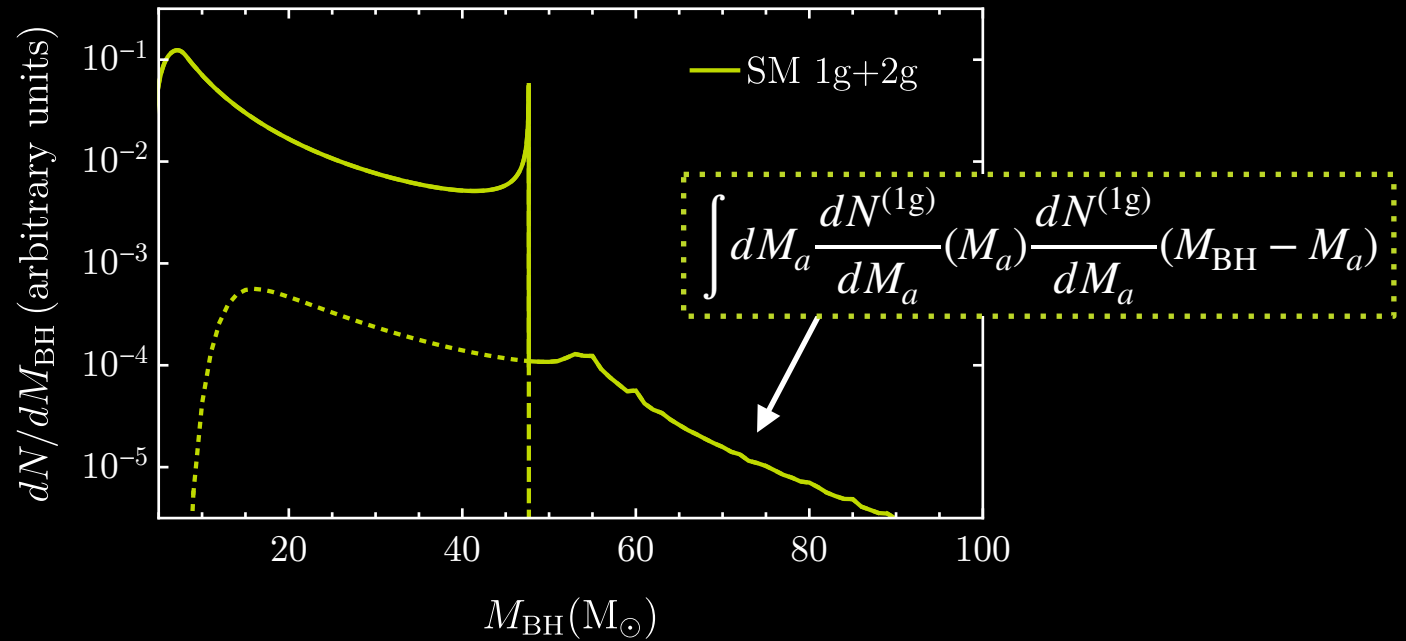
Their mass distribution inherits from the 1g mass distribution.



Dynamical mergers and black hole **genealogy**

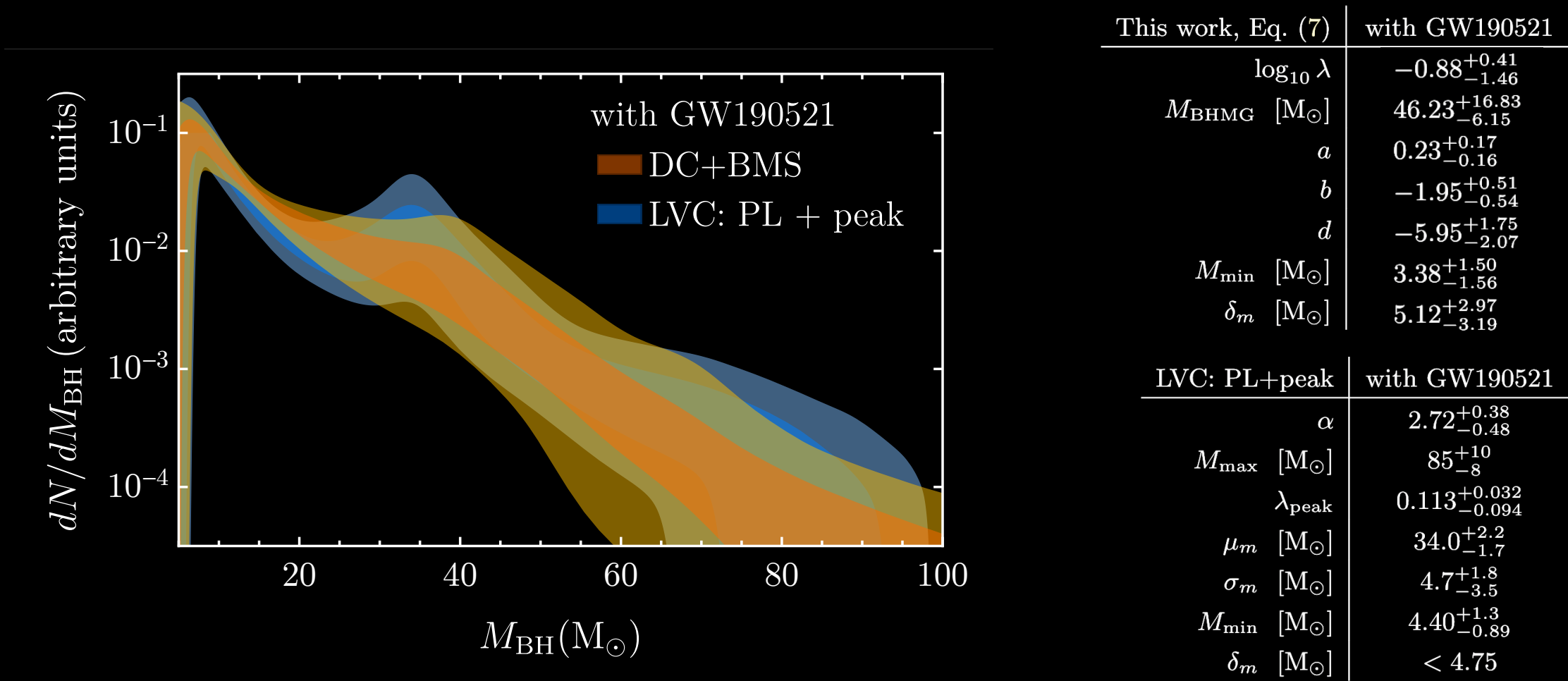
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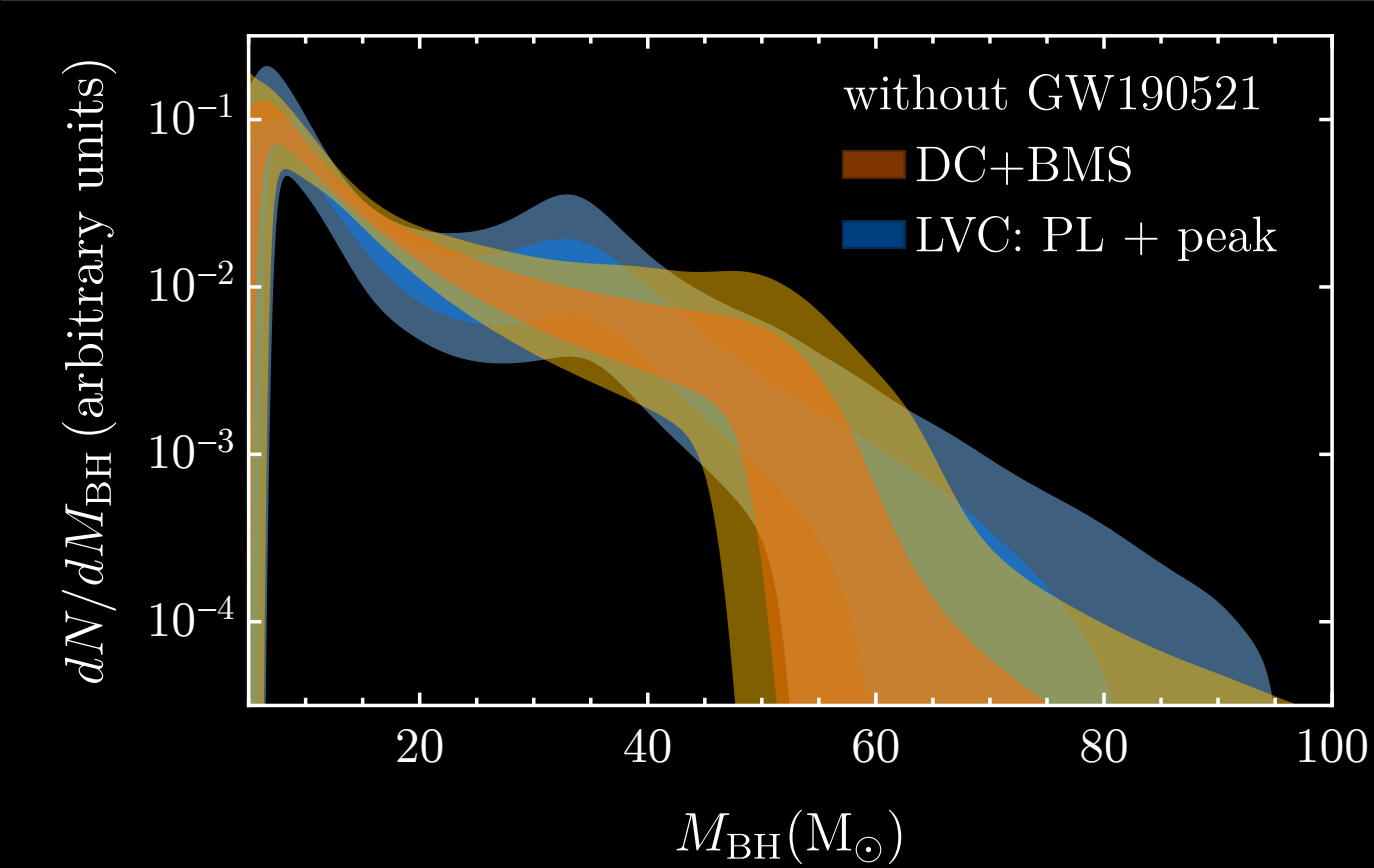


$$\frac{dN}{dM_{\text{BH}}} = \frac{dN_{\text{BH}}^{(1g)}}{dM_{\text{BH}}} + \frac{dN_{\text{BH}}^{(2+g)}}{dM_{\text{BH}}} \left\{ \begin{array}{l} \frac{dN_{\text{BH}}^{(1g)}}{dM_{\text{BH}}} \propto M_{\text{BH}}^b \left[1 + \frac{2a^2 M_{\text{BH}}^{1/2} (M_{\text{BHMg}} - M_{\text{BH}})^{a-1}}{M_{\text{BHMg}}^{a-1/2}} \right] : \text{first generation black holes } (a, b, M_{\text{BHMg}}) \\ \frac{dN_{\text{BH}}^{(2+g)}}{dM_{\text{BH}}} \propto \lambda \min \left[1, \left(\frac{M_{\text{BH}}}{M_{\text{BHMg}} + M_{\text{min}} + \delta_m/2} \right)^d \right] : \text{"Pollutant" population (2g+)} (d, \lambda) \end{array} \right.$$

Binary mergers in LIGO/Virgo O3a



Binary mergers in LIGO/Virgo O3a



This work, Eq. (7)	no GW190521
$\log_{10} \lambda$	$-3.92^{+2.40}_{-2.02}$
$M_{\text{BHMG}} [M_{\odot}]$	$54.11^{+5.85}_{-4.96}$
a	$0.23^{+0.18}_{-0.16}$
b	$-1.98^{+0.45}_{-0.42}$
d	$-5.79^{+3.54}_{-2.81}$
$M_{\text{min}} [M_{\odot}]$	$3.33^{+1.47}_{-1.66}$
$\delta_m [M_{\odot}]$	$5.15^{+2.97}_{-3.15}$
LVC: PL+peak	no GW190521
α	$3.08^{+0.51}_{-1.2}$
$M_{\text{max}} [M_{\odot}]$	72^{+9}_{-10}
λ_{peak}	$0.107^{+0.029}_{-0.092}$
$\mu_m [M_{\odot}]$	$33.4^{+2.5}_{-2.1}$
$\sigma_m [M_{\odot}]$	> 4.49
$M_{\text{min}} [M_{\odot}]$	$4.56^{+1.3}_{-0.77}$
$\delta_m [M_{\odot}]$	< 4.04

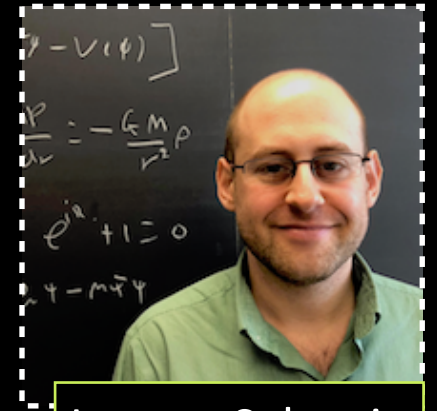
To conclude,

- Gravitational waves offer an **exciting new opportunity** to study open questions in stellar astrophysics and particle physics
- **Pair-instability supernovae** lead to unpopulated space in the stellar graveyard → the **black hole mass gap** is an entirely new probe of particle & nuclear physics
- Black hole population studies will allow us to study stellar evolution → **black hole archeology**

Thank you!



Sam McDermott



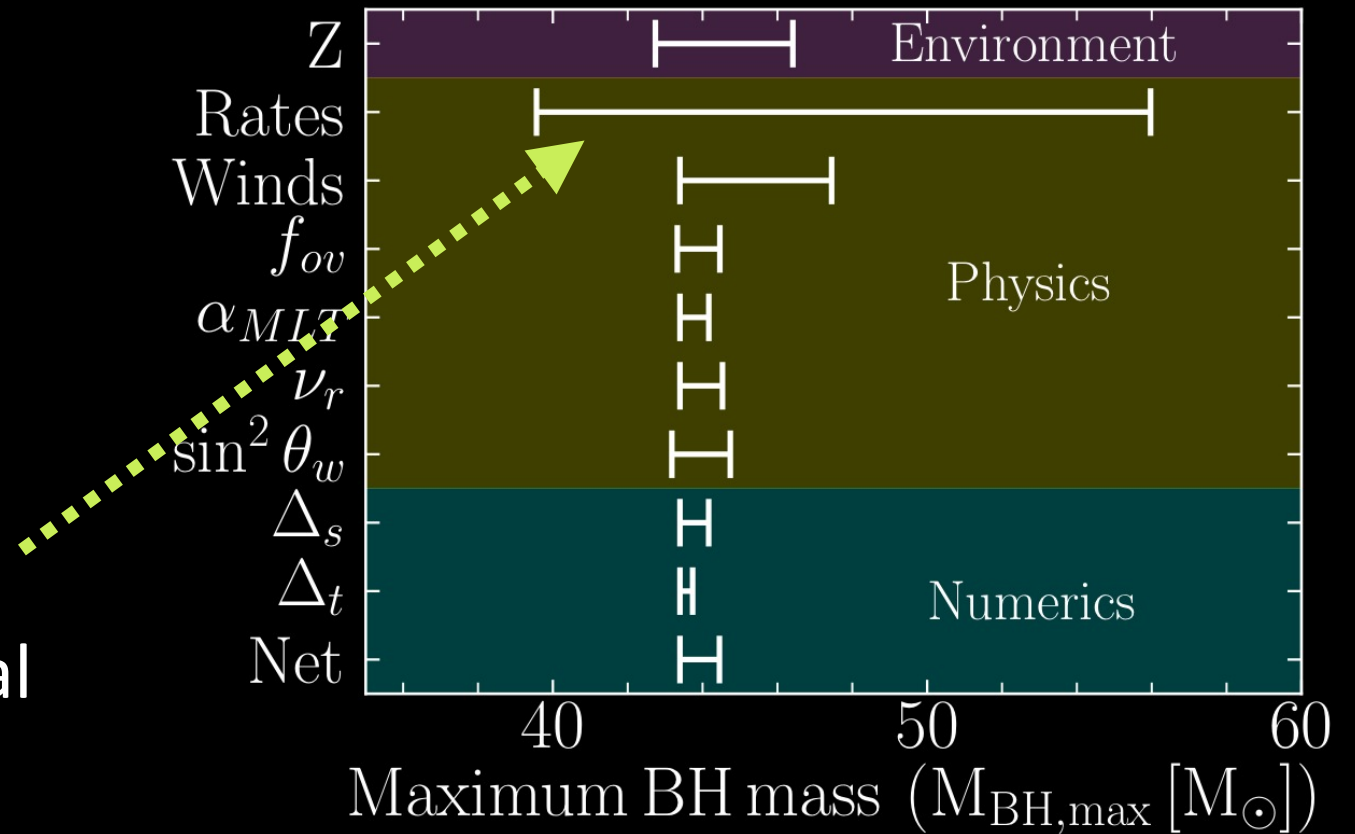
Jeremy Sakstein

...ask me anything you like!

djuna.l.croon@durham.ac.uk | djunacroon.com

Physics dependence of the BHMG

- Astrophysical + nuclear + numerical dependence
- Most important dependence: $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$ rate
- Using updated deBoer et al rate, BHMG found at $48^{+2}_{-3} M_{\odot}$



deBoer et al *arXiv:1709.03144 [hep-ex]*
Farmer, Renzo, de Mink, Fishbach,
Justham *arXiv:2006.06678 [astro-ph.SR]*

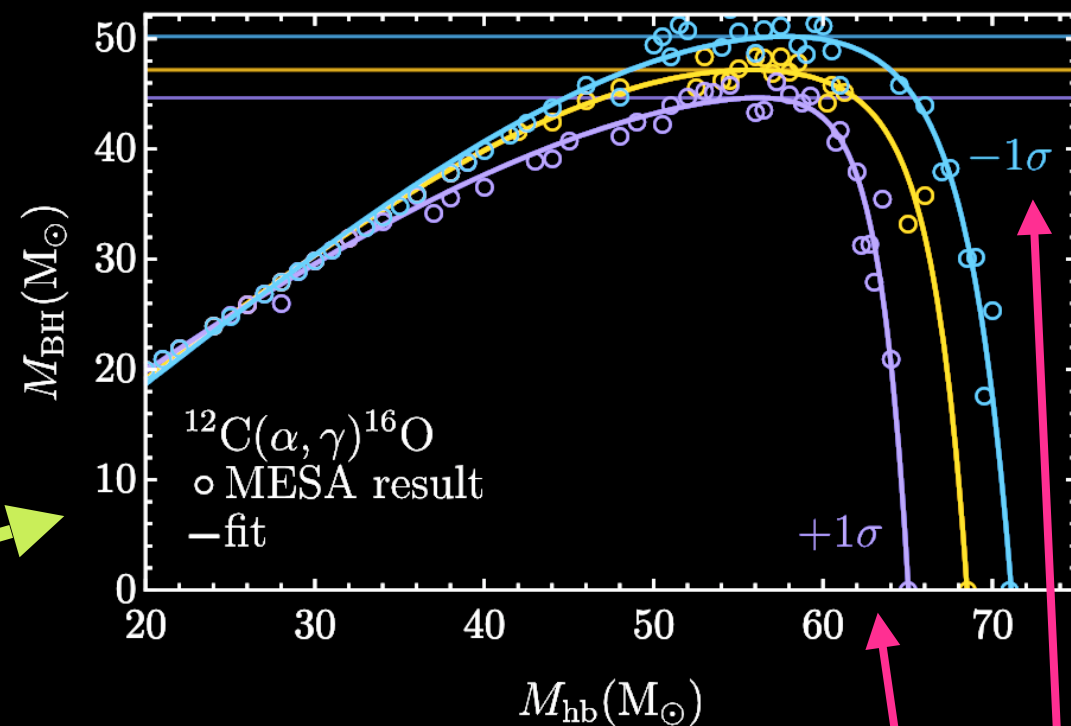
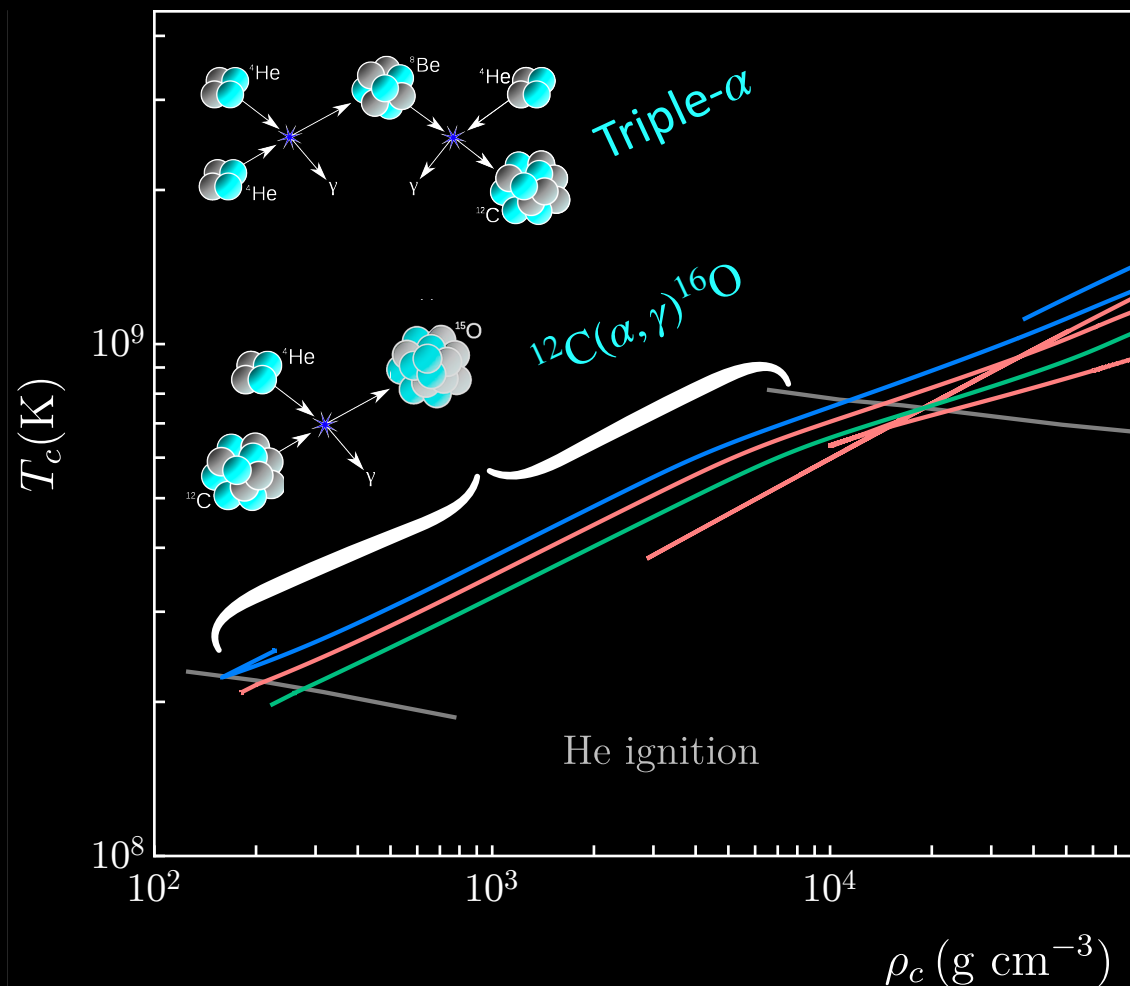
Farmer, Renzo, de Mink, Marchant, Justham
arXiv:1910.12874 [astro-ph.SR]

Nuclear physics

Farmer, Renzo, de Mink, Fishbach, Justham, *ApJL* arXiv:2006.06678 [astro-ph.HE]

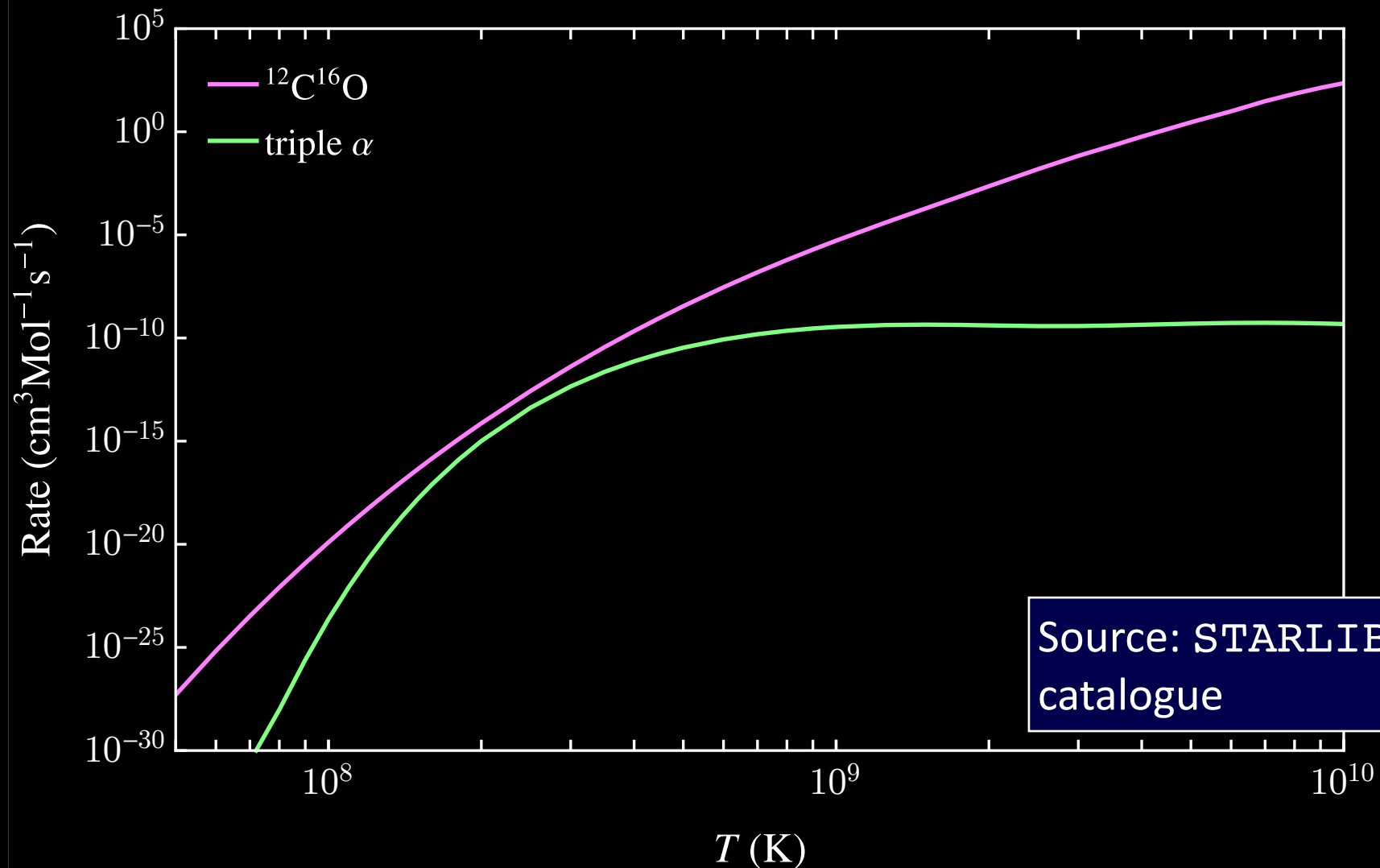
Baxter, DC, McDermott, Sakstein, arXiv:2104.02685 [astro-ph.CO]

Particularly sensitive to $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$



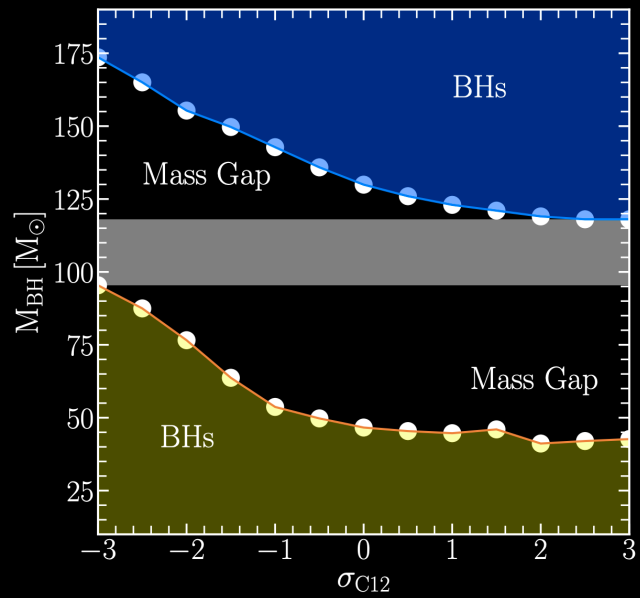
deBoer et al, RMP, arXiv:1709.03144 [hep-ex]

Helium burning rates as a function of T



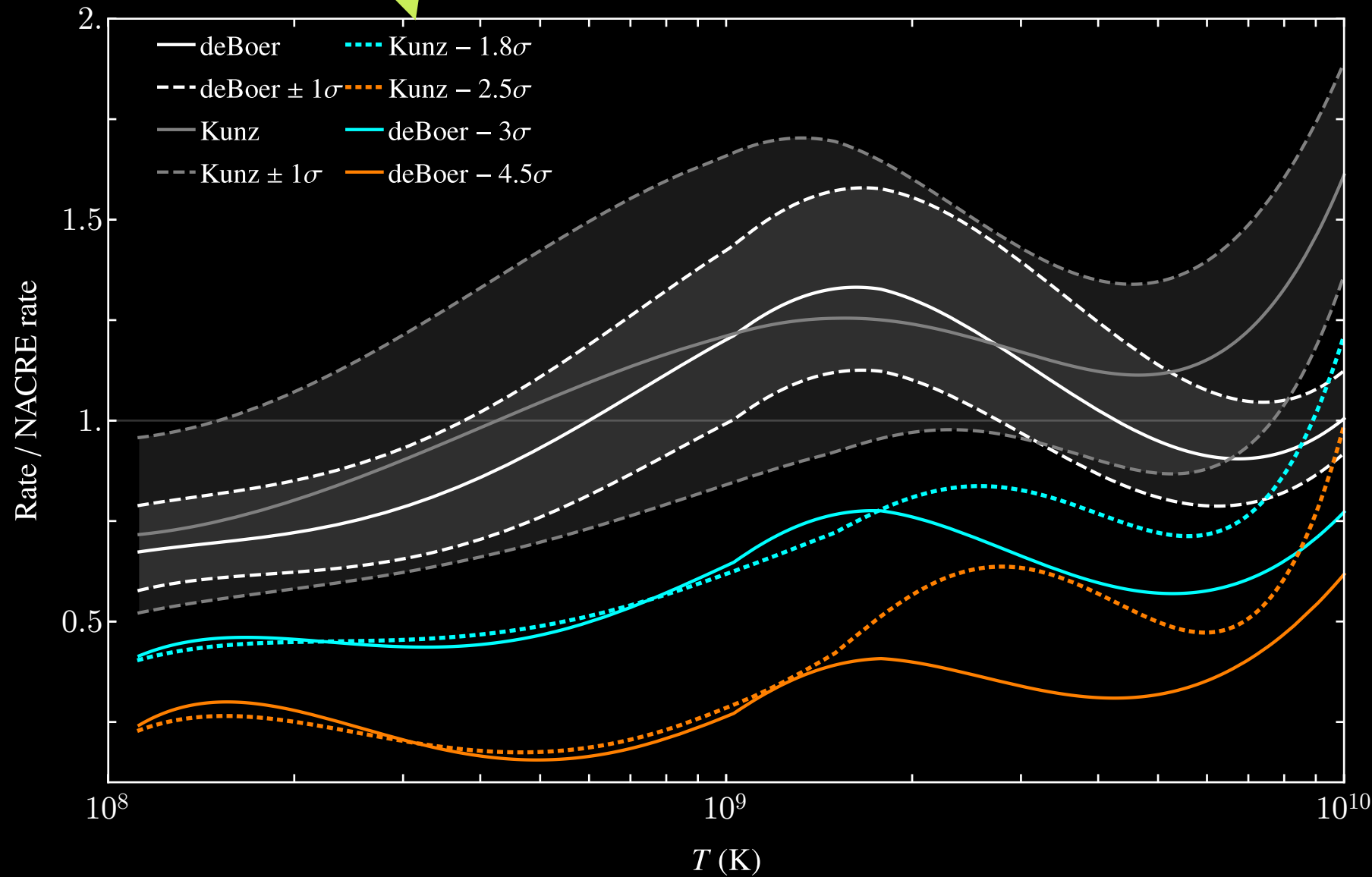
Source: STARLIB
catalogue

Farmer, Renzo, de Mink, Fishbach,
Justham *arXiv:2006.06678 [astro-ph.SR]*

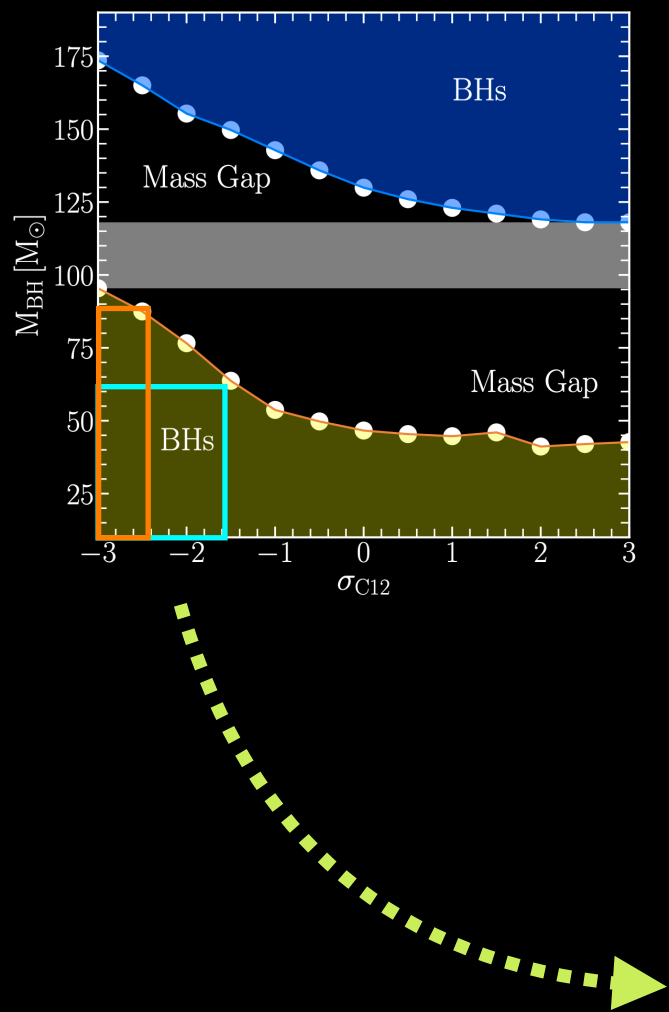


(Kunz is currently used in STARLIB)

Fitting GW190521 masses m_1 and m_2

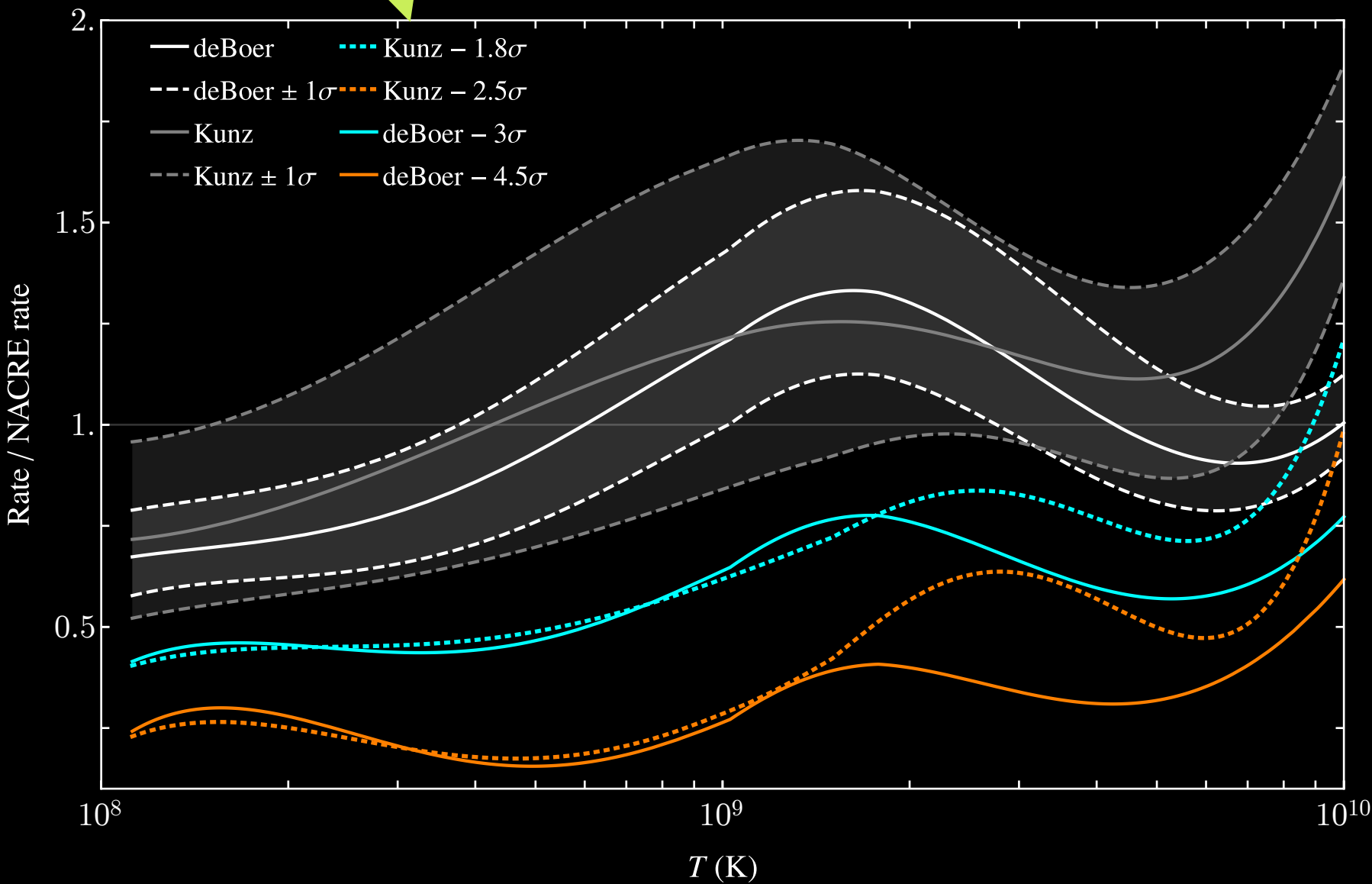


Farmer, Renzo, de Mink, Fishbach,
Justham arXiv:2006.06678 [astro-ph.SR]



(Kunz is currently used in STARLIB)

Fitting GW190521 masses m_1 and m_2



The BHMG and BSM cooling

DC, McDermott, Sakstein arXiv:2007.00650 [hep-ph]

DC, McDermott, Sakstein arXiv:2007.07889 [gr-qc]

- Scenario: new, light particles coupled to material in the star introduce **new loss channels**

Extra scenarios: large extra dimensions ($d = 4 + 2$) and neutrino magnetic moment work through *essentially the*

- Case studies: $\mathcal{L}_{\text{SM}} + \dots$

- the electrophilic axion $\mathcal{L}_{ae} = -ig_{ae}\bar{\psi}_e\gamma_5\psi_e a$ (will also work with $\alpha_{26} \equiv 10^{26}g_{ae}^2/4\pi$ for convenience)*

- the photophilic axion $\mathcal{L}_{a\gamma} = -\frac{1}{4}g_{a\gamma}aF_{\mu\nu}\widetilde{F}^{\mu\nu}$ (will also define $g_{10} \equiv 10^{10}g_{a\gamma}$ GeV)

- the hidden photon $\mathcal{L}_{A'\gamma} = -\frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} + \frac{m_{A'}^2}{2}A'_\mu A'^\mu$ (and define nothing)

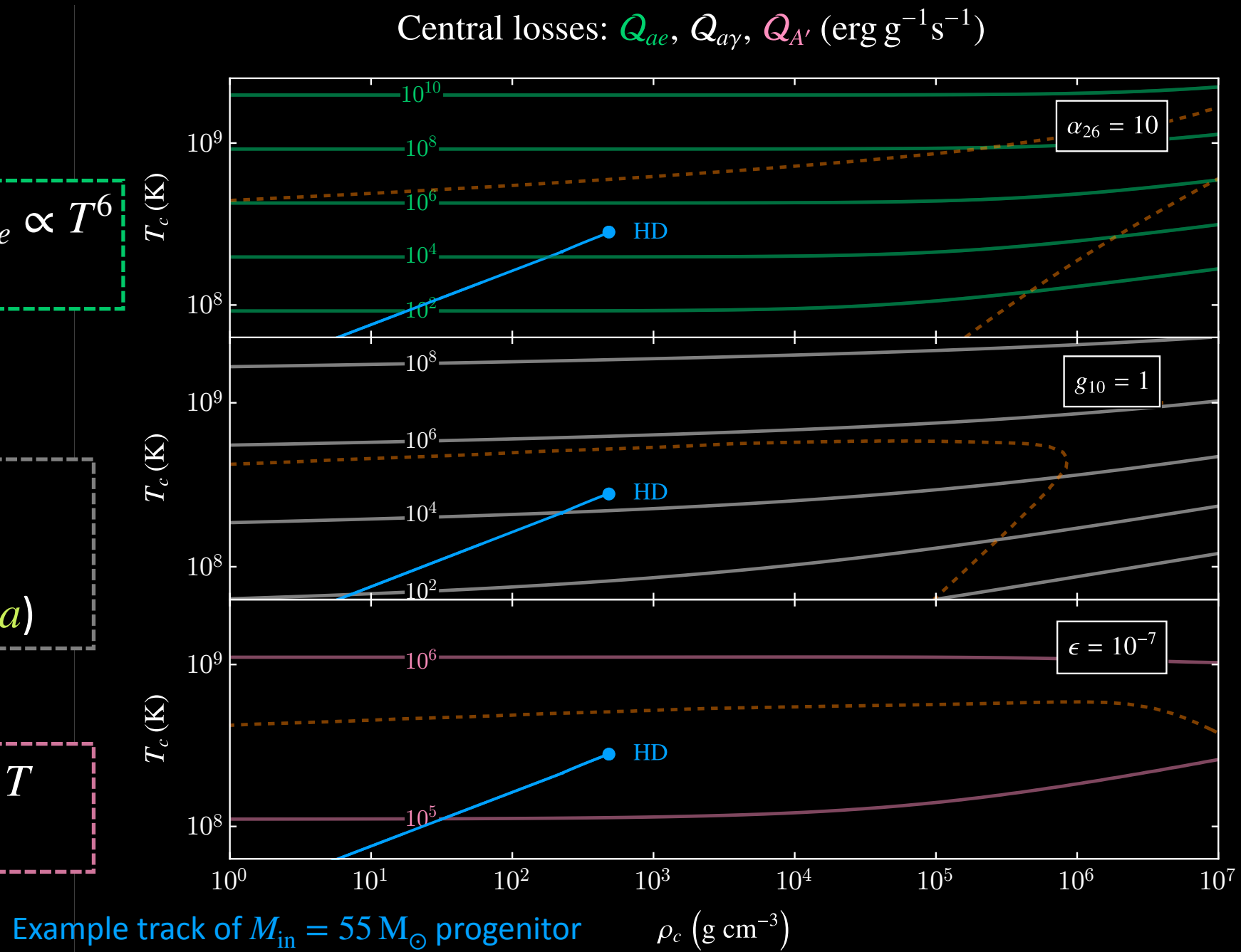
*Interesting in light of the XENON1T excess, arXiv:2006.09721 [hep-ex]

Loss rates

Electrophilic axion: $\mathcal{Q}_{ae} \propto T^6$
 $(e + \gamma \rightarrow e + a)$

Photophilic axion: $\mathcal{Q}_{a\gamma} \propto T^4$
 $((Z, A) + \gamma \rightarrow (Z, A) + a)$

Hidden photon: $\mathcal{Q}_{A'} \propto T$
 (resonant emission)



Energy loss due to electrophilic axions

- Semi-Compton scattering, $e + \gamma \rightarrow e + a$:

$$\mathcal{Q}_{\text{SC}} = \frac{40 \zeta_6 \alpha_{\text{EM}}^2 g_{ae}^2}{\pi^2} \frac{Y_e T^6}{m_N m_e^4} F_{\text{deg}} \simeq 33 \alpha_{26} Y_e T_8^6 F_{\text{deg}} \frac{\text{erg}}{\text{g} \cdot \text{s}} \quad \left(T_8 \equiv \frac{T}{10^8 \text{K}} \right)$$

$$F_{\text{deg}} = \frac{2}{n_e} \int \frac{d^3 \mathbf{p}}{(2\pi)^3} f_{e-} (1 - f_{e-}), \text{ where } f_{e-} \text{ is the Fermi-Dirac distribution}$$

- Bremsstrahlung, $e + (Z, A) \rightarrow e + (Z, A) + a$:

$$\mathcal{Q}_{b,\text{ND}} = \frac{32 \alpha_{\text{EM}}^2 g_{ae}^2 \rho T^{5/2}}{45 \sqrt{\frac{\pi^3}{2}} m_N^2 m_e^{7/2}} F_{b,\text{ND}} \simeq 582 \alpha_{26} \rho_6 T_8^{5/2} F_{b,\text{ND}} \frac{\text{erg}}{\text{g} \cdot \text{s}} \quad \left(\rho_6 \equiv \frac{\rho}{10^6 \text{g cm}^{-3}} \right)$$

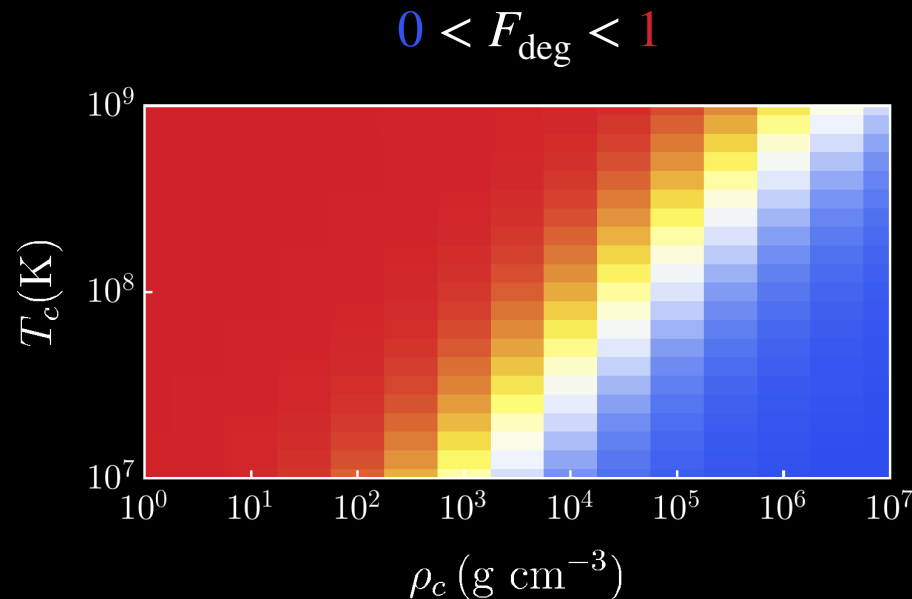
$$\mathcal{Q}_{b,\text{D}} = \frac{\pi}{60} \frac{Z^2}{A} \frac{\alpha_{\text{EM}}^2 g_{ae}^2 T^4}{m_N m_e^2} F_{b,\text{D}} \simeq 10.8 \alpha_{26} T_8^4 F_{b,\text{D}} \frac{\text{erg}}{\text{g} \cdot \text{s}}$$

Energy loss due to electrophilic axions

- Semi-Compton scattering, $e + \gamma \rightarrow e + a$:

$$Q_{\text{sC}} = \frac{40 \zeta_6 \alpha_{\text{EM}} g_{ae}^2}{\pi^2} \frac{Y_e T^6}{m_N m_e^4} F_{\text{deg}} \simeq 33 \alpha_{26} Y_e T_8^6 F_{\text{deg}} \frac{\text{erg}}{\text{g} \cdot \text{s}} \quad \left(T_8 \equiv \frac{T}{10^8 \text{K}} \right)$$

$$F_{\text{deg}} = \frac{2}{n_e} \int \frac{d^3 \mathbf{p}}{(2\pi)^3} f_{e-} (1 - f_{e-}), \text{ where } f_{e-} \text{ is the Fermi-Dirac distribution}$$

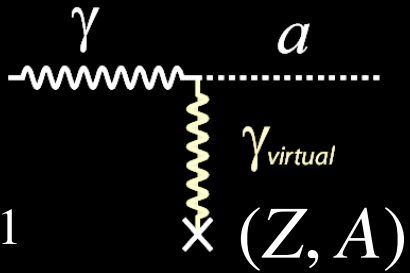


Semi-Compton emission
dominates throughout
the Helium burning phase

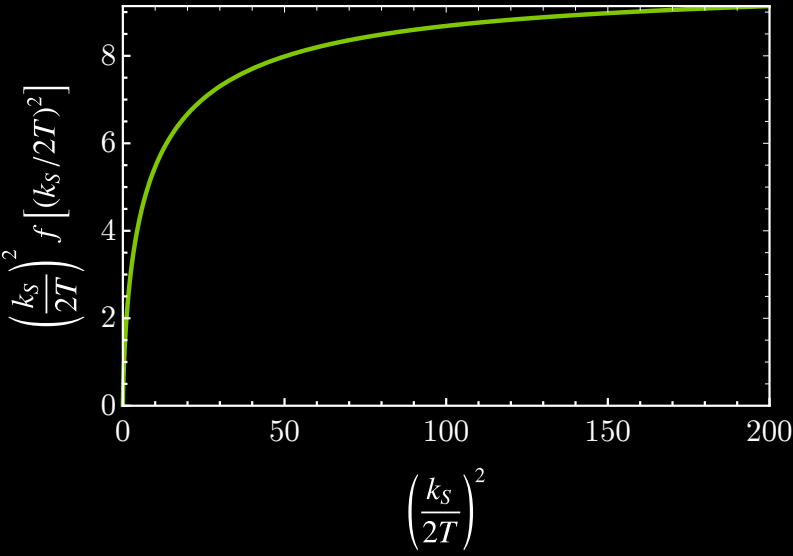
Energy loss due to photophilic axions

- Primakov effect $(Z, A) + \gamma \rightarrow (Z, A) + a$

$$Q_{a\gamma} = \frac{g_{a\gamma}^2 T^7}{4\pi^2 \rho} \left(\frac{k_S}{2T} \right)^2 f[(k_S/2T)^2] \simeq 283.16 \frac{\text{erg}}{\text{g} \cdot \text{s}} g_{10}^2 T_8^7 \rho_3^{-1} \times \underbrace{\left(\frac{k_S}{2T} \right)^2 f[(k_S/2T)^2]}_{\text{where } \left(\frac{k_S}{2T} \right)^2 = 0.166 \frac{\rho_3}{T_8^3} \sum_j Y_j Z_j^2}$$



Screened at
high T and low
 ρ



Energy loss due to hidden photons

- Plasma production, dominated by longitudinal modes (in a non-relativistic plasma)

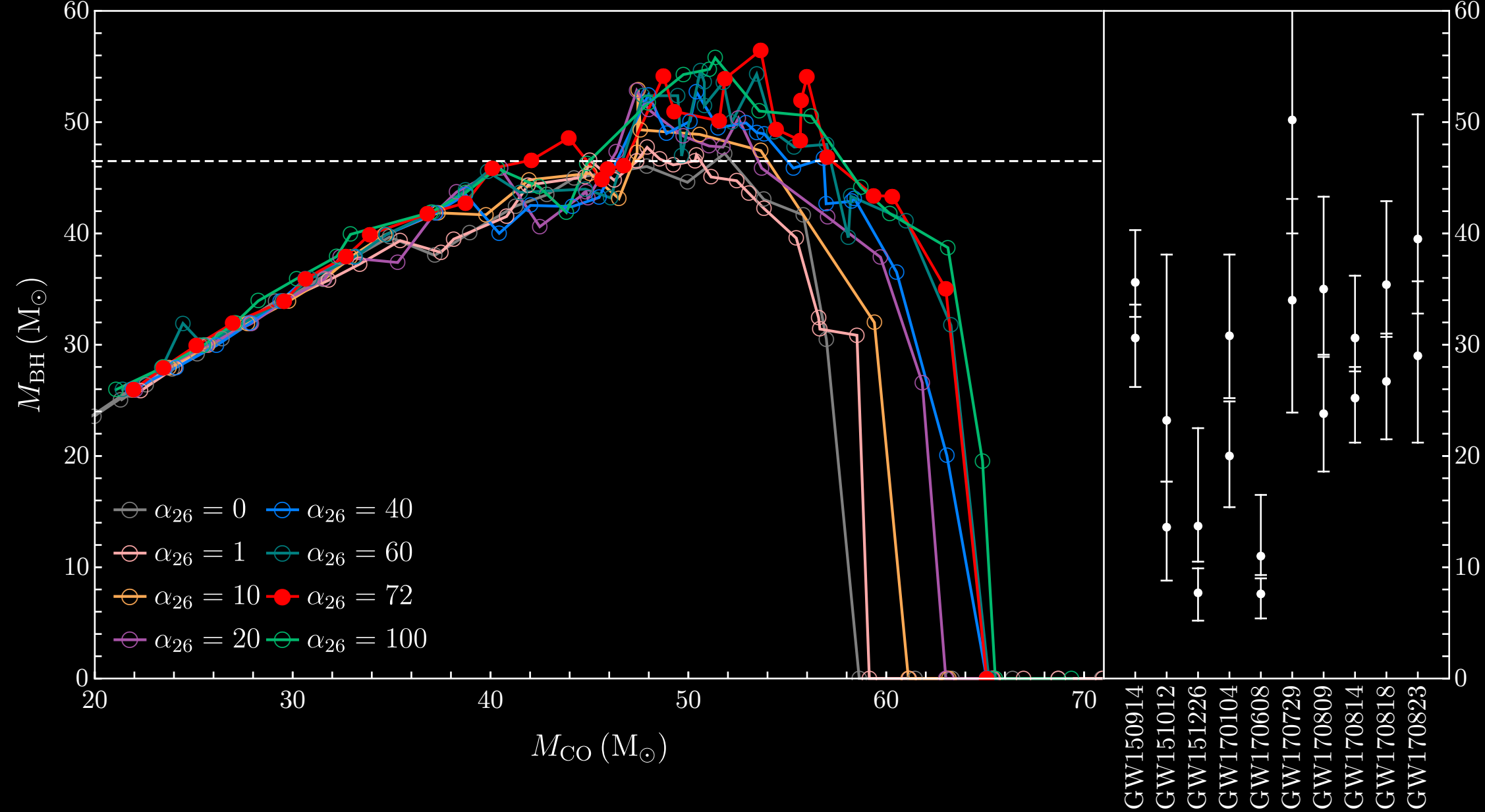
$$\mathcal{Q}_{A'} = \frac{\epsilon^2 m_{A'}^2}{4\pi \rho} \frac{\omega_p^3}{e^{\omega_p/T} - 1} \simeq \frac{\epsilon^2 m_{A'}^2}{4\pi} \frac{\omega_p^2 T}{\rho} \simeq 1.8 \times 10^3 \frac{\text{erg}}{\text{g} \cdot \text{s}} \frac{Z}{A} T_8 \left(\frac{\epsilon}{10^{-7}} \frac{m_{A'}}{\text{meV}} \right)^2$$

In the limit $\omega_p \ll T$

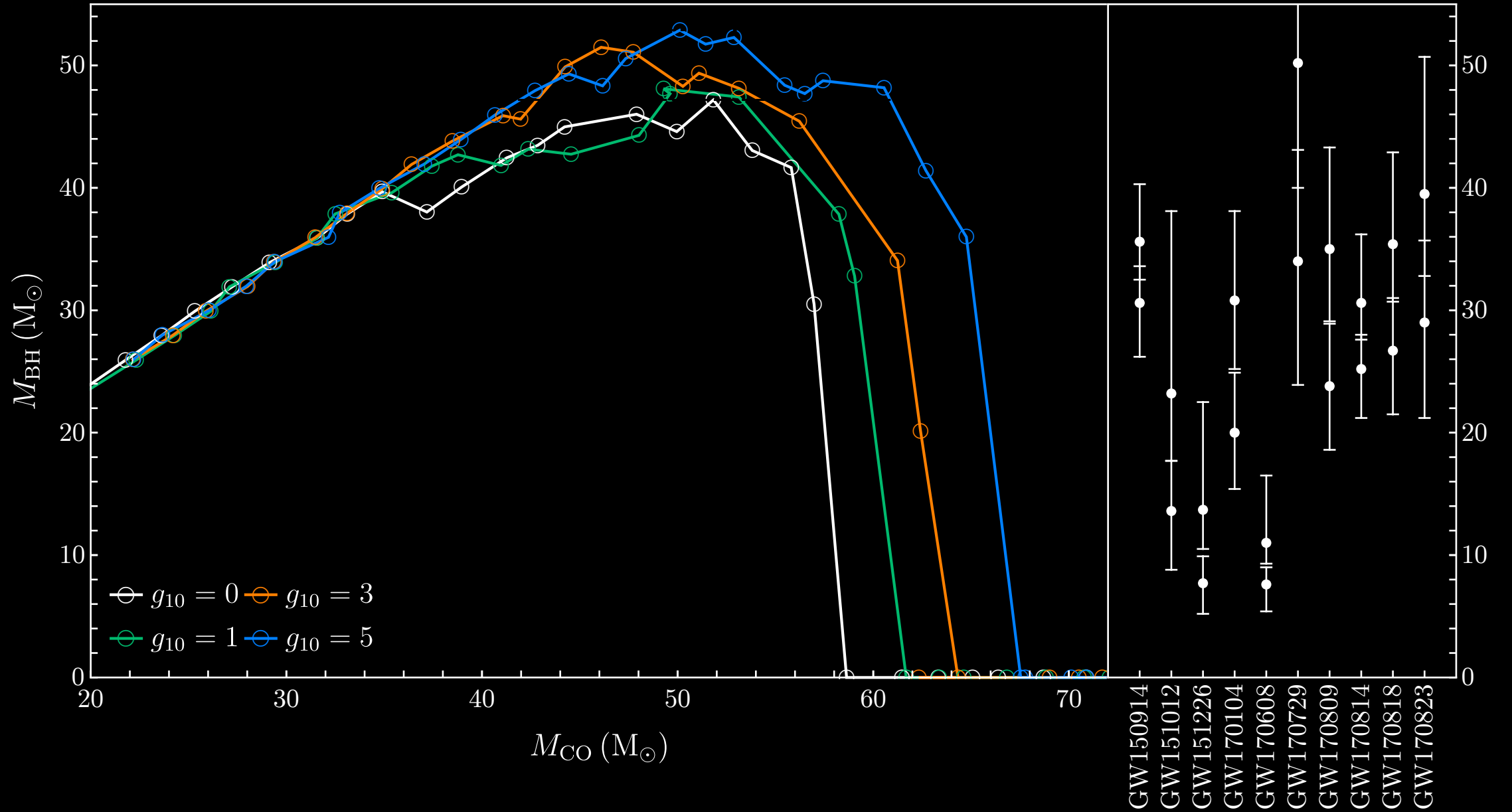
- Where photons have plasma mass

$$\omega_p \simeq \sqrt{\frac{4\pi\alpha_{\text{EM}} n_e}{m_e}} \simeq 654 \text{eV} \sqrt{\frac{Z}{A} \rho_3}$$

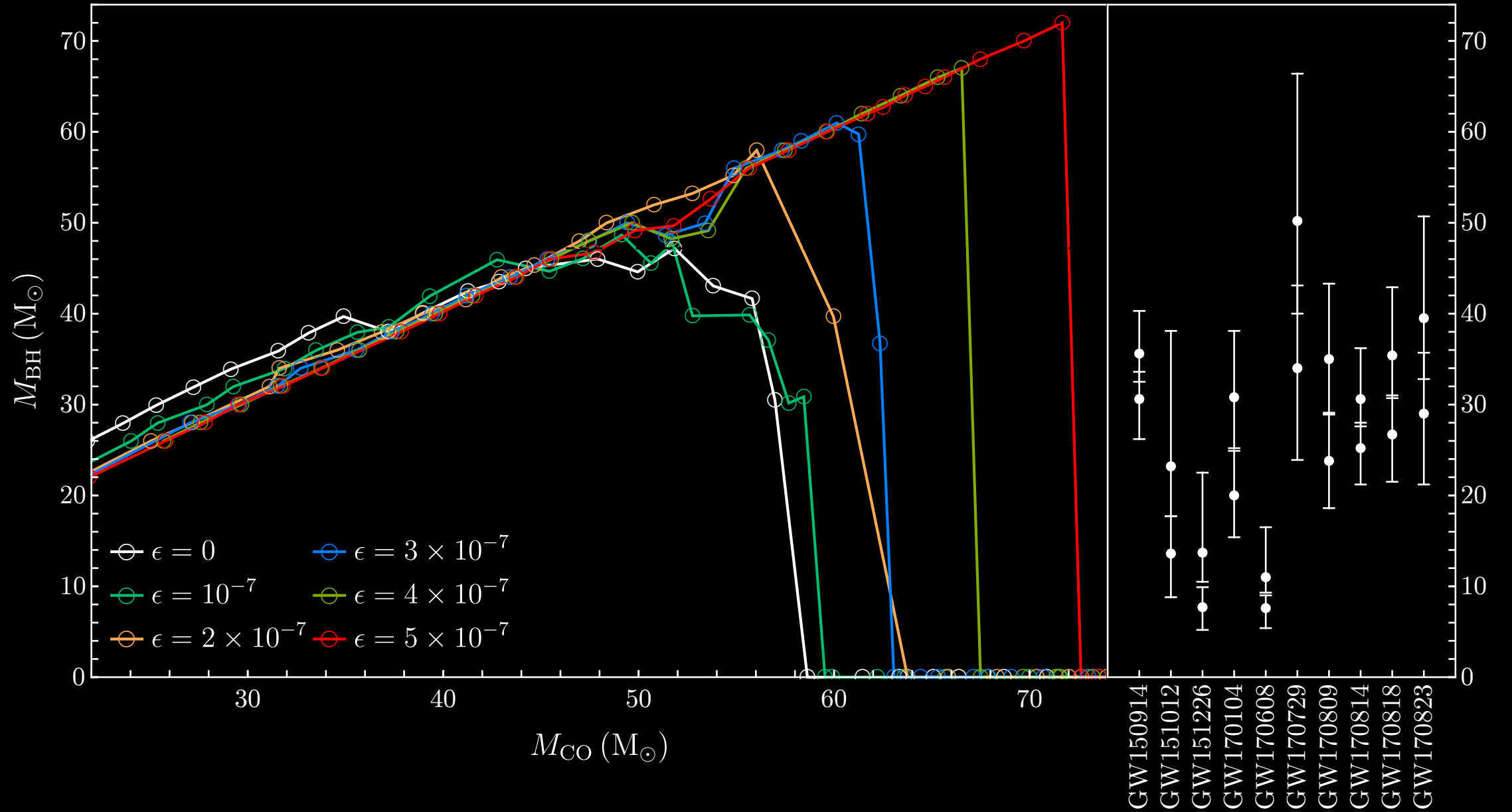
Electrophilic axion: $m_a \ll \text{keV}$, $Z = 10^{-5}$



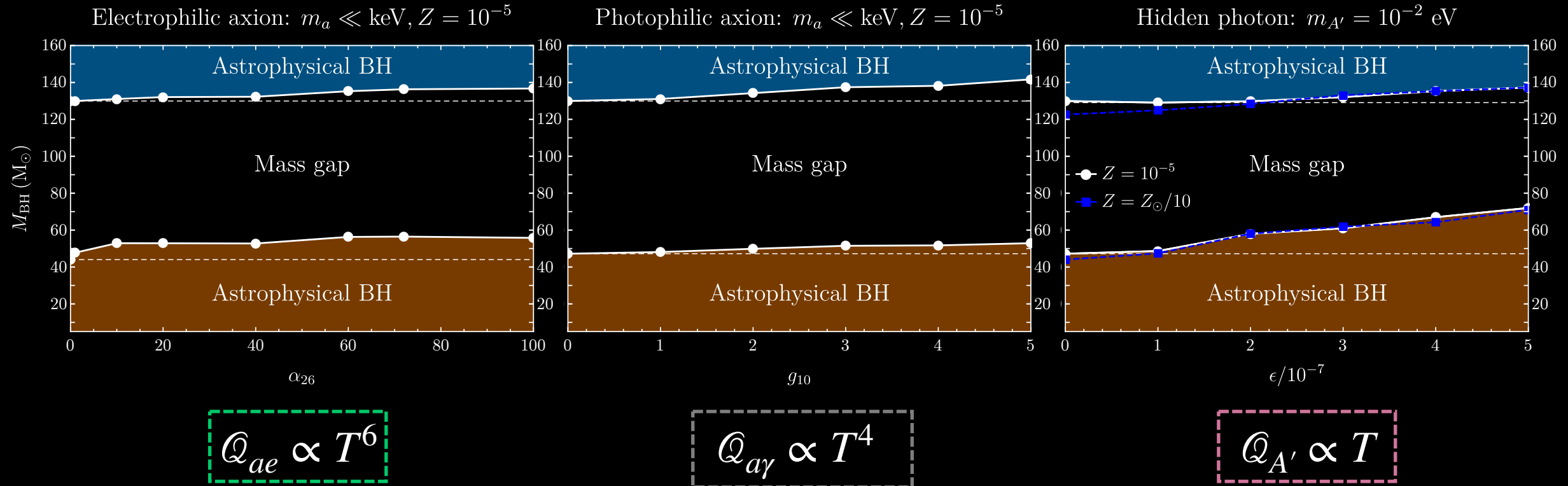
Photophilic axion: $m_a \ll \text{keV}, Z = 10^{-5}$



Hidden photon: $m_{A'} = 10^{-2}\text{eV}, Z = 10^{-5}$



BSM cooling and the black hole mass gap



Important extra cooling = large shifts of the mass gap!