

Global studies of beyond the Standard Model theories: dark matter and supersymmetry

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Overview

- ① Beyond the Standard Model
 - Dark Matter models
 - Supersymmetric models
- ② Global fits
 - GAMBIT
- ③ Results
- ④ Conclusions

Outline

① Beyond the Standard Model

- Dark Matter models
- Supersymmetric models

② Global fits

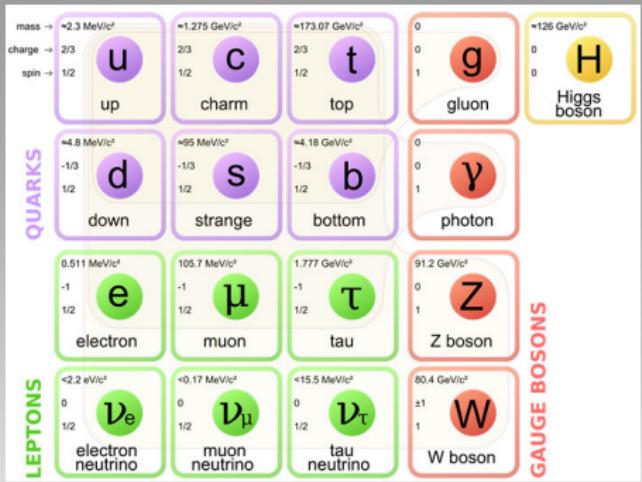
- GAMBIT

③ Results

④ Conclusions

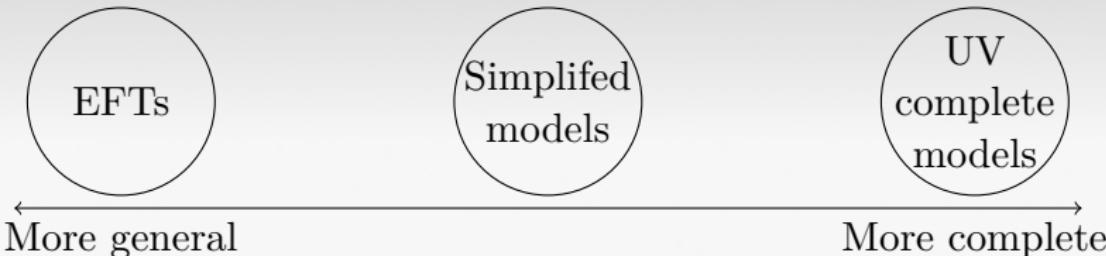
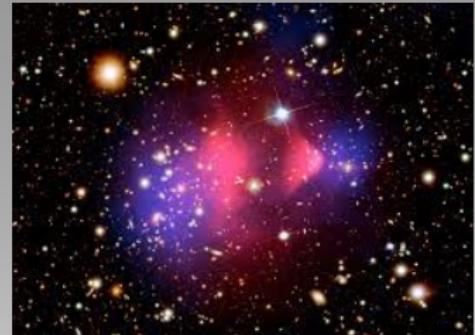
Beyond the SM

- SM must be extended
- Phenomenological issues
 - Gravity
 - Dark Matter & Dark Energy
 - Neutrino masses
 - Baryon asymmetry
 - Precision measurements
- Theoretical issues
 - Hierarchy problem
 - Vacuum stability
 - Charge quantisation
 - ...
- BSM models attempt to resolve some of these issues
 - UV complete models introduce new particles and new parameters
 - Predictions must not contradict precise SM measurements
 - Preference for simplified or effective models



Dark Matter models

- Plenty of evidence for DM from astrophysical sources
- If DM is a particle and if interacts then we should be able to detect it
- Most popular DM models are WIMPs
 - EW-scale mass, accessible at colliders
 - Just right RD through freeze-out
- So far no evidence that DM interacts with SM → constraints on DM models
- Understand the full set of constraints on multiple DM models



Dark Matter models

- UV complete (ish): Higgs portal models
 - Scalar DM (S)

$$\mathcal{L}_S = \frac{1}{2}\mu_S^2 S^2 + \frac{1}{2}\lambda_{hS}S^2|H|^2 + \frac{1}{4}S^4 + \frac{1}{2}\partial_\mu S\partial^\mu S$$

- Vector DM (V_μ)

$$\mathcal{L}_V = -\frac{1}{4}W_{\mu\nu}W^{\mu\nu} + \frac{1}{2}\mu_V^2 V_\mu V^\mu - \frac{1}{4!}\lambda_V(V_\mu V^\mu)^2 + \frac{1}{2}\lambda_{hV}V_\mu V^\mu H^\dagger H$$

- Fermionic DM (Dirac, ψ)

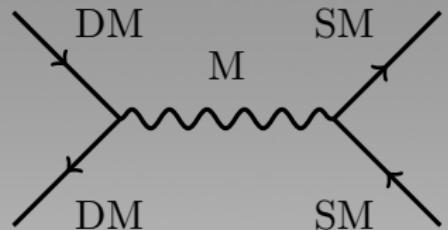
$$\mathcal{L}_\psi = \bar{\psi}(i\cancel{D} - \mu_\psi)\psi - \frac{\lambda_\psi}{\Lambda_\psi}(\cos\theta\bar{\psi}\psi + \sin\theta\bar{\psi}i\gamma_5\psi)H^\dagger H$$

- Fermionic DM (Majorana, χ)

$$\mathcal{L}_\chi = \frac{1}{2}\bar{\chi}(i\cancel{D} - i\mu_\chi)\chi - \frac{1}{2}\frac{\lambda_h\chi}{\Lambda_\chi}(\cos\theta\bar{\chi}\chi + \sin\theta\bar{\chi}i\gamma_5\chi)H^\dagger H$$

Dark Matter models

- Simplified DM models
- Singlet DM candidate plus mediator that couples to SM particles
- E.g vector mediator V_μ that couples only to quarks



$$\mathcal{L}_V = -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - \frac{1}{2}m_M^2 V_\mu V^\mu + g_q V_\mu \bar{q} \gamma^\mu q$$

- DM can be a scalar (ϕ), a vector (X_μ) or a fermion (ψ or χ)

$$\mathcal{L}_\phi = \partial_\mu \phi^\dagger \partial^\mu \phi - m_{\text{DM}}^2 \phi^\dagger \phi + i g_{\text{DM}}^V V_\mu \left(\phi^\dagger (\partial^\mu \phi) - (\partial^\mu \phi^\dagger) \phi \right),$$

$$\mathcal{L}_X = \frac{1}{2} X_{\mu\nu}^\dagger X^{\mu\nu} + m_{\text{DM}}^2 X_\mu^\dagger X^\mu - i g_{\text{DM}} \left(X_\nu^\dagger \partial_\mu X^\nu - (\partial_\mu X^{\dagger\nu}) X_\nu \right) V^\mu,$$

$$\mathcal{L}_\chi = i \bar{\chi} \gamma^\mu \partial_\mu \chi - m_{\text{DM}} \bar{\chi} \chi + V_\mu \bar{\chi} (g_{\text{DM}}^V + g_{\text{DM}}^A \gamma^5) \gamma^\mu \chi,$$

$$\mathcal{L}_\psi = \frac{1}{2} i \bar{\psi} \gamma^\mu \partial_\mu \psi - \frac{1}{2} m_{\text{DM}} \bar{\psi} \psi + \frac{1}{2} g_{\text{DM}}^A V_\mu \bar{\psi} \gamma^5 \gamma^\mu \psi,$$

Dark Matter models

- Effective field theory of DM (DM EFT)
- Dirac fermionic DM χ : $\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{int}} + \bar{\chi} (i\not{\partial} - m_\chi) \chi$
- Effective interactions (quarks/gluons): $\mathcal{L}_{\text{int}} = \sum_{a,d} \frac{\mathcal{C}_a^{(d)}}{\Lambda^{d-4}} \mathcal{Q}_a^{(d)}$

$$\mathcal{Q}_1^{(5)} = \frac{e}{8\pi^2} (\bar{\chi} \sigma_{\mu\nu} \chi) F^{\mu\nu},$$

$$\mathcal{Q}_2^{(5)} = \frac{e}{8\pi^2} (\bar{\chi} i \sigma_{\mu\nu} \gamma_5 \chi) F^{\mu\nu}$$

$$\mathcal{Q}_{1,q}^{(6)} = (\bar{\chi} \gamma_\mu \chi) (\bar{q} \gamma^\mu q),$$

$$\mathcal{Q}_{2,q}^{(6)} = (\bar{\chi} \gamma_\mu \gamma_5 \chi) (\bar{q} \gamma^\mu q),$$

$$\mathcal{Q}_{3,q}^{(6)} = (\bar{\chi} \gamma_\mu \chi) (\bar{q} \gamma^\mu \gamma_5 q),$$

$$\mathcal{Q}_{4,q}^{(6)} = (\bar{\chi} \gamma_\mu \gamma_5 \chi) (\bar{q} \gamma^\mu \gamma_5 q).$$

$$\mathcal{Q}_1^{(7)} = \frac{\alpha_s}{12\pi} (\bar{\chi} \chi) G^{a\mu\nu} G_{\mu\nu}^a,$$

$$\mathcal{Q}_2^{(7)} = \frac{\alpha_s}{12\pi} (\bar{\chi} i \gamma_5 \chi) G^{a\mu\nu} G_{\mu\nu}^a,$$

$$\mathcal{Q}_3^{(7)} = \frac{\alpha_s}{8\pi} (\bar{\chi} \chi) G^{a\mu\nu} \tilde{G}_{\mu\nu}^a,$$

$$\mathcal{Q}_4^{(7)} = \frac{\alpha_s}{8\pi} (\bar{\chi} i \gamma_5 \chi) G^{a\mu\nu} \tilde{G}_{\mu\nu}^a,$$

$$\mathcal{Q}_{5,q}^{(7)} = m_q (\bar{\chi} \chi) (\bar{q} q),$$

$$\mathcal{Q}_{6,q}^{(7)} = m_q (\bar{\chi} i \gamma_5 \chi) (\bar{q} q),$$

$$\mathcal{Q}_{7,q}^{(7)} = m_q (\bar{\chi} \chi) (\bar{q} i \gamma_5 q),$$

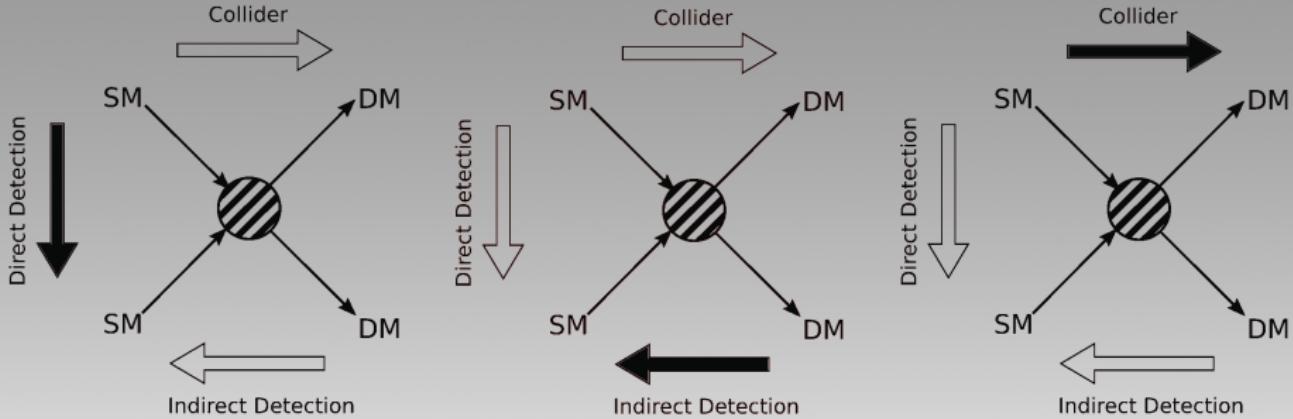
$$\mathcal{Q}_{8,q}^{(7)} = m_q (\bar{\chi} i \gamma_5 \chi) (\bar{q} i \gamma_5 q),$$

$$\mathcal{Q}_{9,q}^{(7)} = m_q (\bar{\chi} \sigma^{\mu\nu} \chi) (\bar{q} \sigma_{\mu\nu} q),$$

$$\mathcal{Q}_{10,q}^{(7)} = m_q (\bar{\chi} i \sigma^{\mu\nu} \gamma_5 \chi) (\bar{q} \sigma_{\mu\nu} q).$$

Dark Matter models

- Three ways to look for DM interactions in particle physics

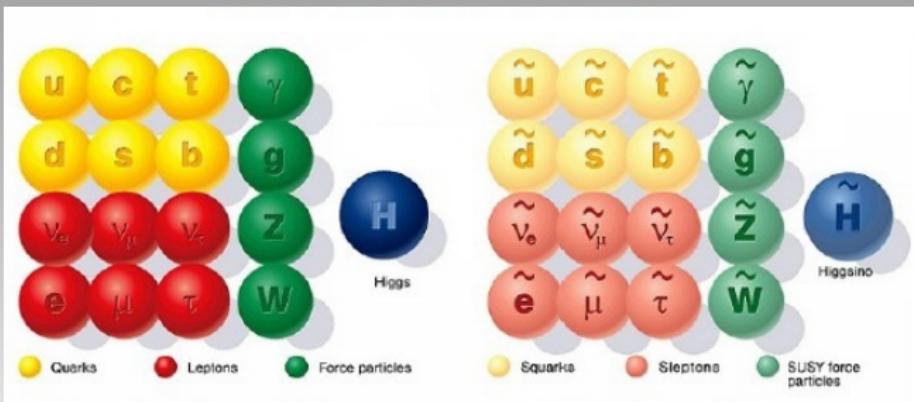


- DM interacting with nuclei
- LZ, XENON1T, PandaX, ...
- DM annihilates into SM particles
 - γ rays, ν s, \bar{p} , ...
 - Fermi-LAT, IceCube, AMS02
- LHC searches for large \cancel{E}_T
- Mono-X (jet, ...)
- $pp \rightarrow \chi\chi j \rightarrow j + \cancel{E}_T$
- H invisible width

Relic density!

Supersymmetric models

- Symmetry between fermions and bosons
- Predicts a whole new spectrum of supersymmetric partners



GOOD

- Solves hierarchy problem
- Provides DM candidate
- Stabilises vacuum

BAD

- Many new parameters $\mathcal{O}(100)$
- No evidence at LHC or precision measurements

Supersymmetric models

- Reduce number of parameters with simple SUSY models
 - Unification at some high scale (GUT scale)

CMSSM	$\{m_0, m_{1/2}, A_0, \tan \beta, \text{sign}(\mu)\}$
NUHM1	$\{m_0, m_H, m_{1/2}, A_0, \tan \beta, \text{sign}(\mu)\}$
NUHM2	$\{m_0, m_{H_u}, m_{H_d}, m_{1/2}, A_0, \tan \beta, \text{sign}(\mu)\}$

- Simplified weak-scale SUSY

MSSM7	$\{A_t, A_b, m_{H_u}, m_{H_d}, m_{\tilde{f}}, M_2, \tan \beta\}$
MSSM11 (pMSSM)	$\{A_{(t,b,l)}, m_{H_{(u,d)}}, m_{(\tilde{q},\tilde{l})}, M_{(1,2,3)}, \tan \beta\}$

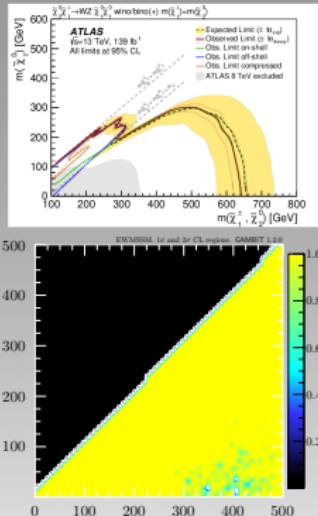
- Split SUSY models

EWMSSM	$\{M_1, M_2, \mu, \tan \beta\}$
EWMSSM + \tilde{G}	$\{M_1, M_2, \mu, \tan \beta, m_{\tilde{G}}\}$

- Many many more

Supersymmetric models

- Reinterpretation of SUSY searches at the LHC
- LHC results often given in simplified models
 - Production of lightest states
 - Fixed branching ratios
 - Sometimes misses interesting pheno
- Necessary to recast to complete models
 - Availability of analysis data (HEPData)
 - Documentation of statistical models
 - Reinterpretation Forum [\[arxiv:2003.07868\]](https://arxiv.org/abs/2003.07868)



HEP Software Foundation

[\[arxiv:1712.06982\]](https://arxiv.org/abs/1712.06982)

Understanding the full implications of [experimental] searches requires the interpretation of the experimental results in the context of many more theoretical models than are currently explored at the time of publication.

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- GAMBIT

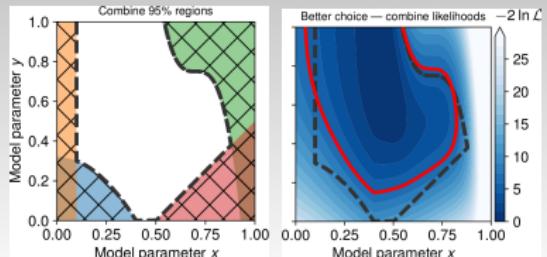
③ Results

④ Conclusions

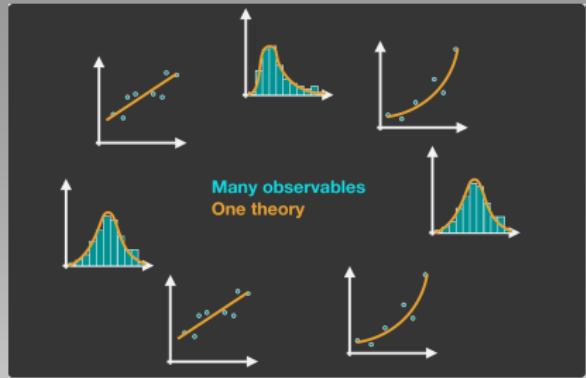
Global fits

- Multitude of experimental observables for each model
- Theory predictions $f(x)$
- Experiments measure $\mathcal{L}(\theta)$
- One needs

$$\mathcal{L}(x; \theta) = \frac{\mathcal{L}(\theta; x)\pi(x)}{\pi(\theta)}$$



[Rept. Prog. Phys. 85 (2022) 5, 052201]

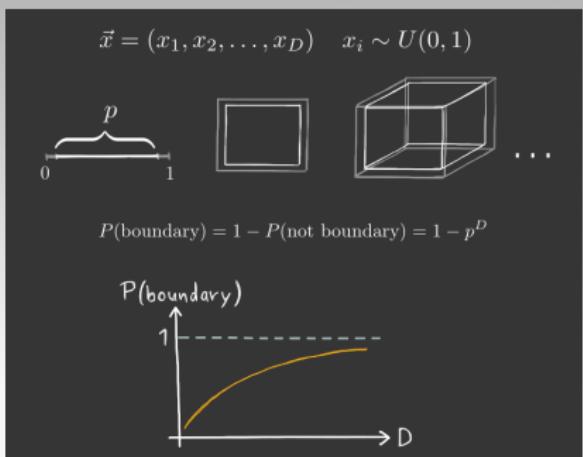
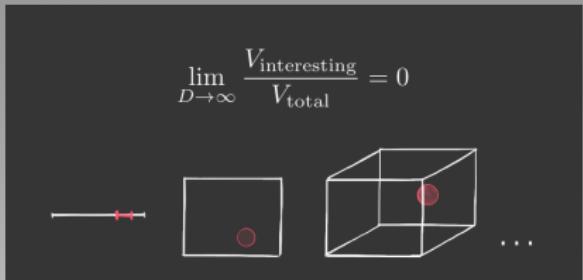
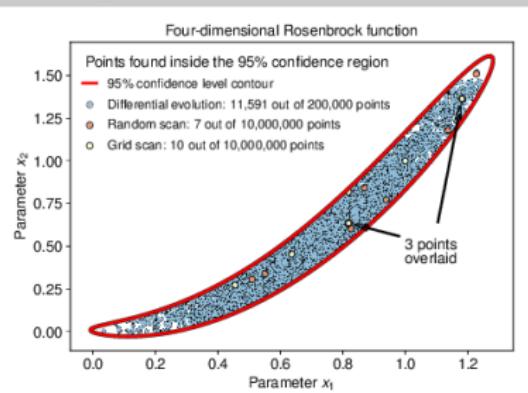


- Exclusion regions do not properly represent the model predictions
- Becomes impossible to analyse signals
- Combine all constraints into a composite likelihood

$$\mathcal{L} = \mathcal{L}_{\text{Collider}} \mathcal{L}_{\text{Higgs}} \mathcal{L}_{\text{DM}} \mathcal{L}_{\text{Flavour}} \dots$$

Global fits

- Many BSM models come with many parameters
- Hard to find interesting regions
- Random methods are inefficient
- Mostly sample the boundary
- Need smart sampling strategies (differential, nested, genetic,...)



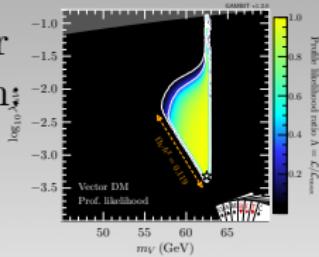
Global fits

- Assessment of validity of models should be done with rigorous statistical interpretations

Frequentist

- How well does my model reproduce the data?

- Parameter estimation: profiling $\mathcal{L}/\mathcal{L}_{\max}$



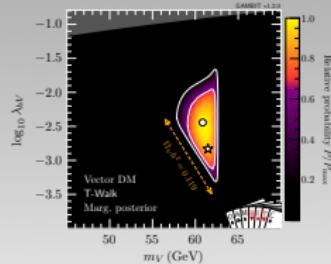
- Goodness-of-fit: p -value
- Must include all tests, LEE

- All of this comes with serious computational challenges \rightsquigarrow GAMBIT

Bayesian

- How much I trust my model given the data?

- Parameter estimation: marginalising P/P_{\max}



- Model comparison: Bayes factors
- Prior dependence

GAMBIT: The Global And Modular BSM Inference Tool

gambit.hepforge.org

github.com/GambitBSM

EPJC 77 (2017) 784

arXiv:1705.07908

- Extensive model database, beyond SUSY
- Fast definition of new datasets, theories
- Extensive observable/data libraries
- Plug&play scanning/physics/likelihood packages
- Various statistical options (frequentist /Bayesian)
- Fast LHC likelihood calculator
- Massively parallel
- Fully open-source



Members of: ATLAS, Belle-II, CLIC, CMS, CTA, Fermi-LAT, DARWIN, IceCube, LHCb, SHiP, XENON

Authors of: BubbleProfiler, Capt'n General, Contur, DarkAges, DarkSUSY, DDCalc, DirectDM, Diver, EasyScanHEP, ExoCLASS, FlexibleSUSY, gamLike, GM2Calc, HEPLike, IsaTools, MARTY, nulike, PhaseTracer, PolyChord, Rivet, SOFTSUSY, SuperIso, SUSY-AI, xsec, Vevacious, WIMPSim

Recent collaborators: V Ananyev, P Athron, N Avis-Kozar, C Balázs, A Beniwal, S Bloor, LL Braseth, T Bringmann, A Buckley, J Butterworth, J-E Camargo-Molina, C Chang, M Chrzaszcz, J Conrad, J Cornell, M Danninger, J Edsjö, T Emken, A Fowlie, T Gonzalo, W Handley, J Harz, S Hoof, F Kahlhoefer, A Kvellestad, M Lecroq, P Jackson, D Jacob, C Lin, FN Mahmoudi, G Martinez, H Pace, MT Prim, T Procter, F Rajec, A Raklev, JJ Renk, R Ruiz, A Scaffidi, P Scott, N Serra, P Stöcker, W Su, J Van den Abeele, A Vincent, C Weniger, A Woodcock, M White, Y Zhang ++

80+ participants in many experiments and numerous major theory codes

Modules (Bits)

- Physics Modules

- **ColliderBit**: collider searches [Eur.Phys.J. C77 (2017) no.11, 795]
- **DarkBit**: relic density, dd, ... [Eur.Phys.J. C77 (2017) no.12, 831]
- **FlavBit**: flavour observables [Eur.Phys.J. C77 (2017) no.11, 786]
- **SpecBit**: spectra, RGE running [Eur.Phys.J. C78 (2018) no.1, 22]
- **DecayBit**: decay widths [Eur.Phys.J. C78 (2018) no.1, 22]
- **PrecisionBit**: precision tests [Eur.Phys.J. C78 (2018) no.1, 22]
- **NeutrinoBit**: neutrino likelihoods [Eur.Phys.J.C 80 (2020) no.6, 569]
- **CosmoBit**: cosmological constraints [JCAP 02 (2021) 022]

- **ScannerBit** : stats and sampling

- Diver, GreAT, Multinest, Polychord, ...

[Eur.Phys.J. C77 (2017) no.11, 761]

- **Models**: hierarchical model database

- **Core** : dependency resolution

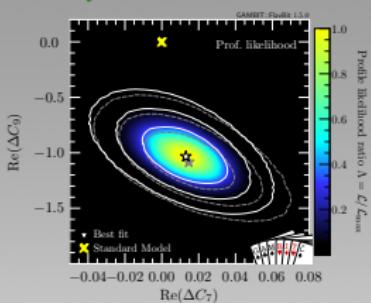
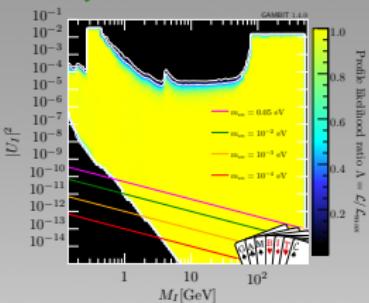
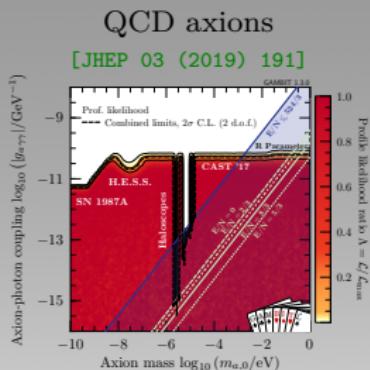
[Eur.Phys.J. C78 (2018) no.2, 98]

- **Backends** : External tools to calculate observables

- **GUM**: Autogeneration of code

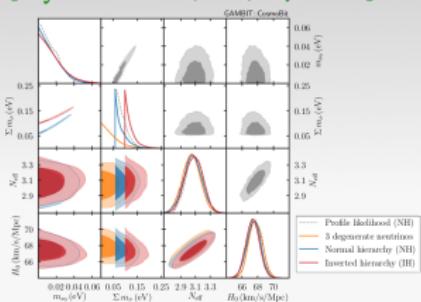
[Eur.Phys.J. C81 (2021) no.12, 1103]

Examples



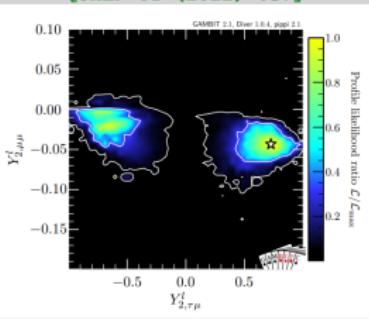
Neutrino Masses

[Phys.Rev.D 103(2021)12,123508]



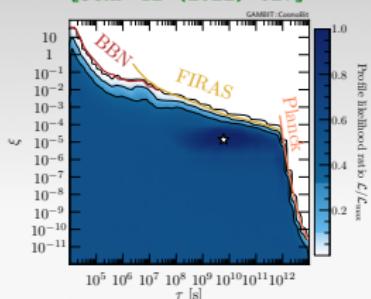
THDM-III

[JHEP 01 (2022) 037]



Cosmo ALPs

[JCAP 12 (2022) 027]



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① Beyond the Standard Model

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② Global fits

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③ Results

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Results

- ~~ Higgs portal DM
- ~~ Simplified DM models
- ~~ DM EFT
- ~~ ~~GUT scale SUSY~~
- ~~ EW MSSM + \tilde{G}

Higgs portal DM

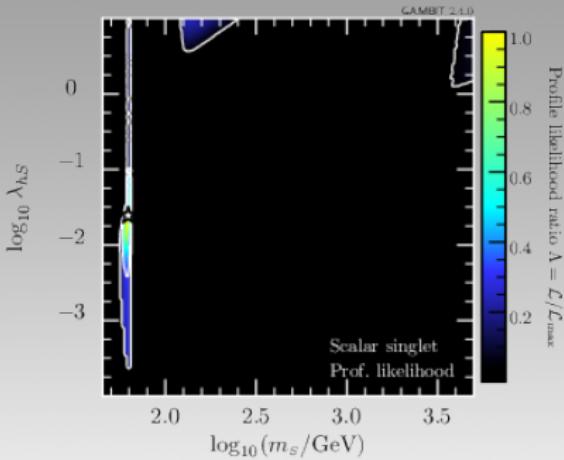
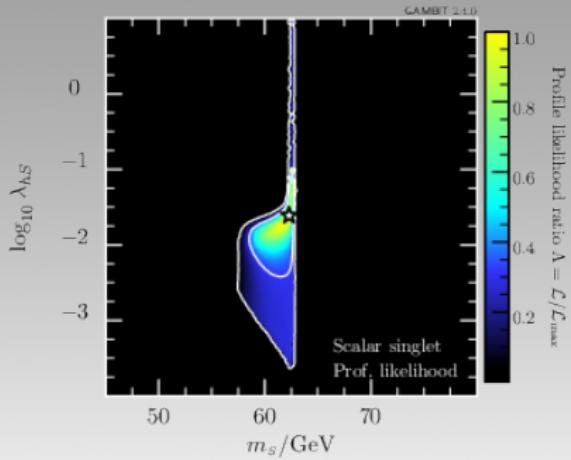
- Direct Detection DDCalc
 → XENON1T, LUX 2016, PandaX 2016, 17 & **4T**, CDMSlite, CRESST-II,
 CRESST-III, PICO-60 2017 & **2019**, DarkSide-50, **LZ 2022**
- Relic abundance DarkSUSY, plc
 → Planck 2015: $\Omega_{\text{DM}} h^2 \leq 0.1188 \pm 0.0010$
- Indirect detection with γ -rays gamLike
 → Pass-8 combined of 15 dSphs from *Fermi*-LAT data
- Indirect detection with neutrinos Capt'n General, nulike
 → 79-string IceCube search
- **Indirect detection with antiprotons** pbarlike
 → **AMS-02 using the INJ.BRK+vA propagation model**
- Higgs invisible width
 → $\text{BR}_{\text{inv}}(h \rightarrow \bar{X}X) < 19\% (2\sigma)$ [**< 14% (95% CL)**]
- Theoretical constraints
 → Perturbative unitarity and EFT validity

Higgs portal DM

- Scalar DM

[GAMBIT, Eur.Phys.J.C 77 (2017) 8, 568]

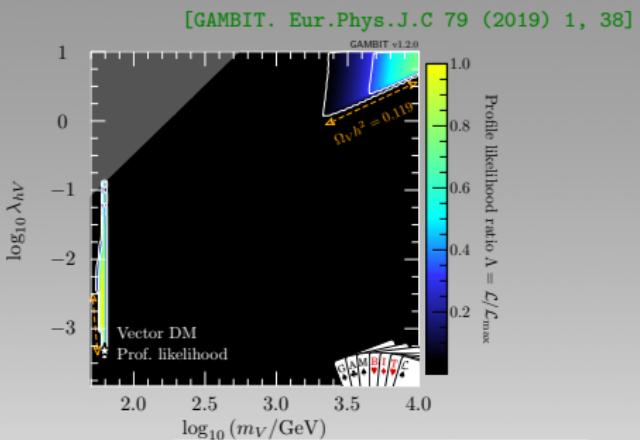
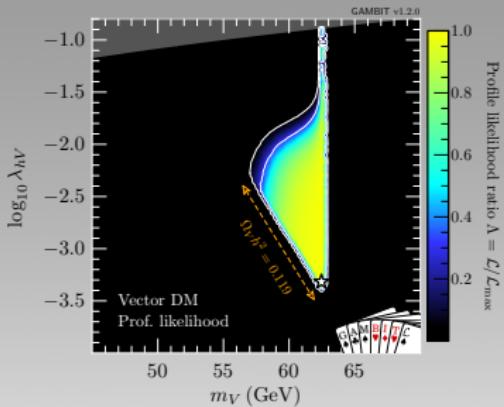
[S.Balan et al, arXiv:2303.07362 [hep-ph]]



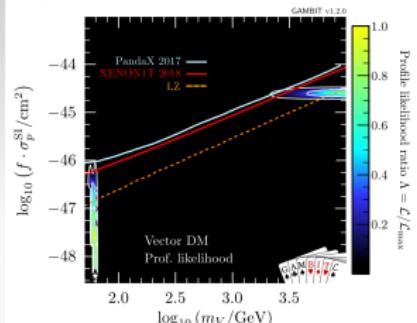
- Disconnected regions: along resonance $m_s \sim m_h/2$ and high mass
- High mass almost completely excluded by DD, ID and RD
- Small excess in Higgs invisible decay $\text{BR}_{\text{inv}} = 0.06$

Higgs portal DM

- Vector DM



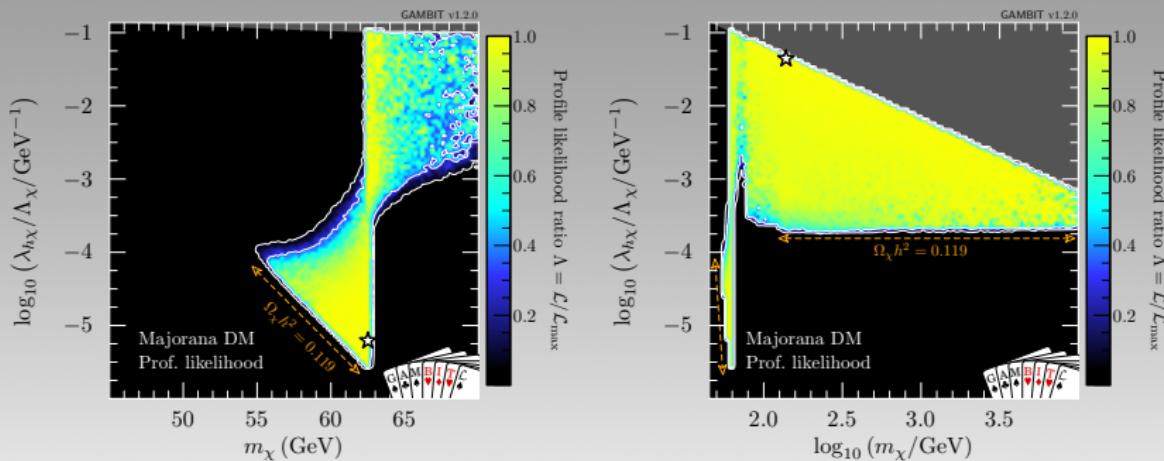
- Resonance region and highest mass region survive
- Intermediate mass killed by unitarity bound
- Inclusion of recent DD constraints may kill high mass



Higgs portal DM

- Majorana fermion DM (\approx Dirac DM)

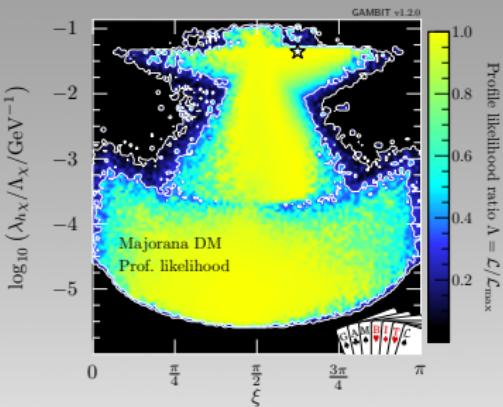
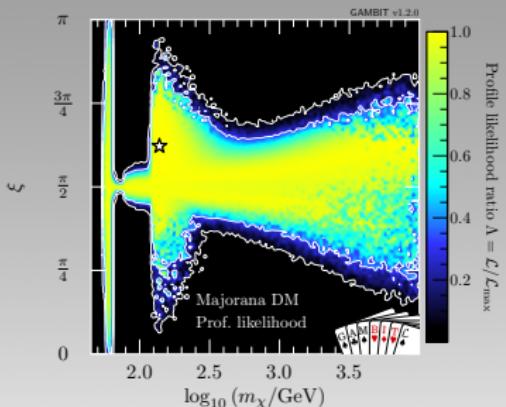
[GAMBIT. Eur.Phys.J.C 79 (2019) 1, 38]



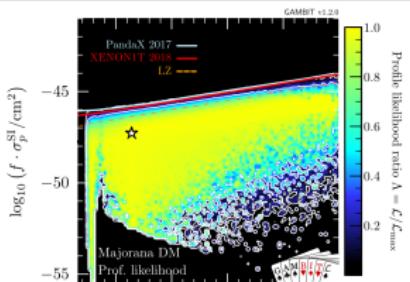
- Resonance and high mass regions connected
- Looser constraints from DD due to pseudoscalar interactions

Higgs portal DM

- Additional parameter CP phase ξ



- Preferred pseudoscalar interactions
- Pure scalar not allowed at high masses
- Due to suppression of DD signals, no significant change with LZ & PandaX 4T



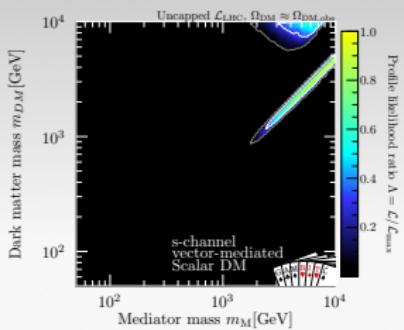
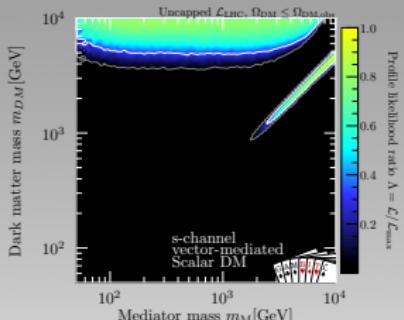
Simplified DM models

- Direct Detection DirectDM, DDCalc
→ XENON1T, LUX 2016, PandaX 2016-17 & 4T, CDMSlite, CRESST-II, CRESST-III, PICO-60 2017-19, DarkSide-50 and LZ 2022
 - Relic abundance CalcHEP, DarkSUSY, plc
→ Planck 2018: $\Omega_{\text{DM}} h^2 \leq 0.120 \pm 0.001$
 - ID with γ -rays CalcHEP, gamLike
→ Pass-8 combined of 15 dSphs from *Fermi*-LAT data
 - Collider constraints MadGraph-aMC@NLO, Pythia
→ ATLAS 139fb^{-1} mono-jet search
→ CMS 137fb^{-1} mono-jet search
→ ATLAS & CMS dijet resonance searches
 - Unitary violation $s \lesssim \frac{\sqrt{48\pi m_{\text{DM}}^2}}{g_{\text{DM}}}$
 - Perturbativity of decay widths, $\Gamma(m_M) \leq m_M, \Gamma(\sqrt{s}) \leq \sqrt{s}$

Simplified DM models

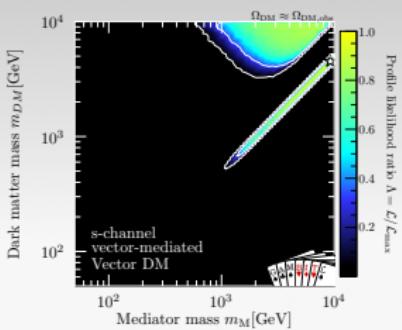
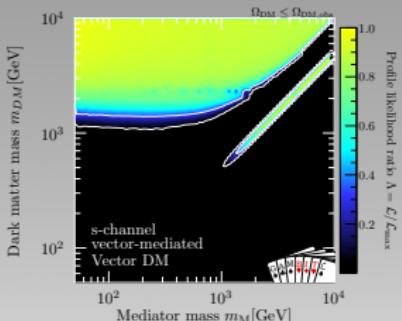
- Scalar DM

[C.Chang et al, Eur.Phys.J.C 83 (2023) 3, 249]



- Vector DM

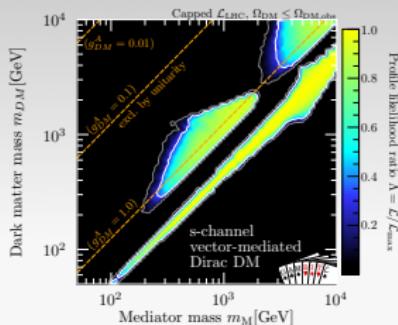
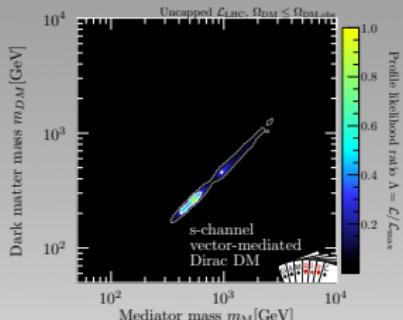
[C.Chang et al, arXiv:2303.08351 [hep-ph]]



Simplified DM models

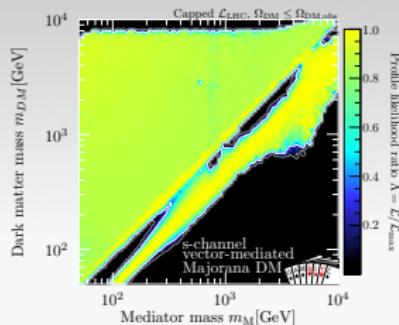
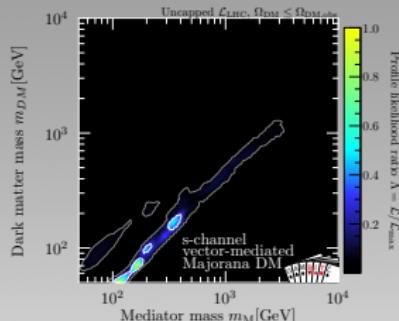
- Dirac fermion DM

[C.Chang et al, Eur.Phys.J.C 83 (2023) 3, 249]



- Majorana fermion DM

[C.Chang et al, Eur.Phys.J.C 83 (2023) 3, 249]

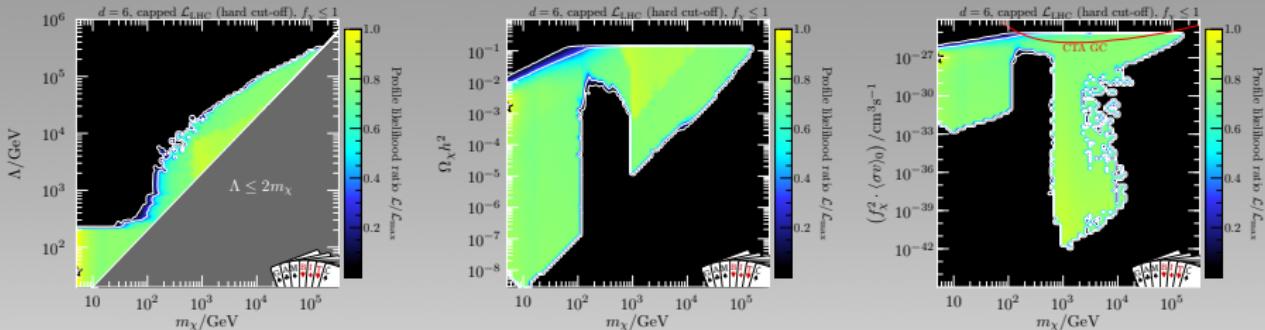


DM EFT

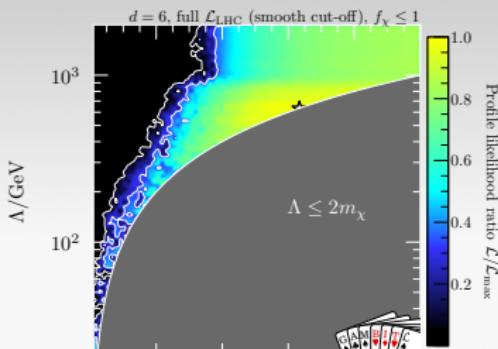
- Direct Detection DirectDM, DDCalc
→ XENON1T, LUX 2016, PandaX 2016-17, CDMSlite, CRESST-II,
CRESST-III, PICO-60 2017-19, and DarkSide-50
- Relic abundance CalcHEP, DarkSUSY, plc
→ Planck 2018: $\Omega_{\text{DM}} h^2 \leq 0.120 \pm 0.001$
- ID with γ -rays CalcHEP, gamLike
→ Pass-8 combined of 15 dSphs from *Fermi*-LAT data
- ID with neutrinos DirectDM, Capt'n General, nulike
→ 79-string IceCube search
- ID constraints from CMB CalcHEP, DarkSUSY, DarkAges
→ 95% CL limit on energy deposition efficiency f_{eff}
- Collider constraints MadGraph_aMC@NLO, Pythia
→ ATLAS 139fb^{-1} mono-jet
→ CMS 36fb^{-1} mono-jet

Results

- Only 6-dim operators, $\Omega_{\text{DM}} h^2$ upper limit, LHC loglike *capped*



- LHC constrains large Λ - small m_χ , absent for $\Lambda < 250$ GeV
- *Fermi*-LAT data ($m_\chi \approx 5$ GeV)
- $f_{\text{DM}} < 1$ for $m_\chi < 100$ GeV
- Monojet excess with full LHC
- Upper limit on Λ



EW MSSM + \tilde{G}

[GAMBIT, arXiv:2303.15527 [hep-ph]]

- LHC SUSY searches

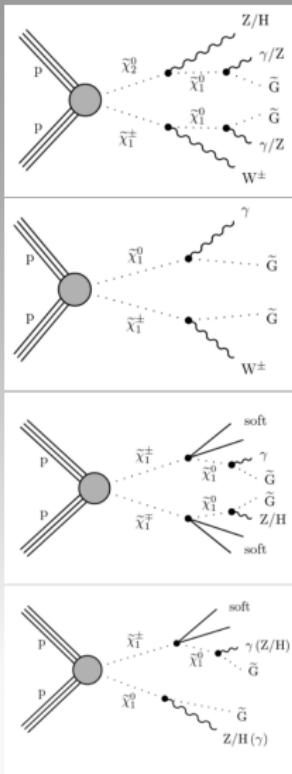
- 15 ATLAS and 12 CMS Run 2
- $\gamma + E_T^{\text{miss}}$
- $2/3/4$ leptons + E_T^{miss}
- $0/1/2$ leptons + $\tilde{t} + E_T^{\text{miss}}$
- $2/3$ b -jets + $0/1$ lepton + E_T^{miss}
- multiple jets + E_T^{miss}

- LHC “SM” xsec measurements

- 22 pools with 45 ATLAS, CMS and LHCb measurements
- $pp \rightarrow ZZ \rightarrow 4l$
- $pp \rightarrow W^+W^- \rightarrow ll'(j) + E_T^{\text{miss}}$
- $pp \rightarrow Z\gamma \rightarrow ll\gamma$

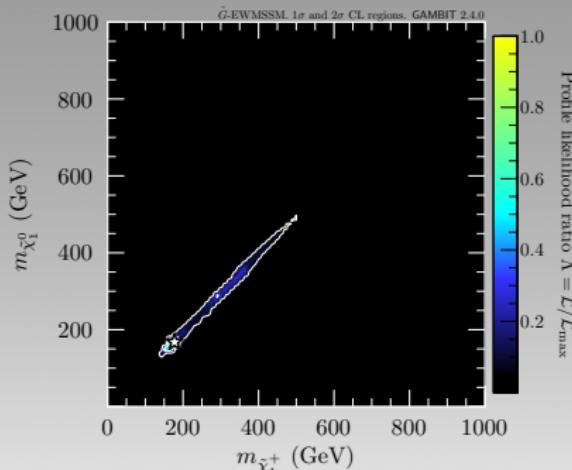
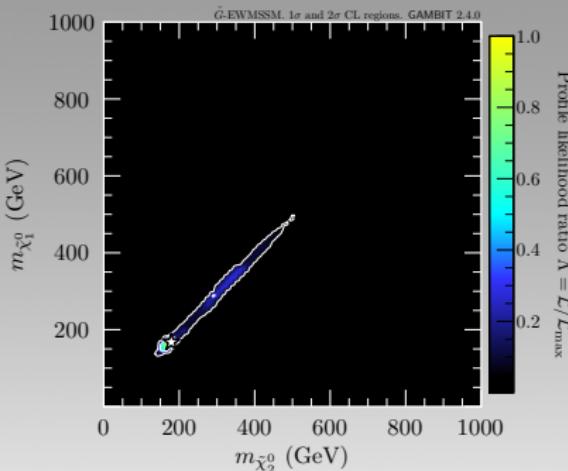
- LEP xsection constraints

- $\chi^\pm \rightarrow \text{SM} + \tilde{G}$
- L3 search $\chi^0 \rightarrow \gamma + \tilde{G}$



EW MSSM + \tilde{G}

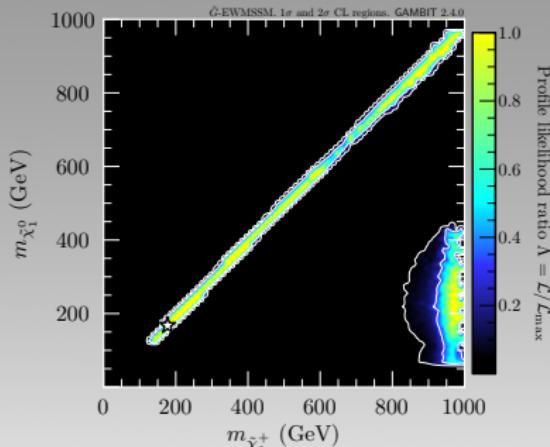
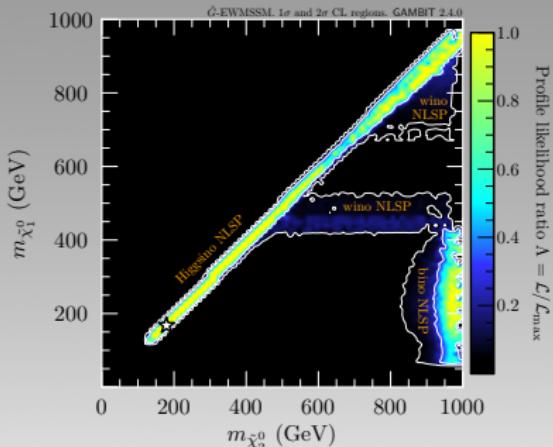
- Profile likelihoods for neutralinos and charginos



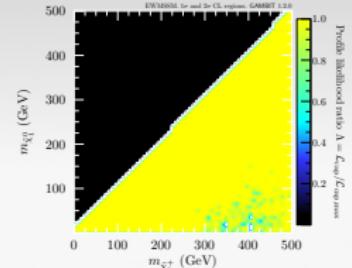
- Preferred scenario are Higgsino-like, i.e. $\mu < M_1, M_2$
- At 2 σ , $\mu < 0, \tan \beta \sim 1, \Rightarrow 140 \text{ GeV} < \tilde{\chi}_1^0, \tilde{\chi}_2^0, \tilde{\chi}_1^\pm < 500 \text{ GeV}$
- Dominant channels are $\tilde{\chi}_1^0 \rightarrow h\tilde{G}, \tilde{\chi}_1^0 \rightarrow Z\tilde{G}$
- Fits excess is leptons + E_T^{miss} and b -jets + E_T^{miss} searches
- Simultaneous fit to multi-lepton and multi- b signal regions

EW MSSM + \tilde{G}

- “Capped” likelihood (exclusion-only)



- Stronger constraining power c.f. EWMSSM
- Largest surviving region Higgsino NSLP
- $\gamma + \text{MET}$ searches exclude bins < 800 GeV
- $l + \text{MET}$ excludes wino except at > 600 GeV and ~ 450 GeV due to excesses



Outline

① Beyond the Standard Model

- Dark Matter models
- Supersymmetric models

② Global fits

- GAMBIT

③ Results

④ Conclusions

Conclusions

- Beyond the SM theories are necessary to complement the SM
- Hard to explore due to the large number of parameters and constraints
- Global fits are an efficient methodology to study BSM theories with statistical rigour
- GAMBIT provides a flexible and modular framework for global fits
- **Dark Matter models**
 - Most WIMP models in a lot of trouble (HP)
 - Resonant annihilation survives consistently (HP, SDM)
 - Fermion DM less excluded due to suppression of DD (HP, SDM)
 - Upper limit on the scale of new physics (DMEFT)
- **Supersymmetric models**
 - Very strongly constrained by LHC searches
 - Only compressed Higgsino scenario remaining at low masses
 - Small combined excesses fit better SUSY than SM



Backup

DM EFT

- Running and mixing

→ For direct detection WCs are needed at $\mu = 2$ GeV

→ For $\Lambda > m_t(m_t)$:

$$\mathcal{C}_{1,2}^{(5)} = -4 \frac{m_t(m_t)^2}{\Lambda^2} \log \frac{\Lambda^2}{m_t(m_t)^2} \mathcal{C}_{9,10}^{(7)}$$

$$\Delta \mathcal{C}_i^{(7)} = -\mathcal{C}_{i+4,q}^{(7)} \quad (i = 1, 2)$$

$$\Delta \mathcal{C}_i^{(7)} = \mathcal{C}_{i+4,q}^{(7)} \quad (i = 3, 4)$$

- EFT validity

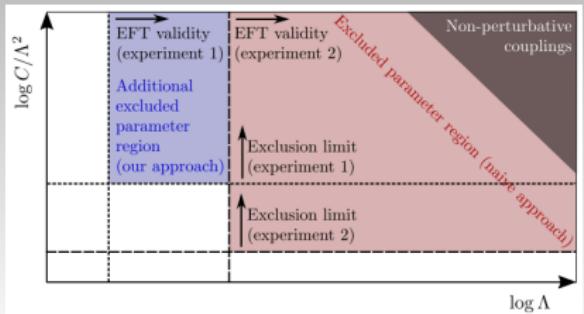
→ DD requires $\Lambda > 2$ GeV

→ Annihilation processes (ID/RD)

require $\Lambda > 2m_\chi$

→ Collider searches $\Lambda > \not{E}_T$

$$\Lambda < \not{E}_T \quad \left\{ \begin{array}{l} \frac{d\sigma}{d\not{E}_T} = 0 \\ \frac{d\sigma}{d\not{E}_T} \rightarrow \frac{d\sigma}{d\not{E}_T} \left(\frac{\not{E}_T}{\Lambda} \right)^{-a} \end{array} \right.$$



Likelihoods

- Direct Detection

$$\frac{dR}{dE_R} = \frac{\rho}{m_T m_\chi} \int_{v_{\min}}^{\infty} v f(v) \frac{d\sigma}{dE_R} d^3v$$

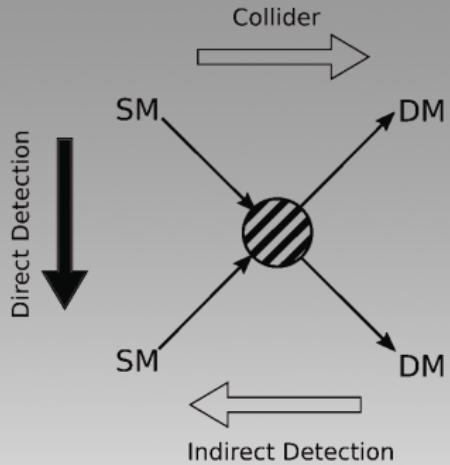
$$v_{\min}(E_R) = \sqrt{\frac{m_T E_R}{2 \mu^2}}$$

→ Non-relativistic operators

$$\mathcal{L}_{\text{NR}} = \sum_{i,N} c_i^N(q^2) \mathcal{O}_i^N ,$$

→ XENON1T, LUX 2016, PandaX 2016-17, CDMSlite, CRESST-II, CRESST-III, PICO-60 2017-19, and DarkSide-50

- Relic abundance $\frac{dn_\chi}{dt} + 3Hn_\chi = -\langle \sigma v_{\text{rel}} \rangle (n_\chi n_{\bar{\chi}} - n_{\chi,\text{eq}} n_{\bar{\chi},\text{eq}})$
 → Planck 2018: $\Omega_{\text{DM}} h^2 \leq 0.120 \pm 0.001$



Likelihoods

- Indirect detection with γ -rays
 - γ -rays from DM annihilation in dSphs

$$\ln \mathcal{L}_{\text{dwarfs}}^{\text{prof.}} = \ln \mathcal{L}_{ki} (\Phi_i \cdot J_k) + \ln \mathcal{L}_J$$

- Pass-8 combined of 15 dSphs from *Fermi*-LAT data

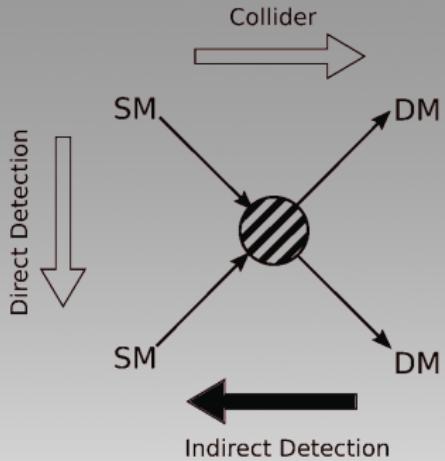
- Indirect detection with ν s

- Solar capture of DM leads to very high energy ν s > solar ν s
- 79-string IceCube search

- Indirect detection constraints from CMB

- Injected energy (γ, e^\pm) changes reion history and optical depth τ
- CMB is sensitive to energy deposition efficiency f_{eff} via combination

$$p_{\text{ann}} = f_\chi f_{\text{eff}} \frac{\langle \sigma v \rangle}{m_\chi}$$



Likelihoods

- Collider constraints
 - Many signatures for DM searches

$$pp \rightarrow \chi\chi j \rightarrow j + \cancel{E}_T$$

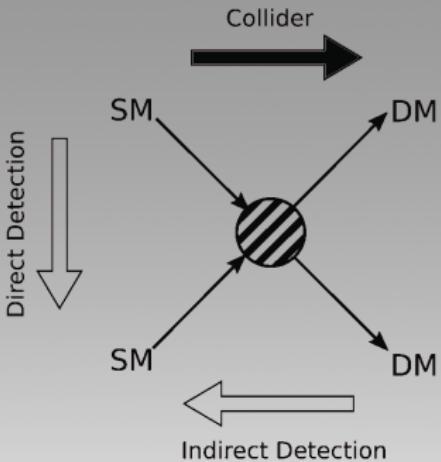
- MadGraph_aMC@NLO \rightsquigarrow Pythia
- Interpolated grids for σ and ϵA
- Events per \cancel{E}_T bin (signal regions)

$$N = L \times \sigma \times (\epsilon A)$$

- ATLAS 139fb^{-1} mono-jet
 - \rightsquigarrow SR with best significance
 - $\rightsquigarrow \mathcal{L}_{\text{ATLAS}}(s_i) \equiv \mathcal{L}_{\text{ATLAS}}(s_i, \hat{\gamma}_i)$

- *Capped* likelihood

$$\mathcal{L}_{\text{cap}}(\mathbf{s}) = \min[\mathcal{L}_{\text{LHC}}(\mathbf{s}), \mathcal{L}_{\text{LHC}}(\mathbf{s} = \mathbf{0})]$$



- CMS 36fb^{-1} mono-jet
 - \rightsquigarrow Profile over systematics
 - $\rightsquigarrow \mathcal{L}_{\text{CMS}}(\mathbf{s}) \equiv \mathcal{L}_{\text{CMS}}(\mathbf{s}, \hat{\gamma})$

Scan framework

- Model parameters

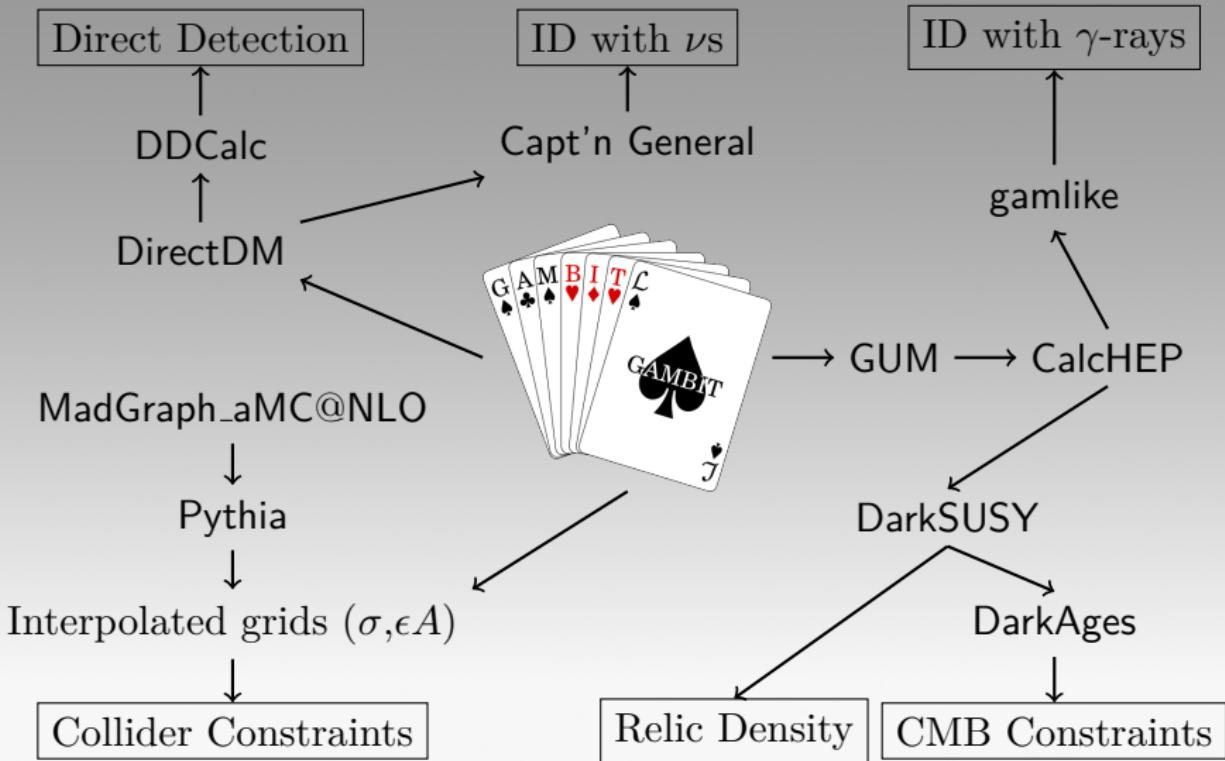
DM mass	m_χ
New physics scale	Λ
Wilson coefficients	$\mathcal{C}_a^{(d)}$

- Nuisance parameters

Local DM density	ρ_0
Most probable speed	v_{peak}
Galactic escape speed	v_{esc}
Running top mass ($\overline{\text{MS}}$ scheme)	$m_t(m_t)$
Pion-nucleon sigma term	$\sigma_{\pi N}$
s -quark contrib. to nucleon spin	Δ_s
s -quark nuclear tensor charge	g_T^s
s -quark charge radius of the proton	r_s^2

- Needs smart sampling to efficiently scan over all parameters and explore interference effects among WCs

Scan framework



Operators

	SI scattering	SD scattering	Annihilations
$\mathcal{Q}_{1,q}^{(6)} = (\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu q)$	unsuppressed	—	s -wave
$\mathcal{Q}_{2,q}^{(6)} = (\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{q}\gamma^\mu q)$	suppressed	—	p -wave
$\mathcal{Q}_{3,q}^{(6)} = (\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu\gamma_5 q)$	—	suppressed	s -wave
$\mathcal{Q}_{4,q}^{(6)} = (\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{q}\gamma^\mu\gamma_5 q)$	—	unsuppressed	s -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_1^{(7)} = \frac{\alpha_s}{12\pi}(\bar{\chi}\chi)G^{a\mu\nu}G_{\mu\nu}^a$	unsuppressed	—	p -wave
$\mathcal{Q}_2^{(7)} = \frac{\alpha_s}{12\pi}(\bar{\chi}i\gamma_5\chi)G^{a\mu\nu}G_{\mu\nu}^a$	suppressed	—	s -wave
$\mathcal{Q}_3^{(7)} = \frac{\alpha_s}{8\pi}(\bar{\chi}\chi)G^{a\mu\nu}\tilde{G}_{\mu\nu}^a$	—	suppressed	p -wave
$\mathcal{Q}_4^{(7)} = \frac{\alpha_s}{8\pi}(\bar{\chi}i\gamma_5\chi)G^{a\mu\nu}\tilde{G}_{\mu\nu}^a$	—	suppressed	s -wave
$\mathcal{Q}_{5,q}^{(7)} = m_q(\bar{\chi}\chi)(\bar{q}q)$	unsuppressed	—	p -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_{6,q}^{(7)} = m_q(\bar{\chi}i\gamma_5\chi)(\bar{q}q)$	suppressed	—	s -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_{7,q}^{(7)} = m_q(\bar{\chi}\chi)(\bar{q}i\gamma_5 q)$	—	suppressed	p -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_{8,q}^{(7)} = m_q(\bar{\chi}i\gamma_5\chi)(\bar{q}i\gamma_5 q)$	—	suppressed	s -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_{9,q}^{(7)} = m_q(\bar{\chi}\sigma^{\mu\nu}\chi)(\bar{q}\sigma_{\mu\nu}q)$	loop-induced	unsuppressed	s -wave $\propto m_q^2/m_\chi^2$
$\mathcal{Q}_{10,q}^{(7)} = m_q(\bar{\chi}i\sigma^{\mu\nu}\gamma_5\chi)(\bar{q}\sigma_{\mu\nu}q)$	loop-induced	suppressed	s -wave $\propto m_q^2/m_\chi^2$

Hadronic input parameters

Parameter	Value	Parameter	Value
$\sigma_{\pi N}$	50(15) MeV [1]	μ_p	2.793 - [2]
$Bc_5(m_d - m_u)$	-0.51(8) MeV [3]	μ_n	-1.913 [2]
g_A	1.2756(13) [2]	μ_s	-0.036(21) [4]
m_G	836(17) MeV [1]	g_T^u	0.784(30) [5]
σ_s	52.9(7.0) MeV [6]	g_T^d	-0.204(15) [5]
$\Delta u + \Delta d$	0.440(44) [7]	g_T^s	$-27(16) \cdot 10^{-3}$ [5]
Δs	-0.035(9) [7]	$B_{T,10}^{u/p}$	3.0(1.5) [8]
$B_0 m_u$	0.0058(5) GeV^2 [9]	$B_{T,10}^{d/p}$	0.24(12) [8]
$B_0 m_d$	0.0124(5) GeV^2 [9]	$B_{T,10}^{s/p}$	0.0(2) [8]
$B_0 m_s$	0.249(9) GeV^2 [9]	r_s^2	-0.115(35) GeV^{-2} [4]

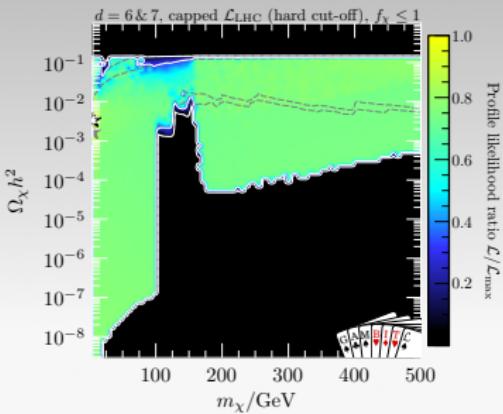
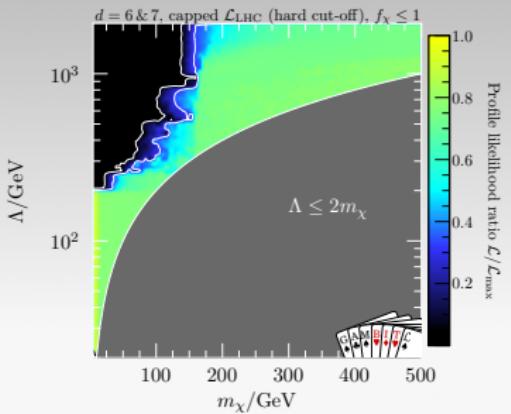
[1] [F. Bishara et. al., JHEP 11 (2017) 059] [2] [PDG 2020] [3] [A. Crivellin et. al., Phys. Rev. D 89 (2014) 054021] [4] [D. Djukanovic et. al., Phys. Rev. Lett. 123 (2019) 212001, R. S. Sufian et. al., Phys. Rev. Lett. 118 (2017) 042001] [5] [R. Gupta, et. al., Phys. Rev. D 98 (2018) 091501] [6] [S. Aoki et. al., Eur. Phys. J. C 80 (2020) 113] [7] [J. Liang et. al., Phys. Rev. D 98 (2018) 074505] [8] [B. Pasquini et. al., Phys. Rev. D72 (2005) 094029] [9] [F. Bishara et. al., arXiv:1708.02678.]

Nuisance parameters

Nuisance parameter		Value ($\pm 3\sigma$ range)
Local DM density	ρ_0	0.2–0.8 GeV cm $^{-3}$
Most probable speed	v_{peak}	240 (24) km s $^{-1}$
Galactic escape speed	v_{esc}	528 (75) km s $^{-1}$
Running top mass ($\overline{\text{MS}}$ scheme)	$m_t(m_t)$	162.9 (6.0) GeV
Pion-nucleon sigma term	$\sigma_{\pi N}$	50 (45) MeV
Strange quark contrib. to nucleon spin	Δs	-0.035 (0.027)
Strange quark nuclear tensor charge	g_T^s	-0.027 (0.048)
Strange quark charge radius of the proton	r_s^2	-0.115 (0.105) GeV $^{-2}$

DM EFT

- Include dim-7 operators, $\Omega_{\text{DM}} h^2$ upper limit, LHC loglike *capped*
 - No change on large Λ - small m_χ region
 - Neither $\mathcal{Q}_{1-4}^{(7)}$ (LHC) nor $\mathcal{Q}_{5-10,q}^{(7)}$ (suppressed) contribute to ann xsec
 - However, RD can be saturated for $m_\chi < 100$ GeV (and small Λ)
 - $\mathcal{Q}_3^{(7)}$ and $\mathcal{Q}_{7,q}^{(7)}$ give unconstrained signals in DD and ID
 - Similar fits to LHC excesses, even when dim-6 ops are zero



Collider Likelihoods

- ATLAS, Poisson loglike marginalised over nuisance $\xi =$ relative signal/bkg uncertainties

$$\begin{aligned} \mathcal{L}_{\text{marg}}(n|p) &= \int_0^\infty \frac{[\xi p]^n e^{-\xi p}}{n!} \\ &\quad \times \frac{1}{\sqrt{2\pi}\sigma_\xi} \frac{1}{\xi} \exp \left[-\frac{1}{2} \left(\frac{\ln \xi}{\sigma_\xi} \right)^2 \right] d\xi. \end{aligned}$$

- CMS, convolved Poisson-Gaussian, profiled over systematic uncertainties γ on expected background yields with covariance matrix Σ

$$\begin{aligned} \mathcal{L}(\mathbf{s}, \gamma) &= \prod_i^{N_{\text{bin}}} \left[\frac{(s_i + b_i + \gamma_i)^{n_i} e^{-(s_i + b_i + \gamma_i)}}{n_i!} \right] \\ &\quad \times \frac{1}{\sqrt{\det 2\pi\Sigma}} e^{-\frac{1}{2} \gamma^T \Sigma^{-1} \gamma}. \end{aligned}$$

DM EFT

- $\mathcal{C}_1^{(6)}$

→ spin-independent scattering
 → strongly constrained \rightsquigarrow very small

- $\mathcal{C}_2^{(6)}$

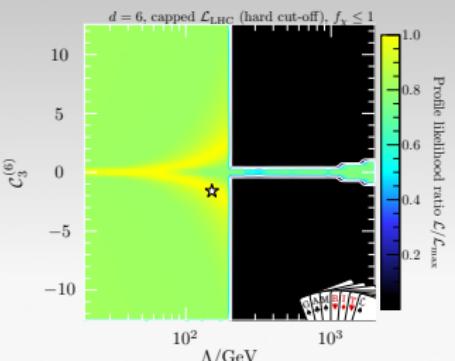
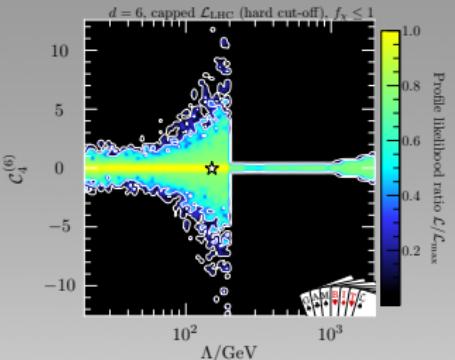
→ momentum-dependent scattering
 → $\Lambda < 250$ GeV DD constrained
 → $\Lambda > 250$ GeV LHC constrained

- $\mathcal{C}_3^{(6)}$

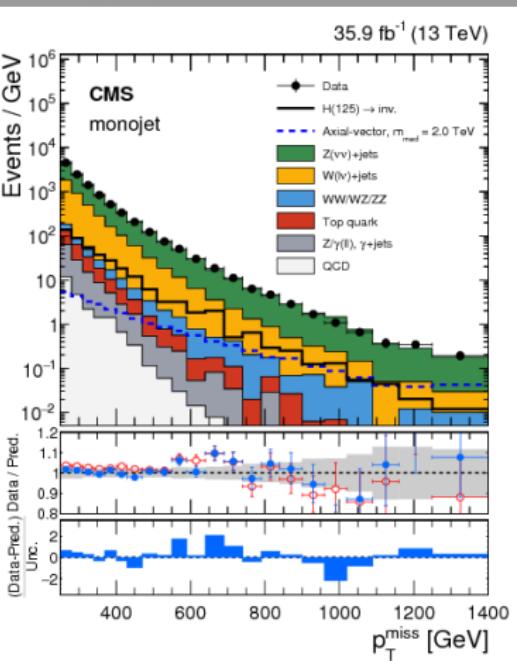
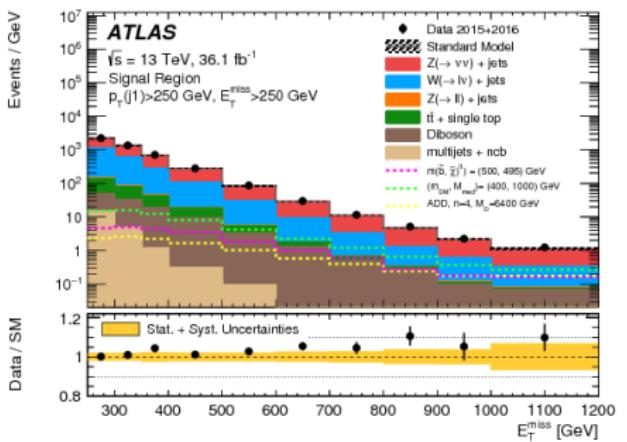
→ both SD and MD scattering
 → $\Lambda < 250$ GeV weak DD constraints
 → Main contribution to *Fermi – LAT*
 → $\Lambda > 250$ GeV LHC constrained

- $\mathcal{C}_4^{(6)}$

→ spin-dependent scattering
 → identical to $\mathcal{C}_2^{(6)}$



DMEFT



EW MSSM + \tilde{G}

Name	Spin	Gauge ES	Mass ES	Param
Higgs bosons	0	$H_u^0 \ H_d^0 \ H_u^+ \ H_d^-$	$h \ H \ A \ H^\pm$	-
squarks	0	$\tilde{u}_L \ \tilde{u}_R \ \tilde{d}_L \ \tilde{d}_R$ $\tilde{c}_L \ \tilde{c}_R \ \tilde{s}_L \ \tilde{s}_R$ $\tilde{t}_L \ \tilde{t}_R \ \tilde{b}_L \ \tilde{b}_R$	- - $\tilde{t}_1 \ \tilde{t}_2 \ \tilde{b}_1 \ \tilde{b}_2$	- - -
sleptons	0	$\tilde{e}_L \ \tilde{e}_R \ \tilde{\nu}_e$ $\tilde{\mu}_L \ \tilde{\mu}_R \ \tilde{\nu}_\mu$ $\tilde{\tau}_L \ \tilde{\tau}_R \ \tilde{\nu}_\tau$	- - $\tilde{\tau}_1 \ \tilde{\tau}_2 \ \tilde{\nu}_\tau$	- - -
neutralino	1/2	$\tilde{B} \ \tilde{W}^3 \ \tilde{H}_u^0 \ \tilde{H}_d^0$	$\tilde{\chi}_1^0 \ \tilde{\chi}_2^0 \ \tilde{\chi}_3^0 \ \tilde{\chi}_4^0$	$M_1, M_2, \mu, \tan \beta$
chargino	1/2	$\tilde{W}^\pm \ \tilde{H}_u^+ \ \tilde{H}_d^-$	$\tilde{\chi}_1^\pm \ \tilde{\chi}_2^\pm$	$\mu, M_2, \tan \beta$
gluino	1/2	\tilde{g}	-	-
gravitino	3/2	\tilde{G}	-	$m_{\tilde{G}} = 1 \text{ eV}$

- Only 7 SUSY particles below 1 TeV, other decoupled
- 4D theory parameter space: $M_1, M_2, \mu, \tan \beta$
- Light gravitino for prompt decay of lightest neutralino/chargino

Scan framework

- GAMBIT modules used for the scan

→ SpecBit	\rightsquigarrow	one-loop spectrum with FlexibleSUSY
→ DecayBit	\rightsquigarrow	$\tilde{\chi}^{0,\pm} \rightarrow \tilde{\chi}^{0,\pm}$ decays with SUSY-HIT
		$\chi^{0,\pm} \rightarrow \tilde{G}$ decays native
→ ColliderBit	\rightsquigarrow	MC event generation with Pythia 8 detector simulation with BuckFast LHC search emulation native SM measurements with Rivet and Contur
→ ScannerBit	\rightsquigarrow	sampling using diver

- Parameter ranges

$M_1(Q)$	$[-1, 1]$ TeV	hybrid, flat
$M_2(Q)$	$[0, 1]$ TeV	hybrid, flat
$\mu(Q)$	$[-1, 1]$ TeV	hybrid, flat
$\tan\beta(m_Z)$	$[1, 70]$	log, flat
$m_{\tilde{G}}$	1 eV	fixed

- Scan details

- diver 1.0.4 self-adaptive rand/1/bin evolution
- 16M MC events for LHC searches
- 100k MC events for measurements
- 3.1×10^5 parameter samples

EW MSSM + \tilde{G}

- Three phenomenological scenarios

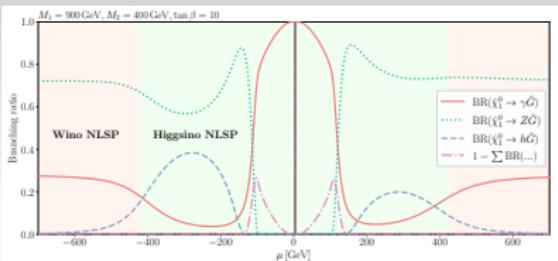
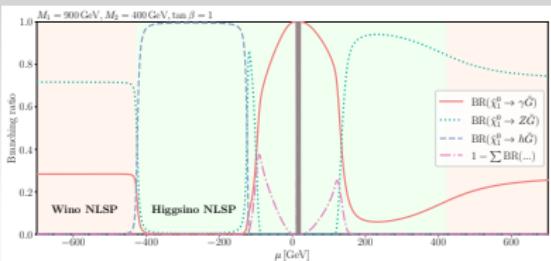
→ Wino NLSP: $M_2 < M_1, \mu \rightsquigarrow \tilde{\chi}_1^0 \rightarrow \{Z, \gamma\} \tilde{G}, \tilde{\chi}_1^\pm \rightarrow W^\pm \tilde{G}$

→ Higgsino NLSP: $\mu < M_1, M_2 \rightsquigarrow \tilde{\chi}_1^0 \rightarrow \{Z, h\} \tilde{G}, \tilde{\chi}_2^0, \tilde{\chi}_1^\pm \rightarrow f^\pm f^{\pm,0} \tilde{\chi}_1^0$

→ Bino NLSP: $M_1 < M_2, \mu \rightsquigarrow \tilde{\chi}_1^0 \rightarrow \gamma \tilde{G}$

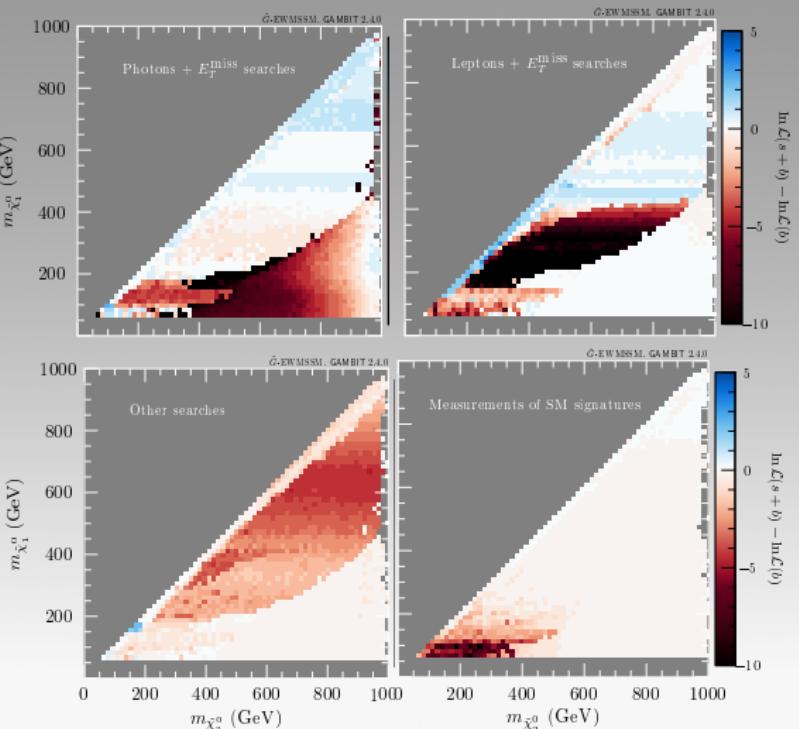
- Heavier $\tilde{\chi}_i^0/\tilde{\chi}_i^\pm$ decay to NLSP with multiple $\{Z, W^\pm, h\}$

- Chargino NLSP extremely rare



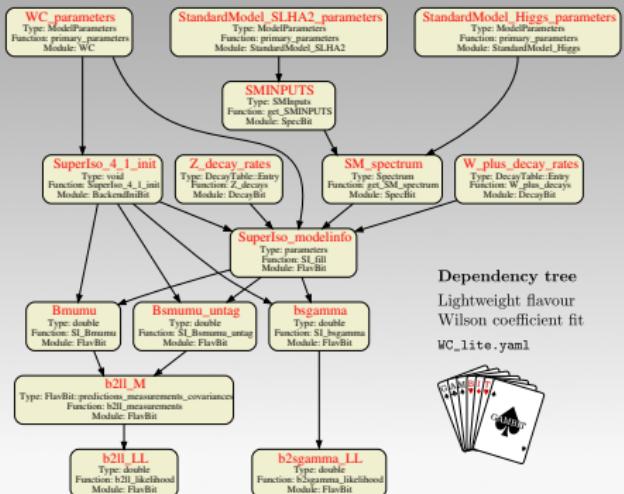
EW MSSM + \tilde{G}

- Impact of searches and measurements
- Photon searches exclude low mass binos
- Lepton searches exclude low mass winos
- Boosted boson searches exclude high mass winos
- Measurements exclude low mass Higgsino and winos



Module functions

- **Module functions** are the building blocks of GAMBIT
- Module functions provide a **capability**
- They have **dependencies** on other capabilities
- They have **backend requirements**
- Can be allowed for specific **models**
- Module functions are wrapped in functors
- GAMBIT resolves the dependency graph at runtime



Core

- Each module contains a collection of module functions
- Module functions provide a *capability*
- They have dependencies and backend requirements
- Allowed for specific models
- At run time a dependency tree is generated and resolved

```
// SM-like Higgs mass with theoretical uncertainties
#define CAPABILITY prec_mh
START_CAPABILITY

#define FUNCTION FH_HiggsMass
START_FUNCTION(triplet<double>)
DEPENDENCY(unimproved_MSSM_spectrum, Spectrum)
DEPENDENCY(FH_HiggsMasses, fh_HiggsMassObs)
ALLOW_MODELS(MSSM63atQ, MSSM63atMGUT)
#undef FUNCTION

#define FUNCTION SHD_HiggsMass
START_FUNCTION(triplet<double>)
DEPENDENCY(unimproved_MSSM_spectrum, Spectrum)
BACKEND_REQ(SUSYHD_MHiggs, (), MReal, (const MList<MReal>&))
BACKEND_REQ(SUSYHD_DeltaMHiggs, (), MReal, (const MList<MReal>&))
ALLOW_MODELS(MSSM63atQ, MSSM63atMGUT)
#undef FUNCTION

#endif CAPABILITY
```



Models

- Extensive model database

SUSY

CMSSM
NUHM1,2
MSSM63atQ

DM

Scalar Singlet
Fermionic Singlet
Vector Singlet
Axions

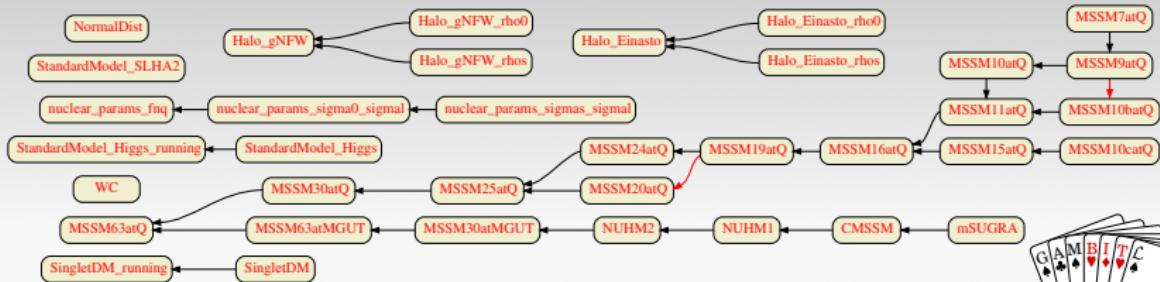
Cosmo

Λ CDM
 ΔN_{eff}
Power-law inflation

Others

SM
RH neutrinos
WC
nuisance models

- Parent-daughter hierarchy
- Module functions are activated for each model



Backends

- External tools used to compute some physical quantity
- Interfaced with GAMBIT dynamically
- C, Fortran \rightsquigarrow POSIX dl
- C++ \rightsquigarrow BOSS + POSIX dl
- Mathematica \rightsquigarrow WSTP
- Python \rightsquigarrow pybind11

CosmoBit

AlterBBN 2.2
 DarkAges 1.2.0
 MontePythonLike 3.3.0
 MultiModeCode 2.0.0
 classy 2.9.4

DarkBit

CapnGeneral 1.0
 DDCalc 2.2.0
 DarkSUSY 6.2.2
 MicrOmegas 3.6.9.2
 gamLike 1.0.1

ColliderBit

HiggsBounds 4.3.1
 HiggsSignals 1.4
 Pythia 8.212

PrecisionBit

FeynHiggs 2.12.0
 SUSYHD 1.0.2
 gm2calc 1.3.0

SpecBit

FlexibleSUSY 2.0.1
 SPheno 4.0.3

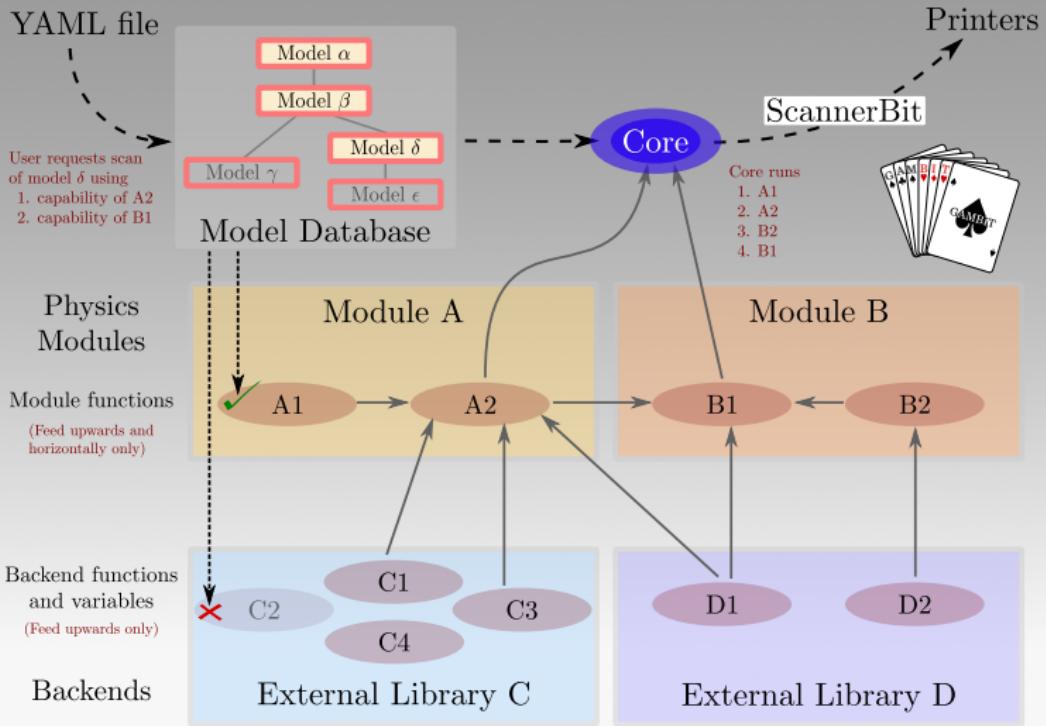
FlavBit

SuperISO 3.6

DecayBit

SUSY_HIT 1.5

An example run



But...

How do I use GAMBIT with my favourite model?

- ~~ Adding a model
- ~~ Sorting out hierarchy
- ~~ Making physics computations work with that model

How do I add a new physical observable or likelihood?

- ~~ Create capabilities
- ~~ Declare dependencies
- ~~ and models
- ~~ and backend requirements

1. Add the model to the **model hierarchy**:

- Choose a model name, and declare any **parent model**
- Declare the model's parameters
- Declare any **translation function** to the parent model

```
#define MODEL HUHM1
#define PARENT HUHN2
START_MODEL
DEFINEPARAM(M0,M12,A0,TanBeta,SignMu)
INTERPRET_AS_PARENT_FUNCTION(HUHM1_to_HUHN2)
#undef PARENT
#undef MODEL
```

2. Write the translation function as a standard C++ function:

```
void MODEL_NAMESPACE::HUHM1_to_HUHN2 (const ModelParameters &myP, ModelParameters &targetP)
{
    // Set M0, M12, A0, TanBeta and SignMu in the HUHN2 to the same values as in the HUHM1
    targetP.setValues(myP,false);
    // Set the values of mH0 and mHd in the HUHN2 to the value of mH in the HUHM1
    targetP.setValue("mH0", myP["mH"]);
    targetP.setValue("mHd", myP["mH"]);
}
```

3. If needed, declare that existing module functions work with the new model, or add new functions that do.

Adding a new module function is easy:

1. Declare the function to GAMBIT in a module's **rollcall header**
 - Choose a capability
 - Declare any **backend requirements**
 - Declare any **dependencies**
 - Declare any specific **allowed models**
 - other more advanced declarations also available

```
#define MODULE Flavbit
START_MODULE

#define CAPABILITY Rmu
START_CAPABILITY
#define FUNCTION SI_Rmu
START_FUNCTION(SI_Rmu)
BACKEND_NES(Backend pimma, (my_tag), double) // Name of a function that can compute Rmu
BACKEND_OPTIONC (Sipolino, 3.0), (my_tag) // Function computes Rmu precision weight
DEPENDENCY (Superlum_modelfits, parameters) // Needs function from a backend
ALLOW_MULTI(MSMSSM3L1Q, MSSM3L1HDT) // Needs another function to calculate Superlum info
// Works with weak/GUT-scale MSMH and descendants
#endif FUNCTION
#endif CAPABILITY
```

// A tasty GAMBIT module.

// Observable: BR(K->mu mu)/BR(pi->mu mu)

// Name of a function that can compute Rmu

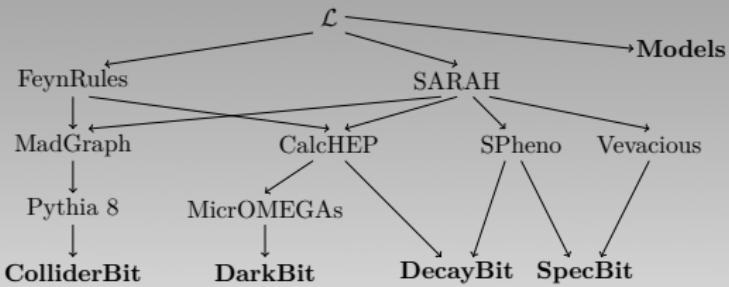
// Function computes Rmu precision weight

// Backend must be Sipolino 3.0

// Needs another function to calculate Superlum info

2. Write the function as a standard C++ function (one argument: the result)

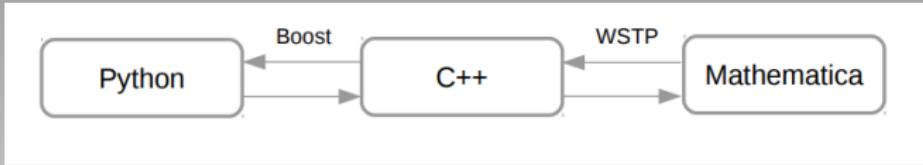
- GUM interfaces LLT SARAH and FeynRules with GAMBIT
- Uses existing HEP toolchains



- GAMBIT-compatible outputs from GUM

Generated output	FeynRules	SARAH	Usage in GAMBIT
CalcHEP	✓	✓	Decays, cross-sections
micrOMEGAs (via CalcHEP)	✓	✓	DM observables
Pythia (via MadGraph)	✓	✓	Collider physics
SPheno	✗	✓	Particle mass spectra, decay widths
Vevacious	✗	✓	Vacuum stability

- Primarily written in Python, with interface to Mathematica via Boost and WSTP



- Automatically generates GAMBIT code
 - Particles → particle database and parameters → Models
 - Module functions for ColliderBit, DarkBit, DecayBit and SpecBit
 - Writes interfaces to requested backends
- GUM release with GAMBIT 2.0

An example

- Majorana DM χ with scalar mediator Y

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{2}\bar{\chi}(i\not{\partial} - m_\chi)\chi + \frac{1}{2}\partial_\mu Y\partial^\mu Y - \frac{1}{2}m_Y^2 Y^2 - \frac{g_\chi}{2}\bar{\chi}\chi Y - \frac{c_Y}{2}\sum_f y_f \bar{f} f Y.$$

```

math:
# Choose FeynRules
package: feynrules
# Name of the model
model: MDMMSM
# Model builds on the Standard Model FeynRules file
base_model: SM
# The Lagrangian is defined by the DM sector (LDM),
# defined in MDMMSM.fr, plus the SM Lagrangian (LSM)
# imported from the 'base model', SM.fr
Lagrangian: LDM + LSM
# Make CKM matrix = identity to simplify output
restriction: DiagonalCKM

# PDG code of the annihilating DM candidate in
#<FeynRules file
wimp_candidate: 52

# Select outputs for DM physics.
# Collider physics is not as important in this model.
output:
  pythia: false
  calchep: true
  micromegas: true

```

